testing `WriteTEXFF`
$\mathbb{F}_2$, $\mathbb{F}_{2^2}$, $\mathbb{F}_{(2^2)^2}$, $\mathbb{F}_{((2^2)^2)^2}$, $\mathbb{F}_{(2^2)^4}$,

switching to the finite field $\mathbb{F}_{2^4}$ with defining polynomial $x^4 + x^3 + x^2 + x + 1$ where $\alpha = \omega^1 + \omega^3$ and ω is a root of $x^4 + x^3 + x^2 + x + 1$ using the basis $\mathrm{B} = [\beta_i] = [\ \alpha^3, \alpha^6, \alpha^{12}, \alpha^9\ ]$

testing `WriteTEXFFEByGenerator` and `WriteTEXFFE`:

$\alpha^{12} = 0010$ $\alpha^9 = 0001$, $1 = 1111$, $\alpha^3 = 1000$, $\alpha^5 = 0101$, $\alpha^{10} = 1010$

testing `WriteTEXFFEVecByGenerator` and `WriteTEXFFEVec`:

$[\ \alpha^{12}, \alpha^6, \alpha^{10}\ ] = [\ 0010, 0100, 1010\ ]$

testing `WriteTEXFFEMatrix`:

$$\begin{bmatrix} 1100 & 0110 & 0010 & 1110 \\ 1101 & 1000 & 0010 & 1110 \\ 1101 & 0111 & 0000 & 0011 \end{bmatrix}$$

testing `WriteTEXFFEMatrixByGenerator`:

$$\begin{bmatrix} \alpha^2 & \alpha^4 & \alpha^{12} & \alpha^7 \\ \alpha^{11} & \alpha^3 & \alpha^{12} & \alpha^7 \\ \alpha^{11} & \alpha^{14} & 0 & \alpha^8 \end{bmatrix}$$

testing `WriteTEXUnivarFFPolyByGenerator`: $x_0^4 + x_0^3 + x_0^2 + x_0 + 1$

testing `WriteTEXFieldPolyByGenerator`: $x^4 + x^3 + x^2 + x + 1$

testing `WriteTEXLFSRPolyByGenerator`: $y^4 + y^3 + y^2 + y + 1$

testing `WriteTEXUnivarFFPolyByGenerator`: $\alpha^{12} z^{15} + \alpha^3 z^{11} + z^5 + \alpha^{14}$

testing `WriteTEXMultivarFFPolyByGenerator`:
$\alpha^{10} x_1^{12} + x_0 x_2$, $\alpha^{13} + x_0 x_2$, $x_{10} x_{12} + \alpha^{13} x_{11}$, $s_{10} s_{12} + \alpha^{13} s_{11}$, $\alpha^{13} x_1 + x_0 x_2$