understand the techniques. Reviews should always be constructive so as to lead the authors to a more polished publication and improve the quality of the literature. Nonchemists should be asked to review papers, but editors must weigh their criticism carefully because, for instance, many mathematicians consider all applications to be trivial extension of their work.

Reviewing a manuscript is considerably easier than reviewing a research proposal because more objectivity can be applied to the former task. Sometimes it is clear that a principal investigator (PI) is in "left field" and should not have written a proposal. Many of the proposals I have seen, however, are basically sound, and it is very difficult to predict the final results of two or three years of research before it has begun. An error in judgment can deprive chemistry of an important advance or, on the other hand, waste limited funds.

As I have stated, chemical pattern recognizers have enjoyed a period of adequate funding. How then should funds be distributed in the future? First, proposals should be revised by pattern recognition experts in order to determine whether or not the PI has an adequate understanding of the techniques to be applied. This is a most important step because misuse of the techniques leads to poor results, general confusion in the literature, and, finally, disenchantment with the techniques. Since pattern recognition allows the study of chemical systems where multiple measurements can be made and analyzed efficiently, these studies should enjoy a higher priority for funds. Real innovation will come in the design and application of measurement systems that generate complex, rather than simple data output. Several measurements can be made and pattern recognition used for data reduction. For example, measurement systems can be designed using pattern recognition, which find patterns of enzyme levels in clinical samples that indicate various health problems.

I also believe that the National Science Foundation should continue to support research aimed at developing more advanced chemometric methods. Funding should also continue for *novel* applications of these methods. I do not believe that the permeations of advanced mathematical and statistical methodology into chemistry is proceeding at a rapid enough pace. In many cases chemistry is behind areas such as psychology, economics, and biology in the application of new and powerful methods.

#### COMMUNICATION

I see no problem in defining the appropriate avenues of communication of the results of chemometric studies. Papers describing new methodology that could be used outside of chemistry should be sent to journals such as Pattern Recognition or one of the IEEE journals. Another useful avenue is the newly reorganized Journal of Chemical Information and Computer Science. Applications of chemometric methods should go to the proper audience of chemists. Analytical Chemistry should receive those papers dealing with applications to analytical problems of a general nature. Applications to solve a problem of interest to a narrower audience (i.e., forensic chemists) should go to the primary journal most read by that audience.

The real problem for chemometricians is keeping abreast of the many new and useful tools that are available. The letter shown in Figure 1 was written to help solve this problem as well as to provide a forum of chemometricians and a channel to statisticians, applied mathematicians, etc. Your presence at this meeting qualifies you to respond to this letter if you wish.

## The Scope of Structural Isomerism<sup>1</sup>

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Received July 9, 1975

The variations in the number of structural Isomers of organic compounds as a function of variation in atom type and degree of unsaturation<sup>†</sup> are discussed. These results provide quantitative measures which can be used to rationalize and extend intuitions of chemists on the scope of structural isomerism.

The fundamental concept of structural isomerism has been supported largely by intuitive ideas throughout the history of chemistry. Until recently there has been no systematic solution to the problem of specifying either complete sets of structural isomers for a given empirical formula or subsets based on constraints derived from a variety of sources (e.g., chemical isolation procedures, spectroscopic data). Problem-solving in this area, from student problems in introductory organic chemistry to complex problems of molecular structure elucidation, has been relegated to patient doodling with pencil and paper.

Central to the concept of structural isomerism is its scope, or the number and identity of each possible isomer.

<sup>†</sup> The term unsaturation, or degree of unsaturation, is used in this paper to mean the number of rings plus double bonds, or "double bond equivalents."

This problem has not been ignored by chemists and mathematicians. A recent review of uses of graph theory in chemistry by Rouvray<sup>2</sup> summarizes past attempts to treat mathematically various problems of isomerism, with examples cited. With the exception of Lederberg's approach to generation of acyclic isomers<sup>3</sup> and recent work by Sasaki and coworkers<sup>4</sup> and Balaban,<sup>5</sup> the work summarized by Rouvray yields only the number, not the identities of isomers.<sup>11</sup>

The DENDRAL algorithm for generation of acyclic isomers<sup>3</sup> provides a systematic approach to the study of structural isomerism in acyclic molecules. More recently, an algorithm<sup>7</sup> and a computer program based on this algorithm<sup>8</sup> have been developed for exhaustive generation of structural isomers, inclusive of isomers containing cyclic and acyclic components. With the scope of structural isomerism amenable to treatment by systematic procedures, we can now consider detailed questions about isomerism.

