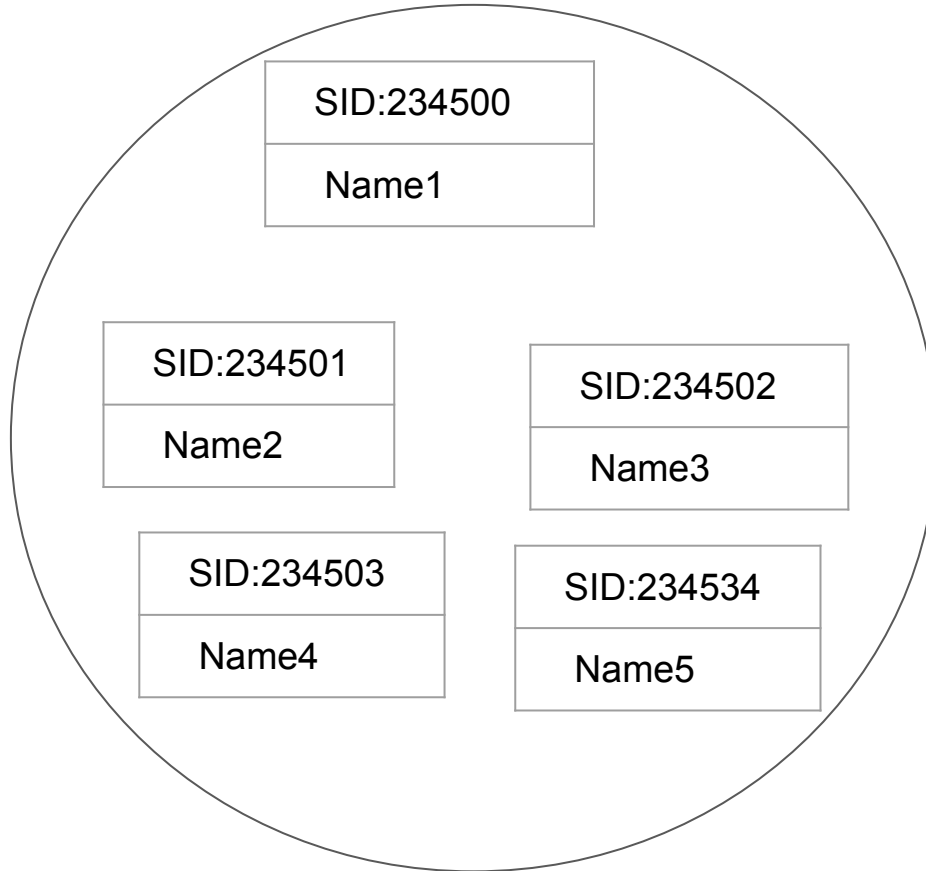


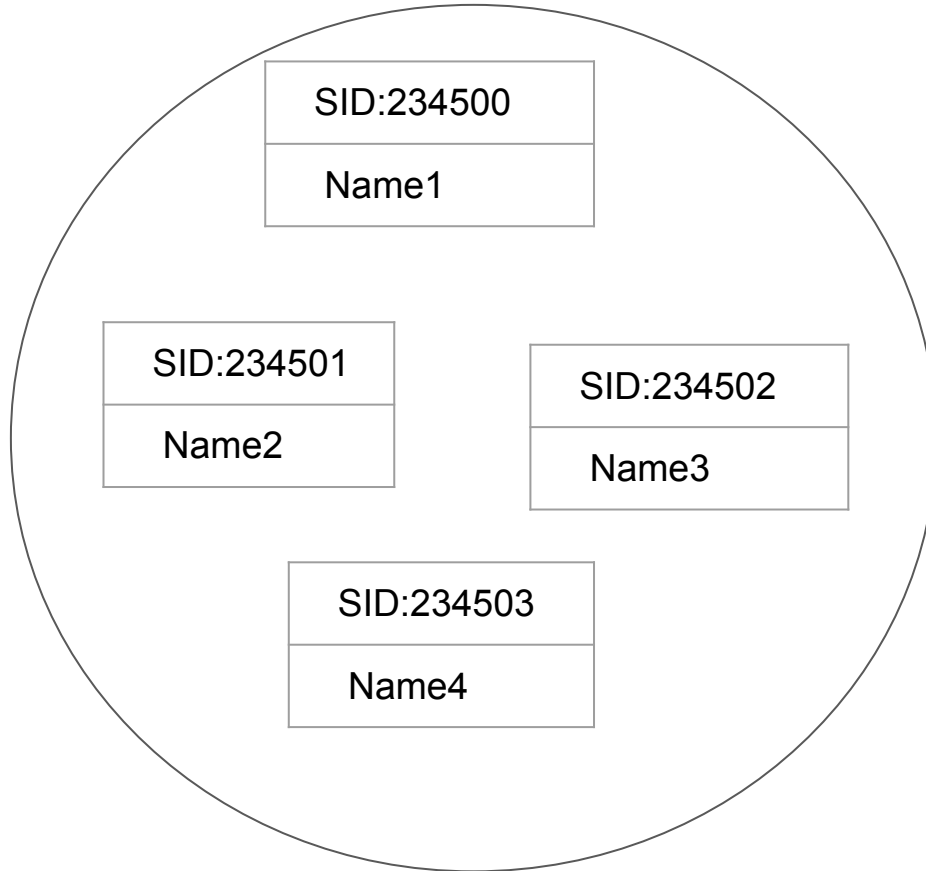
## Student Records - Student IDs



**Use Case:** Store the records in a such way that we can fetch records by IDs(which is the **key**).

How do you do it?

## Student Records - Student IDs



Array?

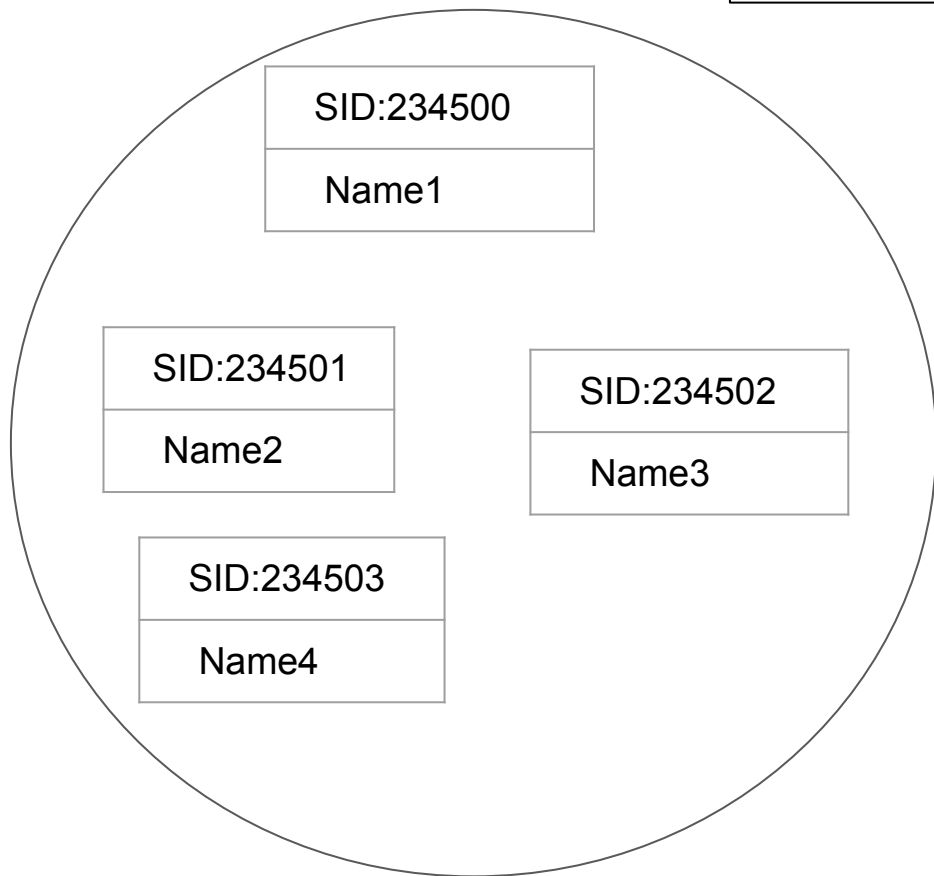
Using array, we access the elements by index.

Index	struct
0	key:234500 Data:Name1
1	key:234501 Data:Name2
2	key:234502 Data:Name2
3	key:234503 Data:Name3

## Student Records - Student IDs

## Using **Array**

To find a student's records, we have to iterate through the array and find the record for which the key matches.

