

Two-Variable Recommendation Models

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6.867 Final Project

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1 Introduction

In 2014, Yelp published an academic dataset containing over 42,000 businesses that span 5 metropolitan areas. Types of data included the full star rating, and reviews for each business, as well as aggregated statistics for each user's reviews. In this project, we use the dataset to formulate, model, and solve the problem of estimating a user's overall review for a business, given the user's history. The algorithm we present estimates a single rating, but can be applied to multiple business to determine the best one for a given user. Thus, our problem falls in the category of recommendation systems.

1.1 Motivation

Yelp does not currently give personal recommendations to its users, but the data it collects about reviews and users make it possible to learn a user's preferences. Typical approaches fall in two categories. Collaborative filtering analyzes similarities between different users, and the items they rate highly. Content-based filtering focuses on a single user's personal history to determine individual likes and dislikes.

For Yelp's data set, we find that a collaborative filter would not take into account an individual's own preferences for cuisines and restaurant sub-categories. However, we cannot use pure content-based filtering because a single user may not have reviewed a significant number of restaurants, making the data points sparse. This motivates us to use a hybrid approach in estimation, where we combine a user's history with a cluster-based approach meant to account for the sparsity of data points. We introduce a hidden variable that models an overall group of similar users, and use this variable to separately learn preferences for each group.

An additional challenge and motivation for the problem is analyzing the given data to determine relevant features. Yelp offers a vast array of data ranging from the ambiance in each restaurant, to the number of times a user was voted funny by their peers. Furthermore, the 5 metropolitan areas are diverse in their offerings of food, and users may show preferences towards particular types of restaurants. We spend a significant time engineering feature vectors to reflect the variety of information. After the learning process, this enables us to comment on significant features to reveal trends in user preferences.

1.2 Problem Formulation

The overall goal is to accept, as inputs, a user and business, and to output a floating point value in $[1, 5]$ that predicts what the user will rate the business. We do this using two steps.

1. Categorize the users into groups who have roughly similar interests. This is the hidden variable.

2. Separately train each category to learn the average business rating for only the users in that group.

For example, assume a particular group we learn in step 1 contains users who enjoy restaurants with a hipster ambiance, which means restaurants matching this profile will achieve higher ratings by them. In step 2, the expected output is the average rating given only by its members. This means that another group may be trained to rate the same business differently, which shows its users have different broad preferences. Figure 1 shows an overall schematic of the system.

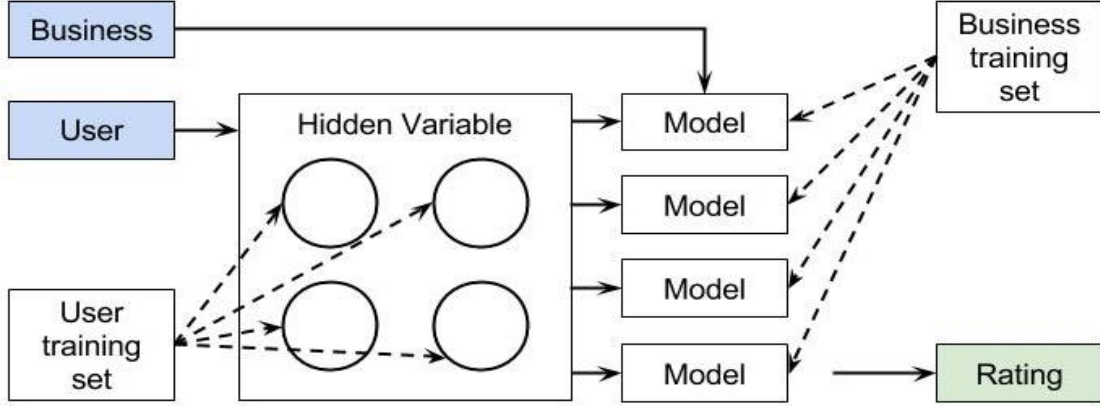


Figure 1: The architecture for the overall system. Inputs are colored blue while the output is shown in green. Dotted lines represents inputs during training, and solid lines represent the flow of information at testing time. The hidden variable is used to select a model, or a mixture of models, that the business data is tested on. The output is the rating.

