Stacked Regressions to predict House Prices

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If you use parts of this notebook in your scripts/notebooks, giving some kind of credit would be very much appreciated:) You can for instance link back to this notebook. Thanks!

This competition is very important to me as it helped me to begin my journey on Kaggle few months ago. I've read some great notebooks here. To name a few:

- Comprehensive data exploration with Python by **Pedro Marcelino**: Great and very motivational data analysis
- 2. A study on Regression applied to the Ames dataset by Julien Cohen-Solal: Thorough features engeneering and deep dive into linear regression analysis but really easy to follow for beginners.
- 3. Regularized Linear Models by **Alexandru Papiu**: Great Starter kernel on modelling and Cross-validation

I can't recommend enough every beginner to go carefully through these kernels (and of course through many others great kernels) and get their first insights in data science and kaggle competitions.

After that (and some basic pratices) you should be more confident to go through this great script by **Human Analog** who did an impressive work on features engeneering.

As the dataset is particularly handy, I decided few days ago to get back in this competition and apply things I learnt so far, especially stacking models. For that purpose, we build two stacking classes (the simplest approach and a less simple one).

As these classes are written for general purpose, you can easily adapt them and/or extend them for your regression problems. The overall approach is hopefully concise and easy to follow..

The features engeneering is rather parsimonious (at least compared to some others great scripts) . It is pretty much :

- Imputing missing values by proceeding sequentially through the data
- **Transforming** some numerical variables that seem really categorical

- Label Encoding some categorical variables that may contain information in their ordering set
- Box Cox Transformation of skewed features (instead of log-transformation):

 This gave me a **slightly better result** both on leaderboard and cross-validation.
- ** Getting dummy variables** for categorical features.

Then we choose many base models (mostly sklearn based models + sklearn API of DMLC's XGBoost and Microsoft's LightGBM), cross-validate them on the data before stacking/ensembling them. The key here is to make the (linear) models robust to outliers. This improved the result both on LB and cross-validation.

To my surprise, this does well on LB (0.11420 and top 4% the last time I tested it : **July 2, 2017**)

Hope that at the end of this notebook, stacking will be clear for those, like myself, who found the concept not so easy to grasp

```
In [2]:
       #import some necessary librairies
        import numpy as np # linear algebra
        import pandas as pd # data processing, CSV file I/O (e.g. pd.read_csv)
        %matplotlib inline
        import matplotlib.pyplot as plt # Matlab-style plotting
        import seaborn as sns
        color = sns.color_palette()
        sns.set_style('darkgrid')
        import warnings
        def ignore_warn(*args, **kwargs):
            pass
        warnings.warn = ignore_warn #ignore annoying warning (from sklearn and se
        from scipy import stats
        from scipy.stats import norm, skew #for some statistics
        pd.set_option('display.float_format', lambda x: '{:.3f}'.format(x)) #Limi
        from subprocess import check_output
        print(check_output(["ls", "./data"]).decode("utf8")) #check the files ava
      data_description.txt
      sample_submission.csv
      test.csv
      train.csv
In [3]: #Now let's import and put the train and test datasets in pandas datafram
        train = pd.read_csv('./data/train.csv')
        test = pd.read_csv('./data/test.csv')
```

```
In [3]: ##display the first five rows of the train dataset.
train.head(5)
```

Out[3]:		Id	MSSubClass	MSZoning	LotFrontage	LotArea	Street	Alley	LotShape	Lan
	0	1	60	RL	65.000	8450	Pave	NaN	Reg	
	1	2	20	RL	80.000	9600	Pave	NaN	Reg	
	2	3	60	RL	68.000	11250	Pave	NaN	IR1	
	3	4	70	RL	60.000	9550	Pave	NaN	IR1	
	4	5	60	RL	84.000	14260	Pave	NaN	IR1	

5 rows x 81 columns

In [4]: ##display the first five rows of the test dataset.
test.head(5)

