

Roll No: CS23S018  
Collaborators: None  
References/sources:

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### 1. Notations:

- $N$ : Number of input and output ports on the switch.  $N \times N$  switch.
- $B$ : The buffer size of the queue at each input port
- $p$ : The probability that a packet will arrive at a given port
- $q$ : The type of Queue supported by switch.
  - $NOQ$ : No buffers at the input or output.
  - $INQ$ : Buffers only at the input port.
  - $CIOQ$ : Buffers at input and output both.
- $K$ : The backplane is  $K$  times faster than line rate.
- $L$ : The number of packets to consider in  $CIOQ$ .
- $T$ : The max time for which the switch runs.

### 2. $NOQ$ :

- In  $NOQ$ , since there are no queues on the input or the output, no packets will be buffered in the switch.
- Performing probabilistic analysis for a buffer less switch, we obtain the following expression for *Mean Port Utilization* of the switch:

$$U = 1 - \left(1 - \frac{p}{N}\right)^N \quad (1)$$

- For equation 1, as  $N \rightarrow \infty$ , we obtain the following theoretical limits on *Mean Port Utilization*:
  - for  $p = 1$ , we obtain a 63% limit
  - for  $p = 0.8$ , we obtain a 55% limit
  - for  $p = 0.6$ , we obtain a 45% limit
  - for  $p = 0.4$ , we obtain a 32% limit
- Comparing this with Fig. 1 obtained from simulation, we can observe that as  $N$  increases, the *Mean Port Utilization* converges to the theoretically obtained values.

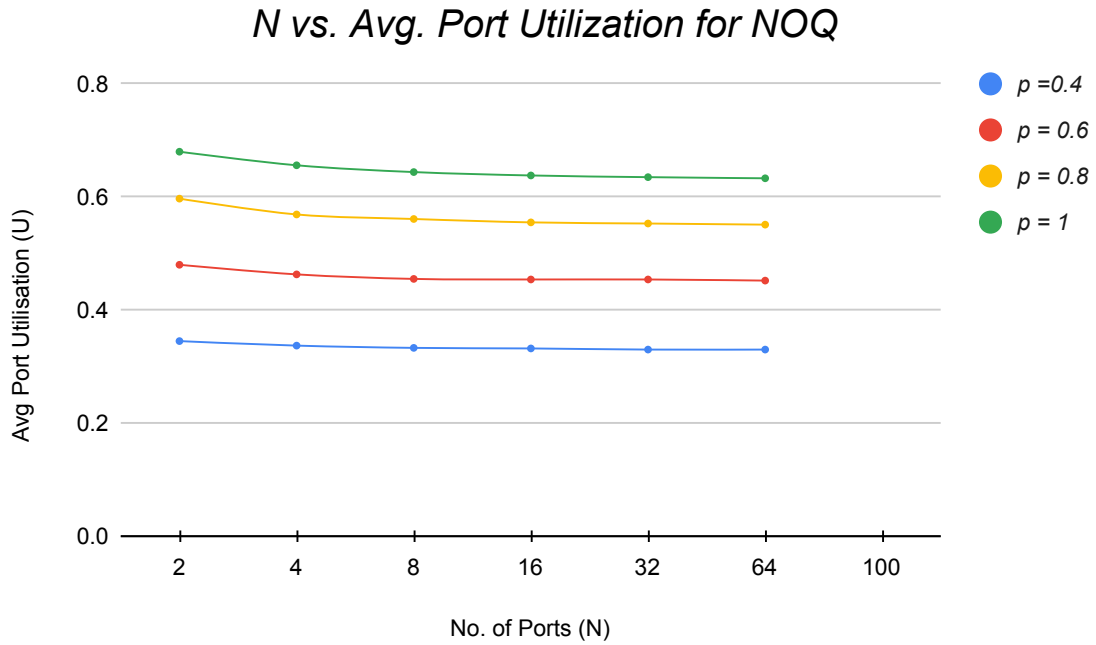


Figure 1: Mean Port Utilization for NOQ

- *Packet delay* is defined as "the difference between transmission completion time and the packet arrival time". Since it takes 1 slot for a packet to finish transmission, for NOQ, the packet delay for any packet is 1 slot. We can confirm this by observing Fig. 2. Also, since no packet is buffered, *mean packet delay* stays 1. In this case, changing the value of  $N$  or  $p$  does not have any effect on the *mean packet delay* as no packet is queued.

