Redes neuronales adversarias en seguridad informática

SAI

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Seminario Seguridad en redes neuronales, April 2024

Sample frame title

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There Is No Largest Prime Number

The proof uses *reductio ad absurdum*.

Theorem

There is no largest prime number.

Proof.

1. Suppose p were the largest prime number.

4. Thus $q + 1$ is also prime and greater than p. □

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Example

Texto de ejemplo

$$\mathcal{L}_D^{GAN} =$$