Clustering Credit Card Dataset



Data Mining

Team Members

Name	ID	Role
Eyad Tamer	2103116	Report Summary
Nureen Ehab Mahmoud	20221465124	Data preprocessing
Zainab Mohamed Abdallah	20221310251	Exploratory Data Analysis
Noha Nael	2103130	k- Medoids
Basmala Akram	2103159	Hierarchical clustering
Tasbih Abdelhakim	20201594406	Evaluation

Table of content

Introduction	2
Preprocessing& EDA	2
K-Medodis	
Hierarchical clustering	
Tierarcinear crustering	41
Evaluation	24

INTRODUCTION

- On this task we chose a dataset which is present on Kaggle, our aim was to focus on the following points:
- data PREPROCESSING, gaining a better understanding of the data structure and characteristics, implementing k-medoids and finally evaluating the results of each clustering technique.
- This dataset summarizes the usage behavior of about 9000 active credit card holders during the last 6 months.

The link for the dataset USED:

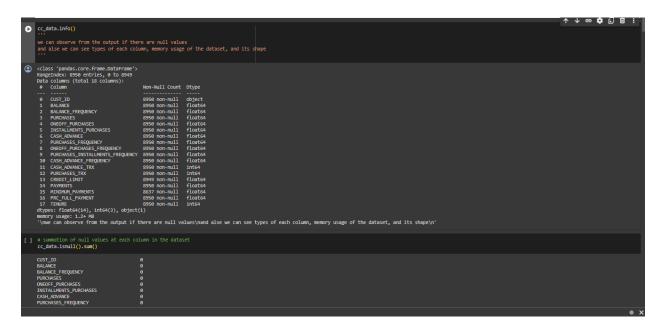
https://www.kaggle.com/datasets/arjunbhasin2013/ccdata?resource=download

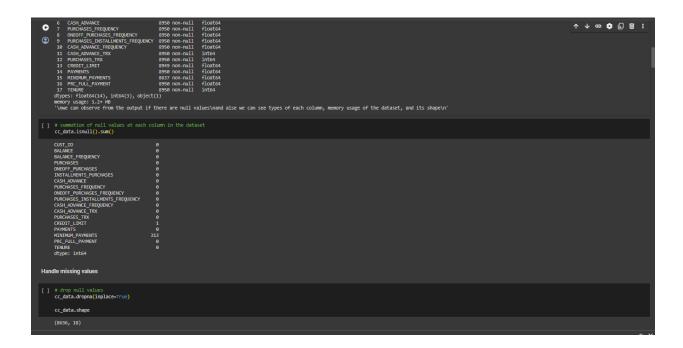
Data preprocessing & EDA

1. First Step:

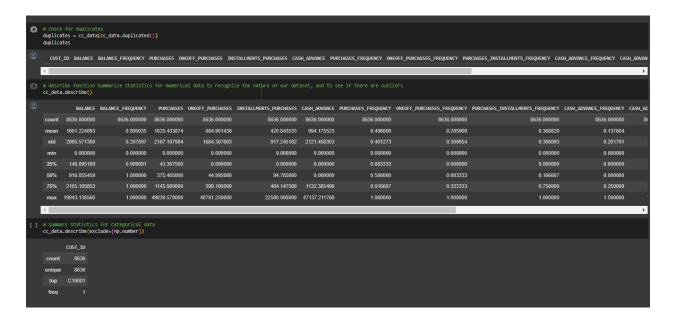
Here we just imported the packages used, after that we loaded the csv data using read_csv function and then we used the .head() to print the first 5 rows and columns of the dataset and the results are shown below

Here we can see that from the output there are null values, so to handle the null values we used the function dropna in order to get rid of the null values

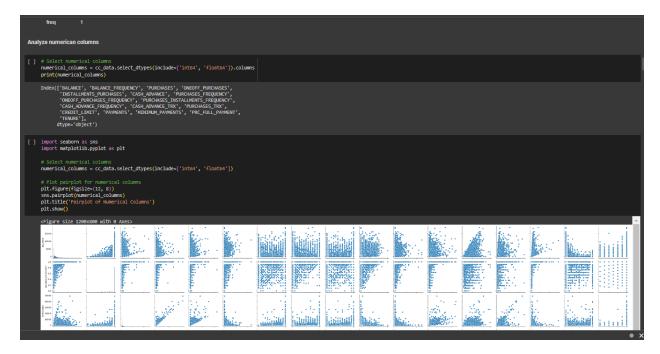


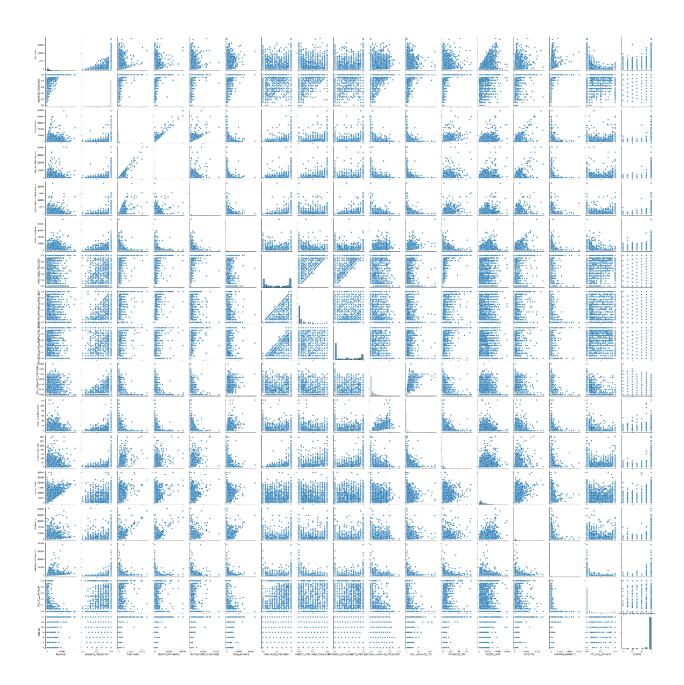


2. <u>Next step</u> was checking for duplicates, we used the function ".duplicated()" in order to check and afterwards we used the .describe() function to check if we do have any outliers and here are the results

