

# Lecture 1: Causal Inference and Potential Outcomes

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EXPERIMENTAL  
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# Road Map to Lecture 1

- *Potential outcomes and causal inference*
- *Average Treatment Effects (ATE)*
- Complier Average Causal Effect (CACE)
- *Intention to Treat Effect (ITT)*
- *Experimental Modes*

# Defining treatment

- *The variable  $d_i$  indicates whether the  $i$ th subject is treated.*
- *In the typical case of binary treatments,  $d_i = 1$  means the  $i$ th subject receives the treatment*
- *$d_i = 0$  means the  $i$ th subject does not receive the treatment.*
- *It is assumed that  $d_i$  is observed for every subject.*

# Potential Outcomes

- $Y_i$  : the potential outcome for subject  $i$
- $Y_i(d_i)$ : the outcome for subject  $i$ , written as a function of the treatment  $i$  received; it is generally the case that we observe only one of the potential outcomes for each  $i$
- For the binary-valued treatment, there are two “potential outcomes”:
- $Y_i(1)$ , the potential outcome for  $i$  conditional on  $i$  being treated
- $Y_i(0)$ , the potential outcome for  $i$  conditional on  $i$  not being treated

# Potential Outcome Schedule

- “Hypothetical”
- *Comprehensive list of potential outcomes for all subjects*
- rows of this schedule are indexed by  $i$ , and the columns are indexed by  $d$
- potential outcomes for the fifth subject may be found in adjacent columns of the fifth row

# Potential Outcomes Local Budget

	Budget share if village head is male	Budget share if village head is female	Treatment Effect
Village 1	10	15	5
Village 2	15	15	0
Village 3	20	30	10
Village 4	20	15	-5
Village 5	10	20	10
Village 6	15	15	0
Village 7	15	30	15
Average	15	20	5



# Potential Outcome Subgroup

- sometimes useful to refer to potential outcomes for a subset of the subjects
- expressions of the form  $Y_i(d) | X=x$  denote potential outcomes when the condition  $X=x$  holds.
- For example,  $Y_i(0) | d_i=1$  refers to the untreated potential outcome for a subject who actually receives the treatment.

# Individual Level Causal Effect

- For subject  $i$ , the effect of the treatment is conventionally defined as the difference between outcomes across the two potential outcomes:

$$\delta_i = Y_i(1) - Y_i(0)$$

- Alternatively:

$$Y_i = Y_i(0) + (Y_i(1) - Y_i(0)) D_i$$

- Often referred to as the Rubin causal model; perhaps more appropriately, the Neyman-Holland-Rubin causal model;
- **The Fundamental Problem of Causal Inference** only one of the two potential outcomes is realized, so that  $\delta_i$  is typically non- operational

# Realized Potential Outcomes

- Use lower-case letters for realizations of the potential quantities (again, typically only one of the two potential outcomes is realized).
  1.  $y_i(1)$ , the outcome observed for  $i$  conditional on  $d_i = 1$  ( $i$  is treated)
  2.  $y_i(0)$ , the outcome observed for  $i$  conditional on  $d_i = 0$  ( $i$  is not treated)

# The Fundamental Problem of Causal Inference

Table 2.1, p35 Morgan and Winship, *Counterfactuals and Causal Inference*

Group	$Y_i(1)$	$Y_i(0)$
Treatment ( $D_i = 1$ )	<b>Observable</b>	Counterfactual
Control Group ( $D_i = 0$ )	Counterfactual	<b>Observable</b>

# Observed Outcomes

- The connection between the observed outcome and the underlying potential outcomes is given by the equation  $Y_i = d_i Y_i(1) + (1 - d_i) Y_i(0)$ .
- This equation indicates that the  $Y_i(1)$  are observed for subjects who are treated, and the  $Y_i(0)$  are observed for subjects who are not treated.
- For any given subject, we observe either  $Y_i(1)$  or  $Y_i(0)$ , not both.

