

# Physics 1

(وحدات) units

## Ch.1 : Fundamentals quantities (الكميات الأساسية)

Length [m]

Mass [kg]

Time [s]

M.K.S

(International fundamental unit)

SIU

Unit  
Standard International

## Derived quantities

1) Area [m<sup>2</sup>] مساحة

2) Volume [m<sup>3</sup>] حجم

3) Velocity (Speed) السرعة =  $\frac{\text{distance}}{\text{time}}$  =  $\frac{m}{s}$

4) Acceleration العجلة =  $\frac{\text{velocity}}{\text{time}} = \frac{m/s}{s} = m \cdot s^{-2}$

5) (Acceleration due to gravity) عجلة الجاذبية الأرضية

$$g = 980 \text{ cm/s}^2 \approx 1000 \text{ cm/s}^2$$

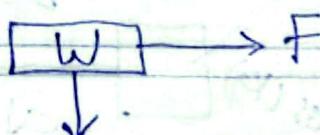
$$g = 9.8 \text{ m/s}^2 \approx 10 \text{ m/s}^2$$

6)  $F = m \cdot a$  [kg · m/s<sup>2</sup>] [N]

↓ ↓  
force mass acceleration

"~"

7)  $W = m \times g$  [kg · m/s<sup>2</sup>]  $g = 10 \text{ m/s}^2$   
 ✓ weight mass gravity  
 جذب الأرض



units

$$8) \text{ Density} = \frac{\text{mass}}{\text{volume}} = \frac{\text{Kg}}{\text{m}^3} = \text{Kg} \cdot \text{m}^{-3}$$

Density of Water

$$\rho_w = 1000 \text{ Kg/m}^3$$

$$9) \text{ Work (Energy)} = F \times d$$

$$\text{N.m} = \text{Joule}$$

Any object has mass [Kg]. ~~abs a mass~~ ~~at~~

When it move With [Velocity] (m/s).

$$10) \text{ Kinetic Energy} = \frac{1}{2} m v^2 \quad (\text{Joule})$$

Ex: : A 5kg object move with Velocity 4m/s

Calculate "K.E" = ~~length (class 9)~~ P. 100 K (E)

$$11) [K.E = \frac{1}{2} m v^2 = \frac{1}{2} \times 5 \times (4)^2 = 40 \text{ J}]$$

$$12) \text{ Momentum } P = m \times v$$

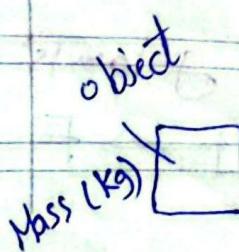
$\downarrow$   $\downarrow$   $\downarrow$   
 Momentum Mass Velocity

