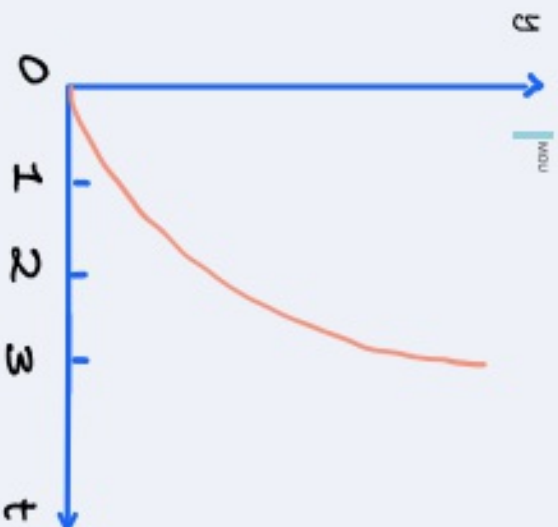
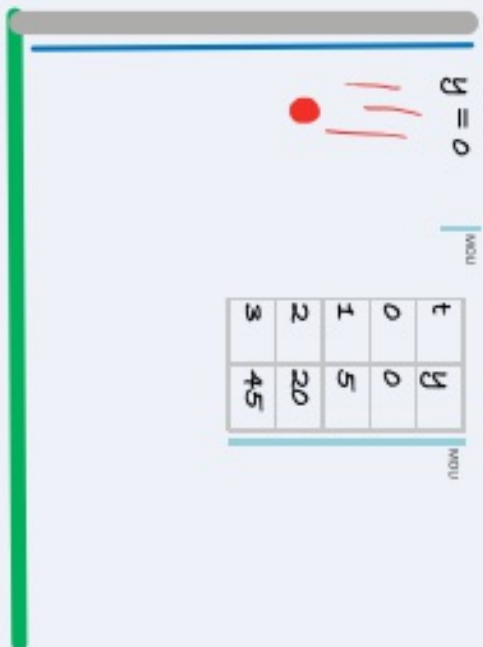


¿CUÁNTO CAE UNA MASA EN 1 SEGUNDO?

t	y
0	0
1	5
2	20
3	45

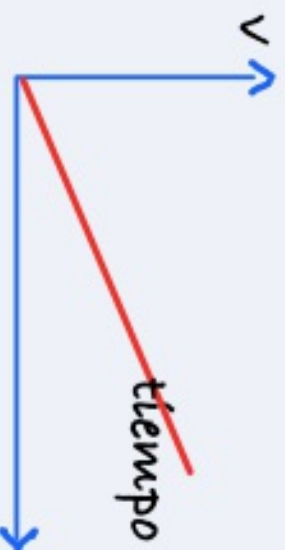
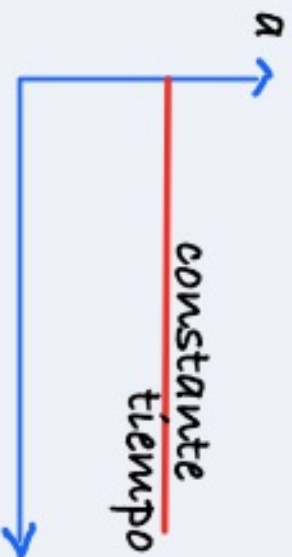


