

A decorative graphic on the left side of the slide, consisting of a network of light blue lines and small circles, resembling a circuit board or a neural network, extending from the top to the bottom.

FINDING A MODEL FOR SIMULATING THERMOPHORESIS

COMPUTATIONAL PHYSICS FINAL PROJECT

SHAHRZAD ZARE

THE MAIN QUESTION

What will happen if we put a macro particle in a pool of micro particles which are located between two walls with different temperatures?

THE COORDINATES, SPACE AND BOUNDARY CONDITION

- 2D box
- Periodic Condition
- Some regions along the horizontal axis

THE MICRO PARTICLES

- They do not have radius (The probability of collision between them is zero).
- Number of micro particles

A MODEL FOR INTERACTION BETWEEN MICRO PARTICLES IN ORDER TO GENERATE TEMPERATURE GRADIENT

- They do not see each other (There is no interaction between them).

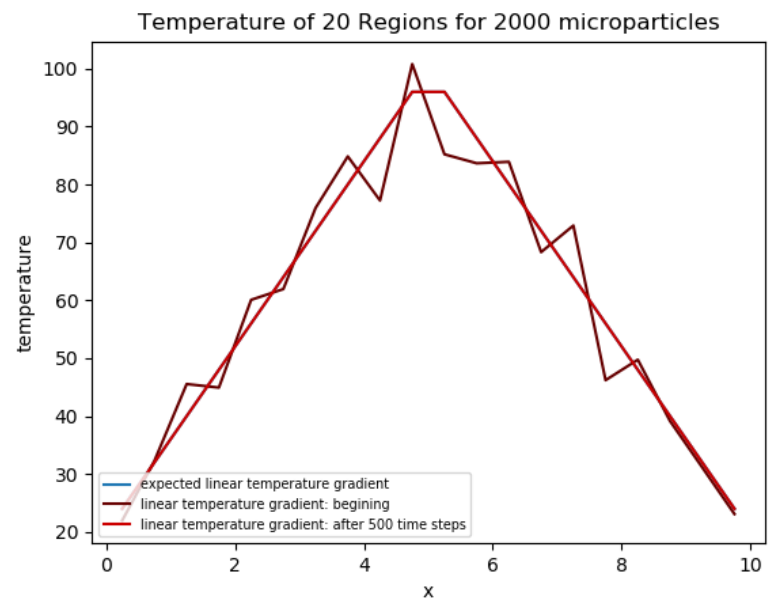
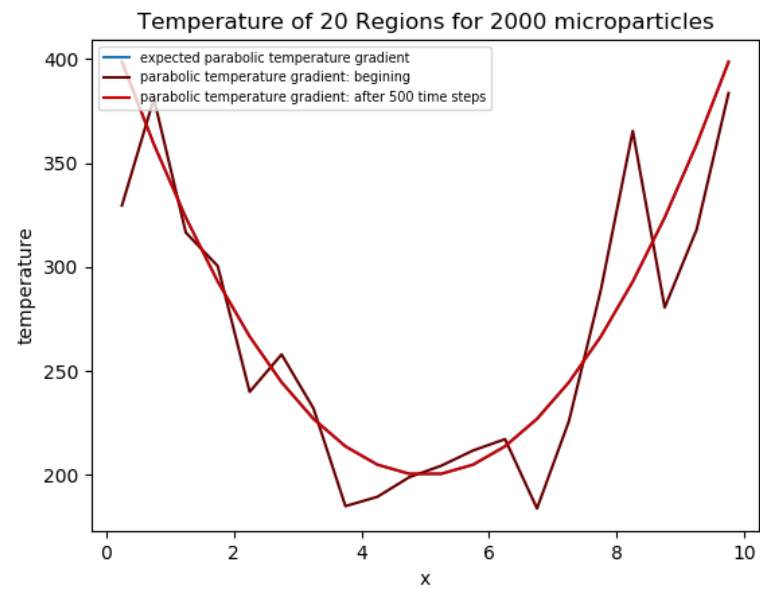
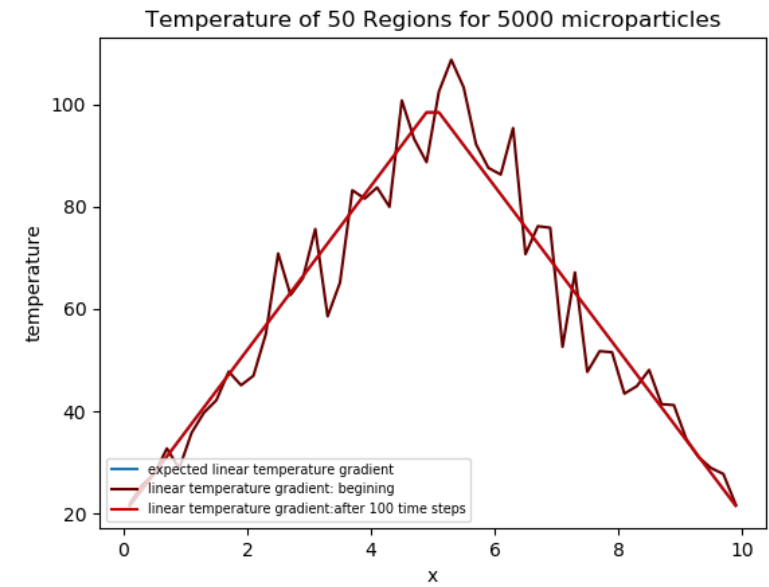
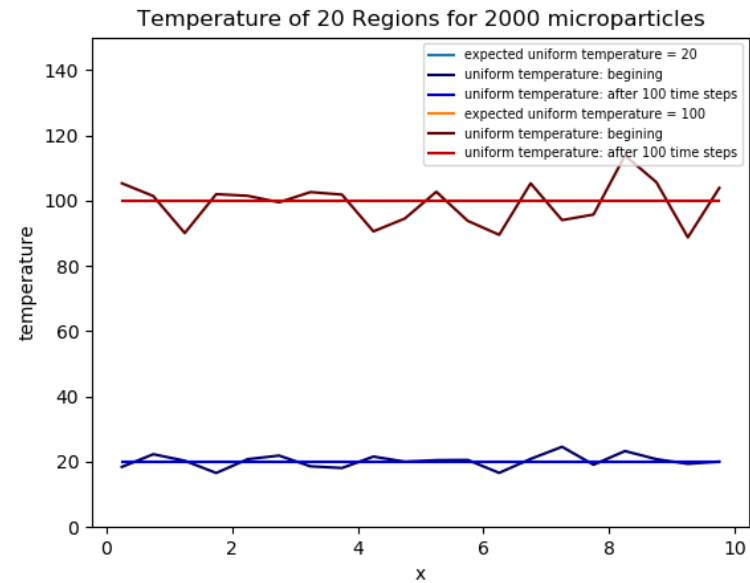
$$T = E_k / N \times k$$

