

PH1 Mark Scheme – June 2007

Question		Answers / Explanatory notes	Marks available
1	(a)	Repeated units / monomers [accept particles/atoms] or long molecular chains. <u>Not</u> : randomly packed molecules or particles joined together	1
	(b)	(i) molecules unravel / unfold [and align by rotation about single C–C bonds](1). Not steep because [small] force → large extension [or equiv] or because little/no resistive force between molecules / small force needed to rotate bonds (1)	2
		(ii) Molecules fully aligned (1). Steep because ratio of stress/strain high / [large] force → small extension orbecause applied force resisted by [covalent] bonds/forces <u>within</u> molecules [or monomers / atoms] (1).	2
	(c)	(i) $\frac{\text{stress}}{\text{strain}}$ [accept $\frac{Fl}{Ae}$ or equiv.]	1
		(ii) Rubber: Large strain/extension (1) for [small] stress / force (1) [or steel: converse]	2
	(d)	(i) e.g. flexible / tough / highly resilient / durable	1
		(ii) hard / rigid / strong	1
			[10]
2	(a)	$\frac{\text{Force}}{\text{extension}}$ / force per unit extension. [accept $k = \frac{F}{x}, \frac{F}{\Delta l}, \frac{F}{e}$]	1
	(b)	12 Nm ⁻¹ [or ½ of each] (1) because the extension is doubled [or equiv.] (1) for a given F (1)	3
	(c)	(i) extension = 0.1 m (1) $F = k \times \text{extension}$ [or by impl.] (1) $F = 12 \times 0.1 = 1.2 \text{ N}$ (1)	3
		(ii) Principle of Moments correct [allow dist to C of M] (1) $1.2 \times 0.8 = 0.5 (1) + 4x$ $x = 0.12 \text{ m}$ (1)	3
	(d)		[10]

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3	(a)		Resultant / net force / [vector] sum of forces (1) [accept total force] Correct example showing the resultant of two or more forces	1
	(b)	(i)	9800 N [N.B. Use of $g = 10 \text{ N kg}^{-1}$ penalised only once]	1
		(ii)	$a = \frac{[\Sigma]F}{m}$ [or by impl.] (1) = $\frac{(12000 - 9800)(1)}{1000} = 2.2 \text{ m s}^{-2}$ (1)	3
	(c)	(i)	$\sigma = E \times \varepsilon$ [or by impl.] $= 2 \times 10^{11} \times 3.75 \times 10^{-5} (1) [= 7.5 \times 10^6 \text{ Pa}]$ $T = \sigma \times A$ [or by impl.] = $7.5 \times 10^6 (\text{e.c.f.}) \times 1.2 \times 10^{-3} (1)$ $= 9000 \text{ N} (1)$	3
		(ii)	Deceleration <u>because</u> $T < 9800 \text{ N}$ [explanation needed] e.c.f.	1
				[10]
4	(a)		$\frac{\sin \theta_1}{\sin \theta_2} (1) = \text{constant} (1)$ [or equiv. e.g. $n_1 \sin \theta_1 = n_2 \sin \theta_2$]	2
	(b)	(i)	$\frac{\sin 45^\circ}{\sin 26^\circ} (1) = 1.6 (1)$	2
		(ii)	$1 < n < 1.6$ [e.c.f.] (1) [accept e.g. $1.2 - 1.5$, not $1.3 - 1.6$] for TIR to occur [accept: reflection] (1)	2
		(iii)	$c_{\text{fibre}} = \frac{3.0 \times 10^8}{1.6 [\text{e.c.f.}]} (1); t = \frac{10 \times 10^3}{c_{\text{fibre}}} = 5.3 \times 10^{-5} \text{ s} (1)$	2
	(c)		Any 2×1 of: <ul style="list-style-type: none"> larger information-carrying capacity / bandwidth ✓ Lighter [\therefore easier/cheaper to install] ✓ less cross-talk / more secure ✓ lower cost raw materials / production ✓ resistant to corrosion ✓ greater distance before boosting required ✓ N.B. not “faster”	2
				[10]

