

Keras_1

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EPOCH 150

```
[1]: #libraries to import and Keras
import numpy as np
import matplotlib.pyplot as plt
from keras.models import Sequential
from keras.layers import Dense
from keras import optimizers

#loading the data
features_and_targets = np.loadtxt('features_and_targets.csv',delimiter=',')
np.random.shuffle(features_and_targets)

# split into input (X) and output (Y) variables
X = features_and_targets[:,0:5]
Y = features_and_targets[:,5:7]

#makes it so the random variables don't change for each run
np.random.seed(7)

#creates model
model = Sequential() #A Sequential model is appropriate for a plain stack of
    ↳ layers where each layer has exactly one input tensor and one output tensor
model.add(Dense(4, input_dim=5, activation='relu'))
#hidden layer: 4
#input_dim: specifying the number of elements within that first dimension only.
    ↳ Initial amount of neurons
#activation: relu -> Applies the rectified linear unit activation function.
    ↳ max(x, 0), the element-wise maximum of 0 and the input tensor.
model.add(Dense(3, activation='relu'))
model.add(Dense(2, activation='sigmoid'))
#activation: sigmoid -> sigmoid(x) = 1 / (1 + exp(-x)). For small values (<-5),
    ↳ sigmoid returns a value close to zero, and for large values (>5) the result
    ↳ of the function gets close to 1.

# Compile model
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model.compile(optimizer='adam', loss='mean_squared_error',metrics=['accuracy'])
#optimizer: Adam optimization is a stochastic gradient descent method that is
    ↳based on adaptive estimation of first-order and second-order moments.
#loss: The purpose of loss functions is to compute the quantity that a model
    ↳should seek to minimize during training.
#    mean_squared_error: Average of the square of the difference between
    ↳actual and estimated values.
#metrics: accuracy: Calculates how often predictions equal labels.

#The summary is textual and includes information about:
#The layers and their order in the model.
#The output shape of each layer.
#The number of parameters (weights) in each layer.
#The total number of parameters (weights) in the model.
model.summary()

history = model.fit(X,Y, epochs=150, verbose=0) #Trains the model for a fixed
    ↳number of epochs (iterations on a dataset).
scores = model.evaluate(X,Y) #Evaluation is a process during development of the
    ↳model to check whether the model is best fit for the given problem and
    ↳corresponding data

#Plotting 1st graph which is accuracy vs loss
plt.subplot(2,1,1)
plt.plot(history.history['accuracy']) #plotting accuracy
plt.plot(history.history['loss']) #plotting loss
plt.title("Accuracy vs. Loss") #title
plt.xlabel("Epoch") #Making Epoch x- value and label
plt.ylabel("Percentage") # percentage (0.0 - 1.0)
plt.ylim((0.00,1.00)) #y limit
plt.legend(['accuracy','loss'], bbox_to_anchor=(1.05, 1.0), loc='upper left')
    ↳#Creating legend outside of graph
plt.tight_layout() #automatically adjust subplot parameters to give specified
    ↳padding

#printing the accuracy
print('\n%s: %.2f%%' % (model.metrics_names[1], scores[1]*100))

predicted_targets = model.predict(X)

#Printing predicted targets against the observed targets
for i in range(22):
    print('Predicted: ',predicted_targets[i,:],'Observed: ',Y[i,:])

#printing the predicted targets
print(predicted_targets)

```

```

#Plotting graph of predicted vs observed
plt.subplot(2,1,2)
plt.scatter(predicted_targets[:,0],predicted_targets[:,1]) #plotting predicted
    ↳points
plt.scatter(Y[:,0],Y[:,1]) #plotting observed values
plt.title("Predicted vs. Observed") #title of the graph
plt.xlabel("First Point") #x label
plt.ylabel("Second Point") #y label
plt.ylim((0.00,1.00)) #y limit
plt.legend(['Predicted','Observed'], bbox_to_anchor=(1.05, 1.0), loc='upper
    ↳left') #Creating legend outside of graph
plt.tight_layout() #automatically adjust subplot parameters to give specified
    ↳padding

print(history.history.keys())

```

Model: "sequential"

