BCQ

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Over estimation of Q-values

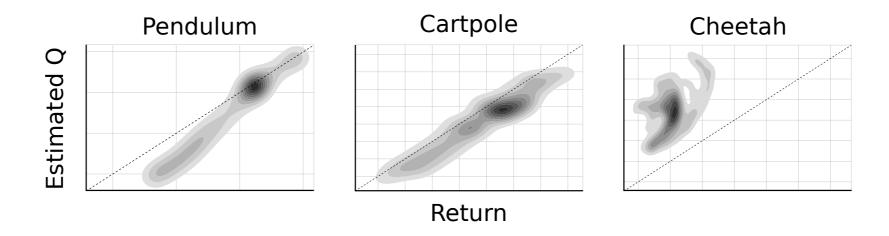


Figure 3: Density plot showing estimated Q values versus observed returns sampled from test episodes on 5 replicas. In simple domains such as pendulum and cartpole the Q values are quite accurate. In more complex tasks, the Q estimates are less accurate, but can still be used to learn competent policies. Dotted line indicates unity, units are arbitrary.

Batch RL / Offline RL

Instead of actively interacting with the environment

Online Reinforcement Learning





Offline Reinforcement Learning





Batch RL / Offline RL

Why batch RL?

- Re-use experience: gathering experience is the most expensive part of RL
- Gathering experience may be unsafe
- Learn from other's experience

Problems with Off-line Learning

$$Q(s, a) \leftarrow r + \gamma \max_{a'} Q(s', a') \quad \forall (s, a, s', r) \in \mathcal{D}$$

- Extrapolation error
 - we do not know where our estimate of Q(s',a') is good
 - even if we assume Q(s', a') is an unbiased estimate, the

max will cause it to become biased

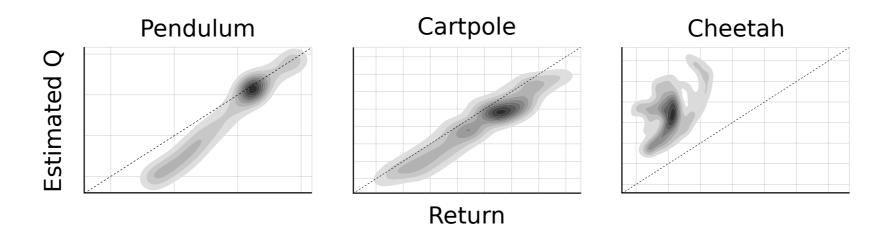
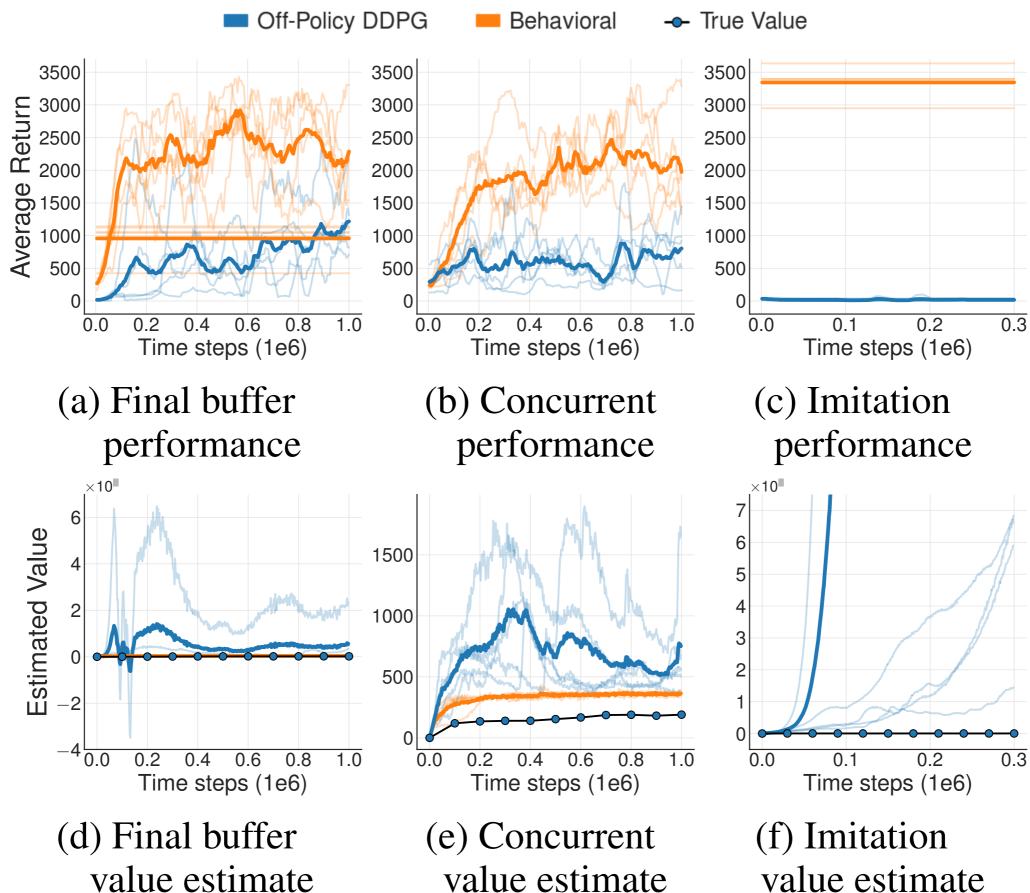


