Forma generala: $a_{x^2}^{\prime\prime}+2b_{xy}^{\prime\prime}+c_{y^2}^{\prime\prime}+d_x^{\prime}+e_y^{\prime}=0$

u(x,y) functie necunoscuta

 $a, b, c, d, e \in \mathbb{R}$ $\Delta'_1 = b^2 - ac$

$$\Delta_1' = b^2 - ac$$

Daca $\Delta_1 > 0 \Rightarrow$ ec. tip hiperbolic

Daca $\Delta_1 = 0 \Rightarrow \text{ec. tip parabolic (mixta se reduce)}$

Daca $\Delta_1 < 0 \Rightarrow \text{ec. tip eliptic}$

Ecuatia caracteristica: $a(y')^2 - 2by' + c = 0$, $y' = \frac{dy}{dx}$

$$y'1, y'2$$

$$\begin{cases} \varphi(x, y) \\ \psi(x, y) \end{cases}$$

$$u(x,y) \to U(\xi,\eta)$$

$$\Delta_2 = b^2 - 4ac$$

$$\Delta_2 = 4\Delta_1$$

 $y'1, y'2 \begin{cases} \varphi(x,y) \\ \psi(x,y) \\ u(x,y) \to U(\xi,\eta) \\ \Delta_2 = b^2 - 4ac \\ \Delta_2 = 4\Delta_1 \\ \underline{\text{Obs.}} \text{ Pt. } \Delta_1 = 0 \Rightarrow y'_1 = y'_2 = \varphi(x,y). \text{ Alegem } \psi(x,y) = x \text{ sau } \psi(x,y) = y \text{ titel inext:} \end{cases}$ astfel incat:

$$\begin{vmatrix} \varphi_x' & \varphi_y' \\ \psi_x' & \psi_y' \end{vmatrix} \neq 0$$