

Voids II+

K.G. Field^{1,a},

^a kgfield@umich.edu

¹University of Michigan



NUCLEAR ENGINEERING &
RADIOLOGICAL SCIENCES
UNIVERSITY OF MICHIGAN

Effect of Dose Rate

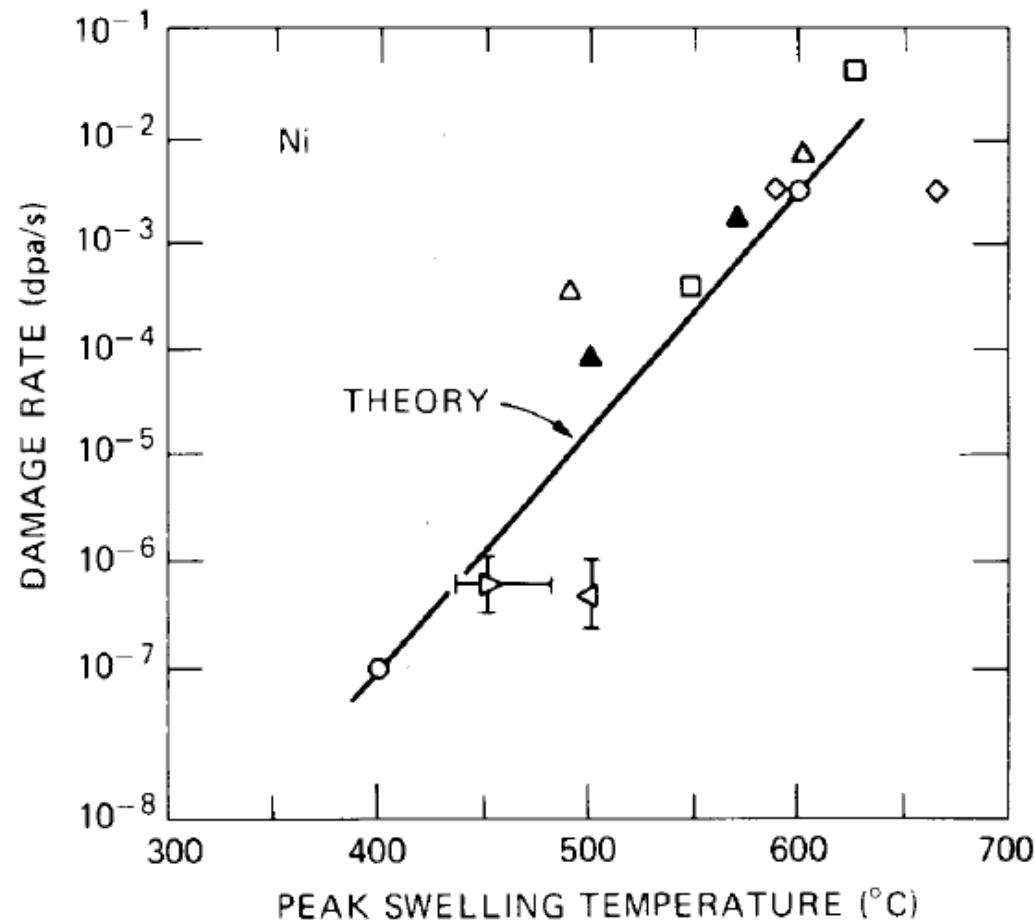


Figure 8.29. Compilation of experimental results for peak swelling temperature as a function of dose rate. Theoretically predicted trend is shown as the line. After Refs. 140 and 141.

Dose rate is captured in the **fourth term** where:

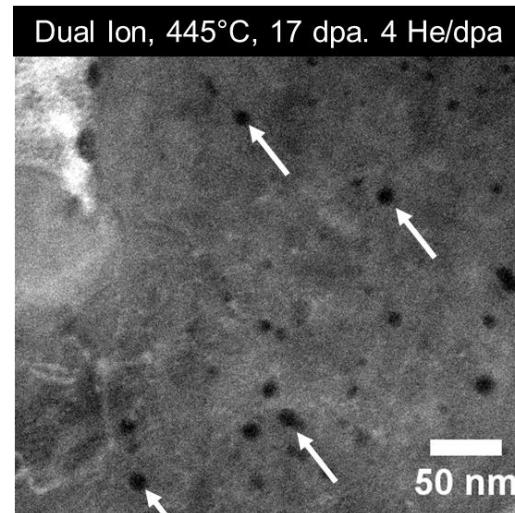
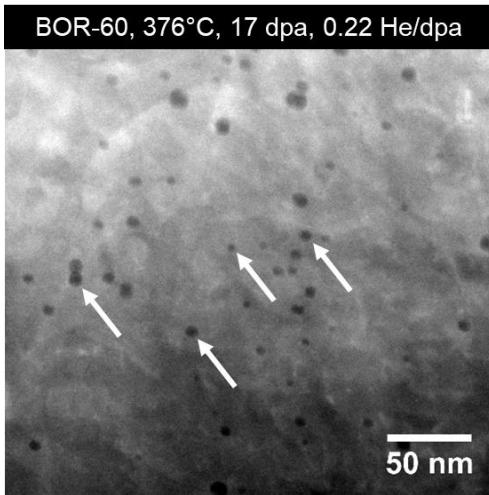
$$F(\eta) = 2\left(\sqrt{1+\eta} - 1\right)/\eta$$

And:

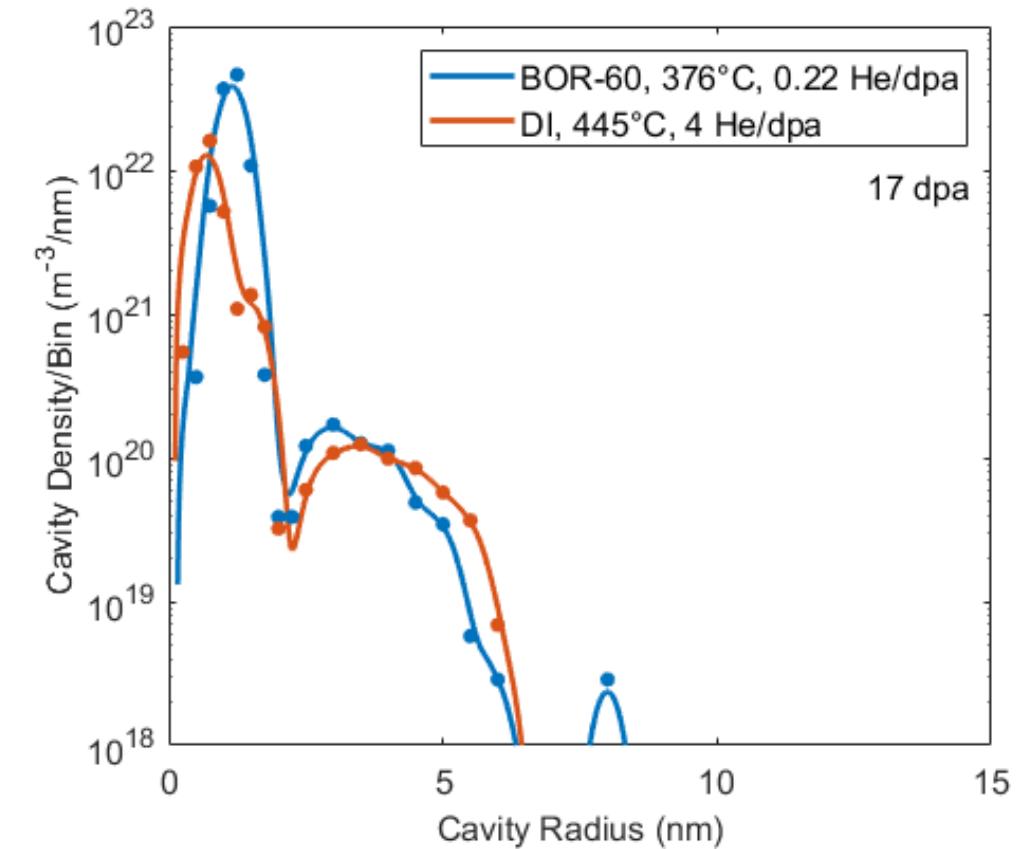
$$\eta = \frac{4K_0 K_{iv}}{D_i D_v (4\pi R \rho_v + z_v p_d)^2}$$