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Experiment I



But, existing methods work, don't they?

- \bullet DQN, DDPG aren't really off-policy, use ϵ -greedy policies
- max introduces a bias, but unsubstantiated optimism can be tested in subsequent iterations.

Batch-constrained Q-learning

- policy should induce a similar state-action distribution as dataset
 - minimize distance of selected action to data in batch
 - lead to states where familiar data is observed
 - maximize the value function
- train a pair of networks (use minimum of Q-value)

Batch-constrained Q-learning

Algorithm 1 BCQ

Input: Batch \mathcal{B} , horizon T, target network update rate τ , mini-batch size N, max perturbation Φ , number of sampled actions n, minimum weighting λ .

Initialize Q-networks $Q_{\theta_1}, Q_{\theta_2}$, perturbation network ξ_{ϕ} , and VAE $G_{\omega} = \{E_{\omega_1}, D_{\omega_2}\}$, with random parameters θ_1 , θ_2 , ϕ , ω , and target networks $Q_{\theta'_1}, Q_{\theta'_2}, \xi_{\phi'}$ with $\theta'_1 \leftarrow \theta_1, \theta'_2 \leftarrow \theta_2, \phi' \leftarrow \phi$.

for t = 1 to T do

Sample mini-batch of N transitions (s, a, r, s') from \mathcal{B}

$$\mu, \sigma = E_{\omega_1}(s, a), \quad \tilde{a} = D_{\omega_2}(s, z), \quad z \sim \mathcal{N}(\mu, \sigma)$$

 $\omega \leftarrow \operatorname{argmin}_{\omega} \sum (a - \tilde{a})^2 + D_{\text{KL}}(\mathcal{N}(\mu, \sigma) || \mathcal{N}(0, 1))$

Sample *n* actions: $\{a_i \sim G_{\omega}(s')\}_{i=1}^n$

Perturb each action: $\{a_i = a_i + \xi_{\phi}(s', a_i, \Phi)\}_{i=1}^n$

Set value target y (Eqn. 13)

$$\theta \leftarrow \operatorname{argmin}_{\theta} \sum (y - Q_{\theta}(s, a))^2$$

