

ELEC 341 – Graded Assignments

Assignment A-8

10 Marks

Learning Objectives

- Lag (PI) Control
- Nyquist Plots
- Controller Dynamics
- Master Gain
- Matlab
 - nyqlog()
- Simulink
 - n/a

The system (GH) in Fig 1 has the poles, zeros and DC-Gain shown in Fig 2.
 U and Y are desired and actual velocity with units (m/s).
You already computed the open-loop transfer function GH . Re-use it.
 H is your micro-controller dynamics which introduces the pole at $2CF$, as shown in Fig 2.
Develop the following Lag Controller.

- Zero placed to cancel the system pole indicated in Fig 2.

Calc 1 1 mark(s) Lag Dynamics
Compute the controller Dynamics D .
Also compute the corresponding Derivative Gain K_d .
• $C1_D$ = Lead Controller Dynamics
• $C1_Kd$ = Derivative Gain

Figure 1

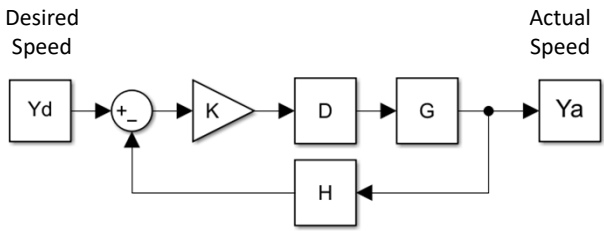


Figure 2

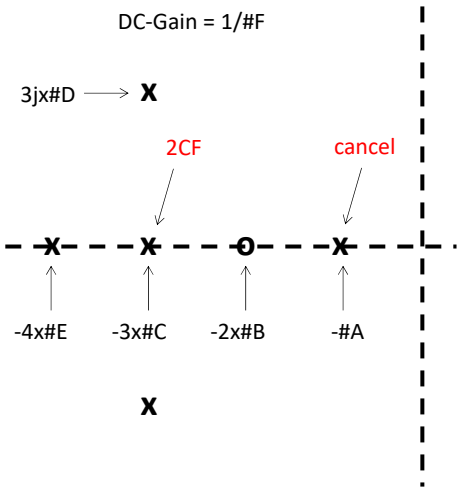


Fig 1 1/2 mark(s) Root Locus

Use `rla()` to generate the Root Locus of DGH.
• Root Locus

Fig 2 1/2 mark(s) Nyquist Plot

Use `nyqlog()` to generate the Nyquist Plot of DGH.
• Nyquist Plot

Calc 2 1 mark(s) Closed-Loop Transfer Function

Compute the ultimate gain (K_u) of KGH.
Compute the closed-loop transfer function T with $K = K_u/2$.
• $C2_T$ (pure) = Actual Speed / Desired Speed

Why not calculate SS Error ??? Not important any more ???
Adjust the zero and gain K for a reasonable trade-off between Overshoot and Settle Time.

Fig 3 2 mark(s) Step Response

Generate the step response of the Closed-Loop transfer function.
• Original Step Response black
• Tuned Step Response red

You decided to control position instead of velocity so you replaced the velocity sensor with a position sensor as shown in Fig 3.
Re-compute the Dynamics the same way.
Re-generate the Root Locus & Nyquist plots.

Figure 3

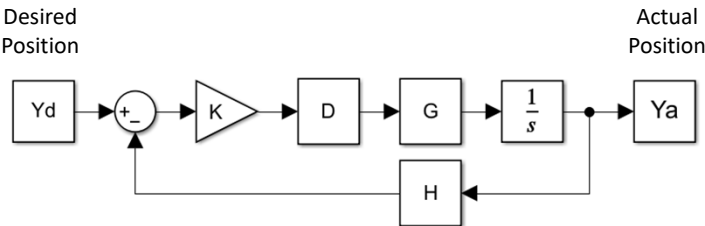


Fig 4 1/2 mark(s) Root Locus

Use `rla()` to generate the Root Locus.

- Root Locus

Fig 5 1/2 mark(s) Nyquist Plot

Use `nyqlog()` to generate the Nyquist Plot.

- Nyquist Plot

What is K_u ???

Recall, K either expands (larger values) or shrinks (smaller values) the Nyquist contour UNIFORMLY.

Must you expand or shrink the Nyquist contour to avoid encircling -1 ???

Calc 3 1 mark(s) Lag Zero

Place the Lag zero one decade before the Phase X-Over Frequency to improve stability.

- $C3_z$ = Lag Controller Zero

Fig 6 1/2 mark(s) Root Locus

Use `rla()` to generate the Root Locus.

- Root Locus

Fig 7 1/2 mark(s) Nyquist Plot

Use `nyqlog()` to generate the Nyquist Plot.

- Nyquist Plot

Adjust the zero and gain K for a reasonable trade-off between Overshoot and Settle Time.

Fig 8 2 mark(s) Step Response

Generate the step response of the Closed-Loop transfer function.

- Original Step Response black
- Tuned Step Response red