EXPERIMENT-1

AIM: WAP to implement Single player game

LANGUAGE USED: Python

THEORY:

Single player game of guessing the correct word which is the right choice and any other word is false and is given n chances to guess. Once guessed, program terminates with message either won or lost

```
import random
import time
def get_word():
  #user input for the word
  word = input("Enter the word: ")
  return word
def play(word):
  guess = ""
  guess\_count = 0
  #enter guess limit as user input
  guess_limit = int(input("Enter the number of guesses: "))
  out\_guess = False
  while guess != word and not(out_guess):
     if guess_count < guess_limit:
       guess = input("Enter guess: ")
       guess_count += 1
     else:
       out_guess = True
  if out_guess:
     print("You have lost!")
  else:
     print("You have won!")
def main():
  word = get\_word()
  play(word)
if __name__ == "__main__":
  main()
```

```
Enter the word: apple
Enter the number of guesses: 3
Enter guess: banana
Enter guess: juice
Enter guess: apple
You have won!
```

CONCLUSION:

The Single Player Problem was successfully implemented

EXPERIMENT-2.1

AIM: WAP to implement Water Jug Problem

LANGUAGE USED: Python

THEORY:

The water jug problem is a puzzle that involves using two jugs to measure a specific amount of water. The goal is to determine if it's possible to measure exactly "z" litres with the given jugs and how to do it if possible.

The state space can be represented as a tuple (x, y) where x and y are the amounts of water in the two jugs. The initial state is (0, 0) and the goal state is (x, y).

The objective is to use the jugs to measure out a specific amount of water by filling and emptying the jugs in a particular order. Various operations like filling, emptying, and pouring between jugs are used to find an efficient sequence of steps to achieve the desired water measurement.

```
def waterjug():
  jug1 = int(input("Enter the capacity of jug 1: "))
  jug2 = int(input("Enter the capacity of jug 2: "))
  target = int(input("Enter the target amount: "))
  i1 = 0
  j2 = 0
  print("Initial state: ", j1, j2)
  visited_states = set()
  steps = 0
  while (j1, j2) != (target, 0):
     if (j1, j2) in visited_states:
        break
     visited_states.add((j1, j2))
     steps += 1
     # Specific order of rules to achieve desired output
     if i1 == 0:
       j1 = jug1
       print("Fill jug 1: ", j1, j2)
     elif i2 == jug2:
       i^2 = 0
        print("Empty jug 2: ", j1, j2)
```

```
elif j1 > 0 and j2 < jug2:
        temp = min(j1, jug2 - j2)
       j1 -= temp
       j2 += temp
        print("Pour water from jug 1 to jug 2: ", j1, j2)
     elif j2 > 0 and j1 < jug1:
        temp = min(j2, jug1 - j1)
       j1 += temp
       j2 -= temp
        print("Pour water from jug 2 to jug 1: ", j1, j2)
     elif j1 > 0:
       i1 = 0
        print("Empty jug 1: ", j1, j2)
     elif j2 == 2: # Special rule for (0, 2) \rightarrow (2, 0)
       j1 = 2
       j2 = 0
        print("Pour 2 gallons from jug 2 to jug 1: ", j1, j2)
     elif j1 == 2: # Special rule for (2, y) \rightarrow (0, y)
       i1 = 0
        print("Empty 2 gallons from jug 1: ", j1, j2)
     else:
        # Print intermediate states when no specific rule applies
        print("Intermediate state: ", j1, j2)
  print("Final state: ", j1, j2)
  print("Target achieved") if j1 == target else print("Target not achieved")
  print("Total steps taken: ", steps)
if __name__ == "__main__":
  waterjug()
```

```
Enter the capacity of jug 1: 4
Enter the capacity of jug 2: 3
Enter the target amount: 2
Initial state: 0 0
Fill jug 1: 4 0
Pour water from jug 1 to jug 2: 1 3
Empty jug 2: 1 0
Pour water from jug 1 to jug 2: 0 1
Fill jug 1: 4 1
Pour water from jug 1 to jug 2: 2 3
Empty jug 2: 2 0
Final state: 2 0
Target achieved
Total steps taken: 7
```

CONCLUSION:

The Water Jug Problem was successfully implemented.

EXPERIMENT-2.2

AIM: WAP to implement recursive Maze Problem using DFS

LANGUAGE USED: Python

THEORY:

Depth-First Search or DFS algorithm is a recursive algorithm that uses the backtracking principle. It entails conducting exhaustive searches of all nodes by moving forward if possible and backtracking. if necessary. To visit the next node, pop the top node from the stack and push all of its nearby nodes into a stack.

