



NEURAL NETS STRATEGY

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Contents

Model Instructions	2
1. Initialization: Variable Declaration.....	2
2. Varying Hyperparameters	2
3. Varying trade decisions.....	3
Data Munging	3
1. Feature selection	3
2. Finding correlation	4
3. More feature selection	4
4. Data scaling.....	5
Performance Measurements	6
1. Testing accuracy of the model	6
2. Retraining model.....	6
3. Avoid overfitting	8
Risk Management.....	8
1. Making trade decisions	8
2. Risk management strategies	8

Model Instructions

1. Initialization: Variable Declaration

To use the model, simply set the start and end date. Set the variables `self.currency`, which is the main currency to be traded, and `self.currency2` and `self.currency3` which are to be used as input features. `Self.timeframe` is the number of data points to be used in the training set. `Self.features` is the number of features to be used, in this case the 4 technical indicators and the 2 currency pairs.

```
def Initialize(self):
    self.SetStartDate(2018,11,7)    #Set Start Date
    self.SetEndDate(2018,11,21)    #Set End Date
    self.SetCash(100000)           #Set Strategy Cash
    self.SetBrokerageModel(BrokerageName.InteractiveBrokersBrokerage, AccountType.Cash)
    self.currency = "EURUSD"
    self.currency2 = "AUDUSD"
    self.currency3 = "GBPUSD"

    self.resolution = Resolution.Minute
    self.AddForex(self.currency,self.resolution)
    self.AddForex(self.currency2,self.resolution)
    self.AddForex(self.currency3,self.resolution)
    self.AddForex("EURUSD 8G",self.resolution)

    self.long_list = []
    self.short_list = []
    self.model = Sequential()
```

(Figure 1. Setting initialization parameters)

2. Varying Hyperparameters

Here, a grid search for the number of cells and epochs is conducted. For each parameter of cell and epoch value used, we calculate the mean squared error, tabulate it and compare across different parameter. These grids can be varied, or random search could be used instead.

```
184     if self.start == 0:
185
186         #USE TimeSeriesSplit to split data into n sequential splits
187         tscv = TimeSeriesSplit(n_splits=2)
188
189         # Make cells and epochs to be used in grid search.
190         cells = [100,200]
191         epochs = [100,200]
192
193         # creating a dataframe to store final results of cross validation for different combination of cells and epochs
194         df = pd.DataFrame(columns= ['cells','epoch','mse'])
```

(Figure 2. Tuning Hyperparameters)

3. Varying trade decisions

Based on our model predicted output, we make the decision to long and close long positions. If the output is positive, the price is expected to rise so we will long the currency or close our short position. Whereas if the output is negative, the price is expected to fall so we will short the currency or close our long position. We can vary the parameters to adjust the amount of trade to the predicted change in price, thus reducing our risk.

```
302 #####Make decision for trading based on the output from LSTM and the current price.
303 #Long when output exceeds a positive limit
304 #Close long position when output becomes negative
305 #Short when output falls below a negative limit
306 #Close short position when output becomes positive
307
308 upper_limit = 0.0000025
309 lower_limit = upper_limit*-1
310 upper_bound = 0.0025
311 lower_bound = upper_bound*-1
```

(Figure 3. Trading Decisions)

Data Munging

1. Feature selection

Initially, we chose 7 features as inputs: 5, 4, 3 day Smooth moving averages (SMA), Exponential moving average (EMA), Moving average convergence divergence (MACD), Relative strength index (RSI) and Momentum indicator (MOM).

We choose these technical indicators as such because they represent different aspects of the price movements, such as trend, momentum, or volatility (Tanaka-Yamawaki & Tokuoka, 2007). We selected SMA and EMA to represent the trend, RSI for volatility, and MOM for momentum. We also input historical prices as well in the form of 5-day, 4-day, 3-day SMA. We also use 5-days EMA as recent data are more important and EMA gives more weight to recent data.

2. Finding correlation

Next, we tested for multicollinearity in the features. Research has shown that adding collinear features can cause a lower predictive accuracy (Howley, Madden, O'Connell, & Ryder, 2006).

