

# Time series project

May 7, 2024

```
[4]: import pandas as pd
import numpy as np
from statsmodels.tsa.seasonal import seasonal_decompose
from statsmodels.tsa.vector_ar.var_model import VAR
from statsmodels.tsa.stattools import adfuller
from statsmodels.tools.eval_measures import rmse, aic
from statsmodels.graphics.tsaplots import plot_acf, plot_pacf
```

```
[5]: import matplotlib.pyplot as plt
import seaborn as sns
```

```
[6]: import warnings
warnings.filterwarnings('ignore')
```

```
[7]: data=pd.read_excel('datauk.xlsx')
```

```
[8]: data.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 63 entries, 0 to 62
Data columns (total 5 columns):
 #   Column                                Non-Null Count  Dtype
---  -
 0   Année                                63 non-null     datetime64[ns]
 1   Dépenses (% du PIB)                  51 non-null     float64
 2   Masse monétaire (% du PIB)           63 non-null     float64
 3   Croissance du PIB (% annuel)         62 non-null     float64
 4   Inflation, IPC (% annuel)            63 non-null     float64
dtypes: datetime64[ns](1), float64(4)
memory usage: 2.6 KB
```

```
[9]: df=data.dropna()
```

```
[10]: df.rename(columns = {'Dépenses (% du PIB)': 'depenses', 'Masse monétaire (% du PIB)': 'Mass_Mon', 'Croissance du PIB (% annuel)': 'PIB', 'Inflation, IPC (% annuel)': 'IPC'}, inplace = True)
```

```
[11]: df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 51 entries, 12 to 62
Data columns (total 5 columns):
#   Column      Non-Null Count  Dtype
---  -
0   Année       51 non-null     datetime64[ns]
1   dépenses    51 non-null     float64
2   Mass_Mon    51 non-null     float64
3   PIB         51 non-null     float64
4   IPC         51 non-null     float64
dtypes: datetime64[ns](1), float64(4)
memory usage: 2.4 KB
```

```
[12]: df.describe().T
```

```
[12]:
```

	count	mean	std	min	25%	50% \
dépenses	51.0	36.927618	3.928926	28.838079	34.507635	36.881620
Mass_Mon	51.0	91.185677	47.241943	30.453995	42.307287	84.960198
PIB	51.0	2.143492	2.897470	-10.359901	1.577274	2.531670
IPC	51.0	5.291625	5.227952	0.368047	2.025434	2.697495

	75%	max
dépenses	38.010740	47.677124
Mass_Mon	139.654479	165.625401
PIB	3.581643	8.674904
IPC	7.266441	24.207288

## 1 Visualiser les données

```
[13]: df.columns
```

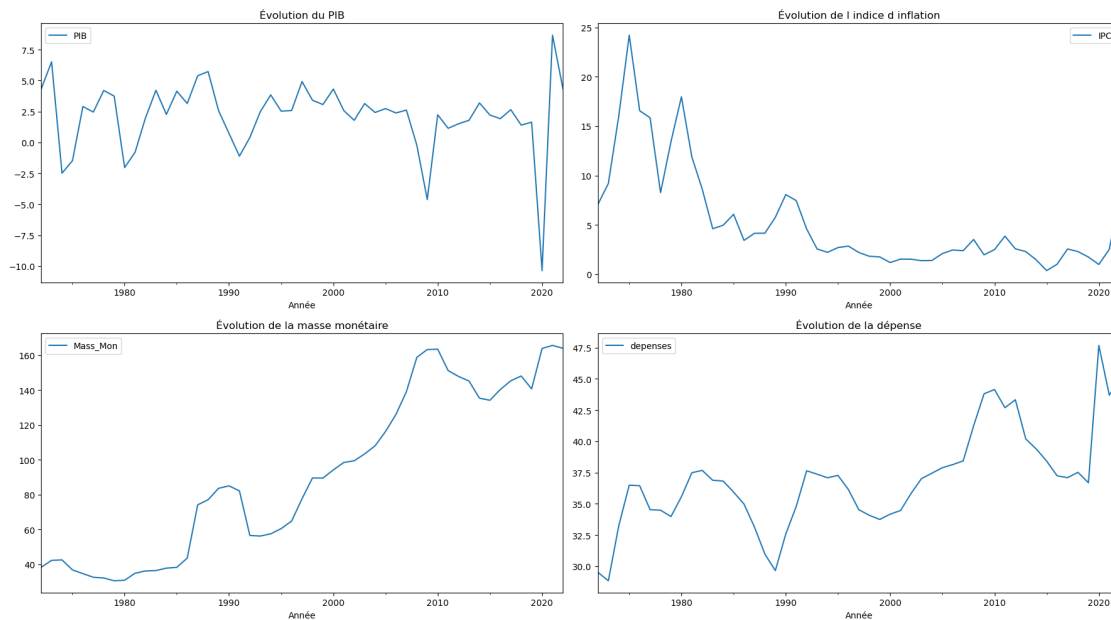
```
[13]: Index(['Année', 'dépenses', 'Mass_Mon', 'PIB', 'IPC'], dtype='object')
```

```
[14]: fig, axs = plt.subplots(2, 2, figsize=(18, 10))

df.plot(x='Année', y='PIB', ax=axs[0, 0])
df.plot(x='Année', y='IPC', ax=axs[0, 1])
df.plot(x='Année', y='Mass_Mon', ax=axs[1, 0])
df.plot(x='Année', y='dépenses', ax=axs[1, 1])

axs[0,0].set_title('Évolution du PIB')
axs[0,1].set_title('Évolution de l indice d inflation')
axs[1,0].set_title('Évolution de la masse monétaire')
axs[1,1].set_title('Évolution de la dépense')

plt.tight_layout()
plt.show()
```



```
[15]: df.set_index('Année', inplace=True)
```

## 2 Stationnarité

```
[16]: # Faire les tests de Dickey-Fuller augmenté
for column in df.columns:
    result = adfuller(df[column])
    print(f"\nResults for column {column}:")
    print(f'ADF Statistic: {result[0]}')
    print(f'p-value: {result[1]}')
    print('Critical Values:')
    for key, value in result[4].items():
        print(f'\t{key}: {value:.3f}')
```

Results for column depenses:

ADF Statistic: -0.01788946499528467

p-value: 0.9570273974381989

Critical Values:

1%: -3.601

5%: -2.935

10%: -2.606

Results for column Mass\_Mon:

ADF Statistic: -0.3034413347165586

p-value: 0.9250155201169266

Critical Values:

1%: -3.585  
5%: -2.928  
10%: -2.602

Results for column PIB:

ADF Statistic: -6.8423903498917245

p-value: 1.7775876148768182e-09

Critical Values:

1%: -3.568  
5%: -2.921  
10%: -2.599

Results for column IPC:

ADF Statistic: -2.0482518404718397

p-value: 0.26582499942353527

Critical Values:

1%: -3.589  
5%: -2.930  
10%: -2.603

Travaillons pour un seuil de confiance de 5%:

Sur la base des résultats fournis pour le test ADF (Augmented Dickey-Fuller) pour la colonne PIB :

- Statistique ADF : -6.8423903498917245
- valeur p : 1.7775876148768182e-09 (environ 0)

