

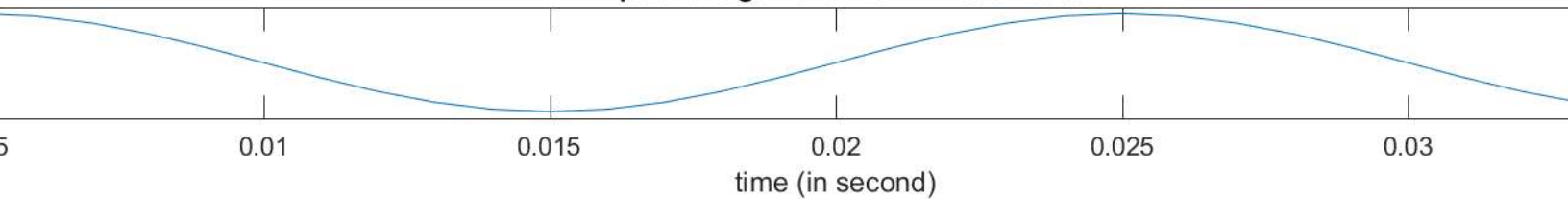
```
clc;
clear all;
close all;
R=1000;
L=3.18;
C = 3.18*10^-6;
b = inv(2*pi*C);
f=50;
Vin=220*sqrt(2)+0i;
c =2*pi*f*L;
%Phase angle of Input voltage has been taken as reference
%rms value of input voltage is 220 V
Z=R+ c*1i -b*1i;
ZLC = c*1i - b*1i;
vr = R/Z*Vin;
vlc = ZLC/Z*Vin;
vl = c*1i/ZLC*vlc;
vc = -b*1i/ZLC*vlc;

%Finding value of total impedance from the value of R and L
%Z=R+jX
I=Vin/Z;
%Finding series current, I
amplitude_I=sqrt(2)*abs(I);
angle_I=angle(I);
%Finding magnitude and angle of I
%Converting rms to peak value
amplitude_Vr=sqrt(2)*abs(vr);
angle_Vr=angle(vr);
amplitude_Vl=sqrt(2)*abs(vl);
angle_Vl=angle(vl);
amplitude_Vc=sqrt(2)*abs(vc);
angle_Vc=angle(vc);
amplitude_V=sqrt(2)*abs(Vin);
angle_V=angle(Vin);
%Finding magnitude and angle of Vin
t=0:1/(20*f):2/f;
%time array for plotting first two cycles of Vin and I
V_in=amplitude_V*sin(2*pi*f*t+angle_V);
I_t=amplitude_I*sin(2*pi*f*t+angle_I);
V_r=amplitude_Vr*sin(2*pi*f*t+angle_Vr);
V_l=amplitude_Vl*sin(2*pi*f*t+angle_Vl);
V_c=amplitude_Vc*sin(2*pi*f*t+angle_Vc);
%Finding Instantaneous value of input Vin and I
subplot(5,1,1), plot(t,V_in);
title('Input voltage vs. time in RLC circuit')
xlabel('time (in second)'),ylabel('Voltage (in Volt)');
subplot(5,1,2), plot(t,I_t);
title('Series current vs. time in RLC circuit')
```

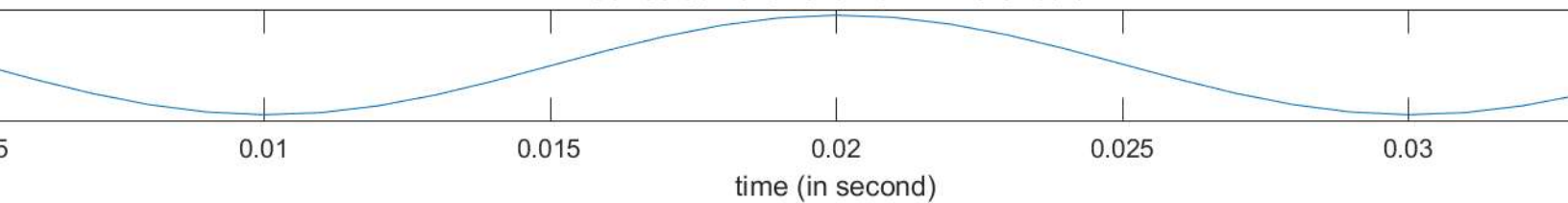
---

```
xlabel('time (in second)'),ylabel('Series current (in Ampere)');
subplot(5,1,3), plot(t,V_r);
title('Voltage_R vs. time in RLC circuit')
xlabel('time (in second)'),ylabel('Voltage (in Volt)');
subplot(5,1,4), plot(t,V_l);
title('voltage_L vs. time in RLC circuit')
xlabel('time (in second)'),ylabel('Voltage (in Volt)');
subplot(5,1,5), plot(t,V_c);
title('voltage_C vs. time in RLC circuit')
xlabel('time (in second)'),ylabel('Voltage (in Volt)');
```

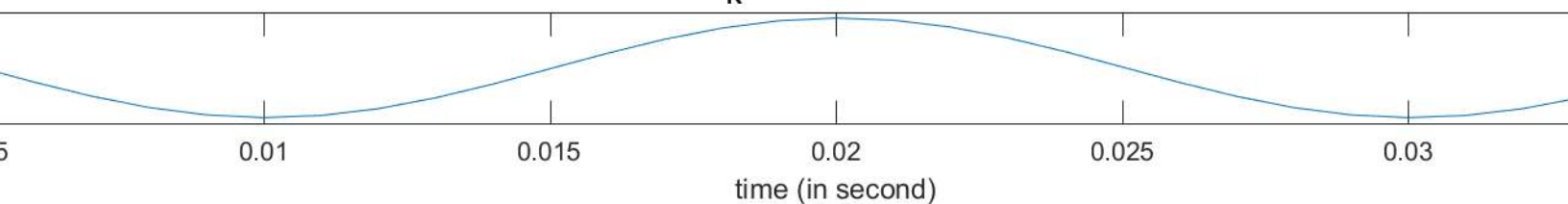
**Input voltage vs. time in RLC circuit**



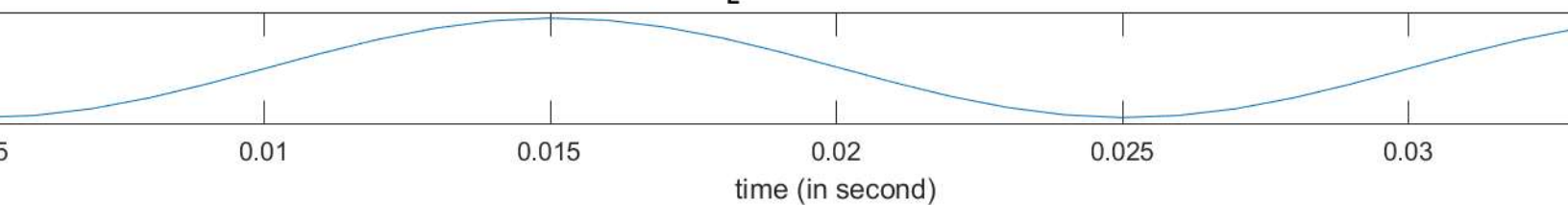
**Series current vs. time in RLC circuit**



