

Forecasting Monthly Sales – Video games Company

Overview.

The supply chain department of a video games company has been tasked to forecast monthly sales data in order to synchronize supply with demand, aid in decision making that will help build a competitive infrastructure and measure company performance. The supply chain analyst has been assigned to help the manager run the numbers through a time series forecasting model.

A forecast for the next 4 months of sales is needed and findings reported.

Analysis planning.

Does the dataset meet the criteria of a time series?

Four defining attributes to a time series:

Is the data over a continuous time interval?

Yes – The data is ordered over a continuous period and in YYYY-MM format.

Are there sequential measurements across that interval?

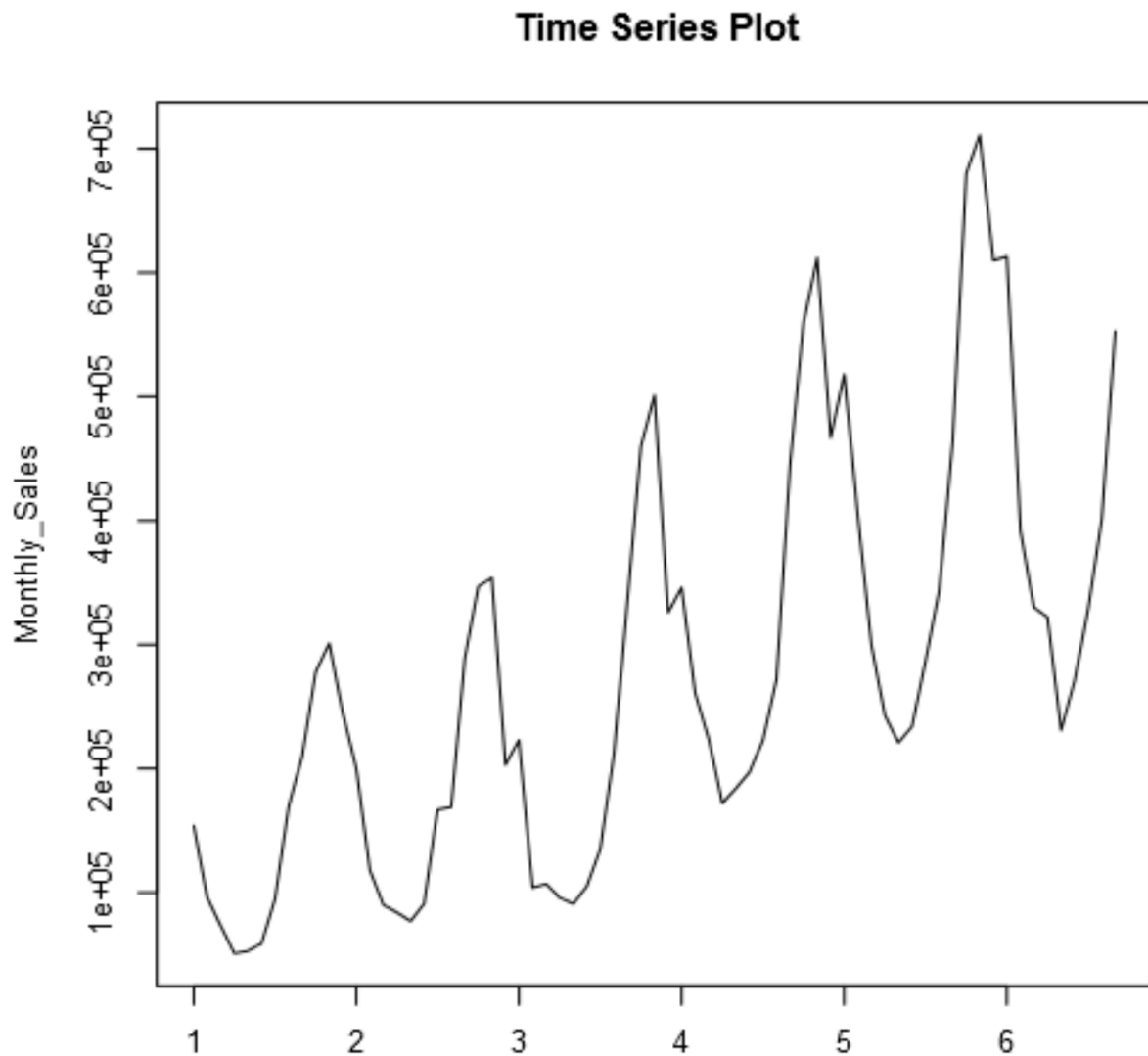
Yes – The data is ordered chronologically by month and year.

