Student Information

Full Name : Zeynep ERDOĞAN

Id Number : 2171577

Answer 1

a.

b.

Answer 2

a.

$$\begin{split} M &= (K, \sum, \varsigma, s, \{h\}) \\ \text{where } K &= \{q_0, q_1, q_2, q_3, q_4, q_5, q_6, q_7, q_8, q_9, q_{10}, q_{11}, h\} \\ s &= q_0 \\ \sum &= \{1, \sqcup, a, \rhd\} \\ \varsigma \text{ is the transition function.} \end{split}$$

Table 1: transition ς function

1. Utansiuon 5 iui	
\mathbf{q}, σ	$\varsigma(\mathbf{q}, \sigma)$
q_0, \sqcup	(q_0, \rightarrow)
$q_1, 1$	(q_2, \rightarrow)
$q_2, 1$	(q_3, \rightarrow)
q_2, \sqcup	(h,1)
q_3, \sqcup	(q_4,\leftarrow)
$q_4, 1$	(q_5,\sqcup)
q_5, \sqcup	(q_6,\leftarrow)
$q_6, 1$	(q_6,\leftarrow)
q_6, a	(q_7, \rightarrow)
q_6, \sqcup	(q_7, \rightarrow)
$q_7, 1$	(q_8,a)
q_8, a	(q_8,\rightarrow)
$q_8, 1$	(q_{11}, \rightarrow)
q_8 , \sqcup	(q_9,\leftarrow)
q_9, a	$(q_{10},1)$
q_9 , \sqcup	(h,\sqcup)
$q_{10}, 1$	(q_9,\leftarrow)
$q_{11}, 1$	(q_{11}, \rightarrow)
q_{11}, \sqcup	(q_4,\leftarrow)

Answer 3

Turing machines with stay put instead of left can only recognize regular languages. The idea is that M cannot move left and cannot read anything it has written on the tape as soon as it moves right, and therefore it has only one-way access to its input, much like a DFA. For every DFA D, there clearly exists a Turing machine with stay put instead of left that accepts the same language, since a DFA is simply a Turing machine with a read-only tape and a tape head which only moves to the right.

Answer 4

a.

 $M = (K, \sum, \varsigma, s, F)$ the tape has 2 heads and at each state only one of them can move and read/write.

where K is the finite set of states

s is the initial state.

F is the halting state.

 \sum is the alphabet, containing blank symbol \sqcup and left end symbol \triangleright

 ς , the transition function, is a function from $(K - F) \times (H_{head}, H_{tail}) \times \sum$ to $K \times (\sum \cup \{\rightarrow\})$ where which head to be moved is specified and notice that heads cannot move left.

b.

$$K \times \triangleright \textstyle\sum^* \times (\textstyle\sum^* (\textstyle\sum -\{\sqcup\}) \cup \{e\}) \times (\textstyle\sum^* (\textstyle\sum -\{\sqcup\}) \cup \{e\})$$

c.

d.

e.

Answer 5

a.

b.

Answer 6

a.

b.

c.

d.