- $\begin{array}{l} \hline \ \ \, > \ \, restart: with(inttrans): with(LinearAlgebra): \\ \hline \ \ \, > \ \, A := Matrix([[0,-1,0,-1],[1,0,0,0],[0,1,0,0],[0,0,1,0]]): \\ \hline \ \ \, > \ \, f0 := Vector([1,0,2,1]): \# \ \, we \ \, willen \ \, de \ \, vierde \ \, component \ \, calculeren \\ \hline \ \ \, = \ \, Vector([1,0,2,1]): \# \ \, we \ \, willen \ \, de \ \, vierde \ \, component \ \, calculeren \\ \hline \ \ \, = \ \, Vector([1,0,2,1]): \# \ \, we \ \, willen \ \, de \ \, vierde \ \, component \ \, calculeren \\ \hline \ \ \, = \ \, Vector([1,0,2,1]): \# \ \, we \ \, willen \ \, de \ \, vierde \ \, component \ \, calculeren \\ \hline \ \ \, = \ \, Vector([1,0,2,1]): \# \ \, we \ \, willen \ \, de \ \, vierde \ \, component \ \, calculeren \\ \hline \ \ \, = \ \, Vector([1,0,2,1]): \# \ \, we \ \, willen \ \, de \ \, vierde \ \, component \ \, calculeren \\ \hline \ \ \, = \ \, Vector([1,0,2,1]): \# \ \, we \ \, willen \ \, de \ \, vierde \ \, component \ \, calculeren \\ \hline \ \ \, = \ \, Vector([1,0,2,1]): \# \ \, we \ \, willen \ \, de \ \, vierde \ \, component \ \, calculeren \\ \hline \ \ \, = \ \, Vector([1,0,2,1]): \# \ \, we \ \, willen \ \, de \ \, vierde \ \, component \ \, calculeren \\ \hline \ \ \, = \ \, Vector([1,0,2,1]): \# \ \, vector([1,0,2]): \# \ \, vector([$
- > $f := simplify(MatrixExponential(A, t) \cdot f0)[4]$

$$f := \frac{2\sqrt{3}\left(e^{-\frac{t}{2}} + \frac{3e^{\frac{t}{2}}}{2}\right)\sin\left(\frac{\sqrt{3}t}{2}\right)}{3} + e^{-\frac{t}{2}}\cos\left(\frac{\sqrt{3}t}{2}\right) \tag{1}$$

 $\vec{b} > \# ii$ $\vec{b} > f0 := Vector([1, 0, 2, 1, 1]) :$

- $\rightarrow A := Matrix([[0, -1, 0, -1, 2], [1, 0, 0, 0, 0], [0, 1, 0, 0, 0], [0, 0, 1, 0, 0], [0, 0, 0, 0])$ [0, 0]:
- f := simplify(MatrixExponential(A, t) . f0)[4]

$$f \coloneqq \left(e^{-\frac{t}{2}} + \frac{2e^{\frac{t}{2}}}{3} \right) \sqrt{3} \sin\left(\frac{\sqrt{3}t}{2}\right) - e^{\frac{t}{2}} \cos\left(\frac{\sqrt{3}t}{2}\right) + 2$$
 (2)