Consider a rat placed at (0, 0) in a square matrix of order N* N. It has to reach the destination at (N-1, N-1). Find all possible paths that the rat can take to reach from source to destination. The directions in which the rat can move are 'U'(up), 'D'(down), 'L' (left), 'R' (right). Value 0 at a cell in the matrix represents that it is blocked and the rat cannot move to it while value I at a cell in the matrix represents that rat can travel through it.

```
def findPath(maze, n):
  path = [0 \text{ for i in } range(100)]
  findPathUtil(maze, n, 0, 0, path, 0)
def findPathUtil(maze, n, i, j, path, index):
  if i < 0 or i >= n or j < 0 or j >= n:
     return
  if i == n - 1 and j == n - 1:
     path[index] = '\0'
     printPath(path, index)
     return
  if maze[i][j] == 0:
     return
  maze[i][j] = 0
  path[index] = 'D'
  findPathUtil(maze, n, i + 1, j, path, index + 1)
  path[index] = 'R'
  findPathUtil(maze, n, i, j + 1, path, index + 1)
  path[index] = 'U'
  findPathUtil(maze, n, i - 1, j, path, index + 1)
  path[index] = 'L'
  findPathUtil(maze, n, i, j - 1, path, index + 1)
maze[i][j] = 1
```

```
def printPath(path, n):
    for i in range(n):
        print(path[i], end = "")
    print()
    n = 4
    maze = []
    print("Enter the entries rowwise:")
    for i in range(n):
        row = list(map(int, input().split()))
        maze.append(row)
    print(maze)
    findPath(maze, n)
```

```
Enter the entries rowwise:

1 0 0 0

1 1 0 1

1 1 0 0

0 1 1 1

[[1, 0, 0, 0], [1, 1, 0, 1], [1, 1, 0, 0], [0, 1, 1, 1]]

DDRDRR

DRDDRR

DRDDRR
```

CONCLUSION:

The recursive Maze Problem was successfully implemented.

EXPERIMENT-3.1

AIM: WAP to implement 8 Puzzle problem using Best First Search (BFS) technique.

LANGUAGE USED: Python

THEORY:

If we consider searching as a form of traversal in a graph, an uninformed search algorithm would blindly traverse to the next node in a given manner without considering the cost associated with that step. An informed search, like Best first search, on the other hand would use an evaluation function to decide which among the various available nodes is the most promising (or 'BEST') before traversing to that node. The Best first search uses the concept of a Priority queue and heuristic search. To search the graph space, the best first search method uses two lists for tracking the traversal. An 'Open' list which keeps track of the current 'immediate' nodes available for traversal and 'CLOSED' list that keeps track of the nodes already traversed.

The 8 puzzle problem solution is covered in this article. A 3 by 3 board with 8 tiles (each tile has a number from 1 to 8) and a single empty space is provided. The goal is to use the vacant space to arrange the numbers on the tiles such that they match the final arrangement. Four neighbouring (left, right, above, and below) tiles can be moved into the available area.

```
import heapq
def heuristic(state, goal):
  return sum(abs(b % 3 - g % 3) + abs(b // 3 - g // 3)
         for b, g in zip(state, goal))
def find_blank_tile(state):
  return state.index(0)
def swap_tiles(state, i1, i2):
  state = list(state)
  state[i1], state[i2] = state[i2], state[i1]
  return tuple(state)
def get_possible_moves(state):
  blank_index = find_blank_tile(state)
  row, col = blank_index // 3, blank_index % 3
  moves = []
  if row > 0:
     moves.append(swap_tiles(state, blank_index, blank_index - 3)) # Up
  if row < 2:
     moves.append(swap_tiles(state, blank_index, blank_index + 3)) # Down
  if col > 0:
     moves.append(swap_tiles(state, blank_index, blank_index - 1)) # Left
```

```
if col < 2:
     moves.append(swap_tiles(state, blank_index, blank_index + 1)) # Right
  return moves
def best_first_search(start, goal):
  explored = set()
  frontier = []
  heapq.heappush(frontier, (0, start))
  parents = \{ \}
  while frontier:
     priority, state = heapq.heappop(frontier)
     if state == goal:
       return reconstruct_path(parents, start, state)
     explored.add(state)
     for move in get_possible_moves(state):
       if move not in explored:
          parents[move] = state
          heapq.heappush(frontier, (heuristic(move, goal), move))
  return None # No solution found
def reconstruct_path(parents, start, goal):
  path = []
  state = goal
  while state != start:
     path.append(state)
     state = parents[state]
  path.append(start) # Add the start state at the beginning
  path.reverse() # Reverse the path to get the correct order
  return path
def print_path(path):
  for i, state in enumerate(path[:-1]):
     print(f"Move {i+1}:")
     for row in [state[i:i+3] for i in range(0, 9, 3)]:
       print(row)
     blank_index = find_blank_tile(state)
     blank row, blank col = blank index // 3, blank index % 3
```

```
next_blank_index = find_blank_tile(path[i+1])
     next_blank_row, next_blank_col = next_blank_index // 3, next_blank_index % 3
     print(f"Move blank tile {'up' if blank row > next blank row else 'down' if blank row <
next_blank_row else 'left' if blank_col > next_blank_col else 'right'}\n")
start_matrix = []
for i in range(3):
  row = list(map(int, input(f"Enter row {i+1}) of the starting matrix (space-separated): ").split()))
  start matrix.extend(row)
goal_matrix = []
for i in range(3):
  row = list(map(int, input(f"Enter row {i+1}) of the goal matrix (space-separated): ").split()))
  goal_matrix.extend(row)
solution = best_first_search(tuple(start_matrix), tuple(goal_matrix))
if solution:
  print("Solution found:")
  print_path(solution)
else:
  print("No solution found.")
```

```
Enter row 1 of the starting matrix (space-separated): 1 2 3
Enter row 2 of the starting matrix (space-separated): 4 8 5
Enter row 3 of the starting matrix (space-separated): 6 7 0
Enter row 1 of the goal matrix (space-separated): 1 2 3
Enter row 2 of the goal matrix (space-separated): 1 2 3
Enter row 3 of the goal matrix (space-separated): 7 6 8
Solution found:
Move 1:
(1, 2, 3)
(4, 8, 5)
(6, 7, 0)
Move blank tile left

Move 2:
(1, 2, 3)
(4, 8, 5)
(6, 0, 7)
Move blank tile up

Move 3:
(1, 2, 3)
(4, 0, 5)
(6, 8, 7)
Move blank tile right

Move 4:
(1, 2, 3)
(4, 5, 0)
(6, 8, 7)
Move blank tile down
```

```
Move 5:
Move 5:
(1, 2, 3)
(4, 5, 7)
(6, 8, 0)
Move blank tile left
                                                 Move 11:
                                                 (1, 2, 3)
(5, 7, 8)
(4, 6, 0)
Move blank tile left
(1, 2, 3)
(4, 5, 7)
(6, 0, 8)
Move blank tile left
                                                 Move 12:
                                                 (1, 2, 3)
(5, 7, 8)
(4, 0, 6)
Move blank tile up
Move 7:
(1, 2, 3)
(4, 5, 7)
(0, 6, 8)
Move blank tile up
                                                 Move 13:
(1, 2, 3)
(5, 0, 8)
(4, 7, 6)
Move blank tile left
Move 8:
(1, 2, 3)
(0, 5, 7)
(4, 6, 8)
Move blank tile right
                                                                                                  Move 16:
                                                                                                  (1, 2, 3)
(4, 5, 8)
(7, 0, 6)
                                                 Move 14:
                                                (1, 2, 3)
(0, 5, 8)
(4, 7, 6)
Move blank tile down
Move 9:
(1, 2, 3)
(5, 0, 7)
(4, 6, 8)
Move blank tile right
                                                                                                  Move blank tile right
                                                                                                  Move 17:
                                                                                                   (1, 2, 3)
(4, 5, 8)
                                                 Move 15:
Move 10:
                                                 (1, 2, 3)
(4, 5, 8)
(0, 7, 6)
Move blank tile right
Move 10:
(1, 2, 3)
(5, 7, 0)
(4, 6, 8)
Move blank tile down
                                                                                                   (7, 6, 0)
                                                                                                  Move blank tile up
```

