## Tutorial – Automated Deduction with Legal Texts

Introduction to a normative logic

Tomer Libal

# Logical reasoning

- Scenario
  - ▶ We have a problem
    - Some facts
    - context
- ▶ We consult the right legislation
- ► How do we reach conclusions?

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- Scenario
  - ▶ We have a problem
    - Some facts
    - context
- ▶ We consult the right legislation
- ► How do we reach conclusions?
- Can a computer do that for us?

# Computer reasoning

- Given a legal text
  - Persons who are doctors and lawyers qualify
  - Andrew is a doctor
- how can a computer decide if Andrew qualifies?

partially based on an example from Allen, Layman E., and C. Rudy Engholm. "Normalized legal drafting and the query method." J. Legal Educ. 29 (1977): 380.

### Some approaches

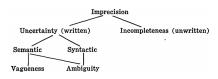
- Machine learning
  - ► Show the computer examples of people who are and are not qualified
- Logic based
  - ▶ Our approach

### Challenges

- ► Text can be ambiguous, imprecise, requires context, spread over different pages/documents
- Example
  - Persons who are doctors and lawyers qualify
  - Option 1: Persons who are lawyers [qualify] and [persons who are] doctors qualify.
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# English as a legal language

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# English as a legal language

- ▶ Is English precise?
  - Persons who are doctors and lawyers qualify
  - Persons who are lawyers [qualify] and [persons who are] doctors qualify
  - Persons who are [both doctors and lawyers] qualify
- ▶ English is too imprecise. How can we provide a precise interpretation to a sentence?

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  - The phrase templates (from now on called connectives)
    - ► ... AND ...
    - ▶ IF ... THEN ...
- ▶ Which of the sentences can be written in this language?
  - Persons who are doctors and lawyers qualify
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#### OR

- ▶ IF p1 THEN p3 AND IF p2 THEN p3
  - ▶ p1 means "The persons are lawyers"
  - ▶ p2 means "The persons are doctors"
  - p3 means "The persons qualify"

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- Can we infer if Andrew, who is a doctor, qualify?
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    - ▶ p3 means "The persons qualify"
- ▶ More or less since p1 does not exactly mean "Andrew, who is a doctor"
  - ▶ We will consider this problem later

- ▶ We said that the computer can reason over the sentences
  - ▶ IF p1 THEN p3 AND IF p2 THEN p3
  - ▶ p1
- and deduce
  - ▶ p3
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- Together, syntax (the language) and semantics (meaning) form a logic
- More about that in Alex's talk

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    - NLP will be integrated later in order to assist

#### Automation

- Once we have a formalization, we can use the computer to
  - Confirm or refute queries
    - "Is Andrew qualified?"
  - Check if the formalization makes sense
    - Consistency
  - Check if the formalization contains redundancy
    - Independency
  - Explain why something is not correct
    - Model checking, abductive reasoning
  - ▶ Paint graphs and other visualization

# Consistency

- ▶ Let's extend our language with a new connective
  - ► NOT ...

#### Consistency

- Let's extend our language with a new connective
  - ► NOT ...
- Assume we have the sentences
  - "Driving under the affect of drugs is a crime"
  - "Driving during the night is not a crime"
- One possible formalization is
  - ▶ IF p1 THEN p2
    - ▶ p1 means driving under the affect of drugs
    - p2 means crime
  - ▶ IF p3 THEN NOT p2
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- What is the problem?
- What happens if we drive under the affect of drugs during the night? Are we committing a crime?

#### Redundancy

- A set of natural language sentences might contain some redundancy
  - "Driving under the affect of drugs during the night is a crime"
  - "One cannot drive during the night"
- ▶ One might be redundant in a certain formalization

# Automated reasoning

- ► So far, we have said that the computer can answer certain questions
- ▶ In fact, there are specific software which can do that
- Automated theorem provers
  - Can answer questions for a specific logic
  - Our focus

# Formalization power

- We have considered two languages
  - English
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    - AND
    - NOT
    - ► IF THEN
- ▶ What are the limits of each of these languages?

