Università degli Studi di Firenze Corso di Laurea in Ingegneria elettronica

Laboratorio di progettazione in alta frequenza

Docente: Iacopo Magrini

E-mail: iacopo.magrini@unifi.it

Telefono: 0554796369

Ricevimento: il giovedì dalle 15 alle 17 presso l'ufficio del

prof. Gianfranco Manes, Dipartimento di Elettronica

e Telecomunicazioni (DET), via di S.Marta 3.





Argomenti del corso

Parte Teorica

- Problema dell'adattamento
- Richiami sulle modulazioni digitali
- Descrizione delle moderne architetture di ricetrasmissione per applicazioni wireless

Laboratorio

- Matching di carichi passivi
- Progettazione di un signal detector
- Progettazione di un transceiver basato su di una modulazione FSK





Lezioni

- •Lunedì dalle 17 alle 18.30 (teoria)
- ? Martedì dalle 10 alle 13 (Lab)

Svolgimento dell'esame

- •Relazione sulle attività di laboratorio svolte
- Prova orale

Testi di riferimento: **RF Microelectronics**

Razavi







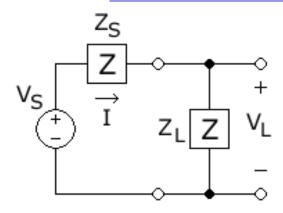
Università degli Studi di Firenze Dipartimento di Elettronica e telecomunicazioni

Iacopo Magrini, iacopo.magrini@unifi.it

Appunti del corso "Circuiti a Microonde"







$$|I| = \frac{|V_{\rm S}|}{Z_{\rm S} + Z_{\rm L}}$$

Target:

- maximum power transfer toward the load
- ·Minimum refelection to the source

$$\rho_{L} = I_{rms}^{2} R_{L} = \frac{1}{2} |I|^{2} R_{L} = \frac{1}{2} \left(\frac{|V_{S}|}{Z_{S} + Z_{L}} \right)^{2} R_{L}$$

$$= \frac{1}{2} \frac{|V_{S}|^{2} R_{L}}{(R_{S} + R_{L})^{2} + (X_{S} + X_{L})^{2}}$$

Making minimum the denominator

$$\bullet R_L = R_S$$

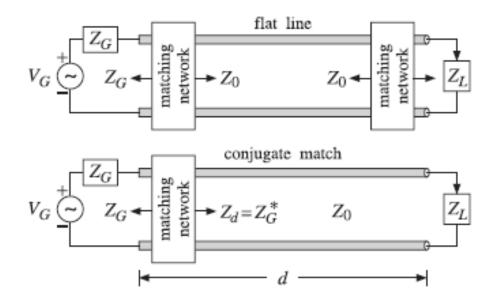
$$\cdot X_{L} = - X_{S}$$

can be concisely written with a complex conjugate as:

$$Z_{\rm S}=Z_{\rm L}^*$$



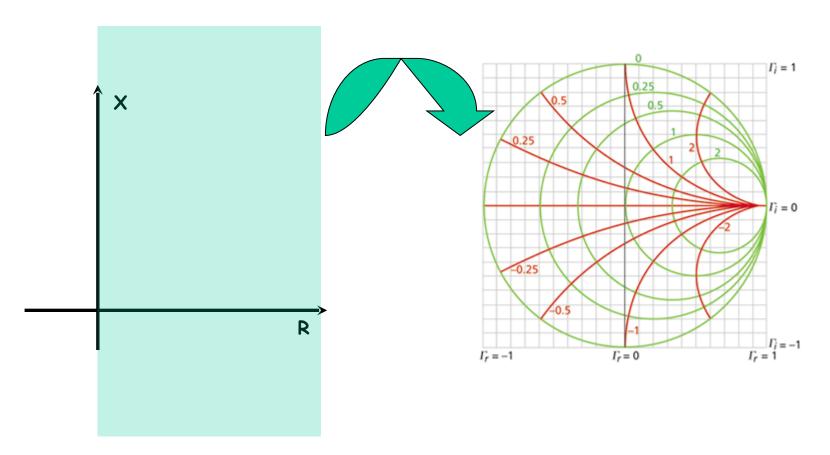
Conjugate Matching doesn't mean reflectionless matching



For High frequencies design S parameters and reflection coefficients are taken into account