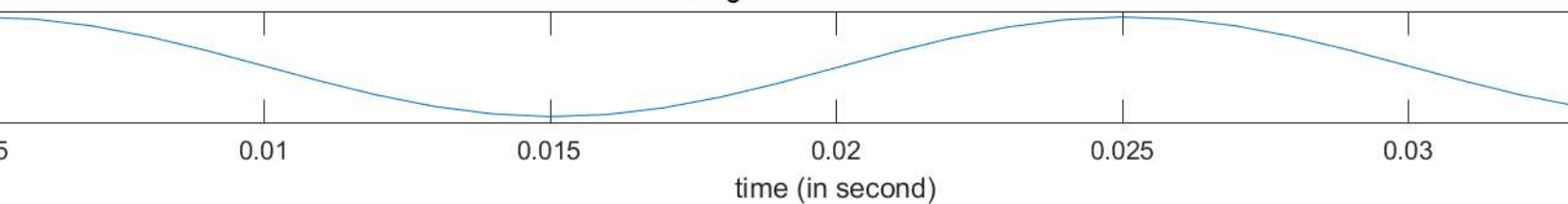
**Voltage<sub>R</sub> vs. time in RLC circuit**



**voltage<sub>L</sub> vs. time in RLC circuit**



**voltage<sub>C</sub> vs. time in RLC circuit**



%2. matrix operations, loop etc.problem 2:

close all; clear all; clc;

a = [1 -2 3; 3 0 4; -8 9 -11];

```
for i = 1:size(a,1)
    for j = 1:size(a,2)
        if a(i,j) < 0
            a(i,j) = 0;
        else
            a(i,j) = 1;
        end
    end
end
a
```

a =

1	0	1
1	1	1
0	1	0

```
%matrix. problem-3:
close all; clear all; clc;
q_mat = [15 20 10 12];
min = q_mat(1,1); s = min;
for j = 2:size(q_mat,2)
    s = s+ q_mat(1,j);
    if q_mat(1,j) < min
        min = q_mat(1,j);
    end
end
average = (s - min)/3
```

average =

15.6667

$f_x$  >>

```

close all; clear all; clc;
a = [1 -2 3; 3 0 4; -8 9 -11]
diag_sum(a)
b = [1 -2 3; 3 0 4; -8 9 11]
diag_sum(b)
c = [2 -2 3; 3 0 4; -8 9 7]
diag_sum(c)

```

```

1  function [] = diag_sum( a )
2  -     sm = 'sum of the diagonal elements is smaller.';
3  -     l = 'sum of the diagonal elements is larger.';
4  -     same = 'sum of the diagonal elements is same.';
5  -     s = 0; b = 0;
6  -     for i = 1:size(a,1)
7  -         for j = 1:size(a,2)
8  -             if i == j
9  -                 s = s + a(i,j);
10 -             else
11 -                 b = b + a(i,j);
12 -             end
13 -         end
14 -     end
15 -     if s > b
16 -         disp(l)
17 -     else if s < b
18 -         disp(sm)
19 -     else disp(same)
20 -     end
21 - end
22 - end

```

Command Window

a =

1	-2	3
3	0	4
-8	9	-11

sum of the diagonal elements is smaller.

b =

1	-2	3
3	0	4
-8	9	11

sum of the diagonal elements is larger.

c =

2	-2	3
3	0	4
-8	9	7

sum of the diagonal elements is same.

 >>

```
%assignment 8_fibonacci
```

```
n = input('Enter number of term for displaying fibonacci: ');
```

```
fib(1) = 0; fib(2) = 1;
```

```
for i = 3:n+1
```

```
    fib(i) = fib(i-1) + fib(i-2);
```

```
end
```

```
disp(fib(2:length(fib)));
```