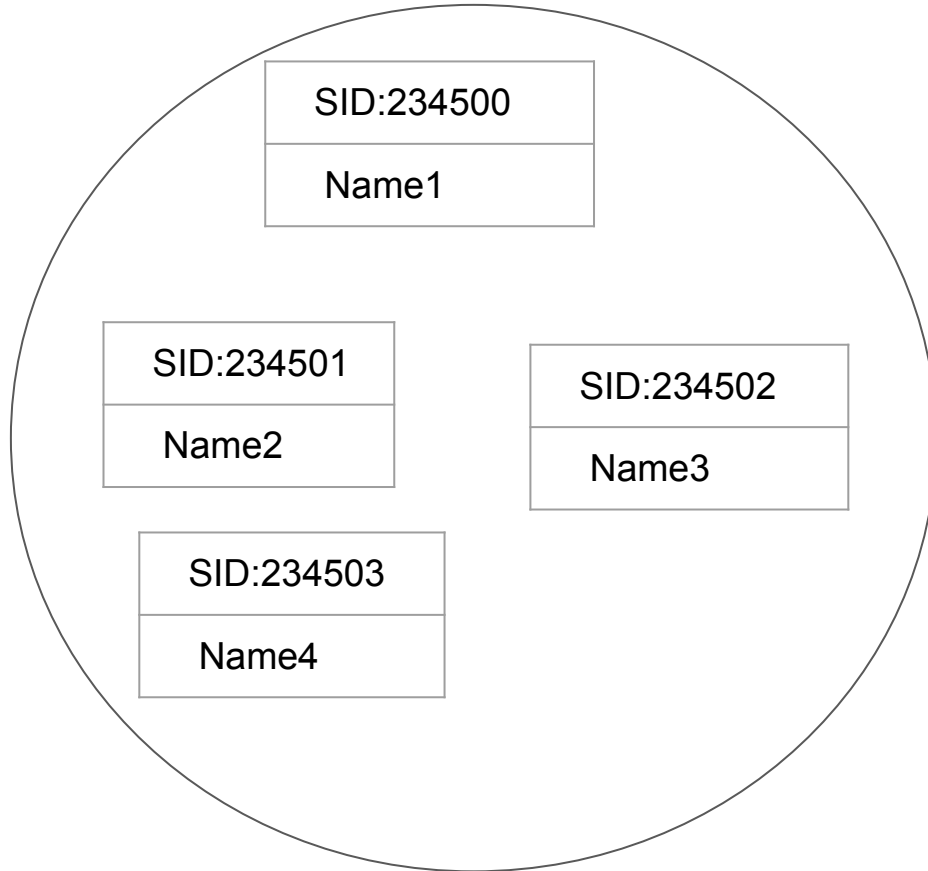


Index	struct
0	key:234500 Data:Name1
1	key:234501 Data:Name2
2	key:234502 Data:Name2
3	key:234503 Data:Name3

## Student Records - Student IDs

## Using **Array**

To find a student's records, we have to iterate through the array and find the record for which the key matches.

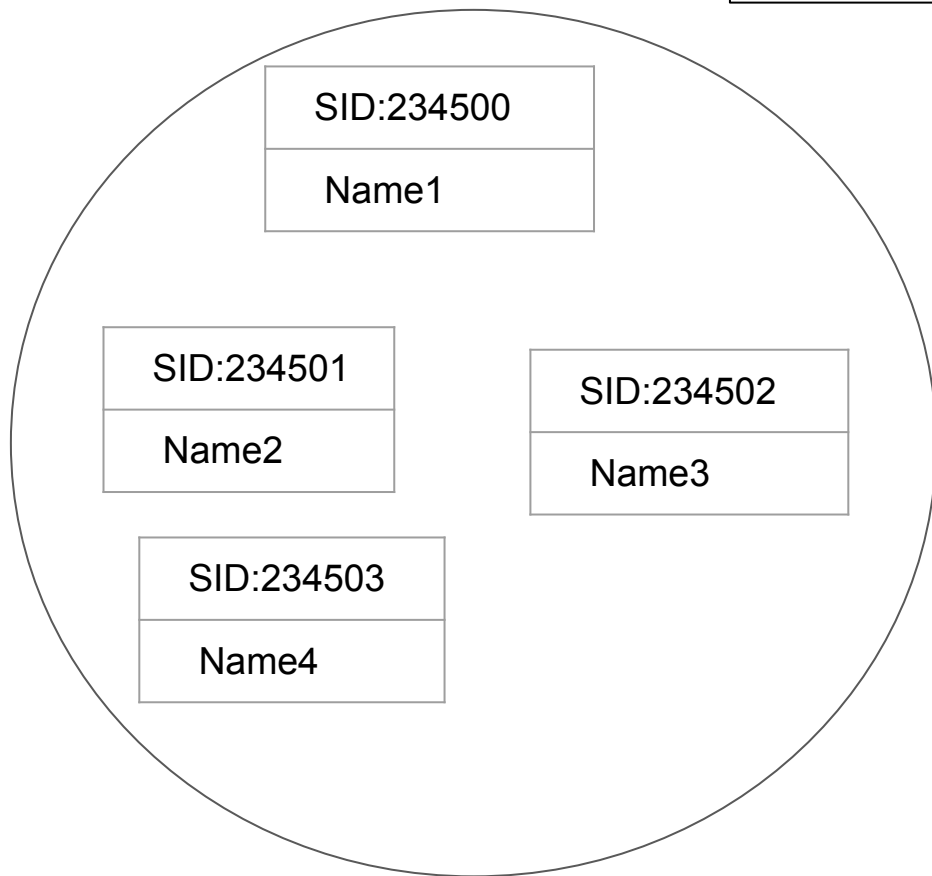


Index	struct
0	key:234500 Data:Name1
1	key:234501 Data:Name2
2	key:234502 Data:Name2
3	key:234503 Data:Name3