Is there equal spacing between every two consecutive measurements?

Yes – Each data point is separated by monthly intervals, with 12 intervals per year.

Does each time unit within the time interval have at most one data point?

Yes – There are data points for each time interval.

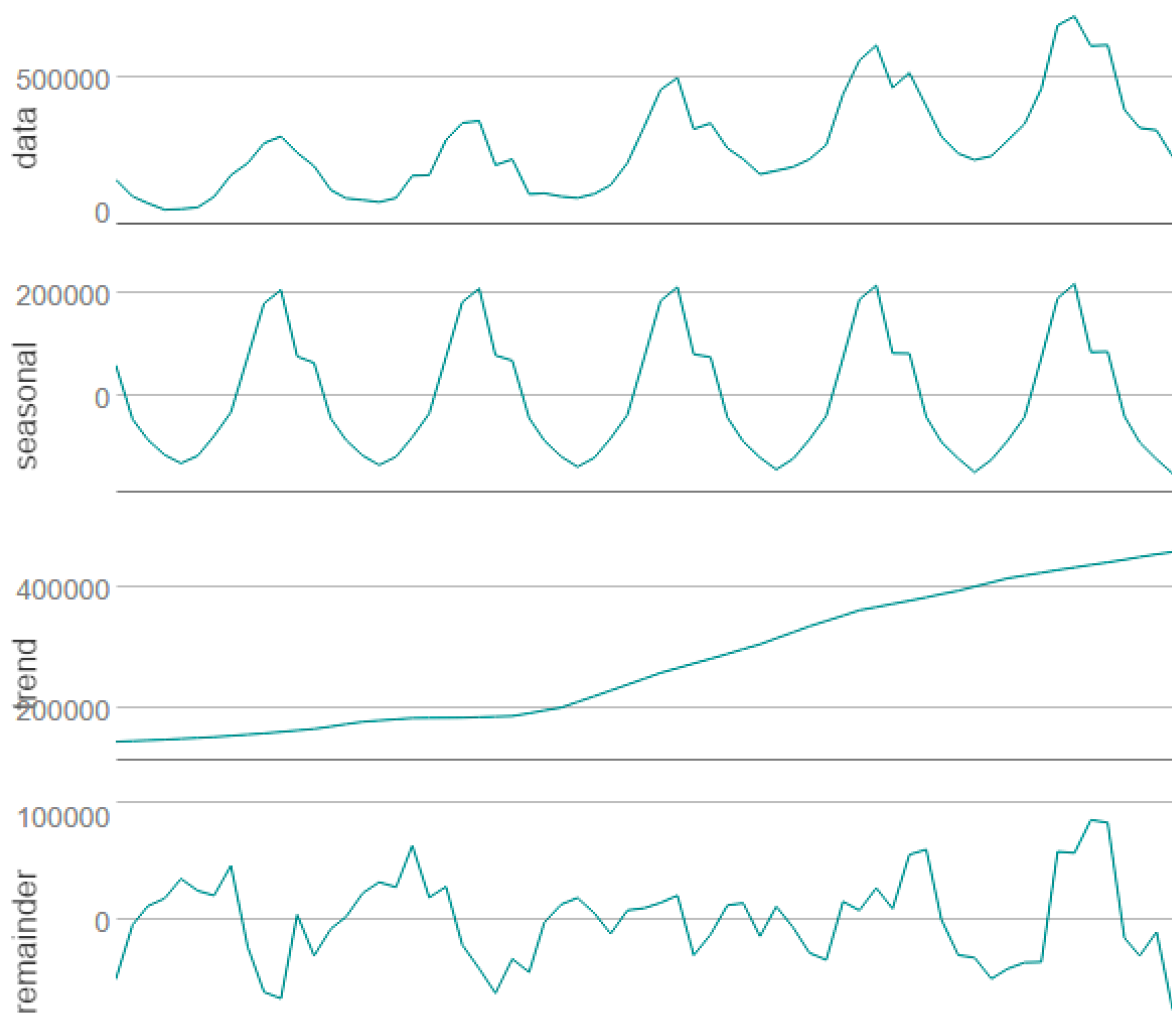


Which records should be used for the holdout period?

The final forecast will be to predict sales for the next 4 months, therefore a holdout period of at least 4 months will be used in our model for validation. The holdout period will be the final four months of the dataset, ie from 2013-06 to 2013-09.

Determine the trend, seasonal and error components.

Below is the decomposition plot for the dataset.



Trend.

Trend here looks to be upward and looks to be linear.

Seasonality.

