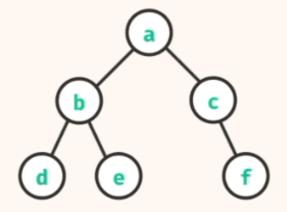
## **Breadth firsts values:**

travellling across the tree



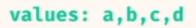


breadth-first-values: a,b,c,d,e,f
depth-first-values: a,b,d,e,c,f



## for bredth first we use a **Queue**









Time complexity and space complexity-> O(n) (assuming adding and removing item is constant time)

1. iterative code (in JS):

```
const breadthFirstValues = (root) ⇒ {
 if (root == null) return [];
 const values = [];
 const queue = [ root ];
 while (queue.length > 0) {
    const current = queue.shift();
    values.push(current.val);
    if (current.left == null) queue.push(current.left);
    if (current.right == null) queue.push(current.right);
 return values;
```

->no recursive solution because breadth first needs a queue and **recursion uses a stack** 

### Tree includes:

### finding the target value in the given bianry tree

1. Breadth first approach=> breadth first search:

- -> time complexity -> O(n)
- -> Space complexity -> O(n)

- 2. Depth first approach => depth first search:
- -> better use recursion



match

target: e

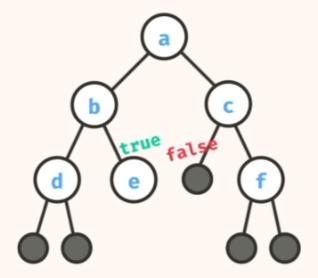


→ true

### null node

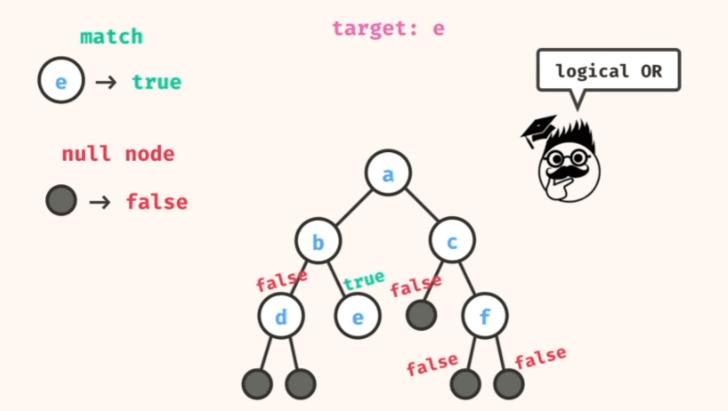


**→** false



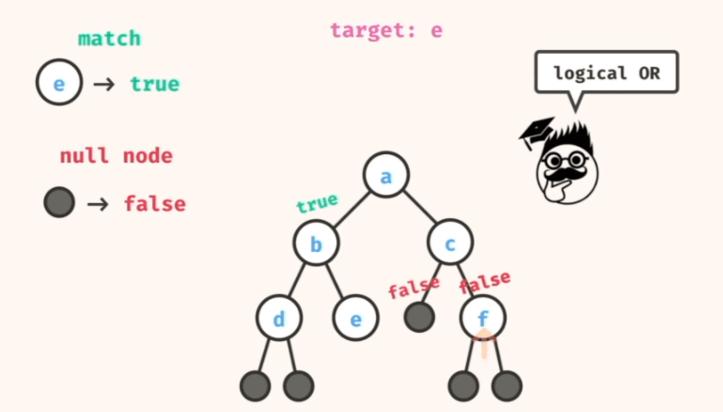






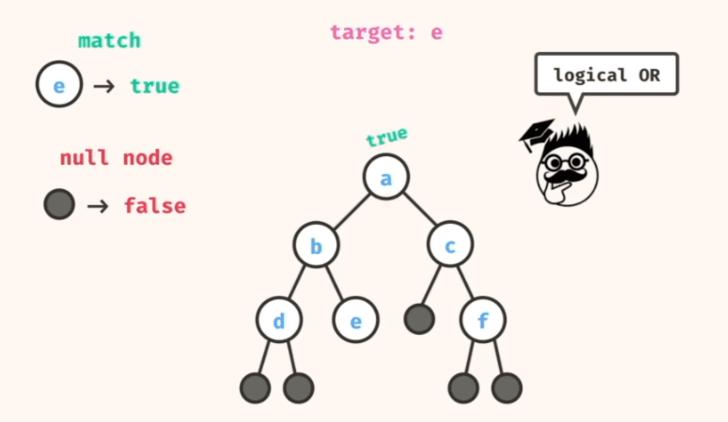














#### 1. Breadth first search

```
const treeIncludes = (root, target) ⇒ {
 if (root == null) return false;
  const queue = [ root ];
 while (queue.length > 0) {
    const current = queue.shift();
   if (current.val == target) {
      return true;
   if (current.left) queue.push(current.left);
   if (current.right) queue.push(current.right);
  return false;
```

