# THE $^{25}$ Mg(p, $\gamma$ ) $^{26}$ Al REACTION; BRANCHINGS, ENERGIES AND LIFETIMES

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Received 11 September 1987

Abstract: The  $\gamma$ -decay has been measured of 75  $^{25}$ Mg(p,  $\gamma$ ) $^{26}$ Al resonances in the  $E_{\rm p}$  = 0.31-1.84 MeV region with Ge detectors at 90° and 55°, the latter in a Compton suppression shield. Several of these resonances had not been observed previously and of about half the decay had not been measured. The spectra have been corrected for summing effects, for the instrumental tails of lower-energy resonances, for the Breit-Wigner tails of neighbouring broad resonances, and for direct capture.

On the average about 29 primaries are observed per resonance (with a maximum of 48); 74 primaries are of the resonance  $\rightarrow$  resonance type. Altogether 109 secondary states are excited in the decay, of which 50 had been seen in previous  $(p, \gamma)$  work. The total number of observed decay  $\gamma$ -rays from non-resonance levels amounts to 548, with a maximum number of branches per level of 20.

Accurate energies have been measured for all states. The errors amount to  $\Delta E_x = 0.03-0.26$  keV for the non-resonance levels and to 0.04-0.4 keV for the resonances (with  $\Delta E_x = 2$  keV for four very broad resonances).

As a byproduct lifetimes (or lifetime limits) have been measured from the observed Doppler shifts for 32 levels for which no previous measurements existed.

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NUCLEAR STRUCTURE <sup>25</sup>Mg(p,  $\gamma$ ), E = 0.31-1.84 MeV; measured  $\sigma(E, E_{\gamma})$ . <sup>26</sup>Al deduced levels,  $\gamma$ -branchings,  $T_{1/2}$ . Enriched targets, Ge detectors.

## 1. Introduction

In a previous paper <sup>1</sup>) the existence, yields and partial widths have been discussed of  $^{25}\text{Mg}(p, \gamma)^{26}\text{Al}$  and  $^{25}\text{Mg}(p, p')^{25}\text{Mg}$  resonances in the  $E_p = 0.31$ -1.84 MeV region. In the present paper the  $\gamma$ -ray branchings and energies are given of  $(p, \gamma)$  resonances and secondary states, and DSA lifetimes of the latter. The most extensive previous investigation of the  $^{25}\text{Mg}(p, \gamma)$  reaction is by De Neys *et al.* <sup>2</sup>) who measured spectra at 44 resonances with altogether about 500 primaries (present work 2200), and 133 transitions between bound states (present work 548).

The data obtained in ref. 1) and in the present paper form the basis for spin, parity and isospin determinations, and (for the even-parity states) for a comparison with a shell-model calculation of energies and transition probabilities to be discussed in a succeeding paper.

Two particular aspects of the present work, the use to be made of  $\gamma$ -ray strength statistics, and the usefulness of the results for nucleosynthesis have already been published <sup>3,24</sup>).

# 2. Experimental

For details on the accelerator, the proton beam and on targets, see ref. 1).

At all  $(p, \gamma)$  resonances listed in ref. 1) Ge spectra have been taken, mostly with detectors at  $\theta = 90^{\circ}$  and 55°, the latter in an anti-Compton shield. Energies were obtained from the spectra at 90°, where lines are not Doppler shifted, and intensities from the spectra at 55°, where  $P_2(\cos \theta)$  is equal to zero. In all these 8k-channel spectra the dispersion amounted to about 1 keV per channel.

Four different Ge detectors have been used; two n-type hyperpure Ge detectors of 90 and 95 cm<sup>3</sup> active volume, a p-type hyperpure Ge detector of 90 cm<sup>3</sup>, and a 125 cm<sup>3</sup> Ge(Li) detector. Particulars on the Compton suppression spectrometer (CSS) with good Compton suppression (suppression factor about 11 for  $^{60}$ Co) and relatively large solid angle ( $\Delta\Omega$  = 65 msr for a target-to-collimator front face distance of 3 cm) are given in ref. <sup>4</sup>). For the present investigation (with  $E_{\gamma}$  up to 8 MeV) the thickness of the front plate lead shielding was increased by 2 cm. We may add that for the 125 cm<sup>3</sup> detector the intensity ratio of double- to single-escape pair peaks amounted to about 0.015. Energy resolution, to be judged by the quality of the spectra given in sects. 3 and 4, depended on the detector and on time; some detectors have deteriorated in the course of the five years of the present experiment and had to be regenerated.

The  $\gamma$ -ray line width is not only determined by the instrumental resolution. The decay lines of levels with lifetimes in the  $\tau_{\rm m} \approx 100$ -200 fs region, corresponding to  $F(\tau_{\rm m}) \approx 0.4$ -0.6, are visibly Doppler broadened in the 55° spectra, with the intrinsic width of the Doppler structure comparable to the instrumental width. In addition, primaries are broadened at resonances with an appreciable natural width (if the target is not very thin). Examples of lines broadened by these two causes are given in fig. 1.

Decay lines from short-lived levels (for instance, resonance primaries) should also be broadened because of the finite detector opening angle, especially at  $\theta = 90^{\circ}$ , but this effect is hardly observable, even at the highest-energy resonances.

Bombarding times were up to 30 h per resonance, with a total proton charge of up to 3200  $\mu$ Ah, with a minimum of 300  $\mu$ Ah, and an average of about 1000  $\mu$ Ah per resonance. At several resonances, in particular at weak resonances which were previously unobserved, first short runs were performed to see whether the resonance was due to  $^{25}$ Mg(p,  $\gamma$ ), to be followed by long runs especially if the resonance proved interesting with relatively strong branches to unusual levels. Because of the differences in resonance strengths and bombarding times, the resulting spectra have widely different statistical qualities (as measured by the intensity sum of all

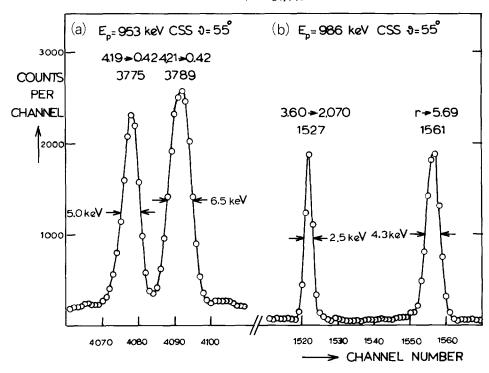


Fig. 1. Examples of broadened lines. (a) The  $4.21 \rightarrow 0.42$  MeV secondary is Doppler broadened, as seen by comparison with the unbroadened  $4.19 \rightarrow 0.42$  MeV transition. (b) The  $r \rightarrow 5.69$  MeV primary at the  $E_p = 986$  keV resonance is broadened because of the non-negligible resonance width ( $\Gamma = 3.4$  keV); the  $3.60 \rightarrow 2.070$  MeV transition is unbroadened.

primaries), with the best and the poorest differing by as much as a factor  $10^4$ . At higher proton energies some spectra are deteriorated by the presence of strong  $E_{\gamma} = 585$  and/or 975 keV lines from  $^{25}\text{Mg}(p,p')$ . At the  $E_p = 1568$  resonance, for example, the  $E_{\gamma} = 585$  keV intensity exceeds the primary intensity sum by a factor 2000. The same effect would also make the extension of the  $(p, \gamma)$  work to  $E_p > 1.84$  MeV quite difficult.

Background measurements at a few keV below the resonance in question have been performed in a few cases, but they did not prove very useful, mainly because the strongly resonant nature of part of the contaminant reactions, like e.g.  $^{26}$ Mg(p,  $\gamma$ ).

The most common contaminants have already been discussed in ref. <sup>1</sup>). In addition, we might mention the (p, p') reactions on <sup>19</sup>F ( $E_{\gamma}=197~{\rm keV}$ ), on <sup>23</sup>Na ( $E_{\gamma}=440~{\rm keV}$ ) and on <sup>181</sup>Ta ( $E_{\gamma}=136$ , 165 and 301 keV), and the radioactive contaminants of the target holder <sup>7</sup>Be (53 d,  $E_{\gamma}=478~{\rm keV}$ ), <sup>48</sup>Sc (44 h,  $E_{\gamma}=983$ , 1037 and 1312 keV), <sup>65</sup>Zn (244 d,  $E_{\gamma}=1116~{\rm keV}$ ), and <sup>182</sup>Ta (115 d,  $E_{\gamma}=1121$ , 1189, 1221 and 1231 keV), produced through (p,  $\alpha$ ), (p, n) and (d, p) reactions by other users of the accelerator.

Spectra were taken in runs of about 1 h and stored on magnetic tape via a PDP 11/34 computer. For details of the data acquisition, see ref. <sup>22</sup>). These subspectra

were later computer added, in which process possible gain and zero shifts were corrected for by fixing the positions of one relatively strong peak at low and one at high energy. At any moment during the measurements the spectra could be examined visually to check resolution and Compton suppression, or to investigate the potential presence of possibly interesting transitions.

The final spectra have been analysed by means of an automatic peak search programme determining the position, width and number of counts of all reasonably strong isolated peaks. As a second step, weak but possibly interesting peaks and peak multiplets were fitted by means of an interactive fitting programme. Peak shapes were considered as being gaussian with an additional low-energy exponential tail.

Intensity calibrations were performed with the help of standard radioactive sources 5), and with the  $(p, \gamma)$  reactions on  $^{23}$ Na and  $^{27}$ Al [ref. 6)].

The lines used for the energy calibration are discussed in sect. 5. As a first approximation to an energy calibration curve a straight line was drawn through a calibration point at low and one at high energy. The deviations of the other calibration points from this line were then plotted on much enlarged scale. The usual shape of the smooth calibration curve hand-fitted to the calibration points is that of an asymmetric parabola, but also curves have been observed of a tilted-S shape (a bump and a valley), or even of camel shape (two bumps with a valley in between), depending on the amplifier-ADC combination used. The best curves had a deviation from the first-approximation straight line of less than 1 keV over a 5000 keV region. For the worst curves the maximum deviation was ten times larger. With statistically well determined curves based on many strong calibration lines with 30-40 eV errors, energies can be determined to about the same accuracy.

The method sketched above has the advantage that a calibration peak contaminated with another as yet unspotted transition shows up clearly. This makes the method superior to, for instance, linear interpolation between two close-lying calibration points, and also to a computer fit of some polynomial in the channel number to the calibration points.

## 3. Resonance branchings

As already mentioned in the introduction, the present work has produced much more detailed branchings as compared to previous work. The possibility to observe weak lines, especially at low energy, is due to the good qualities of the CSS (large opening angle, good Compton suppression). As an example we give in table 1 the decay of the  $E_{\rm p}=1714$  keV resonance. It shows 45 primaries with only six branchings exceeding 1%, and with the strongest and the weakest primary differing in intensity by a factor  $10^4$ . The eight lowest-energy primaries are all of the resonance  $\rightarrow$  resonance type. The branching errors have been obtained by compounding the statistical error with a 3% systematic error, the latter accounting for possible deficiencies in the intensity calibration.

	TABLE 1	
Decay of the $E_p = 1714$	keV resonance ( $E_{x}$ =	7953 keV, $J^{\pi}$ ; T = 4 <sup>+</sup> ; 1) a

E <sub>x</sub> [keV]	J <sup>π</sup> ;T	ь [%]	E <sub>x</sub> [keV]	J <sup>π</sup> ;T	ь [%]	E <sub>x</sub> [keV]	J <sup>π</sup> ;T	b [%]
0	5+;0	74 • 6 <u>4</u>	4192	3+;1	0.099 <u>6</u>	5545	2+;1	<0.04
417	3 <sup>+</sup> ;0	0.81 <u>3</u>	4206	4+;0	0.016 <u>6</u>	5569	5 <sup>+</sup> (4,3 <sup>+</sup> );0	0.0152
1759	2 <sup>+</sup> ;0	0.03 <u>1</u>	4349	3 <sup>+</sup> ;0	0.037 <u>4</u>	5598	3-;0	<0.01
2069	4 <sup>+</sup> ;0	3.05 <u>10</u>	4548	2+;1	<0.02	5676	4-;0	<0.02
2070	2+;1	0.18 <u>8</u>	4599	3 <sup>+</sup> ;1	0.202 <u>8</u>	5692	3-;0	0.0072
2365	3 <sup>+</sup> ;0	9.6 <u>3</u>	4705	4+;1	0.05 <u>2</u>	5726	4+;1	0.0132
2545	3 <sup>+</sup> ;0	0.27 <u>1</u>	4773	4+;0	0.029 <u>3</u>	6084	5 <sup>+</sup> ;0	0.0934
2661	2 <sup>+</sup> ;0	0.007 <u>5</u>	4941	5 <sup>+</sup> ;0	0.35 <u>1</u>	6198	2+;0	0.0072
2913	2 <sup>+</sup> ;0	0.009 <u>5</u>	4952	3 <sup>+</sup> ;0	<0.01	6343	4-;0	0.0196
3074	3 <sup>+</sup> ;0	0.0365	5132	4 <sup>+</sup> ;1	0.0533	6436	4-;0	0.2017
3160	2 <sup>+</sup> ;1	0.55 <u>2</u>	5142	2+;1	<0.01	6496	5+(4+);0	0.2488
3403	5 <sup>+</sup> ;0	3.76 <u>11</u>	5245	4+;0	0.027 <u>3</u>	6551	4 <sup>+</sup> (5 <sup>+</sup> );0	0.0135
3508	6 <sup>+</sup> ;0	0.028 <u>4</u>	5396	4-;0	0.0283	6598	(4,5 <sup>+</sup> );0	0.0263
3596	3 <sup>+</sup> ;0	0.100 <u>5</u>	5457	3-;0	<0.02	6724	4-;0	0.007 <u>2</u>
3675	4+;0	0.02 <u>2</u>	5462	0+(1,2);0	<0.01	6801	3 <sup>+</sup> ;0	0.010 <u>2</u>
3681	3 <sup>+</sup> ;0	0.31 <u>1</u>	5488	5+(4-);0	0.157 <u>6</u>	7015	5 <sup>+</sup> ;0	0.0253
3751	2 <sup>+</sup> ;0	0.012 <u>4</u>	5495	2+;0	<0.01	7109	4-;0	0.1024
3963	3+;0	1.144	5513	4 <sup>+</sup> ;0	3.58 <u>11</u>	7291	4 <sup>+</sup> (3 <sup>+</sup> );0	0.0623

<sup>&</sup>lt;sup>a</sup> Errors are underlined. Branching upper limits are given for unobserved levels below  $E_{\chi}$  = 5.8 MeV with possible primaries of dipole or E2 character.

The error introduced by making the assumption that the intensity measured at  $\theta = 55^{\circ}$  is equal to the intensity averaged over the angular distribution has been neglected. Of the 45 primary angular distributions measured by De Neys *et al.*<sup>2</sup>) at 19 resonances only three have an  $A_4$  coefficient which significantly differs from zero, and even these coefficients are so small that the  $A_4 = 0$  assumption would have introduced an error of at most 6%.

In fig. 2 we show parts of the  $E_{\rm p}=1714$  keV CSS spectrum at  $\theta=55^{\circ}$  to demonstrate how some of the weak low-energy primaries still clearly stand out above the Compton background.

Whether a particular line in the spectrum is a primary, uncontaminated by other lines, is determined, if not by its energy, by the intensity balance at the final state. The intensity balance has also been used to derive the intensity of a contaminated primary from the observed final-state decay intensity, or to derive the intensity of a contaminated decay line from the primary intensity and the known branching of the level in question, in both cases with indirect feeding taken into account.

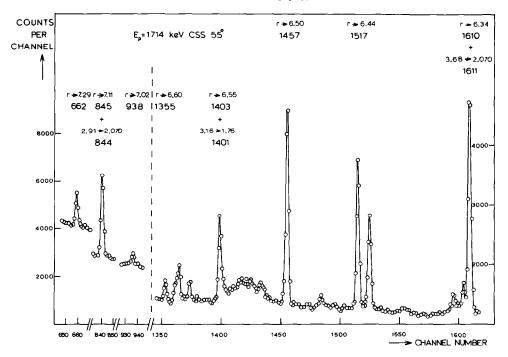


Fig. 2. Parts of the 55° CSS spectrum at the  $E_p = 1714$  keV resonance showing some very weak primaries (branchings 0.025-0.25%). Unmarked peaks are produced by secondary transitions.

In table 2 an example is shown of the agreement between feeding and decay intensities ( $I_{\rm in}$  and  $I_{\rm out}$ , respectively; for the definition of intensity, see also table 2) obtained for the 32 final states populated at the  $E_{\rm p} = 390$  keV resonance ( $E_{\rm x} = 6680$  keV). For the reasonably strongly excited levels ( $I_{\rm in} > 60$ ), the average absolute value of the relative difference between  $I_{\rm in}$  and  $I_{\rm out}$  amounts to 2.8% which is about equal to the 3% intensity calibration error mentioned above. For the weakly excited levels ( $I_{\rm in} < 60$ ) we find  $\langle |I_{\rm in} - I_{\rm out}| \rangle_{\rm av} = 2.7$  which is close to the intensity detection limit which for this particular spectrum increases from  $I \approx 1$  at  $E_{\gamma} = 0.6$  MeV to  $I \approx 2$  at  $E_{\gamma} = 5.0$  MeV. A comparison of  $I_{\rm in}$  and  $I_{\rm out}$  for the states at  $E_{\rm x} = 0$  and 0.23 MeV is impossible, because the states decay through (unobserved)  $\beta^+$  emission. Instead one can check the primary intensity sum against the sum of the  $I_{\rm in}$  values for the two states (see table 2).

At about 30% of the investigated resonances all  $\gamma$ -lines of statistical significance could be placed, either as resulting from  $^{25}$ Mg+p or from known contaminant reactions. The about 65 lines which have remained unplaced are all quite weak. Their intensity sum added over all resonances amounts to 0.03% of the intensity sum of all resonance primaries.

A special problem is the determination of the primary branchings for the components of the triplet at  $E_x = 2.07$  MeV and the doublets at  $E_x = 3.68$ , 3.75, 4.94,

TABLE 2 Intensity balance for secondary states observed in the CSS spectrum ( $\theta$  = 55°) at the  $E_p$  = 390 keV,  $E_x$  = 6680 keV,  $2^+$ ;0 resonance a

E <sub>xf</sub> [keV]	$J^{\pi}_{f}$ ; $T_{f}$ b	$I_{pr}$	Isec	Iin	I <sub>out</sub>	E <sub>xf</sub> [keV]	$J^{\pi}_{f}$ ; $T_{f}^{b}$	Ipr	$I_{sec}$	Iin	I <sub>out</sub>
0	5+;0		1216	1216	С	3596	3+;0		4	4	d
228	0+;1	15	576	591	c	3675	4+;0		11	11	11
417	3 <sup>+</sup> ;0	115	1040	1155	1170	3681	3 <sup>+</sup> ;0		2	2	7
1058	1+;0	35	432	467	462	3724	1+;0	6	2	8	4
1759	2+;0	9	239	248	250	3751	2+;0		20	20	23
1851	1+;0	77	2	79	86	3963	3 <sup>+</sup> ;0	3	2	5	8
2069	4+;0		132	132	140	4192	3 <sup>+</sup> ;1	520		520	513
2070	2+;1	323	131	454	472	4349	3 <sup>+</sup> ;0	12		12	9
2072	1+;1		8	8	6	4548	2+;1	54		54	60
2365	3 <sup>+</sup> ;0	12	73	85	87	4599	3 <sup>+</sup> ;1	378		378	379
2545	3 <sup>+</sup> ;0	3	30	33	35	4952	3 <sup>+</sup> ;0	2		2	d
2661	2+;0	18	31	49	42	5132	4+;1	1		1	
2740	1+;0	5	2	7	3	5142	2+;1	14		14	14
2913	2+;0	2	20	22	21	5495	2+;0	1		1	2
3074	3 <sup>+</sup> ;0		6	6	3	5545	2+;1	63		63	63
3160	2+;1	99	6	105	110	6364	3 <sup>+</sup> ;1	1		1	

The intensity is I defined as I = 0.01 N/ $\epsilon$ , where N is the number of counts in the full-energy peak, and  $\epsilon$  is the detection efficiency normalized to  $\epsilon$  = 1 at E $_{\gamma}$  = 1 MeV; I $_{pr}$  and I $_{sec}$  stand for the intensity of the primary and for the intensity sum of the secondaries feeding the level in question. The primary intensity sum  $\Sigma I_{pr}$  = 1768 compares well with the intensity sum of all transitions feeding the states at E $_{x}$  = 0 and 228 keV,  $\Sigma I_{in}$  = 1807.

