

Thermodynamic Functions for Fluorine

George M. Murphy and John E. Vance

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solvent. We assumed that this small difference was responsible for such results.

From Debye's equation it appears that, when the refractive index difference between the solution and the solvent is very small, the turbidity of the solution must be also very small.

We planned an experiment to have another test of the value of Debye's equation for very small refractive index differences. Using tetrachlorethane as a solvent and cellulose acetate as a solute we obtained what was desired, because the values of the refractive indices of both are very close to each other. We made the value of n-no very close to zero by the addition of ethylene chloride to the solution. We prepared a mixture of solvents of the same composition and we presumed that the turbidity due to the solute would be very small because of the negligible value of n-no.

The turbidity of the solution was found to be one time and a half that of the solvent mixture. This yields a value of about ten million for the molecular weight compared with a viscosity molecular weight of 60,000 for the same polymer.

TABLE I.

Solvent	Solute	$\left(\frac{n}{}\right)$	$\left(\frac{-no}{c}\right)^2$	Molecula (Light scattering)	r weight (Viscosity)
Ethylene chloride	GR-S	27.2	×10 ⁻³	140,000	125,000
Carbon tetra- chloride	GR-S	14.4	×10 ⁻³	120,000	125,000
Toluene	GR-S	3.1	×10 ⁻³	1,000,000	125,000
Tetrachloroethane Ethylene chloride	Cellulose acetate	0.03	6×10⁻³	10,000,000	60,000

Table I gives the value of light-scattering molecular weight compared with viscosity molecular weight. For each solution we give the value of $[(n-no)/c]^2$.

The results of turbidity measurements are in good agreement with viscosimetric determinations for the first solutions where the value of $[(n-no)/c]^2$ is large enough. When this value decreases, the difference between viscosimetric and light-scattering determinations increases very rapidly.

The results tabulated in Table I indicate that Debye's equation is correct only under certain conditions and one of those conditions is to have a large enough value of n-no.

¹ P. J. Debye, J. Phys. Colloid Chem. 51, 18 (1947).

The Structure of Nitrosyl Chloride from the Microwave Absorption Spectrum

H. J. Bernstein Division of Chemistry, National Research Council, Ottawa, Canada September 13, 1950

THE recent note¹ on the microwave absorption of NOCl gave the values for the moments of inertia listed in Table I.

TABLE I.

	Microwave		Electron diffraction
	NOCl35	NOCl ³⁷	NOCl35.5
Ic	152.59 ±0.04	153.05 ±0.08	156.7
I_B	147.33 ± 0.03	148.12 ± 0.08	147.7
I_A	5.27 ± 0.07	4.93 ± 0.16	9.05

Those obtained by electron diffraction² are listed for comparison. (All moments of inertia are expressed in units of 10⁻⁴⁰ c.g.s.)

Calculation of the molecular dimensions from the microwave data leads to a bond distance for NO in NOCl which is less than 1.080A. This is so much less than 1.150A which is the NO distance³ in the nitric oxide molecule that it would seem to be an unlikely value for the NO distance. The entropy at 298°K calculated⁴ with the electron diffraction value of the least moment of inertia agrees within the experimental error with the observed value, whereas the entropy calculated with the least moment of inertia obtained from microwave absorption gives a value which is 1.0 entropy unit lower than the observed value. This is well beyond the discrepancy permitted by experimental error.

The observed frequencies for the transitions between rotational levels were used for determining I_C and I_B whereas I_A was found from the sum rule $(I_C = I_B + I_A)$ since the data are not sufficiently accurate to obtain I_A from the frequency reported for the $1_{-1} \rightarrow 2_{-2}$ transition.

The microwave value for I_A obtained from the sum rule is not compatible with the geometry of the molecule nor the observed value of the entropy, whereas the value of I_A determined by electron diffraction is quite suitable.

Higher accuracy in determining the frequencies in the microwave spectra is needed before a value for I_A can be obtained with an accuracy which is comparable to that obtained by electron diffraction, viz., $9.05\pm0.50\times10^{-40}$ c.g.s. unit.