## Student Records - Student IDs

Using **Array**

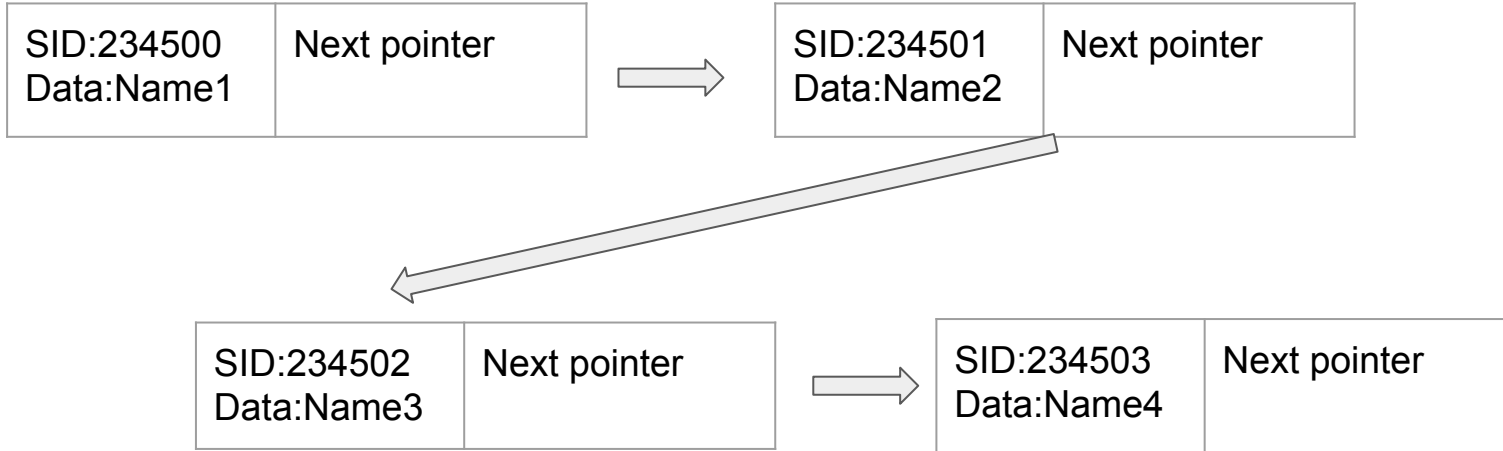
**Time taken** is proportional to  
**number of students(size of  
array)**



Index	struct
0	key:234500 Data:Name1
1	key:234501 Data:Name2
2	key:234502 Data:Name2
3	key:234503 Data:Name3