Effect of Dose Rate – Real World Example

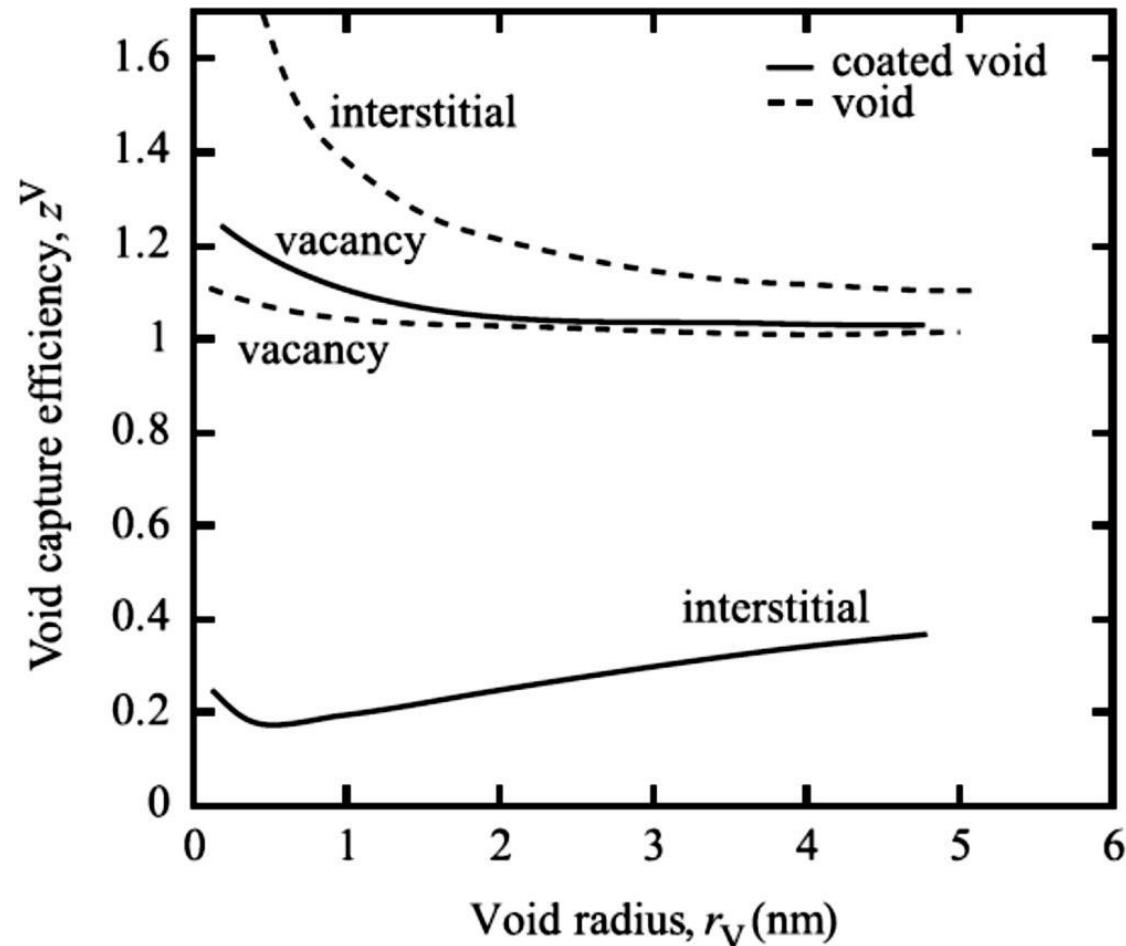
STEM HAADF



$$T_2 - T_1 = \frac{\frac{kT_1^2}{E_v^m + 2E_v^f} \ln \left(\frac{G_2}{G_1} \right)}{1 - \frac{kT_1}{E_v^m + 2E_v^f} \ln \left(\frac{G_2}{G_1} \right)}$$



Effect of void surface segregation on defect bias



- For a bare unpressurized void, **interstitial bias is greater than vacancy bias**. Voids will shrink
- If “shell” shear modulus or lattice parameter is greater than matrix shear modulus, **vacancy bias becomes greater than interstitial bias**
 - This effect can occur because of **radiation induced segregation**
- Thicker shells have a greater effect

Capture efficiency for point defects diffusion to a void and a coated void as a function of void radius RV . (W.G. Wolfer, L.K. Mansur, The capture efficiency of coated voids, Journal of Nuclear Materials, Volume 91, Issue 2, 1980, Pages 265-276)



Effect of Inert Gas: Bubbles & Voids

- Inert gas atoms (H, He, etc.) are created by transmutation and interact with vacancies
 - Must be accounted for on bubble/void growth as:
 - Insoluble gas atoms can act as immobile nucleation sites to which vacancies and interstitials migrate to form voids
 - Inert gas atoms can stabilize a cavity and assist the nuclei during nucleation and growth
- First, let's assume the following:
 - No account taken of cascades or lattice imperfections
 - Gas atom association is stable and mobile

Side Note!

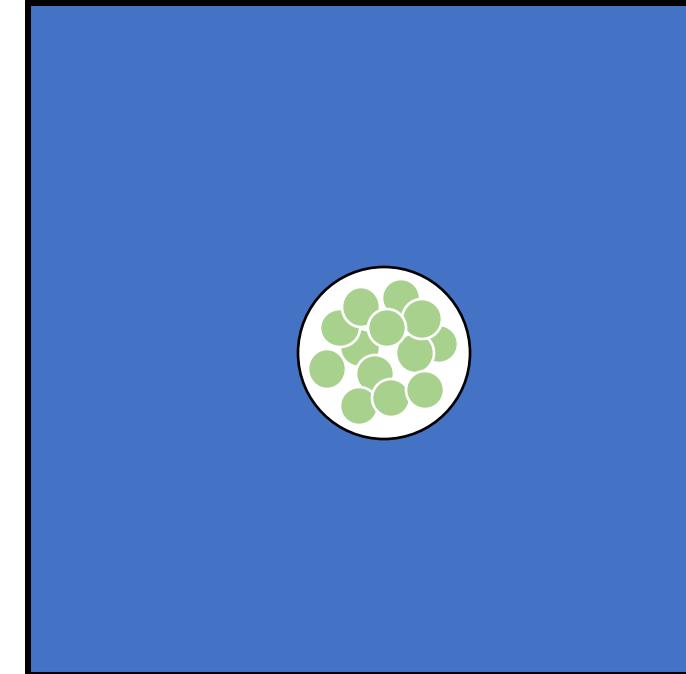
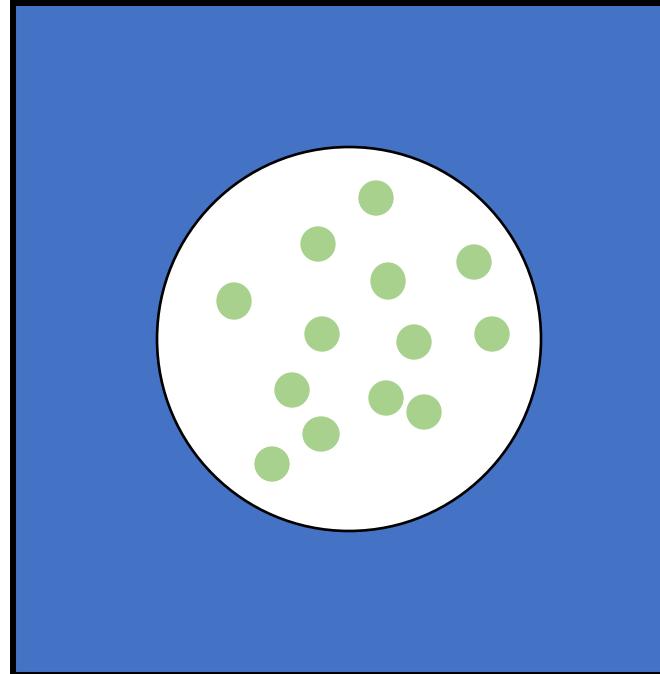
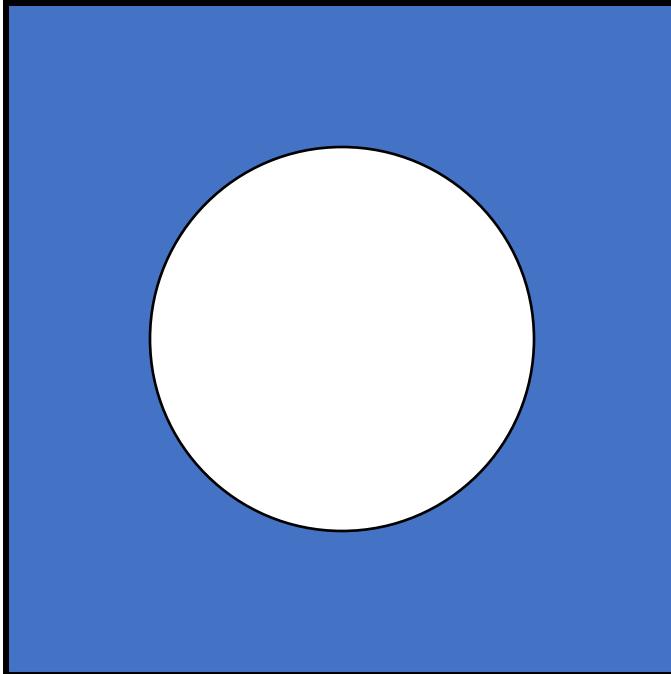
We generally define the following:

Void: open volume in a solid not pressurized by inert gas

Bubble: open volume in a solid that is pressurized by inert gas

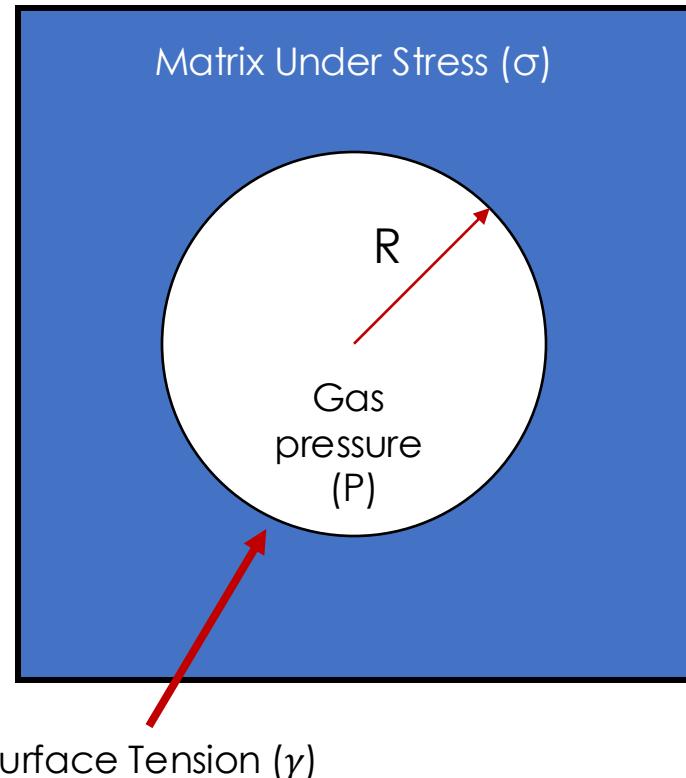
Cavity: Generalization for open volume in a solid – can be a bubble or void

Effect of Inert Gas: Bubbles & Voids

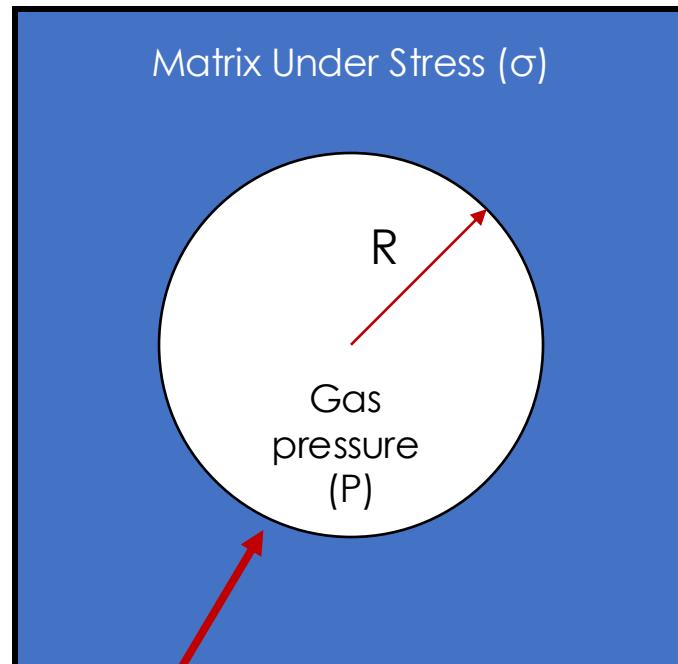


Effect of Inert Gas: Bubbles & Voids

- For a spherical cavity, the change in volume and surface area is:
- Under expansion (cavity growth) the pressure does work on $P dV$ and the surface energy increase by γdA , or simply,
- If not at mechanical equilibrium, then:



Effect of Inert Gas: Bubbles & Voids



- Let's now calculate the number of gas atoms present in the bubble, using the ideal gas law:
- Remembering that $P = \frac{2\gamma}{r}$ and plugging in we get:

Effect of Inert Gas: Bubbles & Voids

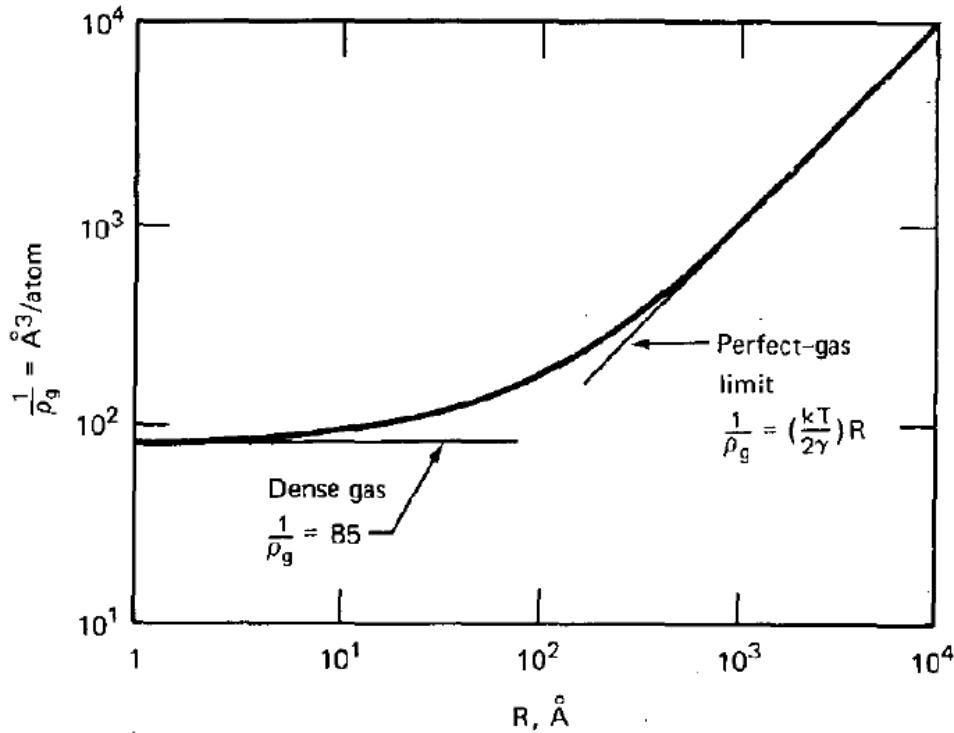


Fig. 13.3 Density of xenon gas in a spherical bubble imbedded in a stress-free solid of surface tension of 1000 dynes/cm.

For most applications we assume an ideal gas in mechanical equilibrium

- To account for non-ideal gas (e.g. high pressure in small bubbles) we need a different eq'n of state:

- We can then solve for n_x again using this relationship to get the number of gas atoms in the **dense gas limit**:

$$n_x = \frac{\frac{4}{3}\pi r^3}{B + \left(\frac{k_b T}{2\gamma}\right)r}$$

And for non-equilibrium bubbles:

$$n_x = \frac{128\pi\gamma^3}{81\sigma_c^2 k_b T}$$

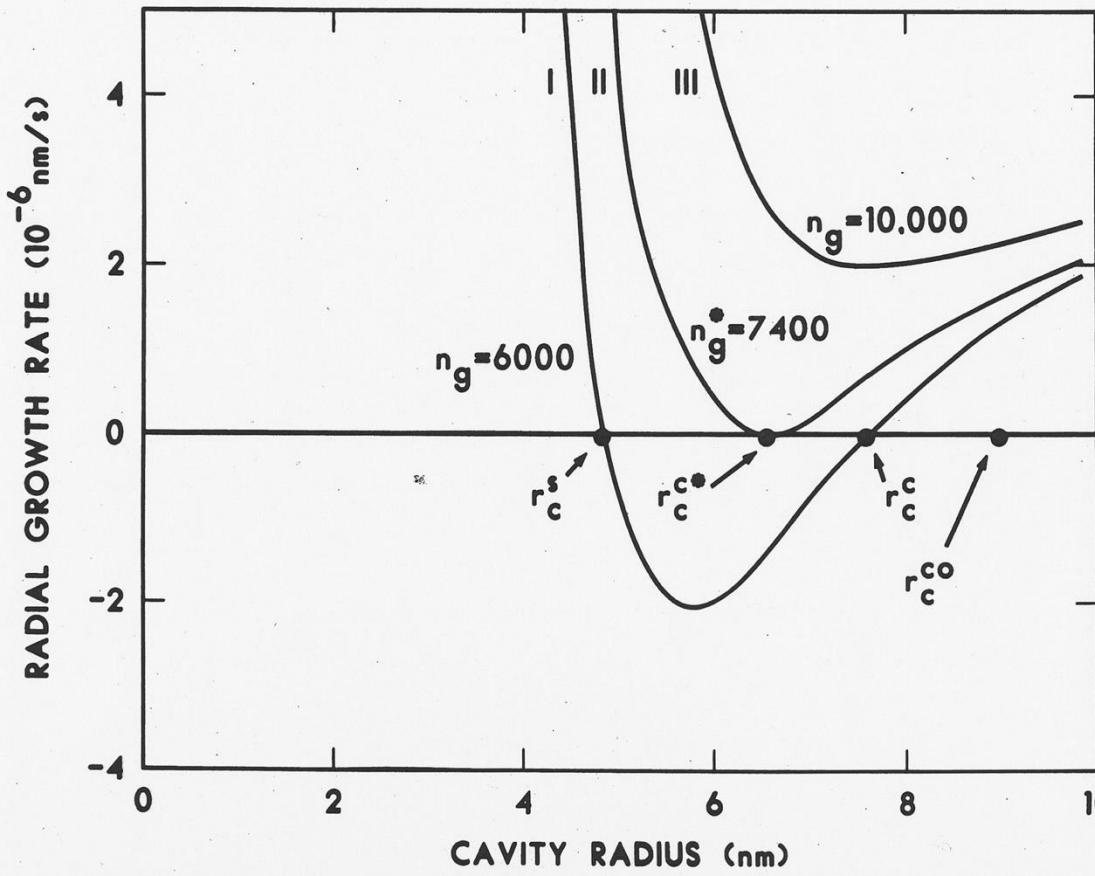


Now that we have an expression for n_x and P , we can add these into the terms for the growth rate law including thermal emission, we then get:

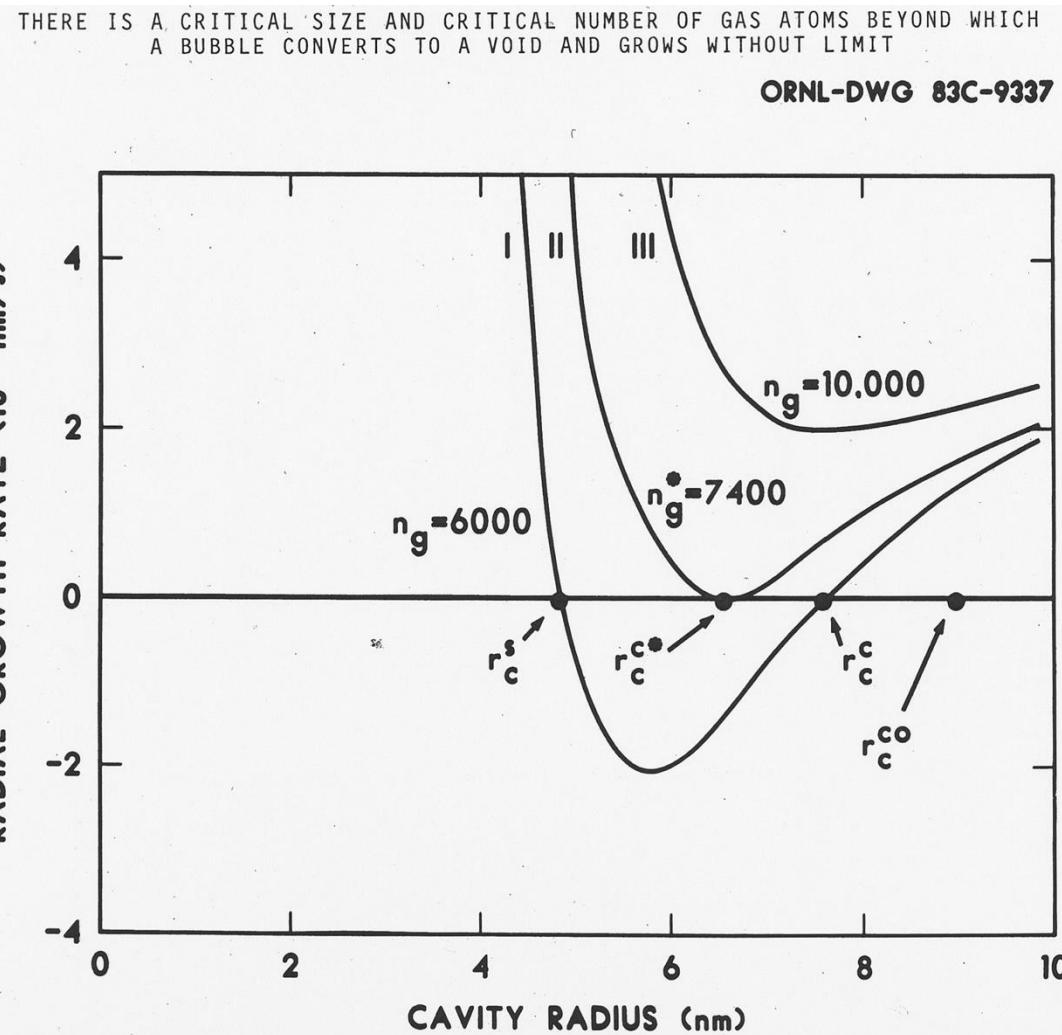
$$R\dot{R} = K_o \Omega \left(\frac{z_i - z_v}{z_v} \right) \frac{z_v \rho_d}{(4\pi R \rho_v + z_v \rho_d)^2} F(\eta) - \frac{D_v C_v^0 \Omega^2 z_v \rho_d}{kT(4\pi R N + z_v \rho_d)} \left(\frac{2\gamma}{R} - \frac{n_x kT}{4/3 \pi R^3 - n_x B} \right)$$

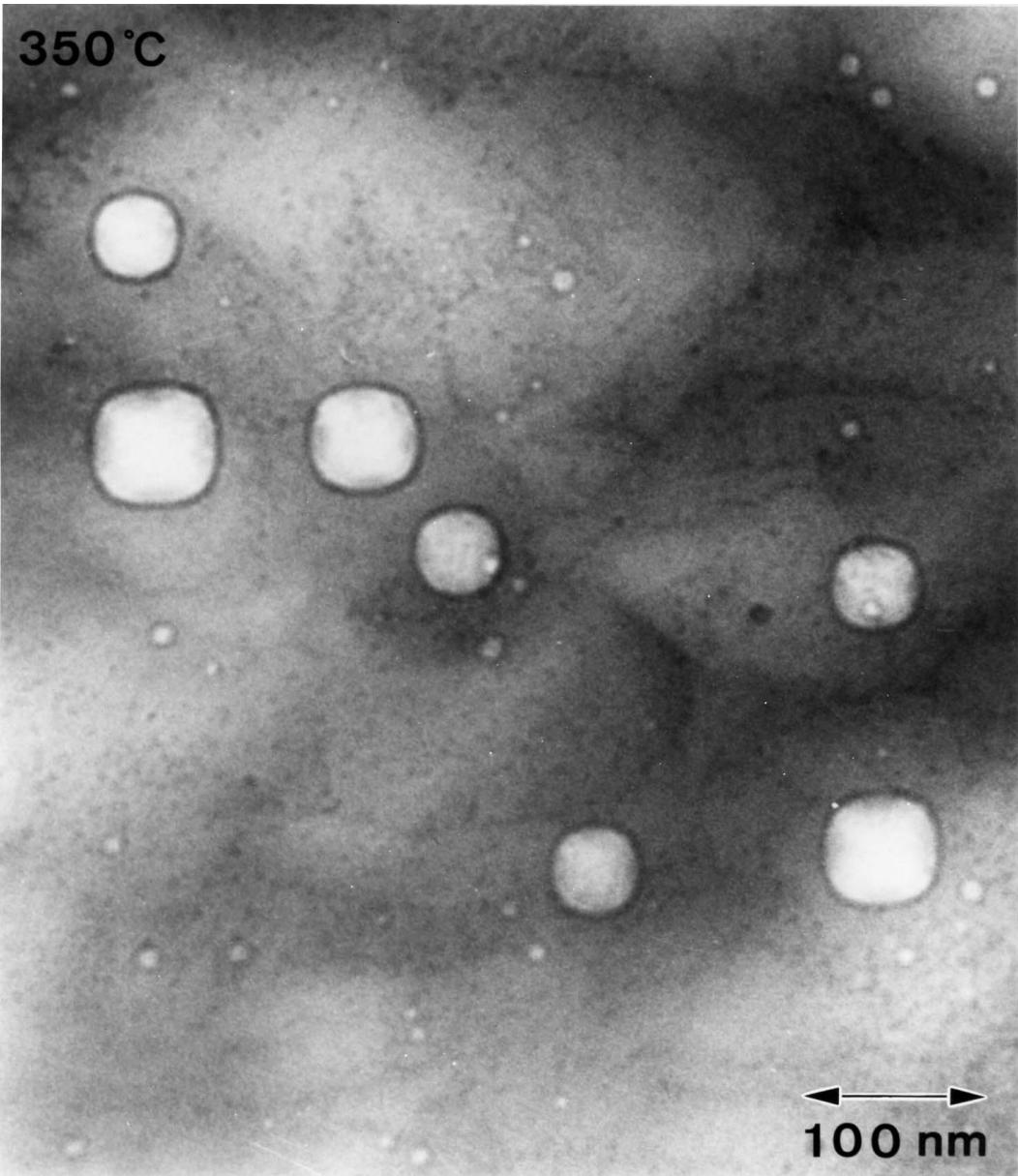
THERE IS A CRITICAL SIZE AND CRITICAL NUMBER OF GAS ATOMS BEYOND WHICH
A BUBBLE CONVERTS TO A VOID AND GROWS WITHOUT LIMIT