Enter number of term for displaying fibonacci: 5

1 1 2 3 5

>> matrix\_problem\_5

Enter number of term for displaying fibonacci: 8

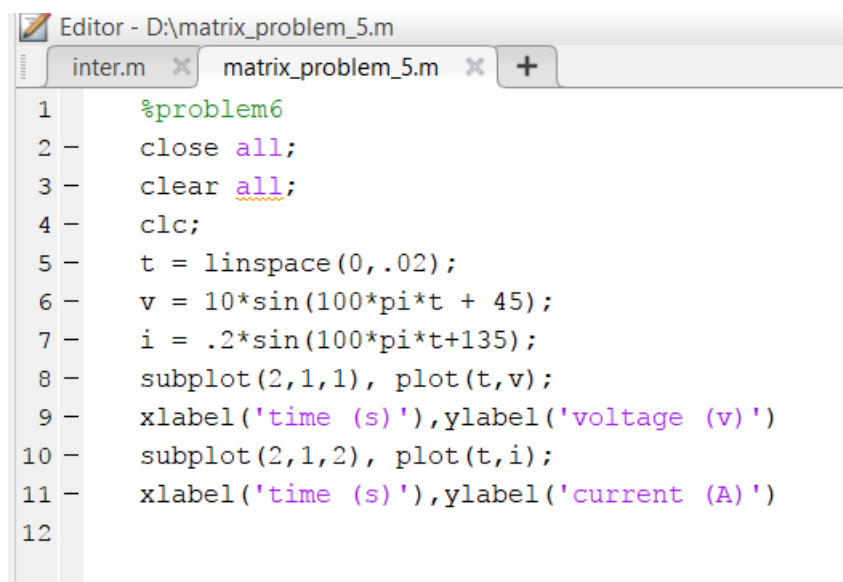
Columns 1 through 5

1 1 2 3 5

Columns 6 through 8

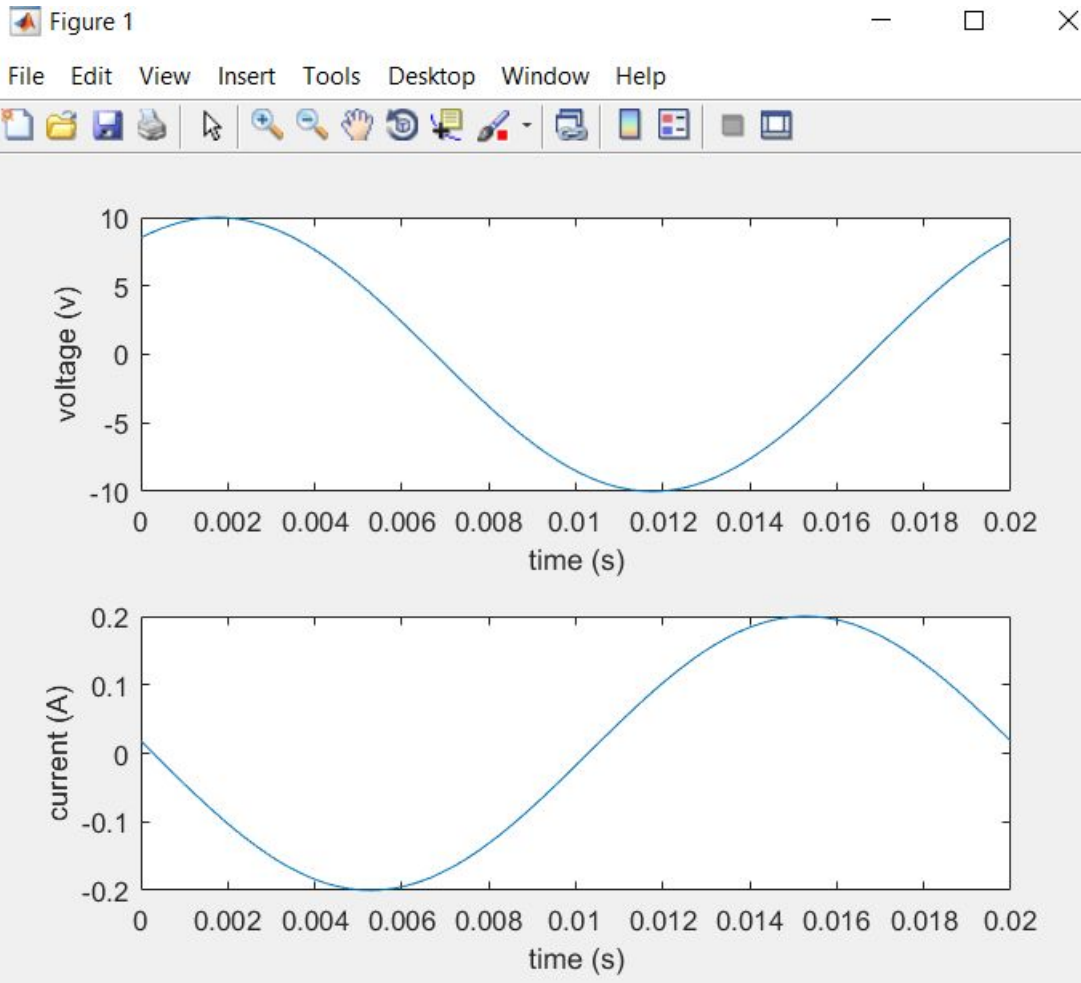
8 13 21





The image shows a MATLAB Editor window with the title bar "Editor - D:\matrix\_problem\_5.m". There are two tabs: "inter.m" and "matrix\_problem\_5.m". The "matrix\_problem\_5.m" tab is active, displaying a script with 12 lines of code. The code defines time  $t$  from 0 to 0.02 seconds, calculates voltage  $v$  and current  $i$  as sinusoidal functions, and plots them in two subplots. The first subplot shows voltage  $v$  versus time  $t$ , and the second subplot shows current  $i$  versus time  $t$ .

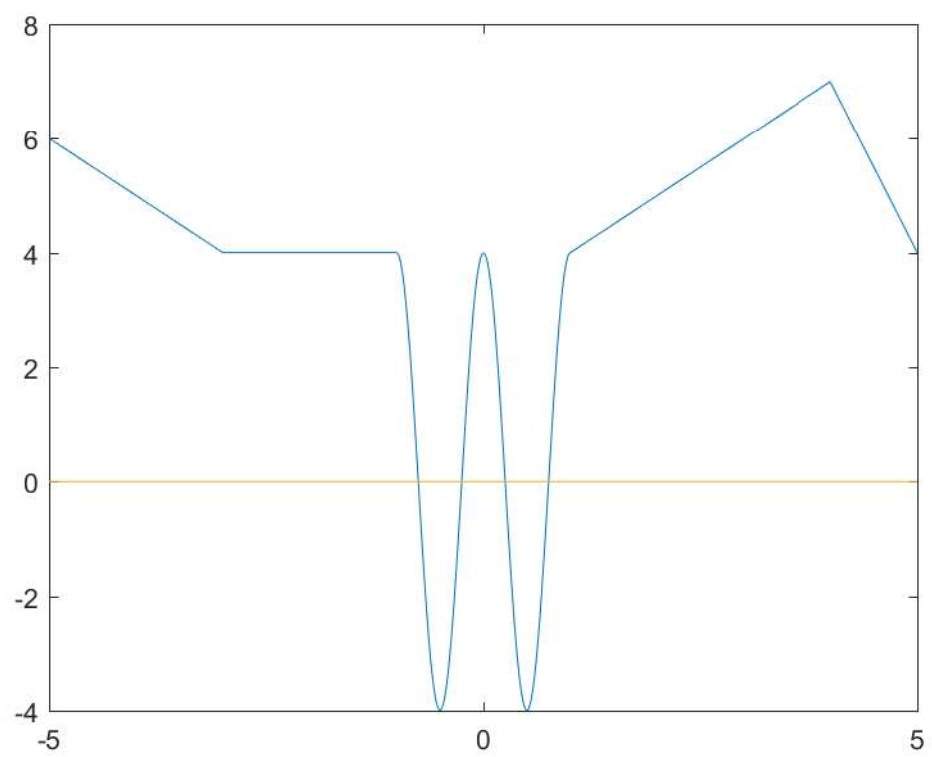
```
1 %problem6
2 close all;
3 clear all;
4 clc;
5 t = linspace(0,.02);
6 v = 10*sin(100*pi*t + 45);
7 i = .2*sin(100*pi*t+135);
8 subplot(2,1,1), plot(t,v);
9 xlabel('time (s)'),ylabel('voltage (v)')
10 subplot(2,1,2), plot(t,i);
11 xlabel('time (s)'),ylabel('current (A)')
12
```



```
Editor - D:\matrix_problem_6.m
inter.m x matrix_problem_6.m x +
1 %problem7
2 close all;
3 clear all;
4 clc; s = 0;
5 A = [1 4 3 15 6];
6 for j = 1:size(A,2)
7     if A(1,j) > s
8         s = A(1,j);
9     end
10 end
11
12 for j = 1:size(A,2)
13     if A(1,j) == s
14         disp(j)
15     end
16 end
17
```

```
Command Window
4
fx >>
```

```
close all; clc; clear all;
t=linspace(-5,5,500);
x = zeros(length(t));
for i = 1:length(t)
    if t(i) >= -5 && t(i) <= -3
        x(i) = -t(i)+1;
    elseif t(i) >= -3 && t(i) <= -1
        x(i) = 4;
    elseif t(i) >= -1 && t(i) <= 1
        x(i) = 4*cos(2*pi*t(i));
    elseif t(i) >= 1 && t(i) <= 4
        x(i) = t(i) +3;
    elseif t(i) >= 4 && t(i) <= 5
        x(i) = -3*t(i) + 19;
    end
end
plot(t,x);
```



```
close all; clear all; clc;
Vd=[.1 .2 .3 .4 .5 .6 .7 .8 .9 1.0];
ld=[0.6*10^(-9) 4.2*10^(-9) 29*10^(-9) 176*10^(-9) 10^(-6) 7.3*10^(-6) ✓
40*10^(-6) 252*10^(-6) 2.3*10^(-3) 26*10^(-3) ];
A=[length(Vd) sum(Vd);sum(Vd) sum(Vd.^2)];
B=[sum(log(ld)); sum(Vd.*(log(ld)))];
a=A\B;
z=a(1)+a(2).*Vd;
format long
ls=exp(a(1))
n=1/(a(2)*0.025875)
plot(Vd,z, '-',Vd,log(ld), '+')
```