## Student Records - Student IDs

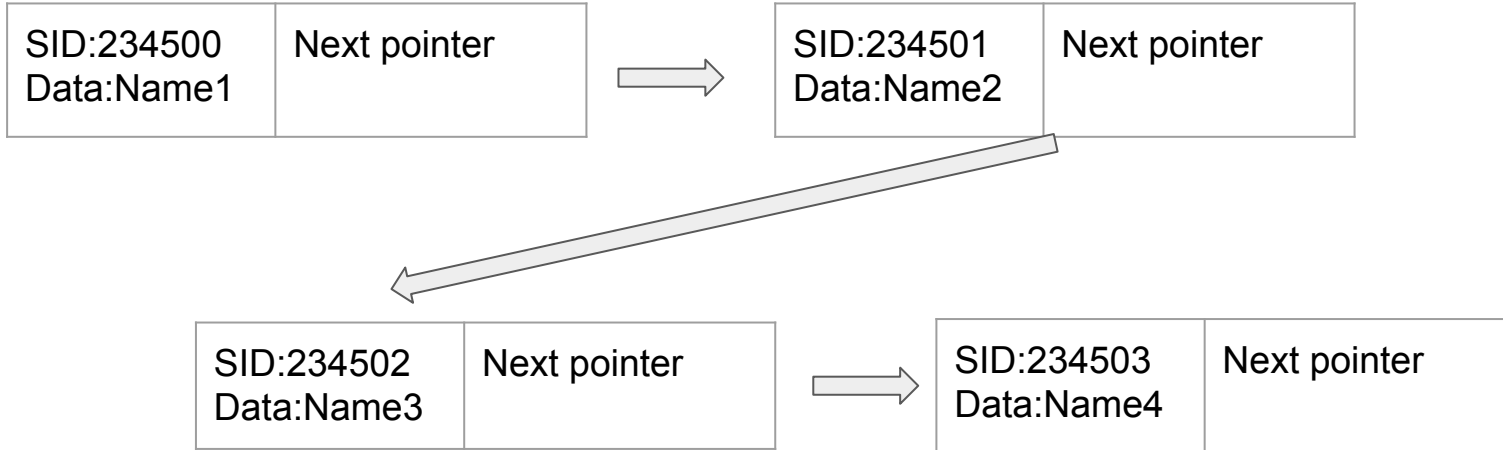
## Using **Linked List**



## Student Records - Student IDs

## Using Linked List

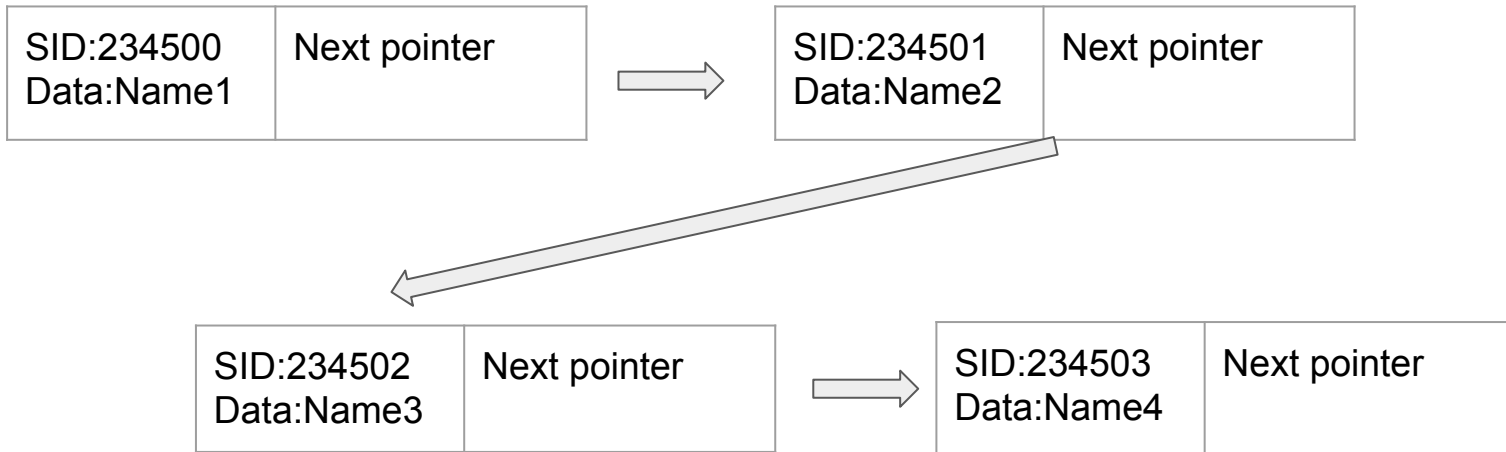
To find a student's records, we have to iterate through the linkedlist and find the record for which the key matches.



Student Records - Student IDs

Using **Linked List**

Time taken is still proportional to size of the number of students.

