```
with(VectorCalculus): SetCoordinates(cartesian[x, y, z]):
f := VectorField([z^2, x \cdot z, y^2]):
 \rightarrow vector_potential := VectorPotential(f)
                   vector\_potential := \left(\frac{xz^2}{2} - \frac{y^3}{3}\right)\bar{\mathbf{e}}_x + \left(-\frac{z^3}{3}\right)\bar{\mathbf{e}}_y + (0)\bar{\mathbf{e}}_z
                                                                                                                          (1)
> # Check if this is actually divergent
 \rightarrow A x := vector potential[1];
    A_y := vector\_potential[2];
    Az := vector potential[3];
     \overline{grad} \ A \ x := \overline{diff}(A \ x, x\$1);
     grad_A_y := diff(A_y, y\$1);
     arad A z := 0;
                                               A_{\underline{}}x \coloneqq \frac{xz^2}{2} - \frac{y^3}{2}
                                                   A_{y} := -\frac{z^3}{3}
                                                      A_z = 0
                                                 grad_A_x := \frac{z^2}{2}
                                                   grad_A_y := 0
                                                   grad\ A\ z := 0
                                                                                                                          (2)
 > phi_lapl := grad_A_x + grad_A_y + grad_A_z
                                                  phi_lapl := \frac{z^2}{2}
                                                                                                                          (3)
```

> int(int(phi_lapl,z),z)

$$\frac{z^4}{24} \tag{4}$$