ORNL-DWG 83C-9337



When gas is present, the current models predicts that cavities containing less than n_g^* gas atoms remain at or below r_c^* , but those with more than n_g^* , this creates a bimodal distribution

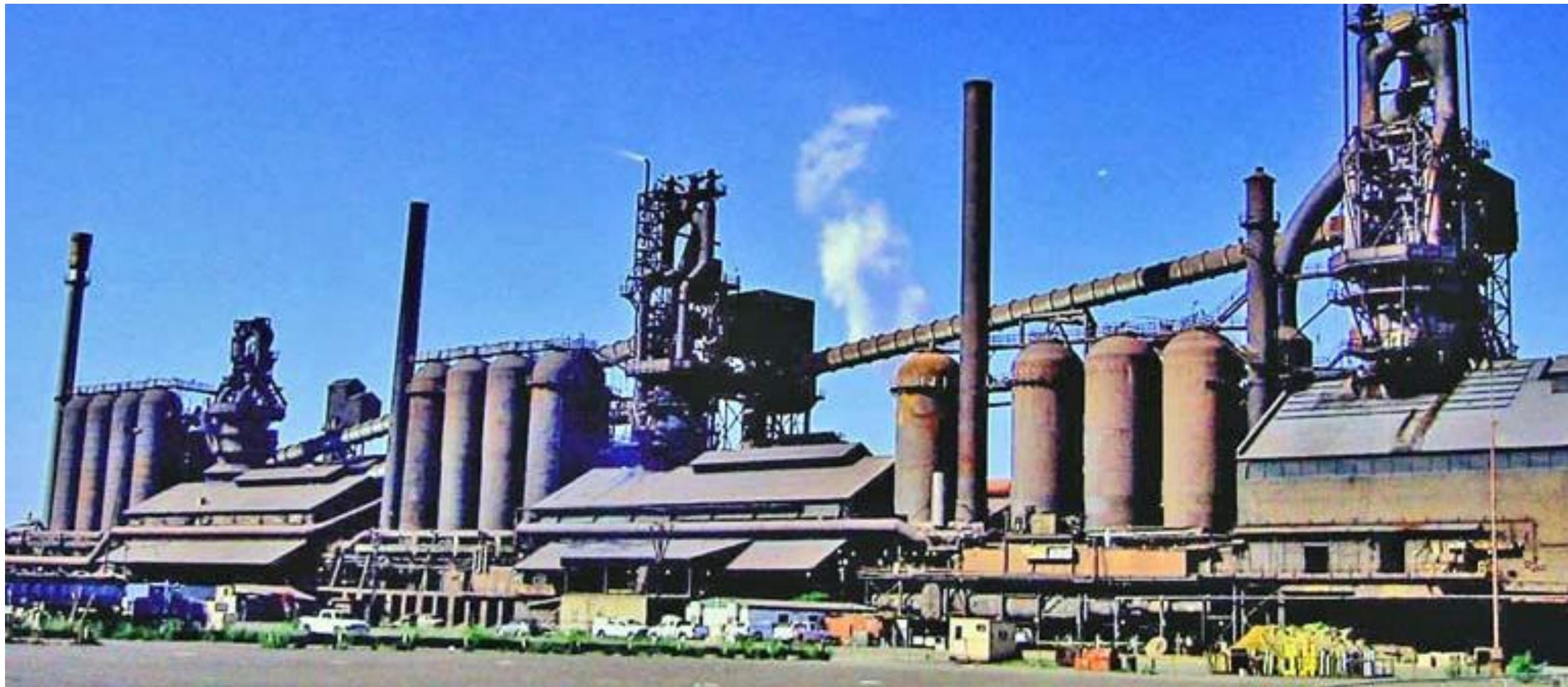




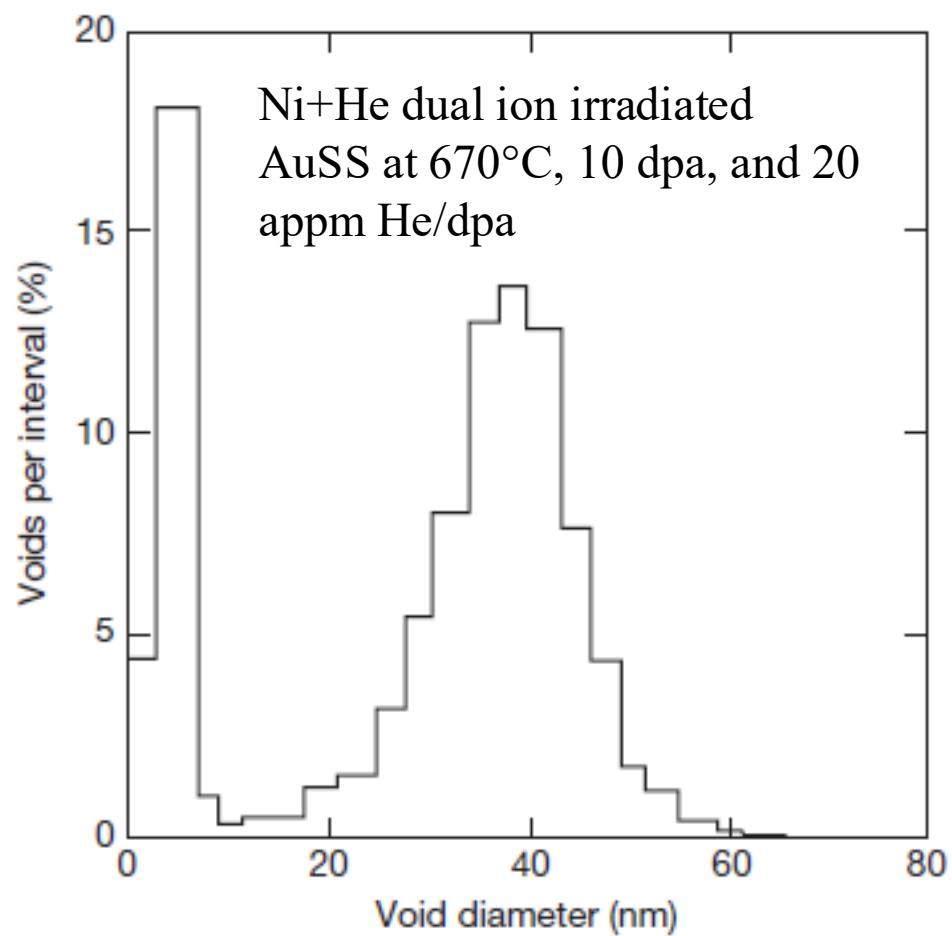
Void and He
bubble formation in
Cu-100 ppm B
following fission
neutron irradiation
to 1.2 dpa at 350°C