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Thermodynamic Functions for Fluorine

GEORGE M. MURPHY AND JOHN E. VANCE Chemistry Laboratories of Washington Square College, New York University, New York, New York September 21, 1950

M OLECULAR data were used by us¹ some years ago to calculate the entropy, free energy, and heat capacity of fluorine gas. Our results, however, were subject to slight uncertainties since the value of the internuclear distance of the molecule came from a preliminary electron diffraction result of Brockway² and the vibrational frequency, in the absence of a direct spectroscopic measurement, had to be estimated by the use of Badger's rule.³

These two sources of uncertainty have now been removed, as Rogers, Schomaker, and Stevenson⁴ have reported a more precise electron diffraction result and, recently, Andrychuk⁵ has observed the Raman spectrum of gaseous fluorine. It has thus seemed useful to recalculate our 1939 results using the new molecular constants. At the same time, we have thought it worth while to use the revised values of the natural constants, Avogadro's number, Planck's constant, etc. For the latter purpose, we have taken the working formulas given by Wagman et al.⁶

Our earlier values for the internuclear distance and vibrational frequency, with their estimated probable errors were $r_0=1.45\pm0.05\mathrm{A}$; $\omega_0=856\pm17~\mathrm{cm}^{-1}$; the revised values are $r_0=1.435\pm0.01\mathrm{A}$; $\omega_0=892.1\pm2~\mathrm{cm}^{-1}$. With the latter data, we have calculated the thermodynamic quantities shown in Table I by the

Table I. Thermodynamic functions of fluorine gas, F_2 (in cal./mole).

T, °K	$-(F^0-H_0^0)/T$.Sº	Cp^0
298.16	41.412	48,484	7.466
300	41,455	48.530	7.474
400	43.510	50.734	7.853
500	45.139	52.519	8.135
600	46.498	54.020	8,331
800	48.696	56.453	8.566
1000	50.446	58.379	8.691
1200	51.905	59.970	8,763
1400	53.156	61.325	8.809
1600	54.253	62.503	8.839
1800	55.228	63.546	8,860
2000	56.108	64.480	8.876

well-known methods for the rigid rotator-harmonic oscillator molecular model. In comparing our present results with the earlier ones, it will be observed that the latter are larger in each case. The differences in the free energy function, $-(F^0-H_0^0)/T$ range from 0.08 to 0.14 cal./mole, the two figures referring to 298.16° and 2000°, respectively. For the entropy, the corresponding differences are 0.09 to 0.16 and for the heat capacity, 0.06 to 0.00. It should be remembered, however, that these variations are from two sources: change in the fundamental natural constants and change in the molecular constants.

Lack of a reliable value for the heat of dissociation of fluorine into atoms or the heat of dissociation for another fluorine containing molecule prevents us from recalculating equilibria involving fluorine or fluorine compounds. This difficulty was discussed in our earlier paper and has been considered more recently by Gaydon,7 Potter,8 and Nathans.9 It appears that this source of uncertainty can only be removed when further experimental data are available.

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The Infra-Red Spectra of Propane and 2,2-Dideuteropropane

H. L. McMurry and V. Thornton Phillips Petroleum Company, Research Division, Bartlesville, Oklahoma June 29, 1950

N an earlier paper1 the frequency assignments for the vibrational modes of propane were discussed in the light of the infra-red spectra of 1-deuteropropane and 2-deuteropropane. We have since obtained the spectrum of a sample of 2,2-dideuteropropane estimated to be 98 percent pure.2 This spectrum, together with that of propane for comparison, is shown in Fig. 1.