Layer (type)	Output Shape	Param #
dense (Dense)	(None, 4)	24
dense_1 (Dense)	(None, 3)	15
dense_2 (Dense)	(None, 2)	8

Total params: 47

Trainable params: 47

Non-trainable params: 0

```

1/1 [=====] - 0s 2ms/step - loss: 0.1811 - accuracy:
0.6364

```

accuracy: 63.64%

```

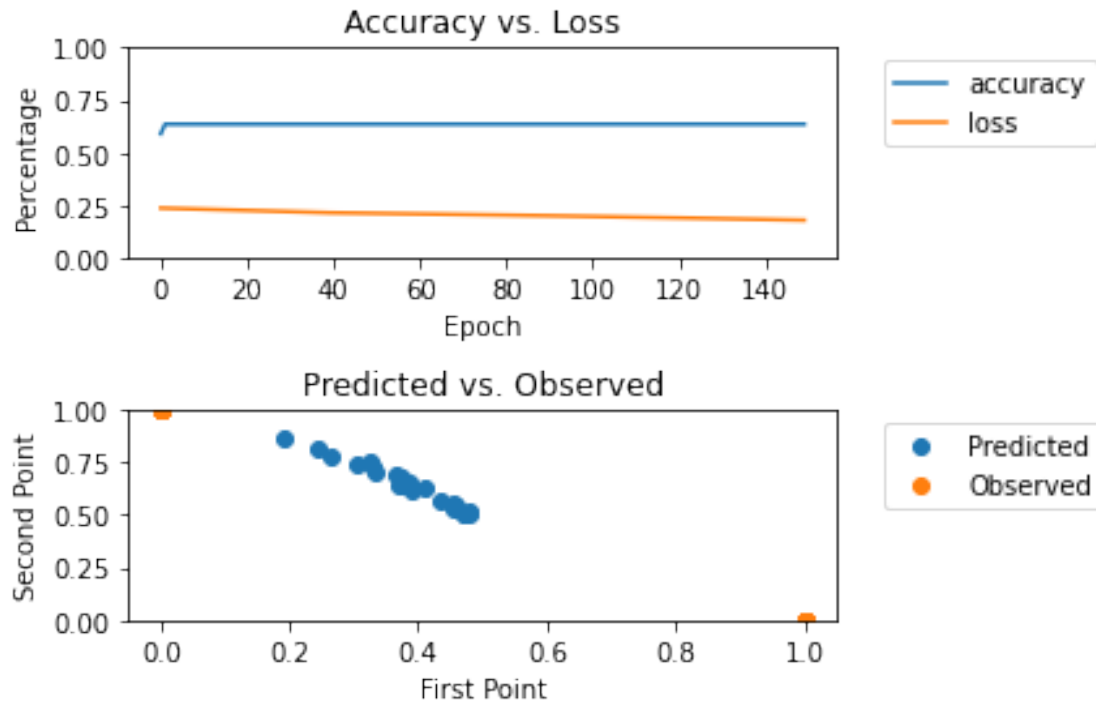
Predicted: [0.304353 0.7395478] Observed: [0. 1.]
Predicted: [0.33236787 0.7041497 ] Observed: [0. 1.]
Predicted: [0.47742462 0.5138783 ] Observed: [1. 0.]
Predicted: [0.47212344 0.51005805] Observed: [1. 0.]
Predicted: [0.37065208 0.64698607] Observed: [0. 1.]
Predicted: [0.24520051 0.8135823 ] Observed: [0. 1.]
Predicted: [0.45297068 0.53385806] Observed: [0. 1.]
Predicted: [0.38432375 0.6538129 ] Observed: [0. 1.]
Predicted: [0.43345144 0.5627089 ] Observed: [0. 1.]
Predicted: [0.37185562 0.67667145] Observed: [0. 1.]
Predicted: [0.47719097 0.50528836] Observed: [1. 0.]
Predicted: [0.39043853 0.6186756 ] Observed: [0. 1.]