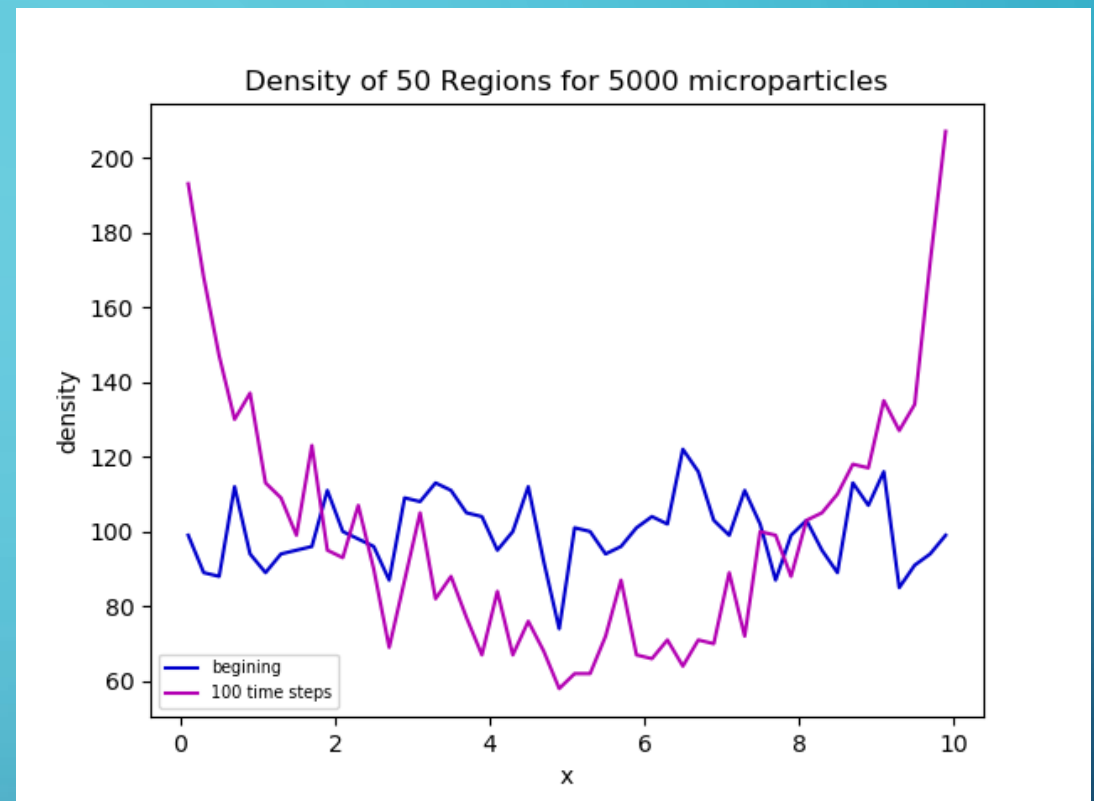
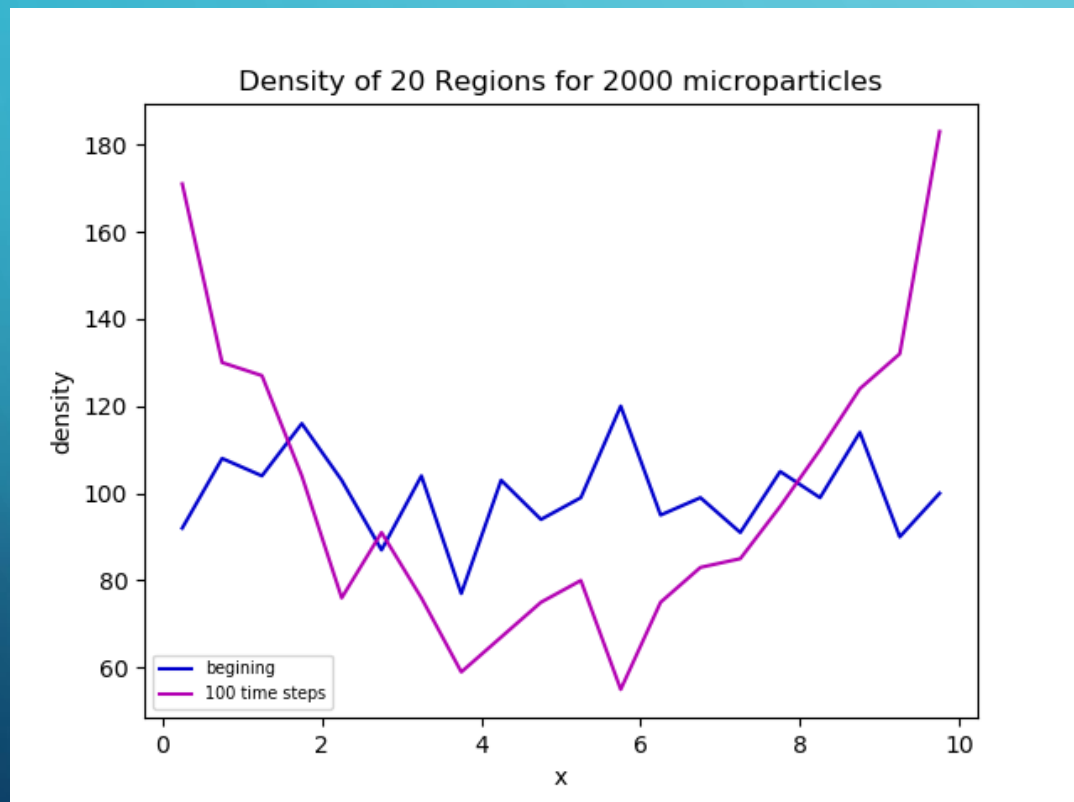
- Thermostat