Zinkle, Farrell and Kanazawa, J. Nucl. Mater. 179-191 (1991) 994

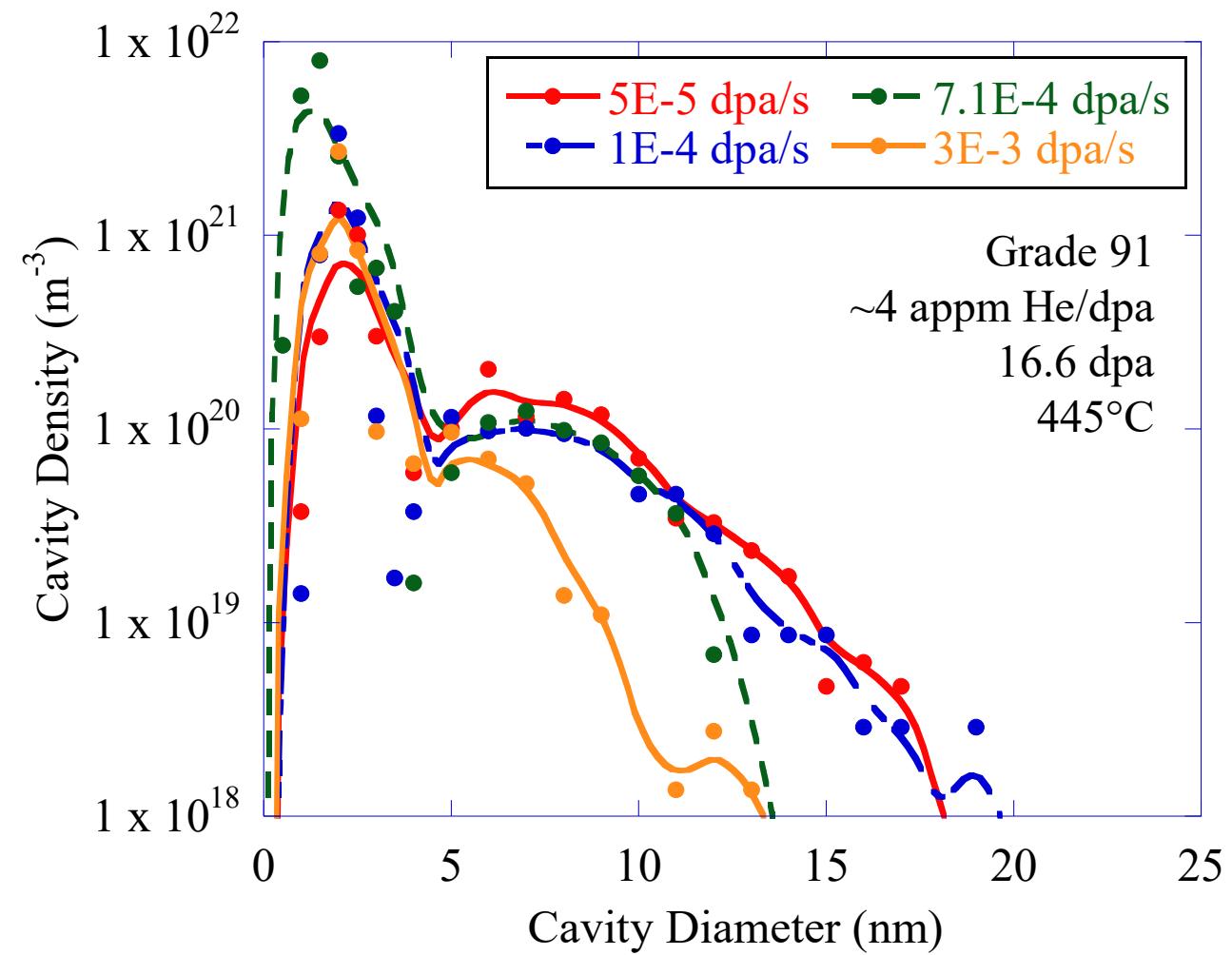
Completed in 1928, Henry Ford's Rouge Complex in Dearborn, Michigan, was a massive feat of industrial architecture designed by Albert Kahn. At the time of its completion, how large was the complex's infrastructure in terms of buildings and railway tracks?



Experimental examples



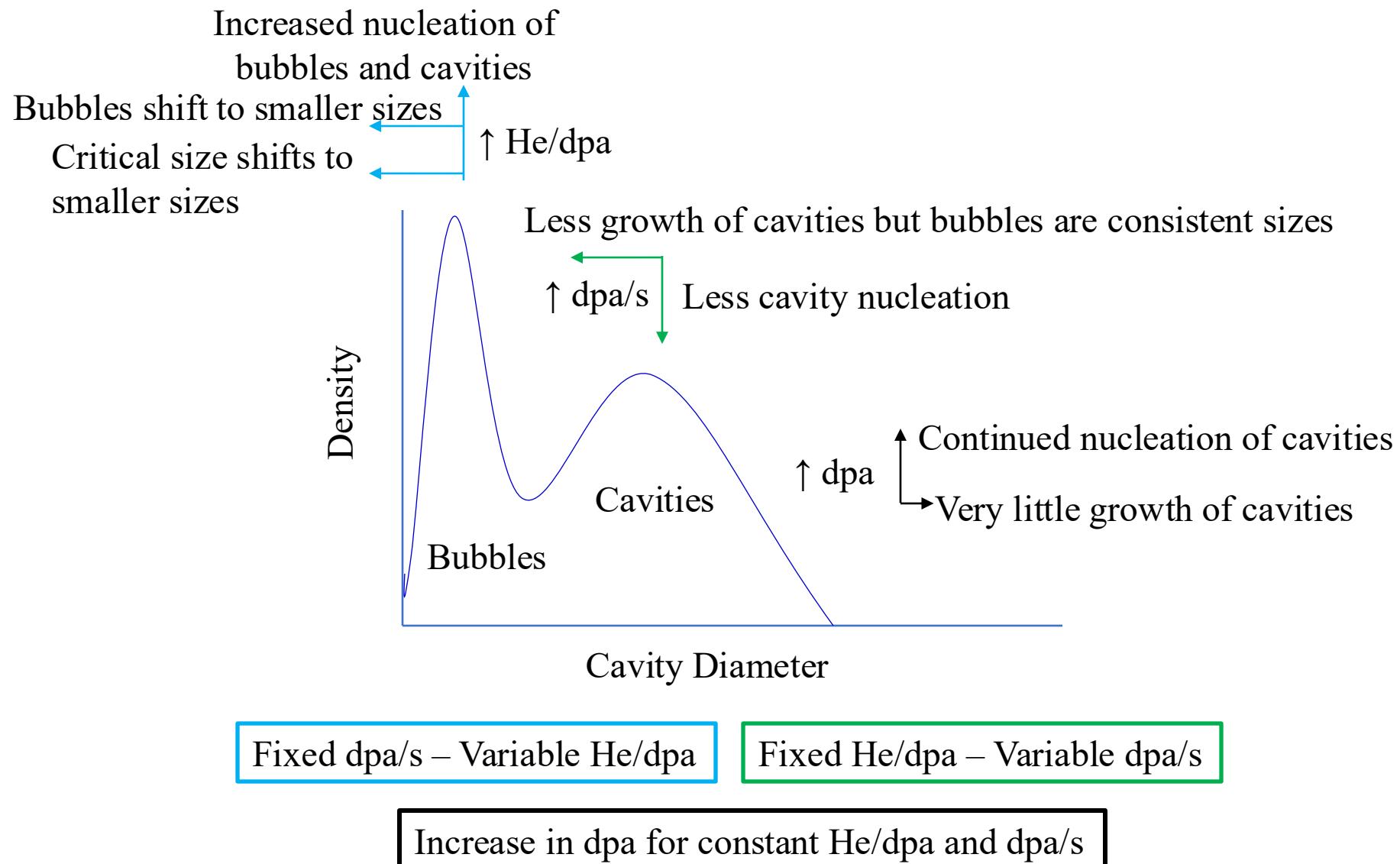
Mansur, Coghlan JNM 119 (1983)



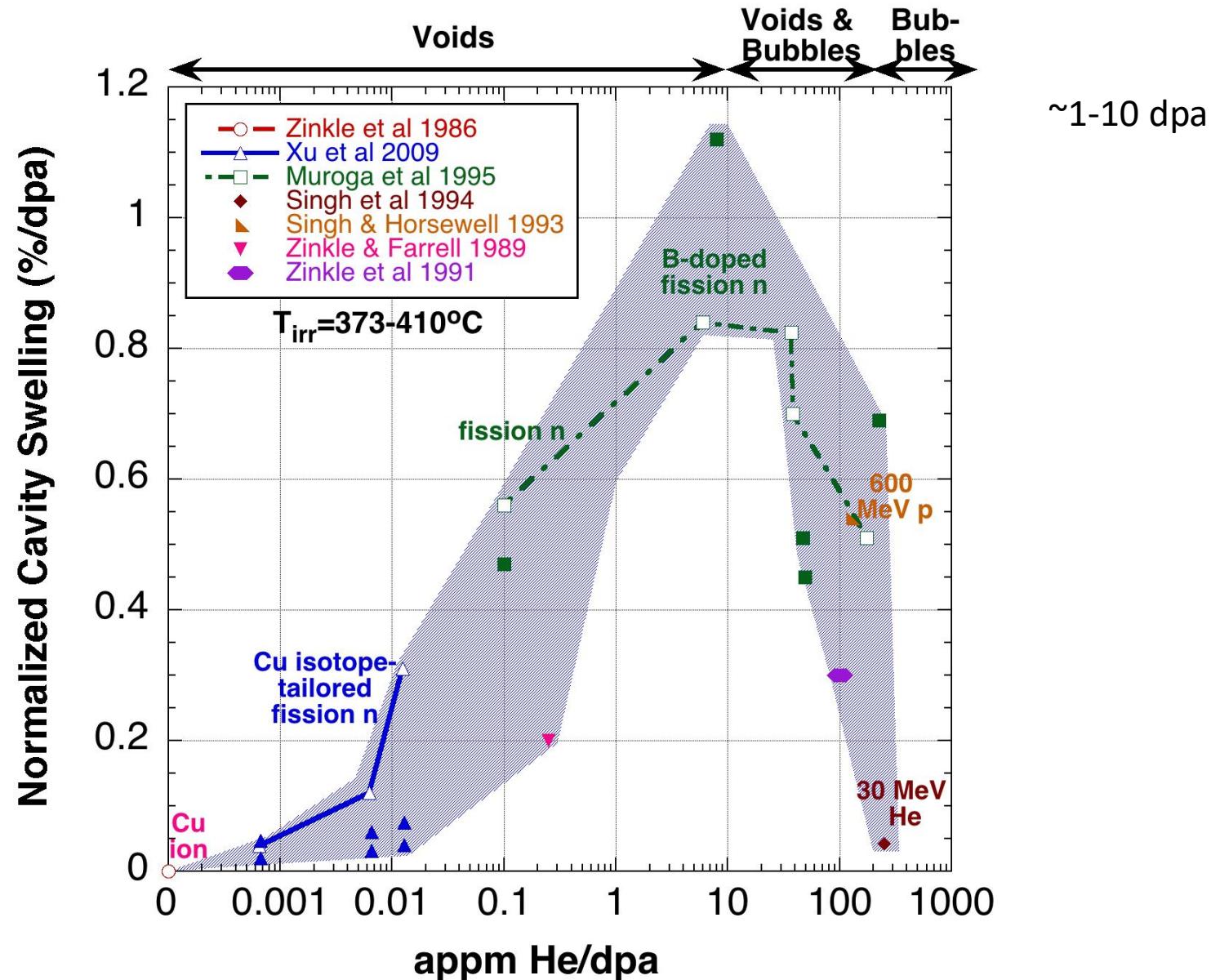
Taller (2019)



