

GUIDED RANDOM SEARCHES



Optimization



- Exhaustive search
- Random search
- Greedy search
- Evolutionary search



Evolutionary practitioners



Believe in nature

- Nature finds great solutions only with three tools
 - -Survival of the fittest
 - -Mating
 - Mutation



What does survival of the fittest mean







Summary of biology



- Not all members survive until reproduction. Only a few learn to earn lunch. Others are lunch!
- The strong ones then need to attract and mate other members of the species that survived.
- The offspring generation hence is normally better than the parents generation
- Over generations, species develop



Can a similar theory be applied to optimization



Start with random solutions

Kill the weak ones

Reproduce from the good ones; Mutate infrequently

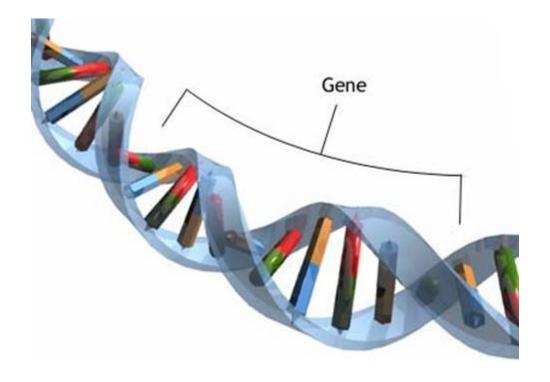
 Will the newer set be more optimal than its parents?



Gene



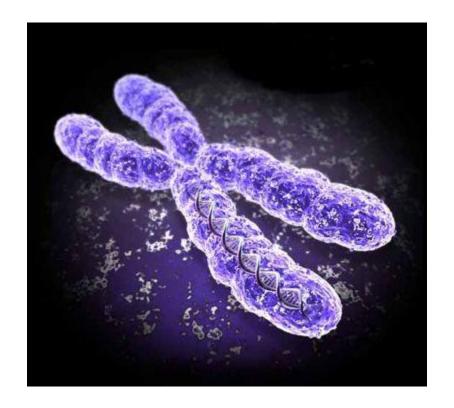
Gene: The reproducible building block of chromosome



Beg, Borrow or Steel



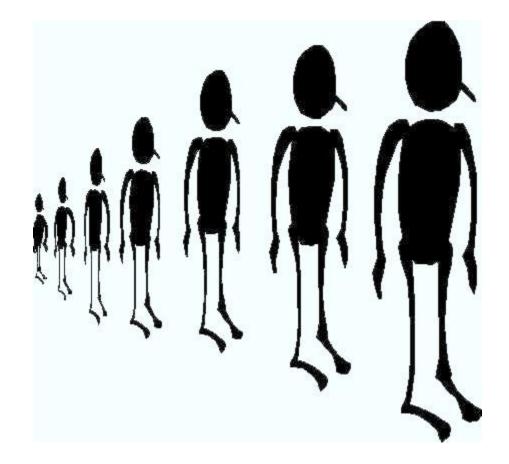
Chromosome: A possible solution



Population



A set of chromosomes



Generation



 A population derived from the fittest chromosomes of the previous population



Reproduction, Mating and Mutation



 Create a new solution from the old fitter solutions





```
initialize population;
evaluate population;
while TerminationCriteriaNotSatisfied
  select parents for reproduction;
  perform recombination and mutation;
  evaluate population;
```

So, GA at a snapshot



- Create a schema to create possible solutions in a bit/byte format
- Start with a number of random solutions
- Identify the best ones
- Create new ones from them using some exchange mechanism
- Continue with the last two steps until a solution is found



Some unique differentiators



- GAs work with a coding of the parameters and not the parameters themselves
- GAs search from a population of points and not a single point
- GAs work with the objective function and not the derivatives
- GAs transition based on random rules and not on deterministic rules

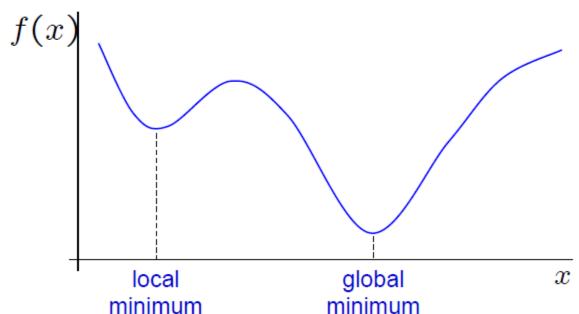




Optimizing non-convex functions

function of one variable

$$\min_{x} f(x)$$



Sketch three methods:

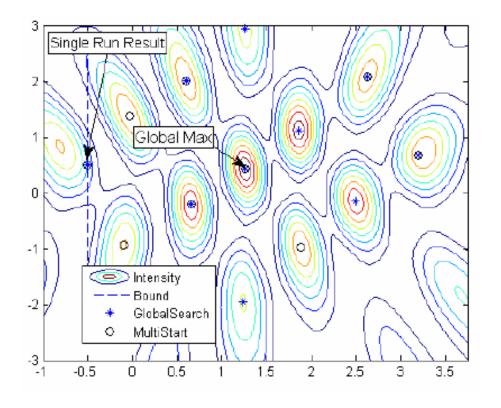
- grid search: uniform grid space covering
- multiple coverings: Newton like methods within regions
- 3. simulated annealing: stochastic optimization



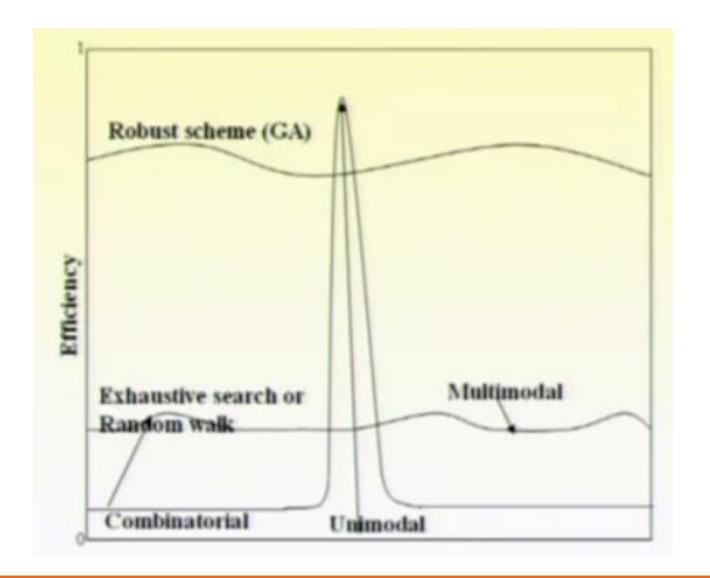
Multiple coverings ctd

- Use multiple starting points
- Continuous optimization method for each

- Record optimum for each starting point
- Sort values to find global optimum









Why do they work?



Understanding the schema

- -What is a schema
 - 1, 0 or either
 - Length: Distance between two fixed points
 - Order: Number of fixed points
 - Average fitness





 Which schema are likely to survive under reproduction

 Fundamental law of genetic algorithms

Short, low order and above average schema grow exponentially





OPERATIONAL ASPECTS



Population



Chromosomes could be:

- Bit strings
- Real numbers
- Permutations of element
- Lists of rules
- Program elements
- ... any data structure ...

```
(0101 ... 1100)
(43.2 -33.1 ... 0.0 89.2)
(E11 E3 E7 ... E1 E15)
(R1 R2 R3 ... R22 R23)
(genetic programming)
```

Binary is better



Binary	Octal	Fitness
000	0	22
011	3	8
101	5	11
111	7	3

Binary requires less coding effort



Innovations: Creating a coding scheme

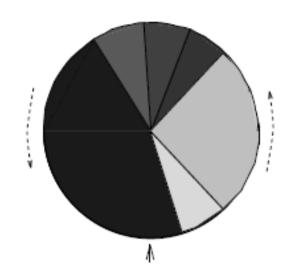


- Password retrieval
- Knap Sack
- Polynomial fit
- TSP
- Portfolio allocation



How do we decide mating pool





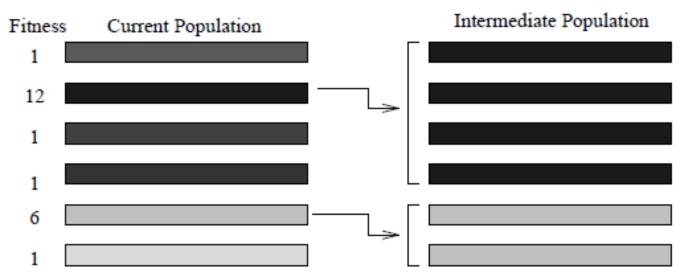


Figure 2. Selection application

How do we determine reproduction



- Most common: Cross over
 - -npoint crossover: n crossover points are randomly selected and the segments of the parents, defined by them, are exchanged for generating the offspring.
 - -uniform crossover: the values of each gene in the offspring are determined by the uniform random choice of the values of this gene in the parents.