	SMA5	SMA4	SMA3	EMA	MACD	RSI	MOM
0	1.000000	0.995499	0.982370	0.995030	0.816139	-0.100890	0.070277
1	0.995499	1.000000	0.994278	0.995402	0.834975	-0.036842	0.149202
2	0.982370	0.994278	1.000000	0.990221	0.844753	0.039575	0.226541
3	0.995030	0.995402	0.990221	1.000000	0.809914	-0.037606	0.116214
4	0.816139	0.834975	0.844753	0.809914	1.000000	0.108403	0.316831
5	-0.100890	-0.036842	0.039575	-0.037606	0.108403	1.000000	0.823749
6	0.070277	0.149202	0.226541	0.116214	0.316831	0.823749	1.000000

(Figure 4. Correlation Matrix 1)

We can see that certain features have an extremely high correlation (features 0 - SMA5, 1- SMA4, 2- SMA3, 3- EMA) have a correlation of >0.98. Hence, It is sufficient just to have one of these features, as they do not provide more information to the model but only increase computational cost. Hence, we would look into removing the features with extremely high correlation, and add features that do not have that high a correlation (<0.9)

3. More feature selection

We explored using other technical indicators that can also be used to measure price trend, volatility, volume, and momentums to compare their effectiveness with existing technical indicators. We used one of each and included in BB and ROCV.

Types of Technical Indicators	
Type	Examples
Trend	Moving Averages, MACD, Parabolic SAR
Momentum	Stochastics, CCI, Relative Strength Index
Volatility	Bollinger Bands, Average True Range, Standard Deviation
Volume	Chaikin oscillator, OBV, Rate of Change (ROCV)

(Figure 5. Types of Technical Indicators)

For the second multicollinearity test, we found that features 0 (EMA) has a high correlation with 4 (BB), feature 3 (MOM) has a high correlation with feature 5 (ROC). We can remove 2 redundant features, 0 (EMA) and 3 (MOM).

	EMA	MACD	RSI	MOM	BB	ROC
	0	1	2	3	4	5
0	1.000000	0.765907	0.124391	0.099519	0.991402	0.100716
1	0.765907	1.000000	0.170037	0.257934	0.780680	0.258447
2	0.124391	0.170037	1.000000	0.781341	0.231601	0.781151
3	0.099519	0.257934	0.781341	1.000000	0.206606	0.999993
4	0.991402	0.780680	0.231601	0.206606	1.000000	0.207768
5	0.100716	0.258447	0.781151	0.999993	0.207768	1.000000

(Figure 6. Correlation Matrix 2)

For the third multicollinearity test, features EMA and MOM were removed. There appears to be no other features that are strongly correlated (>0.9).

	MACD	RSI	BB	ROC
	0	1	2	3
0	1.000000	0.170037	0.780680	0.258447
1	0.170037	1.000000	0.231601	0.781151
2	0.780680	0.231601	1.000000	0.207768
3	0.258447	0.781151	0.207768	1.000000

(Figure 7. Correlation Matrix 3)

Other currency pairs were used as additional features because like “EURUSD”, these currency pairs move against the USD. When the USD becomes strong, these currency pairs tend to move in the same direction and corresponds to the price movement, and likewise if the USD becomes weak. Research shows that AUD and GBP have a pairwise relation with EUR (Bekiros, & Diks, 2008). Thus, the respective currency pairs may have some relationship and will help predict the price movement of EURUSD. A test for multicollinearity shows that none of the feature inputs is extremely correlated.

4. Data scaling

Next, the training set is scaled using the indicator that we have defined. This same scaler will later be used to scale the input data for predictions.

```

152         #Scale and normalise x training data
153         #self.Debug("Length of training data: "+str(len(self.indicatorData)))
154         #self.Debug("X_data is " + str(self.indicatorData))
155         self.IndicatorScaler.fit(self.indicatorData)
156         X_data = self.IndicatorScaler.transform(self.indicatorData)
157         #self.Debug("_____")
158         #self.Debug("X_data after transform: "+str(X_data))

```

(Figure 8. Using MinMaxScaler() for data scaling and transformation)

Performance Measurements

1. Testing accuracy of the model

We apply time series windowing on data to train our models for different time frames. This is so to ensure our model is trained and able to predictions in time periods of different trends and seasonality. The function time series split is used to split the data into different time frames. Here, we set `n_split = 2`.

```
184-         if self.start == 0:
185-
186-             #USE TimeSeriesSplit to split data into n sequential splits
187-             tscv = TimeSeriesSplit(n_splits=2)
188-
189-             # Make cells and epochs to be used in grid search.
190-             cells = [100,200]
191-             epochs = [100,200]
192-
193-             # creating a dataframe to store final results of cross validation for different combination of cells and epochs
194-             df = pd.DataFrame(columns= ['cells','epoch','mse'])
```

(Figure 9. Using time split series)