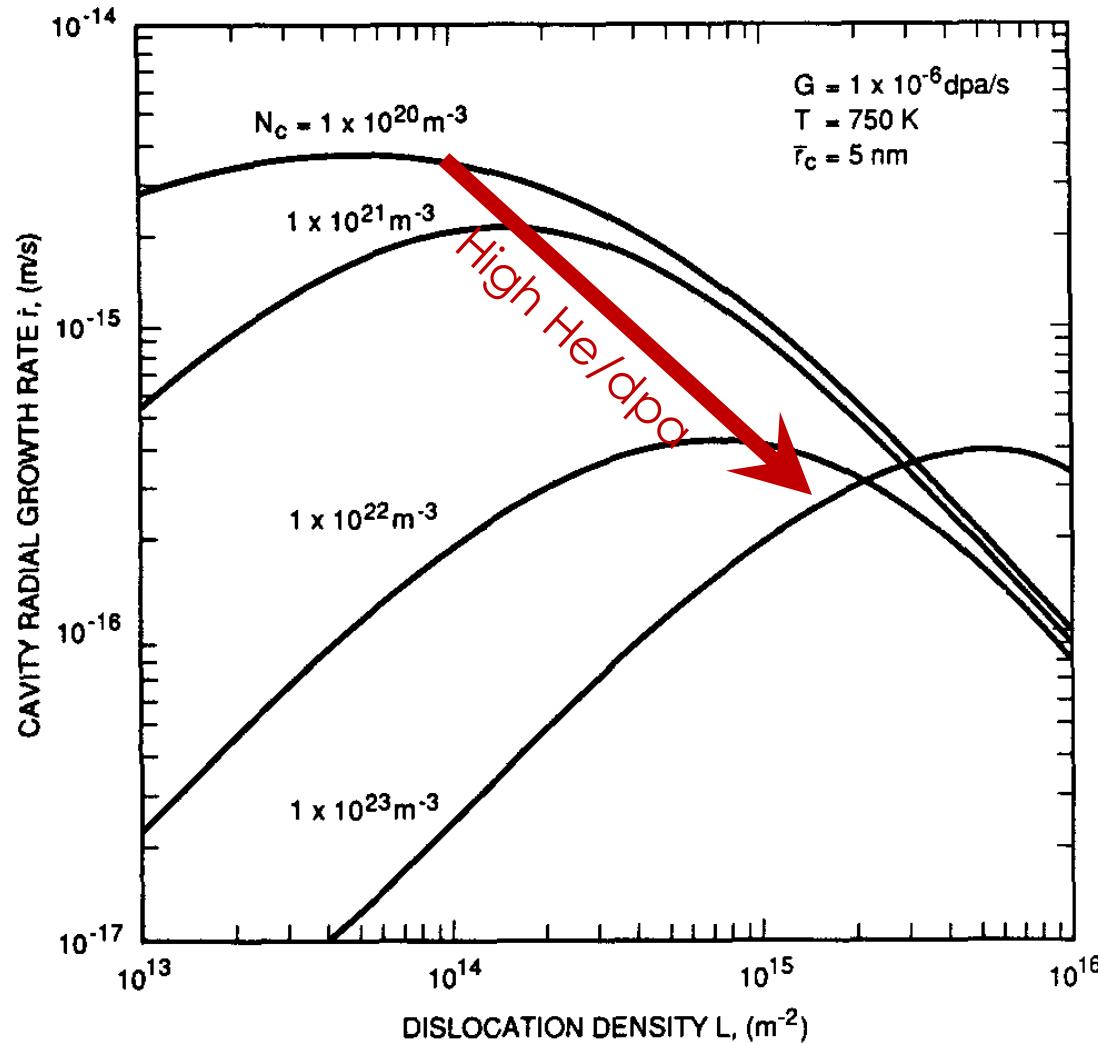
Experimental examples



Cavity swelling vs. He/dpa ratio in irradiated copper

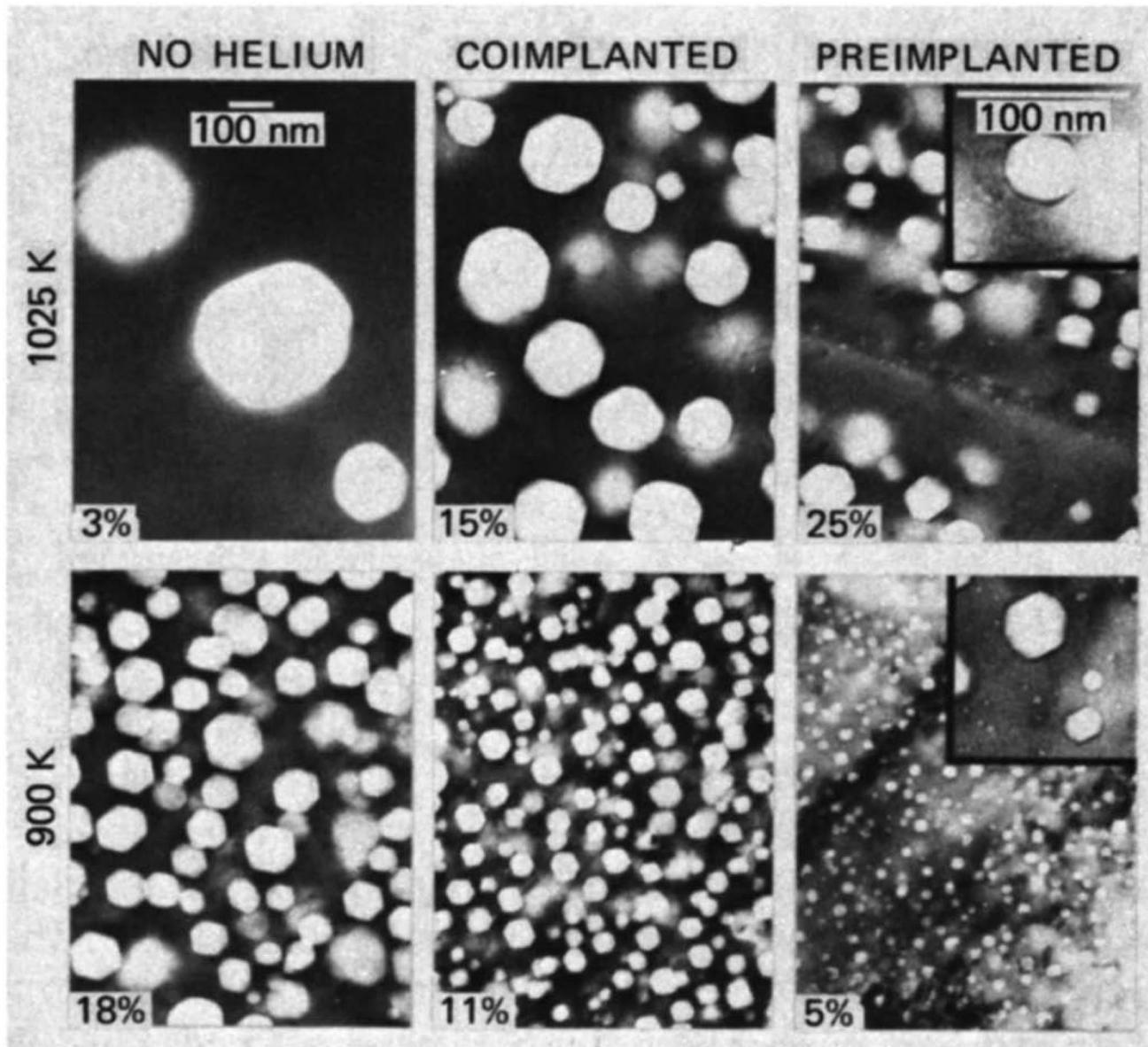


Calculated void growth rate is typically reduced for high cavity and dislocation sink strengths