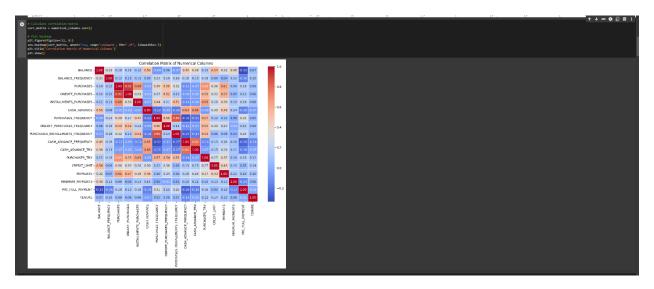


- **3.** For the first cell we printed the numerical data by using "select_dtypes" method which is available in pandas, so we used data types int64 and float64 which represents numerical data.
- **4.** Afterwards, we used plt.figure, sns.pairplot and plt.title and plt.show in order to visualize relationships between numerical columns in the dataframe

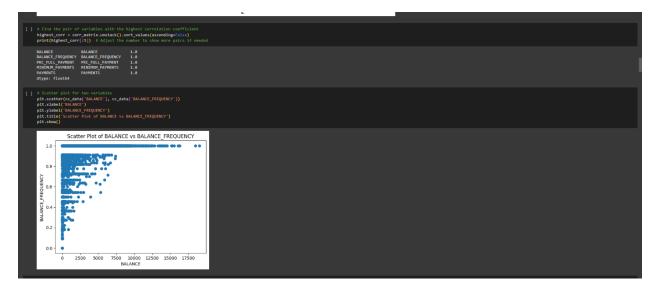




5. Then we calculated the correlation matrix for numerical columns and then visualize it as a heatmap to understand the relationships between different numerical features



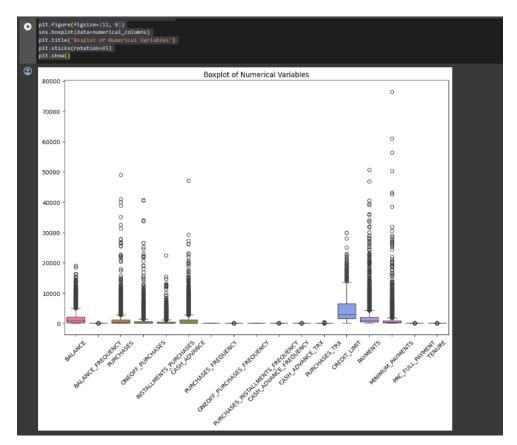
- **6.** Now we used the following code to find the variables with the highest correlation from the correlation matrix which was calculated previously.
- **7.** Then, we used the scatterplot to visualize the relationship between "balance" and "balance frequency" which helps understand the patterns between the 2 variables.



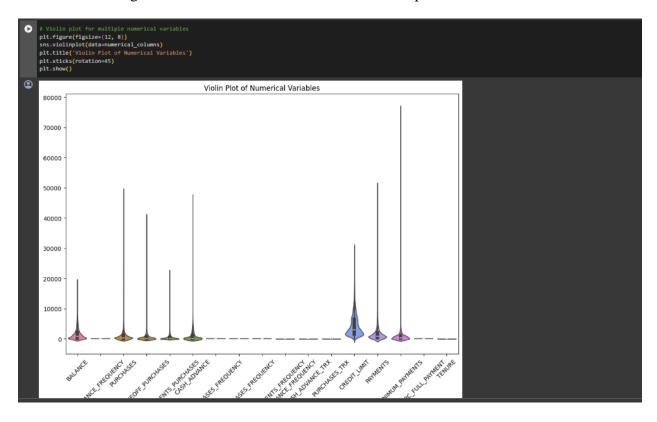
8. Sama thing was done but this time the relationship between "balance" and "payments



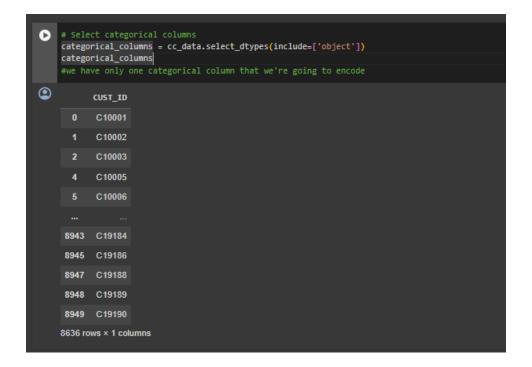
9. now we used a boxplot in order to visualize the distribution of multiple numerical values and also it presents the outliers on the graph