```

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Predicted: [0.2662159 0.77654827] Observed: [0. 1.]
Predicted: [0.37910601 0.6409492 ] Observed: [1. 0.]
Predicted: [0.18998319 0.8655764 ] Observed: [0. 1.]
Predicted: [0.36463326 0.68911976] Observed: [0. 1.]
Predicted: [0.4585702 0.54296887] Observed: [1. 0.]
Predicted: [0.4529259 0.55580103] Observed: [1. 0.]
Predicted: [0.32811403 0.73022974] Observed: [0. 1.]
Predicted: [0.32666573 0.7538046 ] Observed: [0. 1.]
Predicted: [0.4097159 0.634783 ] Observed: [1. 0.]
Predicted: [0.4712695 0.5108622] Observed: [1. 0.]
[[0.304353 0.7395478 ]
 [0.33236787 0.7041497 ]
 [0.47742462 0.5138783 ]
 [0.47212344 0.51005805]
 [0.37065208 0.64698607]
 [0.24520051 0.8135823 ]
 [0.45297068 0.53385806]
 [0.38432375 0.6538129 ]
 [0.43345144 0.5627089 ]
 [0.37185562 0.67667145]
 [0.47719097 0.50528836]
 [0.39043853 0.6186756 ]
 [0.2662159 0.77654827]
 [0.37910601 0.6409492 ]
 [0.18998319 0.8655764 ]
 [0.36463326 0.68911976]
 [0.4585702 0.54296887]
 [0.4529259 0.55580103]
 [0.32811403 0.73022974]
 [0.32666573 0.7538046 ]
 [0.4097159 0.634783 ]
 [0.4712695 0.5108622 ]]
dict_keys(['loss', 'accuracy'])

```



EPOCH 500

```
[2]: model = Sequential() #A Sequential model is appropriate for a plain stack of
    ↳ layers where each layer has exactly one input tensor and one output tensor
model.add(Dense(4, input_dim=5, activation='relu'))
#hidden layer: 4
#input_dim: specifying the number of elements within that first dimension only.
    ↳ Initial amount of neurons
#activation: relu -> Applies the rectified linear unit activation function.
    ↳ max(x, 0), the element-wise maximum of 0 and the input tensor.
model.add(Dense(3, activation='relu'))
model.add(Dense(2, activation='sigmoid'))
#activation: sigmoid -> sigmoid(x) = 1 / (1 + exp(-x)). For small values (<-5),
    ↳ sigmoid returns a value close to zero, and for large values (>5) the result
    ↳ of the function gets close to 1.

# Compile model
model.compile(optimizer='adam', loss='mean_squared_error', metrics=['accuracy'])
#optimizer: Adam optimization is a stochastic gradient descent method that is
    ↳ based on adaptive estimation of first-order and second-order moments.
#loss: The purpose of loss functions is to compute the quantity that a model
    ↳ should seek to minimize during training.
#      mean_squared_error: Average of the square of the difference between
    ↳ actual and estimated values.
```

```

#metrics: accuracy: Calculates how often predictions equal labels.

#The summary is textual and includes information about:
#The layers and their order in the model.
#The output shape of each layer.
#The number of parameters (weights) in each layer.
#The total number of parameters (weights) in the model.
model.summary()

history2 = model.fit(X,Y, epochs=500, verbose=0) #Trains the model for a fixed
↳number of epochs (iterations on a dataset).
scores2 = model.evaluate(X,Y) #Evaluation is a process during development of
↳the model to check whether the model is best fit for the given problem and
↳corresponding data

#Plotting 1st graph which is accuracy vs loss
plt.subplot(2,1,1)
plt.plot(history.history['accuracy']) #plotting accuracy
plt.plot(history.history['loss']) #plotting loss
plt.title("Accuracy vs. Loss") #title
plt.xlabel("Epoch") #Making Epoch x- value and label
plt.ylabel("Percentage") # percentage (0.0 - 1.0)
plt.ylim((0.00,1.00)) #y limit
plt.legend(['accuracy','loss'], bbox_to_anchor=(1.05, 1.0), loc='upper left')
↳#Creating legend outside of graph
plt.tight_layout() #automatically adjust subplot parameters to give specified
↳padding

