

## Review on Numbering System

- The binary number system has base 2.
- The value of digit is determined by its position in the number.
- The two binary digits are: 1 and 0.

Full - binary Number: 101

Fractional - binary - Number: 101.11

$$\begin{array}{cccccccc}
 3 & 2 & 1 & 0 & & -1 & -2 & -3 & \dots & -n \\
 2 & 2 & 2 & 2 & \cdot & 2^{-1} & 2^{-2} & 2^{-3} & \dots & 2^{-n}
 \end{array}$$
 Binary - point

TABLE 2-2

Binary weights.

Positive Powers of Two (Whole Numbers)									Negative Powers of Two (Fractional Number)					
$2^8$	$2^7$	$2^6$	$2^5$	$2^4$	$2^3$	$2^2$	$2^1$	$2^0$	$2^{-1}$	$2^{-2}$	$2^{-3}$	$2^{-4}$	$2^{-5}$	$2^{-6}$
256	128	64	32	16	8	4	2	1	1/2	1/4	1/8	1/16	1/32	1/64
									0.5	0.25	0.125	0.0625	0.03125	0.015625

Example 2: Convert 10.111 to decimal number.

Weight :  $2^3 \quad 2^2 \quad 2^1 \quad 2^0 \quad 2^{-1} \quad 2^{-2} \quad 2^{-3}$

Binary-bit :  $\boxed{1} \quad 0 \quad \boxed{1} \quad \boxed{1} \quad \boxed{1}$

sum-of-weights =  $2^3 + 2^1 + 2^{-1} + 2^{-2} + 2^{-3}$

=  $2 + 0.5 + 0.25 + 0.125$

= 2.875

### Converting whole decimal numbers to binary (Sum-of-weights Method)

- Determine the set of binary weights whose sum is equal to the decimal number.
- Place 1's and 0's on the appropriate weight positions determines the binary number for that decimal number.

$$16 + 8 + 1 = 25$$

**Example 1: Convert decimal number 25 to binary using Sum-of-Weights Method**

<del>25</del>					
<u>weights</u>	16	8	4	2	1
	1	1	0	0	1

$$25_{10} = 11001_2$$

$$32 + 16 + 8 + 2 = 58$$

**Example 2: Convert decimal number 58 to binary using Sum-of-Weights Method.**

<u>weights</u>	64	32	16	8	4	2	1
	0	1	1	1	0	1	0

$$58_{10} = 111010_2$$

## Hexadecimal Numbers

Base - 16

- The hexadecimal number system has sixteen characters; it is used primarily as a compact way of displaying or writing binary numbers because it is very easy to convert between binary and hexadecimal.

TABLE 2-3

Decimal	Binary	Hexadecimal
0	0000	0
1	0001	1
2	0010	2
3	0011	3
4	0100	4
5	0101	5
6	0110	6
7	0111	7
8	1000	8
9	1001	9
10	1010	A
11	1011	B
12	1100	C
13	1101	D
14	1110	E
15	1111	F

Convert the following binary numbers to hexadecimal: (a) 1100101001010111

C A 5 7

(CA57)<sub>16</sub>

Determine the binary numbers for the following hexadecimal numbers: (a) 10A4<sub>16</sub>

1 0 A 4

0001 0000 1010 0100

## Chapter 2 (Instruction Set)

$X1 \rightarrow C$

### Operands

$X2 \rightarrow a$

$X3 \rightarrow b$

### Low level language (Assembly Language):

- An operand is a value (an argument) on which the instruction operates. The operand may be a processor register, a memory address, or a literal constant.

$ADD\ X1,\ X2,\ X3$   
↑  
operator  
                    └──┬──┘  
                    operands

//  $X1 = X2 + X3$   
 $C = a + b$

### High level language (C/C++/Java):

operands, operator

- Operands are the constants or variables which the operators operate upon.