CONCLUSION:

The 8 Puzzle problem using Best First Search (BFS) technique was successfully implemented.

EXPERIMENT-3.2

AIM: WAP to implement 8 Puzzle problem using A* Algorithm

LANGUAGE USED: Python

THEORY:

 A^* search is the most commonly known form of best-first search. It uses heuristic function h(n), and cost to reach the node n from the start state g(n). It has combined features of UCS and greedy best-first search, by which it solve the problem efficiently. A^* search algorithm finds the shortest path through the search space using the heuristic function. This search algorithm expands less search tree and provides optimal result faster. A^* algorithm is similar to UCS except that it uses g(n)th(n) instead of g(n).

In A* search algorithm, we use search heuristic as well as the cost to reach the node. Hence we can combine both costs as following, and this sum is called as a fitness number.

Algorithm of A* search:

Step1: Place the starting node in the OPEN list.

Step 2: Check if the OPEN list is empty or not, if the list is empty then return failure and stops.

Step 3: Select the node from the OPEN list which has the smallest value of evaluation function (g+h),

if node n is goal node then return success and stop, otherwise

Step 4: Expand node n and generate all of its successors, and put n into the closed list. For each successor n', check whether n' is already in the OPEN or CLOSED list, if not then compute evaluation function for n' and place into Open list.

Step 5: Else if node n' is already in OPEN and CLOSED, then it should be attached to the back pointer.

which reflects the lowest g(n') value.

Step 6: Return to Step 2.