#printing the accuracy
print('\n%s: %.2f%%' % (model.metrics_names[1], scores[1]*100))

predicted_targets = model.predict(X)

#Printing predicted targets against the observed targets
for i in range(22):
    print('Predicted: ',predicted_targets[i,:],'Observed: ',Y[i,:])

#printing the predicted targets
print(predicted_targets)

#Plotting graph of predicted vs observed
plt.subplot(2,1,2)
plt.scatter(predicted_targets[:,0],predicted_targets[:,1]) #plotting predicted
↳points
plt.scatter(Y[:,0],Y[:,1]) #plotting observed values
plt.title("Predicted vs. Observed") #title of the graph

```

```
plt.xlabel("First Point") #x label
plt.ylabel("Second Point") #y label
plt.ylim((0.00,1.00)) #y limit
plt.legend(['Predicted','Observed'], bbox_to_anchor=(1.05, 1.0), loc='upper_
↳left') #Creating legend outside of graph
plt.tight_layout() #automatically adjust subplot parameters to give specified_
↳padding

print(history.history.keys())
```

Model: "sequential_1"

Layer (type)	Output Shape	Param #
dense_3 (Dense)	(None, 4)	24
dense_4 (Dense)	(None, 3)	15
dense_5 (Dense)	(None, 2)	8

Total params: 47

Trainable params: 47

Non-trainable params: 0

1/1 [=====] - 0s 1ms/step - loss: 0.1240 - accuracy: 1.0000

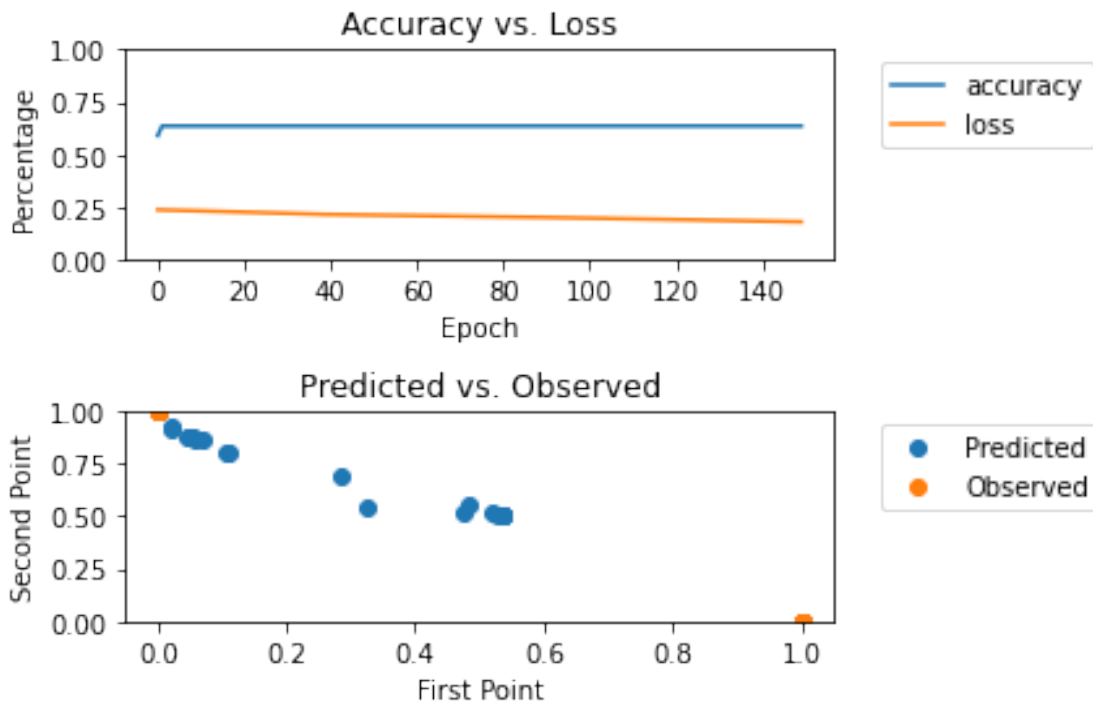
accuracy: 63.64%