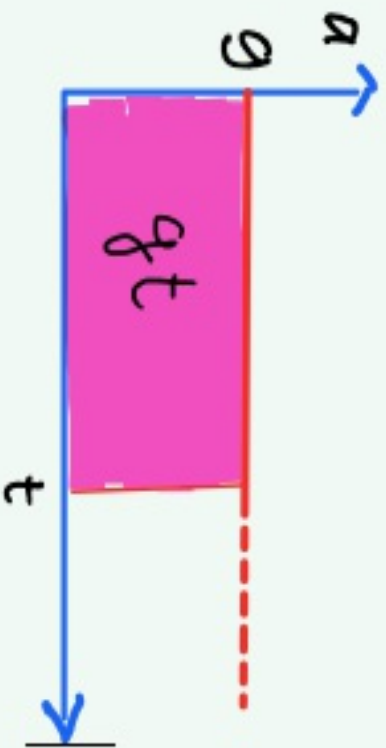
$$y = 5t^2$$

$$a = \frac{\Delta v}{\Delta t}$$

$$v = \frac{\Delta y}{\Delta t}$$

$$y(t)$$

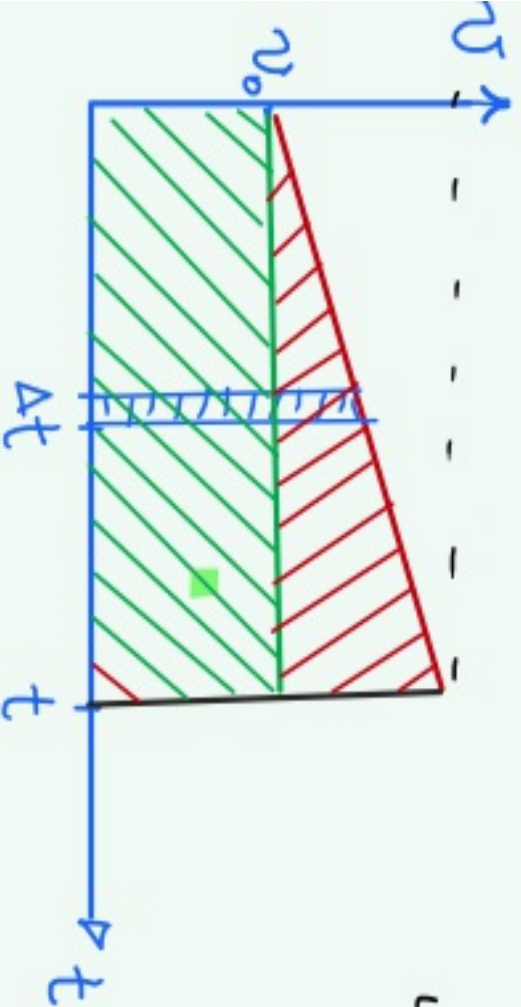




$$a = \frac{\Delta v}{\Delta t}$$

$$v(t) - v(0) = gt$$

$$v(t) = v_0 + gt$$