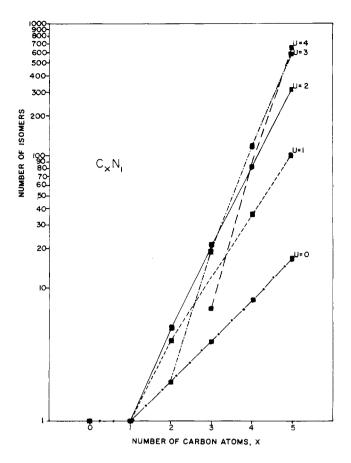


Figure 1. Semilog plots of the number of structural isomers vs. carbon number for empirical formulas containing 0-5 carbon atoms and one nitrogen atom and 0-4 U's (unsaturations, or double bond equivalents).

We selected a restricted set<sup>12</sup> of isomer generation problems, considering only a maximum of six nonhydrogen atoms, including carbon, nitrogen, and oxygen, to attempt to answer questions on the scope of structural isomerism which have arisen. These questions concern (1) the effect of increasing numbers of atoms on the total number of isomers; (2) the effect of increasing degree of unsaturation on the number of isomers for a given combination of C, N, and O; and (3) the effect on the number of isomers by replacing one atom type with another, retaining the same total number of atoms and unsaturations.

### **RESULTS**

Each set of isomers was constructed by supplying to the structure generator<sup>8</sup> an empirical formula consisting of the number of each type of atom (carbon, nitrogen, oxygen) and the unsaturation count, which implicitly specifies the number of hydrogen atoms. The structure generator constructs the set of structural, or topological, isomers for the given formula. Thus, all isomers are constructed which obey normal valences (C = 4, N = 3, O = 2), but at present no account is taken of stereochemical considerations. Consideration of the three-dimensional properties of molecules would result in additional isomers. Neglect of bond lengths and angles and the inherent instability of certain functionalities (e.g., peroxides) results in construction of some structures which chemists would regard as implausible. However, what is implausible under some conditions may well be plausible under others. This paper does not attempt to define the chemical context within which certain structures may be forbidden; i.e., there is no constraint other than valence.

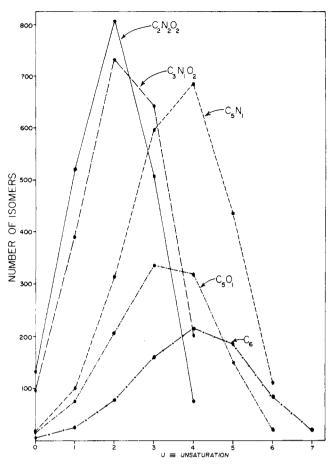


Figure 2. The number of isomers as a function of unsaturation count for groups of six atoms.

Use of normal values for valence means that certain functionalities which violate these values (e.g., nitro groups and N-oxides) are not considered in construction of structures. Consideration of them is straightforward, for example, by representing the nitro group as a univalent superatom,  $^8$ -NO<sub>2</sub>. The N-oxides are constructed using a trivalent superatom O-N $\leq$ . This results in larger numbers of isomers than reported below for lists of atoms where such functionalities are possible. Finally, tautomeric structures are regarded by the program as distinct entities.

These caveats arise because we have a program which knows a great deal about graph theory, but very little about chemistry unless specific chemical constraints are supplied by the user (see Experimental Section). Within this restricted view of isomerism the results are quantitative. Additional considerations, such as stereochemistry, chemical context, and so forth, although they would modify the values presented below, do not significantly affect the conclusions.

The number of isomers for each combination of C, N, and O is presented in Table I as a function of the unsaturation count U. These numbers were determined by constructing each set of isomers and then counting the results.

The Number of Isomers vs. Increasing Number of Atoms. Chemists are aware that the scope of structural isomerism is immense. Yet it is our experience that educated guesses on the number of isomers for even small numbers of atoms frequently are an order of magnitude too low. Lederberg et al.<sup>3a</sup> have pointed out that the number of acyclic isomers increases approximately exponentially with increasing carbon number. As expected, semilog plots of the total number of structural isomers (data in Table I) display a similar behavior. The data for  $C_x N_1 U_m$  ( $0 \le x \le 5$ ,  $0 \le m \le 4$ , U = unsaturation) are presented in Figure 1. Most

such plots display a slightly decreasing slope with increasing carbon number for each given unsaturation.