2. Depth first search (recursive):

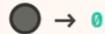
```
const treeIncludes = (root, target) ⇒ {
  if (root == null) return false;
  if (root.val == target) return true;
  return treeIncludes(root.left, target) || treeIncludes(root.right, target);
};
```

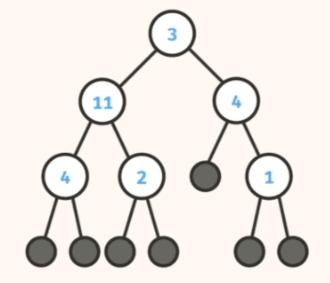
#### Tree sum:

1. Depth first / recursive:



#### null node







- -> time complexity -> O(n)
- -> Space complexity -> O(n)

#### Code:

-> Depth first recursive

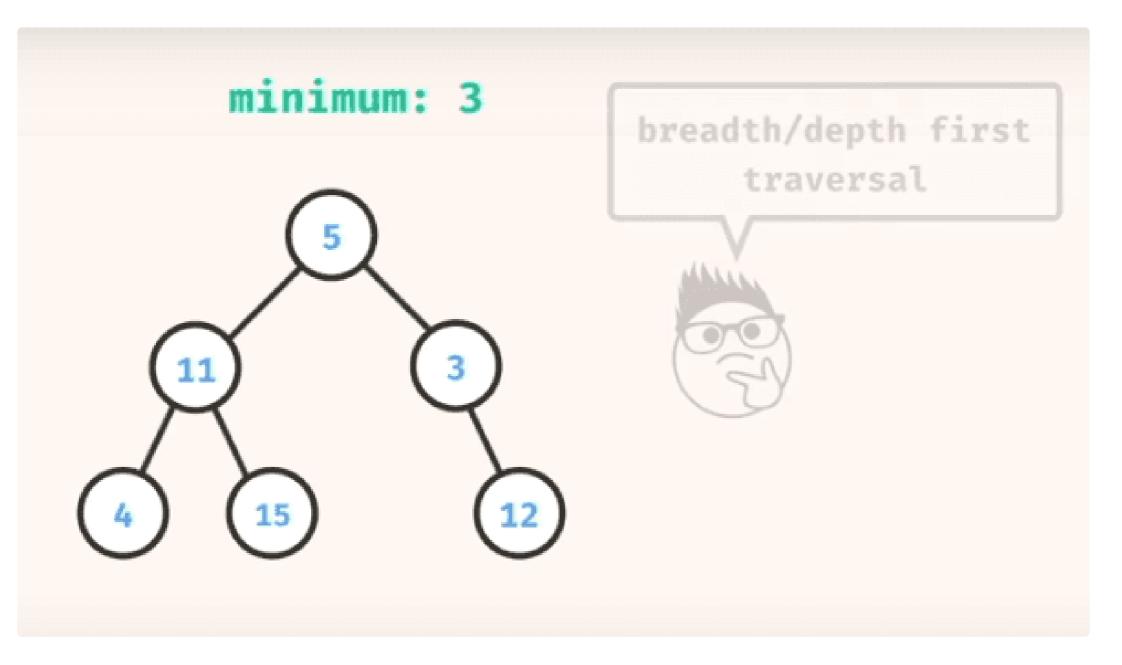
```
const treeSum = (root) ⇒ {
  if (root == null) return 0;
  return root.val + treeSum(root.left) + treeSum(root.right);
};
```

-> Breadth first iterative

```
const treeSum = (root) ⇒ {
 if (root == null) return 0;
  let totalSum = 0;
  const queue = [ root ];
 while (queue.length > 0) {
    const current = queue.shift();
    totalSum += curre ...val;
    if (current.left == null) queue.push(current.left);
    if (current.right == null) queue.push(current.right);
  return totalSum;
```

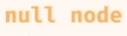
Tree min value:

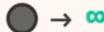
finding the smallest number

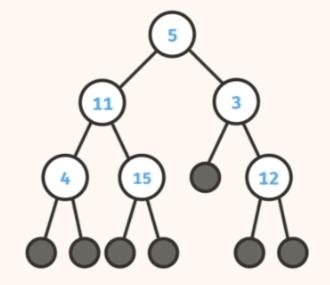


## 1. Recursive approach:











-> time complexity -> O(n)