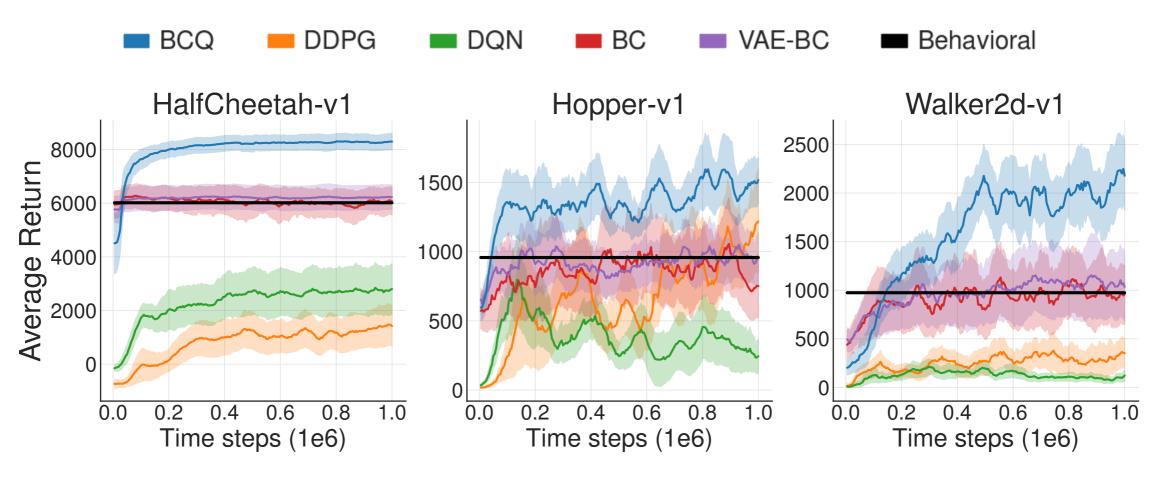
$$\phi \leftarrow \operatorname{argmax}_{\phi} \sum Q_{\theta_1}(s, a + \xi_{\phi}(s, a, \Phi)), a \sim G_{\omega}(s)$$

Update target networks: $\theta'_i \leftarrow \tau\theta + (1-\tau)\theta'_i$

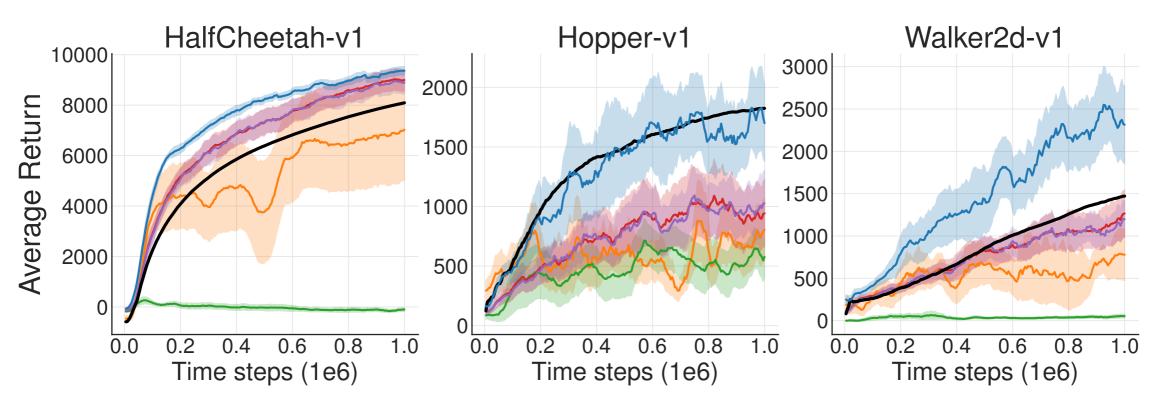
$$\phi' \leftarrow \tau \phi + (1 - \tau)\phi'$$

$$r + \gamma \max_{a_i} \left[\lambda \min_{j=1,2} Q_{\theta'_j}(s', a_i) + (1 - \lambda) \max_{j=1,2} Q_{\theta'_j}(s', a_i) \right]$$
end for