5.01, 5.46, 5.49, 5.67, 5.92 and 6.08 MeV (for accurate excitation energies, see table 10). In many cases the energy of the primary (as determined at 90° or 55°) has been used, in other cases the component intensity balance gave the decision (with secondary feeding taken into account). For the 2.07 MeV triplet the intensity balance is the most important, because usually the energy calibration in the high-energy part of the spectrum is not good enough.

Another problem is formed by very weak high-energy primaries which can originate from a number of effects other than the decay of the resonance in question.

Well known is coincident summing. For instance a  $r \to 0$  MeV transition can be faked by the summing of the  $r \to 0.42$  and  $0.42 \to 0$  MeV transitions. In the usual closest-distance geometry (d=3 cm), this leads to  $I(r \to 0)/I(r \to 0.42) \approx 5 \times 10^{-4}$  for the CSS.

b To be discussed in a succeeding paper.

<sup>&</sup>lt;sup>c</sup> Decay through (unobserved)  $\beta^+$  emission.

<sup>&</sup>lt;sup>d</sup> Main decay lines obscured by other (stronger) lines.

Random summing is also observed, mainly of the strong lines from the (p, p') reactions on <sup>25</sup>Mg and <sup>181</sup>Ta. The random summing peaks have a characteristic shape with a tail on the low-energy side.

The instrumental tail of the preceding resonance(s), due to finite target thickness, and the contribution from the Breit-Wigner (BW) tails of neighbouring strong and broad resonances have already been mentioned in ref. <sup>1</sup>). In that paper the influence of these two effects was discussed on the intensities of the  $E_{\gamma} = 585$  and 975 keV lines resulting from the <sup>25</sup>Mg(p, p') reaction, but they are equally important for (p,  $\gamma$ ). The BW tail sum has been calculated separately for each primary, with at some energies as many as eight neighbouring resonances contributing, and with the interference between resonances with the same  $J^{\pi}$ ; T value taken into account <sup>9</sup>). This laborious calculation, necessitated by the fact that the weak primaries are often instrumental in the determination of resonance spins and/or parities, is made possible by the present extensive knowledge on resonance strengths, widths and  $J^{\pi}$ ; T values <sup>1</sup>).

An effect, which as far as we know has not yet been described in the literature, is the appearance of weak  $\gamma$ -ray peaks corresponding to the strongest primaries of resonances often as far as several 100 keV below the resonance being investigated. This contribution to the instrumental tail must be due to protons which are degraded in energy either by having penetrated the edge of one of the beam defining slits, or by Rutherford scattering in the target or target backing followed by capture. These peaks are best observed in the spectra of relatively weak resonances at rather low proton energy, e.g. at  $E_p = 609$  and 656 keV.

Finally direct capture has to be taken into account. The formalism for the calculation of the corresponding cross-sections has been worked out by Rolfs <sup>7</sup>). The final-state spectroscopic factors which enter into the calculation were taken from the <sup>25</sup>Mg( $\tau$ , d)<sup>26</sup>Al measurements of ref. <sup>8</sup>). The largest cross-sections are found for final states with  $l_p(\tau, d) = 0$ . For instance, for the  $E_x = 0.42$  MeV  $J^{\pi} = 3^+$  level (with  $C^2S = 0.51$  for  $l_p = 0$ ,  $C^2S = 0.26$  for  $l_p = 2$ ) the  $l_p = 0$  contribution dominates over  $l_p = 2$  by a factor of 9 at  $E_p = 1.5$  MeV. The  $E_x = 0.42$  MeV cross-section dominates over those for all other states by factors of at least 2. The interference between direct and resonant capture has not been considered.

If, after subtraction of all the possible contributions mentioned above (with errors assigned to them of at least 50%), a statistically significant intensity remains, it can be considered as due to a resonance primary. The process has eliminated all potential primaries of octupole or higher multipolarity, has severely reduced the number of M2 primaries (to about seven), and has also thrown out some E2 primaries. Examples of some weak transitions are given in table 3. To translate peak intensities into cross-sections, the expressions given by Gove 9) have been used, both for the case that the target thickness exceeds the resonance width and vice versa. It is seen that for five out of the eight transitions listed the BW tail sum together with the direct capture contribution nicely explains the observed peak cross-sections, whereas for the other three an M2 primary remains after subtraction of these two contributions.

	T	ABLE	3	
Examples	of	weak	primaries	а

Ep	Exr	$\mathbf{E}_{\mathbf{xf}}$	$J_r^{\pi}; T_r \rightarrow J_f^{\pi}; T_f$	ъ	σ <sub>exp</sub>	BWTS	DC	Conclusion
	[keV]			[%]		[nb]		
685	6964 -	·> 0	3-;1 -> 5+;0	0.037 <u>6</u>	128		4.0	b
811	7086 -	·> 417	1-;1 -> 3+;0	0.04110	44	3.5	34	c
896	7168 -	> 1759	4 <sup>-</sup> ;0 -> 2 <sup>+</sup> ;0	0.197	105	82	14	c
9 69	7238 -	·> 0	3 <sup>-</sup> ;0 -> 5 <sup>+</sup> ;0	0.16 <u>2</u>	168	4	2.6	đ
	-	> 1058	-> 1 <sup>+</sup> ;0	0.093	95		12	e
1680	7921 -	> 417	5+;0 -> 3+;0	7.4 <u>4</u>	1400	865	690	c
	-	> 1759	-> 2 <sup>+</sup> ;0	1.75	315	115	240	С
	_	> 3160	-> 2 <sup>+</sup> ;1	1.92	355	45	330	c

<sup>&</sup>lt;sup>a</sup> Column 1 lists the resonance proton energy, columns 2 and 3 the excitation energies of the resonance and the final state, columns 4 and 5 their  $J^{\pi}$ ; T values, column 6 the branching of the transition, column 7 the corresponding cross-section (see text), column 8 the calculated Breit-Wigner tail sum, and column 9 the calculated contribution from direct capture. Possible coincident summing and instrumental tail contributions have already been subtracted.

In table 4 the branchings are given of the 75  $^{25}$ Mg(p,  $\gamma$ ) $^{26}$ Al resonances observed in the  $E_{\rm p}=0.31$ -1.84 MeV region. For reasons of space economy only the strong branches are listed ( $b \ge 1\%$ ), in addition to those weak branches which are (also) instrumental in the determination of spins, parities and isospins. Furthermore errors have been rounded off to reduce the total entry to five symbols, such that e.g. 0.09712 becomes 0.101, and branching upper limits have been omitted for unobserved primaries. Finally, the  $J^{\pi}$ ; T values of resonances and final states had to be omitted; the resonance  $J^{\pi}$ ; T values are given in ref.  $^{1}$ ), those for bound states below  $E_{\rm x}=6.0$  MeV in ref.  $^{16}$ ), and those for the remaining levels in table 5. Branchings for the feeding of the levels at  $E_{\rm x}=3822$ , 3978, 4480 and 5462 MeV and of levels above  $E_{\rm x}=6.0$  MeV are also given in table 5, to be discussed below. The total number of observed primaries (with weak transitions included) amounts to about 2200, with an average number per resonance of 29 and a maximum number (at the  $E_{\rm p}=1237$  keV resonance) of 48.

Some special remarks should be made about the disentangling of the spectra of resonance doublets. An easy case, for instance, is the  $E_{\rm p}=1370+1375~{\rm keV}$  doublet. Both resonances are narrow, such that the spectrum at  $E_{\rm p}=1370~{\rm keV}$  does not show

b An M2 transition remains of 0.144 W.u.

 $<sup>^{\</sup>rm C}$  The  $\sigma_{\rm exp}$  is explained as the sum of BWTS and DC.

d An M2 transition remains of 0.0539 W.u.

e An M2 transition remains of 0.073 W.u.

TABLE 4 Resonance branchings (in %); all energies in keV,  $\mathbf{E}_{\mathbf{p}}$  underlined  $^{\mathbf{a}}$ 

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317; 6610 -> 417 331 , -> 1759 15.85, -> 2069 5.72 , -> 2545 1.388, -> 2913 3.01 ,
           \rightarrow 3160 11.44, \rightarrow 3596 4.22, \rightarrow 4192 18.76, \rightarrow 4548 1.136, \rightarrow 4940 0.092,
           -> 5396 0.233, -> 5726 0.082
390; 6680 \rightarrow 228 \quad 0.846, \rightarrow 417 \quad 6.52, \rightarrow 1058 \quad 2.01, \rightarrow 1851 \quad 4.52, \rightarrow 2070 \quad 18.26,
           -> 2661 0.996, -> 3160 5.62, -> 4192 29.39, -> 4548 3.02, -> 4599 21.37,
          \rightarrow 5132 0.073, \rightarrow 5495 0.072, \rightarrow 5545 3.62
435; 6724 \rightarrow 0 501 , \rightarrow 417 29.92, \rightarrow 2545 1.607, \rightarrow 4192 6.42 , \rightarrow 4599 5.32 ,
           -> 4705 4.11, -> 4952 0.0647, -> 5007 0.0174, -> 5676 0.0344, -> 5692 0.0194,
           -> 5916 0.024<u>4</u>
497; 6784 \rightarrow 417 2.01, \rightarrow 1759 13.14, \rightarrow 2070 151, \rightarrow 2072 5.910, \rightarrow 2365 2.268,
          -> 2545 1.135, -> 2913 4.01, -> 3074 9.73, -> 3160 26.22, -> 4192 6.22,
          -> 4548 7.53 , -> 4622 1.035, -> 5457 0.603
503; 6789 -> 417 49.98 , -> 1759 16.86, -> 2069 2.31 , -> 3160 5.82 , -> 3596 1.338,
          -> 3681 3.21, -> 4192 3.51, -> 4548 1.016, -> 4705 10.74, -> 4940 0.485,
          -> 5396 0.65<u>5</u>
<u>515</u>; 6801 -> 1759 93 , -> 2070 163 , -> 2365 1.83 , -> 2545 1.23 , -> 2661 42 ,
          -> 2913 32 , -> 3160 244 , -> 3681 3.05 , -> 3724 1.04 , -> 3963 1.46 ,
          -> 4192 51 , -> 4548 112 , -> 4599 112 , -> 4705 3.68 , -> 5545 1.12 ,
          -> 5924 0.6<u>2</u>
516; 6802 -> 1058 93 , -> 1759 2210 , -> 1851 52 , -> 2072 113 , -> 2661 145 ,
          -> 2740 2.68 , -> 2913 103 , -> 3160 196 , -> 3724 4.42 , -> 3751 1.25 ,
          -> 5495 1.2<u>5</u>
533; 6818 \rightarrow 417 15.36, -> 2069 2.22, -> 2365 19.97, -> 2545 431, -> 3074 2.32,
          -> 3403 1.998, -> 3596 3.02, -> 3675 2.02, -> 3963 4.62, -> 4548 0.464,
          -> 4941 2.42, -> 5142 0.092, -> 5488 0.314
567; 6852 -> 228 0.151, -> 417 321 , -> 1759 6.72 , -> 1851 1.11 , -> 2070 2.12 ,
          -> 2072 - 6.73, -> 2545 - 21.86, -> 2913 - 6.62, -> 3160 - 2.177, -> 3596 - 6.62,
          -> 4349 4.82 , -> 4548 2.097, -> 4952 1.525, -> 5598 0.031
591; 6874 -> 228 18.88, -> 417 1.35, -> 1759 1.42, -> 1851 2.52, -> 2070 441,
          -> 3160 5.32 , -> 3754 14.26, -> 4548 3.32 , -> 5142 1.097, -> 5195 5.42
593; 6876 \rightarrow 228 \ 0.2210, \rightarrow 417 \ 29.38, \rightarrow 1759 \ 8.93, \rightarrow 1851 \ 2.018, \rightarrow 2069 \ 0.173,
          -> 2072 6.92 , -> 2545 24.47, -> 2913 6.12 , -> 3047 1.125, -> 3160 1.908,
          -> 3596 7.32 , -> 4349 4.41 , -> 4952 1.485
609; 6892 -> 0 281 , -> 3403 13.56, -> 3508 3.02 , -> 4941 3.62 , -> 5396 472 ,
          -> 5488 2.23 , -> 6084 2.31
656; 6936 \rightarrow 228 5.72, \rightarrow 1058 22.27, \rightarrow 1759 19.46, \rightarrow 2070 5.95, \rightarrow 2072 3.45,
          -> 2365 0.196, -> 2661 3.72 , -> 2913 2.51 , -> 3160 14.25, -> 3751 3.33 ,
          -> 3754 1.34, -> 5142 11.74, -> 6028 3.21
685; 6964 -> 417 351 , -> 1759 29.92, -> 2069 1.636, -> 2661 2.722, -> 3074 1.054,
          -> 3160 1.024, -> 3596 1.656, -> 3675 1.274, -> 3681 7.12, -> 5396 5.92,
          -> 5457 0.735, -> 5598 0.241, -> 5676 6.42 , -> 5916 0.983
```

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723; 7001 \rightarrow 228 \ 0.0205, \rightarrow 417 \ 8.63, \rightarrow 1759 \ 1.997, \rightarrow 2069 \ 0.62, \rightarrow 2070 \ 411,
            -> 2545 5.12 , -> 2913 1.826, -> 3160 4.82 , -> 3596 1.635, -> 4548 27.48,
            -> 4599 1.314, -> 5142 2.869
738; 7015 \rightarrow 0 4.42, \rightarrow 417 3.82, \rightarrow 2069 2.21, \rightarrow 2365 1.852, \rightarrow 3596 1.407,
            -> 3675 1.747, -> 3963 11.44, -> 4192 0.062, -> 4705 9.33, -> 4773 1.377,
            -> 5132 29.59, -> 5245 1.085, -> 5726 28.09
775; 7051 -> 0 0.142, -> 417 4.22, -> 1759 1.146, -> 2069 2.32, -> 2070 13.05,
            -> 2365 1.015, -> 2740 0.323, -> 3160 512 , -> 4192 2.402, -> 4705 11.24,
            -> 5132 7.12
811; 7086 \rightarrow 228 \quad 10.13, \rightarrow 1851 \quad 6.22, \rightarrow 2072 \quad 45.15, \rightarrow 2661 \quad 1.426, \rightarrow 2740 \quad 1.367,
            -> 2913 2.81 , -> 3160 1.706, -> 3724 6.85 , -> 3751 1.84 , -> 3754 1.34 ,
            -> 4940 3.61, -> 5431 8.64, -> 5916 2.578
819; 7093 -> 228 0.4511, -> 417 1.42 , -> 1759 9.85 , -> 2070 391 , -> 2072 3.05 ,
            \rightarrow 2365 1.43 , \rightarrow 2740 1.02 , \rightarrow 2913 3.33 , \rightarrow 3160 1.32 , \rightarrow 3751 1.02 ,
            -> 4548 26.62, -> 4940 0.71<u>12</u>, -> 5142 3.12 , -> 5692 0.50<u>15</u>
835; 7109 \Rightarrow 0 8.34, \Rightarrow 417 451, \Rightarrow 2069 6.72, \Rightarrow 2365 9.24, \Rightarrow 2545 6.62,
            -> 3596 1.578, -> 3681 2.512, -> 4431 6.63, -> 4599 3.42, -> 4622 0.223,
            -> 4705 2.61, -> 5692 1.427, -> 5726 1.166
870; 7142 \rightarrow 417 \quad 10.04, \rightarrow 1759 \quad 17.86, \rightarrow 2070 \quad 3.03, \rightarrow 2072 \quad 1.23, \rightarrow 2365 \quad 11.15,
            \rightarrow 2545 5.33 , \rightarrow 2740 1.32 , \rightarrow 2913 8.03 , \rightarrow 3160 10.94, \rightarrow 3596 1.51 ,
            \rightarrow 3751 1.71 , \rightarrow 4192 3.62 , \rightarrow 4349 2.41 , \rightarrow 4548 1.51 , \rightarrow 4599 4.52 ,
            -> 5142 11.44, -> 5692 1.81
881; 7153 \rightarrow 1851 \quad 0.474, \rightarrow 2069 \quad 1.33, \rightarrow 2070 \quad 3.33, \rightarrow 2365 \quad 1.42, \rightarrow 2545 \quad 2.182,
            \rightarrow 3160 782 , \rightarrow 4548 2.382, \rightarrow 4599 1.195, \rightarrow 5142 2.81 , \rightarrow 5924 1.084
890; 7161 \rightarrow 417 22.09, \rightarrow 1759 2.92, \rightarrow 2069 5.810, \rightarrow 2070 371, \rightarrow 2661 2.52,
            -> 3160 3.12 , -> 3675 1.62 , -> 3681 2.82 , -> 4192 2.12 , -> 4349 1.272,
            -> 4548 4.73 , -> 4622 1.31 , -> 4940 0.457, -> 5396 0.616, -> 5545 2.92 ,
            -> 5916 0.19<u>4</u>
896; 7168 \rightarrow 0 1.397, \rightarrow 417 13.24, \rightarrow 2069 26.18, \rightarrow 2365 9.03, \rightarrow 2545 8.53,
            -> 3047 3.31 , -> 3596 4.72 , -> 3681 3.11 , -> 4192 1.185, -> 4206 1.044,
            -> 4599 6.02, -> 4705 8.63, -> 5007 2.02, -> 5132 4.31, -> 5676 0.162,
            -> 5692 1.405, -> 6084 1.234
928; 7198 \rightarrow 228 69.56, \rightarrow 417 0.683, \rightarrow 1058 1.035, \rightarrow 2070 21.86, \rightarrow 3754 4.21,
            -> 5142 1.21<u>5</u>
953; 7222 -> 0 2.107, -> 2069 76.14, -> 3403 2.719, -> 3508 0.191, -> 3675 8.73,
            -> 4192 0.302, -> 4206 2.929, -> 4773 1.104, -> 5245 3.81
969; 7238 -> 417 2.41, -> 1759 4.25, -> 2070 1.162, -> 2661 16.75, -> 2913 4.52,
            -> 3074 6.32 , -> 3160 32.69, -> 3596 1.368, -> 4192 4.31 , -> 4349 1.345,
            -> 4548 2.679, -> 4705 6.22, -> 4940 1.205, -> 5132 1.706, -> 5142 2.559,
            \rightarrow 5431 0.122, \rightarrow 5457 2.709, \rightarrow 5924 1.506
986; 7254 \rightarrow 417 + 6.32, \rightarrow 1759 + 37.58, \rightarrow 2070 + 4.82, \rightarrow 2072 + 1.12, \rightarrow 2365 + 4.82,
            -> 2913 7.02 , -> 3074 1.104, -> 3160 10.13, -> 3596 4.21 , -> 3751 7.02 ,
            -> 4940 0.091, -> 5692 7.72
```