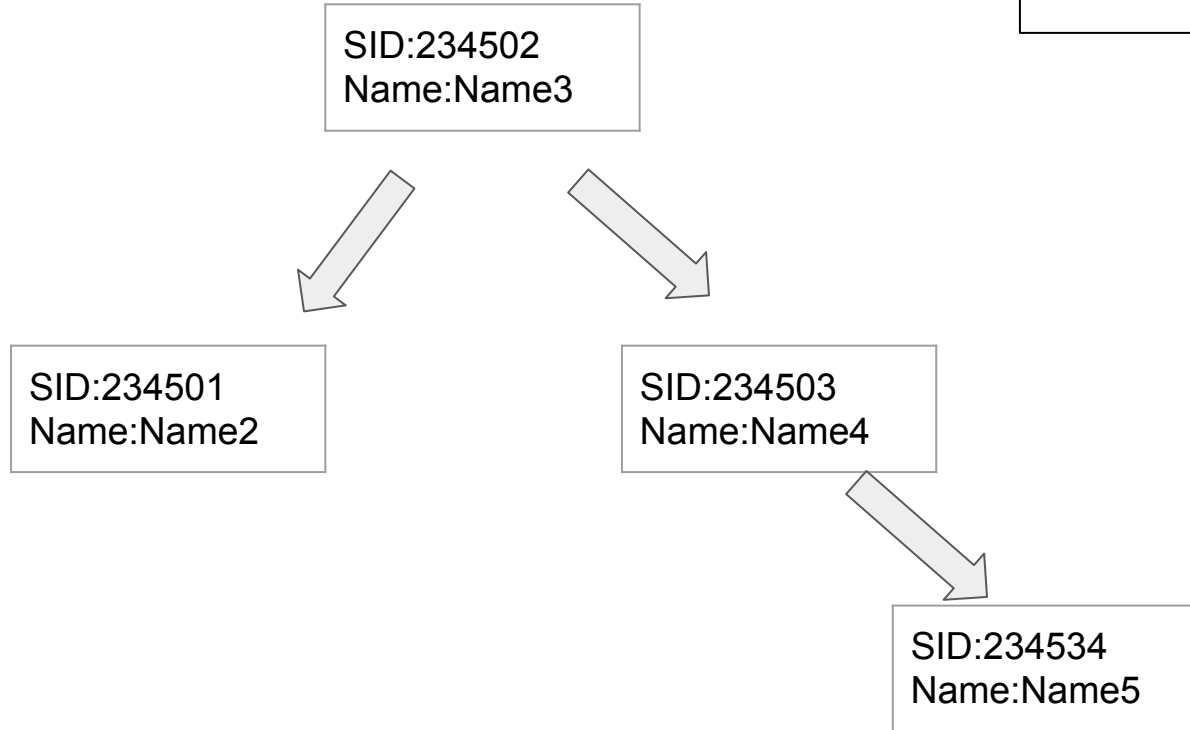




Student Records - Student IDs

Using **BST**

Time taken is proportional to the height of the tree which will be logarithmic.



What if I use the key as the index?

Lots of unused space.

We have just 4 records, and we end up having an array of size which is proportional to  $10^6$ . (Since there are 6 digits)