The seasonal chart looks to have peaks and troughs over the same intervals. The peaks and troughs also look to be increasing as time increases.

Error.

The remainder chart looks to have a pretty irregular pattern over time. There doesn't seem to be any trend here.

Build the model.

Model Terms for ETS.

Using the decomposition charts above, below are my model terms for ETS.

Term	Component	Reason
Error	Multiplicative	Inconsistent chart patterns.
Trend	Additive	Upward and linear
Seasonality	Multiplicative	Increasing peaks and troughs.

What are the in-sample errors?

Below is the in-sample error.

Method:

ETS(M,A,M)

In-sample error measures:

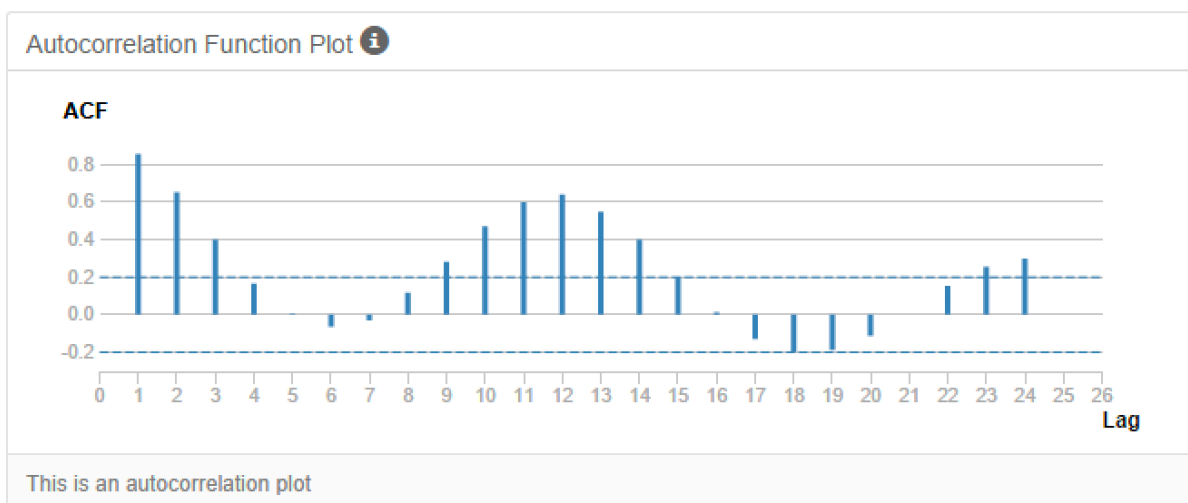
ME	RMSE	MAE	MPE	MAPE	MASE	ACF1
3729.2947922	32883.8331471	24917.2814212	-0.9481496	10.2264109	0.3635056	0.1436491

The ETS model shows an RMSE or variance of the error of 32883.83 and a MASE 0.3635. MASE value is under the 1.0 threshold which is good.