Ex: 8kg object move with Velocity 5m/s

@ calculate

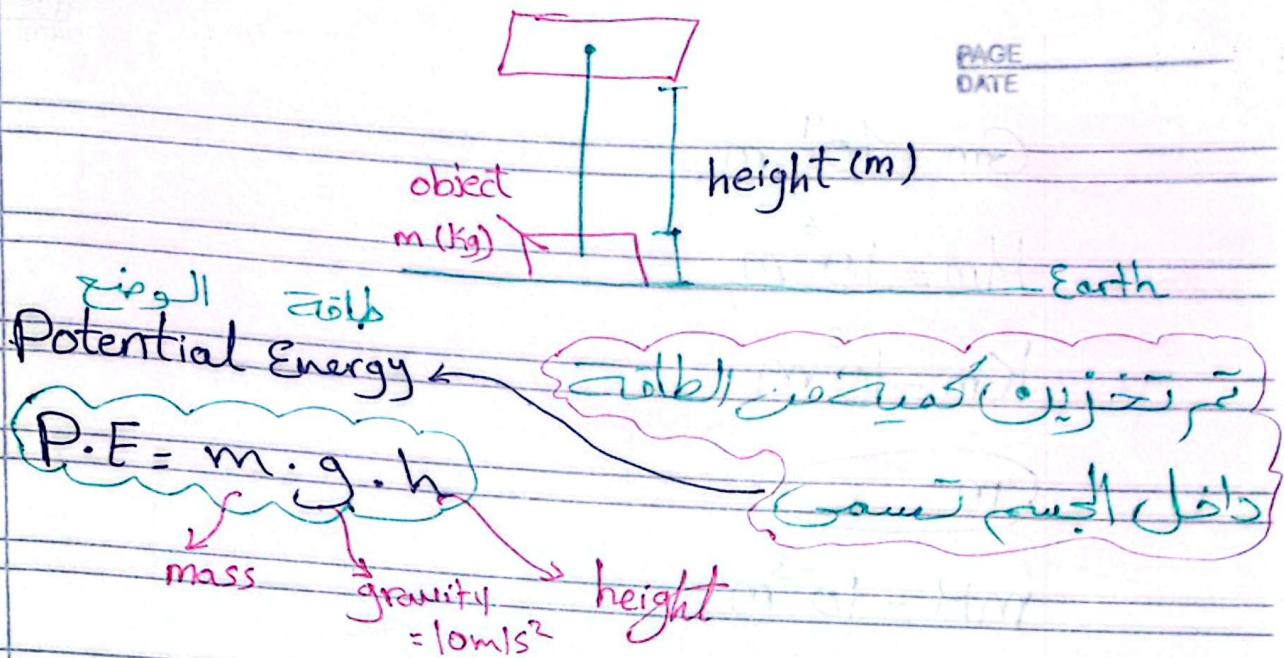
$$13) K.E = \frac{1}{2} m v^2$$

$$\frac{1}{2} \times 8 \times (5)^2 = 100 \text{ J}$$



$$14) P = m \times v = 8 \times 5 = 40 \text{ kg m/s}$$

$$\begin{aligned}
 & \text{K.E} = \frac{1}{2} m v^2 \quad \text{Joule} \\
 & \text{Mon} = m \times v = \text{Kg m/s}
 \end{aligned}$$



Ex // An object of mass 7 kg at height 20m

Calculate it's Potential Energy =  $m \cdot g \cdot h$

$$P.E = 7 \times 10 \times 20 = 1400 J$$

⑬ Power =  $\frac{\text{Work}}{\text{time}} = \frac{\text{Joule}}{\text{time}}$  Watt

⑭ Pressure =  $\frac{\text{Force}}{\text{Area}} = \frac{N}{m^2}$  ( Pascal )  
Pa

$\alpha$	$\beta$	$\gamma$	$\theta$	$\omega$	$\zeta$	$\lambda$
Alpha	Beta	Gamma	Sigma	Mu	Sigma	Lambda
$\mu$	$\phi$	$\eta$				
Row	Phi	Eta				

$$Gm = 10^9 \text{ m}$$

$$Mm = 10^6 \text{ m}$$

$$Km = 10^3 \text{ m}$$

m

$$mH = 10^{-3} \text{ m}$$

$$\mu H = 10^{-6} \text{ m}$$

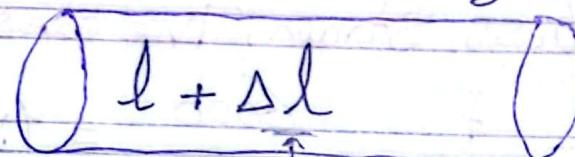
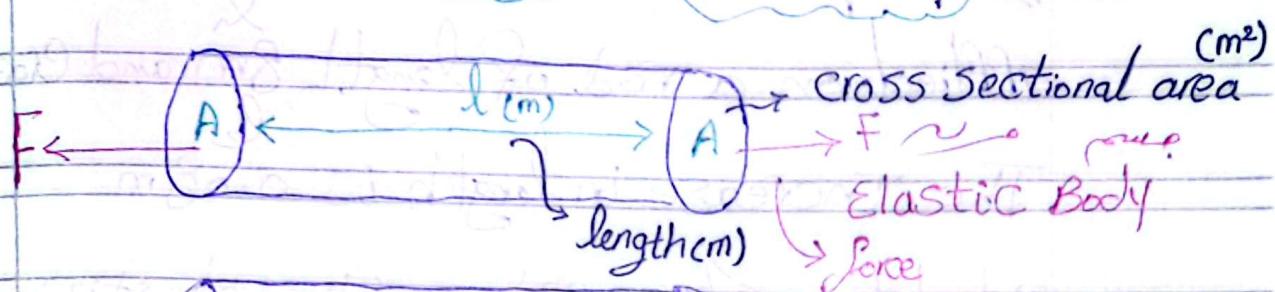
$$nH = 10^{-9} \text{ m}$$

