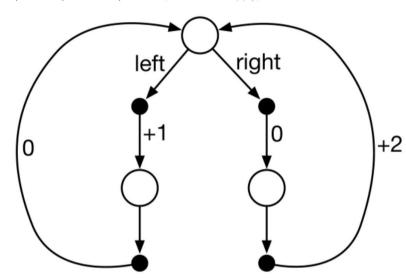
1.	A function which maps to is a value function. [Select all that apply]	1 point
	☐ Values to states.	
	☐ Values to actions.	
	States to expected returns.	
	State-action pairs to expected returns.	

2. Consider the continuing Markov decision process shown below. The only decision to be made is in the top state, where two actions are available, left and right. The numbers show the rewards that are received deterministically after each action. There are exactly two deterministic policies, $\pi_{\rm left}$ and $\pi_{\rm right}$. Indicate the optimal policies if $\gamma=0$? If $\gamma=0.9$? If $\gamma=0.5$? [Select all that apply]



lacksquare For $\gamma=0.5,\pi_{\mathrm{left}}$

lacksquare For $\gamma=0.5,\pi_{ ext{right}}$

lacksquare For $\gamma=0,\pi_{ ext{right}}$

lacksquare For $\gamma=0.9,\pi_{
m right}$

lacksquare For $\gamma=0,\pi_{\mathrm{left}}$

 \square For $\gamma=0.9,\pi_{ ext{left}}$

3.	Every finite Markov decision process has [Select all that apply]	1 point
	A unique optimal value function	
	A stochastic optimal policy A deterministic optimal policy	
	A unique optimal policy	
4.	The of the reward for each state-action pair, the dynamics function p , and the policy π is to characterize the value function v_π . (Remember that the value of a policy π at state s is $v_\pi(s)=\sum_a \pi(a s)\sum_{s',r} p(s',r s,a)[r+\gamma v_\pi(s')]$.)	1 point
	Distribution; necessaryMean; sufficient	
5.	The Bellman equation for a given a policy π : [Select all that apply]	1 point
	Holds only when the policy is greedy with respect to the value function.	
	$oxed{oxed}$ Expresses the improved policy in terms of the existing policy. $oxed{oxed}$ Expresses state values $v(s)$ in terms of state values of successor states.	

6.	An optimal policy:
	O Is not guaranteed to be unique, even in finite Markov decision processes.
	O Is unique in every finite Markov decision process.
	O Is unique in every Markov decision process.
7.	The Bellman optimality equation for v_st : [Select all that apply]
	$igsquare$ Holds for v_π , the value function of an arbitrary policy π .
	Expresses the improved policy in terms of the existing policy.
	$oxed{\square}$ Expresses state values $v_*(s)$ in terms of state values of successor states.
	Holds for the optimal state value function.
	☐ Holds when the policy is greedy with respect to the value function.
8.	Give an equation for v_π in terms of q_π and π .
	$igcup v_\pi(s) = \sum_a \pi(a s) q_\pi(s,a)$
	$igcup v_\pi(s) = \max_a \gamma \pi(a s) q_\pi(s,a)$

 $igcirc v_\pi(s) = \max_a \pi(a|s) q_\pi(s,a)$

 $igcup v_\pi(s) = \sum_a \gamma \pi(a|s) q_\pi(s,a)$

1 point

1 point

9. Give an equation for q_π in terms of v_π and the four-argument p.

$$igcirc$$
 $q_\pi(s,a) = \sum_{s'} \sum_r p(s',r|s,a) \gamma[r + v_\pi(s')]$

$$igcirc$$
 $q_\pi(s,a) = \sum_{s'} \sum_r p(s',r|s,a) [r + v_\pi(s')]$

$$igcirc q_\pi(s,a) = \max_{s',r} p(s',r|s,a)[r+\gamma v_\pi(s')]$$

$$\bigcap \ q_\pi(s,a) = \max_{s',r} p(s',r|s,a) \gamma[r+v_\pi(s')]$$

$$igcirc$$
 $q_\pi(s,a) = \sum_{s'} \sum_r p(s',r|s,a) [r + \gamma v_\pi(s')]$

$$igcirc q_\pi(s,a) = \max_{s',r} p(s',r|s,a)[r+v_\pi(s')]$$

10. Let r(s, a) be the expected reward for taking action a in state s, as defined in equation 3.5 of the textbook. Which of the following are valid ways to re-express the Bellman equations, using this expected reward function? [Select all that apply]

$$igsqcup q_*(s,a) = r(s,a) + \gamma \sum_{s'} p(s'|s,a) \max_{a'} q_*(s',a')$$

$$igsqcup v_\pi(s) = \sum_a \pi(a|s)[r(s,a) + \gamma \sum_{s'} p(s'|s,a) v_\pi(s')]$$

$$\square \; v_*(s) = \max_a [r(s,a) + \gamma \sum_{s'} p(s'|s,a) v_*(s')]$$

1 point

11. Consider an episodic MDP with one state and two actions (left and right). The left action has stochastic reward 1 with probability p and 3 with probability 1-p. The right action has stochastic reward 0 with probability q and 10 with probability 1-q. What relationship between p and q makes the actions equally optimal?

 $\bigcirc 7 + 3p = 10q$

 $\bigcirc \ 13 + 3p = -10q$

 $\bigcirc 13 + 2p = -10q$

 $\bigcap 13 + 3p = 10q$

 $\bigcirc 7 + 2p = -10q$

 $\bigcap 7 + 3p = -10q$

 $\bigcirc 7 + 2p = 10q$

 $\bigcirc 13 + 2p = 10q$