10. Same thing was done but this time we used the violon plot



11. Now we have selected the categorical column that will be encoded



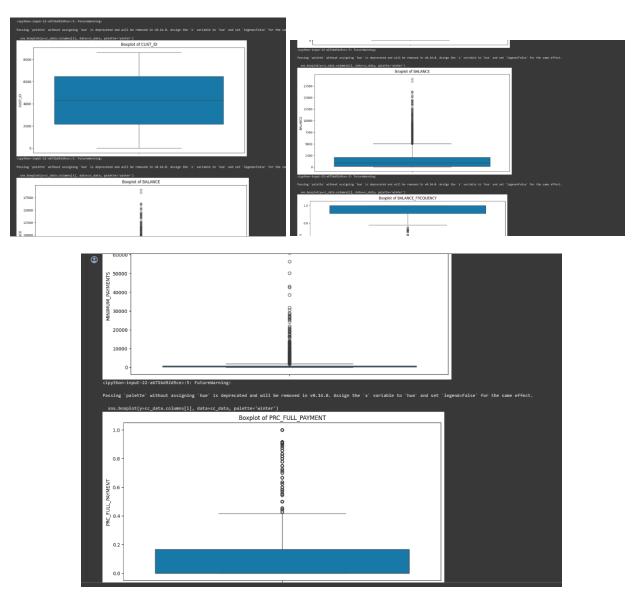
12. Afterwards we used labelencoder() to encode the specified column to numerical and then we printed the first 5 rows and columns using the head function



13. These statistics can provide insights into the central tendency, spread, skewness, and shape of the distributions of the variables in the DataFrame after encoding categorical variables.

```
# Calculate additional statistics after encoding
    print("\nAdditional Statistics:")
    print("Median:")
   print(cc_data.median())
   print("\nVariance:")
   print(cc_data.var())
   print("\nSkewness:")
   print(cc_data.skew())
    print("\nKurtosis:")
    print(cc_data.kurtosis())
oldsymbol{\mathfrak{D}}
    Additional Statistics:
    Median:
    CUST_ID
                                       4317.500000
    BALANCE
                                         916.855459
   BALANCE_FREQUENCY
                                          1.000000
   PURCHASES
                                         375.405000
   ONEOFF_PURCHASES
                                         44.995000
   INSTALLMENTS_PURCHASES
                                        94.785000
   CASH_ADVANCE
                                         0.000000
   PURCHASES_FREQUENCY
                                          0.500000
   ONEOFF_PURCHASES_FREQUENCY
                                          0.083333
   PURCHASES_INSTALLMENTS_FREQUENCY
                                        0.166667
   CASH_ADVANCE_FREQUENCY
                                          0.000000
   CASH ADVANCE TRX
                                          0.000000
    PURCHASES_TRX
                                          7.000000
   CREDIT LIMIT
                                       3000.000000
    PAYMENTS
                                         896.675701
   MINIMUM_PAYMENTS
                                         312.452292
   PRC_FULL_PAYMENT
                                          0.000000
12.000000
    TENURE
   dtype: float64
    Variance:
    CUST_ID
                                        6.215761e+06
                                       4.391419e+06
    BALANCE
    BALANCE_FREQUENCY
                                        4.313799e-02
    PURCHASES
                                        4.696357e+06
   UNEVER BUBLINGER
                                       2 0250030105
```

14. The overall purpose of this code is to generate a series of boxplots, one for each column in the dataset (excluding the last one), to visually inspect the distribution of data and identify potential outliers. We observe the outliers, but we didn't define them precisely.



15. We use IQR method to define outliers with accurate numbers instead of depending on our observation. Outliers are identified using IQR by checking which data points fall below the lower bound or above the upper bound and then remove these points.

This code displays the difference between the outliers before and after removal. These iterations provide a summary of outlier counts for each column before and after their removal, allowing for comparison and assessment of the impact of outlier removal on the dataset.