# Observed Outcomes Local Budget

	Budget share if village head is male	Budget share if village head is female
Village 1	?	15
Village 2	15	?
Village 3	20	?
Village 4	20	?
Village 5	10	?
Village 6	15	?
Village 7	?	30

# Treatment: Random Variable

- we often want to know about the statistical properties of a hypothetical random assignment
- hence we distinguish between  $d_i$ , the treatment that a given subject receives (a variable that one observes in an actual dataset), and  $D_i$ , the treatment that could be administered hypothetically.
- $D_i$  is a random variable, and the  $i$ th subject might be treated in one hypothetical study and not in another.
- $Y_i(1) | D_i=1$  refers to the treated potential outcome for a subject who would be treated under some hypothetical allocation of treatments.
- We use capital whenever we talk about statistical properties (e.g., independence, expected value) of treatments.

# Average Treatment Effect

- Average Treatment Effect:  
 $E(\delta) = E[Y(1)] - E[Y(0)] = E[Y(1) - Y(0)]$
- where the expectation is over a population, and so no subscript  $i$ .
- This is operational, in that we can compute sample estimates of  $E[Y(1)]$  and  $E[Y(0)]$ : e.g., the sample averages

$$\bar{y}(1) = \frac{1}{n_1} \sum_{i:d_i=1} y_i(1) \quad \text{and} \quad \bar{y}(0) = \frac{1}{n_0} \sum_{i:d_i=0} y_i(0)$$

- where  $n_1$  and  $n_0$  are the number of subjects in groups  $d(1)$  and  $d(0)$  respectively.

# Randomization Generates Unbiased Estimates of Average Treatment Effect

- Rubin (1974) calls this:

$$\hat{\delta} = \bar{y}(1) - \bar{y}(0)$$
$$\bar{y}_d$$

- Under certain circumstances, this is an unbiased estimate of the population average treatment effect  $\delta$ .
- Why? How?
- Nice, informal treatment in “Two Formal Benefits of Randomization”.

# Unbiasedness?

- Remember that unbiasedness is an “on average” property
- “we tend to estimate the correct quantity, but it [randomization] hardly solves the problem of estimating the typical causal effect”
- Why? What is Rubin referring to? How can randomization “fail”?

# Naive Estimation

$$\underbrace{E(y_i|D_i = 1) - E(y_i|D_i = 0)}_{\text{Obs difference in avg } y} = \underbrace{E(Y_i(1)|D_i = 1) - E(Y_i(0)|D_i = 1)}_{\text{ATT: average treatment effect for the treated}} + \underbrace{E(Y_i(0)|D_i = 1) - E(Y_i(0)|D_i = 0)}_{\text{selection bias}}$$

- Observed difference in average outcomes is often a biased estimator of an average treatment effect.
- n.b., selection bias is simply the difference between what the treated would have done had they not been treated and what the non-treated do when non-treated.

# Properties of Random Assignment?

- under equal probability random assignment, the conditional ATE among the treated is the same as the conditional ATE among the control group, which is therefore the same as the ATE.
- the expected  $Y_i(0)$  in the treatment group is the same as the expected  $Y_i(0)$  in the control group
- When random assignment is not used (i.e., observational research), the unbiasedness of the difference-in-means estimator becomes a matter of conjecture.

# Conditional independence

- randomization ensures independence of potential outcomes and treatment (or assignment to treatment). conditional independence notation:

$$(Y(1), Y(0)) \perp D$$

- When this holds

- $E[Y_i(1)|D_i = 1] = E[Y_i(1)|D_i = 0] = E[Y_i(1)]$ .
- Similarly for  $E[Y_i(0)]$ .
- $(Y(1), Y(0)) \perp D$ , ATT can be rewritten as

$$\begin{aligned} E(Y_i(1)|D_i = 1) - E(Y_i(0)|D_i = 1) \\ &= E(Y_i(1)|D_i = 1) - E(Y_i(0)|D_i = 0) \\ &= E(Y_i(1)|D_i = 1) - E(Y_i(0)|D_i = 1) \\ &= E(Y_i(1) - Y_i(0)) = \text{ATE}. \end{aligned}$$

# Potential Outcomes: Core Assumptions

- We assume that each subject has two potential outcomes  $Y_i(1)$  if treated and  $Y_i(0)$  if not treated
- Each potential outcome depends **solely** on whether the subject **itself** receives the treatment
- Potential outcomes respond only to the treatment and not to some other feature of the experiment — such as assignment or measurement