$v \Delta t =$ distancia recorrida entre t y $t + \Delta t$

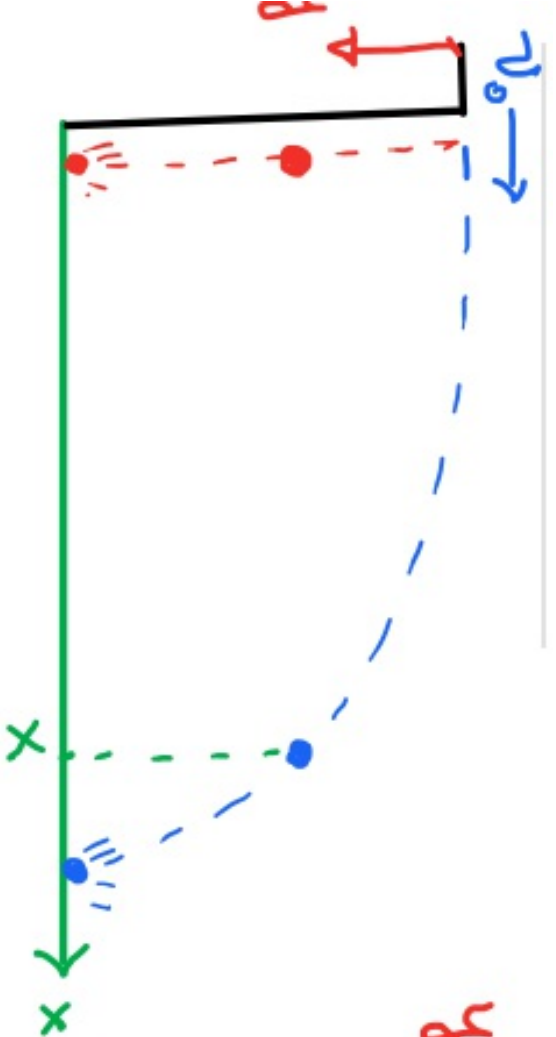
"Área" = distancia total

$$y(t) =$$


$$+$$


$$y(t) = v_0 t + \frac{1}{2} t (gt)$$

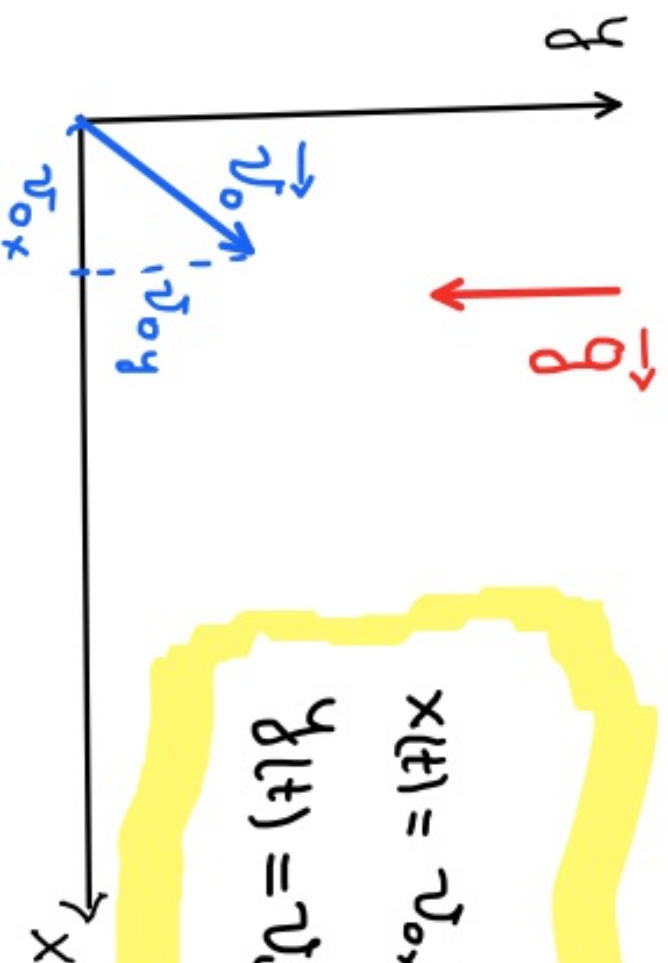
$$y(t) = v_0 t + \frac{1}{2} gt^2$$



$$y = \frac{1}{2}gt^2$$

$$x(t) = v_0 t$$