For real coding



Arithmetical crossover (Michalewicz, 1992)

Two offspring, $H_k = (h_1^k, ..., h_i^k, ..., h_n^k)$ k = 1, 2, are generated, where $h_i^1 = \lambda c_i^1 + (1 - \lambda)c_i^2$ and $h_i^2 = \lambda c_i^2 + (1 - \lambda)c_i^1$. λ is a constant (uniform arithmetical crossover) or varies with regard to the number of generations made (non-uniform arithmetical crossover).



 Flat crossover: An offspring, H is generated, where hi is a randomly (uniformly) chosen value of the interval [c1i; c2i]



Cross over



- Hello World
- Knap Sack
- Polynomial fit
- TSP
- Portfolio allocation



Inversion or Mutation



Flip

Random generation

An unexpected operation



Non uniform mutation

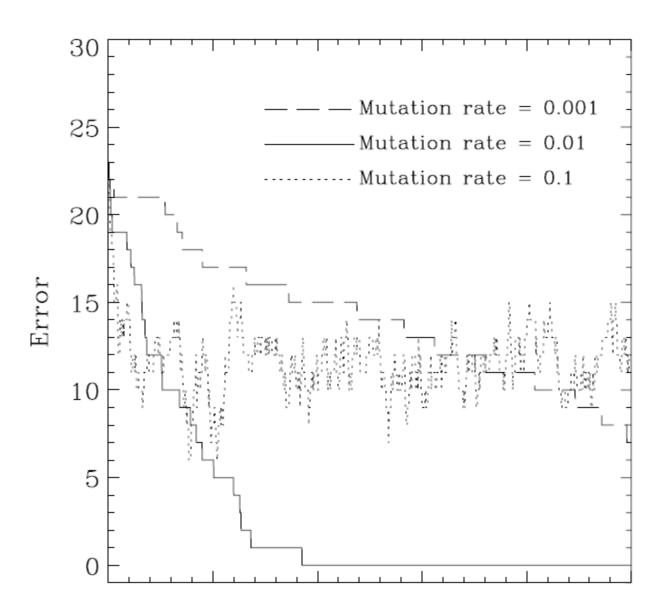


Initially mutate heavily

As the number of generations increase mutate less









Mutation scheme



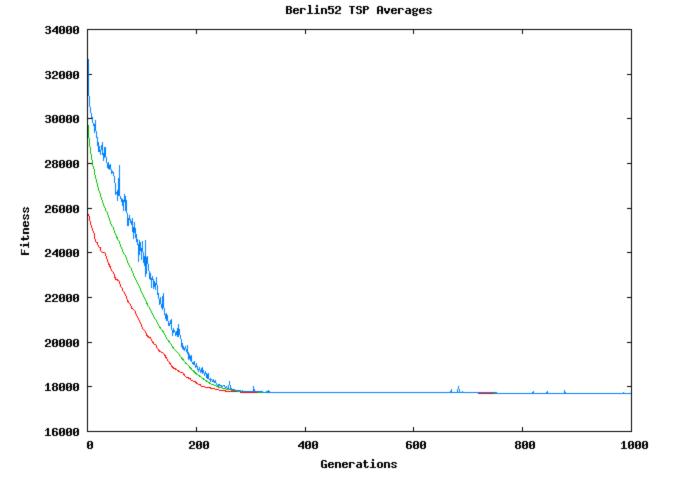
- Hello World
- Knap Sack
- Polynomial fit
- TSP
- Portfolio allocation



Convergence of a GA



When to stop?





EXAMPLES



A Simple Example



The Traveling Salesman Problem:

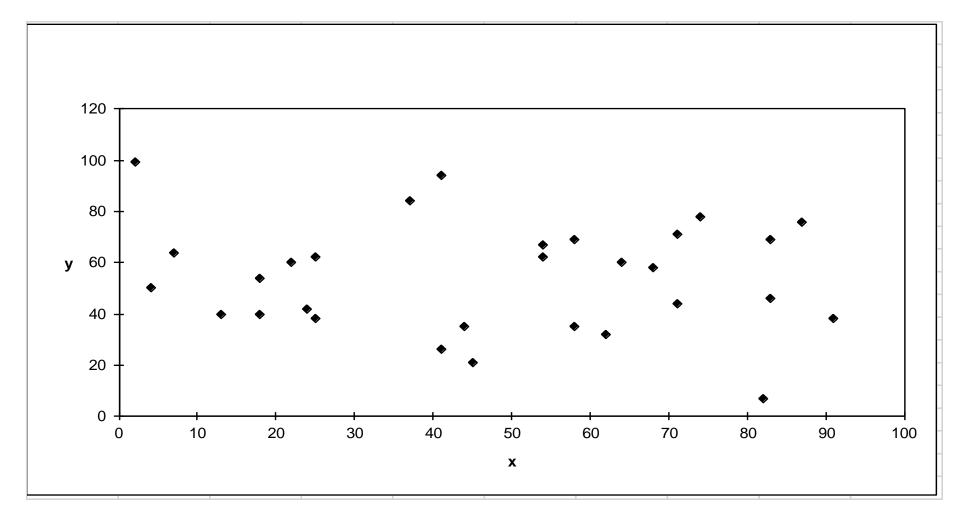
Find a tour of a given set of cities so that

- -each city is visited only once
- -the total distance traveled is minimized



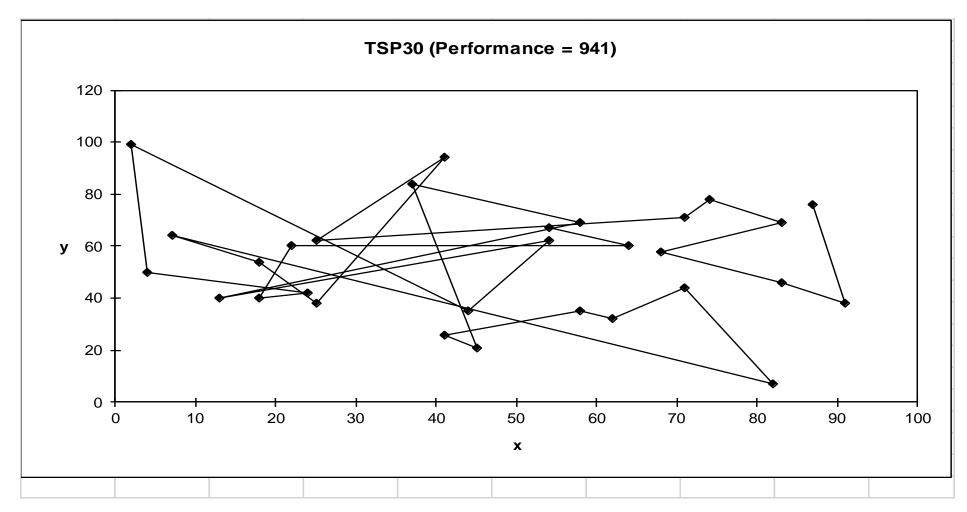
TSP Example: 30 Cities





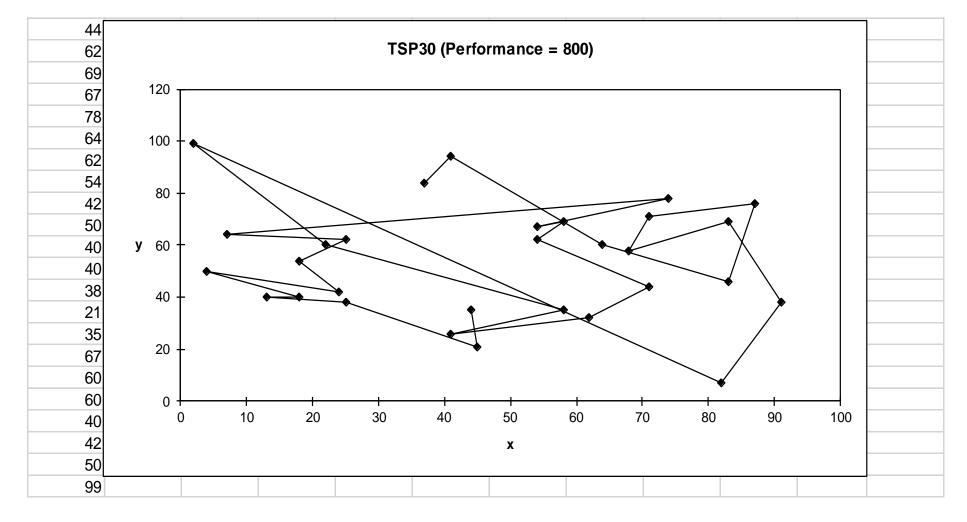
Solution (Distance = 941)