# Exclusion Restriction

- ▶ Let  $Y_i(z, d)$  be the potential outcome when  $z_i = z$  and  $d_i = d$ , for  $z \in (0, 1)$  and for  $d \in (0, 1)$
- ▶ For example, if  $z_i = 1$  and  $d_i = 1$ , the subject is assigned to the treatment group and receives the treatment
- ▶ Or  $z_i = 1$  and  $d_i = 0$  – subject is assigned treatment but does not receive treatment
- ▶ The exclusion restriction is that  $Y_i(1, d) = Y_i(0, d)$  – subjects only respond to input from  $d_i$ 
  - The excludability assumption cannot be verified empirically because we never observe both and for the same subject.

# Classic Drug Experiment Example

- treatment group receives a new drug
- control group receives nothing
- treatment = the active ingredients of the new drug
- experiment confounds this treatment with receipt of a pill
- If patients respond to the pill rather than the pill's ingredients, excludability is violated
- jeopardizes unbiasedness of the difference-in-means estimator

# Non-interference

- Permits us to ignore the potential outcomes that would arise if subject  $i$  were affected by the treatment of other subjects
- Formally, we reduce the schedule of potential outcomes  $Y_i(\mathbf{d})$ , where  $\mathbf{d}$  describes all of the treatments administered to all subjects, to a much simpler schedule  $Y_i(d)$ , where  $d$  refers to the treatment administered to subject  $i$ .
- implies that so long as a subject's treatment status remains constant, that subject's outcome is unaffected by the particular way in which treatments happened to be assigned to other subjects.

# Non-interference violated

- police patrols displace crime from treated to untreated areas
- non-interference violated if your estimand is following:
  - average potential outcome when a block is treated minus average potential outcome when no blocks are treated
  - if police patrols displace crime from treated to untreated areas, observed outcomes in control will not be potential outcomes when no treatment administered anywhere
  - estimated ATE will tend to exaggerate the true ATE.

# Core assumptions violated?

- Blinding: Researchers are not blinded to experimental assignment when measuring outcomes
- Attrition: Some of the subjects in the treatment group become discouraged and drop out of the study
- Compensatory behavior: Upon noticing that some subjects are excluded from a poverty aid treatment because they were assigned to the control group, an aid organization endeavors to treat those who were assigned to the control group
- Multiple outcomes: A weight loss intervention randomly assigns students who come to a cafeteria for lunch to a treatment consisting of smaller dishes and portions; outcomes are measured in terms of total calories consumed at the cafeteria during lunchtime.

# Average Treatment Effect (ATE)

$$ATE = \frac{1}{N} \sum_{i=1}^N (Y_i(D = 1) - Y_i(D = 0))$$

- i.e., treatment effects averaged over those *receiving treatment*.

# Chattopadhyay & Duflo 2004

- Randomized policy experiment in India
- 1990s, one-third of village council heads reserved for women
- women.csv contains subset of data from West Bengal
- Gram Panchayat (GP) = level of government
- Analysis?
  - was randomization implemented properly?
  - Conjecture: more drinking facilities under women
  - Conjecture: no effect on irrigation

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Name	Description
GP	An identifier for the Gram Panchayat (GP)
village	identifier for each village
reserved	binary variable indicating whether the GP was reserved for women leaders or not
female	binary variable indicating whether the GP had a female leader or not
irrigation	variable measuring the number of new or repaired irrigation facilities in the village since the reserve policy started
water	variable measuring the number of new or repaired drinking-water facilities in the village since the reserve policy started

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**Table 4.6:** *The Variable Names and Descriptions of the Women as Policy Makers Data.*

```
> setwd("~/Dropbox/Experimental Methodology/DPIR  
2017/qss-master/PREDICTION")  
> women <- read.csv("women.csv")  
> ##proportion of female politicians in reserved GP vs.  
unreserved GP  
> mean(women$female[women$reserved] == 1)  
[1] 1  
> mean(women$female[women$reserved == 0])  
[1] 0.07476636
```

```
## drinking-water facilities
mean(women$water[women$reserved == 1]) -
  mean(women$water[women$reserved == 0])

## [1] 9.252423

## irrigation facilities
mean(women$irrigation[women$reserved == 1]) -
  mean(women$irrigation[women$reserved == 0])

## [1] -0.3693319
```