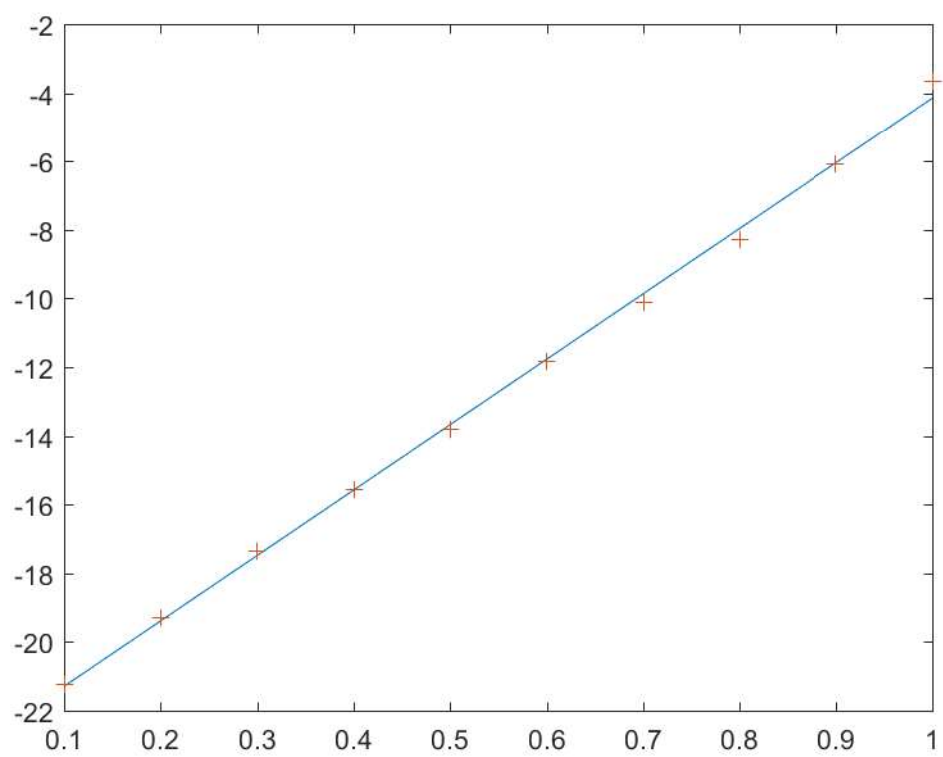
ls =

4.014601507781490e-05

n =

15.135055412689789

>>





```
close all; clear all; clc;
Vr = [1 2 3 4 5 6 7 8 9 10];
Pr = [.1 .38 .92 1.58 2.53 3.71 4.83 6.36 8.09 10.1];
n = length(Vr);
format long;
A = [n sum(log(Vr));sum(log(Vr)) sum((log(Vr)).^2)];
X = [];
Y = [sum(log(Pr)) sum(log(Pr).*log(Vr))];
X = Y/A;
a0 = X(1,1); a1 = X(1,2);
R = exp(-a0)
n = a1
yid = (Vr).^n./R;
plot(Vr,Pr,'o');
hold on;
plot(Vr,yid)
```

```
close all; clear all; clc;
```

```
%task 2
```

```
Vr = [1 2 3 4 5 6 7 8 9 10];
```

```
Pr = [.1 .38 .92 1.58 2.53 3.71 4.83 6.36 8.09 10.1];
```

```
n = length(Vr);
```

```
A = [n sum(Vr) sum(Vr.^2);sum(Vr) sum(Vr.^2) sum(Vr.^3);sum(Vr.^2) sum(Vr.^3) sum(Vr.^4)];
```

```
X = [];
```

```
Y = [sum(Pr); sum(Pr.*Vr); sum(Pr.*(Vr.^2))];
```

```
X = Y\A;
```