Modeling the hidden variable in step 1 is an unsupervised learning problem, because we are constructing groups for which we have no prior labels. However, after learning the hidden variable, the step 2 is fully supervised because we are presented with a full list of ratings for each business. Considering the full system, we see that we can perform an end-to-end test given a user, a business, and an expected rating. This allows us to indirectly supervise the hidden variable to determine the appropriate hyperparameters for step 1. The overall complexity of our system grows, and we perform a train-validate-test strategy recursively for step 2 within the context of the overall system.

In the next sections, we discuss constructing the feature vectors that create the user and business data shown in Figure 1. We describe multiple approaches to implement both variables, and describe our train-validate-testing strategy. Finally, we compare the different methodologies in terms of accuracy and computational time.

2 Features

A key to success in any machine learning problem is the selection of relevant features to accurately represent the data of interest. While algorithms are important, the success that can be achieved is often bounded by the ability of the features to accurately represent the problem. In our project,

we need to develop two sets of features. The first set of features corresponds to user attributes that will be used to predict the hidden class associated with each user. The second set corresponds to business attributes that will be used to predict how a user in a given class will rate a restaurant.

2.1 User Data

The Yelp dataset is comprised of three relevant files: a user review file, a user attribute file, and a business attribute file. A straightforward approach would be to classify a user based purely off the data presented in the user attribute file. This file contains information about the user along with a user ID. However, the information provided is only basic with attributes such as the total number of reviews a user has written, the average of the user's ratings, and less relevant attributes such as the user's full name.

Therefore, we use a different approach to form user features. We still take a couple features from the user attribute file, namely the user's average rating and the total number of reviews, but most features are formed by cross referencing the user's ID with the user reviews file. With our approach, we find the reviews associated with the user's ID and store the rating and business ID associated with each review. Then from the business ID we can cross reference the business file to determine what type of restaurant with which it is associated. Yelp lists categories associated with each business. For instance, every restaurant will have the string 'restaurant' in its categories but might also have the string 'Mexican restaurant.'

This allows us to form features that describe how a user prefers different types of restaurants. In particular, there is a feature associated with the user's average rating for restaurants in each category along with another feature for the number of reviews a user has given for each category. To compensate for users that preferentially give good or bad reviews, the user's average rating is subtracted from the category-averaged rating. Therefore these features provide information on the user's preferences in restaurants, such as liking Italian food but disliking Mexican food.

One major challenge with this approach is missing data. For the vast majority of users, there will be categories in which the user has given no reviews. For most machine learning algorithms, the data needs to be complete. To remedy this, we choose to fill missing data using data imputation. We assign the user's average review to categories in which the user has no reviews. Since we subtract by the user's average review in category ratings, this corresponds to inserting zeros for these missing features.

Typically, data imputation is not the correct method to solve the missing data problem for large data sets [?]. The preferred method is expectation-maximization (EM) in which the objective function is directly maximized [?]. However, EM presents a few problems for our scheme. First, there is a large amount of missing data. For almost all users there is more than one missing feature value. In addition, many clustering algorithms do not work well with the probabilistic approach of EM. In EM, no single value is assigned to missing data points. Instead, a probability is assigned. In an iterative process estimates for this probability are updated along with density estimation parameters. Some clustering algorithms such as k-means do not perform density estimation but rather partition the feature space [?]. This is problematic since EM requires evaluation of the likelihood of the data.

Overall, the user feature vector contains 33 features, 28 of which are associated with the average rating and number of reviews for 14 categories of restaurants. The remaining 5 features are statistical features associated with the user, such as variance of review ratings and average review rating.

2.2 Business Data

Once users are partitioned into clusters, a model must be developed for each cluster that predicts the business rating. To accomplish this, features related to the businesses are required. For this set, most features are pulled directly from the list of binary attributes. The business attributes are primarily binary features such as whether a restaurant allows smoking. However, again missing data is common in the business features.