# Intent-to-treat effect

$$ITT = \frac{1}{N} \sum_{i=1}^N (Y_i(Z = 1) - Y_i(Z = 0))$$

- Where  $Z$  is an indicator for treatment assignment
- with 100% compliance ATE=ITT
- ITT captures the average effect of being assigned to the treatment group regardless of the proportion of the treatment group actually treated

# Complier Average Causal Effect (CACE)

$$\text{CACE} = \frac{\text{ITT}}{\sigma}$$

- where  $\sigma$  is the share of those assigned to the treatment group receiving treatment
- CACE also referred to as Local Average Treatment Effect (LATE) and Treatment on Treated (TOT)
- ATE among Compliers

# ITT, ATE: Potential Outcomes

Obs	$Y_i(0)$	$Y_i(1)$	$D_i = 0$	$D_i = 1$	Type
1	4	6	0	1	Complier
2	2	8	0	0	Never-Taker
3	1	5	0	1	Complier
4	5	7	0	1	Complier
5	6	10	0	1	Complier
6	2	10	0	0	Never-Taker
7	6	9	0	1	Complier
8	2	5	0	1	Complier
9	5	9	0	0	Never-Taker

# Compare ATT, ATE, and CACE

- ATE does not consider noncompliance:

$$\text{ATE} = \frac{2 + 6 + 4 + 2 + 4 + 8 + 3 + 3 + 4}{9} = 4$$

- ITT accounts for the fact that never-takers will not receive the treatment:

$$\text{ITT} = \frac{2 + 0 + 4 + 2 + 4 + 0 + 3 + 3 + 0}{9} = 2$$

- CACE is based on the subset of Compliers:

$$\text{CACE} = \frac{2 + 4 + 2 + 4 + 3 + 3}{6} = 3$$

# Personal Canvass & Voting

- Gerber and Green New Haven study APSR 2000
- Randomly assign voters different GOVT tactics
  - Personal canvassing contact?
  - Mail?
  - Telephone?
  - Control?

# New Haven Voter Mobilization

Turnout Rate	Treatment Group	Control Group
Among those contacted	54.43 (395)	
Among those not contacted	36.48 (1050)	37.54 (5645)
Overall	41.38 (1445)	37.45 (5645)

- $\text{ITT} = 41.38 - 37.54 = 3.84$
- $\sigma = 395/1445 = 0.273$
- $\text{CACE} = \text{ITT}/\sigma = 3.84/0.273 = 14.1$

# Randomised Control Trials

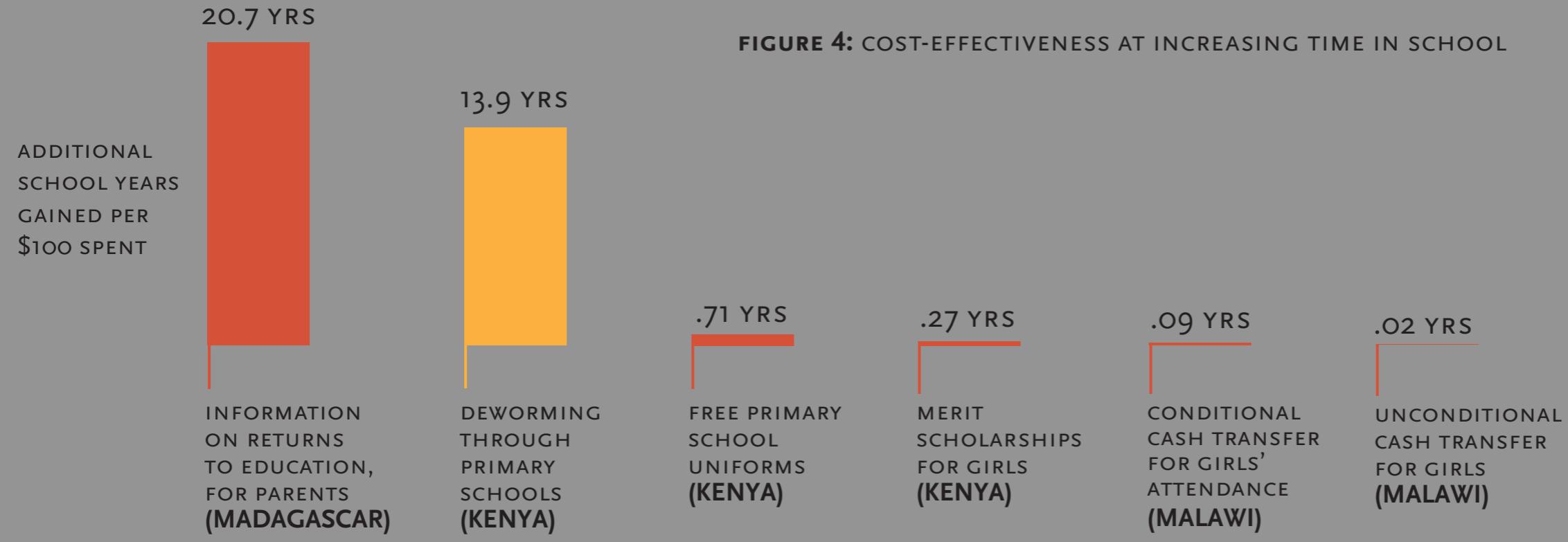
- RCTs are conducted in a real-world setting (=field experiments)
  - Attempt to be unobtrusive
  - They can minimise any artefacts of the experimental design - internal validity
    - e.g. experimenter demand effects in lab experiments
    - Make generalisations less dependent on assumptions