Over nucleation of cavities
due to too high He/dpa
can suppress void swelling

Effect of He in ion irradiations



Implantation method of He can drastically effect swelling in ion irradiated materials

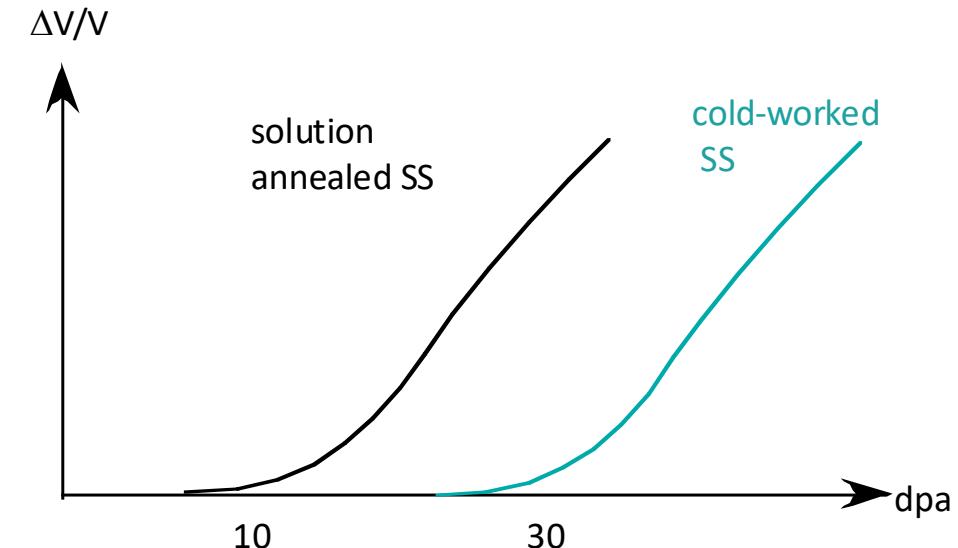
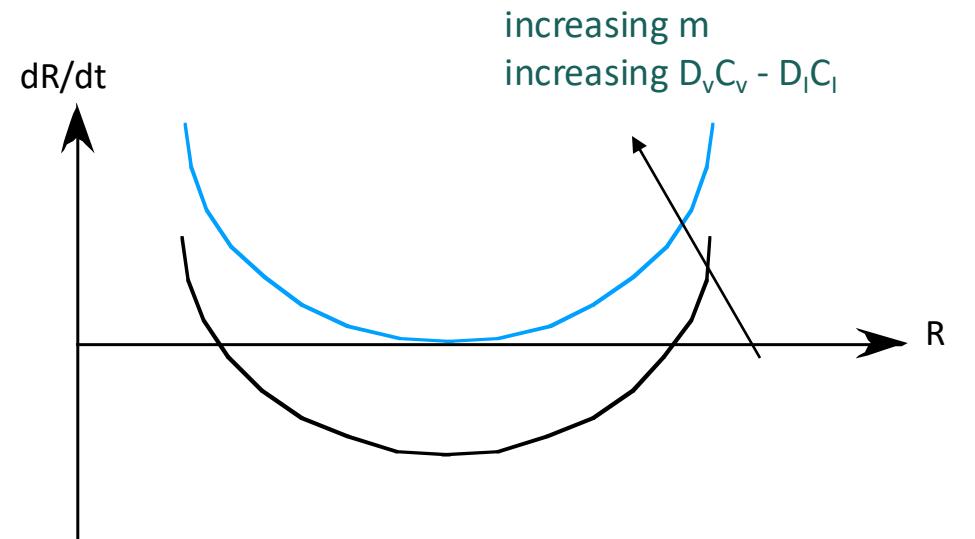
Image of
Fe-17Cr-16.7Ni-2.5Mo

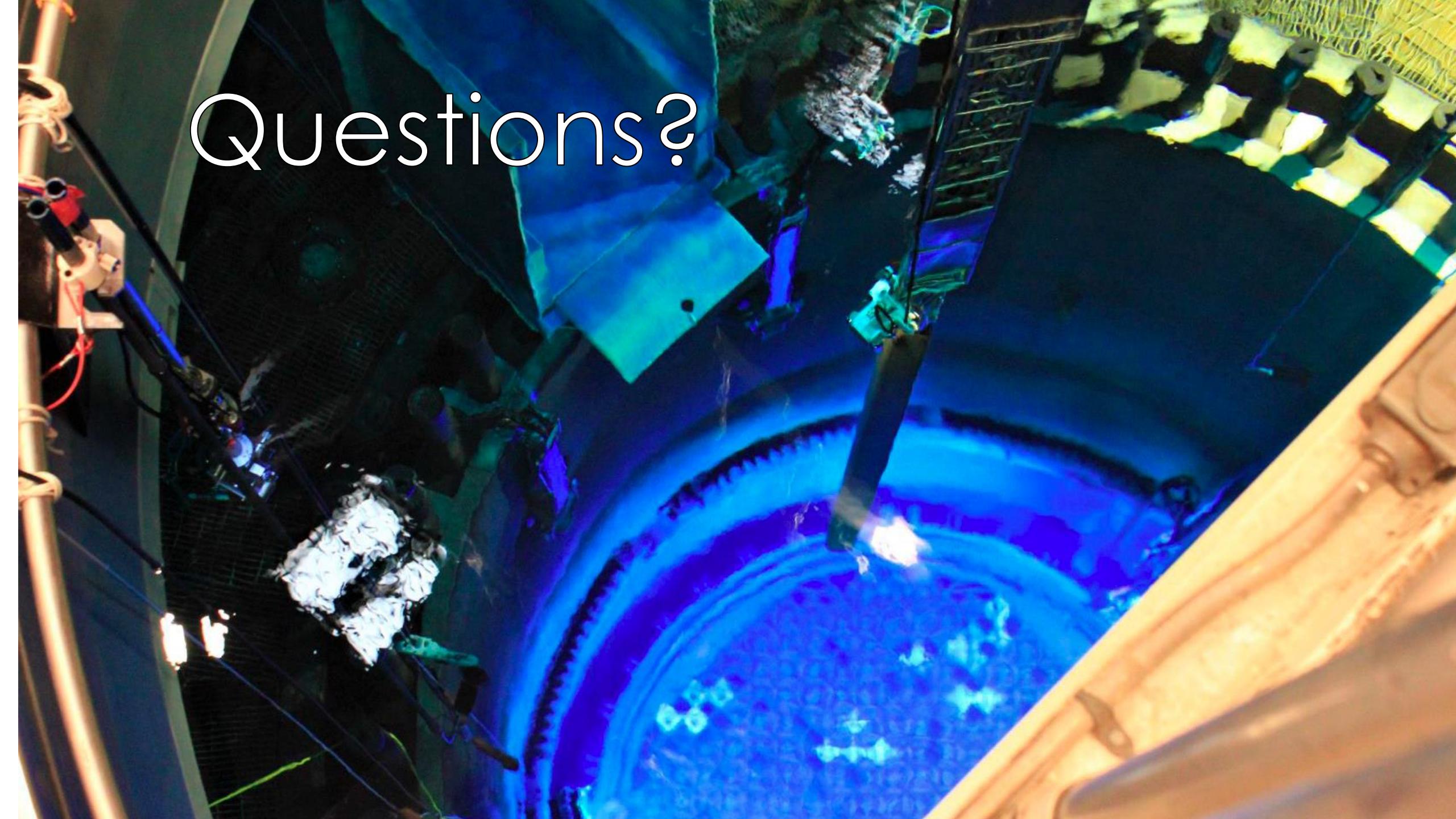
Packan & Farrell, NT-Fusion, 1983

Remedies for void swelling?

Remedies for void swelling?

- Decrease $D_v C_v - D_i C_i$ arriving at cavity;
- Eliminate He gas production
(expensive or impractical)
- Reduce C_v, C_i :
 - increase recombination
 - add precipitates or dispersoids (TiC/TiO_2) to act as recombination sink, trap He and stabilize dislocations
 - increase other sink strengths
 - add dislocations (cold-work); generally only effective for low to moderate doses
 - introduce nanoscale grain boundaries





Questions?