Out[4]:		Id	MSSubClass	MSZoning	LotFrontage	LotArea	Street	Alley	LotShape	ı
	0	1461	20	RH	80.000	11622	Pave	NaN	Reg	
	1	1462	20	RL	81.000	14267	Pave	NaN	IR1	
	2	1463	60	RL	74.000	13830	Pave	NaN	IR1	
	3	1464	60	RL	78.000	9978	Pave	NaN	IR1	
	4	1465	120	RL	43.000	5005	Pave	NaN	IR1	

5 rows × 80 columns

The train data size before dropping Id feature is: (1460, 81) The test data size before dropping Id feature is: (1459, 80)

The train data size after dropping Id feature is: (1460, 80) The test data size after dropping Id feature is: (1459, 79)

Data Processing

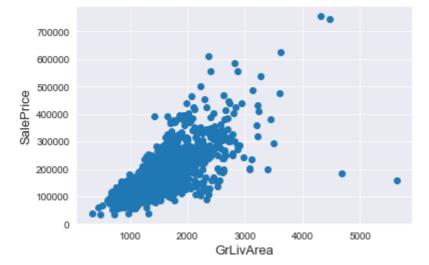
Outliers

[Documentation][1] for the Ames Housing Data indicates that there are outliers present in the training data [1]:

http://ww2.amstat.org/publications/jse/v19n3/Decock/DataDocumentation.txt

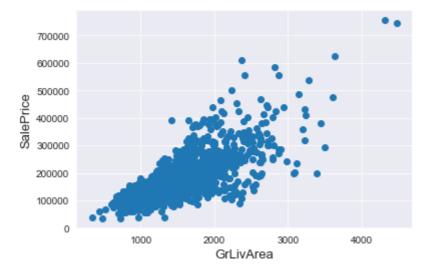
Let's explore these outliers

```
In [4]: fig, ax = plt.subplots()
   ax.scatter(x = train['GrLivArea'], y = train['SalePrice'])
   plt.ylabel('SalePrice', fontsize=13)
   plt.xlabel('GrLivArea', fontsize=13)
   plt.show()
```



We can see at the bottom right two with extremely large GrLivArea that are of a low price. These values are huge oultliers. Therefore, we can safely delete them.

```
In [5]: #Deleting outliers
    train = train.drop(train[(train['GrLivArea']>4000) & (train['SalePrice']<
        #Check the graphic again
        fig, ax = plt.subplots()
        ax.scatter(train['GrLivArea'], train['SalePrice'])
        plt.ylabel('SalePrice', fontsize=13)
        plt.xlabel('GrLivArea', fontsize=13)
        plt.show()</pre>
```



Note:

Outliers removal is note always safe. We decided to delete these two as they are very huge and really bad (extremely large areas for very low prices).

There are probably others outliers in the training data. However, removing all them may affect badly our models if ever there were also outliers in the test data. That's why , instead of removing them all, we will just manage to make some of our models robust on them. You can refer to the modelling part of this notebook for that.

Target Variable

SalePrice is the variable we need to predict. So let's do some analysis on this variable first.

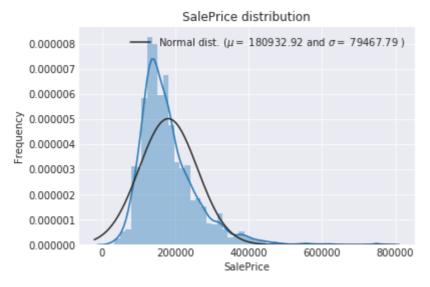
```
In [8]: sns.distplot(train['SalePrice'] , fit=norm);

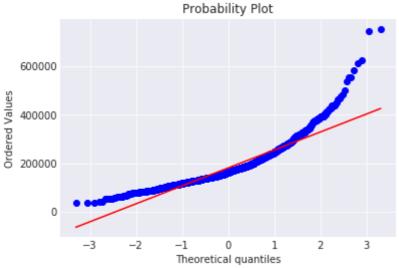
# Get the fitted parameters used by the function
(mu, sigma) = norm.fit(train['SalePrice'])
print( '\n mu = {:.2f} and sigma = {:.2f}\n'.format(mu, sigma))

#Now plot the distribution
plt.legend(['Normal dist. ($\mu=$ {:.2f} and $\sigma=$ {:.2f} )'.format(m loc='best')
plt.ylabel('Frequency')
plt.title('SalePrice distribution')

#Get also the QQ-plot
fig = plt.figure()
res = stats.probplot(train['SalePrice'], plot=plt)
plt.show()
```