# Formalization power

- We have considered two languages
  - English
  - A language containing
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- ▶ What are the limits of each of these languages?
  - English is too expressive and can denote imprecise/ambiguous sentences
  - The second is too weak

### Weak languages

► The United Nations Convention on Contracts for the International Sale of Goods - part of Article 31

"If the seller is not bound to deliver the goods at any other particular place, his obligation to deliver consists:

- (a) if the contract of sale involves carriage of the goods in handing the goods over to the first carrier for transmission to the buyer;
- (b) in other cases in placing the goods at the buyer's disposal at the place where the seller had his place of business at the time of the conclusion of the contract."
  - How can we formalize it in our weak language?

#### Possible formalization

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  - ▶ EITHER ... OR ...
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# IF NOT p1 THEN EITHER IF p2 THEN THE OBLIGATION IS p3 OR IF NOT p2 THEN THE OBLIGATION IS p4

- Where
  - p1 is "the seller is bound to deliver the goods at any other particular place"
  - ▶ p2 is "the contract of sale involves carriage of the goods"
  - ▶ **p3** is "handing the goods over to the first carrier for transmission to the buyer"
  - ▶ p4 is "placing the goods at the buyer's disposal at the place where the seller had his place of business at the time of the conclusion of the contract."

#### Reasoning example

- Assuming
  - ► NOT p1 "the seller is not bound to deliver the goods at any other particular place"
  - p2 " the contract of sale involves carriage of the goods"
- ▶ The theorem prover can conclude
  - ► THE OBLIGATION IS p4 "There is an obligation for the seller to hand the goods over to the first carrier for transmission to the buyer"

### Strengthening the language

- We can continue to strengthen the language to be able to express all legal nuances
- Fundamental Requirements
  - 1. It should be formal (precise and non-ambiguous)
  - A logic needs to be strong enough to capture interesting legal nuances
  - 3. It should be weak enough to be implemented in an efficient theorem prover

# Formal languages for legal reasoning

- There are many
  - Standard deontic logic (SDL)
    - ▶ too weak
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### Formal languages for legal reasoning

- There are many
  - Standard deontic logic (SDL)
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  - Dyadic deontic logics
  - Input/output logic
- ► Efficient theorem provers exist only for SDL (among those in the list)

### Balancing between the requirements

- ► Find a logic which is
  - expressive enough to capture some (not all) legal nuances
  - has an efficient theorem prover
- Our choice
  - ► DL\*
  - MleanCoP
    - An efficient normal multi-modal first-order theorem prover (J. Otten)

- Contrary-to-duty scnearios (CTD) and the distinction between ideal and actual obligations
- Chisholm's paradox
  - (1) it ought to be that Jane helps her neighbors;
  - (2) it ought to be that if Jane helps her neighbors, she tells them that she is coming;
  - (3) if Jane does not help her neighbors, then she ought not to tell them that she is coming;
  - (4) Jane does not help her neighbors.

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- ▶ The theorem prover can infer
  - ▶ Ideally Jane ought to help and to tell her neighbors
  - Currently, she ought not to tell them
  - Jane has violated an ideal obligation

# DL\* language (syntax)

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- Non-normative connectives: NOT ..., ... AND ... , ... OR ..., IF ... THEN ..., IFF ... THEN ...
- ► Normative unary connectives: **OBLIGED** ... , **PERMITTED** ... , **FORBIDDEN** ... , **IDEALLY** ...
- Normative binary operators: IF ... THEN THE OBLIGATION IS ..., etc.