# Randomised Control Trials

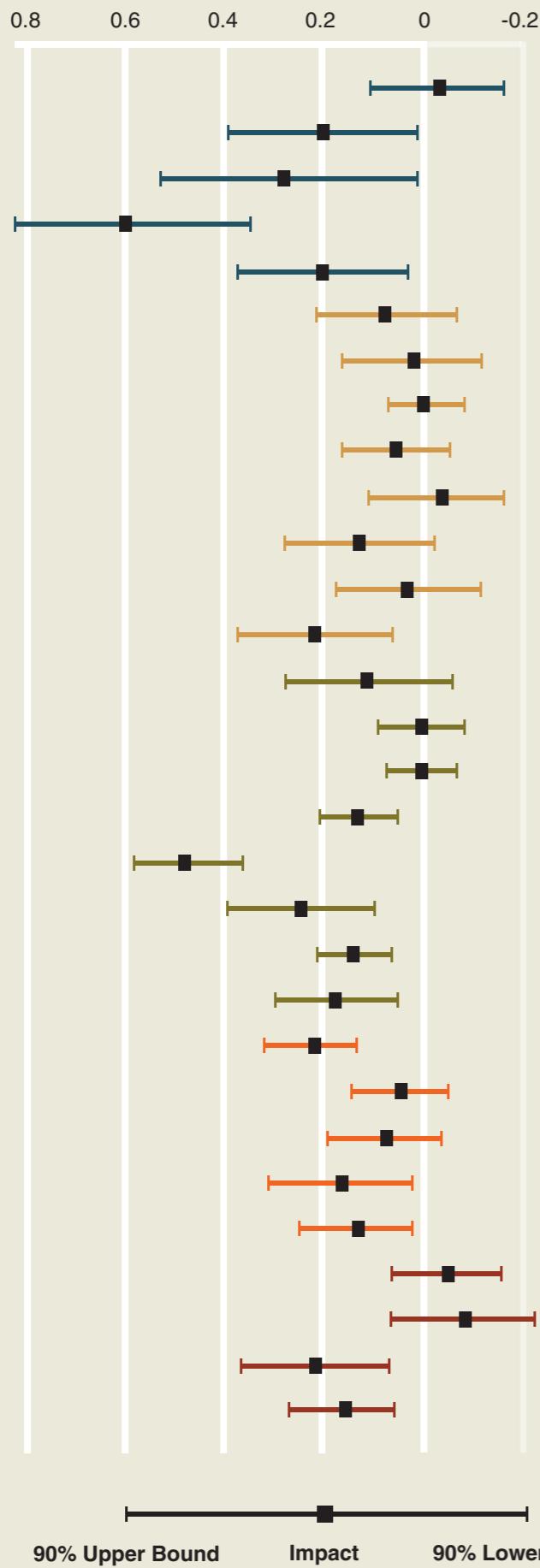
- Four main criteria
  - Treatment = real-world intervention?
  - Participants = those who would normally receive it?
  - Context = real-world context of interest?
  - Outcome measure = actual outcome of interest?