Here is the output:

```
Olum TUST_ID' has 0 outliers before removal.

Colum BALANCE has 6 outliers before removal.

Colum BALANCE has 6 outliers before removal.

Colum BALANCE has 6 outliers before removal.

Colum PRICHASES has 32 outliers before removal.

Colum TUSTALIHENTS PRICHASES has 371 outliers before removal.

Colum TUSTALIHENTS PRICHASES has 372 outliers before removal.

Colum CASH, ADVANCE has 302 outliers before removal.

Colum PRICHASES PREQUENCY has 0 outliers before removal.

Colum TUSTALIHENTS PREQUENCY has 0 outliers before removal.

Colum TUSTALIHENTS PREQUENCY has 0 outliers before removal.

Colum TUSTALIHENTS PREQUENCY has 0 outliers before removal.

Colum CASH, ADVANCE FREQUENCY has 1 outliers before removal.

Colum CASH, ADVANCE FREQUENCY has 1 outliers before removal.

Colum TUSTALIHENTS PREQUENCY has 3 outliers before removal.

Colum TUSTALIHENTS PREQUENCY has 30 outliers before removal.

Colum TUSTALIHENTS PREQUENCY has 30
```

```
| Turstion 4: Outliers before removal | Column | Turstion 1: Outliers before removal | Column | Turstion 2: Outliers | Section 2: Ou
```

```
Iteration 4: Outliers after removal
Column 'CUST_ID' has 0 outliers after removal.
Column 'BALANCE' has 0 outliers after removal.
Column 'BALANCE_FREQUENCY' has 0 outliers after removal.
Column 'PURCHASES' has 0 outliers after removal.
Column 'ONEOFF_PURCHASES' has 11 outliers after removal.
Column 'INSTALLMENTS_PURCHASES' has 6 outliers after removal.
Column 'CASH_ADVANCE' has 0 outliers after removal.
Column 'PURCHASES_FREQUENCY' has 0 outliers after removal.
Column 'ONEOFF_PURCHASES_FREQUENCY' has 0 outliers after removal.
Column 'PURCHASES_INSTALLMENTS_FREQUENCY' has 0 outliers after removal.
Column 'CASH_ADVANCE_FREQUENCY' has 0 outliers after removal.
Column 'CASH_ADVANCE_TRX' has 0 outliers after removal.
Column 'PURCHASES_TRX' has 0 outliers after removal.
Column 'CREDIT_LIMIT' has 0 outliers after removal.
Column 'PAYMENTS' has 2 outliers after removal.
Column 'MINIMUM_PAYMENTS' has 0 outliers after removal.
Column 'PRC_FULL_PAYMENT' has 0 outliers after removal.
Column 'TENURE' has 0 outliers after removal.
Iteration 5: Outliers after removal
Column 'CUST_ID' has 0 outliers after removal.
Column 'BALANCE' has 0 outliers after removal.
Column 'BALANCE_FREQUENCY' has 0 outliers after removal.
Column 'PURCHASES' has 0 outliers after removal.
Column 'ONEOFF_PURCHASES' has 2 outliers after removal.
Column 'INSTALLMENTS_PURCHASES' has 2 outliers after removal.
Column 'CASH_ADVANCE' has 0 outliers after removal.
Column 'PURCHASES_FREQUENCY' has 0 outliers after removal.
Column 'ONEOFF_PURCHASES_FREQUENCY' has 0 outliers after removal.
Column 'PURCHASES_INSTALLMENTS_FREQUENCY' has 0 outliers after removal.
Column 'CASH_ADVANCE_FREQUENCY' has 0 outliers after removal.
Column 'CASH_ADVANCE_TRX' has 0 outliers after removal.
Column 'PURCHASES_TRX' has 0 outliers after removal.
Column 'CREDIT_LIMIT' has 0 outliers after removal.
Column 'PAYMENTS' has 0 outliers after removal.
Column 'MINIMUM_PAYMENTS' has 0 outliers after removal. Column 'PRC_FULL_PAYMENT' has 0 outliers after removal.
Column 'TENURE' has 0 outliers after removal.
```

16. This code calculates lower and upper bounds for each column in the DataFrame cc_data based on the interquartile range (IQR) method for outlier detection. The we print the lower and the upper bounds for 'Payments'.

displaying the present outliers in 'payments' after removal and before removal, there were 5 iterations made.

```
print("\nOutliers found for 'PAYMENTS' before removal:")
     for iteration, outliers_dict in outliers_before.items():
         print(f"Iteration {iteration + 1}: Outliers before removal")
         for column, outliers in outliers_dict.items():
             if column == 'PAYMENTS': # Check if the column is 'PAYMENTS'
                print(outliers) # Print outliers for 'PAYMENTS'
         print("----")
•
    Outliers found for 'PAYMENTS' before removal:
     Iteration 1: Outliers before removal
          CUST_ID BALANCE BALANCE_FREQUENCY PURCHASES ONEOFF_PURCHASES \
                                   0.818182 4248.35 3454.56

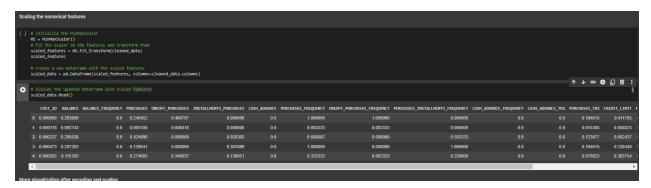
0.727273 547.28 0.00

0.454545 963.24 963.24

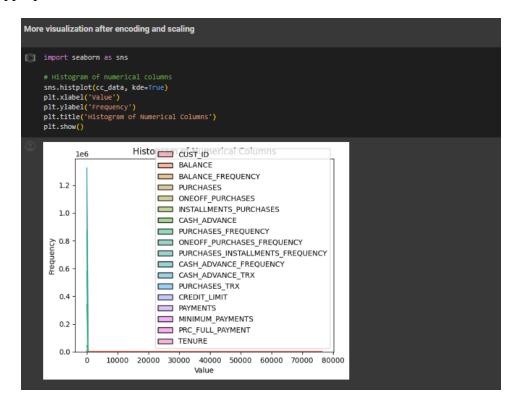
1.000000 901.42
               22 3800.151377
33 3517.101616
     34
              38 1411.602230
47 4931.331857
                                                         963.24
901.42
                                           1.000000
                                                                             646.07
               64 2990.422186
                                           0.909091
                                                         4523.27
                                                                             1664.09
              7788 3342.878215
                                           0.818182
              7963 2144.040539
                                           1.000000
              8039 2648.244646
                                            1.000000
              8436 2533.618119
8548 2330.222764
                                            0.909091
                                            1.000000
                                                         1320.00
           INSTALLMENTS_PURCHASES CASH_ADVANCE PURCHASES_FREQUENCY \
                            793.79 7974.415626 1.000000 547.28 0.000000 1.000000
     23
34
                           0.00 6173.682877
255.35 8530.648614
2859.18 27296.485760
                                                               0.083333
                                                                0.625000
                                                                0.666667
     ...
8052
                             68.70 1594.327632
                                                                0.083333
                             0.00 14127.466640
0.00 10458.978150
                                                                0.000000
     8315
                           2647.91 2451.807788
1320.00 14926.790590
                                                                0.916667
           ONEOFF_PURCHASES_FREQUENCY PURCHASES_INSTALLMENTS_FREQUENCY \
                              0.000000
                                                                   1.000000
```

```
8446 8163 2373.686499 1.0 1310.47
                                                                   0.00
        INSTALLMENTS_PURCHASES CASH_ADVANCE PURCHASES_FREQUENCY \
                        0.00 342.874785 0.583333
299.20 947.496827 0.833333
    3690
                      0.00 1438.951061
1520.60 1279.568823
1310.47 3667.381175
                                                      0.166667
    7458
                                                      1.000000
         ONEOFF_PURCHASES_FREQUENCY PURCHASES_INSTALLMENTS_FREQUENCY \
                 0.583333
    1294
                         0.166667
    5356
                         0.083333
                                                            0.00
    7458
                         0.166667
                                                            0.75
                         0.000000
    8446
                                                            1.00
         CASH_ADVANCE_FREQUENCY CASH_ADVANCE_TRX PURCHASES_TRX CREDIT_LIMIT \
    1294 0.083333
                                                                  7500.0
    3690
                      0.083333
                                                                   8000.0
                      0.583333
                                                                   4100.0
                     0.250000
                                                                  9000.0
    8446
           PAYMENTS MINIMUM_PAYMENTS PRC_FULL_PAYMENT TENURE
                     1148.353805
199.905433
    3690 4618.241000
5356 4591.237633
    7458 4619.793197
8446 4613.536289
                         853.911515
936.940012
                                                 0.0
       CUST_ID BALANCE BALANCE_FREQUENCY PURCHASES ONEOFF_PURCHASES \
543 7088.358802 1.0 0.00 0.00
6 3998 2015.554911 1.0 1446.48 493.88
    582
    4146
         ONEOFF_PURCHASES_FREQUENCY PURCHASES_INSTALLMENTS_FREQUENCY \
    0.083333 2 0 7500.0
0.000000 0 27 13000.0
    4146
          PAYMENTS MINIMUM_PAYMENTS PRC_FULL_PAYMENT TENURE
    582 4539.526102 2183.319473 0.0 12
4146 4537.716739 563.638570 0.0 12
```