$$\text{Correction Coefficient} = \sqrt{(N \times k \times T) / E_k}$$

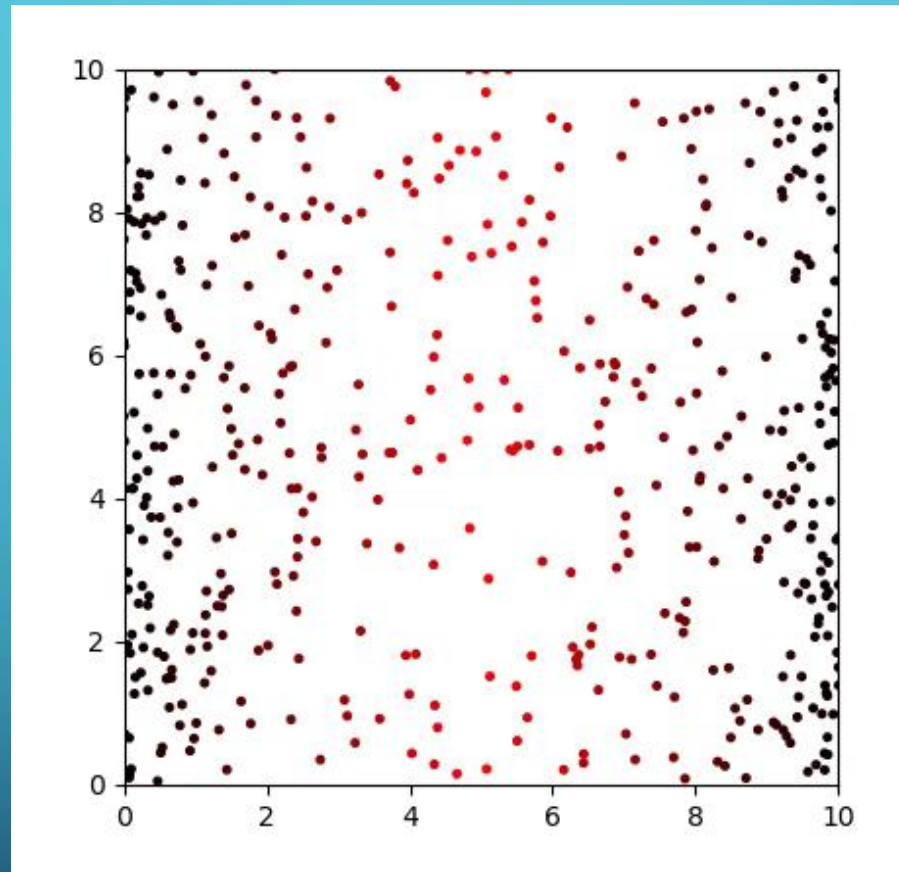
- Uniform random distribution for initial locations
- Boltzmann distribution for initial velocities

