# **Figures**

```
library(tidyverse)
library(smmr)
library(broom)
```

Figure 1: Packages

```
species weight
     RT
           920
     RT
           945
     СН
           330
     RT
           970
     RT
          1240
     RT
          1290
     СН
           470
     CH
           335
     RT
         1150
     RT
           960
     RT
         1130
     RT
           925
     RT
          1205
     RT
          1040
     CH
           335
     CH
           335
```

Figure 2: Hawks data file (some lines: the remaining lines are in the same format)

Figure 3: Dataframe hawk\_names. Note that this has a third species that might have been observed but was not.

mean in group CH mean in group RT

420.4857

```
t.test(weight ~ species, data = hawks)

Welch Two Sample t-test

data: weight by species
t = -32.215, df = 93.635, p-value < 2.2e-16
alternative hypothesis: true difference in means between group CH and group RT is not equal 95 percent confidence interval:
    -715.4837 -632.4050
sample estimates:</pre>
```

Figure 4: Hawks data test

1094.4301

```
# A tibble: 22 x 2
  expend stature
    <dbl> <fct>
    9.21 obese
2
    7.53 lean
3
    7.48 lean
    8.08 lean
5
    8.09 lean
   10.2 lean
7
    8.4
          lean
8
   10.9 lean
9
    6.13 lean
10
    7.9 lean
11
   11.5 obese
12
   12.8 obese
13
    7.05 lean
14
   11.8 obese
15
    9.97 obese
16
    7.48 lean
17
    8.79 obese
    9.69 obese
18
19
    9.68 obese
20
    7.58 lean
21
    9.19 obese
22
     8.11 lean
```

Figure 5: Energy usage data (all)

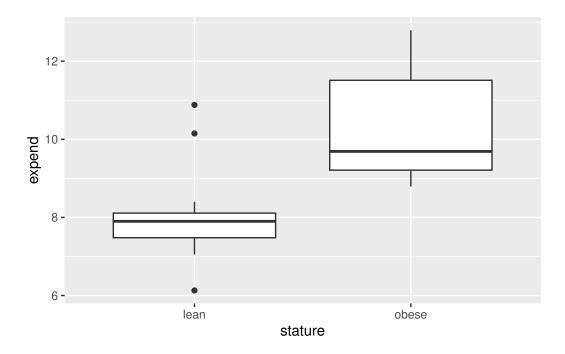


Figure 6: Energy usage graph

```
[1] 8.595
$table
       above
group
        above below
 lean
            2
                 11
            9
 obese
$test
      what
                   value
1 statistic 1.523077e+01
2
        df 1.000000e+00
3
  P-value 9.514059e-05
```

\$grand\_median

Figure 7: Energy usage test

#	A tibble:	20 x	4	
	Subject	Educ	${\tt Income2005}$	tr_income
	<int></int>	<chr>&gt;</chr>	<int></int>	<dbl></dbl>
1	2188	13-15	36000	13.8
2	1436	012	10000	10
3	5307	12	28000	12.9
4	1222	12	38000	14.0
5	2944	12	32000	13.4
6	2809	16+	15000	11.1
7	1778	13-15	8000	9.46
8	3036	12	52000	15.1
9	3023	12	30000	13.2
10	1148	012	31000	13.3
11	12016	16	150000	19.7
12	3949	13-15	39000	14.1
13	3850	12	32000	13.4
14	2057	13-15	9000	9.74
15	3609	13-15	39000	14.1
16	2333	13-15	85000	17.1
17	612	16	46136	14.7
18	3090	12	31600	13.3
19	4822	12	30775	13.2
20	2852	12	33000	13.5

Figure 8: Income and education data (20 randomly chosen rows)

#	A tibl	ole: 5	x 4	
	Educ n		${\tt income\_mean}$	income_sd
	<chr>&gt;</chr>	<int></int>	<dbl></dbl>	<dbl></dbl>
1	012	136	12.2	2.66
2	12	1020	13.2	2.55
3	13-15	648	13.8	2.84
4	16	406	15.3	3.30
5	16+	374	15.7	3.35