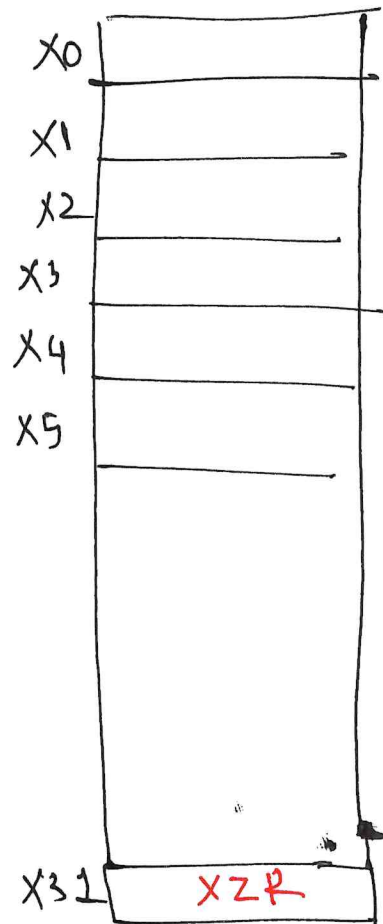
$C = a + b ;$   
                    └──┬──┘  
                    operands  
                    ↓  
                    operator

ARMv8

## LEGy8 Registers,

Name	Register number	Usage
X0-X7	0-7	Arguments/Results
X8	8	Indirect result location register
X9-X15	9-15	Temporaries
X16 (IP0)	16	May be used by linker as a scratch register; other times used as temporary register
X17 (IP1)	17	
X18	18	
X19-X27	19-27	Saved
X28 (SP)	28	Stack Pointer
X29 (FP)	29	Frame Pointer
X30 (LR)	30	Link Register (return address)
XZR	31	The constant value 0

Register .



↑  
64 bit

## Arithmetic Instructions

**ADD-**

- The ADD instruction adds two operands and place the result on destination register. Both operands are register.

Register: Both operands are Register

ADD X0, X1, X2

operand 2

Destination operand 1 Register

$$X_0 = X_1 + X_2$$

$$X_1 = 100, X_2 = 250$$

X0	30 7
X1	16 0
X2	20 0
X3	
X31	

ADD  $X_0$ ,  $X_0$ ,  $X_1$ .  
 $300 + 100 = 400$   
 Immediate.  
 ADDI -

- The ADD instruction adds two operands and place the result on destination register. Operand 1 is a register, operand 2 is an immediate value.

operand1      operand2, x1 = 100

ADDI X0, X1, #4

↓                      ↓

Destination                      operand 2

Register

11  $x_0 = x_1 + 4$

$$X_0 = 100 + 4 = 104$$

**SUB-**

- The SUB instruction subtracts operand 2 from operand 1 and place the result on destination register. Both operands are register.

$\text{SUB } X_0, X_1, X_2$  //  $X_0 = X_1 - X_2$   
 (Annotations:  $X_1$  is operand 1,  $X_2$  is operand 2)

Suppose,  $X_1 = 500$      $X_2 = 200$

**SUBI-**

- The SUBI instruction subtracts operand 2 from operand 1 and place the result on destination register. Operand 1 is a register, operand 2 is an immediate value.

SUBI X0, X1, #4      //  $X0 = X1 - 4$ .



## MOV-

- This instruction loads a 64-bit value into the destination register from another register.

MOV <sup>↗</sup> X1, X2 // X1 = X2

Registers

X0	10
X1	<del>50</del> 200
X2	200
X3	45
X4	
X31	

## MOVI

- This instruction loads a 64-bit value into the destination register from an immediate value.

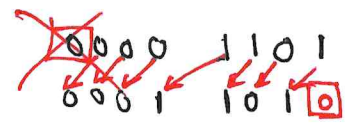
MOVI X1, #8 // X1 = 8

↓

Destination Register

↘ Immediate value.





## LSL - Logical shift left

- LSL instruction effectively multiply the contents of a register by  $2^i$ .
- Each bit of the register is shifted left, the MSB is removed and empty bits are filled with zeros.

$X2 = 8$   
 LSL  $X0, X2, \#2$

$$// \quad X0 = X2 * 2^2$$

if  $X2 = 8$

$$X0 = 8 * 4 = 32$$

$X6 = 2$

LSL  $X5, X6, \#4$

$$X5 = X6 * 2^4$$

$$= 2 * 16 = 32$$

Hex MSB

LSD

**Problem:** Assume that  $X2 = 2$  (0X0000000000000002 in hexadecimal). What will be the value of  $X0$  after running the following instruction: LSL  $X0, X2, \#2$

$$LSL \quad X0, X2, \#2 \quad // \quad X0 = X2 * 2^2 = 2 * 4 = 8$$

0X 0000 0000 0000 0002

0000 0010

2 =

1 shift  $\rightarrow 2 * 2^1 = 4$

2 shift  $\rightarrow 2 * 2^2 = 8$