mu = 180932.92 and sigma = 79467.79



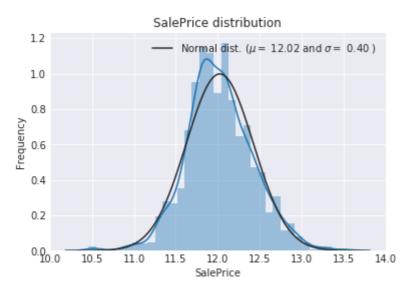


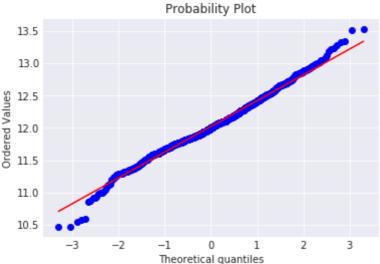
The target variable is right skewed. As (linear) models love normally distributed data, we need to transform this variable and make it more normally distributed.

Log-transformation of the target variable

```
#We use the numpy fuction log1p which applies log(1+x) to all elements o
In [9]:
        train["SalePrice"] = np.log1p(train["SalePrice"])
        #Check the new distribution
        sns.distplot(train['SalePrice'] , fit=norm);
        # Get the fitted parameters used by the function
        (mu, sigma) = norm.fit(train['SalePrice'])
        print( '\n mu = \{:.2f\} and sigma = \{:.2f\}\n'.format(mu, sigma))
        #Now plot the distribution
        plt.legend(['Normal dist. ($\mu=$ {:.2f} and $\sigma=$ {:.2f} )'.format(m
                     loc='best')
        plt.ylabel('Frequency')
        plt.title('SalePrice distribution')
        #Get also the QQ-plot
        fig = plt.figure()
        res = stats.probplot(train['SalePrice'], plot=plt)
        plt.show()
```

mu = 12.02 and sigma = 0.40





The skew seems now corrected and the data appears more normally distributed.

Features engineering

all_data size is : (2917, 79)

let's first concatenate the train and test data in the same dataframe

```
In [10]: ntrain = train.shape[0]
   ntest = test.shape[0]
   y_train = train.SalePrice.values
   all_data = pd.concat((train, test)).reset_index(drop=True)
   all_data.drop(['SalePrice'], axis=1, inplace=True)
   print("all_data size is : {}".format(all_data.shape))
```

Missing Data

```
In [11]: all_data_na = (all_data.isnull().sum() / len(all_data)) * 100
    all_data_na = all_data_na.drop(all_data_na[all_data_na == 0].index).sort_
    missing_data = pd.DataFrame({'Missing Ratio' :all_data_na})
    missing_data.head(20)
```