$$e^{-E_k / kT}$$



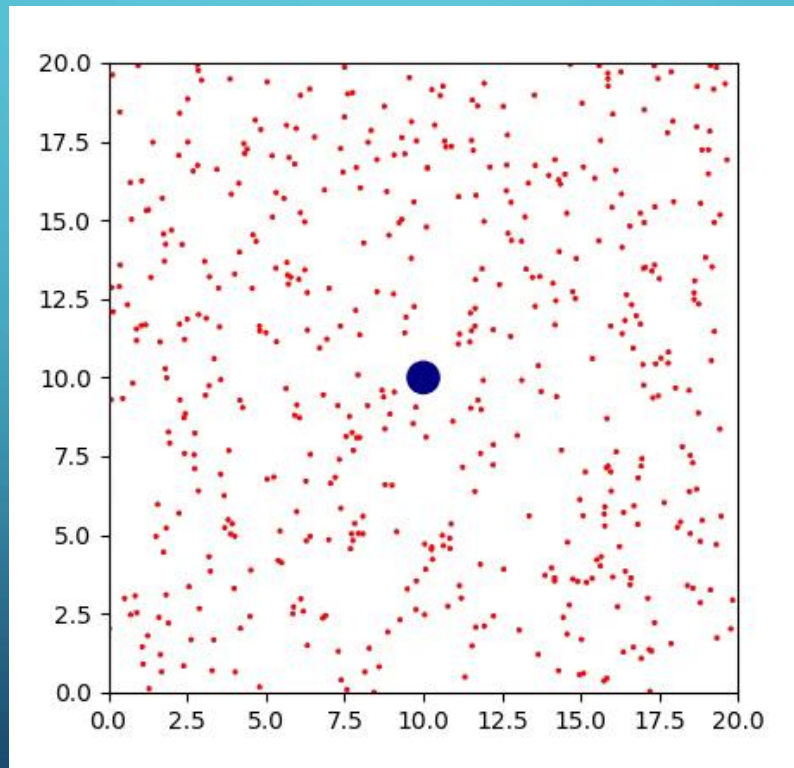


500 MICRO PARTICLES IN 50 REGIONS

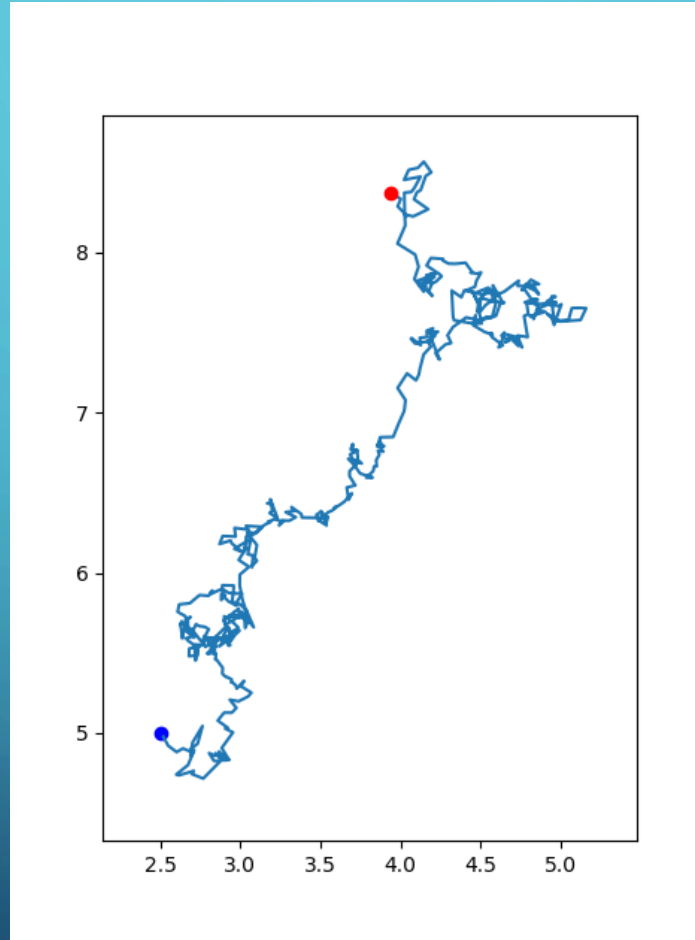


A MODEL FOR INTERACTION BETWEEN MICRO PARTICLES AND MACRO PARTICLE

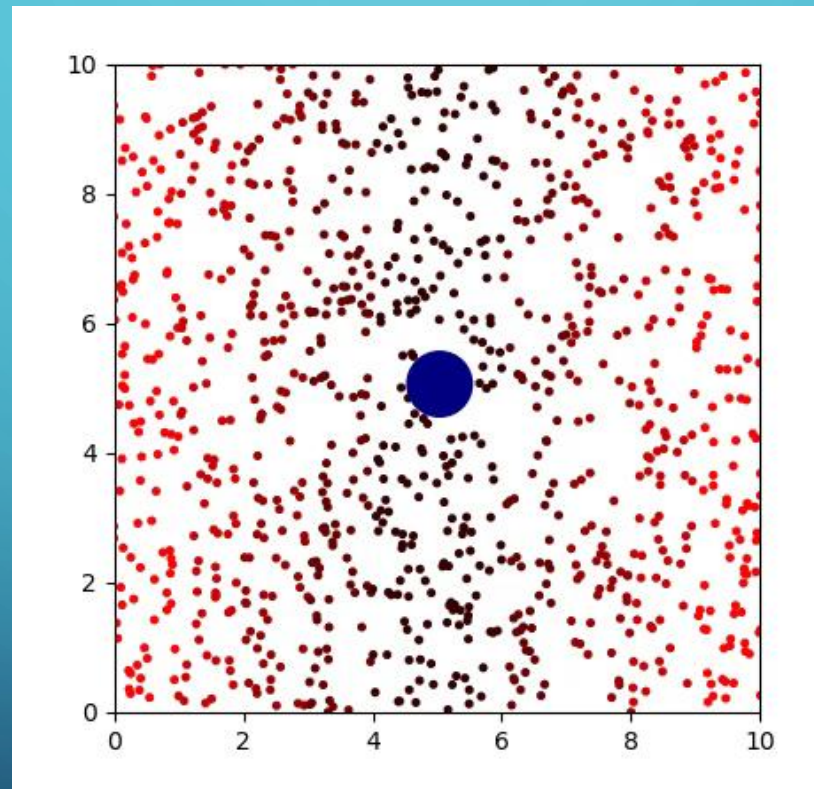
- Energy and Momentum is conserved (Elastic Collision).