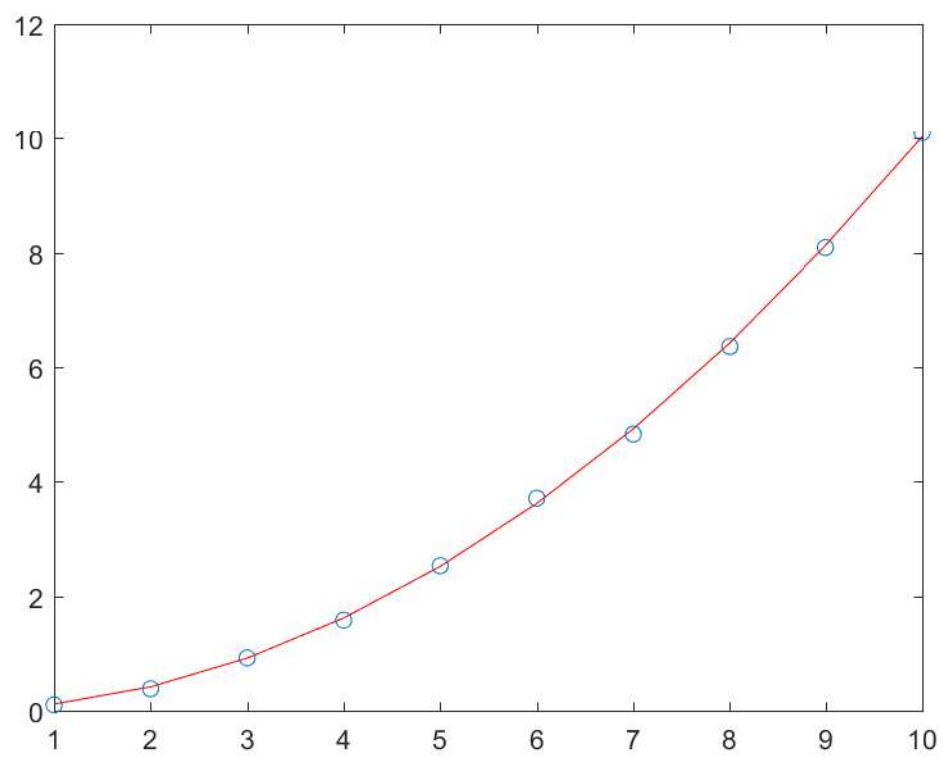
```
a0 = X(1)
```

```
a1 = X(2)
```

```
a2 = X(3)
```

```
yid = a0+a1.^Vr+a2.*(Vr.^2);
```

```
plot(Vr,yid./100,'r',Vr,Pr,'o');
```



a0 =

0.151958766215834

a1 =

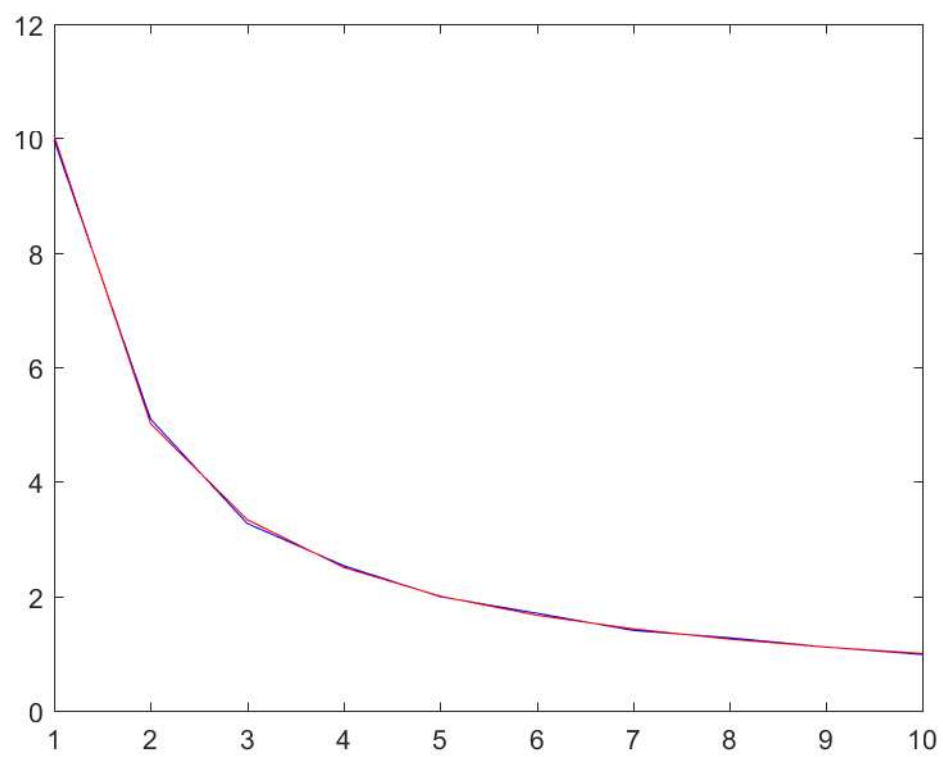
1.191639549119859

a2 =

9.969768712606626

>>

```
close all; clear all; clc;  
r = [1 2 3 4 5 6 7 8 9 10];  
i = [9.97 5.09 3.27 2.53 1.99 1.7 1.4 1.27 1.11 .98];  
l = log(i); R = log(r);  
A = [length(r) sum(R); sum(R) sum(R.^2)];  
Y = [sum(l); sum(l.*R)];  
x = A\Y;  
Vs = exp(x(1))  
n = -x(2)  
plot(r,i,'b');  
hold on;  
yi = Vs./(R.^n);  
yi = x(1)+x(2).*R;  
plot(r,exp(yi),'r');
```



