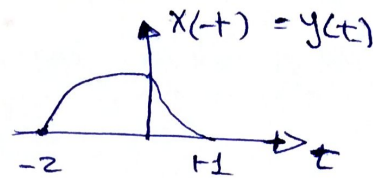
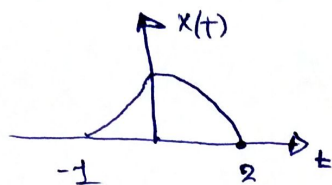
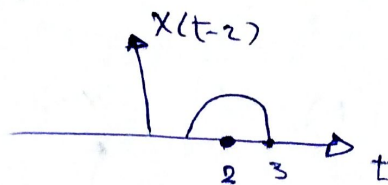
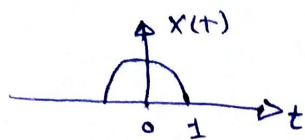


I Transformation of indep var

→ shift ✓

→ scaling

→ inversion ✓



exp 1

$$X = [0 \ 0 \ 0 \ 2 \ 0 \ 1 \ -1 \ 3 \ 0 \ 0 \ 0]$$

$$n_x = [-3 \ -2 \ -1 \ 0 \ 1 \ 2 \ 3 \ 4 \ 5 \ 6 \ 7]$$

$$n_x = [-3:7]$$

$$\text{stem}(n_x, X)$$

$$Y = X[n-2]$$

$$\rightarrow \text{stem}(n_x+2, X)$$

$$Y[n] = X[-n+1]$$

2 operations

Shift + inversion

$$Z[n] = X[n+1]$$



$$n_{\text{newaxis}} = n_x - 1$$

↓ inversion

$$n \rightarrow -n$$

$$Y[n] = X[-n+1]$$

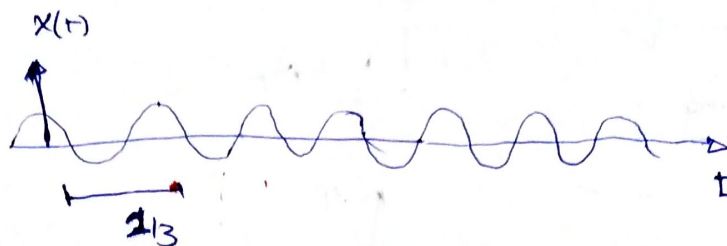


$$K_{\text{newaxis}} = -m$$

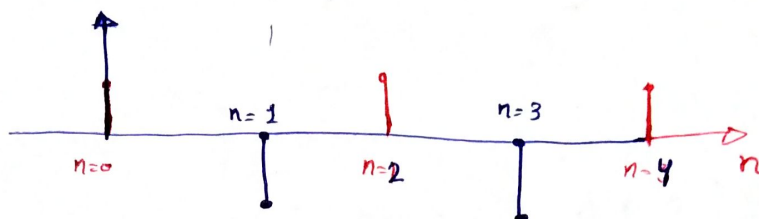
2] Periodicity of discrete time signals

$$X(t) = \cos(3\pi t)$$

$$T = \frac{2\pi}{\omega} = \frac{2}{3}$$



$$X[n] = \cos(3\pi n)$$



Cond of Periodicity

$$\frac{\omega}{2\pi} = \frac{m}{N} \rightarrow \text{must be integer}$$

$$\frac{3\pi}{2\pi} = \frac{3}{2} \rightarrow \begin{array}{l} \text{3} \rightarrow \# \text{ of periods in continuous domain} \\ \text{2} \rightarrow \# \text{ of samples in discrete period} \end{array}$$

$$N = 2$$

For periodic signal \rightarrow Energy = infinite ~~~~~~~~~
Power = Finite = power of one period

For Aperiodic signal \rightarrow Energy = Finite

$$\text{Power} = 0$$