2. Retraining model

We also vary the parameters of cells and epochs from 100 to 200. For each parameter of cell and epoch value used, we calculate the mean squared error, tabulate it and compare across different parameter.

```
196-         #Loop for every combination of cells and epochs. In this setup, 4 combinations of cells and epochs [100, 100] [ 100,200] [200,100] [200,200]
197-         for i in cells:
198-             for j in epochs:
199-                 cvscores = []
200-                 # to store CV results
201-                 #Run the LSTM in loop for every combination of cells an epochs and every train/test split in order to get average mse for each combination.
202-                 for train_index, test_index in tscv.split(X_data):
203-                     #self.Debug("TRAIN:", train_index, "TEST:", test_index)
204-                     X_train, X_test = X_data[train_index], X_data[test_index]
205-                     Y_train, Y_test = Y_data[train_index], Y_data[test_index]
206-                     #self.Debug ( " X train [0] is " + str (X_train[0]))
207-                     #self.Debug ( " X train [1] is " + str (X_train[1]))
208-
209-                     X_train= np.reshape(X_train, (X_train.shape[0],1,X_train.shape[1]))
210-                     #self.Debug("X input to LSTM : " + str(X_train))
211-                     X_test= np.reshape(X_test, (X_test.shape[0],1,X_test.shape[1]))
212-                     #self.Debug("Y input to LSTM : " + str(Y_train))
213-
214-                     #self.Debug("START: LSTM Model")
215-                     #self.Debug(i)
216-                     #self.Debug(j)
217-                     model = Sequential()
218-                     model.add(LSTM(i, input_shape = (1,7), return_sequences = True))
219-                     model.add(Dropout(0.10))
220-                     model.add(LSTM(i,return_sequences = True))
221-                     model.add(LSTM(i))
222-                     model.add(Dropout(0.10))
223-                     model.add(Dense(1))
224-                     model.compile(loss= 'mean_squared_error',optimizer = 'rmsprop', metrics = ['mean_squared_error'])
225-                     model.fit(X_train,Y_train,epochs=j,verbose=0)
226-                     #self.Debug("END: LSTM Model")
```

```

227
228     scores = model.evaluate(X_test, Y_test, verbose=0)
229     #self.Debug("%s: %f " % (model.metrics_names[1], scores[1]))
230     cvscores.append(scores[1])
231
232     MSE= np.mean(cvscores)
233     #self.Debug("MSE" + str(MSE))
234
235     #Create a dataframe to store output from each combination and append to final results dataframe df.
236     df1 = pd.DataFrame({'cells': [i], 'epoch': [j], 'mse': [MSE]})
237     #self.Debug("Individual run output DF1" + str(df1))
238     #Appending individual outputs to final dataframe for comparison
239     df = df.append(df1)
240
241     #self.Debug("Final table of DF"+ str(df))
242
243     #Check the optimised values obtained from cross validation
244     #This code gives the row which has minimum mse and store the values to O_values
245     O_values = df[df['mse']==df['mse'].min()]
246
247     # Extract the optimised values of cells and epochs from above row (having min mse )
248     O_cells = O_values.iloc[0][0]
249     O_epochs = O_values.iloc[0][1]
250
251     #self.Debug( "O_cells" + str (O_cells))
252     #self.Debug( "O_epochs" + str (O_epochs))

```

(Figure 10. Varying cells and epochs and mapping mean squared error)

Then the cells and epochs that minimize mean squared error is taken as the optimized parameter and is used in the final model. Self.start is set to 1 so that the model is only trained once.

```

241     #self.Debug("Final table of DF"+ str(df))
242
243     #Check the optimised values obtained from cross validation
244     #This code gives the row which has minimum mse and store the values to O_values
245     O_values = df[df['mse']==df['mse'].min()]
246
247     # Extract the optimised values of cells and epochs from above row (having min mse )
248     O_cells = O_values.iloc[0][0]
249     O_epochs = O_values.iloc[0][1]
250
251     #self.Debug( "O_cells" + str (O_cells))
252     #self.Debug( "O_epochs" + str (O_epochs))
253
254     X_data1= np.reshape(X_data, (X_data.shape[0],1,X_data.shape[1]))
255     #self.Debug("START: Final_LSTM Model")
256
257     self.model.add(LSTM(O_cells, input_shape = (1,7), return_sequences = True))
258     self.model.add(Dropout(0.10))
259     self.model.add(LSTM(O_cells,return_sequences = True))
260     self.model.add(LSTM(O_cells))
261     self.model.add(Dropout(0.10))
262     self.model.add(Dense(1))
263     self.model.compile(loss= 'mean_squared_error',optimizer = 'rmsprop', metrics = ['mean_squared_error'])
264     self.model.fit(X_data1,Y_data,epochs=O_epochs,verbose=0)
265     #self.Debug("END: Final_LSTM Model")
266
267     self.start = 1