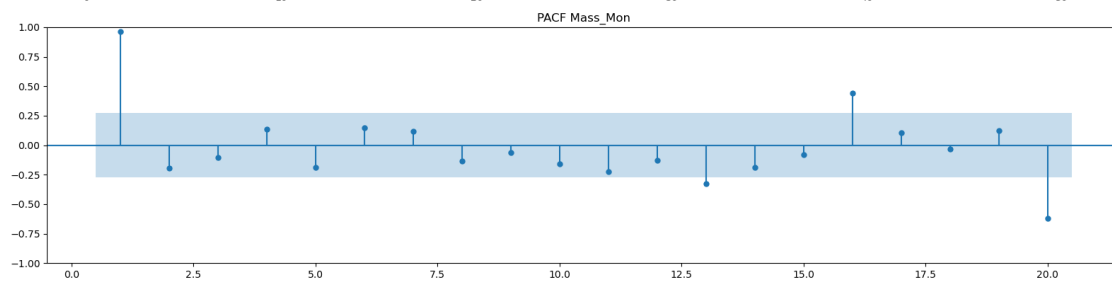
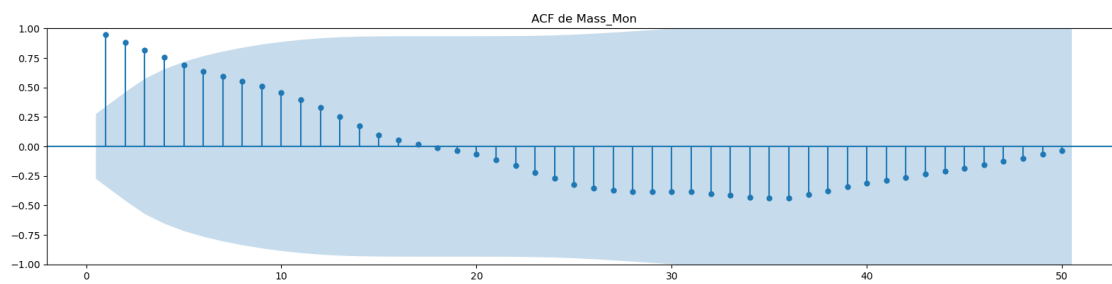
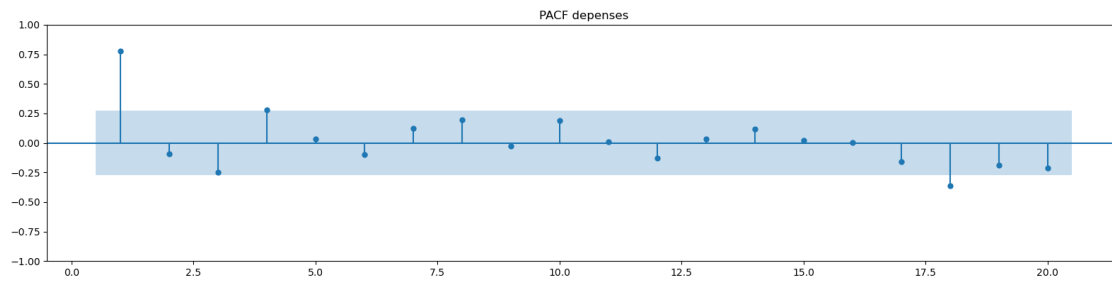
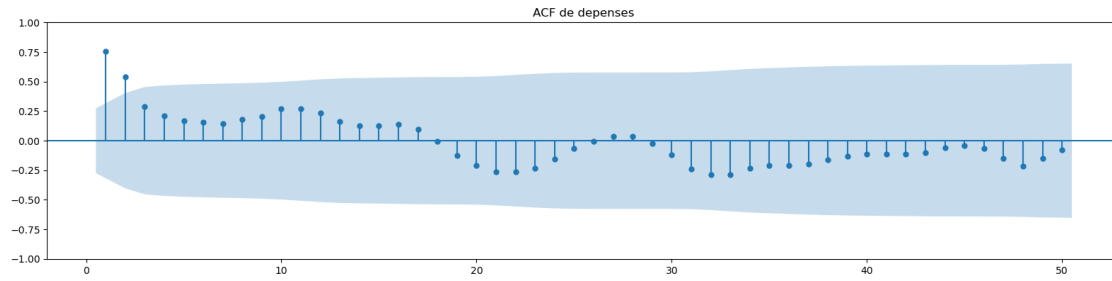
Les valeurs critiques : - Valeur critique à 5 % : -2.921

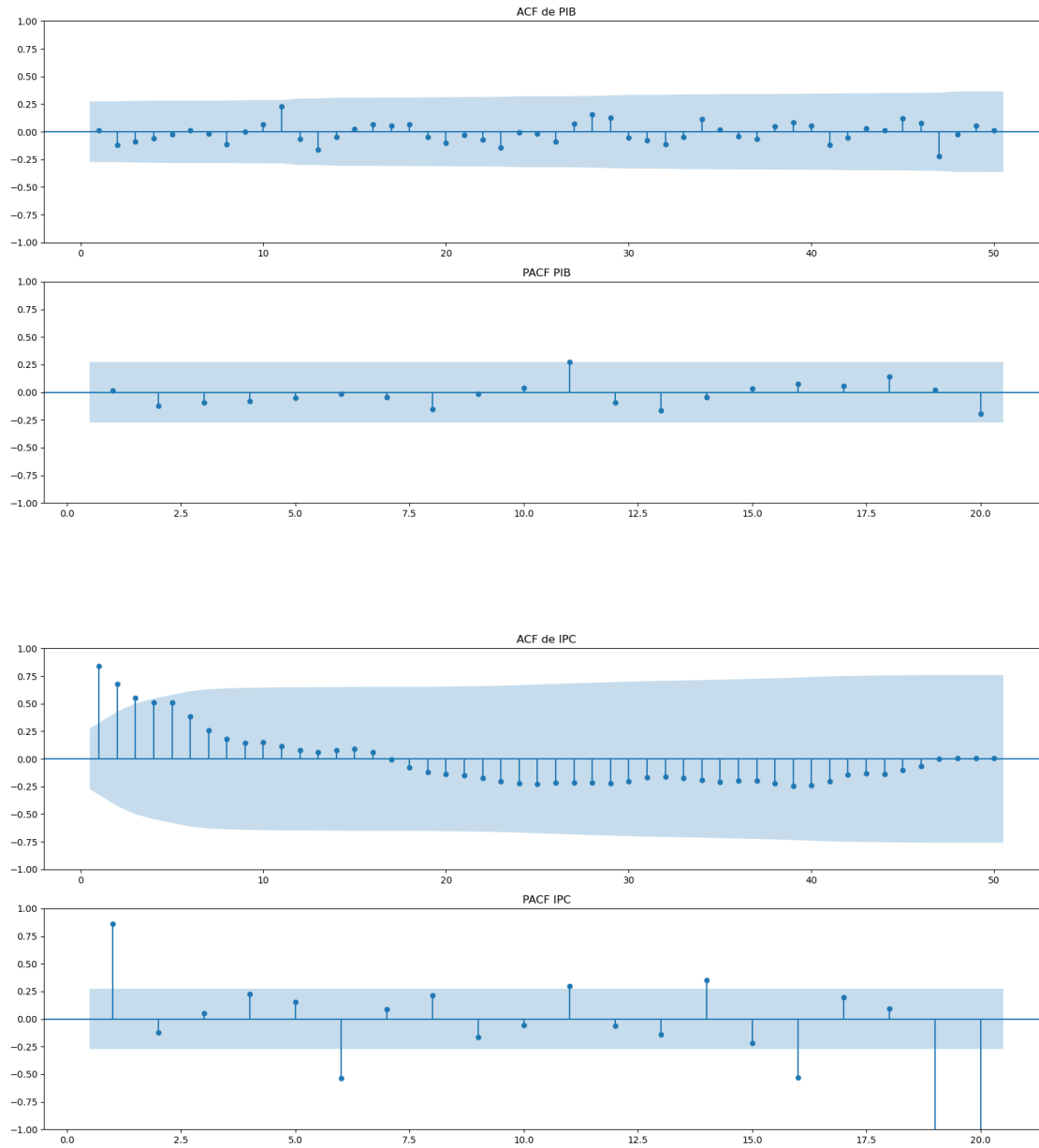
Interprétation :

1. Statistique ADF : La statistique ADF est -6.8423903498917245. Cette valeur est fortement négative.
2. Valeur p : La valeur p est approximativement 0, spécifiquement 1.7775876148768182e-09, ce qui est très proche de zéro. Nous avons suffisamment de preuves pour conclure que la série du PIB est stationnaire.