Index	Data
0	EMPTY
1	EMPTY
2	EMPTY



234500	Data:Name1
234501	Data:Name2
234502	Data:Name2
234503	Data:Name3

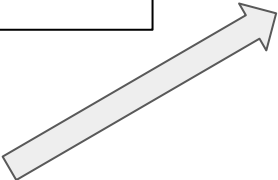
Key as the input

234500



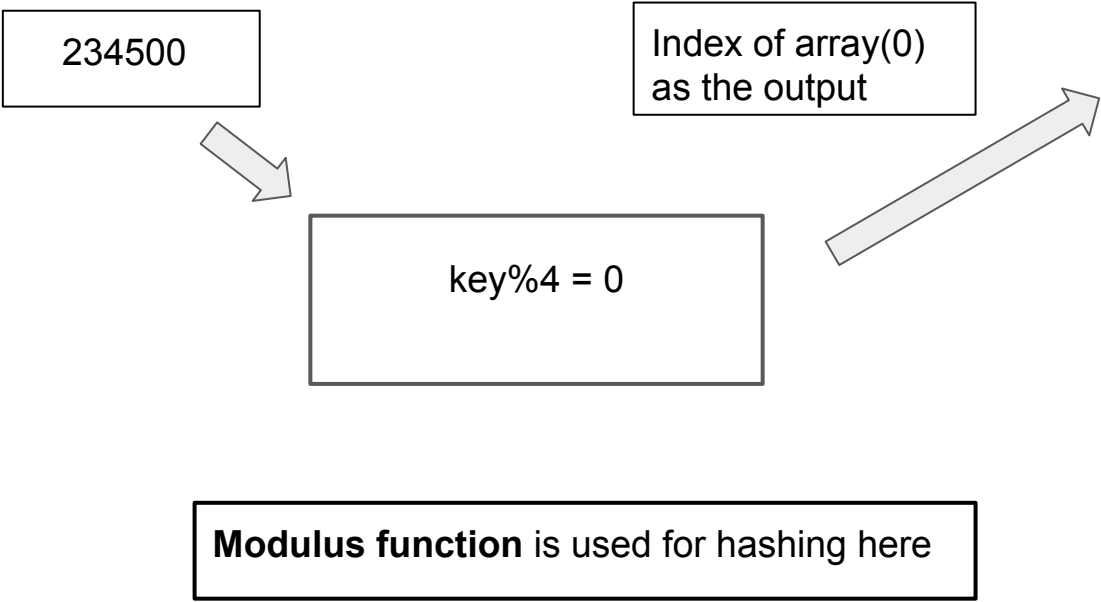
**Hash Function**  
h

Index of array as  
the output



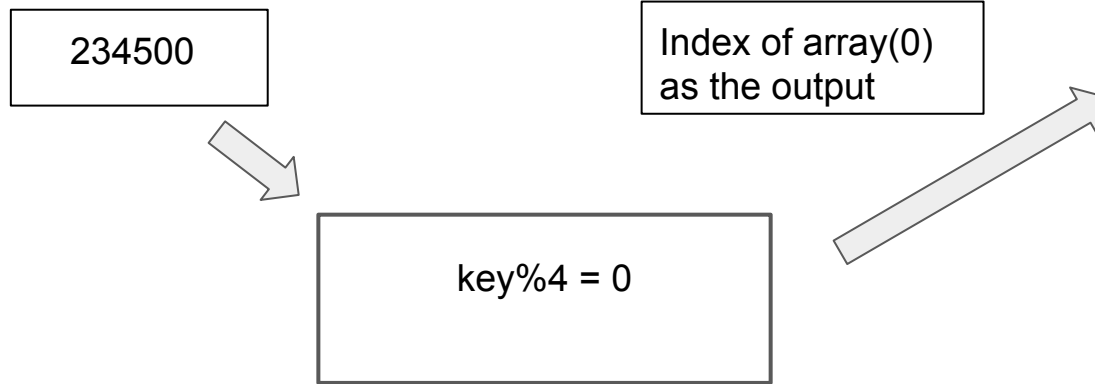
Index	SID and Data

Key as the input



Index	SID and Data
0	key:234500 Data:Name1

Key as the input



**This takes constant time to access or insert data using a key on average.**

Index	SID and Data
0	key:234500 Data:Name1

New key

234504

Index of array(0)  
as the output

$\text{key} \% 4 = 0$

Here we are inserting an element which returns the index 0. **But there was already an element for this index.** This is called as a **collision**.

Index	SID and Data
0	key:234500 Data:Name1

**Chaining-** We make each element of the array a linked list.  
Every element in the array points to the **head of a linked list**.

New key

234504

Index of array(0)  
as the output

$\text{key} \% 4 = 0$

**Resolving collisions.**

Table[index]  
This fetches the head  
of the linked list

Index	SID and Data
0	key:234504 Data:Name5 <b>nextPointer</b>

key:234500  
Data:Name1  
**nextPointer**

## **Trees:**

Solving problems in Trees using recursion

### **Types of traversals:**

Pre, Inorder, Postorder

When solving any problem using recursion, get the base case/edge cases right.

Visualise everything and see if your code will work on the test cases provided by doing a dry run on a piece of paper.

Go through all the recitations/assignments/quizzes(if accessible). Problems will be similar.



## **Binary Search Tree:**

- Insert, Search, Delete (get all the cases right) operations
- Make use of the BST property well when performing any operation.
- When updating the BST (insertion/deletion), the BST property has to remain intact.
- When you can't use the given function directly for recursion, make your helper function.
- Understand the time complexities for each of the operations.

## **Sample problems from piazza and practice midterm :**

1. In a Binary search tree, compute sum of all the nodes which has exactly one child (either left or right child but not both).
2. Given a Binary Search Tree, return the sum of values of all the nodes that fall within a range [min, max] inclusive.

## Graphs:

- Representation - using adjacency matrix and lists.
- Unweighted and weighted graphs.
- Directed and undirected graphs.
- Traversal/Search algorithms - Breadth First /Depth First.
- Implementation of BFT / DFT - Make sure you take care of marking visited flags, enqueueing and dequeuing nodes, updating distance.
- BFT- shortest path for unweighted graph from a source to destination.
- Finding connected components using BFT or DFT. (Understand and see how these traversal algorithms are used to solve the problem)
- Dijkstra's - for finding shortest path in a weighted graph
- Time complexity for the above algorithms

## Hash tables:

- Conceptual questions
- Have a thorough understand on how elements are inserted into the hash table. Practice the quiz problems well.
- Try out different hash functions, different collision resolution strategies(chaining/linear probing/double hashing etc) and see how they work.
- Understand the time complexities for various operations/ load factor and other concepts.