MOTION OF THE MACRO PARTICLE UNDER UNIFORM TEMPERATURE



MOTION OF THE MACRO PARTICLE UNDER PARABOLIC TEMPERATURE GRADIENT



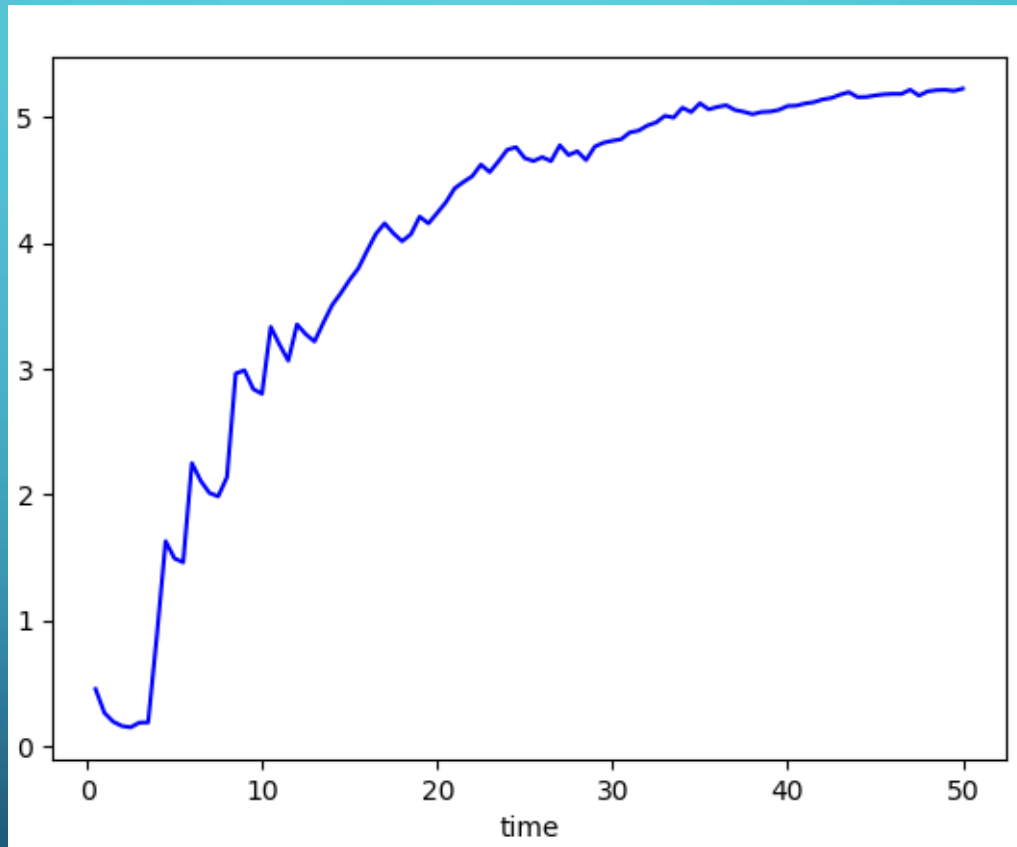
HOW TO VERIFY THE MODEL

- Energy conservation? No
- Momentum conservation? No