$V_s =$

10.0438002080931

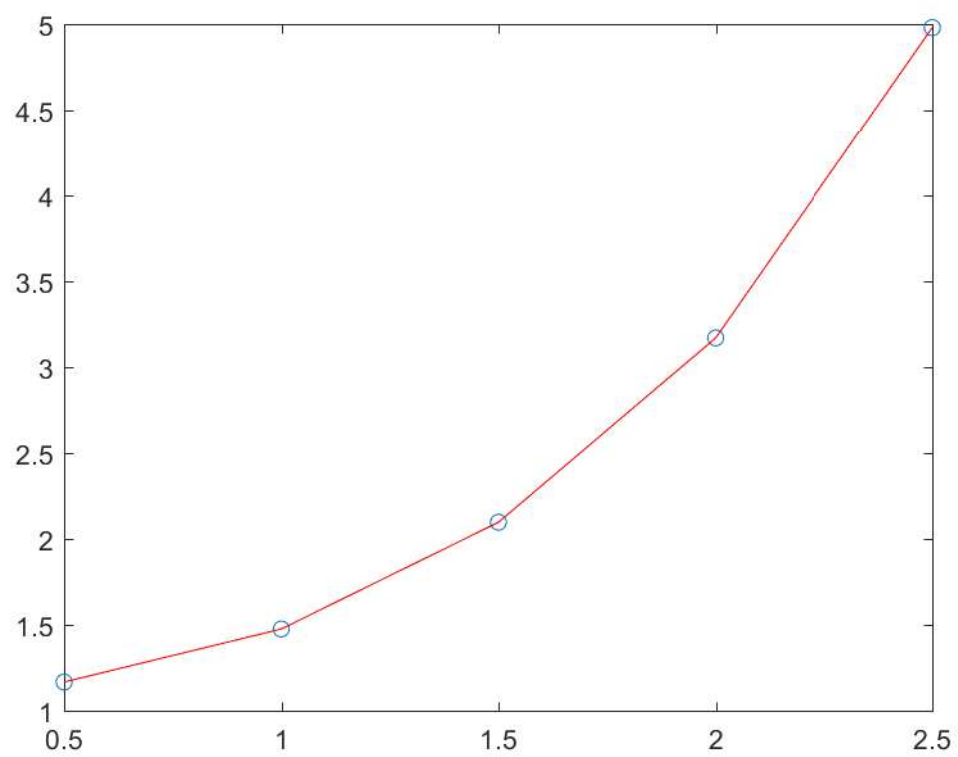
$n =$

1.00310279422768

>>

```
close all; clear all; clc;
r = [.5 1 1.5 2 2.5];
i = [1.166 1.475 2.0967 3.17 4.98 ];
l = log(i); R = log(r);
A = [length(r) sum(R) sum(R.^2) sum(R.^3) sum(R.^4);sum(R) sum(R.^2) sum(R.^3) sum(R.^4) sum(R.^5);sum(R.^2) sum(R.^3) sum(R.^4) sum(R.^5) sum(R.^6);sum(R.^3) sum(R.^4) sum(R.^5) sum(R.^6) sum(R.^7);sum(R.^4) sum(R.^5) sum(R.^6) sum(R.^7) sum(R.^8)];
Y = [sum(l);sum(l.*R);sum(l.*(R.^2)); sum(l.*(R.^3));sum(l.*(R.^4))];
x = A\Y;
yi = x(1)+x(2).*R +x(3).*(R.^2)+x(4).*(R.^3)+x(5).*(R.^4);
plot(r,i,'o');
hold on;
plot(r,exp(yi),'r');
```





%interpolation. problem1 & 2

close all; clear all; clc;

x = [1 2 4 6];

y = [1 8 64 216];

xn = x(1):0.1:x(end);

yn = linear\_interp(x,y,xn);

ynp=polynomial\_interp(x,y,xn);

subplot(2,1,1)

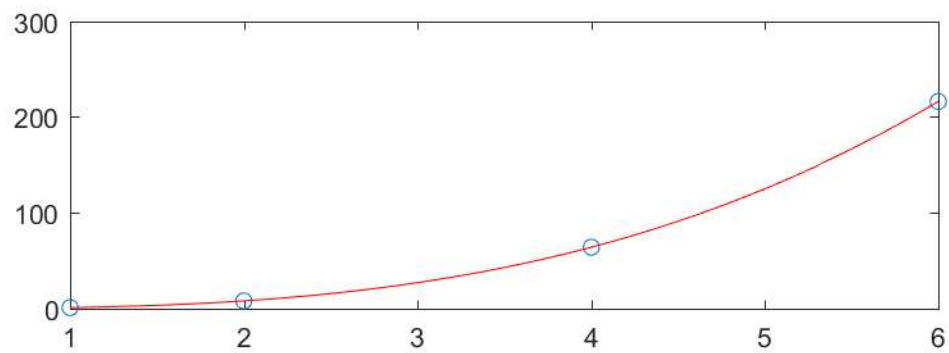
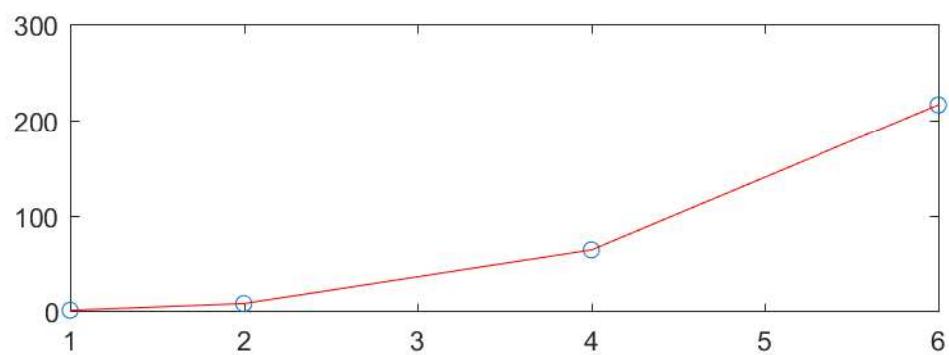
plot(x,y,'o',xn,yn,'r');

subplot(2,1,2)

plot(x,y,'o',xn,ynp,'r');

```
function [ yn ] = linear_interp( x,y,xn )
n = length(x); N = length(xn);
m = 1;
for i = 1:N
    for j = 1:n-1
        if xn(i) > x(j) && xn(i) < x(j+1)
            m=j;
        end
    end
    yn(i)=((xn(i)-x(m+1))*y(m)/(x(m)-x(m+1)))-((xn(i)-x(m))*y(m+1)/(x(m)-x(m+1)));
end
end
```

```
function [ yn ] = polynomial_interp(x,y,xn)
n=length(x);
N=length(xn);
for i=1:N
    p = 0;
    for j = 1:n
        s = 1;
        for k = 1:n
            if j~=k
                s=s*(xn(i)-x(k))/(x(j)-x(k));
            end
        end
        p=p+s*y(j);
    end
    yn(i) = p;
end
```



%Interpolation,Problem 3

close all; clear all; clc;

n=input('Number of data points:');

for i=1:n

    x(i)=input('x value:');

    y(i)=input('y value:');

end

interp\_mode=input('Press 1 for linear and 2 for polynomial:');

xn=x(1):0.1:x(end);

if interp\_mode == 1

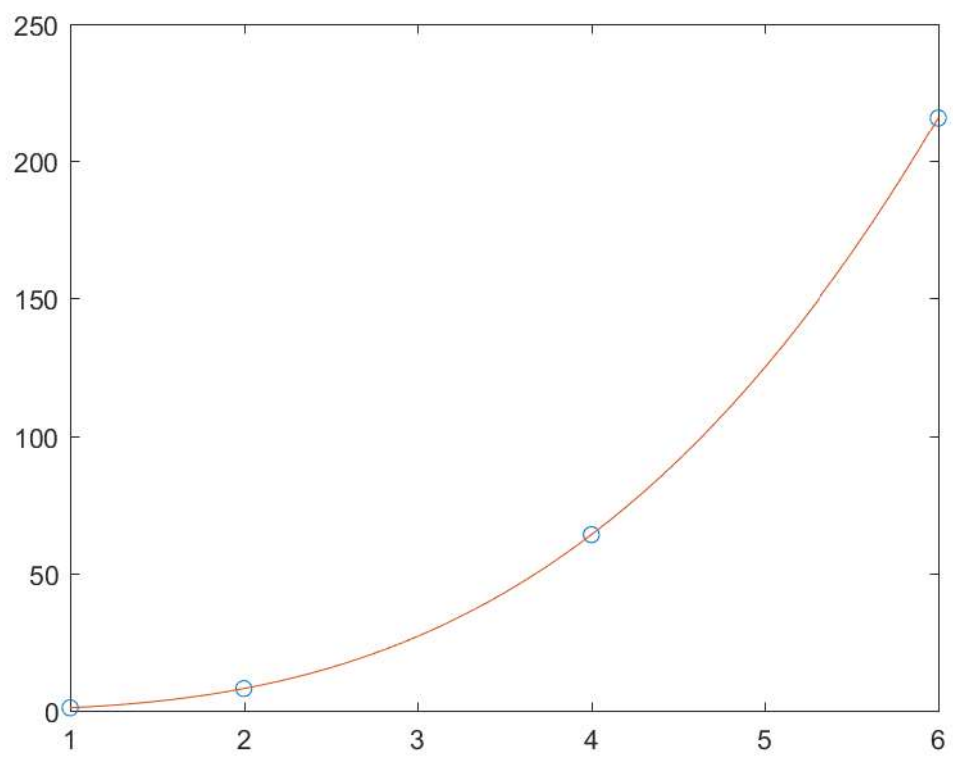
    yn = linear\_interp( x,y,xn );