1019;	7286 ->	1851	56 <u>3</u> , ->	2072	62 , -> 2740	92 , -> 4622	1.04 , -> 5007	1.46,
	<del>-</del> >	6028	26 <u>2</u>					
1025;	7291 ->	0	57.3 <u>6</u> , ->	417	2.062, -> 1759	4.02 , -> 3681	1,08 <u>4</u> , -> 3751	4.31 ,
	->	4192	1.475, ->	4599	13.14, -> 4705	2.81 , -> 5132	11.03	•
1043;	7308 ->	228	0.08 <u>1</u> , ->	417	30.54, -> 1058	5.92 , -> 1759	4.32 , -> 1851	1.225,
	->	2072	10.13, ->	2365	3.21 , -> 2545	2.04 <u>6</u> , -> 2661	6.22 , -> 2740	5.5 <u>2</u> ,
	->	2913	12.5 <u>4</u> , ->	3596	8.5 <u>3</u> , -> 3681	1.44 <u>5</u> , -> 3724	1.70 <u>5</u> , -> 3751	2.417,
	->	5195	0.0184, ->	5457	0.05 <u>2</u> , -> 5585	1.53 <u>5</u> , -> 5692	0.06 <u>2</u>	
1084;	7348 ->	0	18.4 <u>6</u> , ->	417	38 <u>1</u> , -> 2365	12.9 <u>4</u> , -> 2545	3.4 <u>1</u> , -> 3074	1.81 ,
	->	3596	2.61 , ->	3681	4.3 <u>1</u> , -> 4192	3.61 , -> 4431	0.44 <u>3</u> , -> 4705	1.505,
	->	5457	0.97 <u>4</u> , ->	5692	4.3 <u>4</u> , -> 6084	4.2 <u>2</u>		
1103;	7366 ->	0	4.72 , ->	417	6.72 , -> 2069	3.31 , -> 2545	1.26 <u>5</u> , -> 3596	1.595,
	->	3963	1.04 <u>5</u> , ->	4349	3.3 <u>1</u> , -> 4705	7.72 , -> 5132	66.7 <u>4</u> , -> 5726	0.694
1135;	7397 ->	417	18 <u>1</u> , ->	1759	1.4 <u>5</u> , -> 1851	2.81 , -> 2072	3.32 , -> 2365	1.33 ,
	->	2545	1.68 <u>9</u> , ->	2740	1.28 <u>8</u> , -> 2913	3.8 <u>2</u> , -> 3160	29.92, -> 3596	2.53 ,
	->	3681	2.03 , ->	3724	2.01 , -> 4349	1.597, -> 4599	16.35, -> 4705	0.195,
	->	59 50	0.17 <u>2</u> , ->	6028	6.9 <u>2</u>			
1137;	7399 ->	417	38 <u>1</u> , ->	1759	18.6 <u>6</u> , -> 2069	2.31 , -> 2661	6.82 , -> 2913	3.21 ,
	->	3074	3.61 , ->	3596	5.32 , -> 3681	4.6 <u>2</u> , -> 4192	1.327, -> 5396	1.77 <u>6</u> ,
	->	5457	7.1 <u>3</u> , ->	5916	0.94 <u>4</u>			
1148;	7410 ->	0	16.9 <u>5</u> , ->	417	48 <u>2</u> , -> 2365	7.9 <u>3</u> , -> 3074	1.857, -> 3403	1.12 ,
	->	3596	1.967, ->	3681	3.11 , -> 4705	1.094, -> 5007	0.243, -> 5396	0.294,
	->	5457	1.27 <u>5</u> , ->	5598	0.16 <u>2</u> , -> 5692	6.62 , -> $6084$	6.2 <u>2</u>	
1164;	7425 <b>-</b> >	0	291 , ->	2365	2.41 , -> 2661	1.72 <u>9</u> , -> 2913	6.4 <u>3</u> , -> 4599	1.588,
	->	4705	3.4 <u>1</u> , ->	5132	49 <u>1</u> , -> 5569	0.10 <u>3</u>		
<u>1179</u> ;	7440 <b>-</b> >	1058	18 <u>1</u> , ->	1851	39 <b>2</b> , -> 2072	3.65 , -> 2740	201 , -> 5010	1.6 <u>3</u> ,
	->	5585	10.0 <u>5</u>					
1184;	7444 ->	228	31 <u>1</u> , ->	1058	1.1 <u>1</u> , -> 1759	2.3 <u>2</u> , -> 1851	8.6 <u>4</u> , -> 2070	4.93,
	->	2072	2.6 <u>3</u> , ->	2661	3.2 <u>2</u> , -> 2740	1.0 <u>1</u> , -> 3160	36 <u>1</u> , -> 4548	3.8 <u>2</u> ,
		5457	_	5545	1.00 <u>7</u> , -> 5692	0.104		
1196;	7455>	228	2.4 <u>1</u> , ->	417	0.99 <u>4</u> , -> 1058	1.51 <u>7</u> , -> 1851	1.528, -> 2070	66 <u>2</u> ,
	->	3160	24.0 <u>7</u> , ->	5195	0.783			
1205;	7464 ->		0.083 <u>7</u> , ->			5.92 , -> 1851		
	->	2365	6.92 , ->			6.02 , -> 3160	5.62 , -> 3675	17.0 <u>6</u> ,
		3681				2.78 <u>9</u> , -> 4206	14.5 <u>6</u> , -> 4705	2.418,
			0.70 <u>3</u> , ->			4.71 , -> 5142	1.264, -> 5495	1.796
1237;					0.0505, -> 1759			
					5.2 <u>2</u> , -> 3074			
			1.92 <u>6</u> , ->			2.528, -> 4206	14.9 <u>5</u> , -> 4705	1.244,
		4773				2.592, -> 5142		
1239;			8.7 <u>6</u> , ->					
		2661						1.32,
= -		4192					0.397, -> 5692	4.0 <u>2</u>
<u>1273</u> ;	7529 ->	0	6.77 , ->	3403	5.94 , -> 3508	2.33 , -> 5396	432 , -> 5676	35 <u>1</u>

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1283; 7540 \rightarrow 417 \ 4.02, \rightarrow 1759 \ 11.44, \rightarrow 1851 \ 9.74, \rightarrow 2072 \ 17.16, \rightarrow 2365 \ 4.62,
             \rightarrow 2661 4.82 , \rightarrow 2740 14.46, \rightarrow 3724 2.61 , \rightarrow 3751 2.02 , \rightarrow 4349 1.91 ,
             -> 4622 12.15, -> 4940 0.585, -> 5457 4.42, -> 5692 0.62
1292; 7548 -> 0 5.87, -> 3403 10.72, -> 3508 0.72, -> 3675 412, -> 4773 5.64,
             -> 5132 2.92, -> 5245 2.32, -> 5396 2.42, -> 5676 3.42, -> 5692 2.82,
             -> 5726 8.85 , -> 5924 10.7<u>7</u>
1302; 7558 \rightarrow 228 0.092, \rightarrow 1851 1.62, \rightarrow 2070 221, \rightarrow 2072 3.14, \rightarrow 2365 2.23,
             \rightarrow 2740 1.72 , \rightarrow 2913 1.516, \rightarrow 3160 551 , \rightarrow 3596 1.61 , \rightarrow 3675 0.103,
             -> 4599 5.32
<u>1306</u>; 7561 -> 228 1.104, -> 417 3.11 , -> 1058 1.225, -> 1759 5.92 , -> 1851 6.12 ,
             -> 2072 17.77, -> 2365 22.67, -> 2545 11.34, -> 2661 2.859, -> 2740 4.22,
             -> 3074 1.576, -> 3596 12.94, -> 3963 1.485, -> 4349 2.929, -> 5195 0.052
1337; 7592 \rightarrow 0 7.42, -> 1759 2.32, -> 2069 3.42, -> 2545 3.82, -> 2661 3.72,
            -> 2913 221 , -> 3403 1.11 , -> 3675 4.32 , -> 3681 1.41 , -> 3751 2.41 ,
             -> 4192 15.25, -> 4599 13.55, -> 4705 11.94, -> 5726 16.95, -> 5924 3.01
1342; 7596 \rightarrow 0 5.44, \rightarrow 2069 5.03, \rightarrow 2365 4.93, \rightarrow 2545 7.74, \rightarrow 3403 4.02,
            \rightarrow 3508 0.236, \rightarrow 3751 0.083, \rightarrow 3963 1.31, \rightarrow 4206 3.02, \rightarrow 4705 22.77,
             -> 4952 2.92, -> 5132 22.17, -> 5245 4.02, -> 5726 5.22, -> 5924 6.83
1351; 7605 \rightarrow 417 2.63, \rightarrow 1759 1.73, \rightarrow 1851 1.12, \rightarrow 2070 17.17, \rightarrow 2072 1.34,
            -> 2365 \quad 12.86, -> 2545 \quad 10.65, -> 2740 \quad 5.73, -> 3074 \quad 1.82, -> 3160 \quad 1.42,
             -> 3596 5.42 , -> 3724 1.21 , -> 4349 2.52 , -> 4431 1.12 , -> 4548 1.51 ,
            -> 4622 16.36, -> 4940 1.11 , -> 5457 1.91 , -> 5545 1.91 , -> 6028 1.192
1370; 7623 -> 228 241 , -> 417 3.13 , -> 2070 16.38, -> 2072 1.13 , -> 2740 1.62 ,
            \rightarrow 2913 2.42, \rightarrow 3160 291 , \rightarrow 3751 1.62 , \rightarrow 3754 1.93 , \rightarrow 3963 1.93 ,
            -> 4548 12.45
1375; 7628 -> 0 6.12 , -> 2069 4.41 , -> 3403 1.615, -> 3508 5.42 , -> 3675 7.93 ,
            -> 4192 0.403, -> 4206 41.08, -> 4599 0.923, -> 4773 13.64, -> 4941 3.41,
            -> 5245 10.33, -> 5513 1.109
<u>1396</u>; 7648 -> 228 246 , -> 417 256 , -> 1058 144 , -> 3160 73 , -> 3751 52 ,
            -> 4192 52 , -> 4548 163 , -> 4599 42
<u>1515</u>; 7762 \rightarrow 417 13.76, \rightarrow 1759 1.22, \rightarrow 2070 5.74, \rightarrow 2365 1.72, \rightarrow 2913 3.13,
            -> 3074 1.02 , -> 3160 15.27, -> 3596 2.62 , -> 3751 3.02 , -> 3963 1.42 ,
            \rightarrow 4192 301 , \rightarrow 4206 1.22 , \rightarrow 4548 5.73 , \rightarrow 4599 2.72 , \rightarrow 4622 0.81 ,
            -> 5132 2.02, -> 5396 1.01, -> 5431 0.498, -> 5457 1.11, -> 5726 1.11
<u>1525</u>; 7772 -> 0 0.882, -> 417 3.92, -> 1058 0.818, -> 1759 3.42, -> 2069 3.82,
            \rightarrow 2070 2.62, \rightarrow 2661 1.51, \rightarrow 2740 1.118, \rightarrow 2913 1.398, \rightarrow 3160 29.79,
            -> 3724 1.007, -> 4192 11.44, -> 4548 1.298, -> 4599 16.36, -> 5132 5.02,
            -> 5545 6.32 , -> 5726 1.016
1526; 7773 \rightarrow 2740 113 , \rightarrow 3160 675 , \rightarrow 4622 62 , \rightarrow 5457 92 , \rightarrow 5598 72
1568; 7814 -> 228 151 , -> 417 5.06 , -> 1058 2.24 , -> 2070 1.62 , -> 2072 1.72 ,
            \rightarrow 2661 1.83, \rightarrow 2740 1.43, \rightarrow 2913 1.02, \rightarrow 3160 1.12, \rightarrow 3754 392,
            \rightarrow 4192 1.33, \rightarrow 4548 17.97, \rightarrow 5142 2.02, \rightarrow 5195 3.83
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\underline{1580}; \ 7825 \ \rightarrow \qquad 0 \quad 16\underline{1} \quad , \ \rightarrow \quad 417 \quad 25\underline{1} \quad , \ \rightarrow \quad 2069 \quad 1.5\underline{2} \quad , \ \rightarrow \quad 2545 \quad 1.12 \quad , \ \rightarrow \quad 3074 \quad 1.82 \quad , \ \rightarrow \quad 1.066 \quad 1.066
                         -> 3403 1.42 , -> 3596 2.43 , -> 4192 241 , -> 4206 1.12 , -> 4622 0.3612,
                         \rightarrow 4705 5.84, \rightarrow 4952 0.8015, \rightarrow 5132 5.13, \rightarrow 5396 1.02, \rightarrow 5457 2.12,
                         -> 5726 1.2<u>1</u>
1587; 7832 \rightarrow 0 56.65, \rightarrow 417 2.21, \rightarrow 2365 2.61, \rightarrow 3074 4.22, \rightarrow 3508 0.071,
                         -> 3751 1.215, -> 4192 5.72, -> 4599 6.62, -> 4952 0.453, -> 5132 10.13,
                         -> 5726 1.345, -> 5849 0.101
1622; 7865 \rightarrow 417 331 , \rightarrow 1058 2.63 , \rightarrow 1759 3.95 , \rightarrow 1851 2.02 , \rightarrow 2070 19.18,
                         -> 2365 1.22 , -> 2545 5.94 , -> 2661 3.33 , -> 2740 1.52 , -> 3074 1.22 ,
                         -> 3160 1.23 , -> 3963 6.33 , -> 4599 4.12 , -> 4773 0.277, -> 5142 4.02 ,
                         -> 5545 3.32 , -> 6028 0.92
1632; 7874 -> 1759 1.03, -> 2069 121, -> 2070 521, -> 2545 1.41, -> 2740 0.418,
                         \rightarrow 3160 4.52, \rightarrow 3751 1.81, \rightarrow 4192 1.267, \rightarrow 4548 8.03, \rightarrow 4599 6.52,
                         \rightarrow 5142 3.71, \rightarrow 5396 0.185, \rightarrow 5545 2.109
1637; 7880 \rightarrow 2070 \ 355 \ , \rightarrow 2072 \ 325 \ , \rightarrow 2661 \ 122 \ , \rightarrow 2913 \ 2.18 \ , \rightarrow 3160 \ 63 \ \ ,
                         -> 3754 1.77 , -> 4192 1.26 , -> 4431 1.34 , -> 5545 1.47
1649; 7891 \rightarrow 0 39.85, \rightarrow 417 4.52, \rightarrow 2069 3.11, \rightarrow 2365 28.32, \rightarrow 3074 5.72, \rightarrow 3074
                         -> 3160 0.102, -> 3675 1.537, -> 3681 1.377, -> 4206 4.51, -> 4349 1.325,
                         -> 4773 3.61 , -> 4952 2.809
1680; 7921 \rightarrow 0 12.27, \rightarrow 2069 6.910, \rightarrow 3403 7.74, \rightarrow 3508 5.63, \rightarrow 4192 1.12,
                         -> 4206 522 , -> 4773 3.32 , -> 4941 2.14 , -> 5513 1.21 , -> 5569 1.11
1699; 7939 \rightarrow 0 0.101, -> 417 4.72, -> 2069 69.25, -> 2070 1.63, -> 2365 3.01,
                         -> 2545 5.52 , -> 2661 2.579, -> 3751 2.909, -> 3963 2.408, -> 4773 1.114
1714; 7953
                                  see table l
1744; 7982 \rightarrow 417 41.57, \rightarrow 1058 4.52, \rightarrow 1759 7.02, \rightarrow 1851 7.72, \rightarrow 2072 1.32,
                         -> 2545 9.13 , -> 2661 4.02 , -> 2740 1.338, -> 2913 1.929, -> 3074 1.949,
                         \rightarrow 3681 1.487, \rightarrow 3724 3.31, \rightarrow 3754 0.147, \rightarrow 3963 6.12, \rightarrow 4349 1.055,
                         -> 5883 1.99<u>8</u>
1763; 8001 \rightarrow 228 \quad 5.53, \rightarrow 1058 \quad 10.34, \rightarrow 2072 \quad 1.93, \rightarrow 2661 \quad 5.32, \rightarrow 2740 \quad 1.82,
                         \rightarrow 3160 1.52 , \rightarrow 3724 4.02 , \rightarrow 4431 9.74 , \rightarrow 4548 1.32 , \rightarrow 4622 2.12 ,
                         -> 4940 13.24, -> 5007 3.42, -> 5692 0.184
1771; 8008 \rightarrow 417 22.07, \rightarrow 1759 3.21, \rightarrow 1851 2.21, \rightarrow 2070 18.86, \rightarrow 2545 2.81,
                         -> 2661 \quad 3.71, -> 3160 \quad 1.256, -> 3675 \quad 0.155, -> 3724 \quad 1.386, -> 3963 \quad 4.21,
                         -> 4192 2.098, -> 4548 20.86, -> 4599 5.72, -> 5142 1.727, -> 5950 0.052,
                         -> 6028 1.61<u>6</u>
1774; 8011 -> 0 2.82, -> 2069 8.85, -> 3403 2.82, -> 3508 7.23, -> 3675 301,
                         \rightarrow 4705 2.31, \rightarrow 4773 3.92, \rightarrow 5132 1.172, \rightarrow 5396 10.64, \rightarrow 5676 16.76,
                         -> 5726 2.71 , -> 6048 4.02
1800; 8036 \rightarrow 228 \quad 8.814, \rightarrow 1058 \quad 132 \quad , \rightarrow 1759 \quad 6.113, \rightarrow 1851 \quad 5.713, \rightarrow 2070 \quad 4.313,
                         \rightarrow 2072 5.713, \rightarrow 2661 3.27, \rightarrow 2913 3.78, \rightarrow 3160 7.310, \rightarrow 3724 2.97,
                         -> 3751 2.911, -> 3754 8.82 , -> 4431 4.42 , -> 4548 7.02 , -> 4622 1.25 ,
                         -> 4940 5.17, -> 5195 3.36, -> 5545 1.66, -> 5849 1.83
```

TABLE 5 Feeding of some weakly excited  $^{26}$ Al secondary states including all levels above  $E_{x} = 6.0$  MeV ( $E_{xf}[keV]$ ,  $J_{f}^{\pi}; T_{f}$ ,  $E_{D}[keV]$ , b[%])  $^{a}$ 