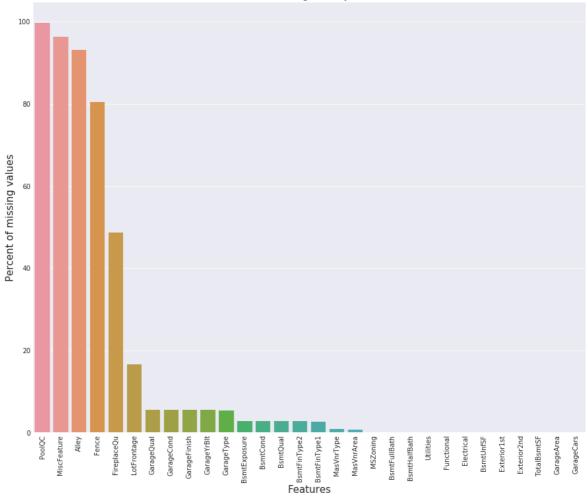
Out[11]:	Missi
----------	-------

	Missing Ratio
PoolQC	99.691
MiscFeature	96.400
Alley	93.212
Fence	80.425
FireplaceQu	48.680
LotFrontage	16.661
GarageQual	5.451
GarageCond	5.451
GarageFinish	5.451
GarageYrBlt	5.451
GarageType	5.382
BsmtExposure	2.811
BsmtCond	2.811
BsmtQual	2.777
BsmtFinType2	2.743
BsmtFinType1	2.708
MasVnrType	0.823
MasVnrArea	0.788
MSZoning	0.137
BsmtFullBath	0.069

```
In [12]: f, ax = plt.subplots(figsize=(15, 12))
         plt.xticks(rotation='90')
         sns.barplot(x=all_data_na.index, y=all_data_na)
         plt.xlabel('Features', fontsize=15)
         plt.ylabel('Percent of missing values', fontsize=15)
         plt.title('Percent missing data by feature', fontsize=15)
```

Out[12]: Text(0.5,1,'Percent missing data by feature')

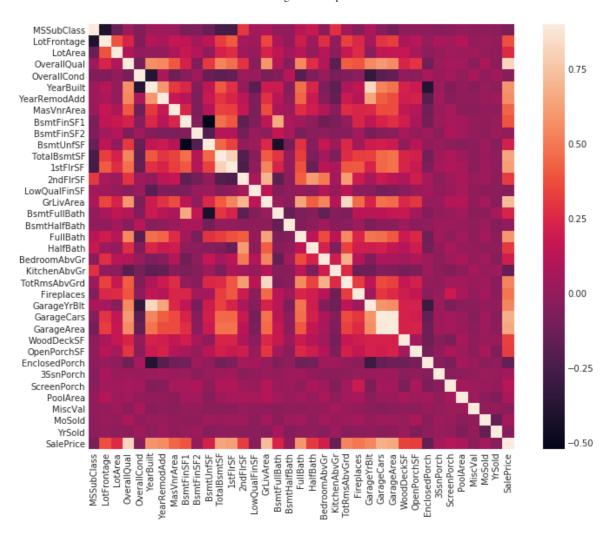




Data Correlation

```
In [13]: #Correlation map to see how features are correlated with SalePrice
    corrmat = train.corr()
    plt.subplots(figsize=(12,9))
    sns.heatmap(corrmat, vmax=0.9, square=True)
```

Out[13]: <matplotlib.axes._subplots.AxesSubplot at 0x7efd7b454898>



Imputing missing values

We impute them by proceeding sequentially through features with missing values

• **PoolQC**: data description says NA means "No Pool". That make sense, given the huge ratio of missing value (+99%) and majority of houses have no Pool at all in general.

```
In [14]: all_data["PoolQC"] = all_data["PoolQC"].fillna("None")
```

• MiscFeature: data description says NA means "no misc feature"

```
In [15]: all_data["MiscFeature"] = all_data["MiscFeature"].fillna("None")
```

• Alley: data description says NA means "no alley access"

```
In [16]: all_data["Alley"] = all_data["Alley"].fillna("None")
```

• Fence : data description says NA means "no fence"

```
In [17]: all_data["Fence"] = all_data["Fence"].fillna("None")
```

• FireplaceQu : data description says NA means "no fireplace"

```
In [18]: all_data["FireplaceQu"] = all_data["FireplaceQu"].fillna("None")
```

• LotFrontage: Since the area of each street connected to the house property most likely have a similar area to other houses in its neighborhood, we can fill in missing values by the median LotFrontage of the neighborhood.