```

(Figure 11. Recreating LTSM model with optimized cells and epochs)

3. Avoid overfitting

To ensure that our model minimizes overfitting, we have applied dropout to our model. Dropout is a regularization method where input and recurrent connections to LSTM units are probabilistically excluded from activation and weight updates while training a network. This has the effect of reducing overfitting and improving model performance.

Risk Management

1. Making trade decisions

Based on our model predicted output, we make the decision to long and close long positions. If the output is positive, the price is expected to rise so we will long the currency or close our short position. Whereas if the output is negative, the price is expected to fall so we will short the currency or close our long position.

```
#Close long position if output becomes negative and holding long position
#Long when output exceeds limit and not holding any position
if output>0 and (self.currency not in self.long_list):
    self.SetHoldings(self.currency, 1)
    self.long_list.append(self.currency)
    self.Debug("Make a long position")

if self.currency in self.long_list and output < 0:
    self.SetHoldings(self.currency, 0)
    self.long_list.remove(self.currency)
    self.Debug("Close long position")

#self.Debug("END: Ondata")
```

(Figure 12. Trading Decisions)

2. Risk management strategies

Given that there are transaction fees involved, we decide to set benchmark to avoid making trades on extremely small price differences. As such we set a limit value of 0.0005 and only make long and short trades if output exceeds the limit. We only make trades when we obtain outputs of large enough value that predicts that trade is profitable enough to cover transaction fees.

```

321 #Make decision for trading based on the output from LSTM and the current price.
322 #Long when output exceeds a positive limit
323 #Close long position when output becomes negative
324 #Short when output falls below a negative limit
325 #Close short position when output becomes positive
326
327 limit = 0.0005
328
329 #Long when output exceeds limit and not holding any position
330 if output > limit and self.currency not in self.long_list and self.currency not in self.short_list:
331     self.SetHoldings(self.currency, 1)
332     self.long_list.append(self.currency)
333     self.Debug("Make a long position")
334
335 #Short when output falls below limit and not holding any position
336 if output < limit*-1 and self.currency not in self.long_list and self.currency not in self.short_list:
337     self.SetHoldings(self.currency, -1)
338     self.short_list.append(self.currency)
339     self.Debug("Make a short position")
340
341 #Close long position if output becomes negative and holding long position
342 if self.currency in self.long_list and output < 0:
343     self.Liquidate(self.currency)
344     #self.SetHoldings(self.currency, 0)
345     self.long_list.remove(self.currency)
346     self.Debug("Close long position")
347
348 if self.currency in self.short_list and output < 0:
349     self.Liquidate(self.currency)
350     self.short_list.remove(self.currency)
351     self.Debug("Close short position")
352 #self.Debug("END: Ondata")

```

(Figure 13. Improving trading decisions)

The profitability of our model can be further improved if we implement in 'risk and reward' rules. Hence, we size our positions according to the amount of risk and returns we would expect. In our model, we will make our trades proportional to output values. A greater output value would indicate a higher upward price movement, hence a higher profitability so we will increase our stakes in the long position.

```

278 #Make decision for trading based on the output from LSTM and the current price.
279 #Long when output exceeds a positive limit
280 #Close long position when output becomes negative
281 #Short when output falls below a negative limit
282 #Close short position when output becomes positive
283
284
285 upper_limit = 0.0001
286 lower_limit = upper_limit*-1
287 upper_bound = 0.001
288 lower_bound = upper_bound*-1
289 size = 0
290
291 #Model predicts that price will rise by a lot. Full long
292 if output > upper_bound:
293     size = 1
294
295 #Model predicts that price will rise, but not by a lot. Partial long
296 elif output > upper_limit and output < upper_bound:
297     size = output/upper_bound * 100
298
299 #Model predicts price will drop by a lot. Full short
300 elif output < lower_bound:
301     size = 1
302
303 #Model predicts price will drop, but not by a lot. Partial short
304 elif output < lower_limit and output > lower_bound:
305     #Go partial short
306     size = output/lower_bound * 100
307

```

(Figure 14. Resizing position algorithm)