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Ex6.1 Let note be a while house equience atily no with separal C-m, m] Var(x) = $\mathbb{E}(x^0) - \mathbb{E}(x^0)^2$ The farming = $\mathbb{E}[n(i-j)] = \mathbb{E}[n(i-j)] = \mathbb$	
a) $a \times n \times 1 = \sum_{j=1}^{n} n(i-j) \cdot a(j)$ Van(x) = $E(x^0) - E(x)^2$ E[$a \times n \times 1 = \sum_{j=1}^{n} E[n(i-j) \cdot a(j)] = \sum_{j=1}^{n} a(j) \cdot E[n(i-j)] = 0$ E[$a \times n \times 1 = \sum_{j=1}^{n} E[n(i-j) \cdot a(j)] = \sum_{j=1}^{n} a(j) \cdot a(j) \cdot a(j) \cdot a(j) \cdot a(j)$ E[$a \times n \times 1 = \sum_{j=1}^{n} a(j) \cdot a(j) \cdot$	Ex 6.1) Let n(1) be a while moise squence
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