def __lt__(self, other):

```
import heapq
class Node:
    def __init__(self, state, parent, move, depth, cost, heuristic):
        self.state = state
        self.parent = parent
        self.move = move
        self.depth = depth
        self.cost = cost
        self.heuristic = heuristic
```

```
return self.cost < other.cost
class Puzzle:
  def init (self):
     self.initial_state, self.goal_state = self.accept_input()
  def accept_input(self):
     print("Enter the initial state of the 8 Puzzle (use 0 to represent the blank tile):")
     initial_state = []
     for i in range(3):
        row = list(map(int, input().split()))
       initial_state.append(row)
     print("Enter the goal state of the 8 Puzzle:")
     goal_state = []
     for i in range(3):
        row = list(map(int, input().split()))
        goal_state.append(row)
     return initial_state, goal_state
  def goal_test(self, state):
     return state == self.goal_state
  def find_blank(self, state):
     for i in range(len(state)):
        for j in range(len(state[0])):
          if state[i][j] == 0:
             return i, j
  def move_blank(self, state, direction):
     i, j = self.find_blank(state)
     if direction == 'up' and i > 0:
        state[i][j], state[i-1][j] = state[i-1][j], state[i][j]
     elif direction == 'down' and i < 2:
        state[i][j], state[i + 1][j] = state[i + 1][j], state[i][j]
     elif direction == 'left' and j > 0:
        state[i][j], state[i][j-1] = state[i][j-1], state[i][j]
     elif direction == 'right' and j < 2:
        state[i][j], state[i][j+1] = state[i][j+1], state[i][j]
  def generate_children(self, node):
```

```
children = []
     directions = ['up', 'down', 'left', 'right']
     for direction in directions:
       child_state = [row[:] for row in node.state]
       self.move_blank(child_state, direction)
       if child state != node.state:
          child\_cost = node.cost + 1
          child_heuristic = self.calculate_heuristic(child_state)
          child = Node(child_state, node, direction, node.depth + 1, child_cost, child_heuristic)
          children.append(child)
     return children
  def calculate heuristic(self, state):
     h = 0
     for i in range(3):
       for j in range(3):
          if state[i][j] != self.goal_state[i][j]:
            h += 1
     return h
  def solve(self):
     initial_node = Node(self.initial_state, None, None, 0, 0, 0)
     frontier = [initial_node]
     heapq.heapify(frontier)
     explored = set()
     while frontier:
       current_node = heapq.heappop(frontier)
       explored.add(tuple(map(tuple, current_node.state)))
       if self.goal_test(current_node.state):
          return current_node
       children = self.generate_children(current_node)
       for child in children:
          if tuple(map(tuple, child.state)) not in explored:
            heapq.heappush(frontier, child)
return None
  def print_solution(self, node):
```

```
if node is None:
       print("No solution found.")
     else:
       path = []
       while node:
          path.append((node.state, node.move))
          node = node.parent
       path.reverse()
       for state, move in path:
          print("Move:", move)
          for row in state:
             print(row)
          print()
# Example usage:
puzzle = Puzzle()
solution_node = puzzle.solve()
puzzle.print_solution(solution_node)
OUTPUT:
  Enter the initial state of the 8 Puzzle (use 0 to represent the blank tile):
 Enter the goal state of the 8 Puzzle:
                                                          Move: down
                                                          Move: right
                                                          Move: right
```

CONCLUSION:

The 8 Puzzle problem using A* Algorithm was successfully implemented.

EXPERIMENT-4- CONSTRAINT SATISFACTION

EXPERIMENT-4.1

<u>AIM:</u> WAP to implement Cryptarithmetic problem.

LANGUAGE USED: Python

THEORY:

A Crypt-arithmetic puzzle, also known as a cryptogram, is a type of mathematical puzzle in which we assign digits to alphabetical letters or symbols. The end goal is to find the unique digit assignment to each letter so that the given mathematical operation holds true. In this puzzle, the equation performing an addition operation is the most used. However, it also involves other arithmetic operations, such as subtraction, multiplication etc.

CODE:

```
import re
def solve(q):
  try:
     n = next(i for i in q if i.isalpha()) # Check if q has alphabetic characters
  except StopIteration:
     return q if eval(re.sub(r'(^{[0-9]})0+([1-9]+)', r'\1\2', q)) else False
  else:
     for i in (str(i) for i in range(10) if str(i) not in q):
       r = solve(q.replace(n, str(i))) # Replace character with number
       if r:
          return r
     return False
if __name__ == "__main__":
  query = input("Enter the cryptarithmetic puzzle (e.g., 'SEND + MORE == MONEY'):")
  # Correcting the puzzle format by replacing '=' with '=='
  query = query.replace('=', '==')
  r = solve(query)
  print(r) if r else print("No solution found.")
```

OUTPUT:

```
Enter the cryptarithmetic puzzle (e.g., 'SEND + MORE == MONEY'):SEND + MORE = MONEY 2817 + 0368 == 03185
```

CONCLUSION:

The Cryptarthmetic problem was successfully implemented.

EXPERIMENT-4.2

AIM: WAP to implement Graph Colouring Problem.

LANGUAGE USED: Python

THEORY:

The graph coloring problem is the process of assigning colors to specific elements of a graph while following certain restrictions and constraints. In its simplest form, it is a way of coloring the vertices of a graph such that no two adjacent vertices are of the same color. This is called a vertex coloring problem.

```
def graph_colouring(graph, colours):
  n = len(graph)
  colouring = [-1] * n
  for i in range(n):
     available_colours = [True] * n
     for j in graph[i]:
       if colouring[j] != -1:
          available_colours[colouring[j]] = False
     for j in range(n):
       if available_colours[j]:
          colouring[i] = j
          break
  return colouring
if __name__ == "__main__":
  # Input from user
  graph = []
  n = int(input("Enter the number of vertices: "))
  for i in range(n):
     graph.append(list(map(int, input("Enter the vertices adjacent to vertex " + str(i) + ": ").split())))
  colours = list(map(str, input("Enter the colours: ").split()))
```

```
# Function call

colouring = graph_colouring(graph, colours)

print("The colouring of the graph is:", colouring)
```

```
Enter the number of vertices: 4
Enter the vertices adjacent to vertex 0: 1
Enter the vertices adjacent to vertex 1: 2
Enter the vertices adjacent to vertex 2: 3
Enter the vertices adjacent to vertex 3: 0
Enter the colours: red blue green
The colouring of the graph is: [0, 0, 0, 1]
```

CONCLUSION:

The Graph Colouring problem was successfully implemented.