ARIMA Model.

The original time series plot showed signs of seasonality and so differencing for the 12 monthly sales figures will be done. This is done to try to remove seasonality from the sales figures.

Below is the ACF and PACF plot for the time series.



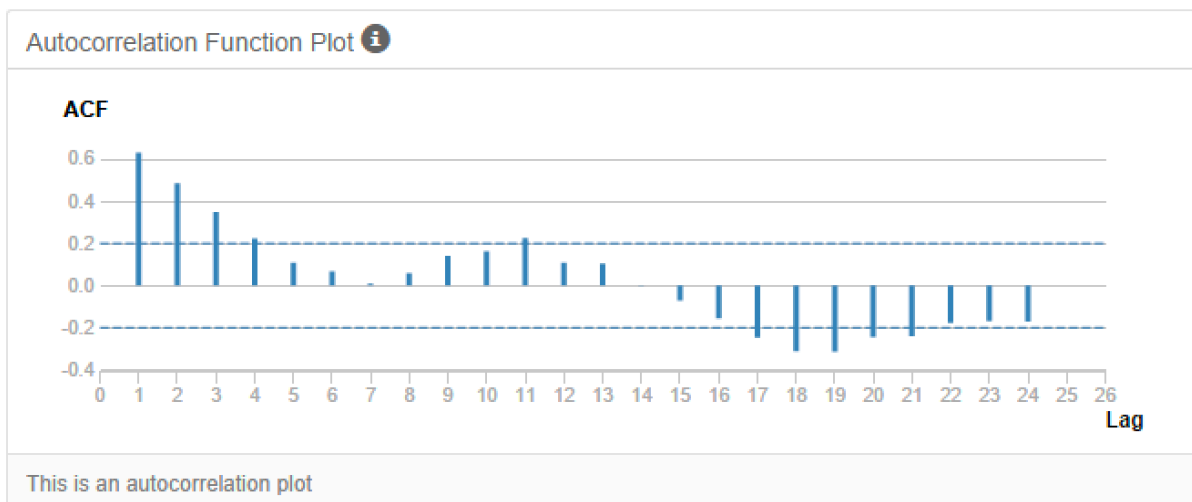


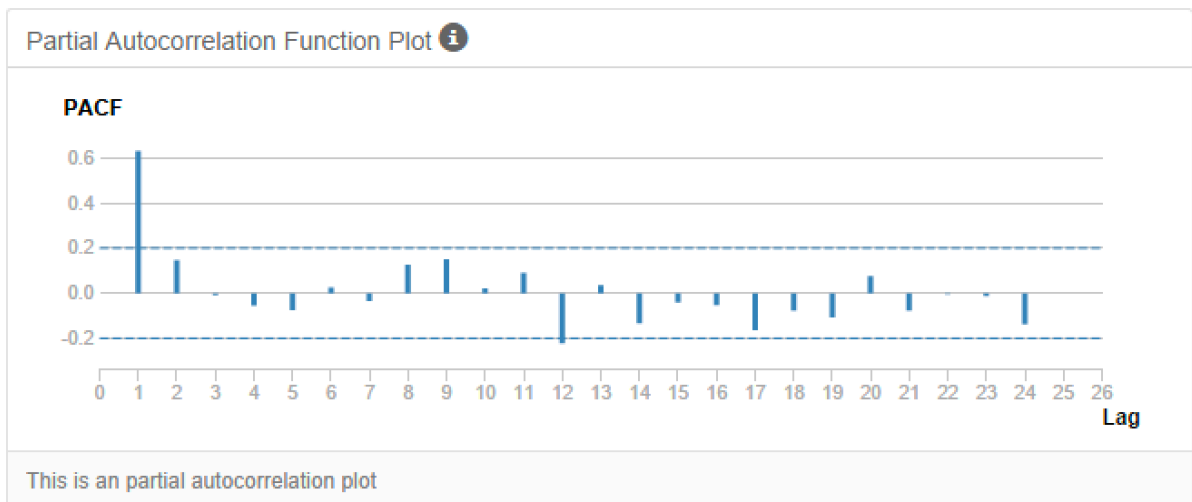
The ACF plots shows a positive correlation at lag 1 and then gradually drops towards zero, with increases again around seasonal patterns.