$$y(t) = \frac{1}{2}gt^2$$



$$x(t) = v_{0x} t$$

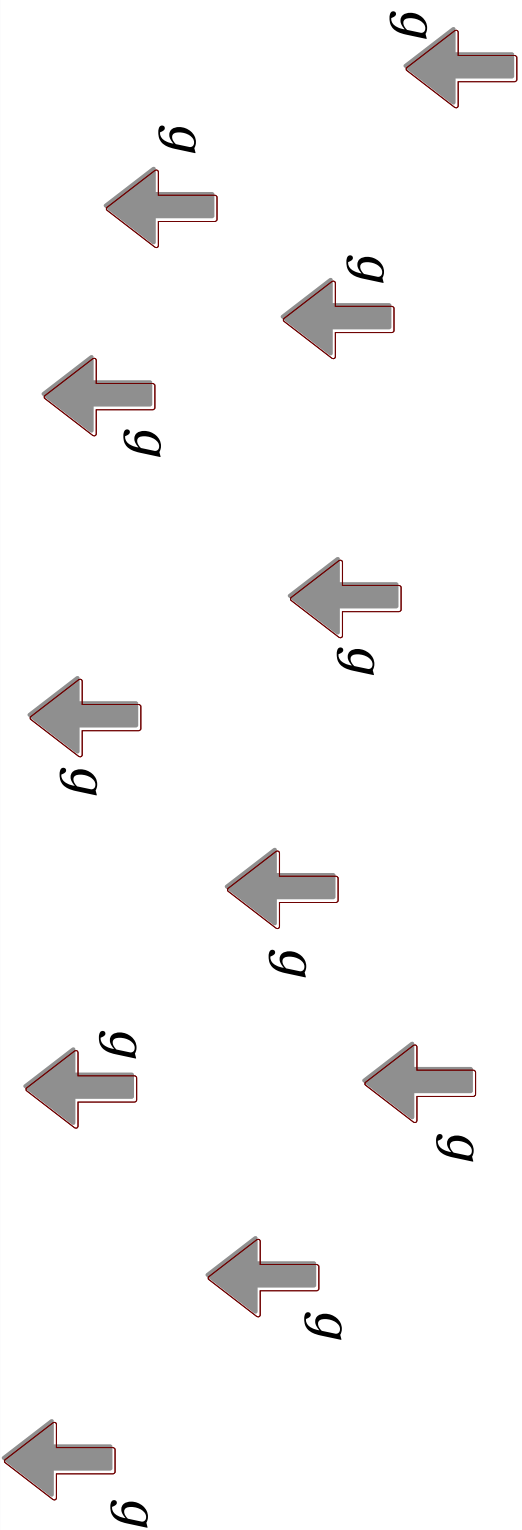
$$v_x = v_{0x}$$

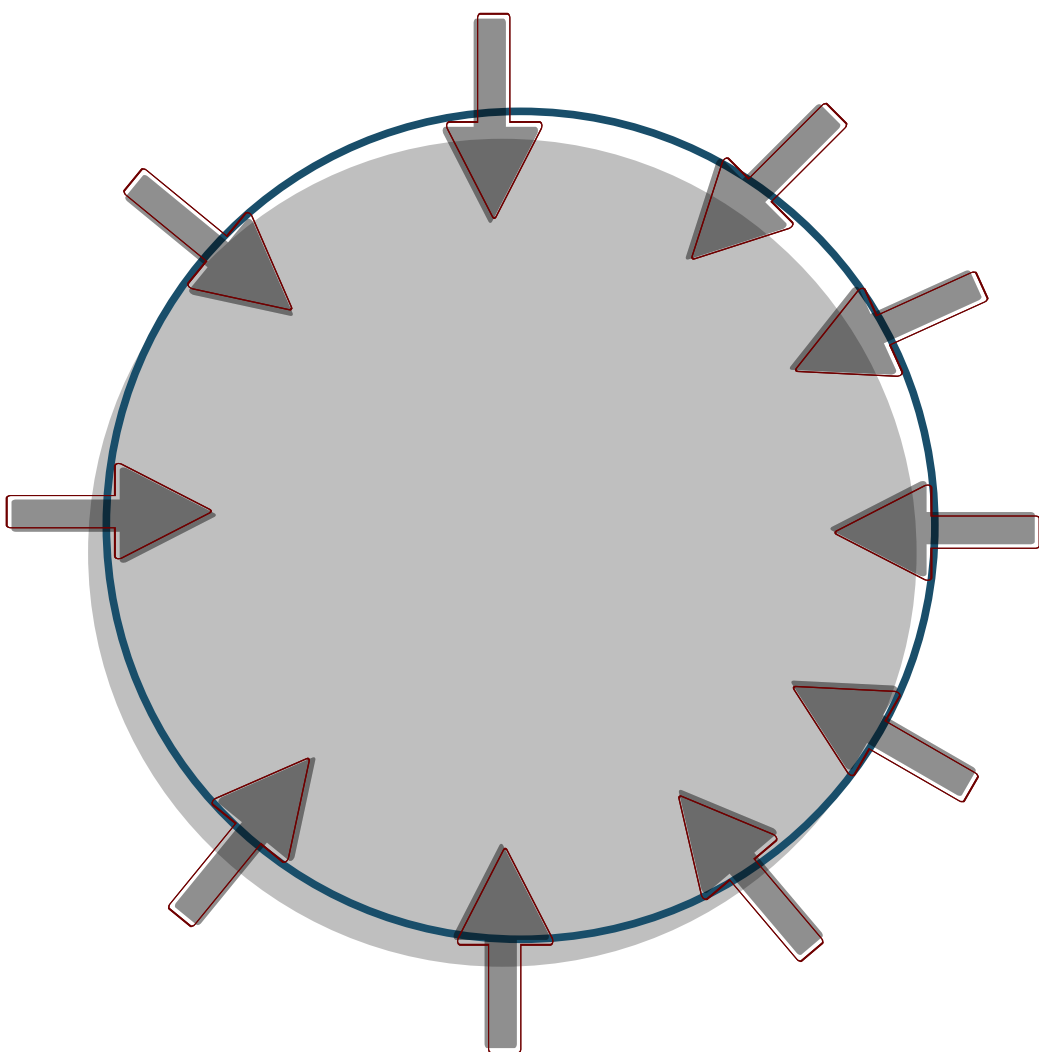
$$y(t) = v_{0y} t - \frac{1}{2}gt^2$$

$$v_y = v_{0y} - \frac{1}{2}gt$$

¿Quién es g ?
¿Es una constante universal?
¿Vale en todas partes lo mismo?