# Randomised Control Trials

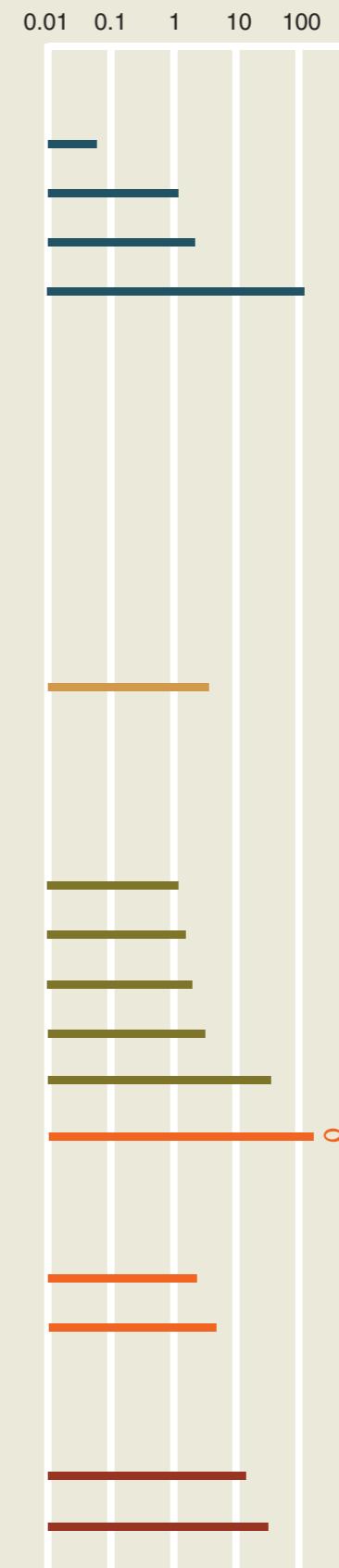
- Four main criteria
  - Treatment = real-world intervention?
  - Participants = those who would normally receive it?
  - Context = real-world context of interest?
  - Outcome measure = actual outcome of interest?



**Impact on Test Scores (in SD),  
with 90% Confidence Interval**



**Additional SD per  
\$100 (Log Scale)**



# Random Control Trial

- Bertrand and Mullainathan (2004)
- Does racial prejudice affect hiring of Blacks?
- How to control confounding factors such as educational attainment, etc.?
- Researchers control random assignment
- Random assignment of resumes to hiring employers

# B & M: Race in the Labor Market

- Why is there racial inequality in the U.S. Labor Market?
- Is it the result of differential/discriminatory hiring treatment?
- Observational (read survey) data cannot answer this question because of unobservables -- survey data do not contain all the characteristics that employers observe
- Solution: a field experiment
- Solution: race randomly assigned to fictitious resume
- Solution: paper resumes eliminate demand effects

# B & M: Design

- Collect resumes from web sites; classify into Low and High quality; augment
- Identify distinctive White and Black names
- Four resumes selected for each advertised job -- High/Low to White; High/Low to Black
- 1,300 ads -- 5,000 resumes sent
- Measured response: Employer callback or e-mail

```
> setwd("~/Dropbox/Experimental Methodology/DPIR 2017/  
qss-master/CAUSALITY")  
> read.csv("resume.csv")
```

	firstname	sex	race	call
1	Allison	female	white	0
2	Kristen	female	white	0
3	Lakisha	female	black	0
4	Latonya	female	black	0
5	Carrie	female	white	0
6	Jay	male	white	0
7	Jill	female	white	0
8	Kenya	female	black	0
9	Latonya	female	black	0
10	Tyrone	male	black	0
11	Aisha	female	black	0
12	Allison	female	white	0

```
> setwd("~/Dropbox/Experimental Methodology/DPIR 2017/qss-master/  
CAUSALITY")  
> india <- read.csv("resume.csv")  
> summary(india)
```

firstname	sex	race	call
Tamika : 256	female:3746	black:2435	Min. :0.00000
Anne : 242	male :1124	white:2435	1st Qu.:0.00000
Allison: 232			Median :0.00000
Latonya: 230			Mean :0.08049
Emily : 227			3rd Qu.:0.00000
Latoya : 226			Max. :1.00000
(Other) :3457			