$$pH = 10^{-12}$$

$$fH = 10^{-15}$$

Ch.2

## Elasticity



Increases In length

$$\text{Stress} = \frac{\text{Force}}{\text{Area}} = \frac{N}{\text{m}^2}$$

$$\text{Strain} = \left( \frac{\Delta l}{l} \right)$$

unitless  
وحدات عدديه

Hooke's law

For any elastic body

↑ Stress  $\propto$  Strain ↑

$$\text{Stress} = \text{Constant} \times \text{Strain}$$

use define

$$\text{Stress} = \text{Elastic modulus} \times \text{Strain}$$

$$\text{Elastic modulus} = \frac{\text{Stress}}{\text{Strain}} = \frac{\text{N/m}^2}{\text{Gauge}}$$

Ex: 2 equal and opposite forces each of 6000 N

applied on a rod of length 8m and cross-sectional area = 0.06 m<sup>2</sup>

The increase in length is 0.08 m

Calculate Stress, Strain, The elastic modulus

$$(1) \rightarrow \text{Stress} = \frac{F}{A} = \frac{6000}{0.06} = 1 \times 10^5 \text{ N/m}^2$$

$$(2) \rightarrow \text{Strain} = \frac{\Delta l}{l} = \frac{0.08}{8} = 0.01$$

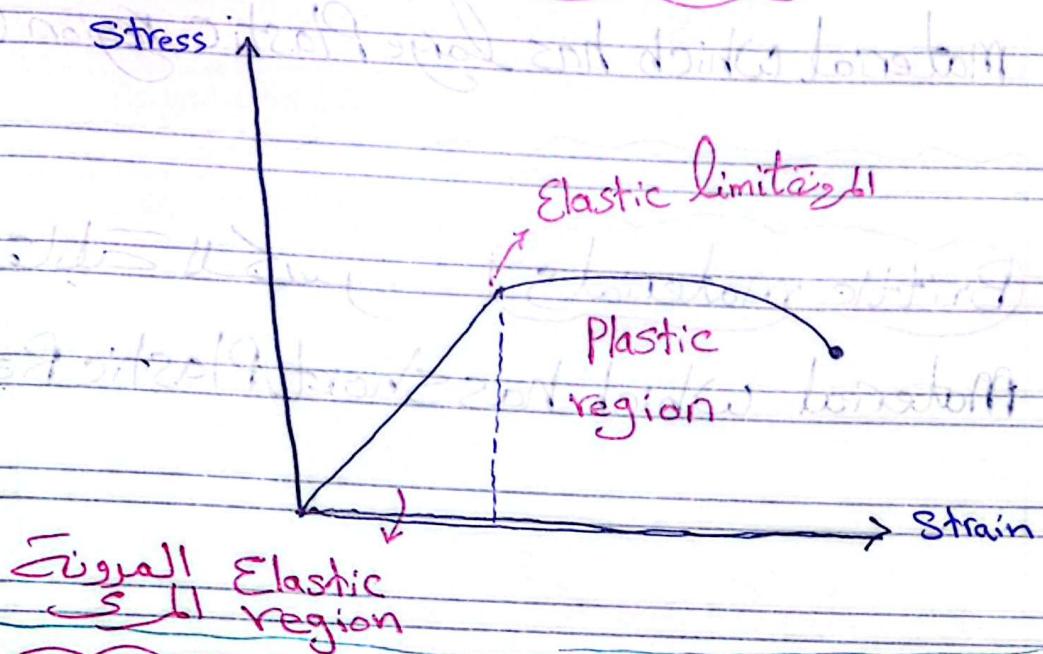
$$(3) \rightarrow \text{Elastic modulus} = \frac{\text{stress}}{\text{strain}} = \frac{1 \times 10^5}{0.01} = 1 \times 10^7 \text{ N/m}^2$$

more X factors = elastic.

more X column width = elastic.