Idem: on peut conclure que le reste des séries (depenses, Mass\_Mon, IPC) sont non stationnaires.

```
[99]: # Faire les graphiques ACF et PACF pour chaque colonne
for column in df.columns:
    fig, (ax1, ax2) = plt.subplots(2,1, figsize=(16,8))
    plot_acf(df[column], lags=50, zero=False, ax=ax1)
    ax1.set_title(f"ACF de {column}")
    plot_pacf(df[column], lags=20, zero=False, ax=ax2)
    ax2.set_title(f"PACF {column}")
    plt.tight_layout()
    plt.show()
```





### 3 Transformation pour rendre la série stationnaire

```
[100]: dff=df[['depenses', 'Mass_Mon', 'IPC']]
```

```
[101]: # Différencier les séries de données et les ajouter au DataFrame
dff_diff = dff.diff().dropna()
dff_diff.columns = [f"{col}_diff" for col in dff.columns]
df = pd.concat([dff, dff_diff], axis=1)
dff.head()
```

```
[101]:
```

	depenses	Mass_Mon	PIB	IPC	depenses_diff \
Année					
1972-01-01	29.511858	38.185852	4.321668	7.071098	NaN
1973-01-01	28.838079	42.169886	6.523848	9.196033	-0.673779
1974-01-01	33.253575	42.444689	-2.484404	16.044011	4.415496
1975-01-01	36.489009	36.697659	-1.473649	24.207288	3.235434
1976-01-01	36.444959	34.562379	2.910266	16.559523	-0.044050

	Mass_Mon_diff	IPC_diff
Année		
1972-01-01	NaN	NaN
1973-01-01	3.984033	2.124935
1974-01-01	0.274803	6.847978
1975-01-01	-5.747030	8.163276
1976-01-01	-2.135280	-7.647765

```
[102]: df=df.dropna()
df.head()
```

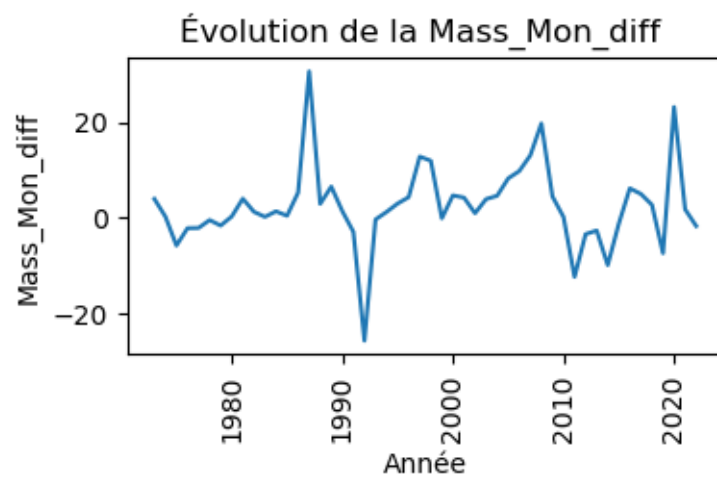
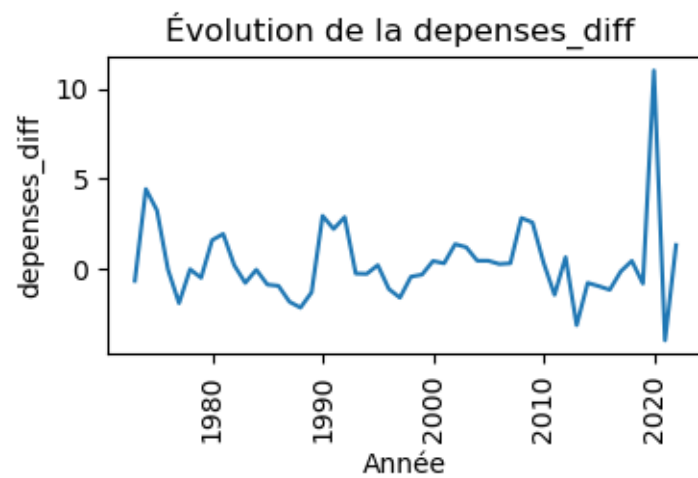
```
[102]:
```

	depenses	Mass_Mon	PIB	IPC	depenses_diff \
Année					
1973-01-01	28.838079	42.169886	6.523848	9.196033	-0.673779
1974-01-01	33.253575	42.444689	-2.484404	16.044011	4.415496
1975-01-01	36.489009	36.697659	-1.473649	24.207288	3.235434
1976-01-01	36.444959	34.562379	2.910266	16.559523	-0.044050
1977-01-01	34.528167	32.479976	2.457751	15.840267	-1.916793

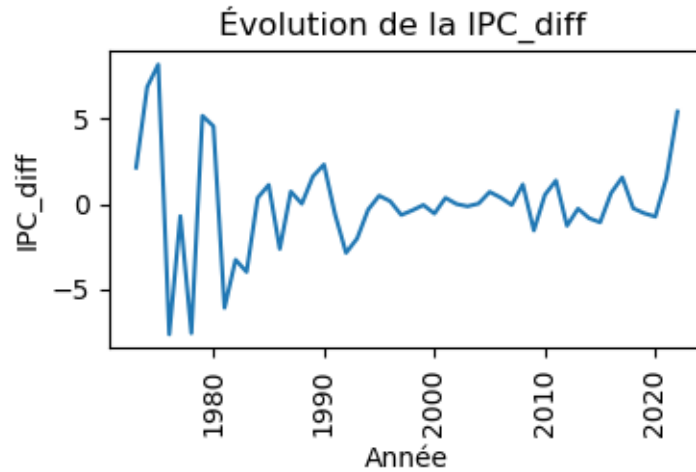
  

	Mass_Mon_diff	IPC_diff
Année		
1973-01-01	3.984033	2.124935
1974-01-01	0.274803	6.847978
1975-01-01	-5.747030	8.163276
1976-01-01	-2.135280	-7.647765
1977-01-01	-2.082404	-0.719256

```
[103]: for i in df_diff.columns:
plt.figure(figsize=(4,2))
sns.lineplot(y=df[i],x = df.index,linewidth = 1.5)
plt.xlabel ('Année')
plt.ylabel (i)
plt.title('Évolution de la {}'.format(i))
plt.xticks(rotation=90)
plt.show()
```







```
[104]: # Faire les tests de Dickey-Fuller augmenté pour les séries différenciées
for column in df_diff.columns:
    result = adfuller(df[column])
    print(f"\nResults for column {column}:")
    print(f'ADF Statistic: {result[0]}')
    print(f'p-value: {result[1]}')
    print('Critical Values:')
    for key, value in result[4].items():
        print(f'\t{key}: {value:.3f}')
```

```
Results for column dépenses_diff:
ADF Statistic: -4.167977524602791
p-value: 0.0007461448757894758
Critical Values:
1%: -3.601
5%: -2.935
10%: -2.606
```

```
Results for column Mass_Mon_diff:
ADF Statistic: -4.583590916426238
p-value: 0.0001384703714606517
Critical Values:
1%: -3.585
5%: -2.928
10%: -2.602
```

```
Results for column IPC_diff:
ADF Statistic: -1.3855675908734404
p-value: 0.5891753067726766
```

Critical Values:

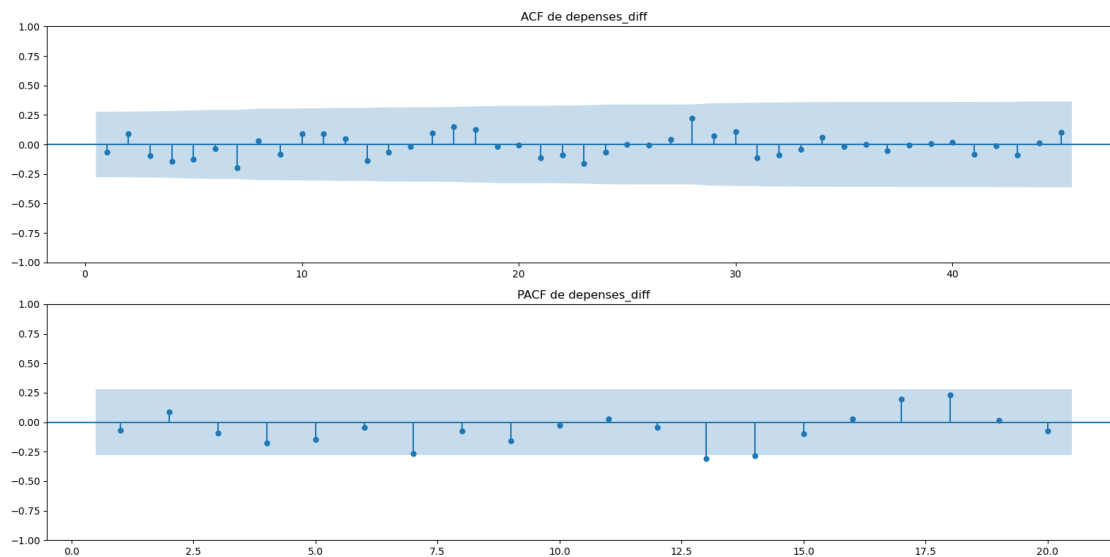
1%: -3.589

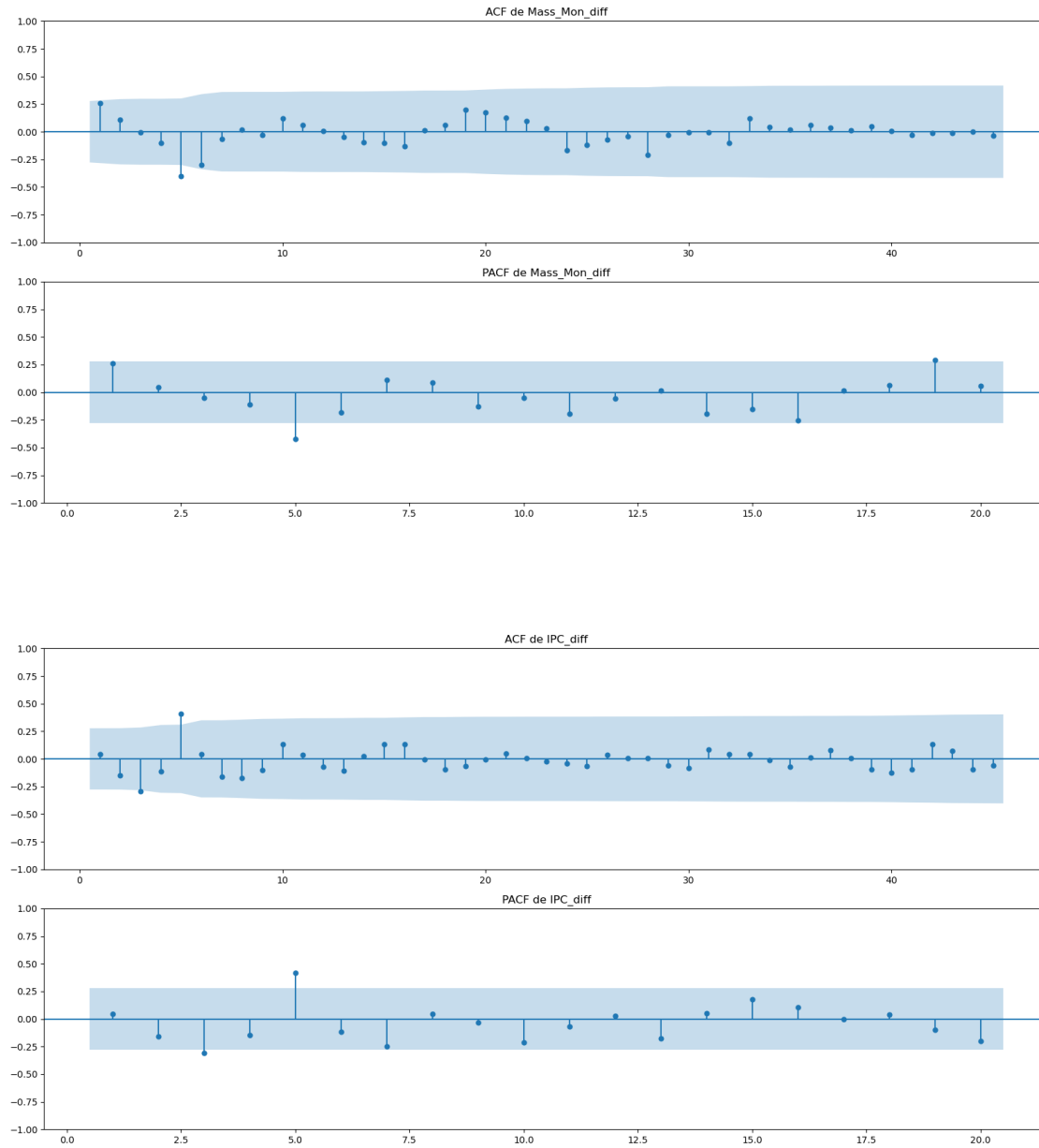
5%: -2.930

10%: -2.603

```
[105]: # Faire les graphiques ACF et PACF pour chaque colonne différenciée
```

```
for column in df_diff.columns:
    fig, (ax1, ax2) = plt.subplots(2,1, figsize=(16,8))
    plot_acf(df[column], lags=45, zero=False, ax=ax1)
    ax1.set_title(f"ACF de {column}")
    plot_pacf(df[column], lags=20, zero=False, ax=ax2)
    ax2.set_title(f"PACF de {column}")
    plt.tight_layout()
    plt.show()
```