# B & M: Results

- White names have 9.65 percent chance of receiving call back
- African-American names have a 6.45 percent chance of call back
- 1 in 10 for Whites -- 1 in 15 for Blacks
- Return to White name equals about 8 additional years of experience
- Whites favored by 8.4 percent compared to 3.5 employers favoring Blacks

TABLE 1—MEAN CALLBACK RATES BY RACIAL SOUNDINGNESS OF NAMES

	Percent callback for White names	Percent callback for African-American names	Ratio	Percent difference ( <i>p</i> -value)
<b>Sample:</b>				
All sent resumes	9.65 [2,435]	6.45 [2,435]	1.50	3.20 (0.0000)
Chicago	8.06 [1,352]	5.40 [1,352]	1.49	2.66 (0.0057)
Boston	11.63 [1,083]	7.76 [1,083]	1.50	4.05 (0.0023)
Females	9.89 [1,860]	6.63 [1,886]	1.49	3.26 (0.0003)
Females in administrative jobs	10.46 [1,358]	6.55 [1,359]	1.60	3.91 (0.0003)
Females in sales jobs	8.37 [502]	6.83 [527]	1.22	1.54 (0.3523)
Males	8.87 [575]	5.83 [549]	1.52	3.04 (0.0513)

TABLE 3—RESUME CHARACTERISTICS: SUMMARY STATISTICS

Sample:	All resumes	White names	African-American	Higher quality	Lower quality
<b>Characteristic:</b>					
College degree (Y = 1)	0.72 (0.45)	0.72 (0.45)	0.72 (0.45)	0.72 (0.45)	0.71 (0.45)
Years of experience	7.84 (5.04)	7.86 (5.07)	7.83 (5.01)	8.29 (5.29)	7.39 (4.75)
Volunteering experience? (Y = 1)	0.41 (0.49)	0.41 (0.49)	0.41 (0.49)	0.79 (0.41)	0.03 (0.16)
Military experience? (Y = 1)	0.10 (0.30)	0.09 (0.29)	0.10 (0.30)	0.19 (0.39)	0.00 (0.06)
E-mail address? (Y = 1)	0.48 (0.50)	0.48 (0.50)	0.48 (0.50)	0.92 (0.27)	0.03 (0.17)
Employment holes? (Y = 1)	0.45 (0.50)	0.45 (0.50)	0.45 (0.50)	0.34 (0.47)	0.56 (0.50)
Work in school? (Y = 1)	0.56 (0.50)	0.56 (0.50)	0.56 (0.50)	0.72 (0.45)	0.40 (0.49)
Honors? (Y = 1)	0.05 (0.22)	0.05 (0.23)	0.05 (0.22)	0.07 (0.25)	0.03 (0.18)
Computer skills? (Y = 1)	0.82 (0.38)	0.81 (0.39)	0.83 (0.37)	0.91 (0.29)	0.73 (0.44)
Special skills? (Y = 1)	0.33 (0.47)	0.33 (0.47)	0.33 (0.47)	0.36 (0.48)	0.30 (0.46)
Fraction high school dropouts in applicant's zip code	0.19 (0.08)	0.19 (0.08)	0.19 (0.08)	0.19 (0.08)	0.18 (0.08)
Fraction college or more in applicant's zip code	0.21 (0.17)	0.21 (0.17)	0.21 (0.17)	0.21 (0.17)	0.22 (0.17)
Fraction Whites in applicant's zip code	0.54 (0.33)	0.55 (0.33)	0.54 (0.33)	0.53 (0.33)	0.55 (0.33)
Fraction African-Americans in applicant's zip code	0.31 (0.33)	0.31 (0.33)	0.31 (0.33)	0.32 (0.33)	0.31 (0.33)
Log(median per capital income) in applicant's zip code	9.55 (0.56)	9.55 (0.56)	9.55 (0.55)	9.54 (0.54)	9.56 (0.57)
Sample size	4,870	2,435	2,435	2,446	2,424