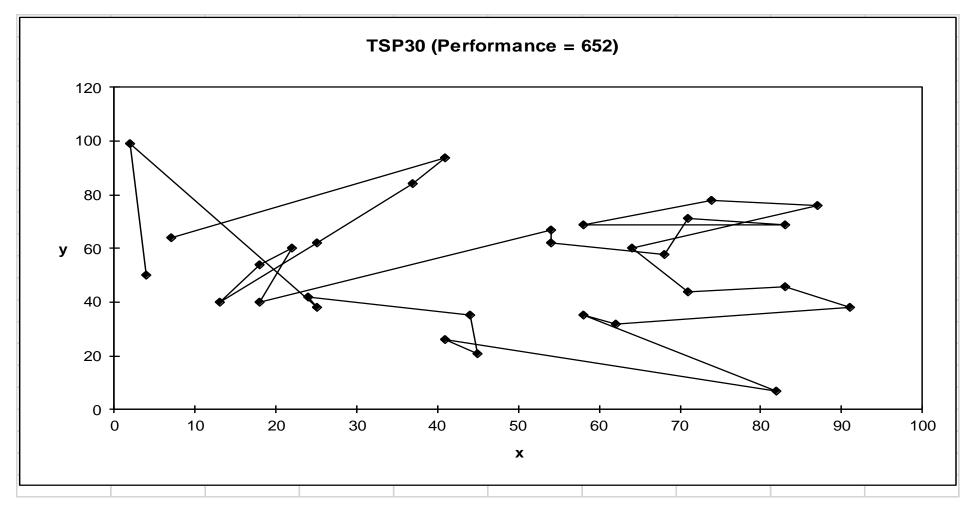
Solution $_{j}$ (Distance = 800)





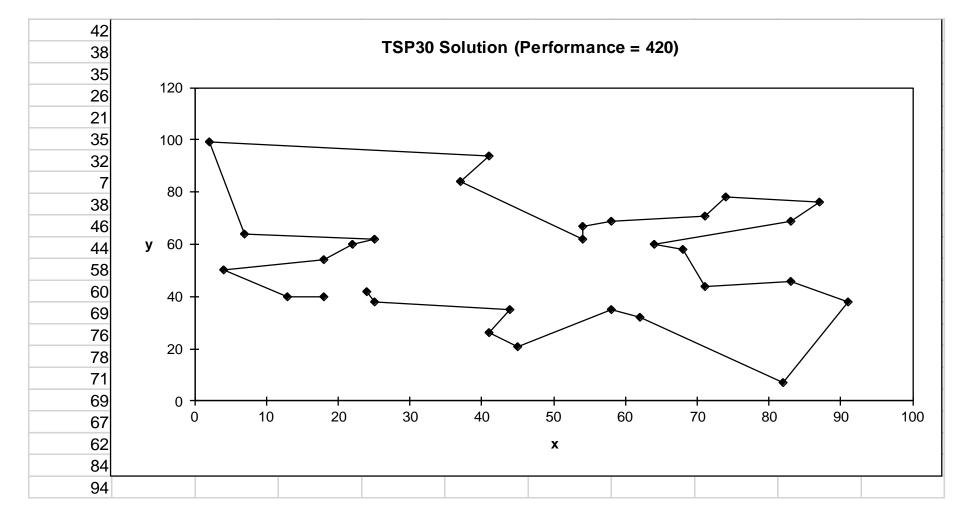
Solution $_{k}$ (Distance = 652)