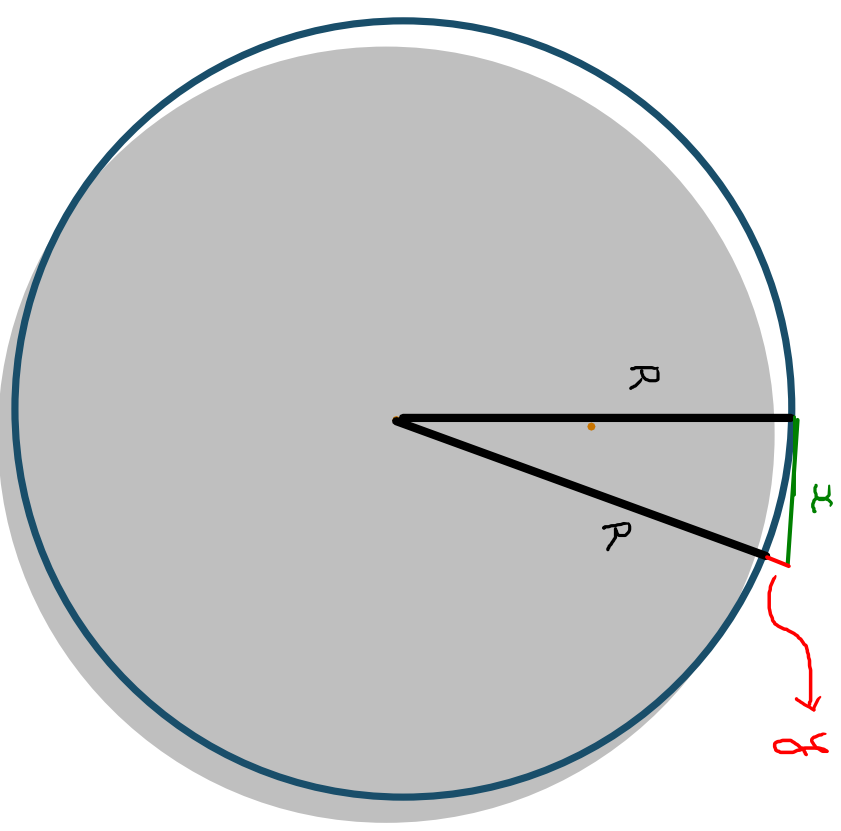
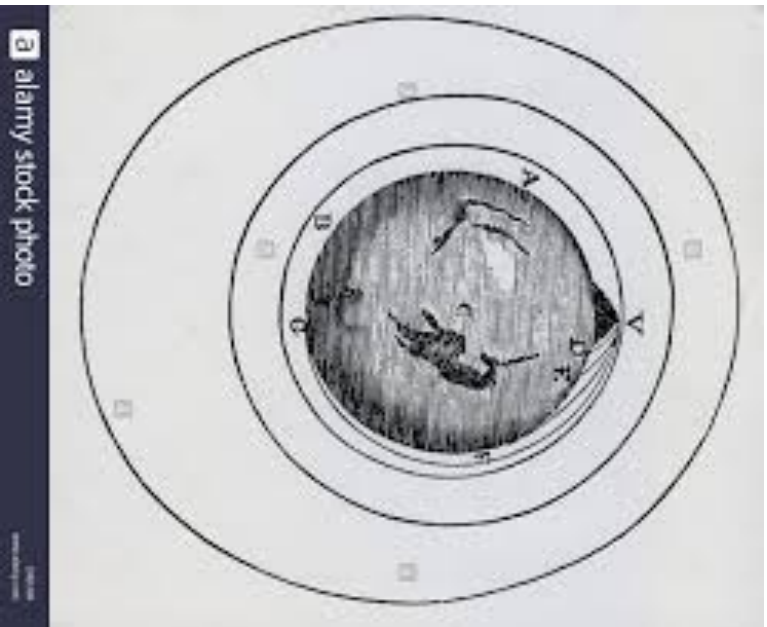
$$g = 10 \text{ m/s}^2$$





¿Y si lanzamos un objeto horizontalmente de tal forma que cuando caiga, la curvatura de la Tierra compense la caída?

¿A qué velocidad habría que lanzarlo?



$$(R+y)^2 = R^2 + x^2$$

$$\cancel{R^2} + 2Ry + \cancel{y^2} = \cancel{R^2} + x^2 \Rightarrow y = \frac{1}{2R} x^2$$

$$\underline{y(x)} = \frac{1}{2R} x^2$$

Pero

$$\underline{y(t)} = \frac{1}{2} g t^2$$

$$\frac{1}{2R} x^2 = \frac{1}{2} g t^2 \Rightarrow \frac{x^2}{t^2} = gR \quad \frac{x}{t} = v$$

$$v^2 = gR$$

$$v^2 = 6.400 \text{ km} \times 10 \frac{\text{m}}{\text{s}^2}$$

$$v^2 = 64.10 \frac{\text{m}^2}{\text{seg}^2}$$

$$\Rightarrow v = 8000 \frac{\text{m}}{\text{s}}$$

Aceleración centrípeta

$$g = \frac{x}{R t^2} = \frac{v^2}{R}$$

$$a_c = \frac{v^2}{r}$$

De nuevo: ¿g?