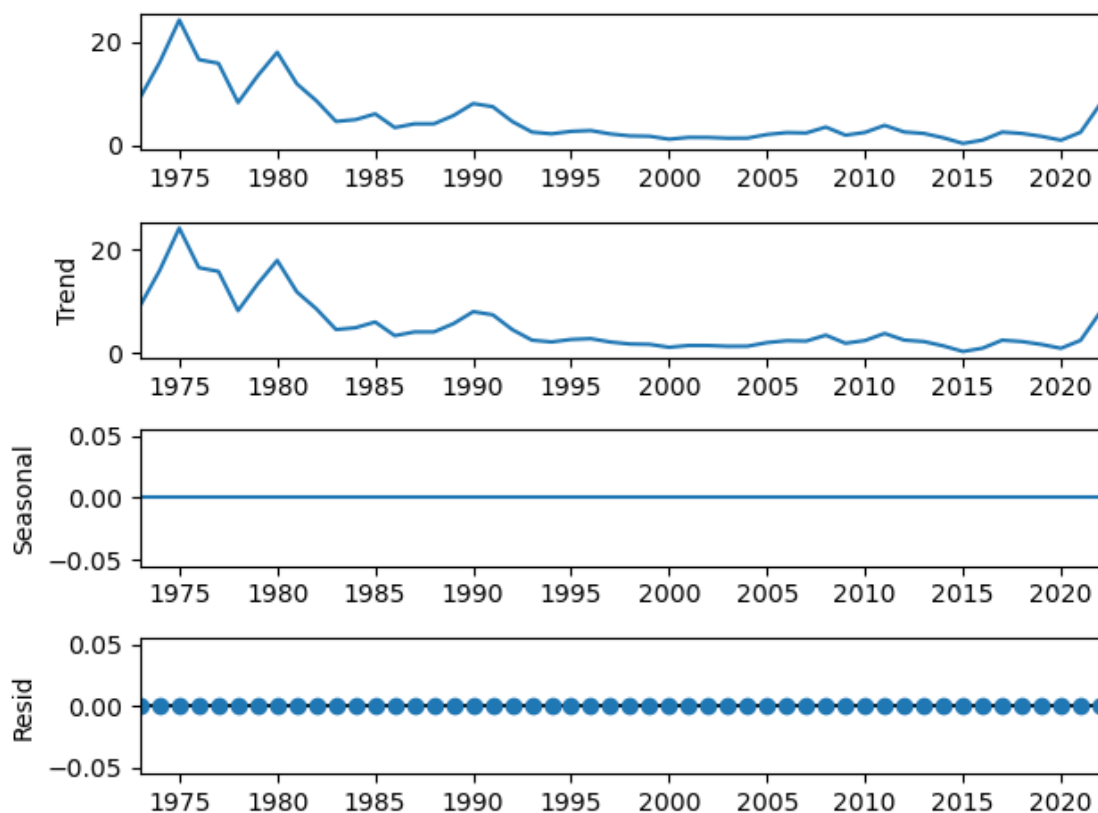


## 4 Saisonabilité

```
[106]: analysis = df[['IPC']].copy()
decompose_result_mult = seasonal_decompose.analysis, model="additive")

trend = decompose_result_mult.trend
seasonal = decompose_result_mult.seasonal
residual = decompose_result_mult.resid
```

```
decompose_result_mult.plot();
```



## 5 Division de la base en train et en base test

```
[121]: dfd= pd.concat([df['PIB'], df_diff], axis=1).dropna()
dfd.head()
```

```
[121]:
```

	PIB	depenses_diff	Mass_Mon_diff	IPC_diff
Année				
1973-01-01	6.523848	-0.673779	3.984033	2.124935
1974-01-01	-2.484404	4.415496	0.274803	6.847978
1975-01-01	-1.473649	3.235434	-5.747030	8.163276
1976-01-01	2.910266	-0.044050	-2.135280	-7.647765
1977-01-01	2.457751	-1.916793	-2.082404	-0.719256

```
[123]: # Définir le point de division
split_point = int(len(dfd) * 0.9) # 90% des données pour l'entraînement

# Diviser les données
df_train = dfd.iloc[:split_point]
```

```
df_test = dfd.iloc[split_point:]

# Vérifier les tailles des ensembles d'entraînement et de test
print('Training set:', len(df_train))
print('Test set:', len(df_test))
```

Training set: 45

Test set: 5

```
[128]: # Choisir l'ordre optimal du modèle VAR
model = VAR(df_train)

# Choisir l'ordre optimal p pour le modèle VAR
order_selection = model.select_order(maxlags=5)
order_selection.summary()
```

```
[128]: <class 'statsmodels.iolib.table.SimpleTable'>
```

```
[129]: # L'ordre optimal est donné par le critère d'information d'Akaike (AIC) ou le
      ↪ critère d'information bayésien (BIC)
optimal_order_aic = order_selection.aic
optimal_order_bic = order_selection.bic
optimal_order_fpe = order_selection.fpe
optimal_order_hqic = order_selection.hqic

print(f"P optimal avec AIC: {optimal_order_aic}")
print(f"P optimal avec BIC: {optimal_order_bic}")
print(f"P optimal avec FPE: {optimal_order_fpe}")
print(f"P optimal avec HQIC: {optimal_order_hqic}")
```

P optimal avec AIC: 5

P optimal avec BIC: 0

P optimal avec FPE: 5

P optimal avec HQIC: 1

## 6 Estimation du modèle

```
[130]: # Créer le modèle VAR
model = VAR(df_train)

# Choisir un ordre 5
results = model.fit(5)

# Voir un sommaire des résultats
print(results.summary())
```

```
Summary of Regression Results
=====
```

Model: VAR  
Method: OLS  
Date: Thu, 18, Apr, 2024  
Time: 00:50:47

```
-----
No. of Equations:      4.00000    BIC:                9.84930
Nobs:                 40.0000    HQIC:               7.58501
Log likelihood:       -269.083    FPE:                869.916
AIC:                  6.30266    Det(Omega_mle):     160.841
-----
```

Results for equation PIB

=====

```
===
                                coefficient      std. error      t-stat
prob
-----
---
const                -0.109529          1.121097          -0.098
0.922
L1.PIB               -0.006526          0.265196          -0.025
0.980
L1.depenses_diff     -0.984657          0.352963          -2.790
0.005
L1.Mass_Mon_diff     -0.051472          0.038504          -1.337
0.181
L1.IPC_diff          -0.596072          0.162949          -3.658
0.000
L2.PIB                0.188380          0.274972           0.685
0.493
L2.depenses_diff      0.411660          0.380119           1.083
0.279
L2.Mass_Mon_diff      0.003304          0.038936           0.085
0.932
L2.IPC_diff           -0.259035          0.192577          -1.345
0.179
L3.PIB                0.643228          0.262403           2.451
0.014
L3.depenses_diff      0.435794          0.363963           1.197
0.231
L3.Mass_Mon_diff     -0.010868          0.036727          -0.296
0.767
L3.IPC_diff           -0.071195          0.160297          -0.444
0.657
L4.PIB               -0.042996          0.310708          -0.138
0.890
L4.depenses_diff      0.183206          0.375655           0.488
0.626
L4.Mass_Mon_diff      0.015471          0.036019           0.430
```

0.668			
L4.IPC_diff	-0.117863	0.126476	-0.932
0.351			
L5.PIB	0.073938	0.325502	0.227
0.820			
L5.depenses_diff	-0.057117	0.366284	-0.156
0.876			
L5.Mass_Mon_diff	0.010429	0.036464	0.286
0.775			
L5.IPC_diff	-0.286288	0.113914	-2.513
0.012			

=====

===

Results for equation depenses\_diff

=====

===

	coefficient	std. error	t-stat
prob			
-----			
---			
const	-1.243930	0.855363	-1.454
0.146			
L1.PIB	-0.373795	0.202336	-1.847
0.065			
L1.depenses_diff	0.020326	0.269300	0.075
0.940			
L1.Mass_Mon_diff	0.015174	0.029377	0.517
0.605			
L1.IPC_diff	0.143768	0.124325	1.156
0.248			
L2.PIB	0.179997	0.209796	0.858
0.391			
L2.depenses_diff	-0.092272	0.290019	-0.318
0.750			
L2.Mass_Mon_diff	-0.038675	0.029707	-1.302
0.193			
L2.IPC_diff	-0.017474	0.146931	-0.119
0.905			
L3.PIB	0.047975	0.200205	0.240
0.811			
L3.depenses_diff	0.101518	0.277693	0.366
0.715			
L3.Mass_Mon_diff	-0.001223	0.028021	-0.044
0.965			
L3.IPC_diff	-0.075728	0.122302	-0.619
0.536			
L4.PIB	0.482416	0.237061	2.035

0.042			
L4.depenses_diff	0.101983	0.286614	0.356
0.722			
L4.Mass_Mon_diff	0.008512	0.027481	0.310
0.757			
L4.IPC_diff	0.079014	0.096498	0.819
0.413			
L5.PIB	0.256587	0.248348	1.033
0.302			
L5.depenses_diff	0.240911	0.279463	0.862
0.389			
L5.Mass_Mon_diff	0.016280	0.027821	0.585
0.558			
L5.IPC_diff	0.198134	0.086913	2.280
0.023			