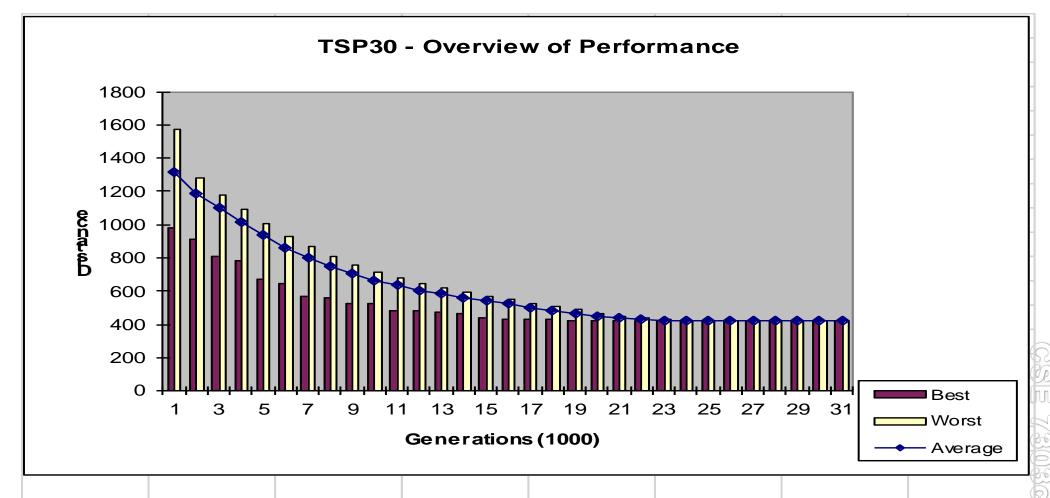
Best Solution (Distance = 420)





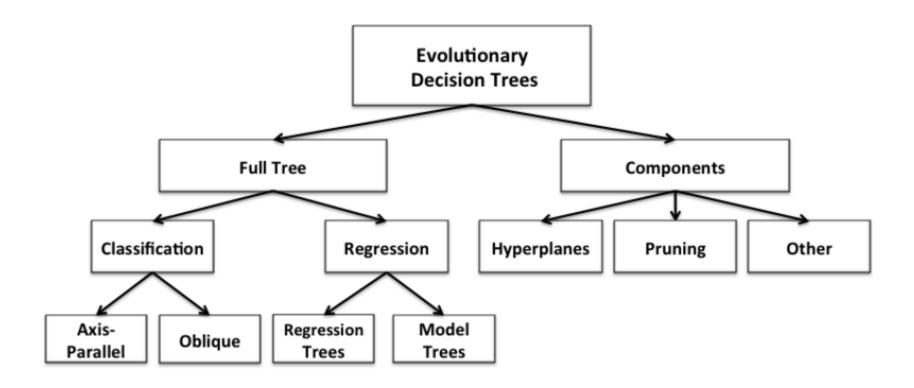
Overview of Performance





GA and Decision trees







GA is slow but robust

 Gradient descent is fast but will not converge

How do we have best of both





DEEP LEARNING



ANN died too

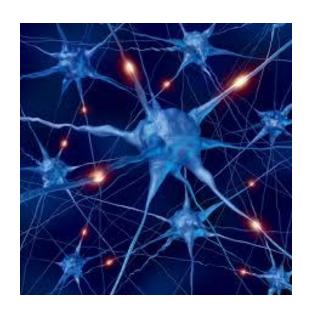


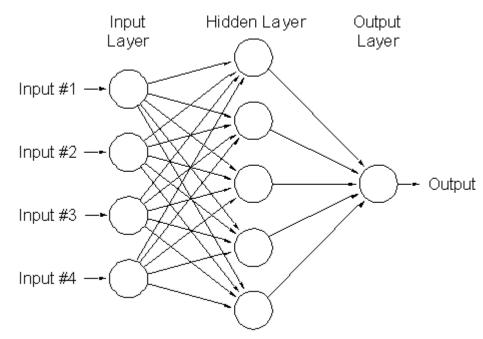
- http://www.newyorker.com/news/news-desk/is-deeplearning-a-revolution-in-artificial-intelligence
- They learned slowly and inefficiently, and as Steven
 Pinker and I showed, couldn't master even some of the
 basic things that children do, like <u>learning the past</u>
 tense of regular verbs. By the late nineteen-nineties,
 neural networks had again begun to fall out of favor.
- They need trained samples and that is not how we learn



Brain and Artificial Neuralnet







Brain seems to be creating refined features slowly and systematically More layers enable In ANN with one or two layers, you cannot create such features

Adding more layers

- Vanishing gradients: as we add more and more hidden layers, backpropagation becomes less and less useful in passing information to the lower layers. In effect, as information is passed back, the gradients begin to vanish and become small relative to the weights of the networks.
- Overfitting: perhaps the central problem in Machine Learning. Briefly, overfitting describes the phenomenon of fitting the training data too closely, maybe with hypotheses that are too complex. In such a case, your learner ends up fitting the training data really well, but will perform much, much more poorly on real examples.