As unsaturation increases, the slopes of the curves increase sharply (see Figure 1 as U increases from zero to four). However, curves representing higher unsaturation counts frequently begin, and remain for a short time, below curves representing lower unsaturation counts, for example, the curves for U = 3 and U = 4, Figure 1. It seems clear that the higher the degree of unsaturation the greater the possible number and combinations of multiple bonds and ring systems. This factor is responsible for increasing slope with increasing U observed in Figure 1. But, carrying this argument to its extreme, why should not the number of isomers for a given combination of atoms always be greater for higher unsaturation counts, as long as the total valence of the composition list can support the specified unsaturation? The next section discusses this point in more detail.

The Number of Structural Isomers vs. Unsaturation Count. In Figure 2 some selected data from Table I are plotted including various combinations of six atoms. This figure illustrates the typical rise and fall of the number of isomers with increasing unsaturation. The value of unsaturation at which the number of isomers reaches a maximum is a complex function of the number and identity of atoms. The value shifts slowly to higher values of unsaturation as the number of atoms increases. Most composition lists of four atoms show maxima at U=1 or 2. Several composition lists of six atoms have maxima at U=3. However, most still display maxima at U=1 or 2.

It is interesting to note that there is a smooth variation of number of isomers with unsaturation. No example presented in Table I shows a number of isomers which declines, then rises again with increasing unsaturation.

The curves presented in Figure 2 serve to introduce another set of questions and observations. These are concerned with the effects on the number of isomers caused by replacement of one type of atom with another type.

The Number of Structural Isomers vs. Atom Type. Most chemists intuitively expect that a given number of atoms and unsaturations will yield a larger number of isomers with a more diverse collection of atoms. As a first approximation, this is true, as indicated in Figure 2. The curve of  $C_5N_1$  lies above the curve of  $C_6$  for all values of U; the curve of  $C_5O_1$  lies above that of  $C_6$  for  $0 \le U \le 4$ . It is reasonable to expect that, in a comparison of the results of exchange of atom types (e.g., either one N or one O for one O, the exchange yielding a higher total valence results in a group of atoms capable of yielding a greater diversity of structures. To a first approximation this is also true, as the curve of  $C_5N_1$  lies above that of  $C_5O_1$  for all values of O0 (Figure 2).

Results presented previously, however, indicate the subtle interplay of atom type and valence. Intuition often fails to predict the relative numbers of isomers resulting from replacing an arbitrary number of atoms by the same number of atoms which differ in name and valence. Some representative data selected from Table I are presented in Table II to indicate the influence of variation of atom type on the number of isomers.

For a given unsaturation count, the ratio between numbers of isomers resulting from N-substitution vs. O-substitution increases with increasing substitution, e.g.,  $N_1/O_1$ ,  $N_3/O_3$ , Table II.

## DISCUSSION

The variations of numbers of isomers with increasing numbers of atoms, with unsaturation count or with substitution of one atom type with another can be rationalized on the same basis. Knowledge of an algorithm for constructing structural isomers, such as that used by the structure gen-

Table I. Structural Isomers of  $C_x N_y O_z$ ,  $x + y + z \le 6$ , for Allowed Values of the Unsaturation, U

