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# **Chi- Square Test**

Chi-Square test in R is a statistical method which used to determine if two categorical variables have a significant correlation between them. The two variables are selected from the same population. Furthermore, these variables are then categorised as *Male/Female*, *Red/Green*, *Yes/No* etc.

#### For example:

We can build a dataset with observations on people's cake buying pattern. And, try to correlate the gender of a person with the flavour of the cake they prefer. Although, if a correlation is being found, we can plan for an appropriate stock of flavours by knowing the number of people visiting with respect to gender.

chisq.test() is a function used to perform test.

Syntax of a chi-square test:

chisq.test(data)

### Following is the description of the chi-square test parameters:

- The input data is in the form of a table that contains the count value of the variables in the observation.
- We use chisq.test function to perform the chi-square test of independence in the native stats package in R. For this test, the function requires the contingency table to be in the form of a matrix. Depending on the form of the data, to begin with, this can need an extra step, either combining vectors into a matrix or cross-tabulating the counts among factors in a data frame.
- We use read.table and as.matrix to read a table as a matrix. While using this, be careful of
  extra spaces at the end of lines. Also, for extraneous characters on the table, as these can
  cause errors.

# 1. Background knowledge - Predictive Modeling

It is a technique where we use statistical modeling or machine learning algorithms to predict response variables based on one or more predictors. Hence, the predictors are features that influence the response in some way. Also, the models work best if the features are meaningful and thus have a significant relationship with the response.

## 2. Hypothetical Example: Effectiveness of a Drug Treatment

To test the effectiveness of a drug for a certain medical condition, we will consider a hypothetical case.

Suppose we have 105 patients under study and 50 of them were treated with the drug. Moreover, the remaining 55 patients were kept under control samples. Thus, the health condition of all patients was checked after a week.

With the following table, we can assess if their condition has improved or not. By observing this table, one can you tell if the drug had a positive effect on the patient?

Here in this example, we can see that 35 out of the 50 patients showed improvement. Suppose if the drug had no effect, the 50 will split the same proportion of the patients who were not given the treatment. Here, in this case, improvement of the control case is high as about 70% of patients showed improvement, since both categorical variables which we have already defined must have

only 2 levels. Also, it was sort of perceptive today that the drug treatment and health condition are dependent.

#### 3. Chi-Square Test

Particularly in this test, we have to check the p-values. Moreover, like all statistical tests, we assume this test as a null hypothesis and an alternate hypothesis.

The main thing is, we reject the null hypothesis if the p-value that comes out in the result is less than a predetermined significance level, which is 0.05 usually, then we reject the null hypothesis.

H0: The two variables are independent.

H1: The two variables relate to each other.

In the case of a null hypothesis, a chi-square test is to test the two variables that are independent.

#### 4. R Code

We will work on R by doing a chi-squared test on the treatment (X) and improvement (Y) columns in treatment.csv

First, read in the treatment.csv data.

- > data\_frame <- read.csv("https://goo.gl/j6lRXD") #Reading CSV
- > table(data\_frame\$treatment, data\_frame\$improvement)

Let's do the chi-squared test using the chisq.test() function. It takes the two **vectors** as the input. We also set 'correct=FALSE' to turn off Yates' continuity correction.

## # Chi-sq test

> chisq.test(data\_frame\$treatment, data\_frame\$improvement, correct=FALSE)

We have a chi-squared value of 5.5569. Since we get a p-Value less than the significance level of 0.05, we reject the null hypothesis and conclude that the two variables are in fact dependent.

#### Mini-Challenge

Particularly for this challenge, first, find out if the 'cyl' and 'carb' variables are in 'mtcars' dataset and whether it is dependent or not.

Let's have a look the table of mtcars\$carb vs mtcars\$cyl.

```
> data("mtcars")
> table(mtcars$carb, mtcars$cyl)
```

Since there are more levels, therefore, it's too hard to figure out if they relate to each other. Let's use the chi-squared test instead.

# # Chi-sq test

```
> chisq.test(mtcars$carb, mtcars$cyl)
```

We have a high chi-squared value and a p-value of less than 0.05 significance level. So we reject the null hypothesis and conclude that carb and cyl have a significant relationship.