17. After running this code, scaled-data will contain the scaled features from cleaned-data, with each feature scaled to the range specified by the MinMaxScaler. This scaling is often performed to ensure that all features have the same scale, which can be important for certain machine learning algorithms.



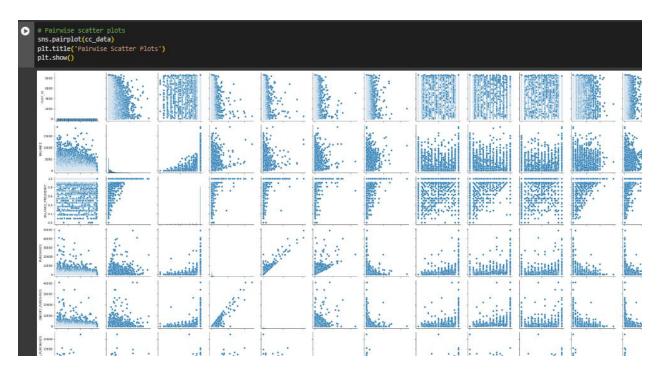
18. With this modification, the code should generate a histogram of numerical columns from the DataFrame cc_data, with kernel density estimation (KDE) overlaid, along with appropriate labels and a title.

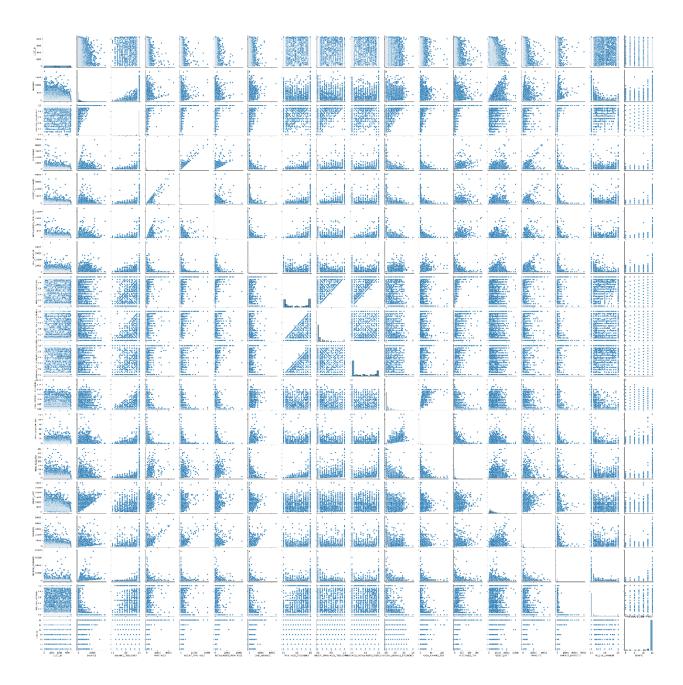


19. This code calculates the correlation matrix for numerical columns in the dataframe cc_data, then visualize it as a heatmap to understand the relationship between different numerical features



20. THIS IS TO DISPLAY THE PAIR PLOTS:





K-Medoids

Now moving to the k-medoids, this loop allows us to assess the quality of clustering for different numbers of clusters, helping us to determine the optimal number of clusters for our dataset based on the silhouette score. The output allows us to assess the clustering quality for different numbers of clusters. Typically, we would choose the number of clusters that maximizes the silhouette score, indicating the best separation of data points into distinct clusters. In this case, we would look for the highest silhouette score among the values displayed.