No. of		Unsaturation						
atoms	0	1	2	3	4	5	6	7
C <sub>1</sub> C <sub>2</sub> C <sub>3</sub> C <sub>4</sub> C <sub>5</sub> C <sub>5</sub> C <sub>7</sub>	1 1 2 3 5	$\begin{array}{c} 1 \\ 2 \\ 5 \\ 10 \\ 25 \end{array}$	1 3 9 26 77	$\begin{array}{c} 1\\2\\11\\40\\159\end{array}$	$\begin{array}{c} 1\\ 7\\ 40\\ 217 \end{array}$	3 21 185	6 85	19
C <sub>1</sub> O <sub>1</sub> C <sub>2</sub> O <sub>1</sub> C <sub>3</sub> O <sub>1</sub> C <sub>4</sub> O <sub>1</sub> C <sub>5</sub> O <sub>1</sub>	$\begin{array}{c} 1 \\ 2 \\ 3 \\ 7 \\ 14 \\ 1 \end{array}$	$\begin{array}{c} 1\\ 3\\ 9\\ 26\\ 74\\ 1\end{array}$	3 13 55 205	$\begin{array}{c} 1\\9\\62\\337\end{array}$	2 36 318	7 151	21	
C <sub>1</sub> O <sub>2</sub> C <sub>2</sub> O <sub>2</sub> C <sub>3</sub> O <sub>2</sub> C <sub>4</sub> O <sub>2</sub>	$\begin{array}{c} 2 \\ 5 \\ 11 \\ 28 \\ 1 \end{array}$	$\begin{array}{c} 2 \\ 10 \\ 34 \\ 122 \\ 1 \end{array}$	1 9 52 263	3 34 301	7 163	28		
C, O, C, O, C O	$\begin{array}{c} 3\\10\\28\\1\end{array}$	$\begin{smallmatrix}4\\22\\102\\1\end{smallmatrix}$	$\begin{array}{c} 1\\20\\152\end{array}$	5 98	16			
O <sub>4</sub> C <sub>1</sub> O <sub>4</sub> C <sub>2</sub> O <sub>4</sub> O <sub>5</sub> C <sub>1</sub> O <sub>5</sub> O <sub>6</sub>	$\begin{array}{c} 5\\20\\1\\6\end{array}$	$\begin{array}{c} 6 \\ 48 \\ 1 \\ 9 \end{array}$	$\begin{array}{c}2\\41\\2\end{array}$	10				
O <sub>1</sub> O <sub>5</sub> O <sub>6</sub> N <sub>1</sub> C <sub>1</sub> N <sub>1</sub> C <sub>2</sub> N <sub>1</sub> C <sub>3</sub> N <sub>1</sub> C <sub>4</sub> N <sub>1</sub> C <sub>5</sub> N <sub>1</sub>	$\begin{array}{c} 1 \\ 1 \\ 2 \\ 4 \\ 8 \\ 17 \end{array}$	$     \begin{array}{r}       1 \\       4 \\       12 \\       35 \\       100     \end{array} $	1 5 21 85 313	2 19 116 593	7 87 685	27 437	112	
C <sub>1</sub> N <sub>2</sub> C <sub>2</sub> N <sub>2</sub> C <sub>3</sub> N <sub>2</sub> C <sub>4</sub> N <sub>2</sub> N <sub>3</sub>	$\begin{array}{c} 1 \\ 2 \\ 6 \\ 14 \\ 38 \\ 1 \end{array}$	1 18 62 218	$\begin{array}{c} 1\\4\\27\\136\\633\\1\end{array}$	1 19 155 1058	5 86 1005	14 465	64	
$C_{1}^{3}N_{3}$ $C_{2}^{1}N_{3}$ $C_{3}^{3}N_{3}$	$\begin{array}{c} 4 \\ 14 \\ 45 \end{array}$	$\begin{array}{c} 1\overline{1} \\ 58 \\ 259 \\ 4 \end{array}$	$13 \\ 110 \\ 681 \\ 4$	6 99 969 2	$\begin{array}{c} 34 \\ 706 \end{array}$	194		
C <sub>1</sub> <sup>4</sup> N <sub>4</sub> C <sub>2</sub> N <sub>4</sub> N <sub>5</sub>	2 8 37 2 15	29 189 7 73	47 $439$ $9$ $145$	31 512 4 131	$\begin{array}{c} 6 \\ 272 \end{array}$	42		
N <sub>1</sub> O <sub>1</sub> C <sub>1</sub> N <sub>1</sub> O <sub>1</sub>	$\begin{array}{c} 13 \\ 4 \\ 1 \\ 3 \\ 8 \\ 21 \end{array}$	15 1 5 22 84	25 3	18	42 6			
$C_{2}N_{1}O_{1}$ $C_{3}N_{1}O_{1}$ $C_{4}N_{1}O_{1}$ $N_{2}O_{1}$	21 56 2 8	$\frac{299}{3}$	26 154 764 1	11 136 1069	46 775	216		
CONCCCNCCNCCNCCNCCNCCNCCNNCCNNCCNN	$\begin{array}{c} 8\\31\\102\\3\end{array}$	$\begin{array}{c} 21 \\ 115 \\ 527 \\ 7 \end{array}$	18 $177$ $1194$ $4$	$114 \\ 1371$	$\begin{array}{c} 20 \\ 703 \end{array}$	88		
$C_1^3 N_3^4 O_1$ $C_2 N_3^4 O_1$ $C_4 N_1^4 O_1$	$   \begin{array}{c}     21 \\     101 \\     6 \\     52   \end{array} $	$71 \\ 481 \\ 18 \\ 225$	86 935 17 361	$     \begin{array}{r}       34 \\       826 \\       4 \\       227     \end{array} $	256 32			
$ \begin{array}{cccc}  & N_4 & O_1 \\  & N_5 & O_1 \\  & N_1 & O_2 \\  & C_1 & N_1 & O_2 \\  & C_1 & N_1 & O_2 \end{array} $	$\begin{array}{c} 11 \\ 2 \\ 8 \end{array}$	$\begin{array}{c} 43 \\ 2 \\ 15 \end{array}$	55 8	22	02			
$C_{2}N_{1}O_{2}$ $C_{3}N_{1}O_{2}$ $N_{2}O_{2}$ $C_{1}N_{2}O_{3}$	28 90 5 28	$   \begin{array}{r}     84 \\     391 \\     8 \\     75   \end{array} $	99 732 3 65	641 $12$	202			
$C_{2}^{1}N_{2}^{2}O_{2}^{2}$ $N_{3}O_{2}$ $C_{1}N_{3}^{2}O_{2}$	28 132 10 86	$\frac{521}{23}$ $\frac{306}{306}$	807 13 369	506 137	76			
$ \begin{array}{ccc} N_1 O_2 \\ N_1 O_3 \\ C_1 N_1 O_3 \\ C_2 N_1 O_3 \end{array} $	24 3 17 76	72 $3$ $34$ $246$	66 18 288	14				
$N_{2}O_{3}$ $C_{1}N_{2}O_{3}$ $N_{3}O_{3}$ $N_{3}O_{3}$	9 73 24 4	$15 \\ 207 \\ 58 \\ 4$	5 173 30	29				
$ \begin{array}{ccc} C_{1}^{1} \widetilde{N}_{1}^{4} O_{4} \\ N_{2}^{2} O_{4} \\ N_{1}^{2} O_{5} \end{array} $	33 17 5	68 27 5	34 8					

