Electron Paramagnetic Resonance Studies of Slowly Tumbling Vanadyl Spin Probes in **Nematic Liquid Crystals**

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An analysis of EPR line shapes by the method of Polnaszek, Bruno, and Freed is made for slowly tumbling vanadyl spin probes in viscous nematic liquid crystals. The use of typical vanadyl complexes as spin probes for nematic liquid crystals is shown to simplify the theoretical analysis and the subsequent interpretation. Rotational correlation times τ and orientational ordering parameters S_z where slow tumbling effects are expected to be observed in vanadyl EPR spectra are indicated in a plot. Spectral EPR line shapes were simulated for experimental spectra of vanadyl acetylacetonate (VOAA) in nematic butyl-p-(p-ethoxyphenoxycarbonyl) phenyl carbonate (BEPC) and Phase V of EM Laboratories. Two factors are important in achieving good agreement with experimental spectra. The primary factor results from the slow tumbling undergone by VOAA in these viscous solvents. A secondary factor arises from the non-Brownian rotation of the small VOAA probe. Analysis of the inertial effects on the probe reorientation, which are induced by slowly fluctuating torque components of the local solvent structure, yield quantitative values for τ and S_2 . Similar effects were previously reported by Polnaszek and Freed for the small perdeuterated 2,2,6,6-tetramethyl-4-piperidone N-oxide (PD-tempone) nitroxide spin probe. The weakly ordered probe VOAA is in the slow tumbling region and displays these inertial effects throughout the nematic range of BEPC and Phase V. VOAA exhibits different reorientation behavior near the isotropic-nematic transition temperature (within ≈15 °C) than that displayed far below this transition temperature.

Introduction

The application of paramagnetic spin probes in a variety of experiments has resulted in obtaining a wide range of structural and dynamical information. 1,2 Of particular interest to us is the use of complexes containing the vanadyl ion VO²⁺ as spin probes. 3-6 In a recent paper, we had applied the stochastic Liouville method to calculate EPR line shapes in the slow tumbling region for vanadyl complexes in an isotropic medium.⁷ This analysis allows one to extract quantitative information from the EPR line shapes for rotational correlation times τ in the range $\sim 10^{-10}$ – 10^{-7} s/rad. These slow tumbling EPR spectra occur when the vanadyl ion is rigidly attached to a macromolecule⁵ or when a vanadyl complex is dissolved in a viscous solvent.8,9

We now want to extend our analysis of slowly tumbling vanadyl spin probes in an isotropic medium to that in an anisotropic medium. An example of current interest is the study by EPR of nematic liquid crystals doped with paramagnetic probes. 4,10 Appropriate analysis of the EPR spectra yields information of molecular orientational ordering and molecular reorientational dynamics. 4,11-13 Because liquid crystals, especially the electro-optically important room temperature nematogens. 14 are highly viscous by nature, slow tumbling EPR spectra have been obtained for both nitroxide¹⁰ and vanadyl^{8,9} spin probes. Since the slow tumbling region for vanadyl complexes occurs at a shorter τ than for nitroxide spin probes, vanadyl complexes of comparable size to the nitroxide spin probe should more readily exhibit EPR spectra with slow tumbling features.

A primary reason that vanadyl complexes are excellent probes for nematic liquid crystals is that they have nearly axially symmetric magnetic parameters which is the same degree of symmetry possessed by the nematic liquid crystals.^{4,15} The subsequent theoretical analysis is simplified and the results are easier to interpret than for typical nitroxide spin probes with less symmetry. 10 Also, the characteristic eight hyperfine line EPR spectrum of

vanadyl complexes provides a more severe testing of any theoretical analysis than a three hyperfine line nitroxide spectrum would provide. In addition, inhomogeneous broadening is usually negligible in the EPR spectra of vanadyl complexes. Previous workers recognized these features of vanadyl spin probes but have encountered difficulty in the quantitative interpretation of the EPR spectra because of slow tumbling aspects.8,9

There are three main objectives for this paper. One is to establish when the breakdown of motionally narrowed formulae occurs. 12,16 A second objective is to analyze the experimental vanadyl EPR line shapes by the stochastic Liouville method¹⁷ as developed by Polnaszek, Bruno, and Freed (PBF)¹³ for slow tumbling in an anisotropic liquid. Third is comparison of our vanadyl probe study to the detailed work of Polnaszek and Freed10 who reported anamolous behavior for the perdeuterated 2.2.6.6-tetramethyl-4-piperidone N-oxide (PD-tempone) nitroxide spin probe.

