

```
SetOptions[EvaluationNotebook[], ShowCellLabel → False];
```

```
SetOptions[{Plot, Plot3D, ContourPlot, DensityPlot, ParametricPlot,  
  ParametricPlot3D, ListPlot, ListLinePlot, VectorPlot, VectorPlot3D,  
  StreamPlot, RevolutionPlot3D, ContourPlot3D, Graphics, Graphics3D},  
  BaseStyle → {16, FontFamily → "Times"}, ImageSize → Medium];
```

```
(*****)
```

```
(* PROBLEM SET 2 *) (*****)
```

```
(*
```

```
Problem 2.1: Create a scene with multiple objects:
```

```
  a) A parametric curve
```

```
      following  $\{t \cos[t], t \sin[t], t/3\}$  for  $t$  from 0 to  $6\pi$ 
```

```
  b) A sphere that moves along the curve
```

```
  c) Animate the rotation of the entire setup around axis  $\{1,1,1\}$ 
```

```
*)
```

```
paramCurve[t_] := {t * Cos[t], t * Sin[t], t / 3}
```

```
tMax = 6 * Pi;
```

```
(* Creates a 3D plot of the parametric curve + Extract *)
```

```
[REDACTED]
```

```
[REDACTED] [[1]];
```

```
(* Create function (rotation transformation) *)
```

```
[REDACTED]
```

```
[REDACTED]
```

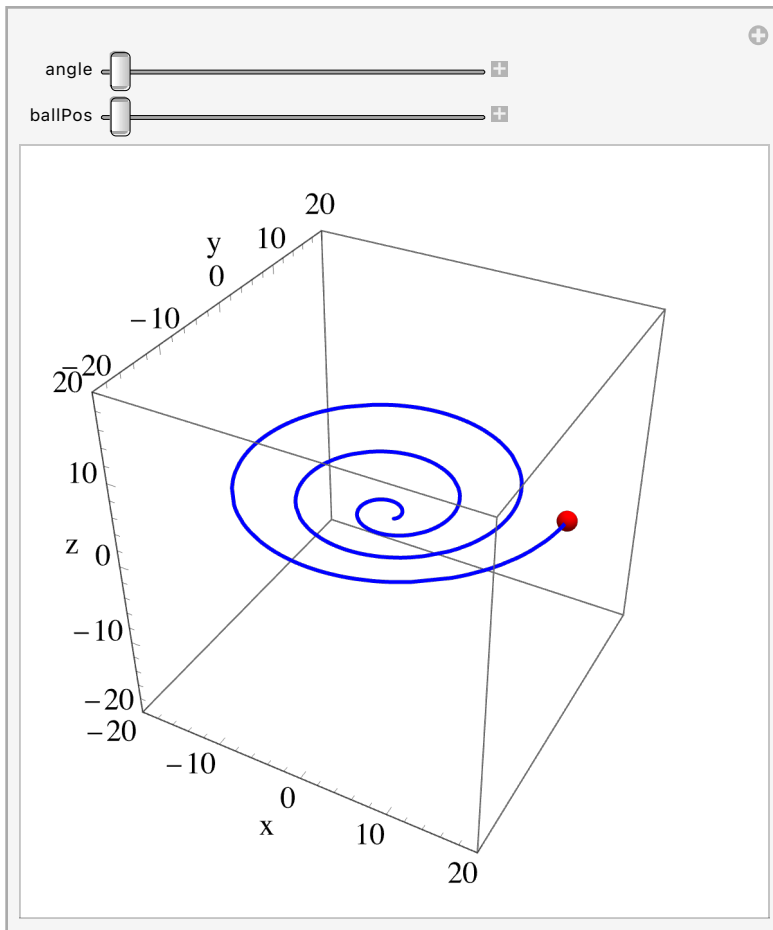
```
[REDACTED]
```

```
[REDACTED]
```

```
[REDACTED]
```

```
(* Manipulate *)
```

```
Manipulate[displayRotated2[angle, 1 - ballPos], {angle, 0, 2 Pi}, {ballPos, 0, 1}]
```



(* Problem 2: Creating and Transforming a Helix

Create a helix curve defined by $\{\sin[t], \cos[t], t/4\}$ for t from 0 to 8π .
 Implement a rotation around a user-controlled anchor point on the xy -plane.
 The anchor point position is controlled by Slider2D.
 The rotation is around the vector $\{0,0,1\}$ (z -axis).