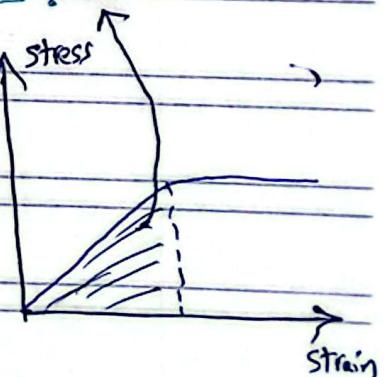
more X height = elastic.

## Stress - Strain Curve



## Resilience

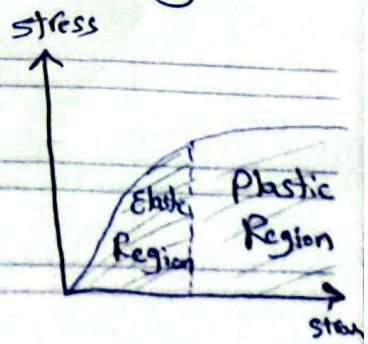
Is the area under Elastic region



## Toughness

Tough

Is the area under Elastic and Plastic Region



## Ductile Materials

قابلة للformation

Material which has Large Plastic Region (metals)

## Brittle Materials

غير قابلة للكسر

Material which has Short Plastic Region (glass)

# Physics

ch-4

## universal gravitation

$m_1$



$m_2$



"جذب متبادل"

$$F = G \frac{m_1 m_2}{r^2} \quad \text{kg}$$

general gravitational force

$$G = 6.67 \times 10^{-11} \text{ N.m}^2/\text{kg}^2$$

$$F \propto \frac{1}{r^2}$$

universal gravitational force constant  $\text{N.m}^2/\text{kg}^2$

gravitational Force is mutual force

→ Assert the Inverse Square law

Earth



$(M_E)$

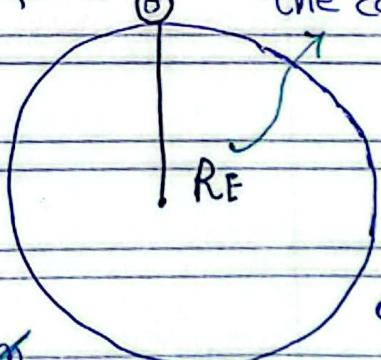
object

object

mass

$(m) \text{ kg}$

Radius of  
the Earth



Earth  
center

gravitational force  $= F = \frac{-G M_E m}{r^2} = m g$

$$g = \frac{-G M_E}{R_E^2}$$

$$F = m \cdot g$$

also

also exists!

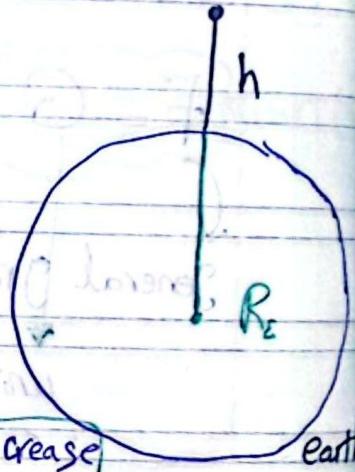
جاذبية الأرض

$$g = G \frac{M_E}{R_E^2}$$

$$g = \frac{6.67 \times 10^{-11} \times 5.97 \times 10^{24}}{(6.37 \times 10^6)^2} = 9.8 \text{ m/s}^2$$

يكون المقدار

$$g = G \frac{M_E}{(R_E + h)^2}$$



gravity decrease as the height increase

# Physics



$$F = G \frac{m_1 m_2}{r^2}$$

↳ Gravitational force

$$Fd \frac{1}{r^2}$$

"obeys the inverse square law."

Ch.3

Solid materials

→ have a definite shape and volume

Liquid Materials

→ have a definite volume, but don't have definite shape.

Gaseous materials

→ Neither shape nor volume.