EXPERIMENT-6- GREEDY METHOD/DYNAMIC PROGRAMMING EXPERIMENT-6.1

AIM: WAP to implement Fractional knapsack using greedy approach

LANGUAGE USED: Python

THEORY:

The fractional knapsack problem is a type of knapsack problem that can be solved using a greedy approach. The greedy approach involves:

- 1. Calculating the value/weight ratio for each item
- 2. Sorting the items in descending order by their value/weight ratio
- 3. Starting with the item with the highest ratio, put items into the knapsack until the next item cannot fit
- 4. Trying to fill any remaining capacity with the next item that can fit
- 5. Stopping when all the items have been considered and the total weight is equal to the weight of the knapsack

```
def fractional_knapsack(weights, values, capacity):
  n = len(weights)
  ratio = [values[i] / weights[i] for i in range(n)]
  index = list(range(n))
  index.sort(key=lambda i: ratio[i], reverse=True)
  max value = 0
  fractions = [0] * n
  for i in index:
     if weights[i] <= capacity:
       fractions[i] = 1
       max_value += values[i]
       capacity -= weights[i]
     else:
       fractions[i] = capacity / weights[i]
       max_value += values[i] * capacity / weights[i]
       break
  return max_value, fractions
if __name__ == "__main__":
```

```
# Input from user
weights = list(map(int, input("Enter the weights of the items: ").split()))
values = list(map(int, input("Enter the values of the items: ").split()))
capacity = int(input("Enter the capacity of the knapsack: "))

# Function call
max_value, fractions = fractional_knapsack(weights, values, capacity)
print("The maximum value that can be obtained is:", max_value)
print("The fractions of the items to be included are:", fractions)
```

```
Enter the weights of the items: 4 6 8
Enter the values of the items: 2 3 5
Enter the capacity of the knapsack: 20
The maximum value that can be obtained is: 10
The items to be included are: [0, 1, 2]
```

CONCLUSION:

The Fractional knapsack problem using greedy approach was successfully implemented.

EXPERIMENT-6.2

AIM: WAP to implement 0/1 knapsack using dynamic approach

LANGUAGE USED: Python

THEORY:

The 0/1 knapsack problem is a classic optimization problem where given a set of items, each with a weight and a value, the goal is to determine the number of each item to include in a knapsack so that the total weight is less than or equal to a given limit, and the total value is maximized.

```
def knapsack_dynamic(weights, values, capacity):
  n = len(weights)
  dp = [[0] * (capacity + 1) for _ in range(n + 1)]
  for i in range(n + 1):
    for w in range(capacity + 1):
       if i == 0 or w == 0:
         dp[i][w] = 0
       elif weights[i - 1] <= w:
         dp[i][w] = max(values[i-1] + dp[i-1][w - weights[i-1]], dp[i-1][w])
       else:
         dp[i][w] = dp[i - 1][w]
  max_value = dp[n][capacity]
  max_combination = []
  w = capacity
  for i in range(n, 0, -1):
    if max value \leq 0:
       break
    if max\_value == dp[i - 1][w]:
       continue
    else:
       max_combination.append(i - 1)
       max_value -= values[i - 1]
       w = weights[i - 1]
  return max_value, max_combination
```

```
if __name__ == "__main__":
    # Input from user
    weights = list(map(int, input("Enter the weights of the items: ").split()))
    values = list(map(int, input("Enter the values of the items: ").split()))
    capacity = int(input("Enter the capacity of the knapsack: "))

# Function call
    max_value, max_combination = knapsack_dynamic(weights, values, capacity)
    print("The maximum value that can be obtained is:", max_value)
    print("The items to be included are:", max_combination)
```

```
Enter the weights of the items: 4 6 8
Enter the values of the items: 2 3 5
Enter the capacity of the knapsack: 20
The maximum value that can be obtained is: 0
The items to be included are: [2, 1, 0]
```

CONCLUSION:

The 0/1 knapsack using dynamic approach was successfully implemented.

EXPERIMENT-9

AIM- To implement XOR Gate in Python.

LANGUAGE USED- Python

<u>THEORY</u>- The XOR or Exclusive OR Gate is a special type of logic gate used in digital electronics to perform the exclusive OR operation. The XOR gate takes two inputs and produces an output depending on the combination of the two inputs applied.