Start with `Clear[anchorX, anchorY, angle]` where:

- anchorX, anchorY are the x, y coordinates of the anchor point
- angle is the rotation angle

Use `PlotRange → 5, Boxed → False, AxesOrigin → {0,0,0}`

*)

```
helix[t_] := {Sin[t], Cos[t], t/4}
```

(* Creates a 3D plot *)

```

[REDACTED]
[REDACTED]
[REDACTED]

(* Extracts the graphical primitive *)
[REDACTED]

```

```

(* Transformation function *)

```

```

rotateAroundAnchor[obj_, x_, y_, a_] :=

```

```

displayRotatedHelix[x_, y_, a_] :=

```

```

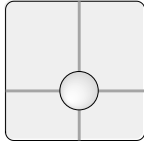
(* Slider 2D *)

```

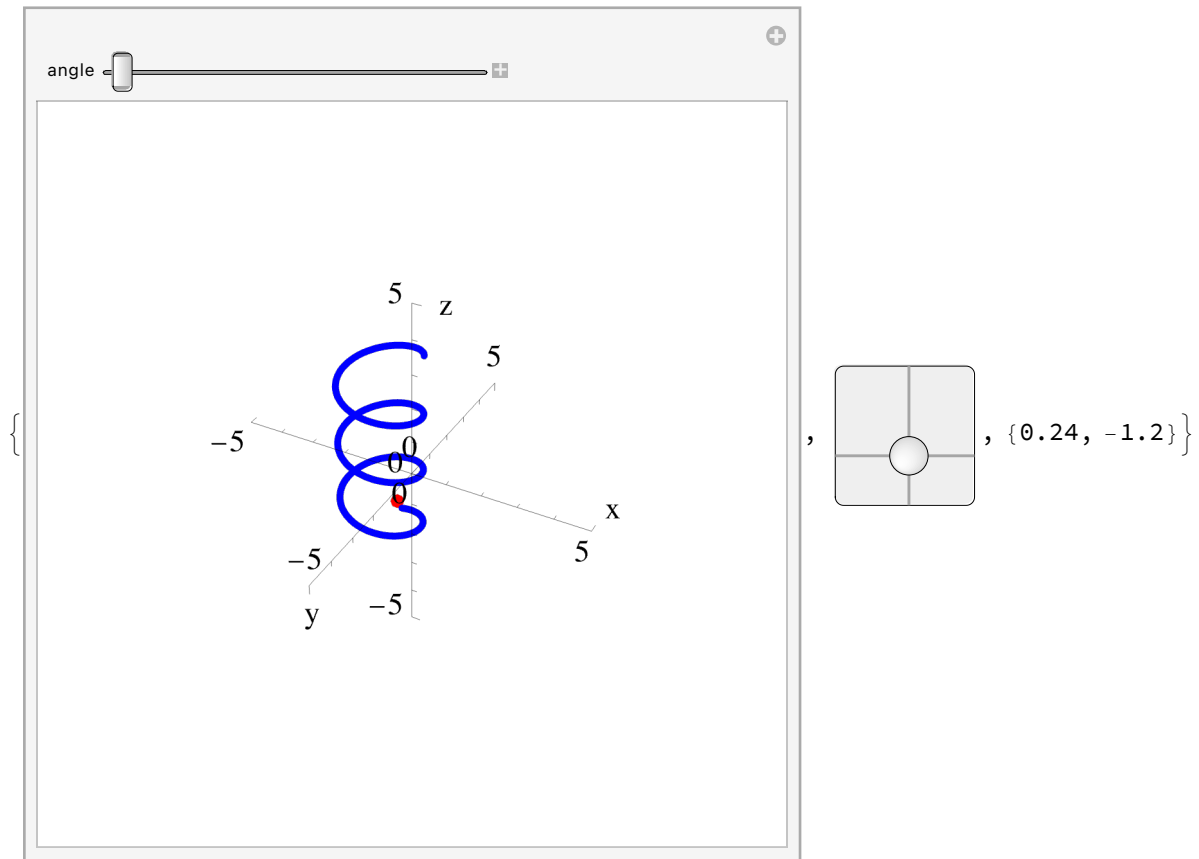
```

anchorSlider = Slider2D[Dynamic[{anchorX, anchorY}], {{-3, -3}, {3, 3}}]

```



```
{Manipulate[displayRotatedHelix[anchorX, anchorY, angle], {angle, 0, 2*Pi}],
 anchorSlider, Dynamic[{anchorX, anchorY}]}
```



(* Problem 3: Create a interpolated 3D curve with a moving point
 1. Create a 3D spline curve from a given set of points
 2. Add a slider to control a point that moves along the curve
 3. Display both the curve and the moving point
 *)

```
dataPoints = {{0, 0, 0}, {1, 2, 1}, {3, 1, 2},
  {4, -1, 3}, {2, -2, 2}, {0, -1, 1}, {-1, 1, 0}, {2, 1, 5}};
pointPlot =
  ListPointPlot3D[dataPoints, PlotStyle -> {Red, PointSize[0.03]}, PlotRange -> 5];
```

(* Extract x, y and z *)

```
[REDACTED]
```

(* Parametric Interpolation *)

```

(* 3D parametric function *)
splineCurve[t_] = {xInterp[t], yInterp[t], zInterp[t]};
tmax = Length[dataPoints];

(* Create a function to plot the curve *)
curvePlot = ParametricPlot3D[splineCurve[t],
  {t, 1, tmax}, PlotStyle -> {Blue, Thickness[0.01]}];

(* Create a function to show a point at a specific position on the curve *)
movingPoint[t_] := 
  {
    xInterp[t],
    yInterp[t],
    zInterp[t]
  }

(* Manipulate *)
Manipulate[showCurveWithPoint[t], {t, 1, tmax, 0.1}]

```