- **Brownian motion**

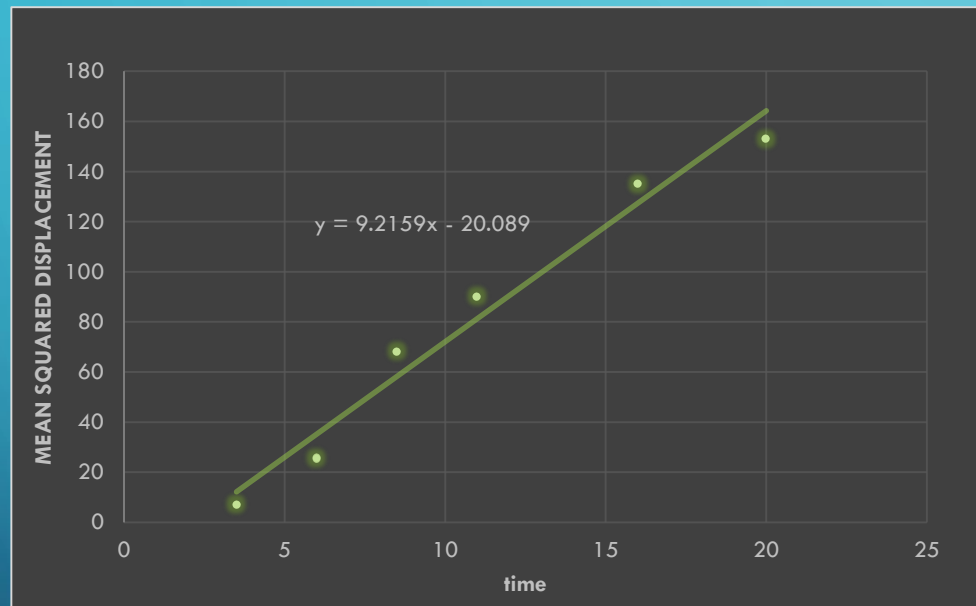
MEAN SQUARED DISPLACEMENT = $2D \times time$

$$D = kT / 6\pi\eta r$$

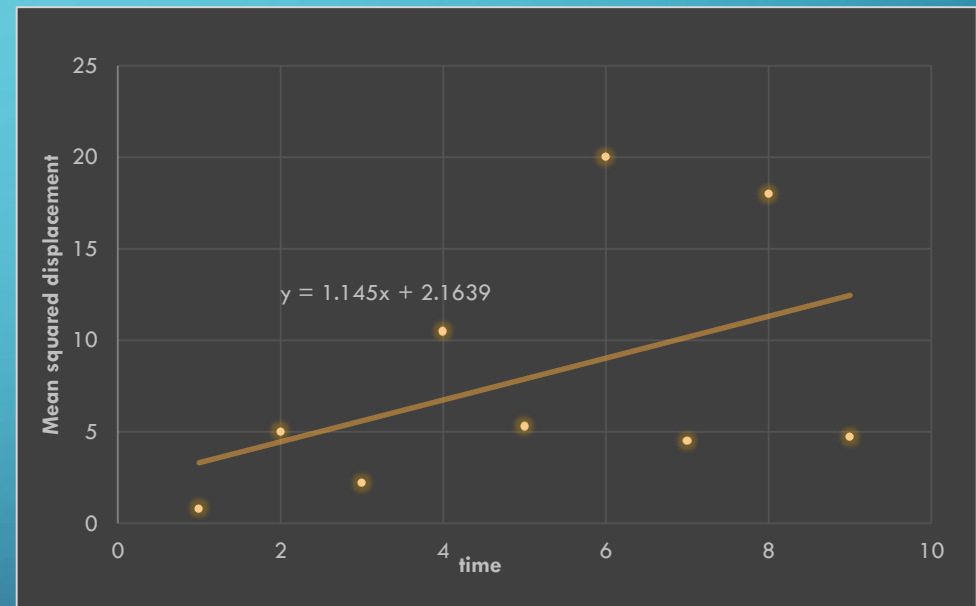
BROWNIAN MOTION?!



BROWNIAN MOTION?!



$r = 0.5$



$r = 5$