# Equivalent (more concise) notation

```
 (~ ...), (..., ...), (...; ...)
 (... => ...), (... <=> ...)
 (Ob ...), (Pm ...), (Fb ...), (Id ...)
 (... O> ...), (... P> ...), (... F> ...)
```

#### NAI

- Theoretically, we have a relatively expressive language which has automation
- We provide NAI Normative AI tool
  - tools for making formalizations
    - ► Focus of Tereza's talk
  - tools for reasoning over the formalization
    - Focus of Alex's talk
- In the rest of my talk
  - First-order DL\*
    - Note that fully understanding the logic is not necessary for using the tool
    - But it can help improving and understanding the formalizations

#### Generalization

- Before we have considered
  - "Persons who are doctors and lawyers qualify"
  - "Is Andrew, who is a doctor, qualified?"
- We formalized it as
  - ▶ IF p1 THEN p3 AND IF p2 THEN p3
  - ▶ p1
- Where
  - ▶ p1 means "The persons are lawyers"
  - p2 means "The persons are doctors"
  - p3 means "The persons qualify"
- What is the problem?

- Andrew is just one of the persons who are doctors
  - ▶ Incorrect interpretation

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  - ► Assume Jack is an engineer p4
  - ▶ If we know that Andrew is a doctor and Jack is an engineer, who is qualified?
  - ▶ IF p1 THEN p3 AND IF p2 THEN p3
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  - ► If we know that Andrew is a doctor and Jack is an engineer, who is qualified?
  - ▶ IF p1 THEN p3 AND IF p2 THEN p3
  - ▶ p1
  - ▶ p4
- ▶ The prover answers p3.

#### Generalization

- Solution
  - ► FOR ANY Person IF doctor(Person) THEN qualified(Person)
- Where
  - doctor means that Person is a doctor
  - qualified means that Person is qualified

#### New formalization

- FOR ANY Person IF doctor(Person) THEN qualified(Person) AND IF lawyer(Person) THEN qualified(Person)
- 2. doctor(andrew)
- 3. engineer(jack)
- Deduce automatically: qualified(andrew)

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- FOR ANY Person IF doctor(Person) THEN qualified(Person) AND IF lawyer(Person) THEN qualified(Person)
- 2. doctor(andrew)
- 3. engineer(jack)
- Deduce automatically: qualified(andrew)
- concise syntax
- ((doctor(Person) => qualified(Person)),
  (lawyer(Person) => qualified(Person)))
- doctor(andrew)
- 3. engineer(jack)

### Syntactical conventions

- ((doctor(Person) => qualified(Person)),
  (lawyer(Person) => qualified(Person)))
- 2. doctor(andrew)
- 3. engineer(jack)
- If a word starts with an Upper case letter, it refers to ANY

#### Some consequences

- Problems with propositions only are decidable
- Problems with variables are only semi-decidable
  - ▶ We are ensured of an answer only if the answer is true
  - ▶ If it is not, the prover may never terminate
- ➤ This has implications on the automated process as we will see in Alex's talk

#### About us

#### Team

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- ▶ We welcome help!

### How can lawyers help

- Use the tool and send us feedback
  - Slack
  - https://github.com/normativeai/frontend/issues
- Help build a benchmark
- ► Help define the requirements and future of the tool

#### How can researchers help

- Some possible topics
  - New logical capabilities (abduction, model finding, etc.)
  - Explainable proofs
  - ► Implications of FOL on DL\*
  - Extend the legal language (mainly to include powers)
  - Integration of defeasibility
- We will be happy to collaborate on these and other topics

### How can software engineers help

- Help improve the tool
  - Open source, just fix bugs and implement features and send us a pull request on github
- Join our team and discussions

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- ▶ Long and intelligble for most people
- Being signed by millions every day
  - Including children
- ► Can we make the world better?

# Apple T&C

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- Can we make the world better?
- Once the document is formalized in NAI
  - Graphs and visualization
  - Automatic FAQ
  - Automatic generation of comics
- http://lawforme.in/

#### Next part

- ► Tereza will show how to use the NAI tool in order to formalize legislation and queries
- Slack
  - Will be used in the interactive session
  - Asking questions, giving feedback, suggesting improvements
  - https://tinyurl.com/y2jzlhyr