### 3. INQ:

- In *INQ*, there are queues on the input, thus packets will be buffered at input of the switch.
- The theoretical limit for Mean Port Utilization of an *INQ* switch is 58% as  $N \rightarrow \infty$ .
- Observing with figure 3 obtained from simulation, we can observe that as  $N$  increase, the *Mean Port Utilization* converges to the theoretical values.
- For smaller of values of  $p$ , the *Mean Port Utilization* is reduced since less packets are generated at the input.
- *Packet delay* is defined as "the difference between transmission completion time and the packet arrival time". Thus, for *INQ*, the packet delay for any packet is sum of *packet transmission time* (1 slot) and *wait time*. We observe in figure 4, for a particular  $N$ , as  $p$  increases, the *mean packet delay* increases. Since, more packets are generated at the input, there is higher contention and thus packets are queued at the input. Also, for a given value of  $p$ , as  $N$  increases, the *mean packet delay* increases as more packets may be generated for same output port.

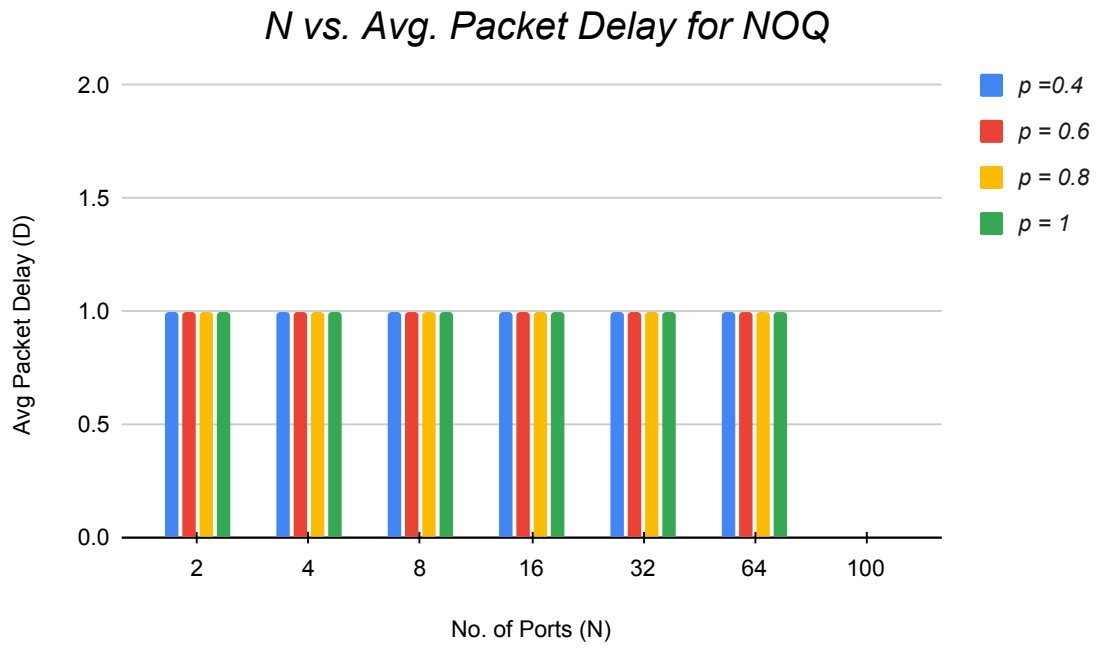


Figure 2: Mean Packet Delay for NOQ

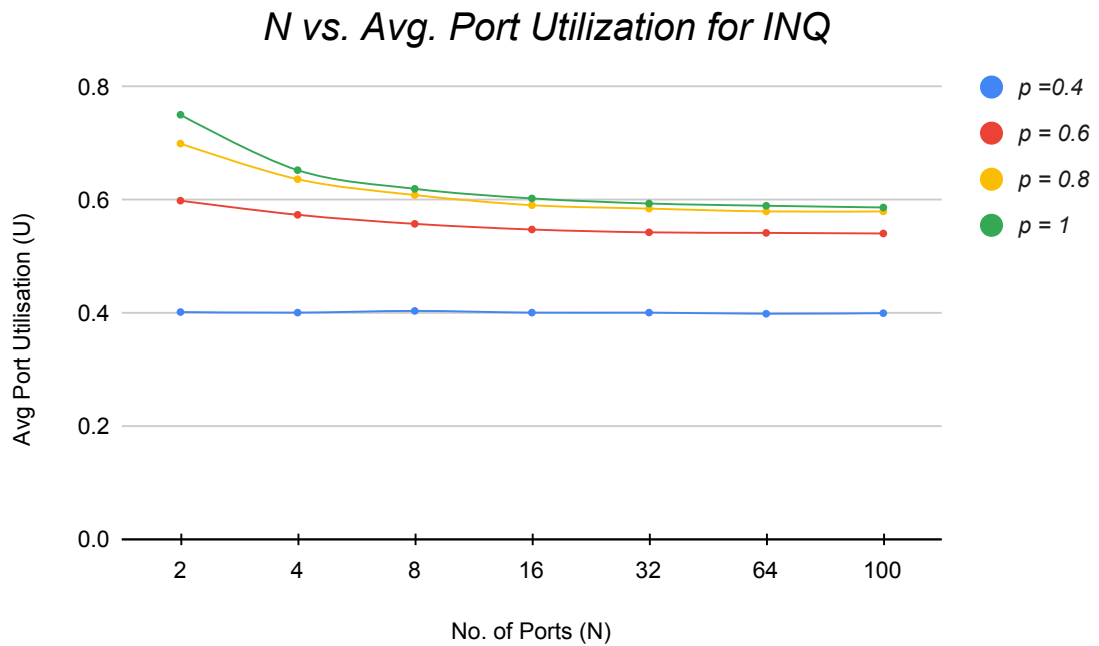


Figure 3: Mean Port Utilization for INQ

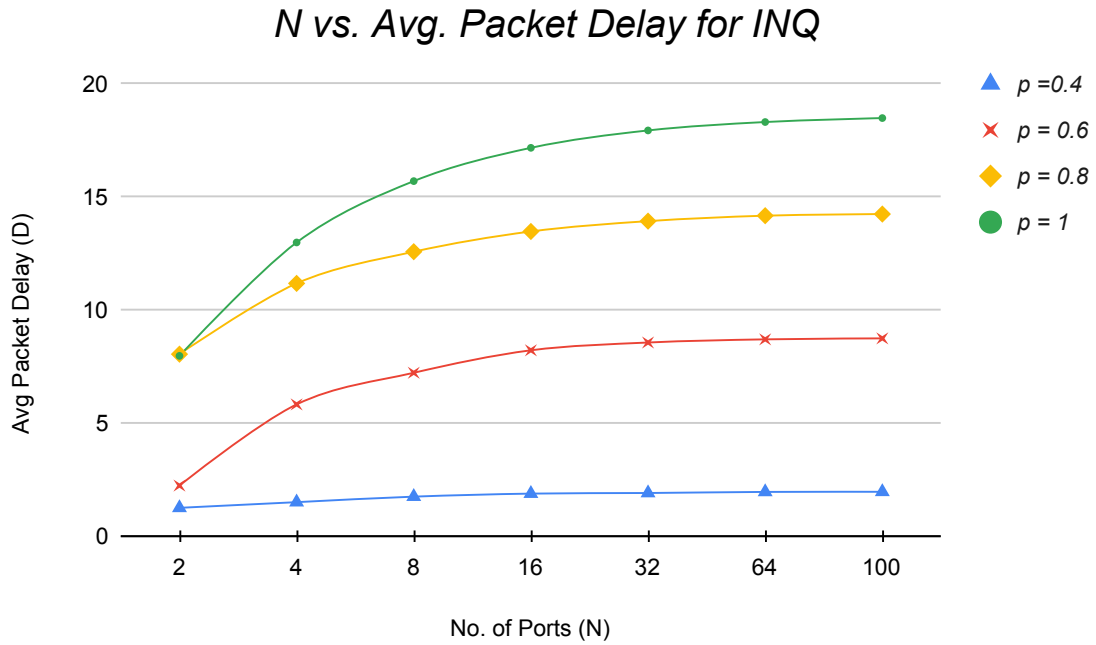