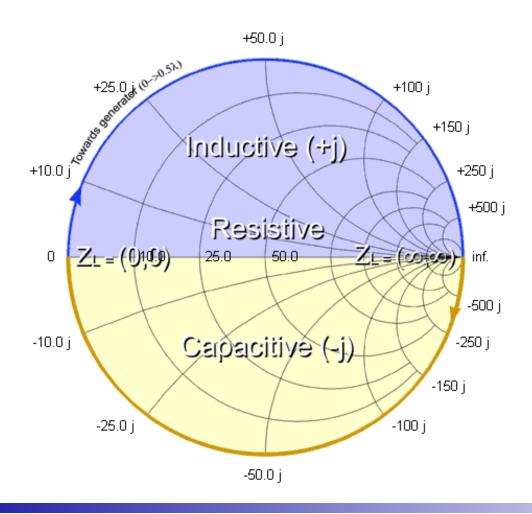


The key tool for matching is the Smith Chart



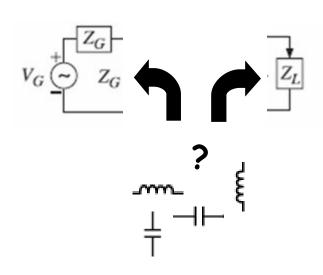


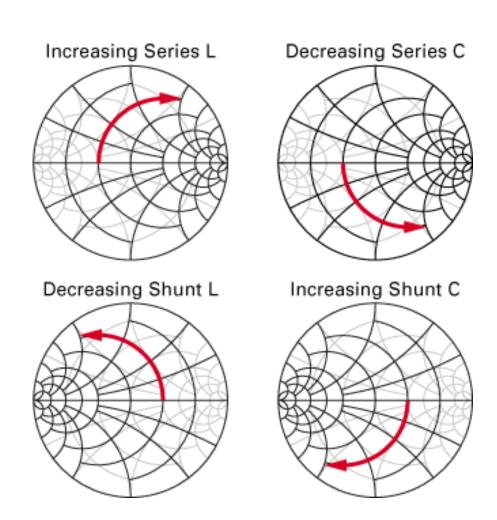




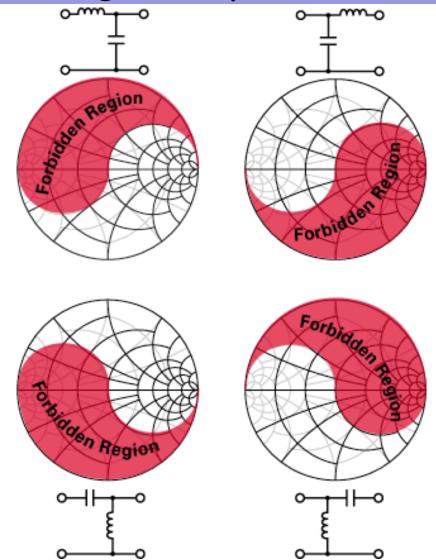






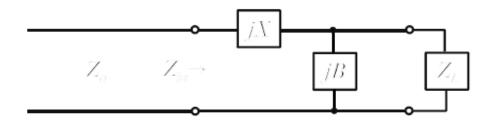




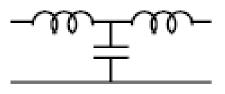




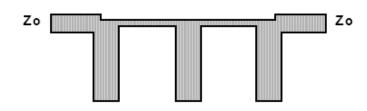
Which elements have to be used?



Lumped

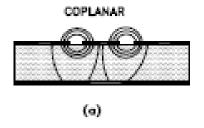


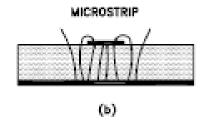
Distributed





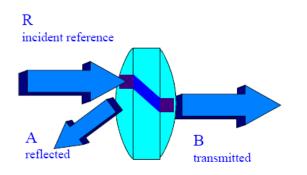
Also using lumped elemets a line for "bringing" the ignal is needed

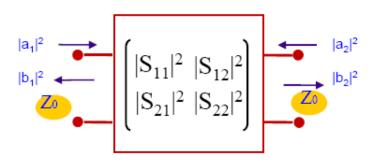






S parameters are the "master" representation for microwaves





$$\begin{pmatrix} \left| \underline{b}_{1} \right|^{2} \\ \left| \underline{b}_{2} \right|^{2} \end{pmatrix} = \begin{pmatrix} \left| \underline{S}_{11} \right|^{2} & \left| \underline{S}_{12} \right|^{2} \\ \left| \underline{S}_{21} \right|^{2} & \left| \underline{S}_{22} \right|^{2} \end{pmatrix} * \begin{pmatrix} \left| \underline{a}_{1} \right|^{2} \\ \left| \underline{a}_{2} \right|^{2} \end{pmatrix}$$

 $\left|\frac{\underline{a}_{i}}{\underline{b}_{i}}\right|^{2}$ power wave traveling towards the twoport gate power wave reflected back from the twoport gate

 $\left|\frac{\mathbf{S}_{11}}{\mathbf{S}_{12}}\right|^2$ power reflected from port1 $\left|\frac{\mathbf{S}_{12}}{\mathbf{S}_{12}}\right|^2$ power transmitted from port1 to port2 $\left|\frac{\mathbf{S}_{21}}{\mathbf{S}_{22}}\right|^2$ power transmitted from port2 to port1 $\left|\frac{\mathbf{S}_{22}}{\mathbf{S}_{22}}\right|^2$ power reflected from port2

$$b_1 = S_{11}a_1 + S_{12}a_2 = S_{11}a_1$$
 \Rightarrow $S_{11} = \frac{b_1}{a_1}\Big|_{Z_L = Z_0} = \text{reflection coefficient}$
 $b_2 = S_{21}a_1 + S_{22}a_2 = S_{21}a_1$ \Rightarrow $S_{21} = \frac{b_2}{a_1}\Big|_{Z_L = Z_0} = \text{transmission coefficient}$

