Constandint Satisfaction Parablem (CSP)

TI

* K-Consistency

=> marcasing degree of Consistency!

* I-Consistency (Node Consistency)

=> Every Single node's domain has a value which mosts the mode's Umany Consistats.

* 2-Consistency (Anc Consistency)

=> Fan each pain of nodes, any Consistent assignment to one can be extended to the other.

* K-Consistency

For each knodes, any Consistent assignment to K-1 Can be extended to the kmnode.

* Storing K-Consistency

Las Also K-1, K-2 --- Consistent.

=> Claimi Strong n-Consistenty meas we can Solve without backtracking!

3-Consistancy => Path Consistency

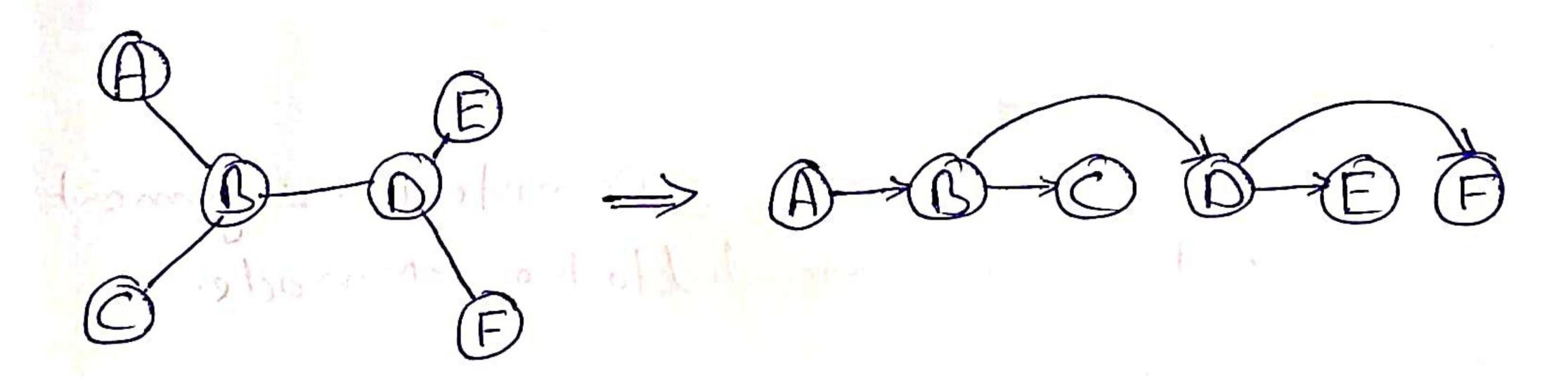
- * Stonucture
 - => Suppose a graph of m variables can be brocken into subproblems of only Covariables.
- * Ince-Structured CSP

Theorem: If the Constraint graph has no loops, the CSP Can be Solved In O(nd2)

Lime.

=7 Algorithm for tree-structured CSPs!

O Order: Chouse a pout variable, order variables so that parents precede children.

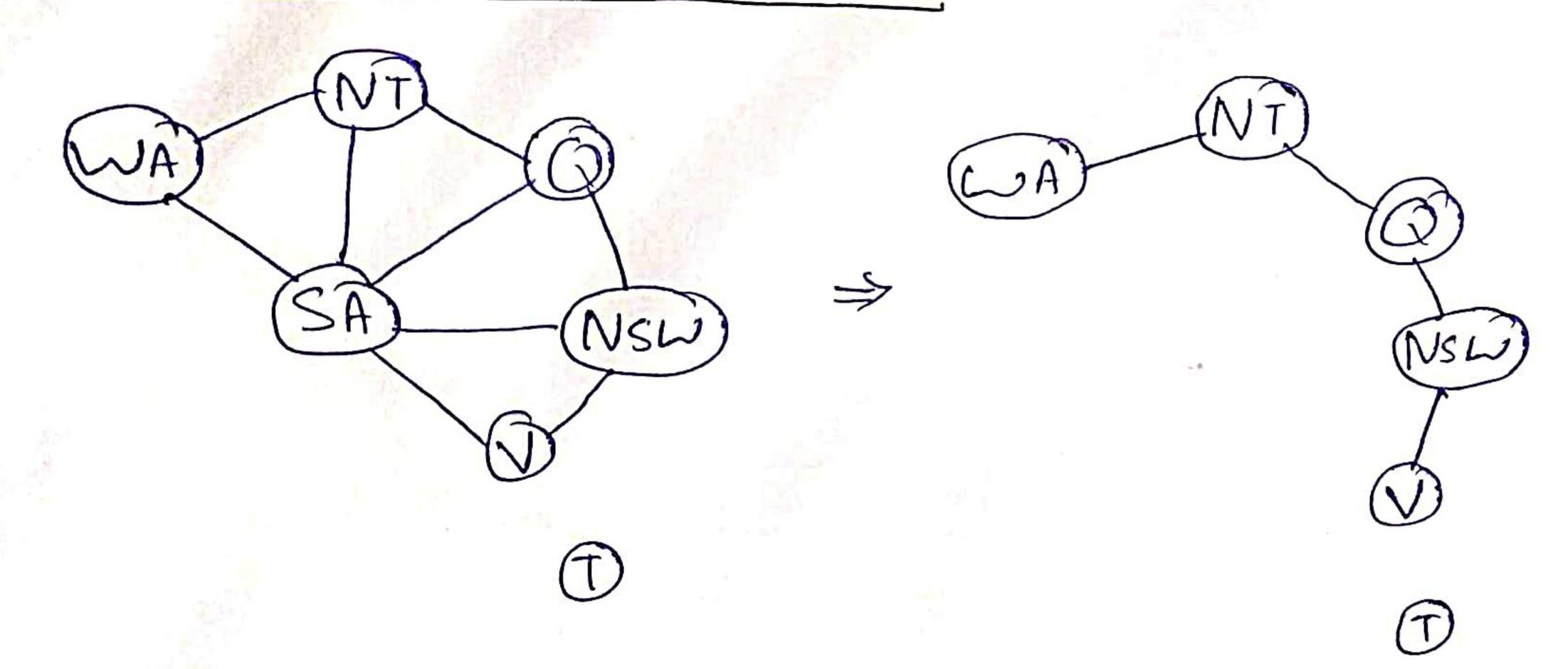


@ Remove backward: For i=n:2, apply Remove In Consisted
(Parat(Xi), Xi)

(3) Assignforward: For i=1:M assign X; Consistently
with Pand (Xi)

Runtin: O(nd)

Tonce - Structured CSPs



Conditioning: Instantide a variable, prouve its neighbors domains

- Certset Conditioning: Anstanticle (in all ways) a set of Vaniddes Such that the oramaining Constraint graph is a tree.

=> Cutset size c gives suntine O(d(n-c)d²). Ly Very fast for Small C.

* Tree Decomposition*

=> Idea! Greate a tree-structured graph of maga-variables => Each maga-vanidhers encodes part of the oxiginal CSP.

=> Sub problem overlap to ensure consistent solutions.