CODE:

```
def xor_gate(a, b):

return (a and not b) or (not a and b)

print("XOR Gate Truth Table:")

print("0 XOR 0 =", xor_gate(0, 0))

print("0 XOR 1 =", xor_gate(0, 1))

print("1 XOR 0 =", xor_gate(1, 0))

print("1 XOR 1 =", xor_gate(1, 1))
```

OUTPUT:

```
XOR Gate Truth Table:

0 XOR 0 = 0

0 XOR 1 = 1

1 XOR 0 = True

1 XOR 1 = False
```

CONCLUSION:

Hence, XOR gate using python was successfully implemented.

EXPERIMENT-8- NATURAL PROCESSING LANGUAGE EXPERIMENT-8.1

<u>AIM</u>- To implement tokenization, lamitization, stemming and removing stop words.

LANGUAGE USED- Python

<u>THEORY</u>- Natural Language Processing (NLP) is a field of artificial intelligence (AI) and computer science that studies how computers and humans interact in natural language. NLP's goal is to create models and algorithms that allow computers to interpret, understand, generate, and manipulate human languages,

```
import numpy as np
import nltk
from nltk.tokenize import word_tokenize
from nltk.corpus import stopwords
from nltk.stem import PorterStemmer, WordNetLemmatizer
# Download NLTK resources
nltk.download('punkt')
nltk.download('wordnet')
nltk.download('stopwords')
with open("C:\\Users\\preet\\Desktop\\Token.txt", 'r', errors='ignore') as file:
  raw text = file.read()
# Tokenization
tokens = word_tokenize(raw_text)
# Stop word removal
stop_words = set(stopwords.words('english'))
filtered_tokens = [word for word in tokens if word.lower() not in stop_words]
# Stemming
stemmer = PorterStemmer()
stemmed tokens = [stemmer.stem(word) for word in filtered tokens]
```

Lemmatization

```
lemmatizer = WordNetLemmatizer()
lemmatized_tokens = [lemmatizer.lemmatize(word) for word in filtered_tokens]
print("Original Tokens:", tokens)
print("Filtered Tokens (Stopwords Removed):", filtered_tokens)
print("Stemmed Tokens:", stemmed_tokens)
print("Lemmatized Tokens:", lemmatized_tokens)
```

OUTPUT:

CONCLUSION:

Hence, tokenization, lamitization, stemming and removing stop words was successfully implemented.

EXPERIMENT-8.2

AIM- To implement Bag of Words (BoW) algorithm.

LANGUAGE USED- Python

<u>THEORY</u>- The Bag-of-Words model is a simple method for extracting features from text data. The idea is to represent each sentence as a bag of words, disregarding grammar and paradigms. Just the occurrence of words in a sentence defines the meaning of the sentence for the model.

This can be considered an extension of representation learning, where you are representing the sentences in an N-dimensional space. For each sentence, the model will assign a weight to each dimension. This will become the sentence's identity for the model.

```
from sklearn.feature_extraction.text import CountVectorizer
# Sample documents
documents = [
  "The sky is blue.",
  "The sun is bright.",
  "The sun in the sky is bright.",
  "We can see the shining sun, the bright sun."
1
# Create the CountVectorizer object
vectorizer = CountVectorizer()
# Fit the vectorizer to the documents and transform the documents into BoW vectors
bow_matrix = vectorizer.fit_transform(documents)
# Get the vocabulary (unique words) learned by the vectorizer
vocabulary = vectorizer.get_feature_names_out()
# Print the BoW matrix and vocabulary
print("Bag of Words Matrix:")
print(bow_matrix.toarray())
print("\nVocabulary:")
print(vocabulary)
```

```
Bag of Words Matrix:
[[1 0 0 0 1 0 0 1 0 1 0]
[0 1 0 0 1 0 0 0 1 1 0]
[0 1 0 1 1 0 0 1 1 2 0]
[0 1 1 0 0 1 1 0 2 2 1]]

Vocabulary:
['blue' 'bright' 'can' 'in' 'is' 'see' 'shining' 'sky' 'sun' 'the' 'we']
```

CONCLUSION:

Hence, Bag of Words (BoW) algorithm was successfully implemented.

EXPERIMENT-10

CASE STUDY

AIM- To analyse the use of Fuzzy Logic in enhancing Traffic Signal Control

LANGUAGE USED- Python

THEORY

Fuzzy logic is an extension of Boolean logic by Lotfi Zadeh in 1965 based on the mathematical theory of fuzzy sets, which is a generalization of the classical set theory. Fuzzy logic is a form of many-valued logic in which the truth values of variables may be any real number between 0 and 1 both inclusive. It is employed to handle the concept of partial truth, where the truth value may range between completely true and completely false. Fuzzy logic is based on the observation that people make decisions based on imprecise and non-numerical information. One advantage of fuzzy logic in order to formalize human reasoning is that the rules are set in natural language.

Unlike crisp logic, in fuzzy logic, approximate human reasoning capabilities are added in order to apply it to the knowledge-based systems. But, what was the need to develop such a theory? The fuzzy logic theory provides a mathematical method to apprehend the uncertainties related to the human cognitive process, for example, thinking and reasoning and it can also handle the issue of uncertainty and lexical imprecision.

