$$\sum_{\{(i,p):aa_{k,p}=1,dd_{i,p}=1\}} y_{i,p} \le x_k r_k \qquad \forall k \in K$$

$$\{y,z\} \in \mathbb{R}^+$$
(28)

The objective (24) minimizes the expected shortage over all scenarios. Constraint (25) enforces the budget. Constraint (27) ensures assigned demand plus shortage add up to point-to-point demand. Constraint (28) enforces capacity along each arc.

PS4-2b

Calculate EV.

Run a Python script in a Python shell to solve the problem. The associated deterministic model and scenario data can be found in the folder "PS4/4-2b". The optimal value is 6.1 and the optimal solution is as follows.

x_{rp}	
x(1)	7.07143
x(2)	0
x(3)	5.07143
x(4)	0
x(5)	2.92857
x(6)	4.92857
x(7)	0

PS4-2c

We cannot calculate WS exactly because it would involve solving $4.1*10^7$ variables. Instead, form a sample mean estimate of WS based on a sample size of 100. State the point estimate and the associated approximate 95% confidence interval.

Run a Python script to solve the problem. The associated files can be found in the folder "PS4/4-2c". Using 50 samples, a point estimate of WS=6.0 and 95% CI = [5.11 6.89].

PS4-2d

Use the capacity expansion decision from part (b), x_{ev} , to form a sample mean estimate of EEV with a sample size of 100. State the point estimate and the associated approximate 95% confidence interval.

Run a Python script to solve the problem. The associated files can be found in the folder "PS4/4-2d". In the deterministic model, a constraint is added fixing the first stage variable x to x_{ws} . Using 50 samples, a point of EEV=8.3 and 95% CI = [7.29 9.31].

PS4-2e

Based on your calculations in part (c), form a capacity expansion decision, x_{ws} . Form a point estimate and approximate 95% confidence interval for $EWS = cx_{ws} + Eh(x_{ws}, \xi)$. Again, use a sample size of 100.

Run a Python script to solve the problem. The associated files can be found in the folder "PS4/4-2e". In the deterministic model, a constraint is added fixing the first stage variable x to x_{ws} (which is from PS3-c). Using 50 samples, a point of estimate of EWS = 7.3 and 95% CI = [6.49 8.11].

PS4-2f

Solve this problem using the Monte Carlo sampling-based approach for assessing solution quality with common random number streams for upper and lower bound estimation. Solve one initial approximating problem in order to generate the candidate solution $\hat{\mathbf{x}}$. Use $n_g=20$ replications. Choose the sample size, n_g so that you obtain what you regard as "reasonable" results. State your recommended capacity-expansion decision and a confidence interval for the quality of the proposed solution.

Run a computeconf script to solve the problem, which implements the Mak/Morton/Wood multiple replication procedure to calculate the approximate gap of the stochastic solution. The associated files can be found in the folder "PS4/4-2f". To run, use the following command in the appropriate folder.

 $compute conf-m\ models\ \hbox{-}i\ scenario data\ \hbox{-}scenario\hbox{-}tree-down sample-fraction=0.2}\ \hbox{-}solver=qurobi\ \hbox{-}solve-ef>PartFresults.txt}$

(28) Run a Python script in a Python shell to solve the problem. The associated deterministic model and scenario data can be found in the folder "PS4/4-2b". The optimal value is 6.1 and the optimal solution is Run a Python script to solve the problem. The associated files can be found in the folder "PS4/4-2d". In The objective (24) minimizes the expected shortage over all scenarios. Constraint (25) enforces the budget. Constraint (27) ensures assigned demand plus shortage add up to point-to-point demand. Based on your calculations in part (c), form a capacity expansion decision, $x_{
m ec}$ Form a point estimate and We cannot calculate WS exactly because it would involve solving 4.1*107 variables. Instead, form a sample mean estimate of WS based on a sample size of 100. State the point estimate and the associated Use the capacity expansion decision from part (b), x_{o} , to form a sample mean estimate of EEV with a the deterministic model, a constraint is added fixing the first stage variable x to $x_{\rm ev}$. Using 50 samples, a Run a Python script to solve the problem. The associated files can be found in the folder "PS4/4-2c" sample size of 100. State the point estimate and the associated approximate 95% confidence interval. approximate 95% confidence interval for $EWS = cx_{ss} + Eh(x_{ss} \xi)$. Again, use a sample size of 100. $\forall k \in K$ Using 50 samples, a point estimate of WS = 6.0 and 95% CI = [5.11 6.89]. 7.07143 5.07143 2.92857 4.92857 point estimate of EEV = 8.3 and 95% CI = [7.29 9.31]. Constraint (28) enforces capacity along each arc. x(2) x(3) x(6) x(7) x(4) x(5) $y_{i,p} \leq x_k r_k$ approximate 95% confidence interval. $\{y,z\}\in\mathbb{R}^+$ Calculate EV. as follows. PS4-2b PS4-2d Run a Python script to solve the problem. The associated files can be found in the folder "PS4/4-2e". In replication procedure to calculate the approximate gap of the stochastic solution. The associated files can be found in the folder "PS4/4-2f". To run, use the following command in the appropriate folder. the deterministic model, a constraint is added fixing the first stage variable x to x_m (which is from PS3-c). approximating problem in order to generate the candidate solution \hat{x} . Use $n_{g}=20$ replications. Choose the sample size, n, so that you obtain what you regard as "reasonable" results. State your recommended Run a computeconf script to solve the problem, which implements the Mak/Morton/Wood multiple Solve this problem using the Monte Carlo sampling-based approach for assessing solution quality with common random number streams for upper and lower bound estimation. Solve one initial capacity-expansion decision and a confidence interval for the quality of the proposed solution. computeconf-m models -i scenariodata --scenario-tree-downsample-Using 50 samples, a point estimate of EWS = 7.3 and 95% CI = [6.49 8.11]. fraction=0.2 --solver=gurobi --solve-ef>PartFresults.txt PS4-2f

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The objective (24) minimizes the expected shortage over all scenarios. Constraint (25) enforces the
Constraint (28) enforces capacity along each arc.
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{\color{gray}\textbf{PS4-2b}}
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Calculate EV.
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Run a Python script in a Python shell to solve the problem. The associated deterministic model and
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\\ \hline
$x(1)$
           & 7.07143
                         \\ \hline
x(2)
           & 0
                         \\ \hline
x(3)
            & 5.07143
            & 0
                         \\ \hline
$x(4)$
$x(5)$
           & 2.92857
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x(6)
            & 4.92857
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x(7)
            & 0
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{\color{gray}\textbf{PS4-2c}}
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We cannot calculate $WS$ exactly because it would involve solving $4.1*10^7$ variables. Instead, it
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Run a Python script to solve the problem. The associated files can be found in the folder "PS4/4-2
Using 50 samples, a point estimate of WS = 6.0 and 95 Cl = [5.11 6.89].
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Use the capacity expansion decision from part (b), $x_{ev}$, to form a sample mean estimate of $EI
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Based on your calculations in part (c), form a capacity expansion decision, $x_{ws}$. Form a point
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Run a Python script to solve the problem. The associated files can be found in the folder "PS4/4-2
Using 50 samples, a point of estimate of EWS = 7.3 and 5\% Cl = [6.49 \ 8.11].
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Solve this problem using the Monte Carlo sampling-based approach for assessing solution quality was
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\textit{computeconf-m models -i scenariodata --scenario-tree-downsample-}