Figure 4: Mean Packet Delay for INQ

#### 4. CIOQ:

- In *CIOQ*, there are queues on the input as well as the output, thus packets will be buffered at input and output of the switch.
- The algorithm for scheduling in *CIOQ* switch is given in algorithm 1. The approximate time taken by the scheduling algorithm is  $O(N)$  i.e. Linear.  
The first for loop iterates over all input ports. If there are packets at the input queue, one packet from  $L$  HOL packets is chosen and put into a temporary queue. The chosen packet is then removed from the input queue.  
The second for loop iterates over all output ports. If there are packets in the temporary queue,  $K$  packets are chosen to be sent to the output port. All other packets are then dropped.
- Observing with figure 5 obtained from simulation, we can observe that as *Port Utilization* is above 98% across all combinations of  $K$  and  $L$ .
- For *CIOQ*, the packet delay for any packet is sum of *packet transmission time* (1 slot), *input wait time* and *output wait time*. We observe in figure 6, as  $p$  increases, the *Mean packet delay* increases.  $N$  has little to no effect on the packet delay.
- From the simulation, it is observed that the Mean Drop probability for the above scheduling algorithm is 0 across values of  $N \in 32, 64$  and  $p \in 0.4, 0.6, 0.8, 1$ . This is because, since  $N$  is large, the values of  $L$  and  $K$  are large as well. Thus almost no packets are dropped since queues remain

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**Algorithm 1** Scheduling algorithm for CIOQ

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**Require:**  $N, q, \text{curr\_slot}, L, K, B$

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1:  $\text{temp\_queues} \leftarrow \{0 : [], \dots, N : []\}$ 
2: for Every input port do
3:   if There are packets in the queue then
4:      $\text{pkt} \leftarrow$  Randomly chosen pkt from top  $L$  packets in the queue
5:      $\text{temp\_queues}[\text{pkt.outport}] \leftarrow \text{pkt}$ 
6:     Remove  $\text{pkt}$  from the  $\text{input\_queue}$ 
7:   end if
8: end for
9: for Every output port do
10:  if There is a packet in the temporary queue then
11:     $\text{packets} \leftarrow K$  random packets from the temporary queue
12:    if  $\text{length}(\text{output\_queue}) < B$  then
13:      Insert only  $B - \text{len}(\text{output\_queue})$  packets from the selected  $K$  packets
14:    end if
15:  end if
16: end for
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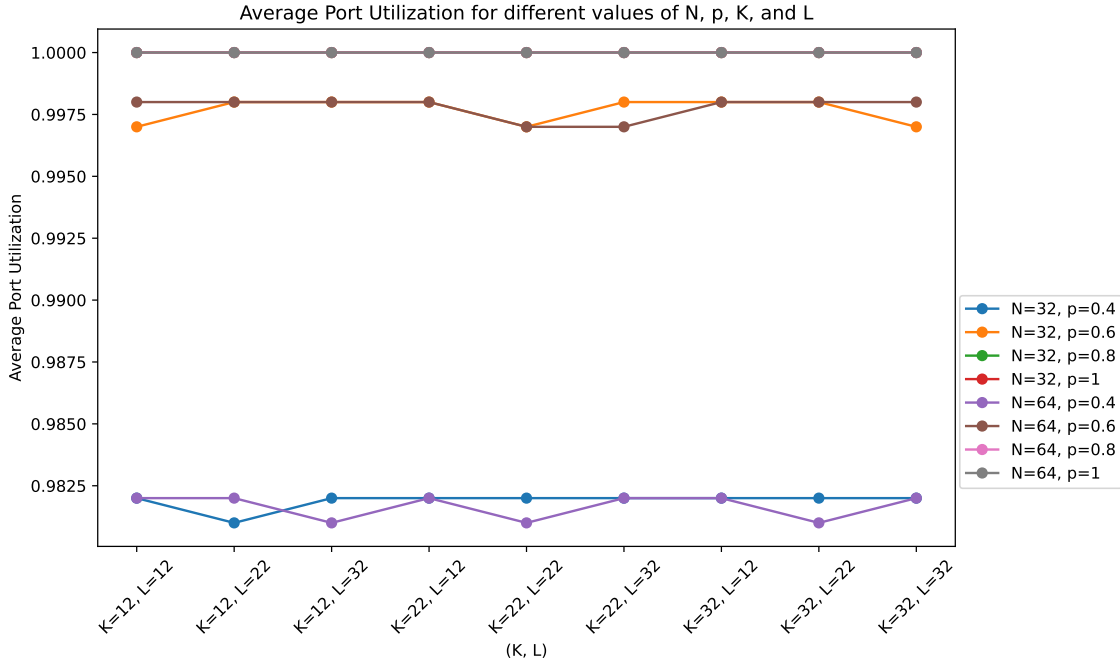