# Search in a hash table

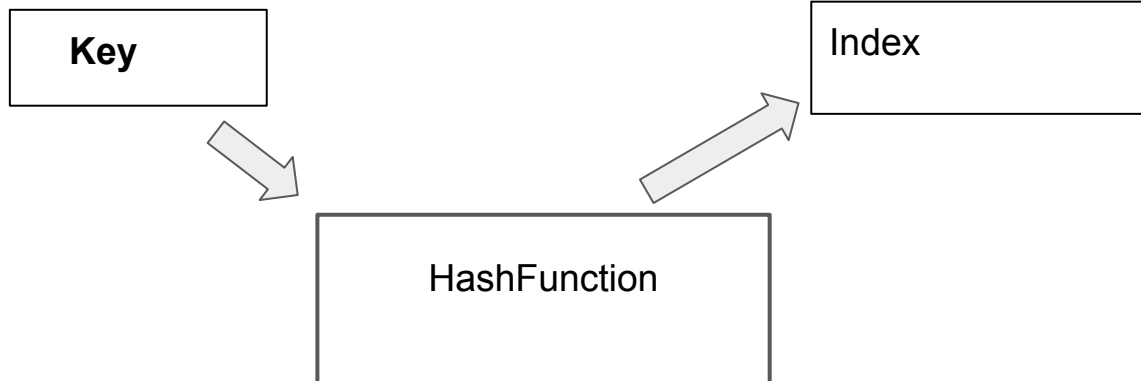
```
node* HashTable::searchItem(int key)  
{
```

```
    //1. Call the hash function to compute the index.
```

```
    //2. Retrieve the node in a temp variable.
```

```
    //3. Iterate through the linked list till you find the node and return it.
```

```
}
```



# Search in a hash table

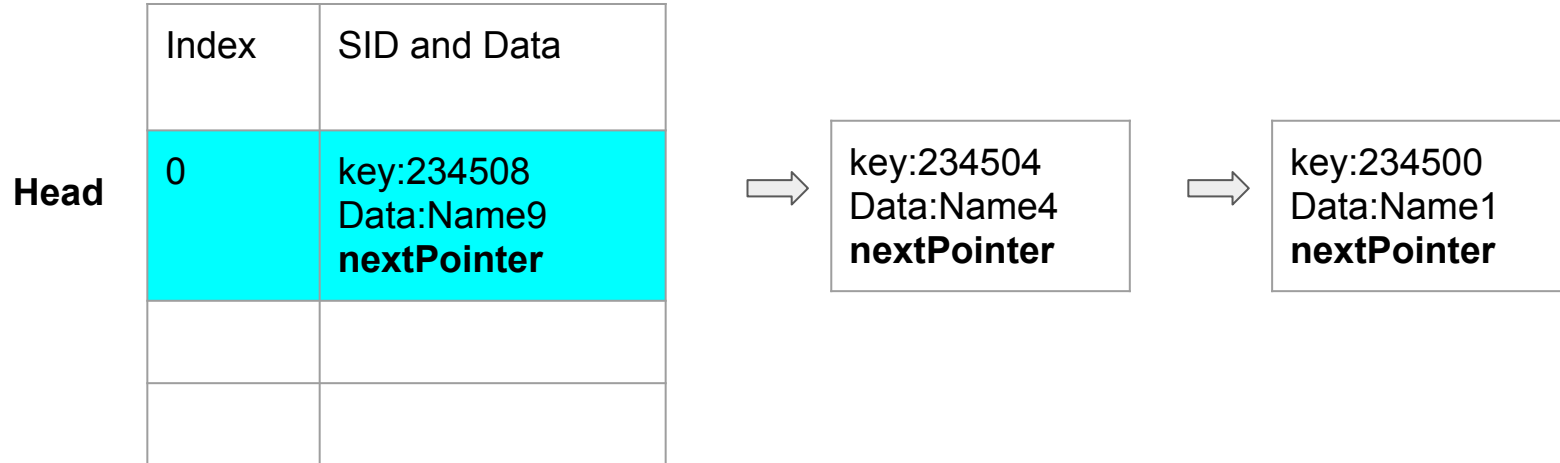
```
node* HashTable::searchItem(int key)
{
```

```
//1. Call the hash function to compute the index.
```

```
//2. Retrieve the node in a temp variable. (This is the head of the linked list)
```

```
//3. Iterate through the linked list till you find the node and return it.
```

```
}
```



# Search in a hash table

```
node* HashTable::searchItem(int key)
{
```

```
    //1. Call the hash function to compute the index.
```

```
    //2. Retrieve the node in a temp variable. (This is the head of the linked list)
```

```
    //3. Iterate through the linked list, till you find the node and return it.
```

```
}
```

**Head**

Index	SID and Data
0	key:234508 Data:Name9 <b>nextPointer</b>



key:234504  
Data:Name4  
**nextPointer**



key:234500  
Data:Name1  
**nextPointer**

This is the node of  
interest

# Insert in a hash table

```
node* HashTable::insertItem(int key)
{
    // 1. Search for the key.(Call search function).

    // 2. If key is found, then print duplicate.

    // 3. If key not found, create a node and then insert at head of linked list.

}
```