```
Predicted: [0.10887912 0.7995602 ] Observed: [0. 1.]
Predicted: [0.05474904 0.87792784] Observed: [0. 1.]
Predicted: [0.53414446 0.5098747 ] Observed: [1. 0.]
Predicted: [0.5342533 0.5096788] Observed: [1. 0.]
Predicted: [0.04714996 0.87380004] Observed: [0. 1.]
Predicted: [0.02108562 0.9218284 ] Observed: [0. 1.]
Predicted: [0.05927566 0.8665958 ] Observed: [0. 1.]
Predicted: [0.28616878 0.68456054] Observed: [0. 1.]
Predicted: [0.48261774 0.5585737 ] Observed: [0. 1.]
Predicted: [0.4749964 0.518608 ] Observed: [0. 1.]
Predicted: [0.5342533 0.5096788] Observed: [1. 0.]
Predicted: [0.07029212 0.8626903 ] Observed: [0. 1.]
Predicted: [0.05030382 0.8702805 ] Observed: [0. 1.]
Predicted: [0.5281301 0.5106043] Observed: [1. 0.]
Predicted: [0.02253717 0.919525 ] Observed: [0. 1.]
Predicted: [0.05342168 0.8796252 ] Observed: [0. 1.]
Predicted: [0.5342533 0.5096788] Observed: [1. 0.]
Predicted: [0.5183224 0.51449305] Observed: [1. 0.]
Predicted: [0.1050995 0.80211306] Observed: [0. 1.]
```

```

Predicted: [0.32426497 0.5423933 ] Observed: [0. 1.]
Predicted: [0.5342533 0.5096788] Observed: [1. 0.]
Predicted: [0.5342533 0.5096788] Observed: [1. 0.]
[[0.10887912 0.7995602 ]
 [0.05474904 0.87792784]
 [0.53414446 0.5098747 ]
 [0.5342533  0.5096788 ]
 [0.04714996 0.87380004]
 [0.02108562 0.9218284 ]
 [0.05927566 0.8665958 ]
 [0.28616878 0.68456054]
 [0.48261774 0.5585737 ]
 [0.4749964  0.518608  ]
 [0.5342533  0.5096788 ]
 [0.07029212 0.8626903 ]
 [0.05030382 0.8702805 ]
 [0.5281301  0.5106043 ]
 [0.02253717 0.919525  ]
 [0.05342168 0.8796252 ]
 [0.5342533  0.5096788 ]
 [0.5183224  0.51449305]
 [0.1050995  0.80211306]
 [0.32426497 0.5423933 ]
 [0.5342533  0.5096788 ]
 [0.5342533  0.5096788 ]]
dict_keys(['loss', 'accuracy'])

```



EPOCH 1500

```
[3]: model = Sequential() #A Sequential model is appropriate for a plain stack of
    ↳ layers where each layer has exactly one input tensor and one output tensor
model.add(Dense(4, input_dim=5, activation='relu'))
#hidden layer: 4
#input_dim: specifying the number of elements within that first dimension only.
    ↳ Initial amount of neurons
#activation: relu -> Applies the rectified linear unit activation function.
    ↳ max(x, 0), the element-wise maximum of 0 and the input tensor.
model.add(Dense(3, activation='relu'))
model.add(Dense(2, activation='sigmoid'))
#activation: sigmoid -> sigmoid(x) = 1 / (1 + exp(-x)). For small values (<-5),
    ↳ sigmoid returns a value close to zero, and for large values (>5) the result
    ↳ of the function gets close to 1.

# Compile model
model.compile(optimizer='adam', loss='mean_squared_error', metrics=['accuracy'])
#optimizer: Adam optimization is a stochastic gradient descent method that is
    ↳ based on adaptive estimation of first-order and second-order moments.
#loss: The purpose of loss functions is to compute the quantity that a model
    ↳ should seek to minimize during training.
#      mean_squared_error: Average of the square of the difference between
    ↳ actual and estimated values.
#metrics: accuracy: Calculates how often predictions equal labels.