```
3922 7^+(5^+); 0 609 0.11\frac{5}{2}, 738 0.20\frac{3}{2}, 1273 0.40\frac{15}{2}, 1375 0.023\frac{3}{2}, 1680 2.3\frac{3}{2}
3978
          0;0
                   516 0.4715, 656 0.083 , 811 0.062 , 1184 0.154 , 1763 22.87
          0;0
                   497 0.704 , 811 4.1813, 1184 0.143 , 1239 0.457 , 1637 1.13
4480
5462 0<sup>+</sup>(1,2);0 1637 1.13 , 1763 1.27<u>7</u> , 1771 0.11<u>3</u>
                                                                                           d
6028 	1^{+}(1^{-}):1
                   5 branchings > 1% given in table 4
                                                                                           d
          5+;0
6084
                   7 branchings > 1% given in table 4
6086 \quad 1^{-}(2^{+}); 0 \quad 723 \quad 0.0407, \quad 811 \quad 0.141, \quad 890 \quad 0.113, \quad 986 \quad 0.052, \quad 1283 \quad 0.765
6120 (4.5^{+}):0
                   953 0.883 , 1342 0.225 , 1375 1.475 , 1632 0.123 , 1774 0.759
6198
      1(2^{+});0
                   811 0.0289, 1043 0.0195, 1179 5.113, 1342 0.053, 1714 0.0072 g
6238
          1;0
                   656 0.052 , 811 0.0466, 819 0.348 , 1351 0.328 , 1763 8.94
                   533 0.051 , 969 0.051 , 1205 0.0204 , 1744 0.063 , 1829 0.345 <sup>1</sup>
6254
          3;0
                   811 0.062 , 1306 0.301 , 1351 0.126 , 1744 0.398 , 1763 0.075 <sup>j</sup>
6270
         1;0
        3+;0
6280
                    weakly excited at 13 resonances
                   953 0.421 , 1137 0.0329, 1375 1.184 , 1649 0.093 , 1699 0.662 k
        4-:0
6343
        3<sup>+</sup>;1
6364
                    excited at 22 resonances
6399
        2-:0
                   811 0.0195, 986 0.1362, 1184 0.103 , 1205 0.0314, 1239 0.296
        0+;1
                   928 0.0687, 1184 0.093, 1196 0.0236, 1370 0.848, 1763 0.164
6414
6436
        4~;0
                   953 0.0143, 1273 0.8512, 1337 0.183 , 1587 0.061 , 1649 0.0528 m
<u>6496</u> 5<sup>+</sup>(4<sup>+</sup>);0
                   953 0.0454, 1375 0.051, 1587 0.063, 1680 0.9910, 1714 0.2498
6551 4<sup>+</sup>(5<sup>+</sup>);0 1084 0.172 , 1148 0.321 , 1714 0.0155
<u>6598</u> (4,5^+); 0 953 0.0052, 1273 0.062, 1649 0.041, 1714 0.0263
```

<sup>&</sup>lt;sup>a</sup> Only the strong branches are listed (b > 1%) with, in addition, those weak branches which are (also) instrumental in  $J^{\pi}$ ; T determinations. For branches to the  $E_{\chi}$  = 3922, 3978, 4480 and 5462 keV levels and to the levels above  $E_{\chi}$  = 6.0 MeV, see table 5; for the  $E_{D}$  = 1714 keV resonance, see table 1.

TABLE 5 - continued

```
3^{\circ};0 1148 0.0135, 1237 0.0204, 1306 0.0236, 1351 0.357, 1649 0.0196
6610
          2^+; 0 986 0.0276, 1205 0.062, 1237 0.1526, 1306 0.572, 1699 0.0972 n
6680
          4;0 1137 0.283, 1148 0.0115, 1649 0.0196, 1714 0.0072, 1774 0.186
6724
          2;0 1184 0.177
6784
6789
          3;0 1699 0.0248
6801
           3<sup>+</sup>;0 1237 0.0184, 1306 0.0236, 1714 0.0102
        1(2^{-});1 1196 0.111 , 1302 0.181 , 1351 0.186 , 1771 0.213
6802
6816 \ 6^{+}(4,5); 0 \ 1375 \ 0.256 \ , 1774 \ 0.305 \ , 1833 \ 0.203
          4<sup>+</sup>;1 1103 0.132 , 1205 0.1246, 1237 0.0816, 1292 0.377 , 1337 0.082 °
6818
6852 \quad 2^+; 1(+0) \quad 969 \quad 0.061 \quad 1351 \quad 0.226 \quad 1370 \quad 0.204 \quad 1525 \quad 0.516 \quad 1568 \quad 1.05
6874
          1+;0 1829 0.5010
          2<sup>+</sup>;1 1351 0.20<u>5</u> , 1525 0.33<u>3</u> , 1632 0.09<u>3</u>
6876
          6\overline{;}0 1292 0.259 , 1375 0.0213, 1774 4.52 , 1833 5.12
6892
         3;1 1351 0.70<u>10</u>, 1515 0.43<u>7</u> , 1525 0.23<u>3</u> , 1580 1.71<u>14</u>
6964
          2+;0 1699 0.0366
7001
         5<sup>+</sup>;0 1714 0.025<u>3</u>, 1833 0.37<u>6</u>
7015
          4-;0 1714 0.102<u>4</u>
7109
7222
          5^+; 1 1273 0.62 , 1680 1.1410
7291 4+(3+):0 1714 0.0623
7348
          4;1+0 1680 0.70<u>10</u>
```

any contribution from the  $E_{\rm p}=1375~{\rm keV}$  resonance. The spectrum at  $E_{\rm p}=1375~{\rm keV}$  does contain a contribution from the lower-energy resonance through its instrumental tail, but the corresponding primaries are shifted down in energy by 4.8 keV, and furthermore the  $J^{\pi}$ ; T values are very different (1<sup>+</sup>; 0 and 5<sup>+</sup>; 1, respectively). Consequently the  $E_{\rm p}=1370~{\rm keV}$  decay contains a few primaries, like the 24% branch to the  $E_{\rm x}=0.23~{\rm MeV}$  0<sup>+</sup>; 1 level, which impossibly could originate from the  $E_{\rm p}=1375~{\rm keV}$  decay, such that the instrumental tail in the  $E_{\rm p}=1375~{\rm keV}$  spectrum can be subtracted accurately.

The problem becomes much harder if the resonances are very close, or if one component (or both components) is (are) broad, in which case the primary  $\gamma$ -ray

<sup>&</sup>lt;sup>a</sup> Underlined levels have been seen as resonances (dashed line from ref.  $^{10}$ ), solid line from present work). The  $J^{\pi}$ ;T values are to be discussed in a succeeding paper. <sup>b</sup> In addition: 1800 6.39. <sup>c</sup> In addition: 1763 0.225.

d Also weakly excited at another seven resonances.

e In addition: 1302 0.0245, 1351 0.988, 1568 0.4210, 1763 0.436.

f In addition: 1833 0.336. g In addition: 1744 0.052, 1763 0.234.

h In addition: 1829 0.73. i In addition: 1833 0.112. j In addition: 1771 0.062.

k In addition: 1714 0.0186. 1 In addition: 1699 0.00449. m In addition: 1714 0.2017.

n In addition: 1744 0.443, 1763 0.134, 1829 0.798.

o In addition: 1587 0.143, 1632 0.313. p In addition: 1632 0.203, 1771 0.103.

energy is of little use. We now have to rely completely on the "signature" transitions (of which an example has been given above), transitions which can occur in the decay of one resonance but not in that of the other. At the  $E_p = 1135 + 1137 \text{ keV}$  doublet, for instance, with  $J^{\pi}$ ;  $T = 2^+$ ; 0 and  $3^-$ ; 1, respectively, there are five primaries to  $J^{\pi} = 1^+$  levels which can only originate from the lower and three transitions to  $4^-$  levels which can only originate from the upper component, and which together fix the two coefficients determining the amounts of interpenetration of the two spectra. The intensities of the primaries to a particular J = 2 or J = 3 level (and to  $1^-$  and  $4^+$  levels) can then be found by solving two linear equations with two unknowns.

The branchings given by De Neys *et al.*<sup>2</sup>) for 44 resonances are in very good overall agreement with the present results. Because they used an unshielded detector, their detection limit for weak transitions (especially of low energy) is higher by up to two orders of magnitude. The many weak transitions which thus remained unobserved cause their branchings for strong primaries to be high by about 5%. At  $E_p = 593$ , 1137 and 1237 keV a comparison makes no sense because these resonances turned out to be doublets, and at  $E_p = 819$  and 1306 keV the subtraction of the contribution of the preceding resonance ( $E_p = 811$  and 1302 keV, respectively) introduced errors. Also the decay to doublet levels (e.g. those at  $E_x = 3.68$  and 3.75 MeV) has caused difficulties, and finally the many single- and double-escape peaks have not always been recognized as such. The decay of the  $E_p = 1196$  keV resonance has also been studied by Keinonen *et al.*<sup>13</sup>), who observed 12 primaries as against 8 in ref.<sup>2</sup>) and 22 in the present work.

Most bound states are excited at many resonances; the proton binding energy is at  $E_x = 6306.0(5)$  keV [ref. <sup>17</sup>)]. Of the levels below  $E_x = 6.2$  MeV there are only four, either with very high spin ( $E_x = 3922$  keV), or with very low spin ( $E_x = 3978$ , 4480 and 5462 keV), which are excited at less than seven resonances. The resonances at which they are excited, with the corresponding branchings, are listed in table 5, which also gives the feeding of the secondary states above  $E_x = 6.0$  MeV. All the listed levels above  $E_x = 6.45$  MeV have been seen as resonances (but for the level at  $E_x = 6816$  keV which probably has  $J^{\pi} = 6^+$ ), as reported in ref. <sup>10</sup>) for the lowest three, and in ref. <sup>1</sup>) for the others. They are excited by altogether 74 resonance  $\rightarrow$  resonance transitions. All 15 known resonances below  $E_x = 6.90$  MeV ( $E_p = 0.62$  MeV) are excited in such transitions. None of the transitions listed in table 5 (but for the 4% branch to  $E_x = 4480$  keV at  $E_p = 811$  keV) has been given in ref. <sup>2</sup>).

In the next two sections the branchings of secondary states and the resonance branchings will be discussed, respectively. Actually the determinations of these two sets of branchings are closely connected, due to the frequent occurrence of composite peaks, and to the restrictions on intensities imposed by the intensity balances at secondary levels. As the resonance spectra were analysed, one after the other, new secondary-state decay lines were observed and correspondingly the secondary-state branchings were gradually improved. Then, from the final set of resonance spectra,

the spectra were selected which gave the best statistics for the decay of a particular secondary state, and the branchings obtained were properly averaged. For a low-lying level (excited by several bound  $\rightarrow$  bound transitions, in addition to the primary) the easiest procedure for averaging is first to calculate the relative intensities of all decay lines with respect to a strong decay line which is uncontaminated in all spectra, then to average, and finally to divide by the sum of all ratios. If  $I_{\rm in}$  (not used in the above procedure) systematically exceeds  $I_{\rm out}$ , this formed an incentive to search for unspotted decay lines. For high-lying levels, only excited by an uncontaminated primary, and especially for levels of which the decay is split up in many weak lines, it is best to derive the branchings directly as the ratios of those lines relative to the primary.

The much improved secondary-state branchings thus obtained were then used to reanalyse all resonance spectra. The component intensities of composite peaks could now be determined with more confidence, which resulted in better resonance branchings and secondary-state intensity balances. It should be noted that the analysis of composite peaks in the  $\theta = 55^{\circ}$  spectra is more difficult than for the  $\gamma$ -spectra accompanying e.g. beta-decay or thermal neutron capture, because Doppler patterns differ according to the lifetime of the upper level.

The procedure described above shows that the determination of  $(p, \gamma)$  branchings is an iterative process in which the branchings of resonances and of secondary states are closely interrelated.

One may wonder whether  $\gamma\gamma$ -coincidence measurements would not also have been advantageous for obtaining secondary-state branchings. We are convinced, however, that the present method (singles spectra with good statistics at many resonances) is superior, and certainly far less time consuming. The disadvantage of the appearance of composite peaks in the singles spectra and the problem of the placement of "new" lines is far more than offset by the possibility to compare the spectra taken at several resonances where usually the component intensities in such peaks are very different.

## 4. Branchings of secondary states; previously unobserved levels

The branchings of secondary states derived from the CSS spectra taken at  $55^{\circ}$  are given in table 6. The decay of resonances is not included, but for those at  $E_x = 6496$ , 6551 and 6598 keV which were observed as very weak resonances by Elix et al. <sup>10</sup>). For branching errors, see sect. 3. The table contains 548 entries, about four times as many as in the last A = 26 compilation <sup>11</sup>), with a maximum of 20 branches for the  $E_x = 5245$  keV level. Part of the decay of three high-energy weakly excited levels is probably missing, because  $I_{\text{in}}$  exceeds  $I_{\text{out}}$  by more than twice the combined error; of the  $E_x = 6254$  and 6399 keV levels not a single decay branch has been observed.

TABLE 6 Branchings (in %) of  $^{26}{\rm Al}$  secondary states (E  $_{\chi}$  in keV)  $^a$ 

417	<b>-&gt;</b>	0	100															A
1058	->	228	100															A
1759	->	417	98.01,	->	1058	2.03 <u>6</u>												A
1851	->	228	99.3 <u>2</u> ,	->	417	0.679												В
2069	->	0	311 ,	->	417	69 <u>1</u>												A
2070	->	228	3.0 <u>4</u> ,	->	417	21.4 <u>8</u> ,	->	1058	75.49, ->	1759	0.172,	<b>-&gt;</b> :	1851	0.041				A
2072	->	228	89.42,	->	417	10.62,	->	1851	0.041									A
2365	->	0	0.894,	->	417	331 ,	<b>-&gt;</b>	1058	13.74, ->	1759	1.485,	-> :	2070	51 <u>1</u>				A
2545	->	0	0.216,	<del>-</del> >	417	26 <u>1</u> ,	->	1058	2.5 <u>2</u> , ->	1759	3.32 ,	-> 2	2070	68 <u>1</u>				A
2661	->	417	612 ,	->	1058	9.0 <u>3</u> ,	->	1759	0.62 <u>5</u> , ->	1851	1.52 ,	-> :	2070	25 <u>1</u> ,	<del>-</del> >	2072	3.4 <u>8</u>	В
2740	->	228	99.22,	->	417	0.8 <u>2</u>												С
2913	->	417	29.6 <u>9</u> ,	->	1058	0.79 <u>4</u> ,	->	1759	0.794, ->	1851	1.054,	-> :	2070	67.8 <u>9</u>				В
3074	->	0	0.792,	->	417	0.52 ,	->	1058	12.34, ->	1759	0.374,	<b>-&gt;</b> 1	1851	2.69 <u>8</u> ,	->	2070	83.4 <u>5</u>	В
3160		see	table	8														В
3403	<b>-&gt;</b>	0	371,	->	417	57 <u>1</u> ,	->	2069	5.32 , ->	2365	0.48 <u>6</u>							В
3508	->	0	99.7 <u>1</u> ,	->	2069	0.32 <u>7</u>												В
3596	->	0	3.72 ,	->	417	0.184,	->	1058	3.2 <u>1</u> , ->	1851	0.986,	-> :	2070	92.0 <u>2</u>				В
<u>3675</u>	->	0	4.4 <u>2</u> ,	->	417	57.19,	->	1759	27.4 <u>8</u> , ->	2069	1.01 ,	-> :	2365	8.14 ,	->	2545	2.0 <u>2</u>	В
3681	->	0	0.72 <u>7</u> ,	->	417	1.657,	->	1058	2.62 , ->	1759	1.156,	-> :	1851	0.18 <u>4</u> ,	->	2070	93.3 <u>2</u> ,	,
			0.12 <u>5</u> ,															В
						0.449,												С
3751							->	1759	0.196, ->	1851	0.27 <u>7</u> ,	-> :	2070	69 <u>2</u> ,	->	2365	0.13 <u>7</u> ,	
			0.397,															С
3754				->	1851	2.63,	->	2072	9.52 , ->	2740	1.92							C
3922			100										. <b></b> .					F
3963			_						11.14, ->	1759	2.23	-> :	1851	1.62,	->	2070	70 <u>1</u>	, _
						1.57												С
						621,												С
4192									3.92 , ->	2069	23.97,	-> :	2365	9.35,	->	2545	2.1 <u>1</u>	
						0.394,			_									В
4206	->								1.107, ->			-> :	2365	6.85,	->	2545	3.2 <u>2</u>	
4240									0.523, ->			ͺ,	20.70	06.06				A C
4349	->								1.82 , ->							2265		•
4431							->	1/39	2.96 , ->	1831	U.03 ,	- <i>&gt;</i> .	2070	61 <del>7</del> ,	->	2363	1.85	, D
4480			1.03,			_		2072	441 , ->	27/0	16 26							С
											_	_> 1	1851	0.083	_\	20.72	1 306	•
4548									48 <u>1</u> , -> 0.20 <u>5</u> , ->								-	
4599			_						2.61 , ->								_	
4377									3.12 , ->							2001	0.0 <u>0</u>	, С
4622									9.17 , ->						->	2545	2.16	
7.02.									4.54 , ->			,	-545	~# ;		2273	2019	, D
	•				2,70	- <u>.</u> ,	_	3014	~•>a • ~/	5100	4 • 4 <u>6</u>							_

```
4705 ->
                                            0 571 , -> 417 0.31 , -> 2069 0.61 , -> 2365 25.58, -> 2545 15.95, -> 3074 0.62 ,
                      -> 3681 0.52
4773 ->
                                            0 \ 12.15, \rightarrow 417 \ 301 , \rightarrow 1759 \ 0.41 , \rightarrow 2069 \ 3.03 , \rightarrow 2365 \ 8.13 , \rightarrow 2545 \ 5.42 ,
                      -> 2661 261 , -> 2913 5.82 , -> 3074 3.52 , -> 3403 0.62 , -> 3596 0.264, -> 3675 0.123,
                      -> 3681 0.383, -> 4192 4.13
4940 -> 228 801 , -> 1058 1.24 , -> 1759 0.52 , -> 1851 0.83 , -> 2070 4.912, -> 2072 5.712,
                      -> 2661 0.82 , -> 2740 0.53 , -> 3160 1.03 , -> 3754 4.22
                                            0 1.12 , \rightarrow 417 541 , \rightarrow 2069 0.72 , \rightarrow 2365 20.66, \rightarrow 2545 21.58, \rightarrow 3074 0.258,
                      -> 3508 1.81 , -> 3675 0.31
4952 -> 417 9.43 , -> 1058 1.92 , -> 1851 2.62 , -> 2070 25.18, -> 2545 0.62 , -> 2740 1.01 ,
                      \rightarrow 2913 0.91, \rightarrow 3160 571, \rightarrow 4192 1.32
5007 \rightarrow 1058 \ 191 , \rightarrow 1759 \ 71 , \rightarrow 1851 \ 1.98 , \rightarrow 2070 \ 652 , \rightarrow 2661 \ 2.36 , \rightarrow 2740 \ 2.35 ,
                      -> 2913 2.75
5010 -> 228 97.77, -> 3754 2.37
5132 ->
                                           0.0423, \rightarrow 417.0.61, \rightarrow 1759.0.051, \rightarrow 2069.161, \rightarrow 2070.5.110, \rightarrow 2365.44.69,
                      -> 2545 0.977, -> 3074 19.16, -> 3160 0.273, -> 3403 5.02 , -> 3596 4.11 , -> 3675 0.122,
                      \rightarrow 3681 0.452, \rightarrow 3963 2.06, \rightarrow 4192 0.091, \rightarrow 4206 0.522, \rightarrow 4349 0.323
5142 \rightarrow 417 \ 812 \rightarrow 1058 \ 2.94 \rightarrow 1759 \ 121 \rightarrow 2072 \ 0.83 \rightarrow 2365 \ 0.71 \rightarrow 3596 \ 1.43 \rightarrow 1759 \ 121 \rightarrow 1759 \
                      -> 3963 1.32
5195 -> 1058 343 , -> 1851 91 , -> 2072 423 , -> 3724 151
5245 ->
                                           0\ 3.62, -> 417 3.92, -> 1759 7.43, -> 2070 3.82, -> 2365 9.13, -> 2545 2.52,
                      -> 2661 2.91 , -> 2913 5.62 , -> 3074 5.22 , -> 3403 1.55 , -> 3508 0.254, -> 3596 2.15 ,
                     -> 3675 0.195, -> 3681 0.434, -> 3751 0.083, -> 3963 1.81 , -> 4192 461 , -> 4206 0.435,
                      -> 4349 0.324, -> 4705 2.72
<u>5396</u> ->
                                           0.331, -> 417 461, -> 2069 2.11, -> 2365 3.61, -> 2545 1.31, -> 3074 1.91,
                      -> 3403 0.115, -> 3596 3.01 , -> 3681 0.154, -> 4192 6.12 , -> 4599 1.91 , -> 4622 0.395 B
5431 \rightarrow 228 \ 18.46, \rightarrow 1058 \ 2.72, \rightarrow 1759 \ 0.81, \rightarrow 1851 \ 6.22, \rightarrow 2070 \ 335, \rightarrow 2072 \ 125,
                     -> 2661 0.51 , -> 3754 263 , -> 4480 0.277, -> 4548 0.777
5457 -> 417 363 , -> 1759 6.63 , -> 2070 9.94 , -> 2365 2.22 , -> 2545 1.22 , -> 2661 19.29
                      -> 3074 5.63 , -> 3160 5.23 , -> 3596 0.41 , -> 3675 0.52 , -> 3681 0.52 , -> 3751 0.52 ,
                     -> 4192 6.33 , -> 4548 5.53 , -> 4705 0.41
5462 -> 1058 183 , -> 1759 233 , -> 1851 83 , -> 2661 82 , -> 2740 173 , -> 2913 204 ,
                     -> 3160 62
                                                                                                                                                                                                                                                                                                                                                              F
                                          0 102 , \rightarrow 2069 142 , \rightarrow 2365 92 , \rightarrow 3074 643 , \rightarrow 3403 3.412
                                                                                                                                                                                                                                                                                                                                                             Ε
5495 -> 2070 911 , -> 3160 4.35 , -> 3596 2.89 , -> 4548 2.22
                                                                                                                                                                                                                                                                                                                                                              C
5513 ->
                                           -> 2661 0.738, -> 2913 1.078, -> 3596 0.41, -> 3751 0.297, -> 4192 371, -> 4349 1.157,
                     -> 4705 0.606, -> 5132 0.265
5545 \rightarrow 228 \cdot 1.64 \rightarrow 417 \cdot 282 \rightarrow 1058 \cdot 2.85 \rightarrow 1759 \cdot 11.47 \rightarrow 1851 \cdot 0.93 \rightarrow 2072 \cdot 2.44 \rightarrow 1759 \cdot 11.47 \rightarrow 1851 \cdot 0.93 \rightarrow 1759 \cdot 0.93 \rightarrow 1759
                     -> 2365 13.38, -> 2545 2.45 , -> 2661 2.24 , -> 2913 4.68 , -> 3074 2.04 , -> 3596 51
                     -> 3724 1.24, -> 3751 201, -> 3963 1.83
                                                                                                                                                                                                                                                                                                                                                             E
5569 -> 0 628 , -> 2069 247 , -> 4705 144
                                                                                                                                                                                                                                                                                                                                                              F
```

```
5585 -> 228 86.47, -> 1759 1.44, -> 2913 2.63, -> 3160 1.03, -> 3754 2.43, -> 4548 6.23 D
5598 \rightarrow 417 \ 293 , \rightarrow 2070 \ 313 , \rightarrow 3160 \ 403
5671 -> 228 112 , -> 417 5.82 , -> 1058 7.812, -> 3160 231 , -> 3681 3.28 , -> 3754 492 D
5676 ->
             0.401, \rightarrow 417.451, \rightarrow 2069.0.387, \rightarrow 2365.0.798, \rightarrow 2545.3.51, \rightarrow 3675.0.228,
        \rightarrow 3681 1.368, \rightarrow 4192 7.02 , \rightarrow 4599 1.608
5692 -> 417 441 , -> 1759 16.45, -> 2070 0.318, -> 2661 0.319, -> 3074 0.699, -> 3160 16.55,
        -> 3596 0.296, -> 3681 1.81, -> 4192 18.36, -> 4206 0.428, -> 4548 0.212, -> 4599 0.248,
        -> 5142 0.237
5726 \rightarrow 0 \ 371 \ , \rightarrow 417 \ 331 \ , \rightarrow 2069 \ 6.03 \ , \rightarrow 2365 \ 5.02 \ , \rightarrow 3403 \ 81 \ , \rightarrow 3596 \ 2.42 \ ,
        \rightarrow 3675 0.71, \rightarrow 3963 6.13, \rightarrow 4349 0.81
5849 \rightarrow 417 82 , \rightarrow 1759 72 , \rightarrow 2070 483 , \rightarrow 2740 3.29 , \rightarrow 2913 73 , \rightarrow 4192 152 ,
        -> 4548 8.49 , -> 5142 3.16
5883 -> 417 141 , -> 1759 3.112, -> 1851 4.16 , -> 2070 11.67, -> 3074 1.04 , -> 3160 9.37 ,
        \rightarrow 4192 1.77 , \rightarrow 4548 432 , \rightarrow 4599 2.35 , \rightarrow 4622 3.17 , \rightarrow 4705 2.28 , \rightarrow 5132 2.210,
       -> 5142 2.3<u>10</u>
5916 \rightarrow 417 442, \rightarrow 1058 62, \rightarrow 1759 6.65, \rightarrow 1851 4.711, \rightarrow 2070 21.47, \rightarrow 2365 1.64,
        -> 2913 1.94 , -> 3160 3.34 , -> 3751 2.312, -> 4192 6.44 , -> 5142 1.22
               0 182 , \rightarrow 2069 112 , \rightarrow 2545 483 , \rightarrow 3403 3.56 , \rightarrow 3681 193
                                                                                                                            E
5950 \text{ }^{\text{b}} \rightarrow 228 \text{ } 112 \text{ , } \rightarrow 2070 \text{ } 173 \text{ , } \rightarrow 3160 \text{ } 343 \text{ , } \rightarrow 3754 \text{ } 162
6028 \rightarrow 1058 \ 442 , \rightarrow 1759 \ 1.25 , \rightarrow 2072 \ 2.96 , \rightarrow 2740 \ 3.57 , \rightarrow 2913 \ 15.45 , \rightarrow 3724 \ 22.17 ,
        \rightarrow 3751 3.59 , \rightarrow 3978 0.93 , \rightarrow 4940 5.46 , \rightarrow 5007 1.12
6084 -> 0 15.15, -> 2069 562 , -> 3508 7.83 , -> 3675 111 , -> 4705 8.94 , -> 4773 0.742,
        -> 5396 0.72<u>7</u>
                                                                                                                             С
6086 b-> 228 296 , -> 1759 103 , -> 1851 186 , -> 2070 196
                                                                                                                             F
6120 \rightarrow 2069 \ 681 , \rightarrow 3403 \ 261 , \rightarrow 3675 \ 6.18
                                                                                                                             С
6198 -> 228 100
6238 \rightarrow 228 \ 151 , \rightarrow 417 \ 141 , \rightarrow 1058 \ 2.36 , \rightarrow 1759 \ 1.86 , \rightarrow 2070 \ 281 , \rightarrow 2740 \ 42
        -> 2913 1.24 , -> 3160 1.35 , -> 3724 0.53 , -> 3754 5.17 , -> 3978 72   , -> 4431 1.34 ,
       -> 4548 10.27, -> 5142 7.87
          no decay lines observed
                                                                                                                            F
6270^{\text{b}} \rightarrow 228 583, \rightarrow 3160 132, \rightarrow 5195 52
                                                                                                                            F.
6280 -> 2070 94 , -> 3160 358 , -> 4192 234 , -> 4599 104 , -> 5132 105 , -> 5142 136
6343 -> 2069 8.75 , -> 2365 3.85 , -> 2545 131 , -> 3074 5.111 , -> 4192 141 , -> 4599 462
       -> 4705 3.8<u>10</u>, -> 5132 6.7<u>7</u>
6364 -> 417 122 , -> 1759 273 , -> 2069 82 , -> 2365 82 , -> 2545 52 , -> 3675 124 ,
       \rightarrow 3681 131 , \rightarrow 3751 6.28 , \rightarrow 4192 1.511, \rightarrow 4206 72
6399
             no decay lines observed
                                                                                                                            F
6414 -> 1058 40<u>10</u> , -> 1851 60<u>10</u>
                                                                                                                             F
6436 \rightarrow 417 193 , \rightarrow 2069 72 , \rightarrow 4705 353 , \rightarrow 5132 394
                                                                                                                            F
6496 \rightarrow 417\ 213 \rightarrow 2365\ 191 \rightarrow 2545\ 5.812 \rightarrow 3403\ 4.52 \rightarrow 4705\ 502
                                                                                                                            F.
\frac{6551}{}^{c} > 417 155 , -> 2069 133 , -> 2545 32 , -> 3403 32 , -> 3508 103 , -> 4206 62
       \rightarrow 4705 115 , \rightarrow 4773 143 , \rightarrow 5132 203 , \rightarrow 5457 53
                                                                                                                            F
```

6598 d->	0 10 <u>3</u>	, ->	417 27 <u>6</u>	, -> 2365 5 <u>3</u>	, -> 2545 5 <u>2</u>	, -> 3681 4 <u>3</u>	, -> 4349 3 <u>2</u>	,
->	4705 46 <u>7</u>							F
<u>6816</u> ->	0 49 <u>3</u>	, -> 3	3675 51 <u>3</u>					E

Initial state and errors are underlined. The last column gives an indication as to the quality of the decay data at the resonance where  $I_{\rm out}$  is largest, with A standing for  $I_{\rm out} > 3000$ , B 1000-3000, C 300-1000, D 100-300, E 30-100 and F < 30.

The statistical quality of the decay of a particular level, and thus the possibility to observe weak branches, naturally differs very much from level to level. For 27 levels the decay intensity at one or more resonances exceeds  $I_{\rm out} = 1000$  (for the definition of I, see table 2), for another 29 levels we have  $I_{\rm out} = 100$ -1000, with  $I_{\rm out} < 100$  for the rest.

The possibility to obtain extensive and precise information on secondary-state branchings, as shown in table 6, is one of the particular advantages of the  $(p, \gamma)$  reaction as compared to, for instance, the  $(n, \gamma)$  reaction where good statistics can only be obtained at thermal energy. For the study of the decay of a particular level generally several (often many) resonances can be found where the level is strongly excited. A decay line which is contaminated at one resonance may be completely isolated at another. An example (for  $E_x = 3.16$  MeV) is given below, where the decay of some secondary states is discussed, including all levels below  $E_x = 3.2$  MeV.

1.76 MeV. The  $1.76 \rightarrow 1.06$  MeV branching listed is the average of values obtained at five resonances. Statistics are best at  $E_{\rm p} = 685$  keV (fig. 3) where this 2% 701 keV line has a peak height of 3.9 times the underlying Compton continuum.

1.85 MeV. The new  $E_{\gamma} = 1434 \text{ keV} 1.85 \rightarrow 0.42 \text{ MeV}$  branch coincides with the single-escape peak of the ever-present  $E_{\gamma} = 1948 \text{ keV} 2.37 \rightarrow 0.42 \text{ MeV}$  transition. Statistics are best at  $E_{\rm p} = 811$  and 1306 keV.

The 2.07 MeV triplet. There are no resonances at which (through primary and/or secondary feeding) only a single component of the triplet is excited. Single-component excitation is approximated quite closely, however, at the  $E_{\rm p}=953,\,533$  and 811 keV resonances, where the decay of the  $E_{\rm x}=2069,\,2070$  and 2072 keV components constitutes 96.4, 94.5 and 86.6% of the total triplet decay, respectively. The branchings of the three components can now be determined with an iteration procedure, in which the values found at the above mentioned resonances serve as a first-order approximation.

The  $E_x = 2069 \text{ keV } 4^+$ ; 0 component is simplest. It can only decay to the  $5^+$ ; 0 and  $3^+$ ; 0 states at  $E_x = 0$  and 417 keV, respectively, except for a possible E2 branch to the 1759 keV  $2^+$ ; 0 level, for which an upper limit of 0.013% was found. The

b Decay incomplete.

 $<sup>^{\</sup>mathrm{c}}$  Averages of present branchings with those reported by Elix et al.  $^{10}$ ).

d As reported by Elix et al. 10).

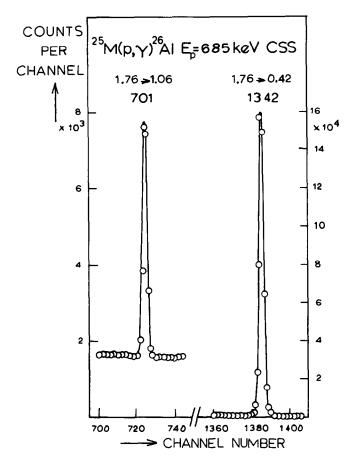


Fig. 3. The 2.0%  $1.76 \rightarrow 1.06 \, \text{MeV}$  decay branch as compared to the 98.0%  $1.76 \rightarrow 0.42 \, \text{MeV}$  main decay transition.

 $2.07 \rightarrow 0$  MeV transition cannot occur in the decay of the other two components. Its intensity and the 2069 keV branchings given in table 6 can then be used to correct the  $2.07 \rightarrow 0.42$  MeV intensity for a possible  $2069 \rightarrow 417$  keV contribution at any resonance other than  $E_p = 953$  keV.

We now turn to the 2070 keV  $2^+$ ; 1 component which can decay to the 228  $0^+$ ; 1, 417  $3^+$ ; 0, 1058  $1^+$ ; 0, 1759  $2^+$ ; 0 and 1851 keV  $1^+$ ; 0 states. The 2070 keV branchings have been obtained at the  $E_p = 533$  keV  $4^+$ ; 1 resonance, which is particularly suitable because the (secondary) feeding of the 2072 keV component (through the decay of the 2661 and 4548 keV levels) is extremely weak, only 0.04% of the feeding of the 2070 keV level. The previously unobserved very weak  $2070 \Rightarrow 1759$  keV branch has been seen at six resonances; statistics are best at  $E_p = 723$  keV (fig. 4). Both the constant ratio of its intensity to that of the  $2070 \Rightarrow 1058$  MeV transition, and its energy determined at  $90^\circ$ , prove that it originates from the 2070 keV

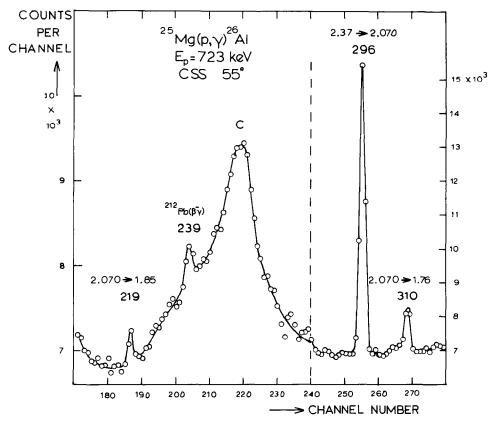


Fig. 4. The previously unobserved  $2.070 \rightarrow 1.76$  and  $2.070 \rightarrow 1.85$  MeV branches with branchings of 0.17 and 0.040%, respectively; C indicates the Compton ridge of the  $0.42 \rightarrow 0$  MeV transition.

decay. The still weaker 2070 → 1851 keV branch (fig. 4) has been seen at three resonances.

We are now left with the 2072 keV  $1^+$ ; 0 component, which previously was thought to decay 100% to the 228 keV level. This is certainly the strongest branch, but clearly a 2072  $\rightarrow$  417 keV branch also exists, because at  $E_p = 811$  keV with  $J^\pi$ ;  $T = 1^-$ ; 1 the 2.07  $\rightarrow$  0.42 MeV is stronger than the 2.07  $\rightarrow$  1.06 MeV line, whereas from the 2070 keV decay alone one would expect an intensity ratio of 21:75 (see table 6). Also the possibility of a relatively strong 2072  $\rightarrow$  1058 keV branch should be considered. As said above, there is no resonance where the 2072 keV decay can be studied without interference from the omnipresent 2070 keV decay. Evidently, a single resonance is not enough to determine the total decay intensities of the 2070 and 2072 keV levels and the two branching ratios of the 2072 keV level (together four unknowns) from the intensities of the 2.07  $\rightarrow$  0.23, 2.07  $\rightarrow$  0.42 and 2.07  $\rightarrow$  1.06 MeV lines (three input data). This difficulty can be overcome by a combined analysis of the decay at  $E_p = 811$  and 1043 keV, the two resonances where the 2072 keV decay is relatively

strongest. The result is a 10.6(9)%  $2072 \rightarrow 417$  keV branch and an upper limit of 3.0% for  $2072 \rightarrow 1058$  keV. The extremely weak 0.043(8)%  $2072 \rightarrow 1851$  keV branching and an upper limit of 0.05% for  $2072 \rightarrow 1759$  keV have been obtained at  $E_p = 811$  keV.

The absence of the  $2072 \rightarrow 1058$  keV transition simplifies the decay analysis at other resonances. The  $2.07 \rightarrow 0$  and  $2.07 \rightarrow 1.06$  MeV intensities determine the 2069 and 2070 keV decay intensities, respectively, and the main decay branch of the 2072 keV level is then found by subtracting the 3.0%  $2070 \rightarrow 228$  keV contribution from the  $2.07 \rightarrow 0.23$  MeV intensity. The procedure can be checked by comparing the calculated intensity sum of the three  $2.07 \rightarrow 0.42$  MeV contributions with its measured intensity, and by comparing the decay intensities ( $I_{\text{out}}$ ) of the three components with the intensity sums of primary and secondary feeding transitions ( $I_{\text{in}}$ ). The degree of agreement obtained is illustrated in table 7 for the  $E_p = 928$  and 1084 keV resonances.

- 2.37 MeV. Excellent statistics for the decay of this level ( $I_{\rm out} = 2000-5000$ ) were obtained at five resonances. The branching ratios obtained (with a new branch to  $E_x = 1.76$  MeV; see fig. 6) agree very nicely.
- 2.55 MeV. In many spectra the strong  $E_{\gamma} = 476 \text{ keV} 2545 \rightarrow 2070 \text{ keV}$  decay line is disfigured by the 478 keV contaminant line from the  $^{7}\text{Be}(\text{EC})^{7}\text{Li}$  decay with the  $^{7}\text{Be}$  produced in the  $^{10}\text{B}(p,\alpha)^{7}\text{Be}$  reaction. The intensity of this branch can thus only

TABLE 7 Intensity balance for the components of the  $E_x = 2.07$  MeV triplet at two  $^{25}\text{Mg}(p,\gamma)^{26}\text{Al}$  resonances  $^a$ 

		$E_{\rm p} = 928$	keV, 1 <sup>+</sup> ;0	)	$E_p = 1084 \text{ keV}, 4^-;1$					
Decay from:	2.069	2.070	2.072	total	2.069	2.070	2.072	total		
I(2.07 -> 0)	<0.8				93					
I(2.07 -> 0.23)		[35.5]	[17.7]	53.2		[45.8]	[0]	45.6		
I(2.07 -> 0.42)		[253]	[2.1]	[255] <sup>b</sup>	[206]	[326]	[0]	[532] <sup>c</sup>		
I(2.07 -> 1.06)		892				1150				
		<del></del>								
I <sub>out</sub>		1183	19.8		299	1525	0			
Iprim.		14			38					
Isecond.		1221	24		258	1480	2.6			
<sup>I</sup> in		1235	24		296	1480	2.6			

 $<sup>^{\</sup>rm a}$  All E $_{_{
m X}}$  are in MeV. Calculated intensities are in square brackets. For the definition of intensity, see table 2.

b Measured intensity 266.

<sup>&</sup>lt;sup>c</sup> Measured intensity 495.

be derived as the difference between  $I_{in}$  and the intensity sum of the other decay branches. The weak ground-state decay is new.

2.66 MeV. The previously unobserved decay lines to the 1.76 and 1.85 MeV levels have been seen at many resonances. The 591 keV  $2.66 \rightarrow 2.07$  MeV branch coincides within 0.4 keV with the previously unobserved  $3.751 \rightarrow 3.16$  MeV transition. At most resonances the  $2.66 \rightarrow 2.07$  MeV component predominates, but at  $E_p = 986$  keV the  $3.751 \rightarrow 3.16$  MeV component is stronger by a factor 4.5. The  $2.66 \rightarrow 2.07$  MeV transition is also remarkable because not only the 2070 keV  $2^+$ ; 1 but also the 2072 keV  $1^+$ ; 0 level is excited. At the  $E_p = 685$  and 1137 keV resonances the energy at 90° (as corrected for very small  $3.741 \rightarrow 3.16$  MeV contributions) is measured as 591.28 (4) and 591.24 (4) keV, respectively. The average, 591.26 (3) keV, deviates markedly from the value 591.45 (6) keV expected for the  $2.66 \rightarrow 2.070$  MeV decay. From the measured energy and the total  $2.66 \rightarrow 2.07$  MeV branching one derives branchings of 24.6 (8) % and 3.4 (8) % for the transitions to the 2070 and 2072 keV levels, respectively.

2.74 MeV. The weak  $2.74 \rightarrow 0.42$  MeV transition is new.

2.91 MeV. The branchings obtained at  $E_p = 567$ , 986 and 1043 keV are in excellent agreement. Just as for the  $E_x = 2.55$  MeV level, the  $E_y = 844$  keV  $2.91 \rightarrow 2.070$  MeV transition has to be regarded as a closing item in the branching sum, because at

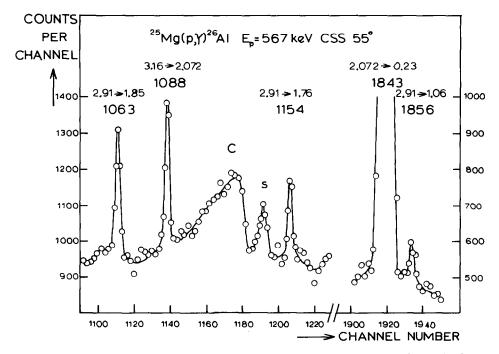


Fig. 5. Three previously unobserved branches in the decay of the  $E_x = 2.91$  MeV level; C and s denote a Compton ridge and a single-escape peak of higher-energy lines, respectively.

several resonances it is contaminated with the  $E_{\gamma} = 844 \,\text{keV}$  line from the  $^{26}\text{Mg}(p, \gamma)^{27}\text{Al}$  reaction. Three new weak branches are shown in fig. 5.

3.07 MeV. This level is best excited at the  $E_{\rm p} = 1103 \, {\rm keV}$  resonance, largely by secondary transitions. The decay at this resonance shows new branches to the  $E_{\rm x} = 1.76$  and 1.85 MeV levels, whereas possible branches to  $E_{\rm x} = 0$  and 0.42 MeV are obscured by other (stronger) transitions. The latter two branches show up clearly at  $E_{\rm p} = 969$  and 1649 keV.

3.16 MeV. The decay of this level has been discussed already in ref. <sup>12</sup>). The four weak branches not yet listed in ref. <sup>11</sup>) are shown in fig. 6, as observed at  $E_p = 881$  keV. The statement in ref. <sup>13</sup>) that the decay feeds the  $E_x = 2070$  and not the 2072 keV level is definitely erroneous, as proven both by the  $3.16 \rightarrow 2.07$  MeV  $\gamma$ -ray energy and by the intensity balance at the final state, at several resonances. The relative

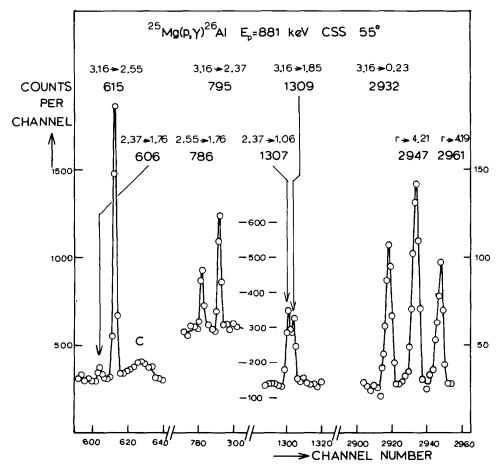


Fig. 6. Four previously unobserved branches in the decay of the  $E_x = 3.16$  MeV level; the new  $2.37 \rightarrow 1.76$  MeV branch is also shown.

TABLE 8								
Branching ratios for the decay of the 3.16 MeV $2^+$ ;1 level as determined at six resonances $a$								

E <sub>p</sub> [keV]	$J_{\mathbf{r}}^{\pi};T_{\mathbf{r}}$	I <sub>in</sub>	Decay to: $J_f^{\pi}; T_f$ :										
775	3+;0	1407		0.44	[100]	25.9	21.6		 	3.94		2.14	
881	3+;0	1902		0.63	[100]	25.4	21.8	0.58		3.97	0.54	1,92	<0.05
9 69	3~;0	1313			[100]		23.0			4.43	0.34	2.21	
986	2";1(+0)	1169		0.71	[100]	25.7	23.2			4.02		2,28	
1196	1+;0	1781		0.64	[100]	26.8	23.9	0.53		4.43	0.29	2.26	
1302	2+;0	4845		0.81	[100]	25.5	23.6			4.39	0.30	2,39	<0.06
	tive inte		4.		[100]				4 <sup>b</sup> <0.4 <sup>c</sup>	•			

<sup>&</sup>lt;sup>1</sup> Relative intensities are given (normalized on the intensity of the strongest branch) which, in the last line, are converted into branching ratios.

decay intensities obtained at six resonances are compared in table 8. The resulting average branching ratios supersede those given in ref. <sup>12</sup>) in which only the data at  $E_p = 775$  and 881 keV had been used. The differences between the values given in ref. <sup>12</sup>) and in the present work are quite small. The  $3.16 \rightarrow 1.85$  MeV branch is only clearly seen at  $E_p = 881$  keV (fig. 6) and at  $E_p = 1196$  keV, which are the only resonances where the ever-present  $E_{\gamma} = 1307$  keV  $2.37 \rightarrow 1.06$  MeV transition does not completely swamp the  $E_{\gamma} = 1309$  keV  $3.16 \rightarrow 1.85$  MeV transition.

The 3.68 MeV doublet. The decay of the  $E_x = 3675$  and 3681 keV levels is best observed at  $E_p = 1205$  and 685 keV, respectively, with corroborating evidence obtained at  $E_p = 953$  and 1237 keV for the former, and at  $E_p = 1205$  and 1237 keV for the latter level.

The 3.75 MeV doublet. There are several resonances where the decay of the 3751 keV component can be studied without interference from the 3754 keV decay, and vice versa. The difficulty of the coinciding  $3.751 \rightarrow 3.16$  and  $2.66 \rightarrow 2.07$  MeV transitions has been mentioned above. The branching for the  $E_{\gamma} = 1014$  keV  $3.754 \rightarrow 2.74$  MeV transition coinciding with the strong 1012 keV  $2.070 \rightarrow 1.06$  MeV line has been derived by means of the intensity balance at the 2.74 MeV level.

3.98 MeV. Until recently, the evidence for the existence of this level could not be considered as very strong. It had only been observed with the  $^{24}\text{Mg}(\tau, p\gamma)^{26}\text{Al}$  reaction  $^{14}$ ) (decay to the 1.06 and 1.85 MeV levels; no branchings reported) and, very weakly, with the  $^{27}\text{Al}(p, d)^{26}\text{Al}$  reaction  $^{15}$ ). It did not seem to be excited at any of the lower-energy  $(p, \gamma)$  resonances until, finally, we found it to be fed quite

<sup>&#</sup>x27;As determined from the lifetime (table 11) and the RUL for E2 $_{
m IS} \cdot$ 

As determined from E<sub>v</sub>(3.16->2.072 MeV).

strongly at the  $E_{\rm p}=1763$  and 1800 keV resonances, with branchings of b=22.8 (7) % and 6.3 (9) %, respectively. With the excitation energy well determined, it was then seen to be weakly excited also at  $E_{\rm p}=516$ , 656, 811 and 1184 keV (see table 5), and in the decay of the bound states at  $E_{\rm x}=6028$  and 6238 keV. The reluctance of so many higher states to decay to this relatively low-energy level may be explained by its unusual  $J^{\pi}$  value,  $J^{\pi}=0^{-}$ , as determined recently with the  $^{28}{\rm Si}(\vec{\rm d},\alpha)^{26}{\rm Al}$  reaction  $^{16}$ ).

4.48 MeV. This level is also excited at only six resonances (table 5), presumably for the same reason as for the  $E_x = 3.98$  MeV level: it also has  $J^{\pi} = 0^{-}$  [refs. <sup>16,25</sup>)]. 4.55 MeV. The seven previously unobserved branches are shown in fig. 7.

The 4.94 MeV. doublet. The level previously known <sup>11</sup>) at  $E_x = 4938.1$  (9) keV has been resolved into a doublet with components at 4939.64 (9) and 4940.79 (5) keV. The lower component is strongly excited at the  $E_p = 811$ , 1763 and 1800 keV resonances, with b = 3.6 (1) %, 13.2 (4) % and 5.1 (7) %, respectively, and weakly at 16 other resonances. The upper component is excited with b = 3.6 (2) % at the weak  $E_p = 609$  keV resonance and still more weakly at 11 other resonances. The decay modes of the two levels are quite different, without a single branch in common.

The 5.01 MeV doublet. The level previously known at  $E_x = 5006$  (3) keV from the (p, d) reaction 15) also turned out to be a doublet, with components at  $E_x =$ 

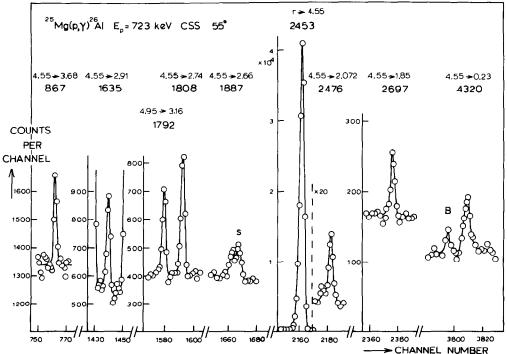


Fig. 7. Seven previously unobserved weak (b = 0.2-1.2%) branches in the decay of the  $E_x = 4.55$  MeV level; B and s denote background and single-escape peaks, respectively. The  $r \rightarrow 4.55$  MeV primary is also shown.

5006.66 (16) and 5010.24 (7) keV, again with very different decay, without a single branch in common. The levels are weakly excited at 19 and 14 resonances, respectively.

5.20 MeV. The energy of this level had been determined as 5.194 (5) keV from the (p, d) reaction <sup>15</sup>), and as 5194 (4) keV from the <sup>25</sup>Mg(p,  $\gamma$ )<sup>26</sup>Al reaction at the  $E_p = 1196$  keV resonance <sup>13</sup>). It turns out to be also weakly excited at 12 other resonances, with the energy now determined as  $E_x = 5195.11$  (12) keV.

The 5.46 MeV doublet. The well-known lower-energy component at  $E_x = 5456.71$  (5) keV, could be studied very well. It is excited at 30 resonances, at some quite strongly, and 15 decay branches have been observed.

The (new) upper component, at  $E_x = 5461.87$  (13) keV, proved to be much more evasive, with weak excitation at only three resonances (see table 5).

The 5.49 MeV doublet. The level previously observed with the (p, d) reaction <sup>15</sup>) at  $E_x = 5491$  (3) keV (nothing known about the  $\gamma$ -decay), has been resolved into a doublet with components at  $E_x = 5487.93$  (6) and 5494.51 (5) keV which are weakly excited at 7 and 27 resonances, respectively, and of which the decay is entirely different.

The 5.67 MeV doublet. The lower component, at  $E_x = 5671.04$  (7) keV, weakly excited at 17 resonances, has not been previously observed. The well-known upper component, at  $E_x = 5676.07$  (5) keV, is excited at still more resonances, at some quite strongly, and thus its decay could be studied very well.

The 5.92 MeV doublet. The two components, at  $E_x = 5916.10$  (6) and 5924.19 (7) keV, are both excited at many resonances, with the upper component previously unobserved.

The 6.08 MeV doublet. Of the two levels at  $E_x = 6084.07$  (5) and 6086.47 (11) keV the upper one had not been observed earlier.

6.50, 6.55 and 6.60 MeV. The levels at  $E_x = 6496$ , 6551 and 6598 keV have been seen <sup>10</sup>) as extremely weak (p,  $\gamma$ ) resonances at  $E_p = 197$ , 255 and 304 keV, respectively. For the (p,  $\gamma$ ) feeding of these levels, see table 5. For the 6496 keV level our branchings are superior to (and compatible with) those given in ref. <sup>10</sup>), for  $E_x = 6551$  keV we present the averages of the two sets of branchings, whereas for the 6598 keV level the branchings of ref. <sup>10</sup>) are much better than ours.

In the discussion given above seven levels, all components of close-lying doublets, have been mentioned which had not been previously observed at all. The levels at  $E_x = 5431$ , 5495, 5569, 5598, 5883 and 5950 keV, and the remaining nine levels in the  $E_x = 6.10$ -6.45 MeV region, had been seen in previous particle transfer work <sup>8,11</sup>), but not in  $(p, \gamma)$ . All levels observed from particle transfer are also excited in  $(p, \gamma)$ , with the possible exception of a level at  $E_x = 6005$  (10) keV which is claimed to have been observed by Betts *et al.* <sup>8</sup>) with the  $(\tau, d)$  reaction; no corresponding peak is visible in their  $\theta = 19^{\circ}$  deuteron spectrum (their fig. 1). The levels above  $E_x = 6.6$  MeV have been discussed in ref. <sup>1</sup>).

Just as for the resonance branchings, the agreement between the secondary state branchings given in ref. <sup>2</sup>) with those in table 6 is excellent, if the much lower statistical quality of the former data is taken into account. Of the 119 unbracketed branchings listed in ref. <sup>2</sup>), there is only one, the  $E_{\gamma} = 750 \text{ keV } 4.43 \rightarrow 3.68 \text{ MeV}$  transition, for which their b = 8 (3) % compares badly with our upper limit of 1%.

TABLE 9

Decay of levels observed in resonance -> resonance
transitions

[keV] [keV] I <sub>out</sub> /I <sub>in</sub> b GRSS c (p,p <sub>0</sub> ) c  <6610 ~1  317 6610 1306 4.2 ~0  390 6680 1306 104 0.184  435 6724 1137 13.1 ~0  497 6784 1184 0.7 ~0  503 6789 1829 7.9 ~0  515 6801 1306 4.1 0.7512  516 6802 1302 15.6 0.5811  6816 1375 59 ~1  533 6818 1205 22.2 ~1 0.96017  567 6852 1525 5.9 ~0  591 6874 1829 7.1 0.885  593 6876 1525 3.9 ~0  609 6892 1833 83 0.03217 ~0  609 6892 1833 83 0.03217 ~0  685 6964 1580 3.0 ~0  723 7001 1699 3.4 ~0	Ep	Ex	E <sub>p</sub> a	I <sub>in</sub> a	r <sub>Y</sub> /r					
317       6610       1306       4.2       ~0         390       6680       1306       104       0.184         435       6724       1137       13.1       ~0         497       6784       1184       0.7       ~0         503       6789       1829       7.9       ~0         515       6801       1306       4.1       0.7512         516       6802       1302       15.6       0.5811         6816       1375       59       ~1         533       6818       1205       22.2       ~1       0.96017         567       6852       1525       5.9       ~0         591       6874       1829       7.1       0.885         593       6876       1525       3.9       ~0         609       6892       1833       83       0.03217       ~0         685       6964       1580       3.0       ~0         723       7001       1699       3.4       ~0	[ke	=V]	[keV]		I <sub>out</sub> /I <sub>in</sub> b	GRSS C	(p,p <sub>0</sub> ) d			
390       6680       1306       104       0.184         435       6724       1137       13.1       ~0         497       6784       1184       0.7       ~0         503       6789       1829       7.9       ~0         515       6801       1306       4.1       0.75 <u>12</u> 516       6802       1302       15.6       0.58 <u>11</u> 6816       1375       59       ~1         533       6818       1205       22.2       ~1       0.960 <u>17</u> 567       6852       1525       5.9       ~0         591       6874       1829       7.1       0.88 <u>5</u> 593       6876       1525       3.9       ~0         609       6892       1833       83       0.032 <u>17</u> ~0         685       6964       1580       3.0       ~0       ~0         723       7001       1699       3.4       ~0		<6610	-		≈1					
435       6724       1137       13.1       ~0         497       6784       1184       0.7       ~0         503       6789       1829       7.9       ~0         515       6801       1306       4.1       0.7512         516       6802       1302       15.6       0.5811         6816       1375       59       ~1         533       6818       1205       22.2       ~1       0.96017         567       6852       1525       5.9       ~0         591       6874       1829       7.1       0.885         593       6876       1525       3.9       ~0         609       6892       1833       83       0.03217       ~0 e         685       6964       1580       3.0       ~0 e         723       7001       1699       3.4       ~0	317	6610	1306	4.2		≈0				
497       6784       1184       0.7       *0         503       6789       1829       7.9       *0         515       6801       1306       4.1       0.7512         516       6802       1302       15.6       0.5811         6816       1375       59       *1         533       6818       1205       22.2       *1       0.96017         567       6852       1525       5.9       *0         591       6874       1829       7.1       0.885         593       6876       1525       3.9       *0         609       6892       1833       83       0.03217       *0         685       6964       1580       3.0       *0       *0         723       7001       1699       3.4       *0	3 <b>9</b> 0	6680	1306	104	0.18 <u>4</u>					
503       6789       1829       7.9       ~0         515       6801       1306       4.1       0.7512         516       6802       1302       15.6       0.5811         6816       1375       59       ~1         533       6818       1205       22.2       ~1       0.96017         567       6852       1525       5.9       ~0         591       6874       1829       7.1       0.885         593       6876       1525       3.9       ~0         609       6892       1833       83       0.03217       ~0 e         685       6964       1580       3.0       ~0       ~0         723       7001       1699       3.4       ~0	435	6724	1137	13.1		<b>~</b> 0				
515       6801       1306       4.1       0.7512         516       6802       1302       15.6       0.5811         6816       1375       59       ~1         533       6818       1205       22.2       ~1       0.96017         567       6852       1525       5.9       ~0         591       6874       1829       7.1       0.885         593       6876       1525       3.9       ~0         609       6892       1833       83       0.03217       ~0 e         685       6964       1580       3.0       ~0       ~0 e         723       7001       1699       3.4       ~0	497	6784	1184	0.7		<b>~</b> 0				
516       6802       1302       15.6       0.5811         6816       1375       59       ~1         533       6818       1205       22.2       ~1       0.96017         567       6852       1525       5.9       ~0         591       6874       1829       7.1       0.885         593       6876       1525       3.9       ~0         609       6892       1833       83       0.03217       ~0 e         685       6964       1580       3.0       ~0 e         723       7001       1699       3.4       ~0	503	6789	1829	7.9		<b>≈</b> 0				
6816 1375 59 ~1  533 6818 1205 22.2 ~1 0.960 <u>17</u> 567 6852 1525 5.9 ~0  591 6874 1829 7.1 0.88 <u>5</u> 593 6876 1525 3.9 ~0  609 6892 1833 83 0.032 <u>17</u> ~0 e  685 6964 1580 3.0 ~0  723 7001 1699 3.4 ~0	515	6801	1306	4.1		0.75 <u>12</u>				
533       6818       1205       22.2       ~1       0.96017         567       6852       1525       5.9       ~0         591       6874       1829       7.1       0.885         593       6876       1525       3.9       ~0         609       6892       1833       83       0.03217       ~0 e         685       6964       1580       3.0       ~0 e         723       7001       1699       3.4       ~0	516	6802	1302	15.6		0.58 <u>11</u>				
567       6852       1525       5.9       ~0         591       6874       1829       7.1       0.885         593       6876       1525       3.9       ~0         609       6892       1833       83       0.03217       ~0 e         685       6964       1580       3.0       ~0 e         723       7001       1699       3.4       ~0		6816	1375	59	<b>≈</b> 1					
591       6874       1829       7.1       0.885         593       6876       1525       3.9       ~0         609       6892       1833       83       0.03217       ~0 e         685       6964       1580       3.0       ~0 e         723       7001       1699       3.4       ~0	533	6818	1205	22.2	<b>~</b> 1	0.96017				
593 6876 1525 3.9 ~0 609 6892 1833 83 0.032 <u>17</u> ~0 e 685 6964 1580 3.0 ~0 e 723 7001 1699 3.4 ~0	567	6852	1525	5.9		≈0				
609 6892 1833 83 0.032 <u>17</u> ~0 e 685 6964 1580 3.0 ~0 e 723 7001 1699 3.4 ~0	591	6874	1829	7.1		0.88 <u>5</u>				
685 6964 1580 3.0 ~0 e 723 7001 1699 3.4 ~0	593	6876	1525	3.9		≈0				
723 7001 1699 3.4 ~0	609	6892	1833	83	0.032 <u>17</u>		≈0 e			
	685	6964	1580	3.0			≈0 e			
700 7015 1714 107 40.5 0.775	723	7001	1699	3.4		≈0				
/38 /015 1714 12.4 <0.5 0.74 <u>9</u>	738	7015	1714	12.4	<0.5	0.74 <u>9</u>				
835 7109 1714 49.6 <0.25 ≈0	835	7109	1714	49.6	<0.25		<b>≈</b> 0			
953 7222 1680 4.4 ≈0	953	7222	1680	4.4		≈0				
1025 7291 1714 30.2 <0.7 ~0	1025	7291	1714	30.2	<0.7		~0			
1084 7348 1680 2.7 ~0	1084	7348	1680	2.7			~0			

<sup>&</sup>lt;sup>a</sup> Resonance with best feeding. <sup>b</sup> As obtained at best feeding resonance. <sup>c</sup> From Y-ray strength statistics <sup>3</sup>).

d From the  $^{25}\text{Mg}(p,p_0)$  reaction  $^{26}$ ), if not mentioned differently.

<sup>&</sup>lt;sup>e</sup> Because of strong excitation in the  $^{25}\text{Mg}(\alpha,t)^{26}\text{Al}$  reaction  $^{27}$ )  $\Gamma_p$  should be relatively large, and thus  $\Gamma_{\gamma}/\Gamma \approx 0$ .

At the  $E_p = 835$  keV resonance where the excitation of the 4.43 MeV level is strongest, a line is observed at  $E_{\gamma} = 745$  keV but it has to be interpreted as the  $r \rightarrow 6.36$  MeV primary.

For the decay of the  $E_x = 4480$  and 5916 keV levels, see also ref. <sup>23</sup>).

Finally we should discuss the  $\gamma$ -decay of levels above the proton binding energy, as observed when they are excited from higher-lying resonances, because a comparison of  $I_{\rm in}$  and  $I_{\rm out}$  provides the ratio  $\Gamma_{\gamma}/\Gamma$ . The ratios thus obtained are listed in table 9 column 5, as compared to the  $\Gamma_{\gamma}/\Gamma$  values found from  $\gamma$ -ray strength statistics (GRSS) and from the  $^{25}{\rm Mg}(p,p_0)$  reaction  $^{26}{\rm O}$ . All levels below  $E_x=6610~{\rm keV}$ , in addition to the  $E_x=6816$  and  $6818~{\rm keV}$  levels, have  $I_{\rm out}/I_{\rm in}=\Gamma_{\gamma}/\Gamma\approx 1$ . The  $6816~{\rm keV}$  level (already mentioned in sect. 3) probably has  $J^\pi=6^+$  and thus  $I_p=4$  with a correspondingly small  $\Gamma_p$ . The  $\Gamma_{\gamma}/\Gamma\approx 1$  value for  $E_x=6818~{\rm keV}$  agrees with that obtained from GRSS. For the  $E_x=6680$  and  $6892~{\rm keV}$  levels definite  $\Gamma_{\gamma}/\Gamma$  values are given, which together with the  $(p,\gamma)$  resonance yields determine  $\Gamma_p$  and  $\Gamma_\gamma$ . For another three levels with relatively large  $I_{\rm in}$  upper limits of  $\Gamma_{\gamma}/\Gamma$  could be deduced. For the remaining levels  $I_{\rm in}$  is too small, or the decay is too much split up into weak branches, to say anything meaningful.

# 5. Energies

Most energies have been determined from the 90° spectra taken with an unshielded detector. They have the advantage that transitions are not Doppler shifted, but the disadvantage of greater complexity because of the many escape peaks. Of the about 100-120 transitions observed at a resonance, about 50% might be situated in the  $E_{\gamma}=1.5-4.0$  MeV region. With the escape peaks taken into account the peak density in this region is seen to be large, and correspondingly there will be many composite peaks which are unsuitable for accurate energy determinations.

In the 55° CSS spectra the probability of a peak being uncontaminated is much larger. These spectra can be energy calibrated, first by using primaries which generally can be considered as being fully Doppler shifted, second by using decay transitions from very long-lived states <sup>11</sup>) ( $E_x = 0.42$ , 1.76, 2.37, 2.55 and 2.66 MeV) which can be considered unshifted, and third by using the decay lines of the very short-lived 3.16 MeV level (strongly excited at many resonances) of which the lifetime has been determined quite accurately <sup>12</sup>). The  $E_{\gamma} = 585$  and 975 keV lines from <sup>25</sup>Mg(p, p') are also suitable for calibration purposes; they deexcite long-lived <sup>25</sup>Mg levels.

The energy calibration was performed in two steps. As a basis served the accurate excitation energies ( $\Delta E_{\rm x} = 3$ -70 eV) of ten levels below 3.0 MeV with, in addition, those at 3.16 and 3.72 MeV, all reported in ref. <sup>17</sup>) (see table 10). Later the energies of the 2.070 and 2.072 MeV levels were added to this group <sup>12</sup>). The decay lines of these levels cover the low-energy part of the spectra ( $E_{\gamma} = 0.29$ -2.75 MeV); the  $E_{\gamma} = 3495$  keV 3.72  $\rightarrow$  0.23 MeV transition is seen at only a few low-spin resonances. To cover the need for higher-energy calibration lines, spectra were taken, as a second

step, at the  $E_{\rm p}=986$  and 1043 keV resonances simultaneously with a  $^{66}$ Ga radioactive source. Of many  $^{66}$ Ga lines the energies, stretching from 686 to 4806 keV, are known quite accurately  $^{19}$ ). The measurements were performed, as in ref.  $^{17}$ ), with the unshielded detector alternately at  $+90^{\circ}$  and  $-90^{\circ}$  (to average out errors in the  $90^{\circ}$  position), and with target and source irradiating the detector from the same direction. These measurements provided the excitation energies of ten levels in the  $E_{\rm x}=3.5-5.7$  MeV region ( $\Delta E_{\rm x}=50-140$  eV), in addition to that at  $E_{\rm x}=3.72$  MeV.

Resonance and bound-state energies at the other resonances were finally obtained from the 90° spectra by internal calibration on the decay lines of the 22 levels mentioned above. Once the resonance energy is known (and thus the energies of many primaries) the 55° spectrum can also be used to obtain further information, as already explained. The procedure is to some extent a matter of chance. At many resonances three or more primaries with energies in the well-calibrated region could be used to obtain the resonance energy. At some resonances, however, only a single primary was usable, with the other primaries either being too weak, or contaminated, or outside the well-calibrated region. No escape peaks were used in energy determinations because it is well known <sup>17</sup>) that their energies differ systematically from  $E_{\gamma} - mc^2$  and  $E_{\gamma} - 2mc^2$ , respectively. The 511 keV annihilation line was not used either, nor any background lines.

The final errors assigned to transition energies (corrected for nuclear recoil) contain, in addition to the statistical error, two more components. The estimated calibration error depends on the quality of the calibration curve fitted through the calibration points and on the errors of the latter; it is generally much smaller in the low- than in the high-energy part of the spectrum, and strongly differs from spectrum to spectrum. A second component accounts for the accuracy (estimated as 1°) with which the 90° detector can be positioned. Such a deviation from 90° would introduce a Doppler shift which for infinitely fast transitions increases from 18 ppm at  $E_p$  = 317 keV to 43 ppm at 1833 keV. This "1° error" may be the dominant contribution to the final error for high-energy levels, in particular for the resonances. A rough check (accurate to about 2°) on the position of the 90° detector is provided by the requirement that calibration points resulting from the decay of both short-lived and long-lived levels lie on the same smooth calibration curve. For each resonance the two detectors were positioned anew, such that energies obtained at different resonances can be considered as statistically independent. The latter assumption is not quite correct because all determinations are based on the same set of calibration energies, of which the errors are not quite statistically independent either. The interdependence of errors is far too complicated to be taken into account exactly but, anyway, the effect was recognized and correspondingly final errors were rounded off upwards by an estimated amount if they seemed unrealistically small.

The secondary-state excitation energies obtained at different resonances are listed in table 10; the resonance energies have already been given in ref. <sup>1</sup>). Table 10 contains 225 entries determining the energies of 72 levels in the  $E_x = 1.8$ -6.9 MeV

