GUI Calculator

Using OOP

```
try:
Instead
                                      self.expression = self.expression.replace( _old: '^', _new: '**')
                                      result = str(self.evaluate_expression(self.expression))
of using
                                      self.equation.set(result)
                                      self.expression = result
library
                                  except:
                                      self.equation.set(" error ")
use
                                      self.expression = ""
manual
                              def evaluate_expression(self, expr): 1usage
Methods
                                  expr = expr.replace("sin", "self.my_sin")
                                  expr = expr.replace("cos", "self.my_cos")
                                  expr = expr.replace("tan", "self.my_tan")
                                  expr = expr.replace("sqrt", "self.my_sqrt")
                                  return eval(expr, {"self": self}) #
                              def create_scientific_buttons(self): 1usage
                                  scientific buttons = [
                                      ('sin', 1, 0), ('cos', 1, 1), ('tan', 1, 2), ('log', 1, 3), ('ln', 1, 4),
                                      ('sqrt', 4, 4), ('^', 3, 4), ('(', 2, 4), (')', 1, 4)
```

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def calculate(self):

```
def my_sin(self, x): 1usage
    x = self.to_radians(x)
    sin_x = 0
        sin_x += ((-1) ** i * (x ** (2 * i + 1))) / self.factorial(2 * i + 1)
    return sin_x
    x = self.to_radians(x)
    cos_x = 0
    for i in range(10):
       \cos_x += ((-1) ** i * (x ** (2 * i))) / self.factorial(2 * i)
    return cos_x
    sin_x = self.my_sin(x)
    cos_x = self.my_cos(x)
    return sin_x / cos_x if cos_x != 0 else "undefined"
def my_sqrt(self, x):
       guess = (guess + x / guess) / 2 # Newton's method
    return guess
def to_radians(self, degrees): 2 usages
    return degrees * 3.141592653589793 / 180
def factorial(self, n): 2 usages
    if n == 0 or n == 1:
    result = 1
    for i in range(2, n + 1):
    return result
```

Add Quadratic Equation That returns only ONE 'X' Value

$$4x^2 - 5x - 12 = 0$$

To implement this without using external libraries, we will:

- 1. Manually compute the discriminant: $D=b^2-4aa$
- 2. **Manually compute the square root** using our my_sqrt() function.
- 3. **Calculate the two possible values of x** using the quadratic formula.

If D > 0, two real and distinct solutions exist.

If D = 0, one real and repeated solution exists.

If **D < 0**, complex solutions exist (we will only return "No Real Solutions").

Formula

$$ax^2 + bx + c = 0$$

a, b, c = known numbers, where a $\neq 0$

x = the unknown