=====

===

Results for equation Mass\_Mon\_diff

=====

===

	coefficient	std. error	t-stat
prob			
-----			
---			
const	-5.660473	5.160944	-1.097
0.273			
L1.PIB	0.911604	1.220823	0.747
0.455			
L1.depenses_diff	0.962035	1.624856	0.592
0.554			
L1.Mass_Mon_diff	0.217141	0.177252	1.225
0.221			
L1.IPC_diff	-1.276125	0.750133	-1.701
0.089			
L2.PIB	3.289188	1.265830	2.598
0.009			
L2.depenses_diff	0.758480	1.749870	0.433
0.665			
L2.Mass_Mon_diff	-0.079139	0.179242	-0.442
0.659			
L2.IPC_diff	0.875704	0.886526	0.988
0.323			
L3.PIB	-0.230692	1.207966	-0.191
0.849			
L3.depenses_diff	3.234652	1.675497	1.931
0.054			
L3.Mass_Mon_diff	0.119318	0.169071	0.706



0.480			
L3.IPC_diff	0.616638	0.737926	0.836
0.403			
L4.PIB	-0.123757	1.430336	-0.087
0.931			
L4.depenses_diff	-1.033858	1.729322	-0.598
0.550			
L4.Mass_Mon_diff	0.097503	0.165813	0.588
0.557			
L4.IPC_diff	-0.653509	0.582231	-1.122
0.262			
L5.PIB	-0.268840	1.498442	-0.179
0.858			
L5.depenses_diff	1.086108	1.686178	0.644
0.519			
L5.Mass_Mon_diff	-0.469614	0.167861	-2.798
0.005			
L5.IPC_diff	-0.550382	0.524402	-1.050
0.294			
=====			
===			

Results for equation IPC\_diff

	coefficient	std. error	t-stat
=====			
===			
prob			
-----			
---			
const	-1.343160	1.215891	-1.105
0.269			
L1.PIB	0.342179	0.287619	1.190
0.234			
L1.depenses_diff	0.023547	0.382808	0.062
0.951			
L1.Mass_Mon_diff	0.062514	0.041760	1.497
0.134			
L1.IPC_diff	-0.159727	0.176727	-0.904
0.366			
L2.PIB	0.017910	0.298223	0.060
0.952			
L2.depenses_diff	0.100442	0.412260	0.244
0.808			
L2.Mass_Mon_diff	-0.022530	0.042229	-0.534
0.594			
L2.IPC_diff	0.065686	0.208861	0.314
0.753			
L3.PIB	-0.161083	0.284590	-0.566

```

0.571
L3.depenses_diff      -0.099625      0.394738      -0.252
0.801
L3.Mass_Mon_diff      0.052811      0.039832      1.326
0.185
L3.IPC_diff           -0.148486      0.173851      -0.854
0.393
L4.PIB                0.154319      0.336980      0.458
0.647
L4.depenses_diff      -0.452550      0.407419      -1.111
0.267
L4.Mass_Mon_diff      0.034962      0.039065      0.895
0.371
L4.IPC_diff           -0.066674      0.137171      -0.486
0.627
L5.PIB                -0.079176      0.353025      -0.224
0.823
L5.depenses_diff      0.550934      0.397255      1.387
0.165
L5.Mass_Mon_diff      -0.004776      0.039547      -0.121
0.904
L5.IPC_diff           0.447457      0.123546      3.622
0.000
=====
===

```

Correlation matrix of residuals

	PIB	depenses_diff	Mass_Mon_diff	IPC_diff
PIB	1.000000	-0.690335	-0.022932	0.248272
depenses_diff	-0.690335	1.000000	-0.078252	-0.308152
Mass_Mon_diff	-0.022932	-0.078252	1.000000	0.309592
IPC_diff	0.248272	-0.308152	0.309592	1.000000

```

[135]: results.plot()
       plt.show()

```



## 7 Validation du modèle

```
[136]: # Obtenir les résidus
residuals = results.resid
residuals.head()
```

```
[136]:
```

	PIB	depenses_diff	Mass_Mon_diff	IPC_diff
Année				
1978-01-01	-0.607868	0.114010	0.425423	-2.222838
1979-01-01	-0.177103	-0.028790	-2.181848	0.215909
1980-01-01	-1.006621	-0.074270	3.638977	-0.319160
1981-01-01	-0.778222	0.152255	-1.342012	-1.756115

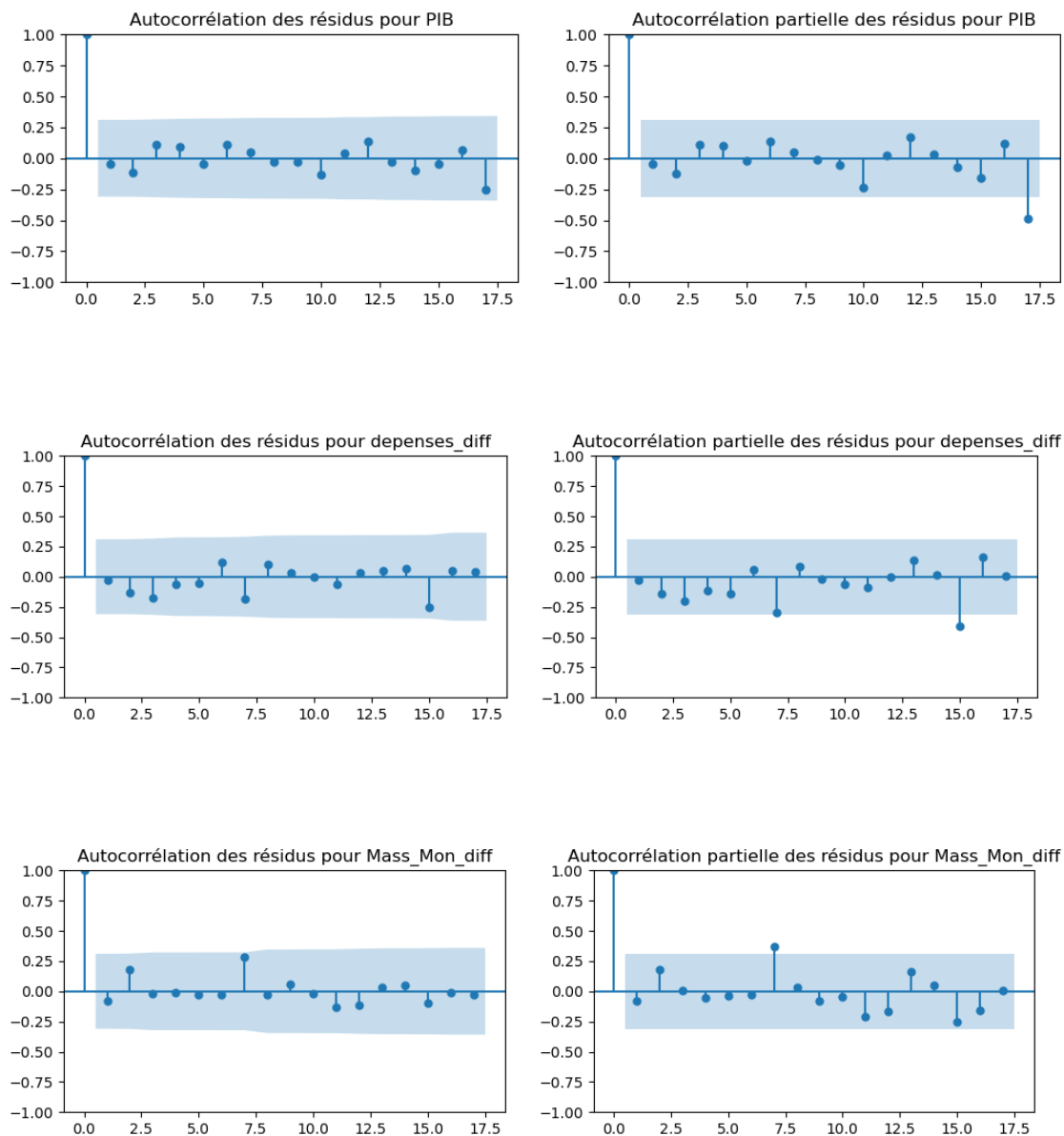
1982-01-01 -1.532983      1.360965      -4.830124 -1.539489