Vanadyl acetylacetonate (VOAA) was used as the vanadyl spin probe because it has excellent EPR spectroscopic and physical properties and because it has essentially axially symmetric magnetic parameters.¹⁸ An additional advantage arises from our previous detailed work with VOAA in a viscous isotropic medium.7 The nematic mixture Phase V from EM Laboratories was studied because it is a nematic at low temperatures and has a wide nematic temperature range. A second low temperature nematic liquid crystal, butyl-p-(p-ethoxyphenoxycarbonyl) phenyl carbonate (BEPC), which is a single component liquid crystal, was also studied for comparison.

Experimental Section

Degassed samples of nematic liquid crystals doped with VOAA were prepared by standard vacuum line techniques. VOAA was purchased from Alfa Products and was purified by recrystallization from acetone.¹⁹ The nematic liquid crystal BEPC was obtained from Eastman Chemicals and was recrystallized from methanol and then from benzene. 10 The nematic mixture Phase V was purchased from EM Laboratories and used without further purification.

EPR spectra were taken on a Varian V-4500 spectrometer with 100-kHz modulation. Varian E-257 variable temperature unit controlled the temperature to ± 1 K over the active region of the cavity. The magnetic field was measured and calibrated with a Bruker BNM-12 tracking magnetometer. The microwave frequency was obtained with a Hewlett Packard 5248 L electronic counter and 5257A transfer oscillator.

Theory

A. Slow Tumbling. PBF¹³ have developed a general method for calculating slow tumbling EPR line shapes in an anisotropic liquid. This approach is based upon the stochastic Liouville method^{17,20} and is a generalization of an analysis by Nordio and co-workers for the motionally narrowed EPR line widths of a Brownian particle in a liquid crystal.¹² Here, we apply the general PBF approach to vanadyl spin probes in viscous nematic liquid crystals.

Previous detailed studies in an isotropic solvent have shown that the spin Hamiltonian for VOAA has very nearly axially symmetric magnetic interactions. The motionally narrowed line widths ($\tau < 8 \times 10^{-11} \text{ s/rad}$) calculated with axially symmetric parameters differ by less than 0.5% from those calculated with completely asymmetric tensor values. Our slow tumbling study of VOAA in toluene showed that the use of axially symmetric parameters gave very good agreement with experimental line shapes for the slow tumbling range of $\tau \sim 8 \times 10^{-11}$ –1 × 10^{-9} s/rad . Only for EPR line shapes ($\tau > 1 \times 10^{-8} \text{ s/rad}$) very close to the rigid limit spectrum would the use of completely asymmetric parameters improve the fit to experimental spectra. Union of the shape of the spectrum would spectra to experimental spectra.

The orientational portion of the pseudo-potential $u(\theta)$ for nematic liquid crystals may be expressed by an expansion

$$u(\theta) = \sum_{n \text{ even}}^{\infty} \gamma_n \cos^n \theta \tag{1}$$

where θ is the angle between the molecular long axis and the director. Because VOAA has the same degree of symmetry as the nematic liquid crystalline solvent, the form of eq 1 should also reflect the orientational restoring potential for VOAA. In our experiments, the small VOAA is moderately ordered. Previous studies have shown that EPR spectral line shapes are not sensitive to γ_4 variations. Thus a simple Maier–Saupe potential 23

$$u'(\theta) \simeq \gamma_2' \cos^2 \theta$$
 (2)

is suitable to describe VOAA. (The prime refers to the spin probe values.) In eq 2, θ is the angle between the VO bond (molecular z axis) and the director. Note that VOAA, an oblate symmetric top molecule, has $\theta_{\rm eq}=\pi/2$ so that $\gamma_2{}'$ is positive. Equation 2 leads to a Boltzmann equilibrium $P_0(\theta)$ given by 12

$$P_0(\theta) = \exp(\lambda \cos^2 \theta) / \int_0^{\pi} d\theta \sin \theta \exp(\lambda \cos^2 \theta)$$
 (3)

where

$$\lambda = -\gamma_2'/kT \qquad \lambda < 0 \text{ for VOAA} \tag{4}$$

An orientational ordering parameter S_z is then defined²³ by

$$S_z = \langle P_2(\theta) \rangle \tag{5}$$

$$= \int_0^{\pi} d\theta \sin \theta \, P_2(\theta) \, P_0(\theta) \tag{6}$$

where

$$P_2(\theta) = \frac{1}{2}(3\cos^2\theta - 1) \tag{7}$$

For complete alignment where $P_0(\theta) = \delta(\theta - \pi/2)$, $S_z = -1/2$. For a Brownian particle under a restoring potential, eq 2, matrix elements of the symmetric rotational diffusion operator $\tilde{\Gamma}$ are given by 13

$$\begin{split} \frac{N(L,L')}{8\pi^2} \langle D_{0m}^L | \tilde{\Gamma} | D_{0m'}^{L'} \rangle &= [R_{\perp}L(L+1) + (R_{\parallel} - R_{\perp})m^2 + \\ &\qquad (2/15)R_{\perp}\lambda^2] \delta_{LL'}\delta_{mm'} - 2R_{\perp}\lambda \left(1 - \frac{\lambda}{21}\right) \times \\ -(1)^m N(L,L') \begin{pmatrix} L & 2 & L' \\ 0 & 0 & 0 \end{pmatrix} \begin{pmatrix} L & 2 & L' \\ -m & 0 & m \end{pmatrix} \times \\ \delta_{mm'} - \frac{8}{35}R_{\perp}\lambda^2 (-1)^m N(L,L') \times \\ \begin{pmatrix} L & 4 & L' \\ 0 & 0 & 0 \end{pmatrix} \begin{pmatrix} L & 4 & L' \\ -m & 0 & m \end{pmatrix} \delta_{mm'} \quad (8) \end{split}$$

Equation 8 is appropriate for anisotropic viscosity where R_{\perp} and R_{\parallel} are rotational diffusion constants perpendicular and parallel, respectively, to the director. Normalization factor N(L,L') is $[(2L+1)(2L'+1)]^{1/2}$, D_{0m}^L are Wigner rotation matrices, and $\binom{L_n L'}{m \ 0 \ m}$ are 3-j symbols. A Note that effects of anisotropic viscosity are proportional to $(R_{\parallel}-R_{\perp})m^2$.

The application of the general methods in PBF to the VOAA spin probe indicates the simplified theoretical analysis for typical vanadyl spin probes. In addition to the simple one-term potential, eq 2, VOAA has the principal axes of its magnetic parameters (g and A tensors) coinciding with the molecular rotational coordinate frame. One need not incorporate tilt angles and additional transformations of coordinate systems into the orientation-dependent portion of the spin Hamiltonian (other than the usual one that is done even for isotropic solvents).

Appendix A explicitly presents a convenient set of equations whose solution yields the unsaturated EPR line shapes for vanadyl spin probes undergoing Brownian rotation (eq 8) in a nematic liquid crystal. Nonsecular contributions, in addition to those given for the isotropic solvent,⁷ are also included. In these equations, the director is parallel to the external magnetic field. This alignment is the usual case in nematic liquid crystals.²⁵