For business features, missing data is treated differently than it was for user features. This is because missing business data directly corresponds to missing data in the Yelp dataset and might actually be representative of the business. For instance if the business is new or not very popular, many attributes corresponding to the business may be missing. For established businesses, we expect that more attributes will be present.

Therefore, missing binary features are treated as categorical features. More specifically, we split each binary feature into three features. Only one feature is 1 and the rest is 0 for all features. If there is a present and positive binary feature, the first feature is marked with a 1. If there is a present and negative binary feature, the second feature is marked with a 1. In the case of missing data, the last feature is marked with a 1.

A similar approach is taken with actual categorical features. For instance, the attire attribute may be listed as casual, dressy, formal, or the data might be missing. This feature is therefore split into four features with an approach similar to the binary features wherein only one feature is marked with a 1.

Additional features are engineered from the data available. The Yelp dataset is based off data from 5 metro areas: Phoenix, Las Vegas, Madison, Waterloo, and Edinburgh. The business attributes lists the city in which the restaurant is located, but not the metro area. This is problematic since intuitively the metro area should have an impact on the rating since the five cities are very different in nature. However, the latitude and longitude of the locations is provided. Using these coordinates along with the coordinates of the centers of the major cities, as provided by Wikipedia, the metro area can easily be determined by finding the closest center. Therefore a categorical feature can be developed for the metro area much like the attire example presented previously. Additionally, distance to the center of the city might be important so a feature is added that gives the distance to the center of the city based off the coordinates.

3 Methodology

After constructing the feature vectors, our data now consists of a set B of business vectors, and a set U of user vectors. Assume that every $b \in B$ is the business feature vector described in the previous section. We also have access a set of ratings, R , where a single rating is determined by a user and a business. Let $r_{ub} \in R$ denote the rating given by user u to business b . We define a function that takes in a set of users and a business, and outputs the average rating given to the business only by the users in the set. Mathematically, this is:

$$f(U_s, b) = \frac{\sum_{u \in U_i} r_{ub}}{|U_i|}$$

Where $U_i \subseteq U_s$ is the set of users who have given a rating to business b . If $U_i = \emptyset$, then this function is not defined. We make use of this function in our overall system after we discover the

hidden variable.

We now present three separate ways we formulated the problem, and different systems we built to explore each.

3.1 KMeans Clustering

Perhaps the most naive way to calculate the hidden variable is to perform k-means clustering analysis using the set U , and to use the cluster as the hidden variable. If we let k be the number of clusters, then the k-means clustering will return sets of users U_0, U_1, \dots, U_k such that a user only belongs to one of the sets ($U_i \cap U_j = \emptyset$ for any $U_i \neq U_j$). Each of the clusters can then be trained independently using any method of inference.

Given the output of KMeans clustering, we define the inference problem inputs and outputs in terms of the business vectors. As inputs, we have the set of businesses that some user in the cluster has rated. If the cluster is U_i , we denote the relevant set of businesses as B_i , where for every $b \in B_i$, r_{ub} exists for at least one $u \in U_i$. Then the input for the inference is B_i and the output is the set $\{f(U_i, b)\}, \forall b \in B_i$.

It is important to note that for two different clusters of users, the businesses the users have rated are not necessarily identical. That is, for U_i, U_j where $U_i \neq U_j$, it is not necessarily the case that $B_i = B_j$. Furthermore, if there does exist a $b \in B_i$ and $b \in B_j$, then it is not necessarily the case that $f(U_i, b) = f(U_j, b)$. This means that the same business vectors can be trained with different expected output based on the clusters. It represents our belief that the users in different clusters have different preferences, so they may rate the same business differently.

3.2 KNeighbors

3.3 Mixture of Gaussians

3.4 Second Factor

3.4.1 MLE

3.4.2 Lasso

3.4.3 Bayesian Ridge

3.4.4 Random Forests

4 Experiments

4.1 Setup

4.2 Results

5 References