

### 15.28

- We have:

$R = \{\text{Course\_no}, \text{Sec\_no}, \text{Offering\_dept}, \text{Credit\_hours}, \text{Course\_level}, \text{Instructor\_ssn}, \text{Semester}, \text{Year}, \text{Days\_hours}, \text{Room\_no}, \text{No\_of\_students}\}$

$\{\text{Course\_no}\} \rightarrow \{\text{Offering\_dept}, \text{Credit\_hours}, \text{Course\_level}\}$

$\{\text{Course\_no}, \text{Sec\_no}, \text{Semester}, \text{Year}\} \rightarrow \{\text{Days\_hours}, \text{Room\_no}, \text{No\_of\_students}, \text{Instructor\_ssn}\}$

$\{\text{Room\_no}, \text{Days\_hours}, \text{Semester}, \text{Year}\} \rightarrow \{\text{Instructor\_ssn}, \text{Course\_no}, \text{Sec\_no}\}$

- We have

$R = \{A, B, C, D, E, F, G, H, I, J, K\}$

$A \rightarrow CDE$

$ABGH \rightarrow IJKF$

$JIGH \rightarrow FAB$

- Closure

$A^+ = \{C, D, E\}$

$ABGH^+ = \{A, B, G, H, C, D, E, I, J, K, F\}$

$JIGH^+ = \{J, I, G, H, F, A, B, C, D, E, K\}$

**$\Rightarrow ABGH$  is the keys of  $R$**

- Normalize  $R = \{\underline{A}, \underline{B}, \underline{G}, \underline{H}, C, D, E, I, J, K, F\}$

- 2NF:

$R_1 = \{\underline{A}, C, D, E\}$

$R_2 = \{\underline{A}, \underline{B}, \underline{G}, \underline{H}, I, J, K, F\}$

### 15.29

ORDER (O#, Odate, Cust#, Total\_amount)

ORDER\_ITEM(O#, I#, Qty\_ordered, Total\_price, Discount%)

- Natural join:  $R(\underline{O\#}, \underline{I\#}, \text{Odate}, \text{Cust\#}, \text{Total\_amount}, \text{Qty\_ordered}, \text{Total\_price}, \text{Discount\%})$
- Keys: O, I
- FDs:

$\{O\} \rightarrow \{Odate, Cust\#, Total\_amount\}$

$\{O, I\} \rightarrow \{Qty\_ordered\}$

$\{I\} \rightarrow \{\text{Discount}\%, \text{Total\_price}\}$

- R is not in 2NF. 2NF normalize:

R1(O, Odate, Cust, Total\_amount)

R2(I, Discount%, Total\_price)

R3(O, I, Qty\_ordered)

- R is not in 3NF since R is not in 2NF. 3NF of R is the same as 2NF.

### 15.30

CAR\_SALE(Car#, Salesperson#, Date\_sold, Commission%, Discount\_amt)

Date\_sold  $\square$  Discount\_amt

Salesperson#  $\square$  Commission%

$\rightarrow R(\underline{A}, \underline{B}, C, D, E)$

$C \rightarrow E$

$B \rightarrow D$

- The relation is in 1NF because all attributes have single value
- The relation is not in 2NF. 2NF normalize:

R1(B, D)

R2(A, B, C, E)

- The relation is not in 3NF. 3NF normalize:

R1(B, D)

R2\_1(C, E)

R2\_2(A, B, C)

### 15.31

BOOK (Book\_title, Author\_name, Book\_type, List\_price, Author\_affil, Publisher)

Book\_title  $\rightarrow$  Publisher, Book\_type

Book\_type  $\rightarrow$  List\_price

Author\_name  $\rightarrow$  Author\_affil

- We have:

$R(A, B, C, D, E, F)$

$A \rightarrow FC$

$C \rightarrow D$

$B \rightarrow E$

- Closure:

$A^+ = \{A, F, C, D\}$

$B^+ = \{B, E\}$

**=> AB is the key of R.**

Based on AB as the key:

a, R is in 1NF form because all attributes have single atomic value, but not in 2NF because have attributes that depends on a part of key.

b, Normalize

- 2NF:

$R_1(\underline{A}, F, C)$

$R_2(\underline{B}, E)$

$R_3(\underline{A}, \underline{B}, D)$

- 3NF

$R_1(\underline{A}, F, C)$

$R_2(\underline{B}, E)$

$R_{3\_1}(\underline{C}, D)$

$R_{3\_2}(\underline{A}, \underline{B})$

### **15.32**

DISK\_DRIVE (Serial\_number, Manufacturer, Model, Batch, Capacity, Retailer)

$R(A, B, C, D, E, F)$

a, AB is the key of R

b,  $C \rightarrow B$

c,  $D \rightarrow C$

d,  $BC \rightarrow E$

### 15.33

R (Doctor#, Patient#, Date, Diagnosis, Treat\_code, Charge)

R(A, B, C, D, E, F)

- FDs

ABC → DEF

EC → F

D → AB

⇒ ABC is the key

- Based on the ABC as key, R is in 2NF
- Closure

ABC<sup>+</sup> = {D, A, B, C, E, F}

### 15.34

CAR\_SALE (Car\_id, Option\_type, Option\_listprice, Sale\_date, Option\_discountedprice)

CarID → Sale\_date

Option\_type → Option\_listprice

CarID, Option\_type → Option\_discountedprice

- We have

R(A, B, C, D, E)

A → D

B → C

AB → E

- Closure

AB<sup>+</sup> = {A, B, D, C, E}

⇒ AB is the key of R

- Based on the key AB, R is not in 2NF because A → D and B → C. Therefore R is not in 3NF neither.  
Normalize:

R1(A, D)

R2(B, C)

R3(A, B, E)