Figure 9: Summary data of transformed income for each education category

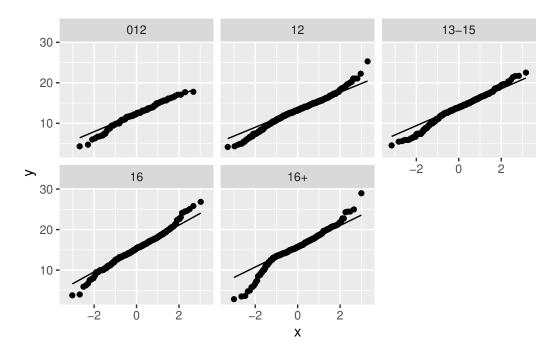


Figure 10: Plots of transformed income

```
Df Sum Sq Mean Sq F value Pr(>F)
                2902
                       725.4
                            87.44 <2e-16 ***
Educ
Residuals
          2579
               21395
                        8.3
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
 Tukey multiple comparisons of means
   95% family-wise confidence level
Fit: aov(formula = tr_income ~ Educ, data = incomes)
$Educ
             diff
                       lwr
                                upr
                                       p adj
12-012
        13-15-012 1.5528225  0.8112558 2.2943892 0.0000001
        3.0464410 2.2674789 3.8254031 0.0000000
16-012
         3.4879841 2.7007045 4.2752637 0.0000000
16+-012
13-15-12 0.5998126 0.2048468 0.9947785 0.0003375
        2.0934312 1.6320649 2.5547974 0.0000000
16-12
16+-12
        2.5349742 2.0596996 3.0102489 0.0000000
16+-13-15 1.9351616 1.4245963 2.4457269 0.0000000
16+-16
        0.4415431 -0.1219617 1.0050479 0.2039186
```

Figure 11: Income data, analysis 1

```
One-way analysis of means (not assuming equal variances)
data: tr_income and Educ
F = 77.507, num df = 4.00, denom df = 677.54, p-value < 2.2e-16
    Pairwise comparisons using Games-Howell test
data: tr_income by factor(Educ)
      012
                      13-15
      0.00111 -
12
13-15 4.9e-08 0.00013 -
     7.2e-13 3.9e-10 < 2e-16 -
      8.9e-13 3.6e-10 < 2e-16 0.34356
16+
P value adjustment method: none
alternative hypothesis: two.sided
                       Figure 12: Income data, analysis 2
# A tibble: 3 x 3
      a
            b
                  r
  <dbl> <dbl> <dbl>
     12
           14
1
2
                  2
     13
           15
3
     16
           17
                  3
```

Figure 13: A dataframe d1 and some code

d1 %>% pivot\_longer(a:b, names\_to = "trt", values\_to = "yield")

```
# A tibble: 2 x 4
    x_1
          x_2
                 y_1
                       y_2
  <dbl> <dbl> <dbl> <dbl>
1
     21
           22
                  11
                        12
2
     23
           24
                  13
                         14
```

Figure 14: Dataframe d2

Figure 15: Dataframe d3

```
# A tibble: 6 x 3
  rep
        g
                   Х
  <chr> <chr> <dbl>
1 r1
        trt1
                  10
2 r2
        trt1
                  11
3 r3
        trt1
                  12
4 r1
        trt2
                  13
5 r2
        trt2
                  14
6 r3
        trt2
                  15
```

Figure 16: Dataframe d4

Figure 17: Dataframe d5

Figure 18: Dataframe d6 and some code using d6

```
# A tibble: 14 x 2
   body_weight
                  mcr
         <int> <int>
 1
                  235
            110
 2
            110
                  198
 3
            110
                  173
 4
            230
                  174
5
            230
                  149
 6
            230
                  124
7
            360
                  115
8
            360
                  130
9
            360
                  102
10
            360
                   95
11
            505
                  122
12
            505
                  112
13
            505
                   98
14
            505
                   96
```

Figure 19: Cattle growth data

# $ggplot(growth, aes(x = body_weight, y = mcr)) + geom_point()$

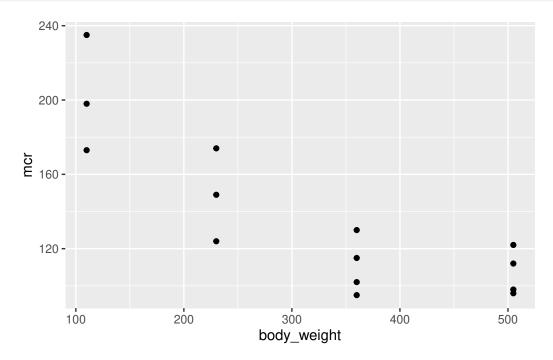


Figure 20: Cattle growth scatterplot

```
growth.1 <- lm(mcr ~ body_weight, data = growth)</pre>
summary(growth.1)
Call:
lm(formula = mcr ~ body_weight, data = growth)
Residuals:
            1Q Median
   Min
                           3Q
                                   Max
-34.553 -13.595 2.138 14.381 48.185
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept) 212.72093 15.78406 13.48 1.31e-08 ***
                        0.04486 -5.25 0.000204 ***
body_weight -0.23551
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 24.56 on 12 degrees of freedom
Multiple R-squared: 0.6967,
                               Adjusted R-squared: 0.6714
F-statistic: 27.57 on 1 and 12 DF, p-value: 0.0002043
```

Figure 21: Cattle growth regression analysis 1

# $ggplot(growth.1, aes(x = .fitted, y = .resid)) + geom_point()$

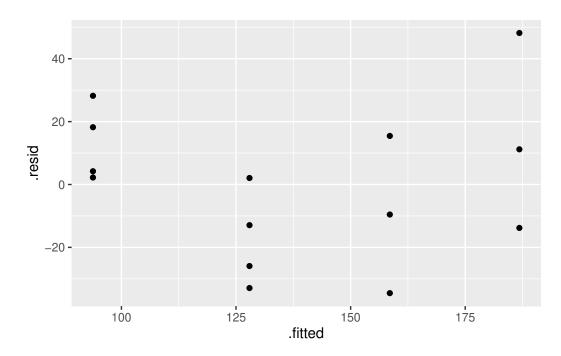


Figure 22: Cattle growth regression plot 1

```
growth.2 <- lm(mcr ~ body_weight + I(body_weight^2), data = growth)</pre>
summary(growth.2)
Call:
lm(formula = mcr ~ body_weight + I(body_weight^2), data = growth)
Residuals:
  Min
          1Q Median
                        3Q
                              Max
-29.89 -10.42 -1.22 13.00 32.12
Coefficients:
                  Estimate Std. Error t value Pr(>|t|)
                 2.753e+02 2.671e+01 10.305 5.47e-07 ***
(Intercept)
body_weight
                -7.481e-01 1.954e-01 -3.828
                                                0.0028 **
I(body_weight^2) 8.197e-04 3.070e-04 2.670 0.0218 *
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 19.99 on 11 degrees of freedom
Multiple R-squared: 0.816, Adjusted R-squared: 0.7825
F-statistic: 24.39 on 2 and 11 DF, p-value: 9.051e-05
```

Figure 23: Cattle growth regression analysis

treatment	body	$gut\_length$	$mouthpart\_damage$
Bd	20.28	191.40	0.679
Bd	19.75	142.92	0.607
Bd	19.28	169.81	0.750
Bd	17.81	152.18	0.821
Bd	20.79	171.33	0.696
Bd	16.99	153.92	0.571
Bd	18.12	181.08	0.571
Bd	16.95	124.90	0.571
Bd	19.45	173.06	0.679
Bd	19.44	207.01	0.786
Bd	18.32	143.77	0.750
Bd	20.27	220.35	0.714
Bd	18.71	130.00	0.714
Bd	19.05	195.13	0.714
Control	19.46	177.92	0.421
Control	22.62	181.58	0.546
Control	19.42	154.29	0.414
Control	19.55	217.67	0.714
Control	19.69	185.88	0.643
Control	22.40	249.29	0.714
Control	20.78	196.90	0.714
Control	18.78	202.16	0.693
Control	22.48	210.86	0.554
Control	23.18	215.60	0.857
Control	18.59	174.16	0.607
Control	25.92	222.83	0.643
Control	20.38	228.74	0.643

Figure 24: Tadpole data

Figure 25: Tadpole regression

	Df	Sum of Sq	RSS	AIC	F value	Pr(>F)
	NA	NA	11829.09	172.2270	NA	NA
body	1	2830.183	14659.28	176.0188	5.502892	0.0279750
$mouthpart\_damage$	1	2295.347	14124.44	175.0153	4.462978	0.0457019
treatment	1	2658.389	14487.48	175.7005	5.168863	0.0326488

Figure 26: Tadpole drop1 output

## summary(tadpoles.1)

#### Call:

lm(formula = gut\_length ~ body + mouthpart\_damage + treatment,
 data = tadpoles)

#### Residuals:

Min 1Q Median 3Q Max -39.422 -17.701 -6.771 16.338 40.877

## Coefficients:

	Estimate Std	. Error	t value	Pr(> t )	
(Intercept)	-20.258	53.070	-0.382	0.7062	
body	6.442	2.746	2.346	0.0280	*
mouthpart_damage	96.839	45.839	2.113	0.0457	*
treatmentControl	25.412	11.177	2.274	0.0326	*
Signif. codes: (	0.001	'**' O.	01 '*' (	0.05 '.' 0	.1 ' ' 1

Residual standard error: 22.68 on 23 degrees of freedom Multiple R-squared: 0.5502, Adjusted R-squared: 0.4915 F-statistic: 9.378 on 3 and 23 DF, p-value: 0.0003092

Figure 27: Tadpole summary output

# $ggplot(tadpoles.1, aes(x = .fitted, y = .resid)) + geom_point()$

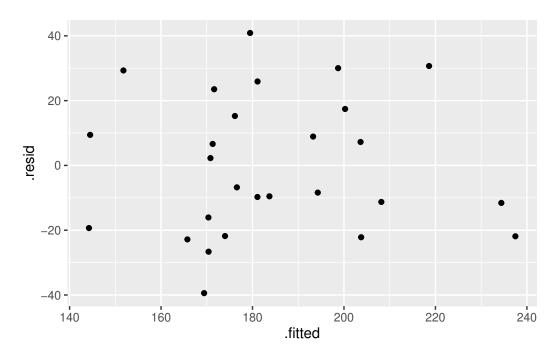


Figure 28: Tadpoles plot 1

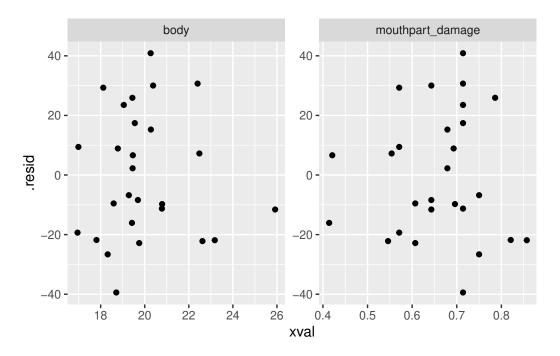


Figure 29: Tadpoles plot 2

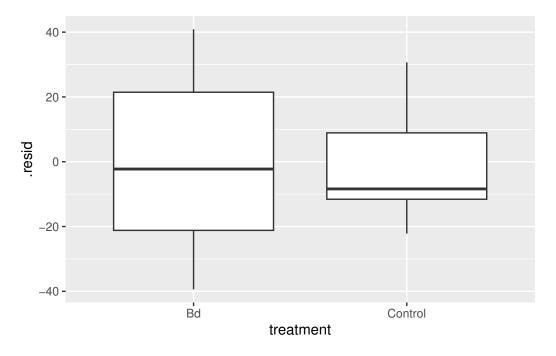


Figure 30: Tadpoles plot 3