Table II. Variation in the Number of Isomers by Substitution of Nitrogen and/or Oxygen Atoms for Carbon Atoms. Some Composition Lists of Six Atoms with Two Unsaturations

Aton				
n	X	No. of isomers		
6 5 4 4 4 3 3 3 3	O <sub>1</sub> N <sub>1</sub> O <sub>2</sub> N <sub>2</sub> N <sub>1</sub> O <sub>3</sub> N <sub>3</sub> O <sub>4</sub> N <sub>2</sub> O <sub>1</sub>	77 205 313 263 633 764 152 681 732 1194		

erator, promotes a systematic way of thinking about isomerism which can be used in this reasoning.

The structure generator considers all possible ways of apportioning elements of the empirical formula, including atoms and unsaturations, among sets used to construct rings and corresponding sets used to construct acyclic chains which contain no unsaturation. The greater the number and variety of atoms, the greater the number of ways these sets may be assembled and the greater the potential number of isomers. Ever increasing numbers of unsaturations serve to increase the variety of ring systems which can be constructed, but at the expense of the variety of acyclic chains. Eventually atoms must be, in a sense, removed from the set of atoms in acyclic chains in order to support the additional number of unsaturations allocated to atoms in ring systems. But this is still only a partial explanation. Exactly what is serving to restrict the number of isomers at high degrees of unsaturation?