The following code performs KMedoids clustering on the provided data, prints the coordinates of the cluster centers, and then prints each data point along with its assigned cluster label. It helps visualize which data points belong to which cluster. Here's a breakdown of what each part does:

- data = np.array(scaled_data): Converts the scaled data into a NumPy array.
- $\mathbf{k} = 2$: Specifies the number of clusters to form.
- **kmedoids** = **KMedoids**(**n_clusters=k**).**fit**(**data**): Creates a KMedoids clustering model with k clusters and fits it to the data. This assigns each data point to one of the k clusters and identifies the cluster centers (medoids).
- *labels* = *kmedoids.labels*_: Retrieves the cluster labels assigned to each data point by the KMedoids algorithm.
- **clusters = kmedoids.cluster centers :** Retrieves the cluster centers (medoids).
- The nested loop iterates over each cluster (i) and each data point (j). For each data point, if it belongs to the current cluster (labels[j] == i), it prints the data point, indicating which cluster it belongs to.

```
data=np.array(scaled_data)
 kmedoids = KMedoids(n_clusters=k).fit(data)
  labels= kmedoids.labels
 clusters=kmedoids.cluster_centers_
 print('clusters',clusters)
   for i in range(k):
     for j in range(len(data)):
    if (labels[j]==i):
               y=data[j]
print('cluster ',i,':',y)
 cluster 1 : [0.03028869 0.27514531 0.
0.11089862 0. 0. 0.
                                                                                                                0.09090869 0.1
                                                                                                                                  0869 0.
0.
0.
 0. 0.15966387 0.19325319 0.2000655 0. cluster 1 : [0.03064363 0.62208542 0. 0.
   0.10025496 0. 0. 0. 0.1
0. 0.32773109 0.30400319 0.66549857 0.
                                                                                                                  0.18181848 0.15
0. 0.32773109 0.30400319 0.66549857 0. 0. ]

cluster 1: [0.03083027 0.65861937 0. 0.14806515 0.21014611 0.0
0.49023972 0.416667 0.25 0.166667 0.18181848 0.3
0.15384615 0.32773109 0.3384121 0.68989168 0. 0. ]

cluster 1: [0.030993858 0.40993749 0. 0.56706617 0.93600543 0.
0. 0.166667 0.166667 0. 0. 0.
0.03076923 0.27170868 0.18972386 0.25018198 0. 0. ]

cluster 1: [0.0311169 0.45395821 0. 0. 0.
0.63636304 0.45
0. 0.21568627 0.23517781 0.40495245 0. 0. ]

cluster 1: [0.03147184 0.17278529 0. 0.6784075 0.12942024 0.
0.54598987 0.166667 0.166667 0. 0.27272717 0.15
0.03076923 0.32773109 0.50657714 0.12712229 0. 0. ]

cluster 1: [0.03150616 0.63087431 0. 0. 0. 0. 0. 0.
0.64497198 0. 0. 0. 0.099990869 0.1
                                                                                                               0.14806515 0.21014611 0.0449356
0.18181848 0.3
Cluster 1: [0.03159016 0.6508/451 0.

0. 64497198 0.

0. 0.66386555 0.39948555 0.44528799 0.

0. 0.105191 0.4117941 0.

0.215967395 0.35500334 0.

0.32942228 0.25 0.25 0.

0.18461538 0.21568627 0.25352449 0.4622829 0.

0. 0.
```

```
Streaming output truncated to the last 5000 lines. cluster 1: [0.03028869 0.27514531 0. 0.
0.11089862 0. 0. 0. 0.09090869 0.1

0. 0.15966387 0.19325319 0.2000655 0. 0.

cluster 1: [0.03064363 0.62208542 0. 0. 0.
                                                                  0.09090869 0.1
 0.10025496 0. 0. 0. 0.18181848 0.15
0. 0.32773109 0.30400319 0.66549857 0. 0.
cluster 1 : [0.03088027 0.65861937 0. 0.14806515 0.21014611 0.0449356 0.49203972 0.416667 0.25 0.166667 0.18181848 0.3
  0.15384615 0.32773109 0.3384121 0.68989168 0.
Cluster 1: [8.03999858 0.46997494 0. 0.56706617 0.5 0. 0.166667 0.166667 0. 0. 0. 0.3076923 0.27170868 0.18972386 0.25018198 0. 0. Cluster 1: [8.0311169 0.45395821 0. 0. 0. 0.
                                                                   0.56706617 0.93600543 0.
0.63636304 0.45
                                                                    . 0. ]
0.0784075 0.12942024 0.
 0.54598987 0.166667 0.166667 0. 0.27272717 0.15
0.03076923 0.32773109 0.50657714 0.12712229 0. 0.
                                                                  0.27272717 0.15
cluster 1 : [0.03159016 0.63087431 0. 0
0.64497198 0. 0. 0.00
0. 0.66386555 0.39940555 0.44528799 0.
                                                                 0.09090869 0.1
0.21507395 0.35500334 0.
0.18181848 0.4
                                                                                                    0.
                                                                  0.36363587 0.25
0. 0.44761905 0.15904457 0.11104303 0. 0. cluster 1: [0.03336488 0.21279198 0. 0. 0.18181848 0.15
0.66365299 0. 0. 0. 0.18181848 0.15
0. 0.29971989 0.25637924 0.2059449 0. 0.
cluster 1: [0.03395646 0.53817166 0. 0.0047654 0.
                                                                                                    0.01031931
0.42490801 0.0833333 0.4584565 0.55
0.01538462 0.31092437 0.28739188 0.38595964 0.
cluster 1: [0.0341309 0.7642624 0. 0. 0.
6.4776768 0. 0. 0.36363587 0.35
0. 63824948 0. 0. 0. 0.72727283 0.45
0. 0.24369748 0.1040787 0.13164921 0. 0. ]
cluster 1: [3.49029815e-02 9.64882607e-02 0.00000000e+00 1.59377789e-05
 2.63070666e-05 0.00000000e+00 3.32487287e-01 8.3333000e-02 8.33330000e-02 0.00000000e+00 3.63635868e-01 3.50000000e-01
 1.53846154e-02 4.76190476e-02 2.41175259e-01 1.20239456e-01 0.00000000e+00 0.00000000e+00]
```