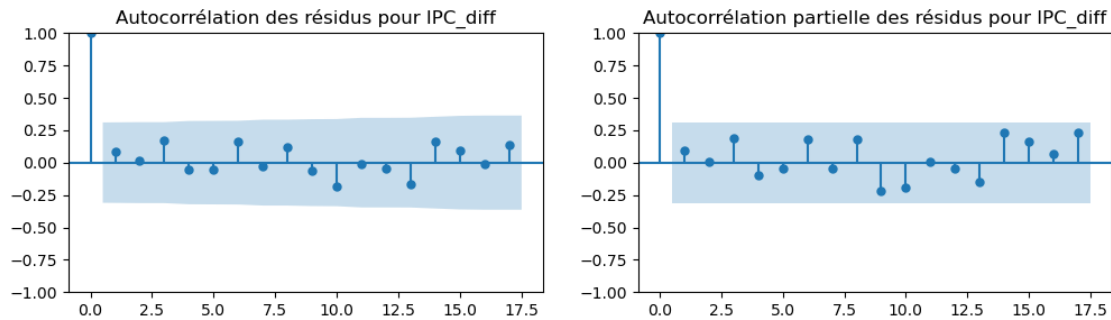
```
[137]: # Tracer l'ACF et le PACF pour chaque série de résidus
for col in residuals.columns:
    fig, axes = plt.subplots(1, 2, figsize=(12, 3))

    plot_acf(residuals[col], ax=axes[0])
    axes[0].set_title(f'Autocorrélation des résidus pour {col}')

    plot_pacf(residuals[col], ax=axes[1])
    axes[1].set_title(f'Autocorrélation partielle des résidus pour {col}')

plt.show()
```





```
[138]: from statsmodels.stats.stattools import jarque_bera
from statsmodels.stats.diagnostic import acorr_ljungbox
# Effectuer des tests sur les résidus
for col in residuals.columns:
    print(f"Résidus pour {col}:")
    jb_test = jarque_bera(residuals[col])
    print(f"Test de Jarque-Bera: statistic={jb_test[0]}, p-value={jb_test[1]}")
```

Résidus pour PIB:

Test de Jarque-Bera: statistic=1.9059317485845881, p-value=0.3855956974812551

Résidus pour dépenses\_diff:

Test de Jarque-Bera: statistic=2.1044742399081877, p-value=0.3491557714050238

Résidus pour Mass\_Mon\_diff:

Test de Jarque-Bera: statistic=1.7449668760734254, p-value=0.41791239990028173

Résidus pour IPC\_diff:

Test de Jarque-Bera: statistic=2.7136207894529063, p-value=0.2574807304901465

```
[139]: # Préparer un tableau pour stocker les résultats
results_df = pd.DataFrame(columns=['Variable', 'Lag', 'LB Statistic', 'LB P-value'])

# Effectuer le test de Ljung-Box pour des décalages de 1 à 12
for col in residuals.columns:
    for lag in range(1, 13):
        lb_test = acorr_ljungbox(residuals[col], lags=[lag], return_df=True)
        results_df = results_df.append({
            'Variable': col,
            'Lag': lag,
            'LB Statistic': lb_test['lb_stat'].values[0],
            'LB P-value': lb_test['lb_pvalue'].values[0]
        }, ignore_index=True)

# Afficher les résultats
```

```
print(results_df)
```

	Variable	Lag	LB Statistic	LB P-value
0	PIB	1	0.096761	0.755751
1	PIB	2	0.709175	0.701463
2	PIB	3	1.264977	0.737466
3	PIB	4	1.698864	0.790924
4	PIB	5	1.812667	0.874411
5	PIB	6	2.372771	0.882426
6	PIB	7	2.511812	0.926205
7	PIB	8	2.561811	0.958786
8	PIB	9	2.616649	0.977580
9	PIB	10	3.540358	0.965710
10	PIB	11	3.623642	0.979663
11	PIB	12	4.690470	0.967527
12	depenses_diff	1	0.036890	0.847690
13	depenses_diff	2	0.784358	0.675583
14	depenses_diff	3	2.166080	0.538660
15	depenses_diff	4	2.358316	0.670173
16	depenses_diff	5	2.506311	0.775544
17	depenses_diff	6	3.162226	0.788228
18	depenses_diff	7	4.813343	0.682730
19	depenses_diff	8	5.326830	0.722141
20	depenses_diff	9	5.393058	0.798787
21	depenses_diff	10	5.393179	0.863415
22	depenses_diff	11	5.642614	0.896115
23	depenses_diff	12	5.701439	0.930378
24	Mass_Mon_diff	1	0.287804	0.591631
25	Mass_Mon_diff	2	1.663023	0.435391
26	Mass_Mon_diff	3	1.679474	0.641507
27	Mass_Mon_diff	4	1.687122	0.793056
28	Mass_Mon_diff	5	1.729041	0.885221
29	Mass_Mon_diff	6	1.776083	0.939098
30	Mass_Mon_diff	7	5.935356	0.547318
31	Mass_Mon_diff	8	5.968670	0.650741
32	Mass_Mon_diff	9	6.143811	0.725443
33	Mass_Mon_diff	10	6.164239	0.801281
34	Mass_Mon_diff	11	7.226793	0.780431
35	Mass_Mon_diff	12	7.995430	0.785487
36	IPC_diff	1	0.337762	0.561124
37	IPC_diff	2	0.346063	0.841111
38	IPC_diff	3	1.680647	0.641245
39	IPC_diff	4	1.828997	0.767173
40	IPC_diff	5	1.969633	0.853331
41	IPC_diff	6	3.324634	0.767136
42	IPC_diff	7	3.357120	0.850119
43	IPC_diff	8	4.070265	0.850729
44	IPC_diff	9	4.272726	0.892563

45	IPC_diff	10	6.148646	0.802624
46	IPC_diff	11	6.153666	0.862917
47	IPC_diff	12	6.287597	0.900896

## 8 Prédiction train et test

```
[140]: # Prévoir les valeurs sur l'ensemble d'entraînement
# Prédiction sur les ensembles d'entraînement et de test
train_pred = results.fittedvalues
test_pred = results.forecast(df_train.values, steps=len(df_test))
```

```
[142]: forecast = results.forecast(df_train.values, len(df_test))
```

```
[160]: #train_rmse = rmse(df_train, train_pred)
```