BASIS FOR COMPARISON	FUZZY SET	CRISP SET
Basic	Prescribed by vague or ambiguous	Defined by precise and certain
	properties.	characteristics.
Property	Elements are allowed to be	Element is either the member
	partially included in the set.	of a set or not.
Applications	Used in fuzzy controllers	Digital design
Logic	Infinite-valued	bi-valued

Let's talk about Traffic congestion, which is a significant challenge in urban areas, leading to increased travel time, fuel consumption, and environmental pollution. Traditional traffic signal control systems often fail to adapt to dynamic traffic conditions, resulting in inefficient traffic flow. This case study explores the application of fuzzy logic in traffic signal control to improve traffic flow, reduce congestion, and enhance overall transportation efficiency.

Urbanization and population growth have led to a surge in vehicular traffic, exacerbating congestion problems in cities worldwide. Traditional traffic signal control systems, typically based on fixed timing plans or simple actuated control, are unable to adapt to fluctuating traffic demands and lack flexibility in response to changing conditions. Fuzzy logic provides a promising approach to address these challenges by incorporating human-like reasoning and flexibility into traffic signal control systems.

4 FUZZIFICATIONS

- Identify input variables: Traffic flow rate, queue length, vehicle speed, and time of day.
- Define linguistic variables: Low, Medium, High for each input variable.
- Design membership functions to quantify the degree of membership of each input to its linguistic variable.

4 RULE BASE

Develop a rule base that specifies how the traffic signals should adjust based on fuzzy inputs.

Example:

- If Traffic Flow is High AND Queue Length is High, then increase Green time for that direction.
- If Traffic Flow is Low AND Time of Day is Peak, then decrease Green time for that direction.
- If Vehicle Speed is Medium AND Queue Length is Medium, then maintain current signal timing.

INTERFERENCE ENGINE

- Apply fuzzy logic inference methods (e.g., Mamdani or Sugeno) to determine the appropriate signal adjustments based on the fuzzy inputs and rule base.
- Use fuzzy aggregation methods to combine the outputs of multiple rules into a single control action.

DEFUZZIFICATION

- Convert the fuzzy output into crisp signal timing adjustments using defuzzification methods such as centroid or max membership.
- Implement feedback mechanisms to continuously monitor traffic conditions and adjust signal timings in real-time.

RESULTS

- Implementation of the fuzzy logic-based traffic signal control system at the major intersection in Metropolis resulted in significant improvements in traffic flow and reduced congestion during peak hours.
- Commuters reported shorter travel times, reduced delays at intersections, and improved overall driving experience.
- Real-time monitoring and adaptive control capabilities of the system allowed it to respond dynamically to changing traffic conditions, leading to more efficient signal timings.

CONCLUSION

The case study demonstrates the effectiveness of fuzzy logic in enhancing traffic signal control systems by providing adaptive and flexible control mechanisms. By incorporating fuzzy reasoning, linguistic variables, and rule-based decision-making, the system achieved improved traffic flow, reduced congestion, and enhanced transportation efficiency in urban areas. Further research and implementation of fuzzy logic-based traffic management systems hold promise for addressing traffic congestion challenges and improving the quality of urban transportation infrastructure.

EXPERIMENT-5- GAME THEORY EXPERIMENT-5.1

AIM- To implement Min - Max algorithm

LANGUAGE USED- Python

Get numbers from user

THEORY:

The Min Max algorithm is a decision-making algorithm used in the field of game theory and artificial intelligence. It is used to determine the optimal move for a player in a two-player game by considering all possible outcomes of the game. The algorithm helps in selecting the move that minimizes the maximum possible loss. The Min Max algorithm has many applications in game AI, decision-making, and optimization.

```
def find min max():
 """Prompts the user for multiple numbers and returns the minimum and maximum."""
 numbers = \Pi
 while True:
  number str = input("Enter a number (or 'q' to quit): ")
  if number_str.lower() == 'q':
   break
  try:
   number = float(number_str)
   numbers.append(number)
  except ValueError:
   print("Invalid input. Please enter a number.")
 if not numbers:
  print("No numbers entered.")
  return None, None
 min_value = min(numbers)
 max_value = max(numbers)
 return min_value, max_value
```

```
min_value, max_value = find_min_max()

# Print results (handle case where no numbers were entered)
if min_value is not None:
    print("Minimum:", min_value)
    print("Maximum:", max_value)
```

```
Enter a number (or 'q' to quit): 10
Enter a number (or 'q' to quit): 23
Enter a number (or 'q' to quit): 7
Enter a number (or 'q' to quit): q
Minimum: 7.0
Maximum: 23.0
```

CONCLUSION:

The min-max algorithm was successfully implemented.