Figure 5: Mean Port Utilization for CIOQ for different combinations of  $K, L$

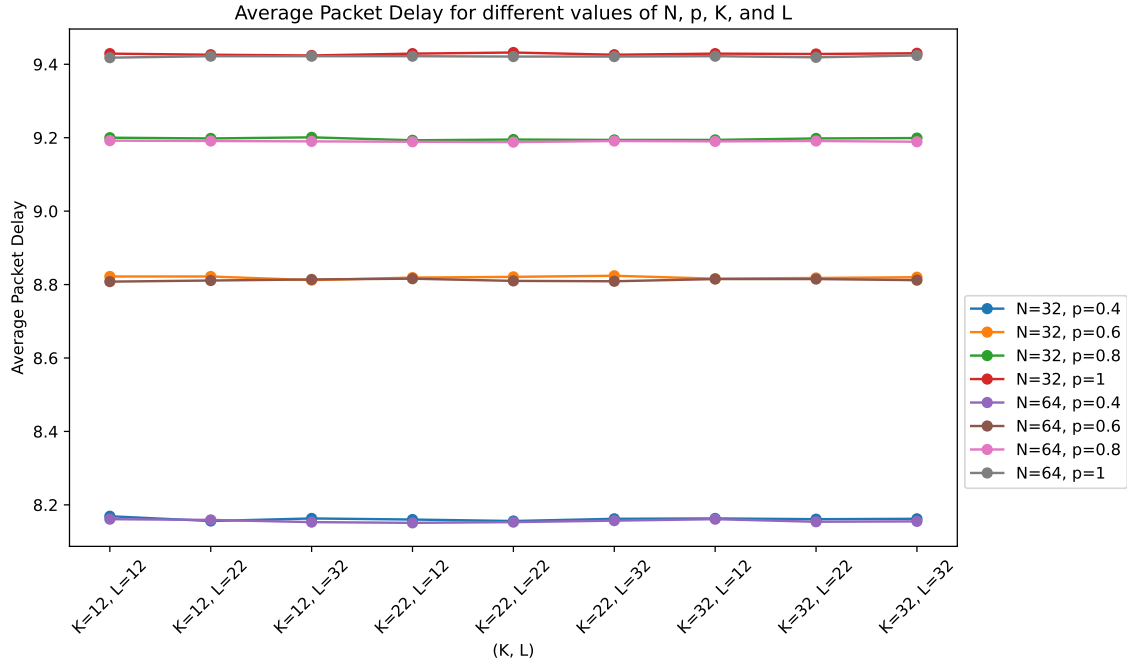


Figure 6: Mean Packet Delay for CIOQ for different combinations of K, L

empty most of the times.