TABLE 4—AVERAGE CALLBACK RATES BY RACIAL SOUNDINGNESS OF NAMES AND RESUME QUALITY

	Panel A: Subjective Measure of Quality (Percent Callback)			Difference ( <i>p</i> -value)
	Low	High	Ratio	
White names	8.50 [1,212]	10.79 [1,223]	1.27	2.29 (0.0557)
African-American names	6.19 [1,212]	6.70 [1,223]	1.08	0.51 (0.6084)
	Panel B: Predicted Measure of Quality (Percent Callback)			
	Low	High	Ratio	Difference ( <i>p</i> - value)
White names	7.18 [822]	13.60 [816]	1.89	6.42 (0.0000)
African-American names	5.37 [819]	8.60 [814]	1.60	3.23 (0.0104)

# Potential Outcomes Framework

CV	Black-sounding	Callback			
I	Name Ti	Yi(1)	Yi(0)	Age	Education
1	1	1	?	20	College
2	0	?	0	55	H School
3	0	?	1	40	G School
.	.	.	.	.	.
.	.	.	.	.	.
.	.	.	.	.	.
n	1	0	?	62	College

# Social Pressure & Voting

- Social pressure within neighborhood increases vote turnout?
- Randomly assign voters different GOVT messages
  - Did these postcards increase vote turnout?
  - Naming-and-shaming GOVT message?
  - Hawthorne effect

# Turnout Data

```
> social <- read.csv("social.csv") #load the data
> summary(social) #summarize the data
```

	sex	yearofbirth	primary2004	messages
female:152702	Min. :1900	Min. :0.0000	Civic Duty: 38218	
male :153164	1st Qu.:1947	1st Qu.:0.0000	Control :191243	
	Median :1956	Median :0.0000	Hawthorne : 38204	
	Mean :1956	Mean :0.4014	Neighbors : 38201	
	3rd Qu.:1965	3rd Qu.:1.0000		
	Max. :1986	Max. :1.0000		
	primary2006	hhszie		
	Min. :0.0000	Min. :1.000		
	1st Qu.:0.0000	1st Qu.:2.000		
	Median :0.0000	Median :2.000		
	Mean :0.3122	Mean :2.184		
	3rd Qu.:1.0000	3rd Qu.:2.000		
	Max. :1.0000	Max. :8.000		

Name	Description
<code>hsize</code>	household size of voter
<code>messages</code>	GOTV messages voter received ( <code>Civic</code> , <code>Control</code> , <code>Neighbors</code> , <code>Hawthorne</code> )
<code>sex</code>	sex of voter ( <code>female</code> or <code>male</code> )
<code>yearofbirth</code>	year of birth of voter
<code>primary2004</code>	whether a voter turned out in the 2004 Primary election (1=voted, 0=abstained)
<code>primary2008</code>	whether a voter turned out in the 2008 Primary election (1=voted, 0=abstained)

**Table 2.3:** *The Names and Descriptions of Variables in the Social Pressure Experiment Data.*

# Treatment Effects

```
> ## turnout for each group  
> tapply(social$primary2006, social$messages, mean)  
Civic Duty      Control    Hawthorne    Neighbors  
0.3145377    0.2966383    0.3223746    0.3779482  
  
> ## subtract control group turnout for each group  
> tapply(social$primary2006, social$messages, mean) -  
mean(social$primary2006[social$messages == "Control"] )  
Civic Duty      Control    Hawthorne    Neighbors  
0.01789934  0.00000000  0.02573631  0.08130991
```

# Balance

```
> social$age <- 2006 - social$yearofbirth # create age variable  
> tapply(social$age, social$messages, mean)  
Civic Duty      Control    Hawthorne    Neighbors  
 49.65904     49.81355     49.70480     49.85294  
> tapply(social$primary2004, social$messages, mean)  
Civic Duty      Control    Hawthorne    Neighbors  
 0.3994453     0.4003388     0.4032300     0.4066647  
> tapply(social$hhszie, social$messages, mean)  
Civic Duty      Control    Hawthorne    Neighbors  
 2.189126     2.183667     2.180138     2.187770
```