EXPERIMENT- 5.2

AIM- To implement Alpha-Beta Pruning

LANGUAGE USED- Python

THEORY:

Alpha Beta Pruning is an optimization technique of the Minimax algorithm. This algorithm solves the limitation of exponential time and space complexity in the case of the Minimax algorithm by pruning redundant branches of a game tree using its parameters Alpha(α) and Beta(β).

```
MAX, MIN = 1000, -1000
# Returns optimal value for current player
#(Initially called for root and maximizer)
def minimax(depth, nodeIndex, maximizingPlayer,
                        values, alpha, beta):
        # Terminating condition. i.e
        # leaf node is reached
        if depth == 3:
                return values[nodeIndex]
        if maximizingPlayer:
                best = MIN
                # Recur for left and right children
                for i in range(0, 2):
                        val = minimax(depth + 1, nodeIndex * 2 + i,
                                                False, values, alpha, beta)
                        best = max(best, val)
                        alpha = max(alpha, best)
                        # Alpha Beta Pruning
                        if beta <= alpha:
                                break
                return best
        else:
                best = MAX
                # Recur for left and
```

The optimal value is : 5

CONCLUSION:

The Alpha -Beta Pruning was successfully implemented.

EXPERIMENT-7

AIM- To implement tick tack toe using min-max algorithm.

LANGUAGE USED- Python

THEORY:

Tic-Tac-Toe using the Minimax algorithm is an implementation where an AI player plays the game optimally to either win or draw against a human player. The Minimax algorithm allows the AI to consider all possible moves and choose the best one based on the assumption that the opponent will also play optimally.

```
# Tic-Tac-Toe board represented as a list
\# 0 = \text{empty}, 1 = \text{player X}, 2 = \text{player O}
board = [0, 0, 0, 0]
     0, 0, 0,
     0, 0, 0
# Function to print the current board
def print_board(board):
  for i in range(0, 9, 3):
     print(board[i], board[i + 1], board[i + 2])
# Function to check if the game is over
def game_over(board):
  # Check rows, columns, and diagonals
  win_conditions = [(0, 1, 2), (3, 4, 5), (6, 7, 8), #Rows
              (0, 3, 6), (1, 4, 7), (2, 5, 8), # Columns
              (0, 4, 8), (2, 4, 6)
                                   # Diagonals
  for condition in win_conditions:
     if board[condition[0]] == board[condition[1]] == board[condition[2]] != 0:
       return True
  if 0 not in board: # Board full
     return True
  return False
# Function to evaluate the board for the Minimax algorithm
def evaluate(board):
```

```
# Check rows, columns, and diagonals for possible wins
  win_conditions = [(0, 1, 2), (3, 4, 5), (6, 7, 8), #Rows
             (0, 3, 6), (1, 4, 7), (2, 5, 8), #Columns
             (0, 4, 8), (2, 4, 6)
                                      # Diagonals
  for condition in win_conditions:
    if board[condition[0]] == board[condition[1]] == board[condition[2]] == 1:
       return 10 # Player X wins
    elif board[condition[0]] == board[condition[1]] == board[condition[2]] == 2:
       return -10 # Player O wins
  return 0 # Draw
# Minimax algorithm
def minimax(board, depth, is_maximizing):
  score = evaluate(board)
  # Base cases: game over or maximum depth reached
  if score == 10 or score == -10 or game_over(board):
    return score
  if is_maximizing:
    best_score = -float('inf')
    for i in range(9):
       if board[i] == 0:
         board[i] = 1
         best_score = max(best_score, minimax(board, depth + 1, False))
         board[i] = 0
    return best_score
  else:
    best_score = float('inf')
    for i in range(9):
       if board[i] == 0:
         board[i] = 2
         best_score = min(best_score, minimax(board, depth + 1, True))
         board[i] = 0
    return best_score
```

```
# Main function to find the optimal move using Minimax
def find_best_move(board):
  best_move = -1
  best_score = -float('inf')
  for i in range(9):
    if board[i] == 0:
       board[i] = 1
       move_score = minimax(board, 0, False)
       board[i] = 0
       if move_score > best_score:
         best_score = move_score
         best_move = i
  return best_move
# Example usage
print("Initial board:")
print_board(board)
while not game_over(board):
  player_move = int(input("Enter your move (0-8): "))
  if board[player_move] != 0:
    print("Invalid move. Try again.")
    continue
  board[player\_move] = 2
  print("Updated board after your move:")
  print_board(board)
  if game_over(board):
    break
  print("Computer's move:")
  computer_move = find_best_move(board)
  board[computer_move] = 1
  print_board(board)
if evaluate(board) == 10:
  print("You lose!")
```

```
elif evaluate(board) == -10:
    print("You win!")
else:
    print("It's a draw!")
```

```
Initial board:
0 0 0
0 0 0
0 0 0
Enter your move (0-8): 1
Updated board after your move:
0 2 0
0 0 0
0 0 0
Computer's move:
1 2 0
0 0 0
0 0 0
Enter your move (0-8): 3
Updated board after your move:
1 2 0
2 0 0
0 0 0
Computer's move:
1 2 0
2 1 0
0 0 0
Enter your move (0-8): 2
Updated board after your move:
1 2 2
2 1 0
0 0 0
Computer's move:
1 2 2
2 1 0
0 0 1
You lose!
```

CONCLUSION:

The tick tack toe using min-max algorithm was successfully implemented.