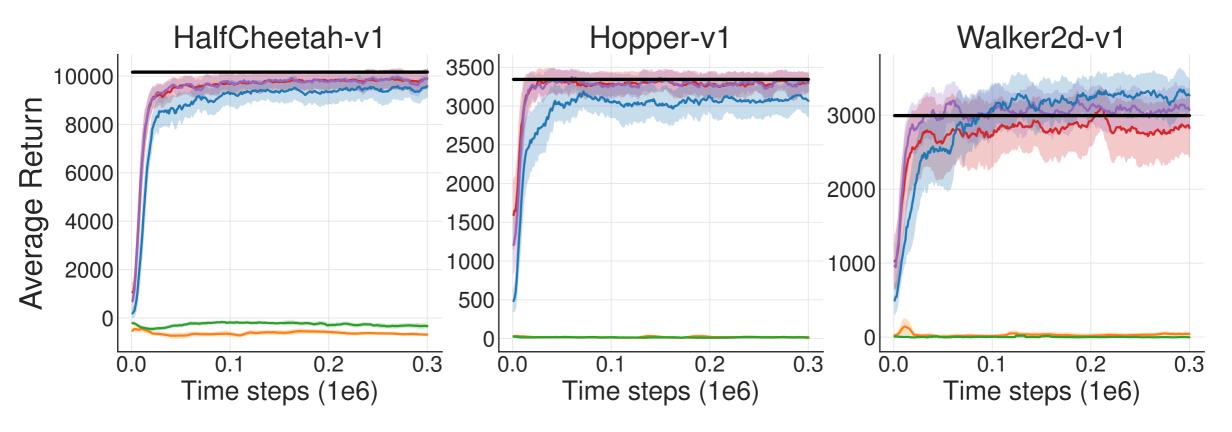
Variational Auto Encoders



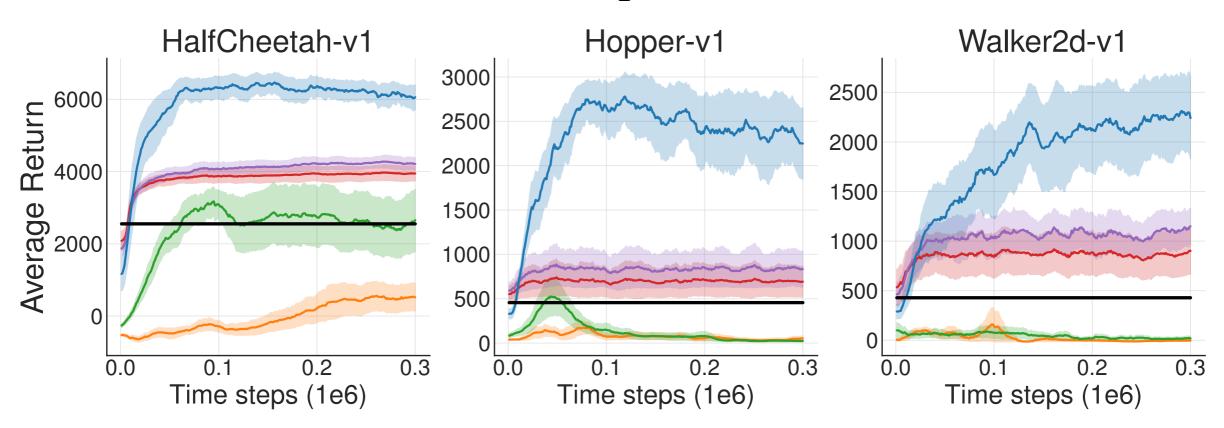
(a) Final buffer performance



(b) Concurrent performance