• GarageType, GarageFinish, GarageQual and GarageCond : Replacing missing data with None

```
In [20]: for col in ('GarageType', 'GarageFinish', 'GarageQual', 'GarageCond'):
        all_data[col] = all_data[col].fillna('None')
```

GarageYrBlt, GarageArea and GarageCars: Replacing missing data with 0
 (Since No garage = no cars in such garage.)

```
In [21]: for col in ('GarageYrBlt', 'GarageArea', 'GarageCars'):
    all_data[col] = all_data[col].fillna(0)
```

• BsmtFinSF1, BsmtFinSF2, BsmtUnfSF, TotalBsmtSF, BsmtFullBath and BsmtHalfBath : missing values are likely zero for having no basement

• BsmtQual, BsmtCond, BsmtExposure, BsmtFinType1 and BsmtFinType2: For all these categorical basement-related features, NaN means that there is no basement.

• MasVnrArea and MasVnrType: NA most likely means no masonry veneer for these houses. We can fill 0 for the area and None for the type.

```
In [24]: all_data["MasVnrType"] = all_data["MasVnrType"].fillna("None")
    all_data["MasVnrArea"] = all_data["MasVnrArea"].fillna(0)
```

• MSZoning (The general zoning classification): 'RL' is by far the most common value. So we can fill in missing values with 'RL'

```
In [25]: all_data['MSZoning'] = all_data['MSZoning'].fillna(all_data['MSZoning'].m
```

• **Utilities**: For this categorical feature all records are "AllPub", except for one "NoSeWa" and 2 NA. Since the house with 'NoSewa' is in the training set, **this feature won't help in predictive modelling**. We can then safely remove it.

```
In [26]: all_data = all_data.drop(['Utilities'], axis=1)
```

• Functional: data description says NA means typical

```
In [27]: all_data["Functional"] = all_data["Functional"].fillna("Typ")
```

• **Electrical**: It has one NA value. Since this feature has mostly 'SBrkr', we can set that for the missing value.

```
In [28]: all_data['Electrical'] = all_data['Electrical'].fillna(all_data['Electric
```

• **KitchenQual**: Only one NA value, and same as Electrical, we set 'TA' (which is the most frequent) for the missing value in KitchenQual.

```
In [29]: all_data['KitchenQual'] = all_data['KitchenQual'].fillna(all_data['Kitche
```

• Exterior1st and Exterior2nd: Again Both Exterior 1 & 2 have only one missing value. We will just substitute in the most common string

```
In [30]: all_data['Exterior1st'] = all_data['Exterior1st'].fillna(all_data['Exteri
all_data['Exterior2nd'] = all_data['Exterior2nd'].fillna(all_data['Exteri
```

• SaleType : Fill in again with most frequent which is "WD"

```
In [31]: all_data['SaleType'] = all_data['SaleType'].fillna(all_data['SaleType'].m
```

 MSSubClass: Na most likely means No building class. We can replace missing values with None

```
In [32]: all_data['MSSubClass'] = all_data['MSSubClass'].fillna("None")
```

Is there any remaining missing value?

```
In [33]: #Check remaining missing values if any
all_data_na = (all_data.isnull().sum() / len(all_data)) * 100
all_data_na = all_data_na.drop(all_data_na[all_data_na == 0].index).sort_
missing_data = pd.DataFrame({'Missing Ratio' :all_data_na})
missing_data.head()
```

```
Out [33]: Missing Ratio
```

It remains no missing value.