The PACF plot shows a positive correlation at lag 1 and then suddenly drops off.

Due to high serial correlation, seasonal differencing will be done.

Below is the ACF and PACF plot for the time series adjusted for seasonality (12 months differencing)



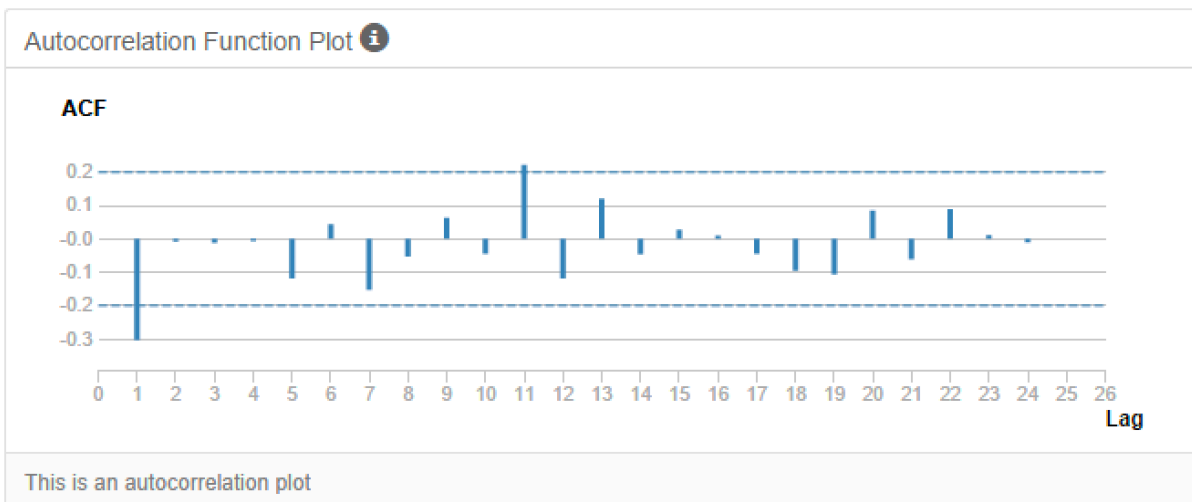


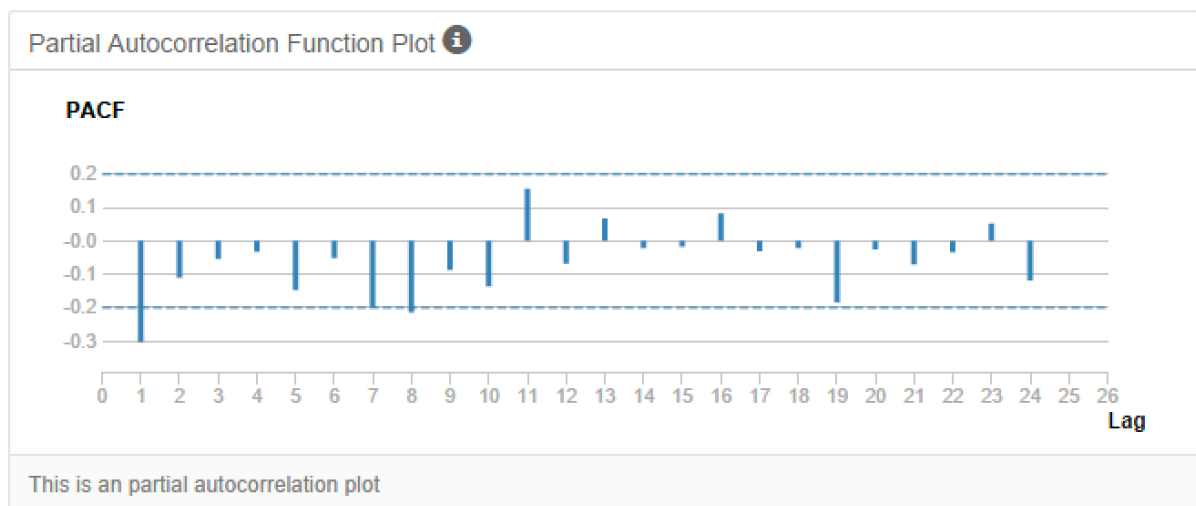
The seasonal ACF plot shows positive correlation at lag 1 and decreases towards 0 with further seasonal patterns.