Question			Answers / Explanatory notes	Marks available
5	(a)		[particle] vibration along wave direction[not particles move...]	1
	(b)	(i)	$v = 5189 \text{ m s}^{-1}$	1
		(ii)	LHS: $\text{m}^2 \text{ s}^{-2}$ or $(\text{m s}^{-1})^2$ (1) RHS: $\frac{\text{Nm}}{\text{m}^2 \text{kg}} (1)$ [or by impl.] = $\frac{\text{kg m s}^{-2} (1) \text{m}^3}{\text{m}^2 \text{kg}} = \text{m}^2 \text{ s}^{-2}$ shown (1) [or equiv. in dimensions]	4
		(iii)	$d = 5189 t$ [e.c.f.] (1); and $d = 330(t + 0.4)$ (1) Working (1) $\rightarrow t = 141 \text{ m}$ (1) e.g. [substituting for d] $5189 t = 330 (t + 0.4)$ [e.c.f. on $t - 0.4$] $\therefore t = 0.027 \text{ s}$ ✓ then substitution $\rightarrow t = 141 \text{ m}$ ✓	4
				[10]

Question			Answers / Explanatory notes	Marks available
6	(a)		Speed has magnitude only (1); velocity has direction <u>too</u> (1). [or speed is a scalar (1); velocity is a vector (1)] [accept for 1 mark: velocity is speed in a specific direction]	1
	(b)	(i)	$s = \frac{u+v}{t}$ (1); $\therefore 3 \cdot 4 = \frac{u+0}{2} \times 2 \cdot 13$ (1) [or equiv.] manipulation (1) $\rightarrow u = 3 \cdot 4 \text{ m s}^{-1}$ [accept: inserting all figures and showing that, e.g. $3 \cdot 6 = 3 \cdot 6$]	3
		(ii)	$v = u + at$ [or equiv.] $0 = 3 \cdot 4 \pm 2 \cdot 13a$ (1) $a = \pm 1 \cdot 6 \text{ m s}^{-1}$ (1) <div style="border: 1px dashed black; padding: 5px; display: inline-block; margin-left: 20px;">N.B. Use of other equations of motion equally acceptable.</div>	3
		(iii)	$4 \cdot 26 - 0 \cdot 90$ [or $2 \cdot 13 + 1 \cdot 23$] [or by impl.] (1) = $3 \cdot 36 \text{ s}$ (1)	2
		(iv)	$3 \times$ diagram with only weight or [force due to] gravity shown (3×1) [3 correct diagrams with no labels \rightarrow (2)]	3
		(v)	No (1) because air resistance / drag would affect result (1) [Accept: Yes \checkmark because air resistance has only small effect \checkmark] [N.B. No [or yes] unqualified $\rightarrow 0$]	2
	(c)	(i)	$v_R = \sqrt{3 \cdot 4^2 + 2 \cdot 0^2}$ [or by impl] (1) = $3 \cdot 9 \text{ m s}^{-1}$ (1) $\theta = 59 \cdot 5^\circ$ to horizontal [direction must be clear] (1)	3
		(ii)	On vehicle (1) because no horizontal forces / v_h const. (1)	2
				[20]

Question			Answers / Explanatory notes	Marks available												
7	(a)	(i)	maximum displacement [accept: height]	1												
		(ii)	interact / overlap / interfere / combine / occupy same region	1												
	(b)	(i)	Direction: up [or down] / vertical (1) Amplitude: Q > P [not just different] (1) In phase (1)	3												
		(ii)	2 × 1.8 (✓) = 3.6 m	1												
	(c)	(i)	Top diagram: 2 loops shown ~ equal (1) Bottom diagram: 3 loops shown equal (1) nodes shown at ends (1)	3												
		(ii)	<table border="1"><tr><td>1</td><td>2</td><td>3</td></tr><tr><td>3.6</td><td>1.8 (1)</td><td>1.2 (1)</td></tr><tr><td>0.28</td><td>0.56</td><td>0.83</td></tr><tr><td>4.32</td><td>4.32</td><td>4.32</td></tr></table> (1) all $\frac{1}{\lambda}$ (1) e.c.f.	1	2	3	3.6	1.8 (1)	1.2 (1)	0.28	0.56	0.83	4.32	4.32	4.32	4
		1	2	3												
		3.6	1.8 (1)	1.2 (1)												
		0.28	0.56	0.83												
		4.32	4.32	4.32												
(iii)	Graph: Scale + plotting (1); line (1)	2														
(iv)	inverse proportion [accept $f = \frac{c}{\lambda}$, with $c = \text{const}$ or speed]	1														
	4.2 [e.c.f. from graph] (1); speed of wave (1)	2														
		[20]														