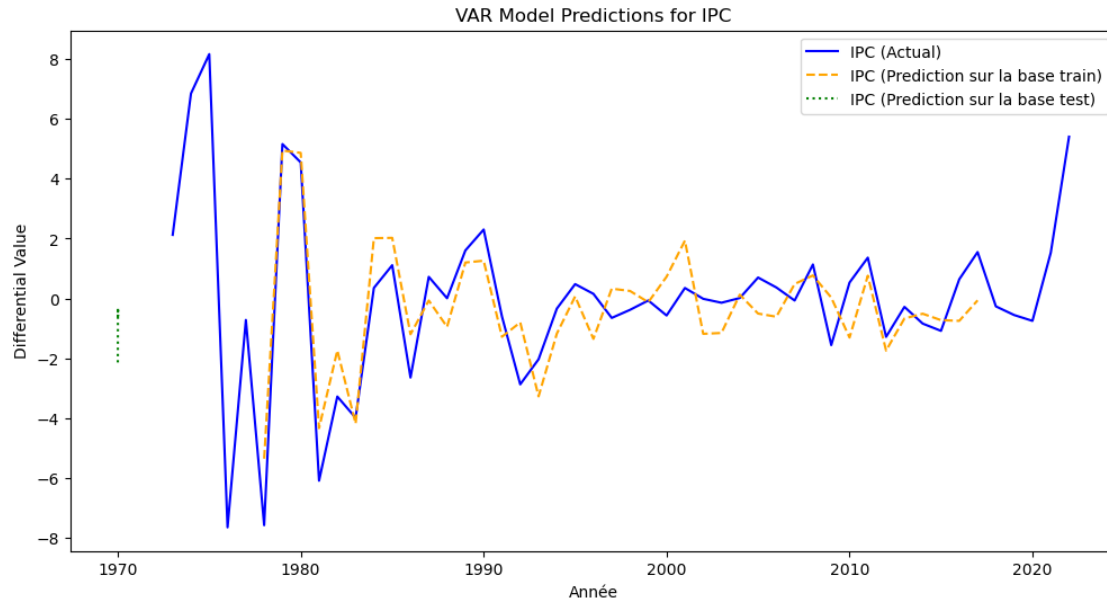
```
[143]: forecast
```

```
[143]: array([[ -0.30418627, -0.73044023, -5.73882813, -2.13858285],
 [  3.10057656, -0.17420198,  5.99134857, -1.62824441],
 [  2.59773517, -1.27797102, -1.46818597, -0.30837701],
 [  1.88939742,  0.01138868, -6.32393935, -0.5876255 ],
 [  2.40642024, -0.64119103, -1.14970416, -0.38906814]])
```

```
[145]: # Créer un DataFrame avec les prédictions
train_pred_df = pd.DataFrame(train_pred, columns=df_train.columns)
#train_pred_df['Année'] = df_diff.index[4:len(df_train)] # Ajouter les dates
↳correspondant à l'ensemble d'entraînement
#train_pred_df.set_index('Année', inplace=True) # Utiliser les dates comme
↳indices

test_pred_df = pd.DataFrame(test_pred, columns=df_train.columns)
#test_pred_df['Année'] = df_diff.index[len(df_train):] # Ajouter les dates
↳correspondant à l'ensemble d'entraînement
#test_pred_df.set_index('Année', inplace=True) # Utiliser les dates comme
↳indices
```

```
[149]: plt.figure(figsize=(12, 6))
plt.plot(df_diff.index, df_diff['IPC_diff'], label='IPC (Actual)', color='blue')
plt.plot(train_pred_df.index, train_pred_df['IPC_diff'], label='IPC (Prediction
↳sur la base train)', linestyle='dashed', color='orange')
plt.plot(test_pred_df.index, test_pred_df['IPC_diff'], label='IPC (Prediction
↳sur la base test)', linestyle='dotted', color='green')
plt.xlabel('Année')
plt.ylabel('Differential Value')
plt.title('VAR Model Predictions for IPC')
plt.legend()
plt.show()
```

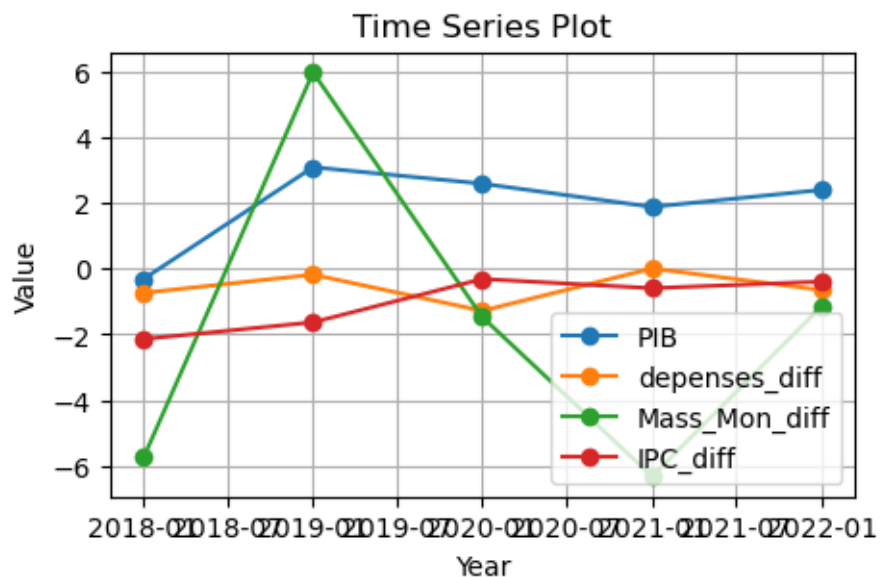


```
[151]: cols = ['PIB', 'depenses_diff', 'Mass_Mon_diff', 'IPC_diff']
forc = pd.DataFrame(forecast, index = df_test.index, columns = cols)
cols2 = forc.columns
```

```
[152]: plt.figure(figsize=(5, 3))
for column in forc.columns:
    plt.plot(forc.index, forc[column], marker='o', label=column)

plt.title('Time Series Plot')
plt.xlabel('Year')
plt.ylabel('Value')
plt.legend()
plt.grid(True)
plt.show()
```



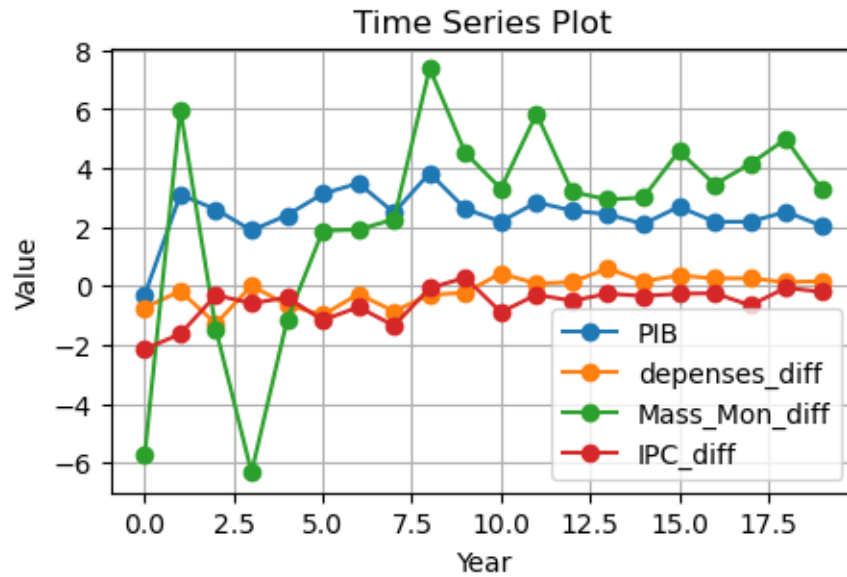


```
[154]: forecast = results.forecast(df_train.values, 20)
```

```
[155]: cols = ['PIB', 'dependes_diff', 'Mass_Mon_diff', 'IPC_diff']
forc = pd.DataFrame(forecast, columns = cols)
cols2 = forc.columns
```

```
[157]: plt.figure(figsize=(5, 3))
for column in forc.columns:
    plt.plot(forc.index, forc[column], marker='o', label=column)

plt.title('Time Series Plot')
plt.xlabel('Year')
plt.ylabel('Value')
plt.legend()
plt.grid(True)
plt.show()
```



```
[158]: test_rmse = rmse(df_test, test_pred)
```

```
[161]: test_rmse
```

```
[161]: array([ 6.67462882,  5.86640774, 13.58467749,  2.92890357])
```

```
[162]: # Calculate absolute error
absolute_error = abs(df_test.values - test_pred)

# Calculate absolute percentage error
absolute_percentage_error = absolute_error / df_test.values * 100

# Calculate mean of absolute percentage errors
mape = absolute_percentage_error.mean()

print("MAPE for test set:", mape)
```

```
MAPE for test set: 25.09414585104277
```