else

    yn = polynomial\_interp(x,y,xn);

end

plot(x,y,'o',xn,yn);



Number of data points:4

x value:1

y value:1

x value:2

y value:8

x value:4

y value:64

x value:6

y value:216

Press 1 for linear and 2 for polynomial:2

>>



%RootFinding. problem 1

close all;clear all;clc;

f=inline('cos(x)');

xup=input('upper value= ');

xlow=input('lower value= ');

tol=input('tolerance= ');

root=root\_find(f,xup,xlow,tol)

```
function [ r ] = root_find( f,x,y,xt )
for i=1:1000
    if y+.1<x
        xu(i) = y+.1;
        xl(i) = y;
        y=y+.1;
    else
        xu(i) = x;
        xl(i) = y;
        break
    end
end
p=1;
for i = 1:length(xu)
    if f(xu(i))*f(xl(i)) <= 0
        while abs(xu(i)-xl(i)) > xt
            xm = (xu(i) + xl(i))/2;
            if f(xl(i))*f(xm)>0
                xl(i) = xm;
            else
                xu(i) = xm;
            end
        end
        r(p) = xm;
        p=p+1;
    end
end
end
```



```
upper value=10  
lower value=-10  
tolerance=.0001
```

```
root =
```

```
Columns 1 through 2
```

```
-7.854003906250007 -4.712402343750020
```

```
Columns 3 through 4
```

```
-1.570800781250019 1.570800781249981
```

```
Columns 5 through 6
```

```
4.712402343749982 7.854003906249970
```

```
>>
```

%RootFinding. problem 1

close all;clear all;clc;

f=inline('1-exp(x)+(sin(x))^2');

xup=input('upper value= ');

xlow=input('lower value= ');

tol=input('tolerance= ');

root=roots\_bisec(f,xup,xlow,tol)

```
function [ r ] = roots_bisec( f,x,y,xt )
for i=1:1000
    if y+.1<x
        xu(i)=y+.1;
        x1(i)=y;
        y=y+.1;
    else
        xu(i)=x;
        x1(i)=y;
        break
    end
end
p=0;
for i=1:length(xu)
    xm=xu(i)-((xu(i)-x1(i))/(f(xu(i))-f(x1(i))))*f(xu(i));
    if f(xu(i))*f(x1(i))<0
        p=p+1;
        while (abs(f(xm))>xt)
            xm=xu(i)-((xu(i)-x1(i))/(f(xu(i))-f(x1(i))))*f(xu(i));
            if f(x1(i))*f(xm)>0
                x1(i)=xm;
            else
                xu(i)=xm;
            end
        end
        r(p)=xm;
        p=p+1;
    end
end
end
```



```
upper value=10  
lower value=-10  
tolerance=.0001
```

```
root =
```

```
9.020562075079397e-16
```

```
>>
```



%differentiation/intregation.. local and global maxima\_minima

%problem 1 & 2

close all; clear all; clc;

f=inline('5\*cos(10.\*x)+x.^3-2.\*x.^2-6.\*x+10');

h = .001;l = 0:h:4;

for i=1:length(l)-1

    y(i)=(f(l(i)+h)-f(l(i)))./h;

end

maxmin = f(l(find(abs(y)<.11)))

format long g

global\_maxima = max(maxmin)

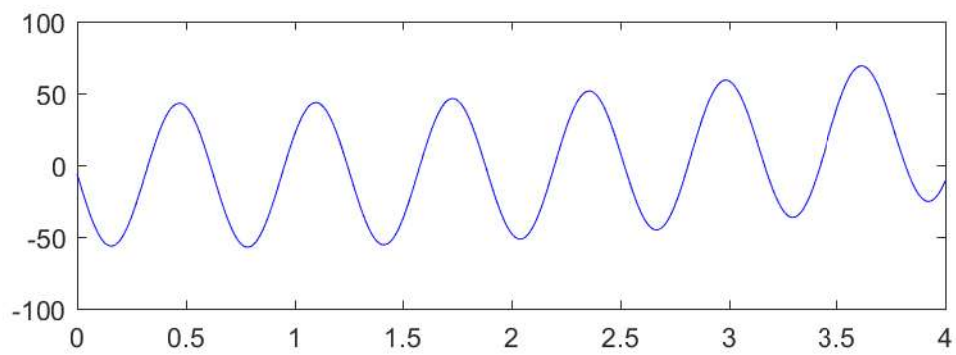
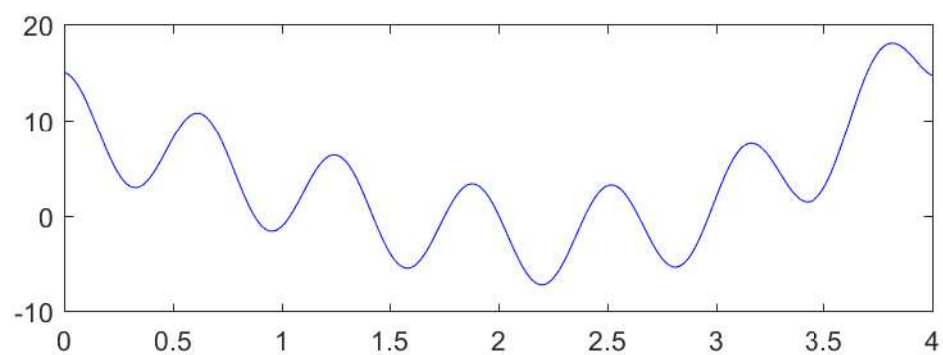
global\_minima = min(maxmin)

subplot(2,1,1)

plot(l,f(l),'b');

subplot(2,1,2)

plot(l(1:length(l)-1),y,'b')



maxmin =

Column 1

10.7422586783169

Column 2

-1.64450629624634

Column 3

-5.50732604436644

Column 4

-7.2317121029383

Column 5

-5.39321667773724

Column 6

7.5436849673891

Column 7

18.0266197388984

```
global_maxima =
```

```
18.0266197388984
```

```
global_minima =
```

```
-7.2317121029383
```

```
>>
```