The answer lies in a broader conception of the term "variety" in reference to atoms. Curves of the number of isomers of n carbon atoms as a function of increasing unsaturation rise and fall even though the variety of atom names (e.g., all C's) remains constant. But if variety is extended to refer to atom names and the potential variety of degree of atoms of the same name, these curves make sense. At low values of unsaturation, most carbon atoms will be primary or secondary<sup>14</sup> and variety is low. As U increases, variety increases, as carbon atoms will exist in several different combinations of degree one through four in the various isomers. As U approaches the maximum which can be supported by the atoms, most carbon atoms will be quaternary, few or none primary or secondary, and variety has again diminished and the number of isomers has declined. This argument is expressed in terms of unsaturations and degree. One can also frame it in terms of C's, N's, and O's associated with hydrogen atoms rather than unsaturation. The argument then becomes the following, using carbon as an example: at low values of unsaturation, one is dealing primarily with methyl (CH<sub>3</sub>) and methylene (-CH<sub>2</sub>-) groups and variety is low; at intermediate values of unsaturation, there are more combinations because of the greater number of ways to distribute the hydrogen atoms among the various carbon atoms to produce several combinations of  $CH_{3-}$ ,  $-CH_{2-}$ ,  $>CH_{-}$ , and >C<. At high unsaturation, there are few hydrogens to distribute among the carbon atoms, and most carbons are of the form >C<. (This argument is implicit in Balaban's discussion.<sup>5</sup>)

Substitution of carbon atoms with other types of atoms also yields greater variety. Now, however, variety can be increased both by differing atom types and the potential for differing degrees of atoms of the same type. If substitutions are by atoms of the same valence, then the number of isomers will always be greater, for every value of U, than the number of isomers for the unsubstituted composition list. Thus, for any value of U, the number of isomers resulting from substitution of silicon for carbon will be in the order

(for example)  $C_6 < C_5Si_1 < C_4Si_2 < C_3Si_3$  (but  $C_2Si_4 = C_4Si_2$ , variety is constant).

When the substitution is by an atom of lower valence, then variety of atom type is higher, but eventually the inability of the resulting group of atoms to maintain high variety at high degrees of unsaturation (due to lower total valence) may cause the number to fall below the results from a group of atoms of lower variety of atom type. These effects were mentioned previously (Figure 2). Note, in Figure 2, that C<sub>5</sub>O<sub>1</sub> and C<sub>5</sub>N<sub>1</sub> have the same variety of atoms, five C's, and one other. Yet the single extra valence of one nitrogen atom vs. one oxygen atom dramatically increases the variety based on consideration of the possible degrees of the atoms and, therefore, the number of isomers. Also, the composition lists  $C_2N_2O_2$  and  $C_3N_1O_2$  have greater variety of atom type than  $C_5N_1$ . Up to U=2 (Figure 2) the former pair of composition lists yields more isomers than  $C_5N_1$ . At U = 4, however, total valence and its attendant restriction on the variety of degree of atoms (i.e., oxygen can only be of degree one or two, whereas nitrogen can possess one through three, and so forth) cause the number of isomers of  $C_2N_2O_2$  and  $C_3N_1O_2$  to fall below that of  $C_5N_1$ .

Similar arguments can be invoked to explain other features of the data presented in Table I. For example, numbers of isomers of  $C_x N_2 O_1$  and  $C_x N_1 O_2$  are consistently greater than those of  $C_x N_3$ , until high values of unsaturation are considered. The higher valence of  $C_x N_3$  eventually supports a greater variety of degrees of atoms, and, thus, isomers. As expected,  $C_x N_1 O_2$  falls below  $C_x N_3$  faster than  $C_x N_2 O_1$  as unsaturation increases.

#### CONCLUSIONS

Variations in the numbers of structural isomers as a function of several parameters have been presented and discussed. The concept of variety of atoms, whether with respect to degrees of atoms of the same name or with respect to differing atom names, is useful in thinking about these variations. No attempt to derive a quantitative measure of variety has been made. A quantitative measure would yield the number of isomers for a given composition list. There is a computational method<sup>9</sup> which yields this number, but this method is extremely time-consuming and does not, of course, determine the identity of each isomer.

A qualitative measure of variety is the number of initial partitions (superatom partitions<sup>8</sup>) of atoms and unsaturations among rings and chains. This, in fact, is the basis for the qualitative arguments. There is no easy formula known to us which can be used to calculate the number of superatom partitions. One must do the partitioning and count the results.

It is hoped that this discussion illustrates that there are procedures for systematic treatment of structural isomerism, and knowledge of these procedures can stimulate new ways of thinking about isomerism. Although the findings and rationalizations discussed are not surprising in hind-sight, it would be difficult to predict or rationalize the aspects of the scope of structural isomerism discussed herein.