Hierarchical Clustering

In hierarchical clustering, the "ward" method is a linkage criterion used to measure the distance between clusters during the clustering process. Specifically, it minimizes the variance when forming clusters. Here's what it does:

- **Initialization:** Initially, each data point is considered as a separate cluster.
- **Distance Calculation:** The distance between each pair of clusters is calculated. This distance can be measured in various ways, such as Euclidean distance, Manhattan distance, etc. In your case, the Euclidean distance is used (metric='euclidean').
- **Cluster Merge:** At each step, the pair of clusters with the smallest distance according to the chosen linkage criterion is merged into a single cluster. The "ward" method merges clusters to minimize the variance within the newly formed cluster.
- **Update Distance Matrix:** After merging, the distance matrix is updated to reflect the distances between the newly formed cluster and the remaining clusters.
- **Repeat:** Steps 2-4 are repeated until all data points belong to a single cluster or until a specified number of clusters is reached.

The output of hierarchical clustering with the "ward" method is a dendrogram, which visually represents the clustering process and shows how clusters are merged at each step.

We will import the following functions and performs hierarchical clustering on the scaled data using the Ward method Euclidean distance metric, and then visualizes the resulting dendrogram.

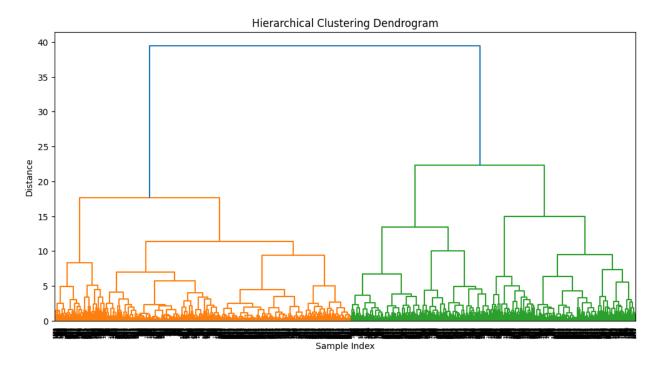
```
[ ] from scipy.cluster.hierarchy import dendrogram, linkage
    from sklearn.cluster import Agglomerativeclustering

    np.set_printoptions(threshold=np.inf)

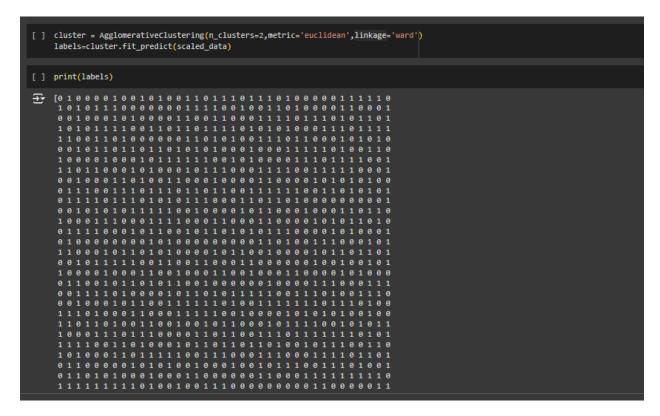
[ ]
    Z = linkage(scaled_data, method='ward',metric='euclidean')

    plt.figure(figsize=(12, 6))
    dendrogram(Z)
    plt.title('Hierarchical clustering Dendrogram')
    plt.xlabel('Sample Index')
    plt.ylabel('Distance')
    plt.show()
```

Here is the output:



Now after running, the variable labels will contain the cluster assignments for each data point in the scaled dataset, based on the agglomerative hierarchical clustering algorithm with 2 clusters, Euclidean distance metric, and Ward linkage criterion.



Evaluation

The **silhouette coefficient** is a measure of cluster cohesion and separation. Cohesion measures how closely related the data points in a cluster are, while separation measures the degree of dissimilarity between clusters. A good clustering algorithm should produce clusters with high cohesion and separation.

The silhouette score measures how well each data point fits its assigned cluster compared to other clusters. It ranges from -1 to 1, where a score of 1 indicates that the point is well-matched to its cluster and poorly matched to other clusters.