The new data show that the three type B_1 bands below 1350 cm⁻¹ in the propane spectrum have analogs at markedly lower frequencies in the 2,2-dideuteropropane spectrum.3 The changes on going from propane to 2,2-dideuteropropane are 1336 to 1199, 1053 to 964, 923 to 850 cm⁻¹. These modes, belonging to species B_1 , involve rocking motions of the CH₃ groups and the CH₂ (or CD₂) group about axes normal to the plane of the carbons, and the unsymmetrical C-C-C stretching motion. Since the frequencies of all three modes are sensitive to substitution of CD2 for CH2,

the CH2 rocking motion in propane is seen to interact strongly with the CH3 rocking and unsymmetrical C-C-C stretching motions. It is, therefore, unrealistic to describe the low frequency modes of species B_1 in propane as specific group vibrations.

The present data, together with available Raman data, permit reasonable assignments for the approximate frequencies of all the modes belonging to species A_1 and B_1 in both propane and 2,2-dideuteropropane. These are given in Table I. The ratios for

Table I. Frequencies of the A_1 and B_1 modes in propane and 2,2-dideuteropropane.

Sym- metry	Propane frequency*	2,2-Deutero- propane frequency ^a	Propane mode ^{s, d}
A_1	2940 (cm ⁻¹) 2940 2940 1460 1460 1380 1155(?) 870 372 ^b	2920 (cm ⁻¹) 2920 2160 1460 1062 1380 1140(?) 850 370 (est.)	CH ₃ u. st. CH ₄ sy. st. CH ₅ (CD ₂) sy. st. CH ₅ u. def. CH ₂ (CD ₂) def. CH ₅ sy. def. CH ₇ r. plus C - C - C sy. st. C - C - C sy. st. plus CH ₈ r. CCC def.
\mathcal{B}_1	2940 2940 1460 1380 1336 1053	2920 2920 1460 1380 1199 964 850	CH ₃ u. st. CH ₄ u. def. CH ₂ u. def. CH ₃ sy. def. CH ₂ (CD ₂) r. plus CH ₃ r. and C $-$ C $-$ C u. sy. st. CH ₂ (CD ₂) r. plus CH ₃ r. and C $-$ C $-$ C u. sy. st. C $-$ C $-$ C $-$ C u. sy. st. plus CH ₃ r. and CH ₂ (CD ₂) r.

*Where bands are nearly superposed the frequency is generally near the center of the absorption. Bands of doubtful origin are indicated by (?), estimated values for unobserved frequencies by (est.).

**Obtained for gaseous propane by J. R. Nielsen and C. M. Richards (unpublished).

(unpublished).

The abbreviations u., sy., st., def., r. stand for unsymmetrical, symmetrical, stretching, deformation, and rocking, respectively. When the mode in 2.2-dideuteropropane involves the CD2 this is placed after CH2 in parenthesis, i.e., CH2(CD2).

Where possible the modes are characterized by the most important group motions involved in them. They are given in more detail in Table I of reference 1.

TABLE II. Moments of inertia of propanes.

	I_x	I_{y}	I_s
CH3CH2CH3	67.6	17.3	59.6
CH ₃ CD ₂ CH ₃	70.4	21.9	61.3

^a The z axis is the symmetry axis. The x and y axes are principal axes normal to the z axis, and normal to the plane of the carbons and in this plane, respectively. The units are atomic weight times angstroms squared. The C-C and C-H (or C-D) distances are 1.54 and 1.09A, respectively. All angles are tetrahedral except the C-C-C angle which is 111°30′ (see K. S. Pitzer, J. Chem. Phys. 12, 310 (1944).

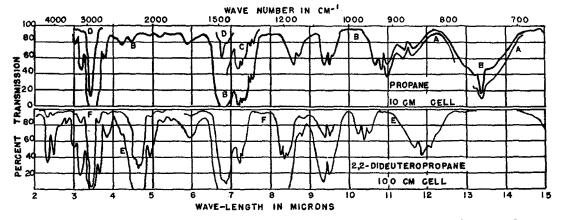


Fig. 1. Infra-red spectra of propane and 2,2-dideuteropropane A, 760 mm; B, 620 mm; C, 100 mm; D, 25 mm; E, 100 mm; F, 20 mm.