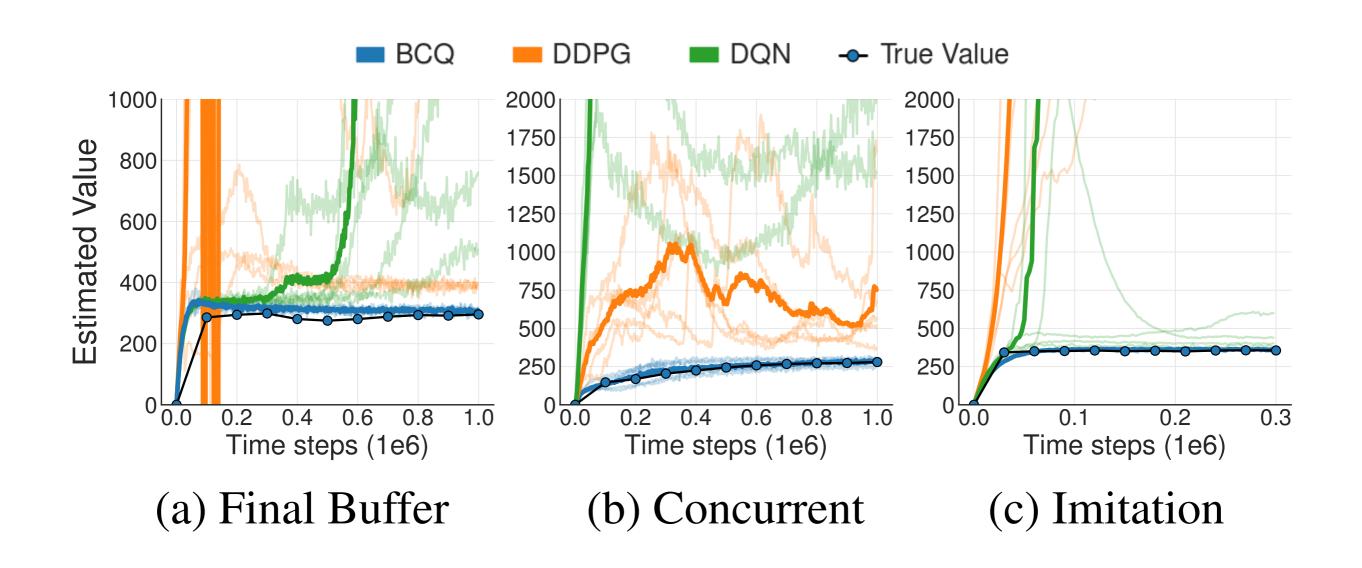


(c) Imitation performance



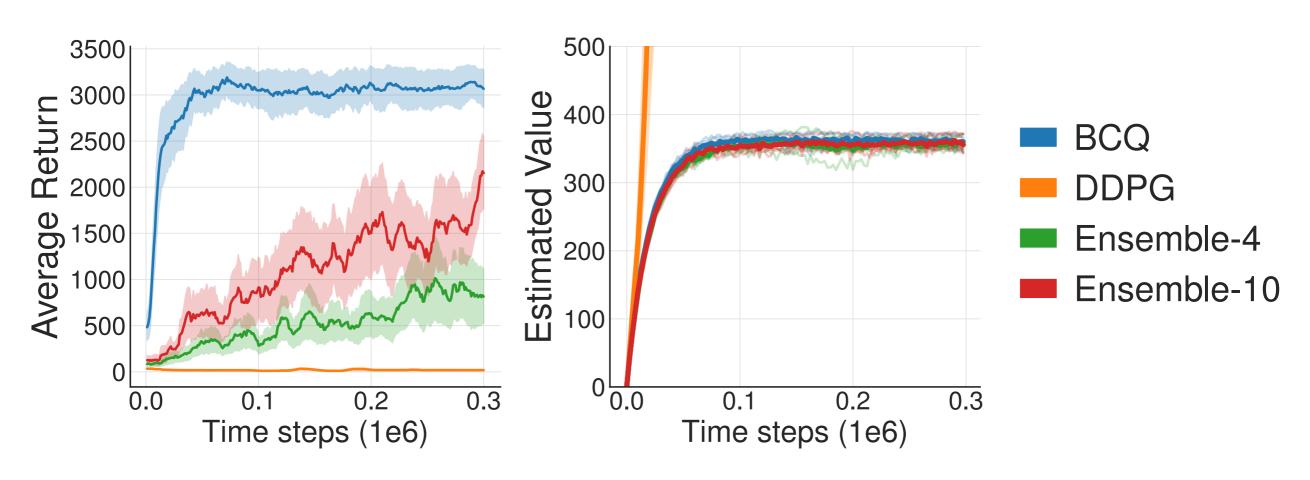
(d) Imperfect demonstrations performance

Q-value Estimates



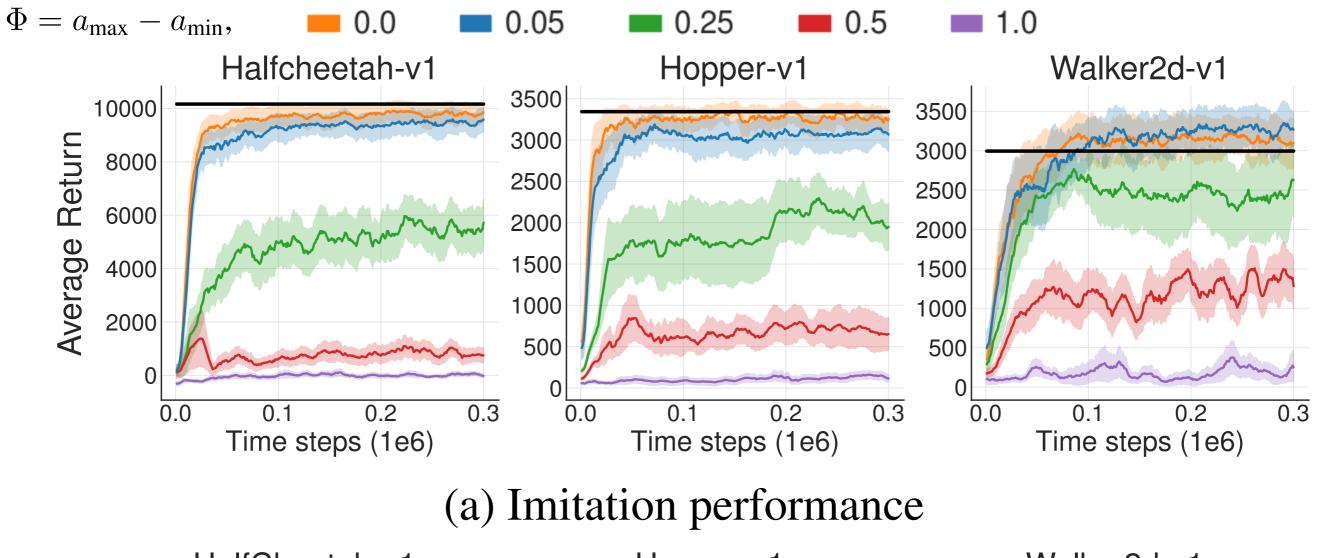
Related Work

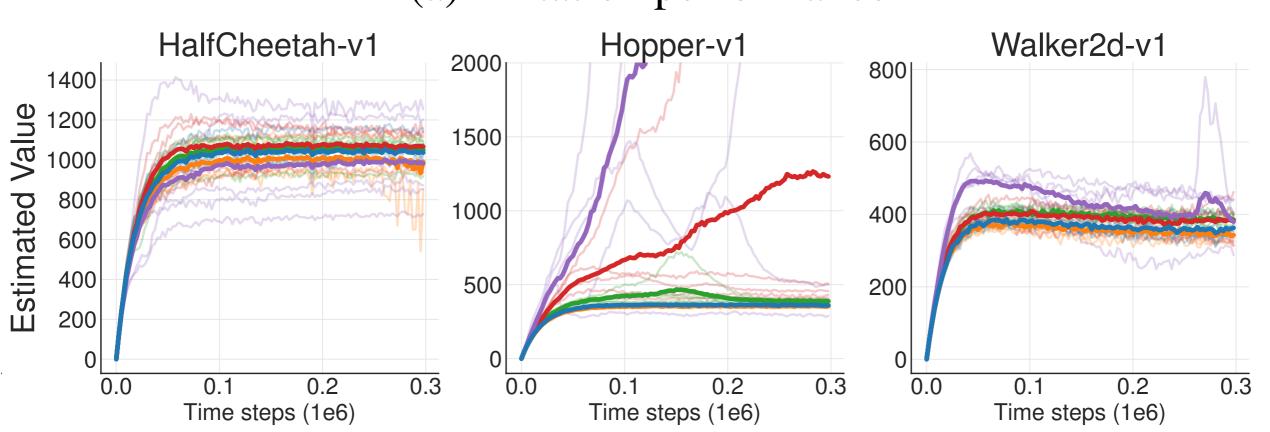
Modeling uncertainty in neural networks



(a) Imitation performance

(b) Imitation value estimates





(b) Imitation value estimates