More features engeneering

Transforming some numerical variables that are really categorical

```
In [34]: #MSSubClass=The building class
all_data['MSSubClass'] = all_data['MSSubClass'].apply(str)

#Changing OverallCond into a categorical variable
all_data['OverallCond'] = all_data['OverallCond'].astype(str)

#Year and month sold are transformed into categorical features.
all_data['YrSold'] = all_data['YrSold'].astype(str)
all_data['MoSold'] = all_data['MoSold'].astype(str)
```

Label Encoding some categorical variables that may contain information in their ordering set

Shape all_data: (2917, 78)

Adding one more important feature

Since area related features are very important to determine house prices, we add one more feature which is the total area of basement, first and second floor areas of each house

```
In [36]: # Adding total sqfootage feature
all_data['TotalSF'] = all_data['TotalBsmtSF'] + all_data['1stFlrSF'] + al
```

Skewed features

```
In [37]: numeric_feats = all_data.dtypes[all_data.dtypes != "object"].index
# Check the skew of all numerical features
```

```
skewed_feats = all_data[numeric_feats].apply(lambda x: skew(x.dropna())).
print("\nSkew in numerical features: \n")
skewness = pd.DataFrame({'Skew' :skewed_feats})
skewness.head(10)
```

Skew in numerical features:

Out[37]:		Skew
	MiscVal	21.940
	PoolArea	17.689
	LotArea	13.109
	LowQualFinSF	12.085
	3SsnPorch	11.372
	LandSlope	4.973
	KitchenAbvGr	4.301
	BsmtFinSF2	4.145
	EnclosedPorch	4.002
	ScreenPorch	3.945

Box Cox Transformation of (highly) skewed features

We use the scipy function boxcox1p which computes the Box-Cox transformation of \$1 + x\$.

Note that setting $\$ \lambda = 0 $\$ is equivalent to log1p used above for the target variable.

See [this page][1] for more details on Box Cox Transformation as well as [the scipy function's page][2] [1]: http://onlinestatbook.com/2/transformations/box-cox.html [2]: https://docs.scipy.org/doc/scipy-

0.19.0/reference/generated/scipy.special.boxcox1p.html

```
In [38]: skewness = skewness[abs(skewness) > 0.75]
print("There are {} skewed numerical features to Box Cox transform".forma

from scipy.special import boxcox1p
skewed_features = skewness.index
lam = 0.15
for feat in skewed_features:
    #all_data[feat] += 1
    all_data[feat] = boxcox1p(all_data[feat], lam)

#all_data[skewed_features] = np.log1p(all_data[skewed_features])
```

There are 59 skewed numerical features to Box Cox transform

Getting dummy categorical features

```
In [39]: all_data = pd.get_dummies(all_data)
    print(all_data.shape)

(2917, 220)

Getting the new train and test sets.

In [40]: train = all_data[:ntrain]
    test = all_data[ntrain:]
```

Modelling

Import librairies

```
In [41]: from sklearn.linear_model import ElasticNet, Lasso, BayesianRidge, Lasso
from sklearn.ensemble import RandomForestRegressor, GradientBoostingRegr
from sklearn.kernel_ridge import KernelRidge
from sklearn.pipeline import make_pipeline
from sklearn.preprocessing import RobustScaler
from sklearn.base import BaseEstimator, TransformerMixin, RegressorMixin,
from sklearn.model_selection import KFold, cross_val_score, train_test_sp
from sklearn.metrics import mean_squared_error
import xgboost as xgb
import lightgbm as lgb
```

Define a cross validation strategy

We use the **cross_val_score** function of Sklearn. However this function has not a shuffle attribut, we add then one line of code, in order to shuffle the dataset prior to cross-validation

```
In [42]: #Validation function
n_folds = 5

def rmsle_cv(model):
    kf = KFold(n_folds, shuffle=True, random_state=42).get_n_splits(train rmse= np.sqrt(-cross_val_score(model, train.values, y_train, scoring= return(rmse)
```

Base models

• LASSO Regression:

This model may be very sensitive to outliers. So we need to made it more robust on them. For that we use the sklearn's **Robustscaler()** method on pipeline

```
In [43]: lasso = make_pipeline(RobustScaler(), Lasso(alpha =0.0005, random_state=1
```

• Elastic Net Regression :

again made robust to outliers

```
In [44]: ENet = make_pipeline(RobustScaler(), ElasticNet(alpha=0.0005, l1_ratio=.9
```