How to add more layers

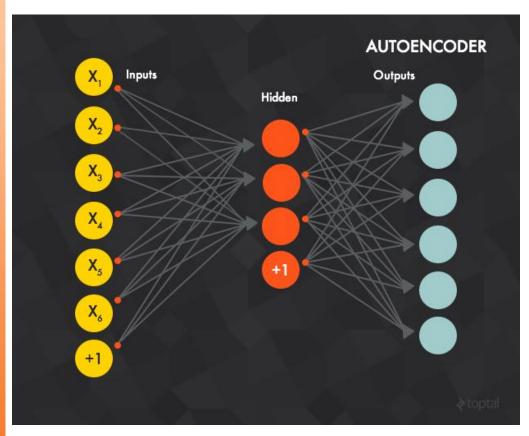


Unsupervised learning to create features



Autoencoders





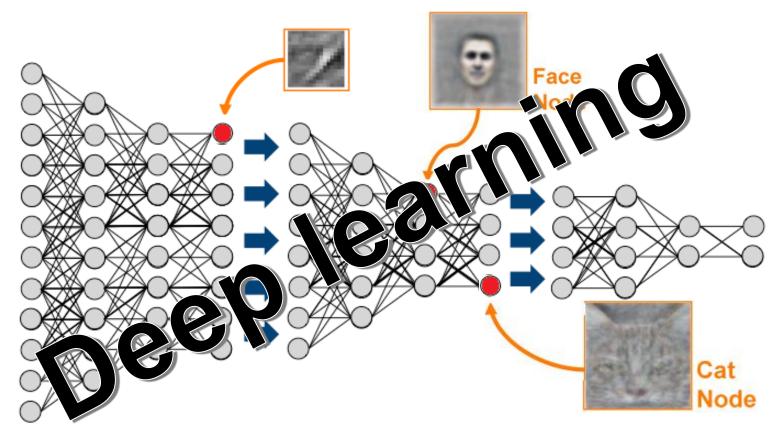
The network is trained to "recreate" the input. An autoencoder is a feed forward neural network which aims to learn a compressed, distributed representation (encoding) of a dataset.

Autoencoders



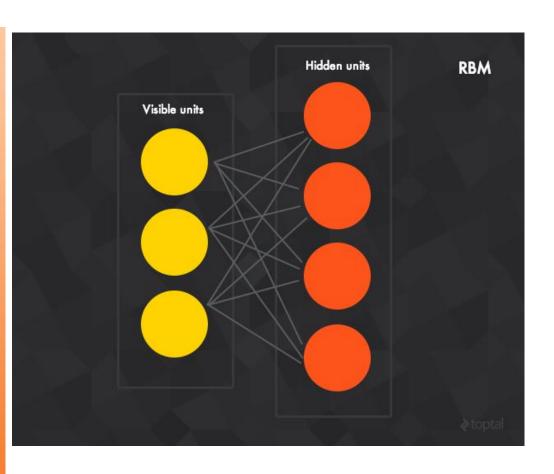
- The intuition behind this architecture is that the network will not learn a "mapping" between the training data and its labels, but will instead learn the internal structure and features of the data itself.
- Usually, the number of hidden units is smaller than the input/output layers, which forces the network to learn only the most important features and achieves a dimensionality reduction.





Restricted boltzman machines





In their simple form, they are binary

Activation energy $a_i = \sum w_{ij}x_j$ $p_i = \sigma(a_i)$, where σ is the logistic function.

Turn unit i on with probability of p_i

Output is stable to input changes



Learning in RBMs:

http://blog.echen.me/2011/07/18/introduction-to-restricted-boltzmann-machines/http://www.toptal.com/machine-learning/an-introduction-to-deep-learning-from-perceptrons-to-deep-networks



Positive phase

- Update the states of the hidden units using the logistic activation rule described above
- -Then for each edge e_{ij} , compute positive $(e_{ij})=x_ix_j$ (i.e., for each pair of units, measure whether they're both on).



Negative phase



- Reconstruct the visible units in a similar manner: for each visible unit, compute its activation energy a_i , and update its state. (Note that this reconstruction may not match the original preferences.)
- Then update the hidden units again, and compute Negative(e_{ij})= x_ix_j for each edge.

Weight updates



- Update the weight of each edge e_{ij} by setting $w_{ij}=w_{ij}+L(Positive(e_{ij})-Negative(e_{ij}))$, where L is a learning rate.
- Repeat over all training examples.
- Continue until the network converges (i.e., the error between the training examples and their reconstructions falls below some threshold) or we reach some maximum number of epochs.



