

**Birla Institute of Technology & Science, Pilani**  
**K. K. Birla Goa Campus**  
**First Semester 2019-2020**  
**Course Handout**

**Course Details**

Course Title : Discrete Structures for Computer Science  
Course Number : CS F222  
Instructor : Anup Basil Mathew

**Objectives**

- To learn to read and write proofs formally.
- To learn basic objects and proof strategies in finite/discrete math.
- To learn ways of counting objects and using counting to prove results.
- To gain familiarity with some objects used in computer science.

**Reading Material**

**Textbook**

( $T_1$ ) “Discrete Mathematics and Its Applications” by *Kenneth H. Rosen*, Seventh Edition.

**References**

( $R_1$ ) “Mathematical Logic” by *Ian Chiswell and Wilfrid Hodges* (Only chapter 1).

( $R_2$ ) “Naive Set Theory” by *Paul Halmos*

( $R_3$ ) “Discrete Mathematics” by *Norman L. Biggs*

( $R_4$ ) “Mathematics for Computer Science” by *Eric Lehman and Frank Thomson Leighton*  
<https://courses.csail.mit.edu/6.042/spring17/mcs.pdf>

## Course Plan

### Modules

Module No	Topic	Sub-Topics
I	Basic Math	Stating and proving mathematical statements; Constructing sets, relations and functions; Determining cardinality of a set; Using the induction principle and defining recursive structures; Partial-Orders, Equivalence relations.
II	Combinatorics	Basic counting and combinatorial identities; Pigeonhole principle and Inclusion-Exclusion principle; Writing and solving recurrence relations; Asymptotics of functions.
III	Arithmetic and Graph	Modular Arithmetic; Primes and GCD/LCM; Euclids algorithm; Graphs and Trees; Connectivity and Isomorphism; Properties of Euler Graphs, Hamiltonian Graph, Planar Graph etc..
IV	Abstract Algebra	Groups and Permutations; Subgroups, Homomorphisms and Lagranges theorem; Group actions; Rings and Fields

### Lecture Schedule

Module No	Week	Topics
I	1	Logic and Proofs
	2	Sets, Relation and Functions
	3	Natural Numbers, Induction and Recursion
	4	Partial-Orders and Equivalence Relations.
II	5	Basic Counting and Combinatorial Identities
	6	Pigeonhole and Inclusion-Exclusion principle
	7	Writing and Solving recurrence relations
	8	Asymptotic analysis
III	9	Modular Arithmetic, GCD/LCM and Euclids algorithm
	11	Graph and Trees: Basics
	12	Euler, Hamiltonian, Planar Graphs
IV	13	Groups, Permutations and Group Actions
	14	Homomorphisms, Subgroups and Lagranges Theorem
	15	Ring and Fields: Basic Properties

**Evaluation Scheme**

No	Component	Weightage	Date(s)	Remarks
1	Quiz	30%	Announced in class/moodle	Open Book
2	Mid-Semester Exam	30%	As per time-table	Closed Book
3	Comprehensive Exam	40%	As per time-table	Closed Book

**Chamber Consultation**

By appointment only. Please contact Ankush Soni (email-id on Moodle) to make an appointment.

**Notices**

Most announcements will be made on Moodle, but some may be made only in class. In case a student misses a lecture, it is his/her responsibility to find the lost announcements.

**Make-up Policy**

Make-up exams will be allowed only for genuine cases, at the discretion of the instructor.

**Instructor**  
**CS F222**