Fluids

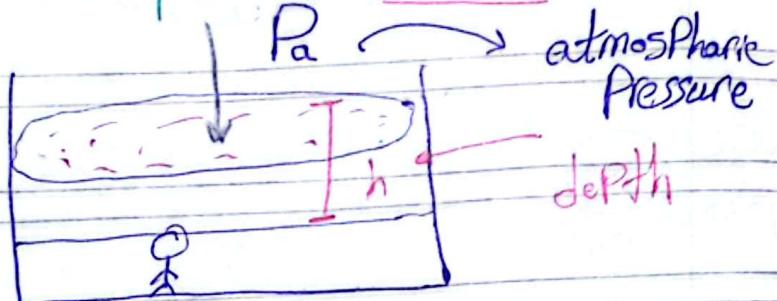
liquid

gases

Hydrostatic : Study Fluid at rest

الكتل الكثيف

Absolute Pressure



$$\text{Total Pressure} = P_a + \rho gh$$

جاذبية

gravity =  $10 \text{ m/s}^2$

$$P_{\text{total}} = P_a + \rho gh \rightarrow \text{depth}$$

$\downarrow$   $10^5 \text{ N/m}^2$  density of liquid

Eg:

Calculate the total Pressure in an Ocean at depth 70 m.

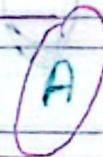
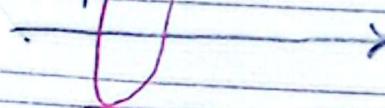
$$P_{\text{total}} = P_a + \rho gh = 10^5 + (1000 \times 10 \times 70)$$

$$= 800,000 \text{ N/m}^2$$

Hydrodynamics : Study the Fluid in Motion.

(m/s)

velocity



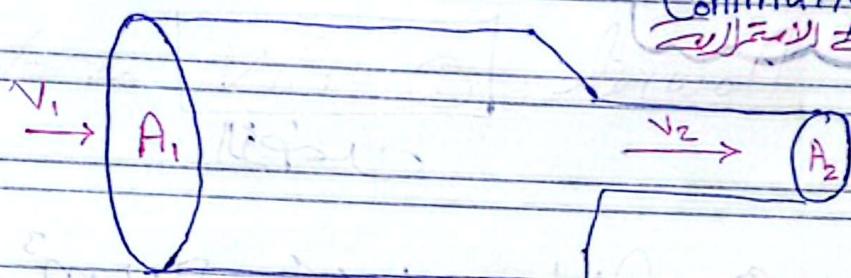
Flow rate ~~signifies~~

Volume of liquid flow in one second

unit

$$Q = \text{Flow rate} = \frac{\text{Volume}}{\text{time}} = \frac{m^3}{s} = m^3 \cdot s^{-1}$$

$$Q = A V$$



Continuity Equation  
~~collapses~~

$$Q = A_1 V_1$$

Joiin

$$Q = A_2 V_2$$

2.131

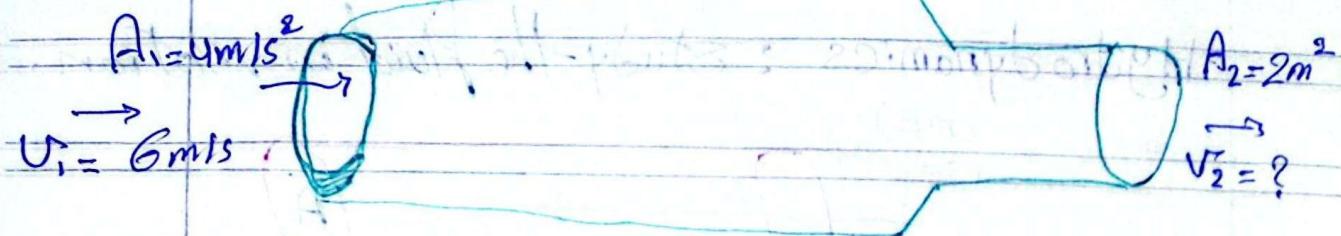
$$A_1 V_1 = A_2 V_2$$

Ex A Pipeline  $4 m^2$  in area flowing full water  
~~collapses~~

has Construction of  $2 m^2$



If the Velocity in  $4 m^2$  area is 6 m/s  
Calculate the Velocity at Constriction and the Flowrate.



$$Q = A_1 V_1 = A_2 V_2$$

$$A_2 V_2 = A_1 V_1 \quad \text{using continuity}$$

$$V_2 = \frac{A_1 V_1}{A_2} = \frac{4 \times 6}{2} = 12 \text{ m/s}$$

Flowrate  $Q = A_1 V_1$  or  $A_2 V_2$   
الرقم

$$Q = A_1 V_1 = 4 \times 6 = 24 \text{ m}^3/\text{s}$$