• Kernel Ridge Regression :

```
In [45]: KRR = KernelRidge(alpha=0.6, kernel='polynomial', degree=2, coef0=2.5)
```

• Gradient Boosting Regression:

With **huber** loss that makes it robust to outliers

• XGBoost:

• LightGBM:

Base models scores

Let's see how these base models perform on the data by evaluating the crossvalidation rmsle error

```
print("Kernel Ridge score: {:.4f} ({:.4f})\n".format(score.mean(), score.
Kernel Ridge score: 0.1153 (0.0075)

In [52]: score = rmsle_cv(GBoost)
    print("Gradient Boosting score: {:.4f} ({:.4f})\n".format(score.mean(), s
    Gradient Boosting score: 0.1177 (0.0080)

In [53]: score = rmsle_cv(model_xgb)
    print("Xgboost score: {:.4f} ({:.4f})\n".format(score.mean(), score.std())
    Xgboost score: 0.1161 (0.0079)

In [54]: score = rmsle_cv(model_lgb)
    print("LGBM score: {:.4f} ({:.4f})\n" .format(score.mean(), score.std()))
    LGBM score: 0.1157 (0.0067)
```

Stacking models

Simplest Stacking approach: Averaging base models

We begin with this simple approach of averaging base models. We build a new **class** to extend scikit-learn with our model and also to laverage encapsulation and code reuse (inheritance)

Averaged base models class

```
In [55]: class AveragingModels(BaseEstimator, RegressorMixin, TransformerMixin):
             def __init__(self, models):
                 self.models = models
             # we define clones of the original models to fit the data in
             def fit(self, X, y):
                 self.models_ = [clone(x) for x in self.models]
                 # Train cloned base models
                 for model in self.models_:
                     model.fit(X, y)
                 return self
             #Now we do the predictions for cloned models and average them
             def predict(self, X):
                 predictions = np.column_stack([
                     model.predict(X) for model in self.models
                 1)
                 return np.mean(predictions, axis=1)
```

Averaged base models score

We just average four models here **ENet, GBoost, KRR and lasso**. Of course we could easily add more models in the mix.

```
In [56]: averaged_models = AveragingModels(models = (ENet, GBoost, KRR, lasso))
    score = rmsle_cv(averaged_models)
    print(" Averaged base models score: {:.4f} ({:.4f})\n".format(score.mean(
    Averaged base models score: 0.1091 (0.0075))
```

Wow! It seems even the simplest stacking approach really improve the score. This encourages us to go further and explore a less simple stacking approach.

Less simple Stacking: Adding a Meta-model

In this approach, we add a meta-model on averaged base models and use the outof-folds predictions of these base models to train our meta-model.

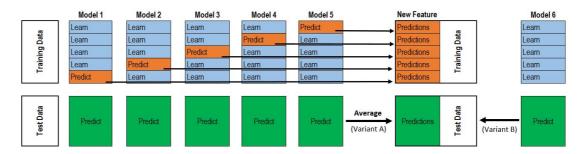
The procedure, for the training part, may be described as follows:

- 1. Split the total training set into two disjoint sets (here **train** and .**holdout**)
- 2. Train several base models on the first part (train)
- 3. Test these base models on the second part (holdout)
- 4. Use the predictions from 3) (called out-of-folds predictions) as the inputs, and the correct responses (target variable) as the outputs to train a higher level learner called **meta-model**.

The first three steps are done iteratively. If we take for example a 5-fold stacking, we first split the training data into 5 folds. Then we will do 5 iterations. In each iteration, we train every base model on 4 folds and predict on the remaining fold (holdout fold).

So, we will be sure, after 5 iterations, that the entire data is used to get out-of-folds predictions that we will then use as new feature to train our meta-model in the step 4.

For the prediction part, We average the predictions of all base models on the test data and used them as **meta-features** on which, the final prediction is done with the meta-model.