%problem 4. rc circuit problem.. differentiation

close all; clear all; clc;

f=inline('10\*sin(100\*pi\*t)');

h = .001;

t = 0:h:.04;

for i=1:length(t)-1

    y(i)=(f(t(i)+h)-f(t(i)))./h;

end

figure

subplot(3,1,1)

plot(t,f(t)),ylabel('Vc(t)')

title('Vc vs t')

subplot(3,1,2)

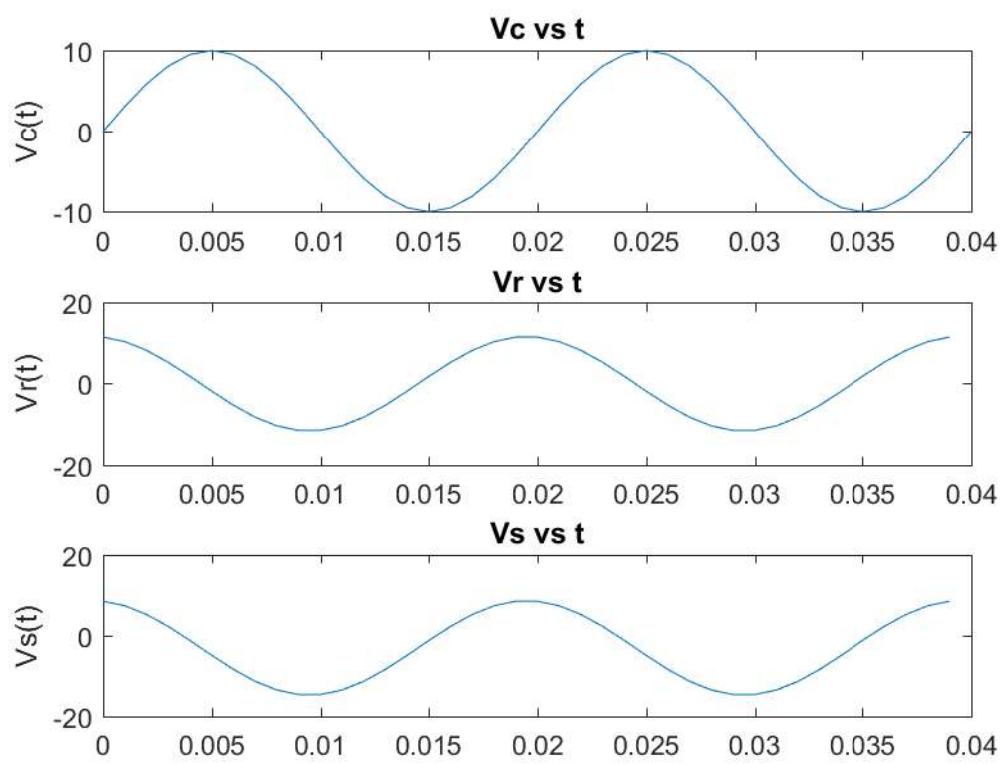
plot(t(1:length(t)-1),y.\*0.003736),ylabel('Vr(t)')

title('Vr vs t')

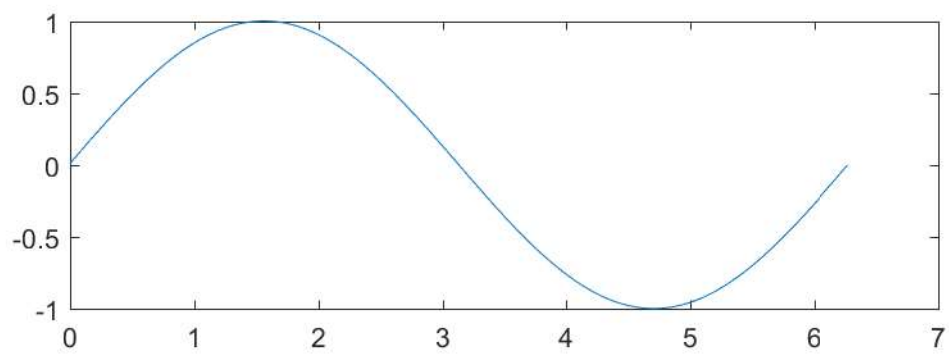
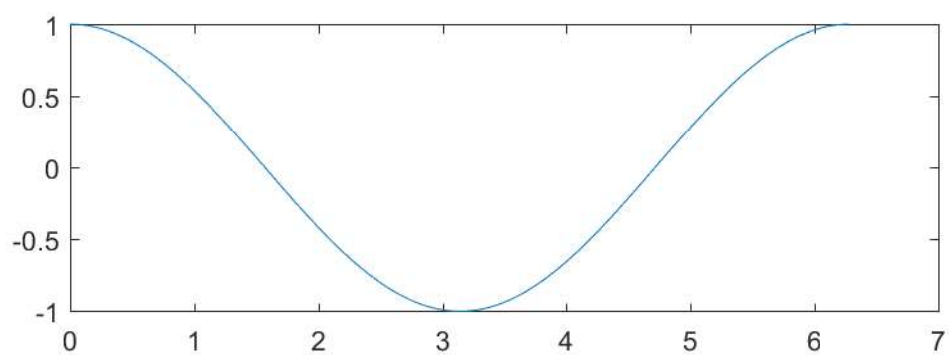
subplot(3,1,3)

plot(t(1:length(t)-1),(y.\*0.003736+f(t(length(t)-1)))),ylabel('Vs(t)')

title('Vs vs t')



```
clc; clear all; close all;
h=0.01;%step size
x=0:h:2*pi;
f=@(x) cos(x);
y=f(x);
int_y=0; %initialization
for i=1:length(x)-1
    int_y=int_y+ (y(i)+y(i+1))/2*h;
in(i) = int_y;
end
subplot(2,1,1)
plot(x,f(x))
subplot(2,1,2)
plot(x(1:length(x)-1),in)
```





```
clc; clear all; close all;  
f = inline('(24-5*.25*v)/0.25','t','vc','v');  
h = .01;  
t = 0:h:2; v(1) = 0.01;  
for i=1:length(t)-2  
    v(i+1)=v(i)+f(t(i),v(i))*h;  
end  
plot(t,vc),xlabel('Time'),ylabel('vs');
```

