(An Autonomous Institution affiliated to VTU, Belgaum)

11 Sem B.E. (Credit System) Mid Semester Examinations – I March 2013

12MA201 - ENGINEERING MATHEMATICS - II puration: 1 Hour

Max. Marks: 20

Note: Answer Five full questions choosing at least two from each Part.

Solve
$$(x^2 + y^2)dx = xydy$$
.

Solve
$$(x^2 + y^2) dx = xydy$$

Solve
$$\left(xy^2 - e^{\frac{1}{x^3}}\right)dx - x^2ydy = 0$$
.

Solve the differential equation
$$\frac{dy}{dx} + x \sin 2y = x^3 \cos^2 y$$
.

Find the orthogonal trajectory of the family of curves $r^2 = a^2 \cos 2\theta$.

Part - II

Define (i) linear dependence (ii) linear independence of a set of vectors $\{u_1, u_2,u_n\}$ Check whether the set {(1, 4, 5); (4, 4, 8); (3, -3, 0)} is linearly dependent.

Define the rank of a matrix. Find the rank of the matrix

$$\begin{bmatrix} 2 & -1 & -3 & -1 \\ 1 & 3 & 3 & -1 \\ 0 & 1 & 1 & -1 \\ 1 & 0 & 1 & 1 \end{bmatrix}$$

by reducing to row echelon form.

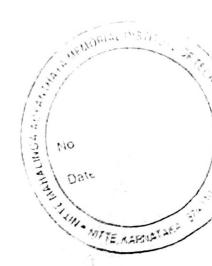
Using Gauss-Seidel iteration method solve the system of equations:

$$20x + y - 2z = 17$$

$$3x + 20y - z = -18$$

$$2x - 3y + 20z = 25$$

Start with $X^{(0)} = y^{(0)} = z^{(0)} = 0$ and carryout 3 iterations.



(An Autonomous Institution affiliated to VTU, Belgaum) 11 Sem B.E. (Credit System) Mid Semester Examinations – I March 2013

ration: 1 Hour

12MA201 - ENGINEERING MATHEMATICS - II

Max. Marks: 20

Note: Answer Five questions choosing at least Two from each Part.

Solve the differential equation
$$\frac{dy}{dx} = \frac{x+y-1}{x+y+1}.$$

Solve the differential equation y(x+y+1)dx + x(x+3y+2)dy = 0.

Solve the differential equation
$$\tan y \frac{dy}{dx} + \tan x = \cos y \cos^2 x$$
.

Find the orthogonal trajectory of the family of curves $r^n = a^n \sin n\theta$.

Part - II

Define a basis for a vector space. Check whether the set $\{(1,0,7);(1,2,4);(1,0,3)\}$ is a basis for

Define rank of a matrix. Find the rank of the matrix

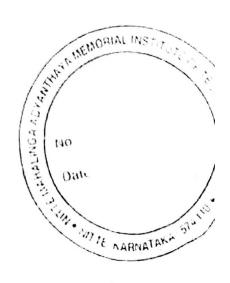
by reducing it to row echelon form.

Use Gauss Seidel iteration method to solve

$$5x - 2y + z = 3$$

$$x-2y+z=5$$
 $x-4y-2z=5$ start with $x^{(0)}=y^{(0)}=z^{(0)}=0$ and carry out three iterations.

$$4x + y + 6z = -8$$





(An Autonomous Institution affiliated to VTU, Belgaum)

II Sem B.E. (Credit System) Mid Semester Examinations - II, April 2013

12MA201 - ENGINEERING MATHEMATICS - II

ration; 1 Hour

3.

5.

6.

7.

Max. Marks: 20

Note: Answer Five full questions choosing at least two from each Part.

Solve the differential equation $(4D^2 - 1)y = e^{\frac{x}{2}} + 12e^x + 4$.

Solve the differential equation $(D^2 - 4D + 3)y = \sin 3x$.

Using the method of variation of parameters, solve $(D^2 + 1)y = \sec x \tan x$.

Solve the differential equation $x^2 \frac{d^2y}{dx^2} + 2x \frac{dy}{dx} - 12y = x^3$.

Evaluate $\iint_D xy(x+y)dxdy$ if D is the region bounded by $y=x^2$ and y=x.

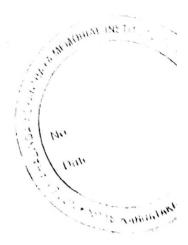
By changing the order of integration evaluate $\int_{0}^{\infty} \int_{0}^{\infty} \frac{e^{-y}}{y} dy dx$

Find the largest eigen value and the corresponding eigen vector of the matrix

25

by using power method. Start with the initial vector 0

iterations.



and carry out five

(An Autonomous Institution affiliated to VTU, Belgaum)

II Sem B.E. (Credit System) Mid Semester Examinations - II, April 2013

12MA201 - ENGINEERING MATHEMATICS - II

ation: 1 Hour

Max. Marks: 20

Note: Answer Five questions choosing at least two from each Part.

Part - I

Solve the differential equation $(D^2 - 4D + 4)y = e^{2x}$.

Using the method of variation of parameters solve the differential equation $(D^2 - 2D + 1)y = \frac{e^x}{2}$

Solve the differential equation $(D^2 + 2D + 2)y = 1 + 3x + x^2$.

Solve the differential equation $x^2 \frac{d^2 y}{dx^2} - 2x \frac{dy}{dx} - 4y = x^2 + 2\log x$.

Part - II

Evaluate $\iint (x^2 + y^2) dxdy$ if D is the region bounded between x = 2, y = 1 and $y = x^2$.

Evaluate $\int_{-\infty}^{\infty} e^{-(x^2+y^2)} dxdy$ by changing to polar coordinates.

Using Power method find the largest eigen value and the corresponding eigen vector of the matrix

$$\begin{bmatrix} 2 & -1 & 0 \\ -1 & 2 & -1 \\ 0 & -1 & 2 \end{bmatrix}$$
. Take the initial eigen vector as
$$\begin{bmatrix} 1 \\ 0 \\ 0 \end{bmatrix}$$
 and carry out five iterations.