#The summary is textual and includes information about:
#The layers and their order in the model.
#The output shape of each layer.
#The number of parameters (weights) in each layer.
#The total number of parameters (weights) in the model.
model.summary()

history3 = model.fit(X,Y, epochs=1500, verbose=0) #Trains the model for a fixed
    ↳ number of epochs (iterations on a dataset).
scores3 = model.evaluate(X,Y) #Evaluation is a process during development of
    ↳ the model to check whether the model is best fit for the given problem and
    ↳ corresponding data

#Plotting 1st graph which is accuracy vs loss
plt.subplot(2,1,1)
plt.plot(history.history['accuracy']) #plotting accuracy
plt.plot(history.history['loss']) #plotting loss
```

```

plt.title("Accuracy vs. Loss") #title
plt.xlabel("Epoch") #Making Epoch x- value and label
plt.ylabel("Percentage") # percentage (0.0 - 1.0)
plt.ylim((0.00,1.00)) #y limit
plt.legend(['accuracy','loss'], bbox_to_anchor=(1.05, 1.0), loc='upper left')
    ↳#Creating legend outside of graph
plt.tight_layout() #automatically adjust subplot parameters to give specified
    ↳padding

#printing the accuracy
print('\n%s: %.2f%%' % (model.metrics_names[1], scores[1]*100))

predicted_targets = model.predict(X)

#Printing predicted targets against the observed targets
for i in range(22):
    print('Predicted: ',predicted_targets[i,:],'Observed: ',Y[i,:])

#printing the predicted targets
print(predicted_targets)

#Plotting graph of predicted vs observed
plt.subplot(2,1,2)
plt.scatter(predicted_targets[:,0],predicted_targets[:,1]) #plotting predicted
    ↳points
plt.scatter(Y[:,0],Y[:,1]) #plotting observed values
plt.title("Predicted vs. Observed") #title of the graph
plt.xlabel("First Point") #x label
plt.ylabel("Second Point") #y label
plt.ylim((0.00,1.00)) #y limit
plt.legend(['Predicted','Observed'], bbox_to_anchor=(1.05, 1.0), loc='upper
    ↳left') #Creating legend outside of graph
plt.tight_layout() #automatically adjust subplot parameters to give specified
    ↳padding

print(history.history.keys())

```

Model: "sequential_2"

Layer (type)	Output Shape	Param #
dense_6 (Dense)	(None, 4)	24
dense_7 (Dense)	(None, 3)	15
dense_8 (Dense)	(None, 2)	8

Total params: 47
Trainable params: 47
Non-trainable params: 0

1/1 [=====] - 0s 1ms/step - loss: 0.0269 - accuracy:
1.0000

accuracy: 63.64%

Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.988214 0.02734095]	Observed:	[1. 0.]
Predicted:	[0.9885967 0.02673069]	Observed:	[1. 0.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.9869437 0.02869537]	Observed:	[1. 0.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.9880882 0.02766582]	Observed:	[1. 0.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.9865585 0.02923307]	Observed:	[1. 0.]
Predicted:	[0.9861835 0.02988473]	Observed:	[1. 0.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.20726132 0.79716516]	Observed:	[0. 1.]
Predicted:	[0.98610836 0.0298987]	Observed:	[1. 0.]
Predicted:	[0.98892415 0.02623782]	Observed:	[1. 0.]
	[0.20726132 0.79716516]		
	[0.20726132 0.79716516]		
	[0.988214 0.02734095]		
	[0.9885967 0.02673069]		
	[0.20726132 0.79716516]		
	[0.20726132 0.79716516]		
	[0.20726132 0.79716516]		
	[0.20726132 0.79716516]		
	[0.20726132 0.79716516]		
	[0.20726132 0.79716516]		
	[0.9869437 0.02869537]		
	[0.20726132 0.79716516]		
	[0.20726132 0.79716516]		
	[0.9880882 0.02766582]		
	[0.20726132 0.79716516]		
	[0.20726132 0.79716516]		
	[0.9865585 0.02923307]		
	[0.9861835 0.02988473]		

```
[0.20726132 0.79716516]  
[0.20726132 0.79716516]  
[0.98610836 0.0298987 ]  
[0.98892415 0.02623782]]  
dict_keys(['loss', 'accuracy'])
```