### Code:

1. iterative depth first:

```
const treeMinValue = (root) ⇒ {
  let smallest = Infinity;
  const stack = [ root ];
  while (stack.length > 0) {
    const current = stack.pop();
    if (current.val < smallest) smallest = current.val;</pre>
    if (current.left == null) stack.push(current.left);
    if (current.right == null) stack.push(current.right);
  return smallest;
```

2. iterative breadth first:

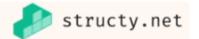
```
const treeMinValue = (root)
  let smallest = Infinity;
  const queue = [ root ];
  while (queue.length, > 0) {
    const current = queue.shift();
    if (current.val < smallest) smallest = current.val;</pre>
    if (current.left ≠ null) queue.push(current.left);
    if (current.right == null) queue.push(current.right);
  return smallest;
```

-> in js (as well as in python) we use lists as stack/queue, for better fast perf. use the colections queue/stack

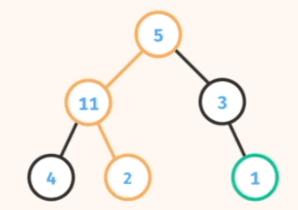
3. recursive:

```
const treeMinValue = (root) ⇒ {
  if (root === null) return Infinity;
  const leftMin = treeMinValue(root.left);
  const rightMin = treeMinValue(root.right);
  return Math.min(root.val, leftMin, rightMin);
};
```

Max root to leaf path sum:



20 18



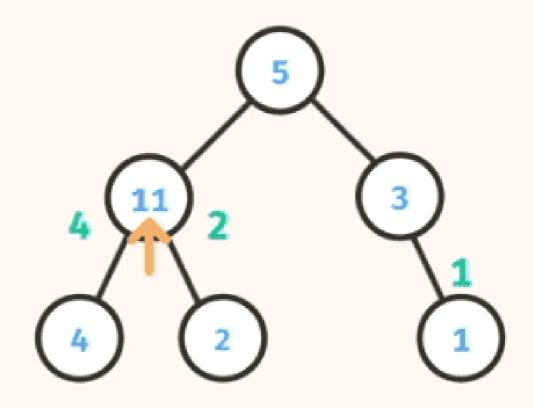


# finding the max of the path-sums problem, path finding

-> for path finding recursive is the best solution

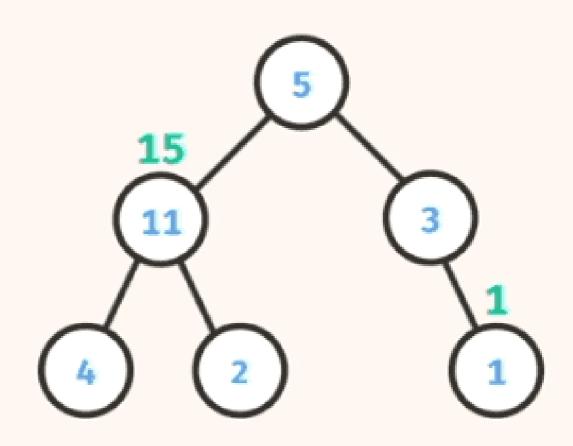
# leaf node





# leaf node



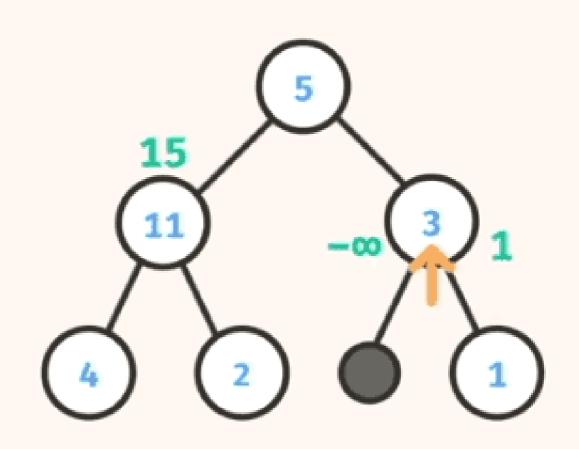


# leaf node



# null node





the game is to take the largest among children

```
-> time comp -> O(n)-> Space comp -> O(n)
```

#### Code:

```
const maxPathSum = (root) ⇒ {
  if (root == null) return -Infinity;
  if (root.left == null & root.right == null) return root.val;
  const maxChildPathSum = Math.max(maxPathSum(root.left), maxPathSum(root.right));
  return root.val + maxChildPathSum;
};
```