The silhouette score is calculated as follows:

For each data point i:

- a(i): the average distance from i to all other points in the same cluster
- b(i): the average distance from i to all points in the nearest cluster
- s(i) = (b(i) a(i)) / max(a(i), b(i))

The silhouette score is the average of s(i) over all data points. A score closer to 1 indicates better clustering.

The Davies-Bouldin Index is a validation metric that is used to evaluate clustering models. It is calculated as the average similarity measure of each cluster with the cluster most like it. In this context, similarity is defined as the ratio between inter-cluster and intra-cluster distances. As such, this index ranks well-separated clusters with less dispersion as having a better score.

The Davies-Bouldin Index is calculated as follows:

- $\Delta(xk)$ is the intercluster distance within the cluster xk.
- $\delta(xi, xj)$ is the inter cluster distance between the clusters xi and xj.

The Calinski and Harabasz Index (also known as Variance ratio criterion). This index computes the ratio of the sum of between-cluster dispersion and within-cluster dispersion for all clusters. Higher values indicate better clustering.

- **Between-cluster dispersion:** This refers to the variation between different clusters. In other words, it measures how much the cluster centers differ from each other. If the between-cluster dispersion is high, it means that the clusters are well-separated from each other.
- Within-cluster dispersion: This measures the variation within each cluster. It assesses how tightly the data points are clustered around their respective cluster centers. Lower

within-cluster dispersion indicates that the points within each cluster are closer to each other.

Calinski-Harabasz Index computation: The index is calculated as the ratio of between-cluster dispersion to within-cluster dispersion. Mathematically, it's represented as:

CH = $(B/W) \times ((N-k)/(k-1))$ Where:

- B is the between-cluster dispersion.
- W is the within-cluster dispersion.
- N is the total number of data points.
- k is the number of clusters.

Comparing clustering techniques:

1. Silhouette Score:

- K-medoids: 0.32297533940101164
- Hierarchical Clustering: 0.27627621841002925
- Higher silhouette score indicates better-defined clusters where data points are closer to other points in their own cluster than to points in other clusters. K-medoids outperforms Hierarchical Clustering in this aspect.

2. Davies-Bouldin Index:

- K-medoids: 1.3243641946424665
- Hierarchical Clustering: 1.4285021170311918
- Lower Davies-Bouldin index suggests better separation between clusters. Again, K-medoids has a lower index, indicating better defined clusters.

3. Calinski-Harabasz Index:

- K-medoids: 1568.9592250868711
- Hierarchical Clustering: 1320.4645654005237
- A higher Calinski-Harabasz index signifies dense and well-separated clusters. K-medoids has a higher index, suggesting better clustering quality.

Due to understanding the internal metrics, K-medoids clustering outperforms Hierarchical Clustering in all three-evaluation metrics provided. Based on these metrics, K-medoids is the better clustering algorithm for this dataset

This code evaluates the clustering quality achieved by the K-medoids algorithm using three different metrics: silhouette score, Davies-Bouldin index, and Calinski-Harabasz index. The output will display the computed evaluation metrics for the K-medoids clustering algorithm, providing insights into the quality of the clustering results. Each metric gives a different perspective on the clustering performance, helping to assess the clustering quality from multiple angles. The output for the second cell will display the computed evaluation metrics for hierarchical clustering, allowing for comparison with the K-medoids clustering results. Each metric gives insights into the quality of the clustering results, helping to assess the clustering performance of hierarchical clustering.

```
calinski_harabasz = calinski_harabasz_score(scaled_data, labels)
    print("K-medoids:")
    print("Silhouette Score:", silhouette)
    print("Davies-Bouldin Index:", davies_bouldin)
    print("Calinski-Harabasz Index:", calinski_harabasz)
    K-medoids:
    Silhouette Score: 0.32297533940101164
    Davies-Bouldin Index: 1.3243641946424665
    Calinski-Harabasz Index: 1568.9592250868711
   # Evaluate Hierarchical Clustering
    hierarchical labels = cluster.labels
    silhouette hierarchical = silhouette score(scaled data, hierarchical labels)
    davies bouldin hierarchical = davies bouldin score(scaled data, hierarchical labels)
    calinski harabasz hierarchical = calinski harabasz score(scaled data, hierarchical labels)
    print("Hierarchical Clustering:")
    print("Silhouette Score:", silhouette_hierarchical)
    print("Davies-Bouldin Index:", davies_bouldin_hierarchical)
    print("Calinski-Harabasz Index:", calinski_harabasz_hierarchical)

→ Hierarchical Clustering:

    Silhouette Score: 0.27627621841002925
    Davies-Bouldin Index: 1.4285021170311918
    Calinski-Harabasz Index: 1320.4645654005237
```

So for visualizing the k-medoids clusters, we created a scatter plot of the data points and we used the first 2 columns of the data and they were plotted against each other, after this we added the x,y label and the legend and we used .show() in order to display the output. Same method was used for visualizing the hierarchical clustering.

```
plt.scatter(data[:, 0], data[:, 1], c=labels, cmap='viridis', s=50, alpha=0.5)
plt.scatter(clusters[:, 0], clusters[:, 1], c='red', s=200, marker='X', label='Cluster Centers')
plt.title('K-medoids Clustering')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.legend()
plt.show()

# Visualize Hierarchical Clustering
plt.scatter(scaled_data.iloc[:, 0], scaled_data.iloc[:, 1], c=hierarchical_labels, cmap='viridis', s=50, alpha=0.5)
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.show()
```

Here is the output:

