

# The scaffold data revisited

February 18, 2011

Remember how I carefully changed my lecture notes to replace `means` by `lsmeans` in `proc glm`? Well, I shouldn't have done, because you don't have the `lines` option on SAS 9.1 (the version that's in Mathlab), and without `lines`, it doesn't do much good. So here's how things were before, which is the way you can make this assignment work.

Let's go back to the jumping rats first. The data looked like this:

```
Control 1 611
Control 1 621
Control 1 614
Control 1 593
Control 1 593
Control 1 653
Control 1 600
Control 1 554
Control 1 603
Control 1 569
Lowjump 2 635
Lowjump 2 605
Lowjump 2 638
Lowjump 2 594
Lowjump 2 599
Lowjump 2 632
Lowjump 2 631
Lowjump 2 588
Lowjump 2 607
Lowjump 2 596
Highjump 3 650
Highjump 3 622
Highjump 3 626
Highjump 3 626
Highjump 3 631
Highjump 3 622
Highjump 3 643
Highjump 3 674
```

```
Highjump 3 643
Highjump 3 650
```

with the variables being the amount of jumping done by each rat, a numeric version of the group name, and a measure of bone density, all separated by tabs. Thus:

```
data jumping;
infile "jumping.dat" delimiter='09'x;
input group $ g density;
```

will read this in, and the following does Tukey and Bonferroni multiple comparisons.

```
proc glm;
class group;
model density=group;
means group / tukey lines;
means group / bon lines;
```

There's no problem with `lines` here, and the output is as shown below. This should be the same for you. Notice that `lsmeans` has changed to `means`, and there's no `adjust=` in there any more.

#### The GLM Procedure

Class Level Information		
Class	Levels	Values
group	3	Control Highjump Lowjump

Number of Observations Read	30
Number of Observations Used	30

#### The GLM Procedure

Dependent Variable: density

Source	DF	Sum of Squares	Mean Square	F Value	Pr > F
Model	2	7433.86667	3716.93333	7.98	0.0019
Error	27	12579.50000	465.90741		
Corrected Total	29	20013.36667			

R-Square	Coeff Var	Root MSE	density Mean
0.371445	3.495906	21.58489	617.4333

Source	DF	Type I SS	Mean Square	F Value	Pr > F
group	2	7433.86667	3716.93333	7.98	0.0019

Source	DF	Type III SS	Mean Square	F Value	Pr > F
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group	2	7433.866667	3716.933333	7.98	0.0019
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The GLM Procedure

Tukey's Studentized Range (HSD) Test for density

NOTE: This test controls the Type I experimentwise error rate, but it generally has a higher II error rate than REGWQ.

Alpha	0.05
Error Degrees of Freedom	27
Error Mean Square	465.9074
Critical Value of Studentized Range	3.50643
Minimum Significant Difference	23.934

Means with the same letter are not significantly different.

Tukey  
Grouping

	Mean	N	group
A	638.700	10	Highjump
B	612.500	10	Lowjump
B			
B	601.100	10	Control

The GLM Procedure

Bonferroni (Dunn) t Tests for density

NOTE: This test controls the Type I experimentwise error rate, but it generally has a higher II error rate than REGWQ.

Alpha	0.05
Error Degrees of Freedom	27
Error Mean Square	465.9074
Critical Value of t	2.55246
Minimum Significant Difference	24.639

Means with the same letter are not significantly different.

Bonferroni  
Grouping

	Mean	N	group
A	638.700	10	Highjump
B	612.500	10	Lowjump
B			
B	601.100	10	Control

Now, the problem comes when you have a significant interaction, and you

want to do Tukey for that. There seems to be no good alternative than to define all the treatment combinations using `cat` (just like we did to get the survival plot) and then doing an analysis on *that*. This is after we've found that the interaction is significant:

```
data scaffold;
infile "scaffold.dat";
input material $ weeks gpi;
mw=cat(material,"-",weeks);

proc glm;
class mw;
model gpi=mw;
means mw / tukey lines;
```

The logic here is that we create a new variable (here `mw`) that contains all the material-weeks combinations, and then we run a *one-way* analysis of variance predicting `gpi` from that. If you check, the appropriate sums of squares from the output below match the ones in the output you saw before (model SS and error SS).

Here's the output:

#### The GLM Procedure

			Class Level Information						
Class	Levels	Values							
mw	18	ecm1	-2 ecm1	-4 ecm1	-8 ecm2	-2 ecm2	-4 ecm2	-8 ecm3	
		ecm3	-4 ecm3	-8 mat1	-2 mat1	-4 mat1	-8 mat2	-2 mat2	
		mat2	-8 mat3	-2 mat3	-4 mat3	-8			
Number of Observations Read			54						
Number of Observations Used			54						

#### The GLM Procedure

Dependent Variable: `gpi`

Source	DF	Sum of Squares	Mean Square	F Value	Pr > F
Model	17	37609.25926	2212.30937	86.88	<.0001
Error	36	916.66667	25.46296		
Corrected Total	53	38525.92593			
R-Square	Coeff Var	Root MSE	gpi Mean		
0.976206	11.74520	5.046084	42.96296		
Source	DF	Type I SS	Mean Square	F Value	Pr > F
mw	17	37609.25926	2212.30937	86.88	<.0001

Source	DF	Type III SS	Mean Square	F Value	Pr > F
mw	17	37609.25926	2212.30937	86.88	<.0001

The GLM Procedure

Tukey's Studentized Range (HSD) Test for gpi

NOTE: This test controls the Type I experimentwise error rate, but it generally has a higher II error rate than REGWQ.

Alpha	0.05
Error Degrees of Freedom	36
Error Mean Square	25.46296
Critical Value of Studentized Range	5.30380
Minimum Significant Difference	15.452

Means with the same letter are not significantly different.

Tukey		Mean	N	mw		
Grouping						
A		73.333	3	ecm3	-8	
A						
A		73.333	3	ecm3	-4	
A						
A		71.667	3	ecm3	-2	
A						
A		70.000	3	ecm1	-2	
A						
A		65.000	3	ecm1	-4	
A						
A		65.000	3	ecm2	-2	
A						
B	A	63.333	3	ecm1	-8	
B	A					
B	A	63.333	3	ecm2	-8	
B	A					
B	A	63.333	3	ecm2	-4	
B						
B		48.333	3	mat1	-2	
	C	26.667	3	mat3	-2	
	C					
D	C	23.333	3	mat1	-4	
D	C					
D	C	E	21.667	3	mat1	-8
D	C	E				
D	C	E	11.667	3	mat3	-4
D		E				
D		E	10.000	3	mat2	-2

D	E				
D	E	10.000	3	mat3	-8
	E				
	E	6.667	3	mat2	-8
	E				
	E	6.667	3	mat2	-4

The last line of the code above gets the means for all the material-weeks combinations, and does Tukey on them. Since `mw` is not itself an interaction (as far as SAS is concerned), SAS can do it OK.

The last part of this example used only the ECM materials. That goes like this:

```
data scaffold;
infile "scaffold2.dat";
input material $ weeks gpi;

proc glm;
class material weeks;
model gpi=weeks material;
means material weeks / tukey lines;

run;
```

and produces the same output as we had before:

The GLM Procedure

Class Level Information			
Class	Levels	Values	
material	3	ecm1	ecm2 ecm3
weeks	3	2	4 8

Number of Observations Read	27
Number of Observations Used	27

The GLM Procedure

Dependent Variable: gpi

Source	DF	Sum of Squares	Mean Square	F Value	Pr > F
Model	4	409.259259	102.314815	3.17	0.0335
Error	22	709.259259	32.239057		
Corrected Total	26	1118.518519			

R-Square	Coeff Var	Root MSE	gpi Mean
0.365894	8.400247	5.677945	67.59259

Source	DF	Type I SS	Mean Square	F Value	Pr > F
weeks	2	24.0740741	12.0370370	0.37	0.6927
material	2	385.1851852	192.5925926	5.97	0.0085

  

Source	DF	Type III SS	Mean Square	F Value	Pr > F
weeks	2	24.0740741	12.0370370	0.37	0.6927
material	2	385.1851852	192.5925926	5.97	0.0085

The GLM Procedure

Tukey's Studentized Range (HSD) Test for gpi

NOTE: This test controls the Type I experimentwise error rate, but it generally has a higher II error rate than REGWQ.

Alpha	0.05
Error Degrees of Freedom	22
Error Mean Square	32.23906
Critical Value of Studentized Range	3.55259
Minimum Significant Difference	6.7238

Means with the same letter are not significantly different.

Tukey  
Grouping

	Mean	N	material
A	72.778	9	ecm3
A			
B A	66.111	9	ecm1
B			
B	63.889	9	ecm2

The GLM Procedure

Tukey's Studentized Range (HSD) Test for gpi

NOTE: This test controls the Type I experimentwise error rate, but it generally has a higher II error rate than REGWQ.

Alpha	0.05
Error Degrees of Freedom	22
Error Mean Square	32.23906
Critical Value of Studentized Range	3.55259
Minimum Significant Difference	6.7238

Means with the same letter are not significantly different.

Tukey  
Grouping

Mean	N	weeks
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A	68.889	9	2
A			
A	67.222	9	4
A			
A	66.667	9	8