The PACF shows positive correlation at lag 1 and then suddenly drops off.

Further differencing will need to be done in order to further remove any serial correlation.

Below is the seasonal ACF and PACF plots with 1st degree differencing.





The ACF plot shows negative correlation at lag 1 then drops off.

The PACF shows negative correlation at lag 1 as well, however both the charts now look to have removed any serial correlation.

Below are the model terms for the ARIMA model.

Term	Component	Reason
AR (p)	0	No positive correlation
I (d)	1	1 st degree differencing used.
MA (q)	1	Negative correlation at lag 1
AR (P)	0	No real season correlation at lag 12, 24
I (D)	1	Seasonal difference used
MA (Q)	0	No real season correlation at lag 12, 24
m	12	Monthly data

Below is the summary of the In-Sample Error.

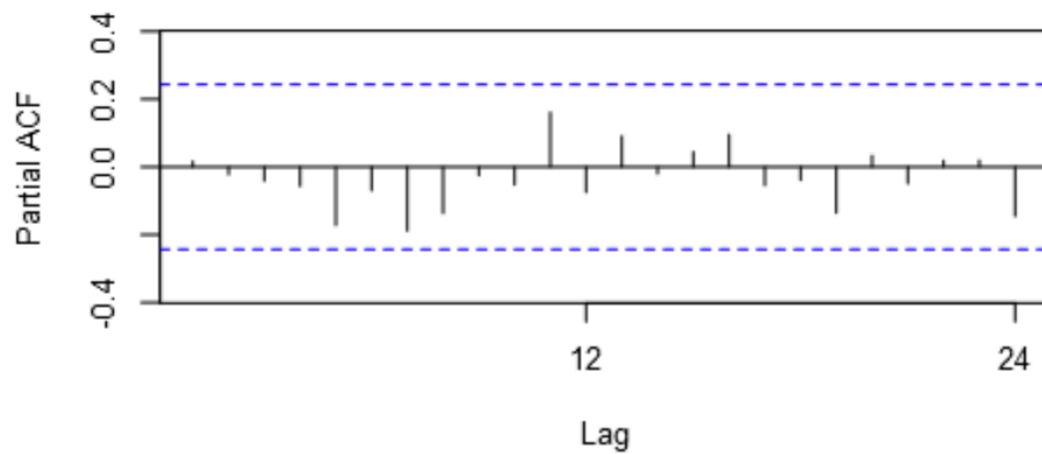
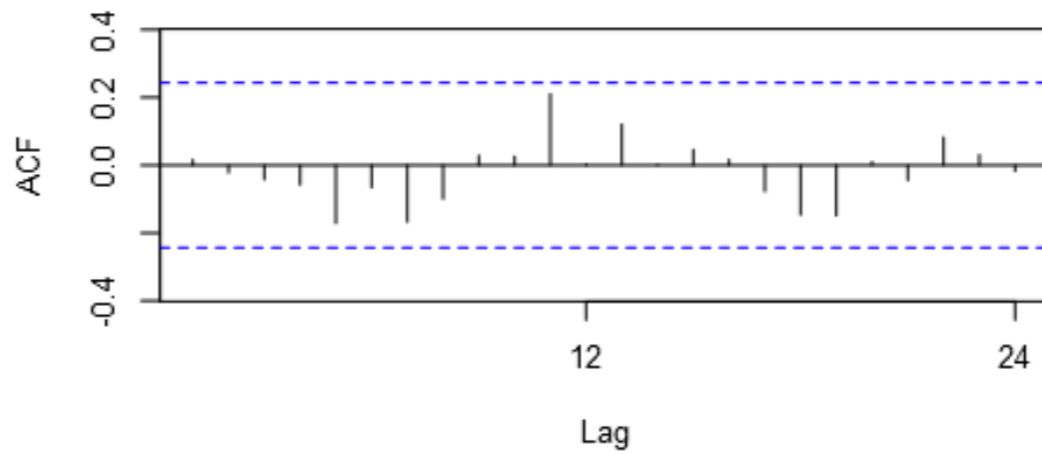
In-sample error measures:

ME	RMSE	MAE	MPE	MAPE	MASE	ACF1
-356.2665104	36761.5281724	24993.041976	-1.8021372	9.824411	0.3646109	0.0164145

The RSME value is 36761.5 and the MASE is 0.3646 which is below the 1.0 threshold.

Below are the new ACF and PACF plots from the model.

Autocorrelation Function Plots



Forecast.

Which model should I choose?

Looking at the two models, I would choose the ARIMA model.

Below is the ARIMA measurements against the hold out periods.

Actual and Forecast Values:

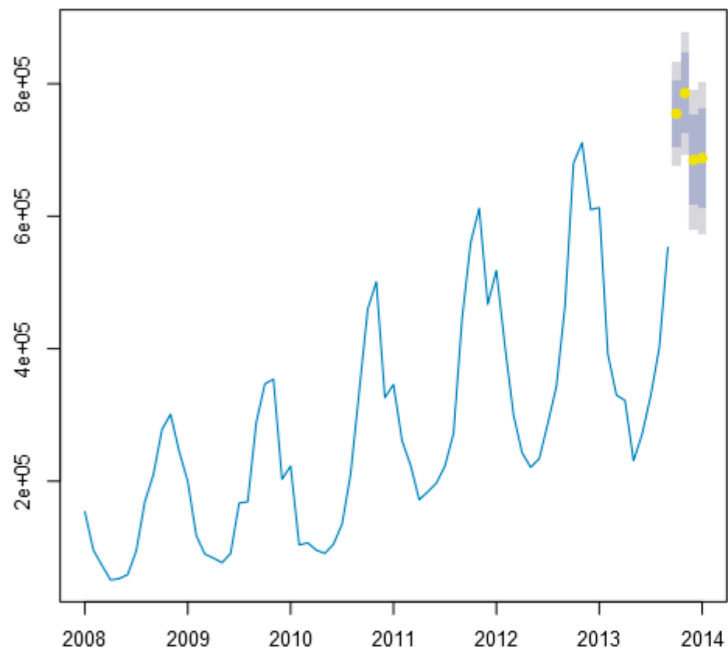
Actual	ARIMA
271000	263228.48013
329000	316228.48013
401000	372228.48013
553000	493228.48013

Accuracy Measures:

Model	ME	RMSE	MAE	MPE	MAPE	MASE	NA
ARIMA	27271.52	33999.79	27271.52	6.1833	6.1833	0.4532	NA

Forecast for the next four periods and the forecast graph at 95% and 80% confidence intervals.

Forecasts from ARIMA_Forecasting



Period	Sub_Period	forecast	forecast_high_95	forecast_high_80	forecast_low_80	forecast_low_95
2013	10	754854.460048	833335.856133	806170.686679	703538.233418	676373.063963
2013	11	785854.460048	878538.837645	846457.517118	725251.402978	693170.082452
2013	12	684854.460048	789837.592834	753499.24089	616209.679206	579871.327263
2014	1	687854.460048	803839.469806	763692.981576	612015.938521	571869.450291