Why does this make sense

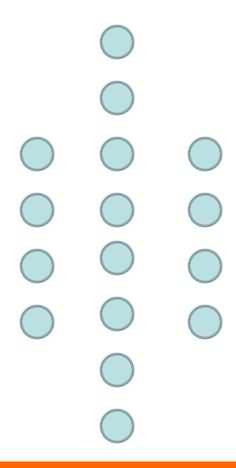


- Positive(e_{ij}) measures the association between the ith and jth unit that we *want* the network to learn from our training examples;
- Negative(e_{ij}) measures the association that the network *itself* generates (or "daydreams" about) when no units are fixed to training data.
- So by adding Positive(e_{ij})—Negative(e_{ij}) to each edge weight, we're helping the network's daydreams better match the reality of our training examples.
- This update rule is called contrastive divergence, which is basically a funky term for "approximate gradient descent".

Sparse autoencoders



Different records may need different features



Sparse autoencoders



- What are the ideal properties of machine generated features
 - An example must be explained primarily by a few features
 - A feature must belong to only a few features
 - All features should have similar activities





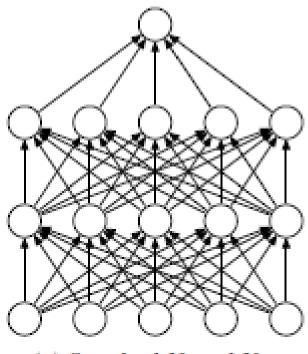
PRACTICAL TIPS



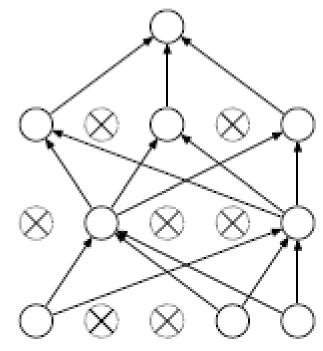
Drop outs

http://www.cs.toronto.edu/~rsalakhu/papers/srivastava14a.pdf





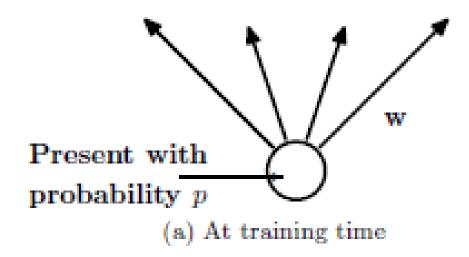
(a) Standard Neural Net

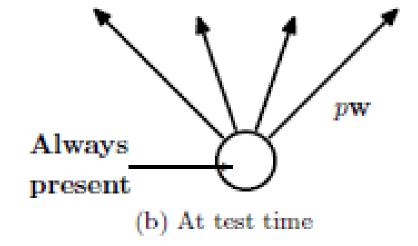


(b) After applying dropout.

Drop out







Deep learners as predictive machines



 Build a stacked autoencoders or RBMs

Make the last layer as desired output

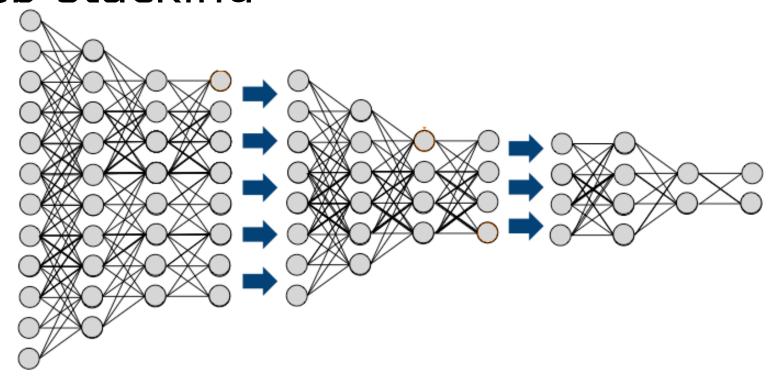
 Learn weights through one network level back propagation using already computed weights as initial weights



Stack them



 Hidden layer 1 becomes visible layer for the hidden layer 2 and one can keep stacking



Committing the same mistake



 http://ai.stanford.edu/~joni/papers/L asersonXRDS2011.pdf



A more interesting approach



Use autoencoders, RBMs as feature generators

Create 100s of features

 Run a simple linear model or a random forest (wopal wabbit or sofia)





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