(Image taken from Faron)



Gif taken from KazAnova's interview

On this gif, the base models are algorithms 0, 1, 2 and the meta-model is algorithm 3. The entire training dataset is A+B (target variable y known) that we can split into train part (A) and holdout part (B). And the test dataset is C.

B1 (which is the prediction from the holdout part) is the new feature used to train the meta-model 3 and C1 (which is the prediction from the test dataset) is the meta-feature on which the final prediction is done.

Stacking averaged Models Class

```
In [57]: class StackingAveragedModels(BaseEstimator, RegressorMixin, TransformerMi
             def __init__(self, base_models, meta_model, n_folds=5):
                 self.base_models = base_models
                 self.meta_model = meta_model
                 self.n_folds = n_folds
             # We again fit the data on clones of the original models
             def fit(self, X, y):
                 self.base_models_ = [list() for x in self.base_models]
                 self.meta_model_ = clone(self.meta_model)
                 kfold = KFold(n_splits=self.n_folds, shuffle=True, random_state=1
                 # Train cloned base models then create out-of-fold predictions
                 # that are needed to train the cloned meta-model
                 out_of_fold_predictions = np.zeros((X.shape[0], len(self.base_mod
                 for i, model in enumerate(self.base_models):
                     for train_index, holdout_index in kfold.split(X, y):
                         instance = clone(model)
                         self.base_models_[i].append(instance)
                         instance.fit(X[train_index], y[train_index])
                         y_pred = instance.predict(X[holdout_index])
                         out_of_fold_predictions[holdout_index, i] = y_pred
                 # Now train the cloned meta-model using the out-of-fold predicti
                 self.meta_model_.fit(out_of_fold_predictions, y)
                 return self
             #Do the predictions of all base models on the test data and use the a
             #meta-features for the final prediction which is done by the meta-mod
             def predict(self, X):
                 meta_features = np.column_stack([
                     np.column_stack([model.predict(X) for model in base_models]).
                     for base models in self.base models ])
                 return self.meta_model_.predict(meta_features)
```

Stacking Averaged models Score

To make the two approaches comparable (by using the same number of models), we just average **Enet KRR and Gboost**, then we add **lasso as meta-model**.

Stacking Averaged models score: 0.1085 (0.0074)

We get again a better score by adding a meta learner

Ensembling StackedRegressor, XGBoost and

LightGBM

We add **XGBoost and LightGBM** to the** StackedRegressor** defined previously.

We first define a rmsle evaluation function

```
In [59]: def rmsle(y, y_pred):
    return np.sqrt(mean_squared_error(y, y_pred))
```

Final Training and Prediction

StackedRegressor:

```
In [60]: stacked_averaged_models.fit(train.values, y_train)
    stacked_train_pred = stacked_averaged_models.predict(train.values)
    stacked_pred = np.expm1(stacked_averaged_models.predict(test.values))
    print(rmsle(y_train, stacked_train_pred))
```

0.0781571937916

XGBoost:

```
In [61]: model_xgb.fit(train, y_train)
   xgb_train_pred = model_xgb.predict(train)
   xgb_pred = np.expm1(model_xgb.predict(test))
   print(rmsle(y_train, xgb_train_pred))
```

0.0785165142425

LightGBM:

```
In [62]: model_lgb.fit(train, y_train)
    lgb_train_pred = model_lgb.predict(train)
    lgb_pred = np.expm1(model_lgb.predict(test.values))
    print(rmsle(y_train, lgb_train_pred))
```

0.0716757468834

RMSLE score on train data: 0.0752190464543

Ensemble prediction:

```
In [64]: ensemble = stacked_pred*0.70 + xgb_pred*0.15 + lgb_pred*0.15
```

Submission

```
In [65]: sub = pd.DataFrame()
    sub['Id'] = test_ID
    sub['SalePrice'] = ensemble
    sub.to_csv('submission.csv',index=False)
```

If you found this notebook helpful or you just liked it, some upvotes would be very much appreciated - That will keep me motivated to update it on a regular basis :-)