<b>39</b> 0	1850.645,	515	.62 <u>8</u> ,	593	.666,	811	.536 ,	1043	.627 ,	1850.623
		1135	.70 <b>9</b> ,	1184	.627 ,	1196	.61 <u>7</u> ,	1306	.62 <u>8</u>	
533	2068.936,	685	.777 ,	738	.87 <u>7</u>					2068.86 <u>5</u>
533	3073.5712,	685	.7913,	738	.60 <u>7</u> ,	1137	• 63 <u>6</u>			3073,63 <u>4</u>
533	3402.75 <u>10</u> ,	738	-5715,	953	.55 <u>10</u> ,	1026	•75 <u>16</u>			3402.65 <u>6</u>
609	3507.81 <u>19</u> ,	953	.32 <u>21</u> ,	1103	.89 <u>18</u> ,	1375	.62 <u>11</u> ,	1774	.47 <u>15</u> ,	3507.63 <u>8</u>
								1763	.87 <u>15</u>	
317	3596.326,	738	.27 <u>6</u> ,	1043	. 40 <u>5</u>					3596.34 <u>4</u>
533	3675.06 <u>17</u> ,	738	4.9910,	890	5.0214,	953	4.81 <u>8</u>			3674 <b>.</b> 92 <u>5</u>
835	3680.77 <u>12</u> ,	1026	•53 <u>18</u> ,	1137	.67 <u>7</u>					3680.68 <u>6</u>
567	3723.69 <u>14</u> ,	723	·59 <u>17</u> ,	811	.78 <u>11</u> ,	1043	.82 <u>8</u> ,	1283	.98 <u>20</u> ,	3723 <b>.</b> 79 <u>5</u>
						1525	.82 <u>17</u> ,	1763	.87 <u>15</u>	
775	3751.08 <u>14</u> ,	986	0.84 <u>6</u> ,	1043	0.90 <u>6</u>					3750 <b>.</b> 90 <u>4</u>
811	3753.73 <u>9</u> ,	928	•45 <u>12</u>							3753.63 <u>13</u>
738										3921.96 <u>24</u>
533	3962.807 ,	738	.949,	775	.8222,	1205	•77 <u>10</u>			3962.835
1763										3977.919
390	4191.94 <u>10</u> ,	986	1.858,	1137	2.0312					4191 <b>.</b> 92 <u>6</u>
738	4206.0312,	953	5.84 <u>10</u> ,	1205	5.927 ,	1237	5.77 <u>6</u>			4205.865
723	4349.22 <u>11</u> ,	738	.23 <u>17</u> ,	1043	.46 <u>9</u> ,	1137	•35 <u>14</u>			4349.347
835	4430.697 ,	969	.89 <u>21</u> ,	1084	.80 <u>18</u>					4430.72 <u>6</u>
811										4480.489
<b>39</b> 0	4547.9310,	723	.85 <u>10</u> ,	1137	.97 <u>10</u>					4547.92 <u>6</u>
390	4599.115,	435	.16 <u>6</u> ,	881	.29 <u>10</u> ,	1026	•35 <u>12</u>			4599.17 <u>5</u>
811	4622.4317,	890	.32 <u>11</u> ,	986	.38 <u>8</u> ,	1283	.39 <i>I</i>			4622.385
435	4705.40 <u>6</u> ,	738	.29 <u>8</u> ,	835	.18 <u>12</u> ,	9 69	.379,	1103	.47 <u>14</u> ,	4705.37 <u>4</u>
						1205	.45 <u>11</u> ,	1237	.17 <u>16</u>	
738	4773.36 <u>15</u> ,	835	.38 <u>11</u> ,	935	•32 <u>9</u>					4773 <b>.</b> 35 <u>6</u>
811	4939.61 <u>11</u> ,	890	.69 <u>16</u> ,	1283	.71 <u>26</u>					4939.64 <u>9</u>
533	4940.81 <u>8</u> ,	1375	.799,	1714	.76 <u>8</u>					4940.79 <u>5</u>
593	4952.288,	723	.19 <u>15</u> ,	1205	.34 <u>6</u> ,	1237	.28 <u>5</u> ,	1342	.30 <u>9</u> ,	4952.30 <u>4</u>
						1649	.18 <u>10</u> ,	1699	•49 <u>11</u>	
685	5006.63 <u>20</u> ,	1137	.70 <u>26</u>							5006.66 <u>16</u>
811	5010.10 <u>19</u> ,	1043	.267							5010.247
738	5131.759 ,	775	2.028,	896	1.886,			1103	1.937	5131 <b>.</b> 93 <u>5</u>
	5141.77 <u>11</u> ,	567		723		738	.73 <u>18</u>			5141.68 <u>6</u>
	5195.0010,				•22 <u>22</u>					5195.11 <u>12</u>
	5245.34 <u>7</u> ,		.17 <u>10</u> ,		•27 <u>6</u>					5245.28 <u>4</u>
	5395.519 ,		.61 <u>18</u> ,		•55 <u>16</u>					5395.53 <u>7</u>
	5431.37 <u>34</u> ,		.2520,		.31 <u>15</u> ,	969	.0619			5431.23 <u>10</u>
685	5456.70 <u>8</u> ,	9 69	.689 ,	1137	.74 <u>9</u>					5456.71 <u>5</u>

TABLE 10 - continued

1763										5461.8713
	5487.98 <u>20</u> ,	609	.94Z ,	1714	.9111					5487.93 <u>6</u>
	5494.5114,					1237	.486			5494 <b>.</b> 51 <u>5</u>
	5513.3115,						_			5513.484
390	5544.592 ,	890	.5112		_					5544.567
	5568.96 <u>23</u> ,									5569.16 <u>19</u>
1043										5584 <b>.</b> 99 <u>6</u>
685	5598.31 <u>11</u> ,	835	.5422,	896	.27 <u>8</u>					5598.30 <u>6</u>
567	5670.92 <u>12</u> ,	656	1.1417,	811	1.0819,	1043	1.1014			5671.04 <u>7</u>
	5676.099 ,									5676 <b>.</b> 07 <u>5</u>
870	5692.239 ,	896	.127,	986	.127					5692.15 <u>5</u>
738	5726.35 <u>10</u> ,	890	.2614,	969	.42 <u>10</u> ,	1103	.48 <u>14</u> ,	1205	.39 <u>12</u>	5726.38 <u>5</u>
811	5849.2822,	1137	.05 <u>18</u> ,	1237	.13 <u>14</u> ,	1306	•33 <u>12</u>			5849.21 <u>8</u>
1744	5882.65 <u>12</u> ,	1829	.6512							5882.65 <u>9</u>
685	5916.08 <u>8</u> ,	811	.12 <u>13</u> ,	870	.155					5916.10 <u>6</u>
515	5924.12 <u>17</u> ,	835	.15 <u>10</u> ,	890	.3314					5924 <b>.</b> 19 <u>7</u>
567	5950.08 <u>6</u> ,	656	50.02 <u>18</u> ,	811	49.97 <u>16</u> ,	1135	49.75 <u>13</u>			5949 <b>.</b> 93 <u>8</u>
656	6027.958,	723	7.9515,	1135	8.045					6028.02 <u>4</u>
835	6084.029 ,	1084	.2217,	1148	.02 <u>6</u> ,	1714	•17 <u>10</u>			6084.07 <u>5</u>
811	6086.48 <u>22</u> ,	1283	.47 <u>12</u>							6086.47 <u>11</u>
953	6119.999,	1375	20.03 <u>10</u>							6120.01 <u>7</u>
1179	6197.5622,	1763	.56 <u>41</u>							6197.56 <u>19</u>
1763										6238.38 <u>26</u>
533	6253.74 ,	969	4.27 ,	1205	4.34 ,	1829	3.94 ,	1833	4.45	6254.06 <u>20</u>
1306										6270.19 <u>11</u>
567	6280.40 <u>13</u> ,	593	.40 <u>17</u> ,	986	.08 <u>20</u>					6280.33 <u>9</u>
953	6343.5411,	1375	.3811							6343.46 <u>8</u>
<b>39</b> 0	6363.89 <u>30</u> ,	835	3.88 <u>10</u> ,	890	4.11 <u>14</u> ,	1084	4.2120			6363 <b>.</b> 99 <u>8</u>
1205										6398.64 <u>21</u>
928	6414.28 <u>22</u> ,	1370	.51 <u>11</u>							6414.46 <u>10</u>
1714										6436.44 <u>11</u>
953	6495.87 <u>17</u> ,	1680	6.1325,	1714	5.94 <u>8</u>					6495.947
1084	6550.5121,	1148	• 70 <u>7</u>							6550 <b>.</b> 68 <u>7</u>
1714										6598.32 <u>16</u>
1196	6801.70 <u>21</u> ,	1302	.45 <u>26</u>							6801.60 <u>1</u> 6
1375	6815.70 <u>13</u> ,	1774	.9922,	1833	•73 <u>22</u>					6815.74 <u>10</u>

<sup>&</sup>lt;sup>a</sup> Second and following entries have been shortened by omitting those decimals in  $E_{\chi}$  which are the same for all entries; for example (first line), for 515 .628 read 515 1850.628.

TABLE 11 Comparison of present  $^{26}\!\mathrm{Al}$  secondary-state excitation energies (in keV) with those from previous work  $^a$ 

Present	Previo	us work	Present	Previo	us work	
work	ref. 11)	other	work	ref. 11)	other	<del></del>
	228.44 <u>15</u>	228.305 <u>13</u> b	5141.68 <u>6</u>	5140.8 <u>16</u>		
	416.8 <u>3</u>	416.852 <u>3</u> b	5195.11 <u>12</u>	5194 <u>5</u>	5194 <u>4</u>	e
	1057.7 <u>5</u>	1057.739 <u>12</u> b	5245.28 <u>4</u>	5244.116		
	1759.05	1759.034 <u>8</u> b	5395.53 <u>7</u>	5393.72	5393.4 <u>12</u>	đ
1850.62 <u>3</u>	1850.3 <u>6</u>	1850.620 <u>70</u> b	5431.23 <u>10</u>	5428 <u>10</u>		
2068.86 <u>5</u>	2068.7 <u>3</u>		5456.71 <u>5</u>	5454.9 <u>18</u>	5455.7 <u>6</u>	d
	2069.5 <u>3</u>	2069.47 <u>3</u> °	5461.87 <u>13</u>			
	2071.57	2071.64 <u>4</u> °	5487.93 <u>6</u>			
	2365.0 <u>4</u>	2365.150 <u>18</u> b	5494.51 <u>5</u>	5491 <u>3</u>		
	2545•2 <u>5</u>	2545.367 <u>17</u> b	5513.48 <u>4</u>	5513 <u>2</u>		
	2660.8 <u>4</u>	2660.920 <u>50</u> b	5544.56 <u>7</u>	55422		
	2739.2 <u>7</u>	2740.030 <u>30</u> b	5569.1619	5566 <u>3</u>		
	2913.0 <u>5</u>	2913.400 <u>50</u> b	5584.99 <u>6</u>	5583.015		
3073.63 <u>4</u>	3073.0 <u>10</u>		5598.30 <u>6</u>	5595 <u>3</u>		
	3159.67	3159.889 <u>13</u> b	5671.04 <u>7</u>			
3402.65 <u>6</u>	3403.3 <u>4</u>		5676.075	5673.92		
3507.63 <u>8</u>	3507.5 <u>5</u>		5692.15 <u>5</u>	5691.0 <u>14</u>		
3596.34 <u>4</u>	3595.7 <u>12</u>		5726.38 <u>5</u>	5724.719		
3674 <b>.</b> 92 <u>5</u>	3673.5 <u>12</u>		5849.218	5847.1 <u>19</u>		
3680.68 <u>6</u>	3680.8 <u>12</u>		5882.659	5879 <u>6</u>		
3723.79 <u>5</u>	3723.2 <u>12</u>	3723.860 <u>70</u> b	5916.10 <u>6</u>	5913.5 <u>10</u>		
3750 <b>.</b> 90 <u>4</u>	3749.8 <u>18</u>		5924.197			
3753.63 <u>13</u>	3753.1 <u>10</u>		5949.93 <u>8</u>	5946 <u>6</u>		
3921.96 <u>24</u>	3922.5 <u>19</u>		6028.024	60245		
3962.83 <u>5</u>	3962.7 <u>10</u>		6084.075	6083 <u>2</u>	6083.4 <u>8</u>	đ
3977.919	3979 <u>1</u>		6086.4711			
4191 <b>.</b> 92 <u>6</u>	4191.3 <u>14</u>		6120.017	6123 <u>6</u>		
4205.86 <u>5</u>	4205.2 <u>14</u>		6197.5619	6199 <u>6</u>		
4349.34 <u>7</u>	4348.816		6238, 38 <u>26</u>			
4430.72 <u>6</u>	4429.911		6254.0620	6247 <u>6</u>		
4480.48 <u>9</u>	4479.4 <u>10</u>		6270.19 <u>11</u>	6271 <u>5</u>		
4547 <b>.</b> 92 <u>6</u>	4547.2 <u>16</u>		6280.339			
4599 <b>.</b> 17 <u>5</u>	4598.5 <u>13</u>		6343.46 <u>8</u>	6346 <u>5</u>	6345.67	đ
4622.385	4622.015		6363.99 <u>8</u>	6362 <u>10</u>	6363.311	d
4705.37 <u>4</u>	4705.111		6398.64 <u>21</u>	6399 <u>5</u>	6397.5 <u>18</u>	d
4773.35 <u>6</u>	4771.6 <u>16</u>	4772.4 <u>12</u> d	6414.46 <u>10</u>		6410.312	d
4939.64 <u>9</u>	4938.19	4938.817 d	6436.44 <u>11</u>	6435 <u>5</u>	6435.5 <u>5</u>	đ
4940.79 <u>5</u>			6495.947	6498 <u>5</u>	6494.8 <u>13</u>	f,g

Present	Previous	work	Present	Previo		
work	ref. 11)	other	work	ref. 11)	other	_
4952.30 <u>4</u>	4951.712		6550.68 <u>7</u>	6555 <u>6</u>	6549 <b>.</b> 31 <u>4</u>	f
5006.6616			6598.32 <u>16</u>		6597.9 <u>12</u>	f
5010.24 <u>7</u>	5006 <u>3</u>		6801.60 <u>16</u>			
5131.93 <u>5</u>	5131.49		6815.74 <u>10</u>			

TABLE 11 - continued

region with errors between 30 and 260 eV. Many of the entries are averages of the  $E_x$  values obtained from different decay branches and/or the primary. For the 62 levels for which  $E_x$  was determined at more than one resonance we find  $\chi^2/(N-62)=0.79$  (12), where N is the total number of entries (215) for these levels. The small  $\chi^2$  value gives us the reassuring feeling that few (if any) of the lines used were seriously contaminated, that the 1° estimate for the error in the 90° detector position was not unduly small and, finally, that the energies of the large set of internal calibration lines used did not show any gross discrepancies.

In table 11 the present secondary-state excitation energies are compared with those from previous work  $^{7,10-13,18}$ ). The present errors (average 0.10 keV) are about an order of magnitude smaller than those from previous (p,  $\gamma$ ) work (1-2 keV), and up to two orders of magnitude smaller than those from previous particle work (3-10 keV). Apparently previous (p,  $\gamma$ ) energies <sup>2</sup>) are very slightly low (see fig. 8), with the difference increasing from  $\sim$ 0.6 keV for  $E_x = 3$ -4 MeV to  $\sim$ 1.2 keV for  $E_x = 5$ -6 MeV, but only for a single level ( $E_x = 5$ 916 keV) the difference exceeds twice the error.

## 6. Lifetimes

A proper  $(p, \gamma)$  DSA lifetime determination requires a measurement of  $\gamma$ -ray spectra (with the same detector) taken alternately at  $\theta = 0^{\circ}$  and at an angle as far backwards as possible (in practice  $\theta \sim 120^{\circ}$ ). A thick target should be used and the proton energy should be chosen only slightly above the resonance energy, so as to ensure that the capture reaction takes place in the front layer of the target and that recoils stop in the target material and not in the backing.

Such (time consuming) measurements have not been performed. The present 55° spectra, however, with their accurate energy calibration also contain Doppler shift information, although the decay line shifts (relative to  $\theta = 90^{\circ}$ ) are only 38% of those for the full 0-120° range.

<sup>&</sup>lt;sup>a</sup> For  $^{25}\text{Mg}$  + p resonances in the E<sub>x</sub> = 6.6 - 8.1 MeV region, see ref. <sup>1</sup>). <sup>b</sup> Ref. <sup>17</sup>). <sup>c</sup> Ref. <sup>12</sup>). <sup>d</sup> Ref. <sup>18</sup>). <sup>e</sup> Ref. <sup>13</sup>). <sup>f</sup> Ref. <sup>10</sup>).

g Also 6498.312 keV in ref. 18).

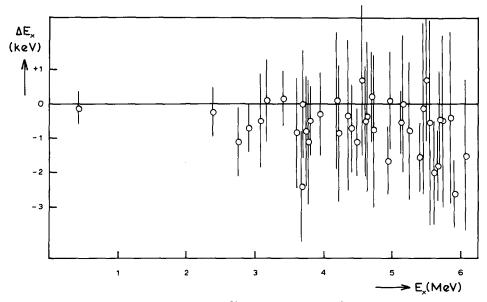


Fig. 8. Differences of the excitation energies of  $^{26}$ Al levels given in ref.  $^{2}$ ) and in the present work,  $E_{1}$  and  $E_{2}$ , respectively;  $\Delta E_{x} = E_{1} - E_{2}$ . Errors are those of ref.  $^{2}$ ); the present errors are smaller by more than an order of magnitude.

The use of the available 55° spectra for the extraction of lifetimes, with the latter regarded as a byproduct relative to branchings and excitation energies, has two drawbacks in addition to the small shifts, First many of the targets used could not be regarded as thick especially at the higher-energy proton resonances, such that part of the recoil stopping took place in the backing. This point was taken into account in the programme based on the Blaugrund formalism 20) which calculates the attenuation curve  $F(\tau_m)$  for converting observed shifts into mean lives. The predominant nuclear component in the stopping power was taken from ref. 21). Because target thicknesses, determined by weighing, were none too well known, the  $F(\tau_{\rm m})$  curves cannot be considered as very accurate. The second difficulty is that the peak fitting programme used (sect. 2) determines the energy at the top of the peak, rather than the centroid energy which should be used for the lifetime calculation. The result is that for decay lines from relatively short-lived levels (with a tail on the low-energy side induced by the Doppler effect) the peak energy (and thus the energy shift) comes out too high, whereas for long-lived levels it is the opposite. This effect, steepening the  $F(\tau_m)$  curve, has not properly been taken into account.

Along the lines sketched above, lifetimes (or lifetime limits) have been determined from the 55° spectra for 63 <sup>26</sup>Al levels. For many levels results were obtained at several (up to ten) resonances, and for many levels several (up to eight) decay lines

could be used. Cases where indirect feeding contributed more than 15% were not taken along.

In the analysis, targets were considered as being oxidized (MgO). In a separate  $\alpha$ -particle Rutherford back-scattering experiment, a target evaporated onto a carbon disc proved to be completely oxidized.

For 44 levels previous lifetime information from 0-120° DSA measurements <sup>11-13,23</sup>) is available (see table 12), which is considered superior to our own, because of the reasons given above. Generally the agreement of our results with the adopted values in table 12 is reasonable although on the average our short lifetimes are somewhat shorter and the long lifetimes somewhat longer than those given in table 12 (as expected). The lifetimes obtained for another 32 levels for which no

Ex		$\tau_{m}^{}[fs]$		Ex	τ <sub>m</sub> [fs]				
[keV]	ref. 11)	refs. 13,2	3) adopted	[keV]	ref. 11)	ref. <sup>23</sup> )	adopt ed		
417	1.80 <u>5</u> x10 <sup>6</sup>		1.805×10 <sup>6</sup>	3922	28.6		28 <u>6</u>		
1058	36 <u>7</u>		36 <u>7</u>	3963	54 <u>10</u>	54 <u>11</u>	54 <i>I</i>		
1759	6000 <u>500</u>		6000 <u>500</u>	4192		73	7 <u>3</u>		
1851	40 <u>10</u>	47 <u>5</u>	46 <u>5</u>	4206		90 <u>15</u>	9015		
2069	450 <u>70</u>		450 <u>7Ω</u>	4349	<15	13 <u>4</u>	13 <u>4</u>		
2070	17 <u>4</u>	22 <u>3</u>	203	4480	110 <u>30</u>	80 <u>20</u>	90 <u>1</u> 7		
2072	480 <u>50</u>	730 <u>100</u>	530 <u>100</u>	4548	<15		<15		
2365	1400 <u>300</u>		1400 <u>300</u>	4599		73	7 <u>3</u>		
2545	1000250		1000 <u>250</u>	4622		76 <u>26</u>	76 <u>26</u>		
2661	3000 <u>400</u>		3000 <u>400</u>	4705	<15	<5	<5		
2740	46 <u>8</u>	417	43 <u>5</u>	4773		118 <u>17</u>	118 <u>17</u>		
2913	88 <u>12</u>	1017	98 <u>6</u>	4940	110 <u>30</u>	93 <u>27</u>	100 <u>20</u>		
3074	210 <u>60</u>	310 <u>40</u>	280 <u>45</u>	4952		14 <u>4</u>	14 <u>4</u>		
3160	36 <u>10</u>	92 , 8 <u>3</u>	62 a	5132	<15	<b>&lt;</b> 5	<5		
3403	74 <u>19</u>	110 <u>15</u>	96 <u>18</u>	5142		<6	<6		
3508	23 <u>6</u>	26 <u>8</u>	24 <u>5</u>	5245		17 <u>4</u>	17 <u>4</u>		
3596	36 <u>10</u>	24 <u>4</u>	26 <u>4</u>	5396		95 <u>70</u>	95 <u>70</u>		
3675	260 <u>70</u>	220 <u>30</u>	225 <u>30</u>	5513		51 <u>6</u>	51 <u>6</u>		
3681	2712	12 <u>2</u>	122	5545		22 <u>19</u>	22 <u>19</u>		
3724	<23	6 <u>2</u>	62	5585		<8	<8		
3751	30 <u>9</u>	37 <u>16</u>	32 <u>8</u>	5676		32 <u>14</u>	32 <u>14</u>		
3754	29 <u>9</u>	7 <u>3</u>	7 <u>3</u>	5916		<3	<3		

<sup>&</sup>lt;sup>a</sup> Included is  $\tau_{\rm m}$  = 4.912 fs from ref. <sup>12</sup>).

TABLE 13 The DSA attenuation factors and corresponding mean lives of some  $^{26}$ Al levels (not listed in table 11) as measured at different resonances in the present work  $^a$ 

E <sub>x</sub> [keV]			E <sub>p</sub> [keV]	F( $\tau_{\rm m}$ )					$\langle F(\tau_m) \rangle_{av}$	τ <sub>m</sub> [fs]
3978	1763								0.023	>1500
4431	835	0.524,	1137	0.585	,	1763	0.63 <u>4</u>		0.583	85 <u>19</u>
4941	1375	0.856 <u>21</u> ,	1714	0.903					0.870 <u>17</u>	35 <u>8</u>
5007	658	0.319 ,	896	0.418	,	1763	0.384		0.375 <u>35</u>	175 <u>45</u>
5010	1043	0.97525,	1135	0.9853	₽,	1744	1.015		0.98319	<9
5195	591	1.055 ,	1196	0.8110					1.0110	<35
5431	811								0.89 <u>4</u>	17 <u>8</u>
5457	685	0.817 ,	1084	0.806	,	1137	0.884	,	0.852 <u>23</u>	24 <u>6</u>
	1148	0.86 <u>5</u> ,	1283	0.915						
5462	1763								0.94 <u>7</u>	<30
5488	1714								0.854	25 <u>8</u>
5495	685	0.97 <u>6</u> ,	1306	0.963	,	1744	1.03 <u>3</u>		1.00019	<7
5598	896								0.845	27 <u>10</u>
5671	811	0.889 ,	1283	0.95 <u>12</u>					0.92 <u>7</u>	<40
5692	835	0.946 ,	896	0.964	,	9 69	1.005	,	0.9759	4.0 <u>16</u>
	986	0.97013,	1084	1.023	,	1148	0.97014	ŀ		
5726	738	0.98513,	969	1.007					0.985 <u>13</u>	<7
5849	1205	0.907 ,	1699	0.946					0.925	14 <u>8</u>
5883	1744	1.01030,	1829	0.93529	?				0.97 <u>4</u>	<17
5924	9 69								1.035	<17
5 <b>9</b> 50	811								0.92 <u>9</u>	<40
6028	1135								1.001 <u>16</u>	<6
6084	896	0.44 <u>14</u> ,	1084	0.454	,	1148	0.46 <u>4</u>		0.457 <u>29</u>	130 <u>30</u>
6086	811								0 <b>.88<u>9</u></b>	20 <u>16</u>
6120	953	0.8911 ,	1375	0.91419	)				0.914 <u>19</u>	15 <u>5</u>
6238	1763								1.01 <u>3</u>	<10
6270	1306								1.03 <u>4</u>	<13
6280	1699								0 <b>.9</b> 5 <u>6</u>	<20
6343	953	1.07 <u>8</u> ,	1375	1.013	,	1699	0.985		1.009 <u>24</u>	<8
6364	896								0.82 <u>8</u>	32 <u>16</u>
6436	1714								1.027	<24
6496	1714								0.99 <u>3</u>	<12
6816	1375								0 <b>.99<u>6</u></b>	<22

a All measured F-values have been converted to those for an infinitely thick MgO target at E $_{\rm p}$  = 1200 keV. The final error in  $\tau_{\rm m}$  contains a 20% systematic contribution (see text) in addition to the statistical error. Upper (lower)  $\tau_{\rm m}$  limits correspond to the average F-value minus (plus) twice the error.

previous determinations exist are given in table 13. The  $\chi^2$  value for the F-factors determined at more than one resonance amounts to  $\chi^2/(N-n) = 0.9$  (3), which shows that the measured F-factors are at least internally consistent.

The results obtained, together with the  $J^{\pi}$ ; T values for the determination of which they are instrumental, will be discussed in a succeeding paper.

## 6. Conclusions

The present paper, together with ref.  $^{1}$ ), has shown that the  $(p, \gamma)$  reaction with a Ge detector in a Compton suppression shield can be quite productive for the observation of previously unknown levels, for the determination of branchings and energies of resonances and secondary states, and for the measurement of secondary state lifetimes.

For the determination of spins and parities the measurement of the angular distribution of the  $\gamma$ -rays produced in  $(p, \gamma)$  reactions can be quite useful, in particular if the spin of the target nucleus is low (e.g.  $J_t = 0$ ). For the  $^{25}\text{Mg}(p, \gamma)^{26}\text{Al}$  reaction, however, with  $J_t = \frac{5}{2}$ , the number of parameters entering into the formation of the resonance (channel-spin mixing, orbital momentum mixing) and into its decay (multipole mixing) is generally so large that many  $\gamma$ -ray angular distributions deviate little from isotropy, and that unambiguous  $J^{\pi}$  determinations become an exception rather than the rule; see e.g. ref.  $^2$ ).

In a succeeding paper it will be shown that considerations of  $\gamma$ -ray strengths derived from the present resonance strengths, branchings and lifetimes are much more successful for determinations of spins, parities, and also isospins. In this paper also a comparison will be given with a large-scale shell model calculation (for the even-parity states). The astrophysical implications of the present work have been discussed in a separate paper <sup>24</sup>).

We are particularly indebted to Dr. H.P. Trautvetter for his willingness to calculate the direct-capture cross-sections, and to many colleagues, students and ex-students for their help and advice in different stages of the present work.

This investigation was performed as part of the research programme of the "Stichting voor Fundamenteel Onderzoek der Materie" (FOM), with financial support from the "Nederlandse Organisatie voor Zuiver-Wetenschappelijk Onderzoek (ZWO)".

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