The isomer counts presented in Table I are useful primarily for the discussions which followed. The scope of isomerism is such that complete compilations, including counts and structures, of structural isomers are seldom useful. Chemists attack structure problems with many constraints on what constitute plausible structures. The discussion presented, however, can also assist in analysis of such constrained problems. A program (called "CONGEN") is available which is capable of exploring the scope of structural isomerism under constraints<sup>10</sup> (see Experimental).

#### **EXPERIMENTAL**

The structure generator CONGEN is written in the pro-

gramming language INTERLISP. Although we will provide copies and listings of the program to interested persons, this information will only be useful to a facility which maintains the INTERLISP language. The Stanford University Medical Experimental (SUMEX) computer facility has been established to encourage sharing of such programs among a collaborative community of users via a nationwide computer network. For additional information, write to the author, or to Professor Joshua Lederberg, Principal Investigator, SUMEX Project, Stanford University Medical School, Stanford, California 94305. Structures of isomers, including those presented here, with or without constraints, are available via this mechanism.

#### **ACKNOWLEDGMENTS**

I wish to thank the National Institutes of Health for their direct support of this work (RR 00612-05A1) and for their support of the SUMEX resource (RR 00785-02) which enabled the computations to be carried out. The contributions of my coworkers in developing the structure generator and its refinements, and the support of the SUMEX staff were invaluable.

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- (11) Rouvray2 uses the term "enumeration" in reference to both the constructive approach of Lederberg3 and the isomer counting technique based on Polya's theorem.6 The former technique yields the identity of each isomer, information we deem critical to chemists; the latter technique does not. Thus, we refer to structure generation, or construction, with reference to methods which yield the actual structures.
- (12) This set of problems is restricted for several reasons. Selected isomer counts are presented as they are important to the discussion. Practicality dictates against other, larger problems; they would represent only extensions to the discussion. The program is not restricted to the problems presented. Structures from these problems and others are available (see Conclusions and Experimental).
- (13) Disagreements between the first column (U = 0) of Table I and Table III of reference 3a arise from the fact that some undesired substructures (BADLIST3) were not considered in the latter tabulation.
- (14) We use the terms primary, secondary, . . . , in reference to a broad definition of the word "degree". We consider for the purposes of this discussion that a tertiary carbon atom possesses three bonds to other, nonhydrogen atoms, independent of the multiplicity of these bonds. Although exception might be taken to this broad a definition, it is consistent with the structure generator's topological view of chemistry and saves having to introduce the textual complexities of differing hybridizations. We only note that the different hybridizations which, for example, a quaternary (by our definition) carbon may possess lead also to greater variety, which is responsible for there being more isomers of C<sub>6</sub>U<sub>7</sub> (no hydrogens) than C<sub>6</sub>U<sub>0</sub>. Although the latter composition list can support carbon atoms with several degree values (e.g., 2,2-dimethylbutane has carbon atoms of degree 1, 2, and 4), they are all sp3 carbons. The former composition list has only quaternary carbon atoms, but there are several different hybridizations possible.

# A Text Search System Using Boolean Strategies for the Identification of Infrared Spectra<sup>†</sup>

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Received August 11, 1975

A text searching algorithm, which operates on a tape based minicomputer, has been developed in this laboratory and applied to Chemical Condensates. This search is general in nature, and thus is applicable to any type of data set following an appropriate preprocessing step. This paper presents the application of general text searching concepts (including truncation and Boolean logic) to searching the ASTM file of 91,875 infrared spectra. A text-oriented search allows information supplemental to peak positions and intensities to be included in the search input. Some examples include the compound name or fragments thereof, molecular formula information, and chemical functionality information. In addition, the system is useful for studies other than the conventional technique of searching a library file for the closest match to an unknown spectrum. One can readily obtain a specific subset of spectra for further study by pattern recognition or statistical techniques using this system.

Recent work in this laboratory has resulted in the development of a rapid and efficient generalized minicomputer text searching system.1 The system has been applied to

† Presented, in part, at the 26th Pittsburgh Conference on Analytical Chemistry and Applied Spectroscopy, Cleveland, Ohio, March 4, 1975.

Chemical Condensates of the Chemical Abstracts Service. Complete Boolean algebraic search strategy expressions may be used as direct entries and all forms of truncation are automatically processed. Currently the system is operating on 72 complex literature profiles developed by vari-