A second method of solution allows for modifications that arise from non-Brownian diffusion. This method involves the numerical diagonalization of eq 8 (a real symmetric matrix) to obtain eigenvalues E^n_{0m} and eigenfunctions u^n_{0m}

$$u_{0m}^{n} = \sum_{L} a_{0m}^{(n)L} D_{0m}^{L} \tag{9a}$$

$$E_{0m}^{n} = \langle u_{0m}^{n} | \tilde{\Gamma} | u_{0m}^{n} \rangle \tag{9b}$$

where the coefficients $a_m^{(n)L}$ form column vectors of the post-matrix in the diagonalization transformation. In general, eight diagonalizations would be performed for vanadyl (corresponding to the eight m values). Deviations from Brownian rotation may be expected for the small VOAA probe dissolved in the much larger liquid crystal solvent molecules. One worthwhile modification is an analysis of inertial effects²⁶ to lowest order, which are induced on VOAA by slowly fluctuating torque components from the local solvent structure. ^{27,28} Polnaszek and Freed¹⁰ applied this analysis to nitroxide spin probes embedded in a liquid crystal solvent. Polnaszek²⁹ gives details for obtaining equations for the slow tumbling

region. Specific equations are given in Appendix B. An essential point of this approach is that factors $\epsilon_{L,m}^{'}$ (> 1) are introduced to indicate deviations from Brownian rotation. Values $\epsilon'_{L,m} = 1$ yield Brownian rotation diffusion. In a motionally narrowed analysis, $\epsilon_{2,m}$ would correspond to correction factors in the spectral density functions. For $R_{\perp}=R_{\parallel}=1/(6\tau)$ and low ordering, $\epsilon_{2,0}^{'}$ ($\epsilon_{\rm s}^{'}$) and $\epsilon_{2,m\neq0}^{'}$ ($\epsilon_{\rm ps}^{'}$) reflect the relative effective torque components (i.e., parallel and perpendicular, respectively, to the director) which affect reorientation of the probe.

B. Motionally Narrowed Region. PBF¹³ describe a convenient method for obtaining line widths from the real part of the spectral density function $K(m,\omega)$ given by

Re
$$K(m,\omega) = \sum_{n \neq 0} \frac{(-1)^m E_n}{E_n^2 + \omega^2} \langle u_0 | D_{0m}^2 | u_n \rangle \langle u_n | D_{0,-m}^2 | u_0 \rangle$$
 (10)

where E_n and u_n are the eigenvalues and eigenfunctions of eq 9. Those nonsecular terms which arise from the large intramolecular magnetic interactions are treated first by a perturbation analysis.^{7,13} Line width contributions from these terms are then obtained by the method in PBF. 13 Such an analysis yields a cubic dependency (δm^3) in the line width expression. 4,7,18 The first derivative line width (in gauss), which is similar to the one given for isotropic solvents,7 may be written

$$\Delta H(m) = \alpha + \beta m + \gamma m^2 + \delta m^3 \tag{11}$$

where

$$\alpha = \alpha'' + \frac{2 \text{ Re}}{\sqrt{3}|\gamma_{e}|} \left\{ F^{2} \left[K(0,0) + \frac{3}{4}K(0,\omega_{0}) + \frac{3}{14}\frac{F}{\omega}K(0,0) \right] + I(I + \frac{2 \text{ Re}}{\sqrt{3}|\gamma_{e}|} \left\{ F^{2} \left[K(1,\omega_{a}) + 2K(2,\omega_{0}) + \frac{1}{3}K(0,\omega_{0}) + \frac{5}{7}\frac{F}{\omega} \left(K(1,\omega_{a}) - \frac{4}{3}K(0,0) \right) + \sqrt{\frac{8}{3}}\frac{FDa}{\omega} \left(K(0,0) - \frac{3}{4}K(1,\omega_{a}) \right] \right\} (12a)$$

$$\beta = \frac{2 \text{ Re}}{\sqrt{3}|\gamma_{e}|} \left\{ -\sqrt{\frac{32}{3}}FD \left[K(0,0) + \frac{3}{4}F(1,\omega_{0}) + \frac{9F}{28\omega}K(0,0) \right] + \frac{2I(I+1)aD^{2}}{\omega} \left[K(1,\omega_{a}) - \frac{4}{3}K(0,0) \right] + \frac{40}{21}\sqrt{\frac{2}{3}}I(I+1)\frac{D^{3}}{\omega} \left[K(0,0) - \frac{3}{4}K(1,\omega_{a}) - \frac{D^{2}a}{\omega}K(1,\omega_{a}) (12b) \right] + \frac{5}{7}\sqrt{\frac{2}{3}}\frac{D^{3}}{\omega}K(1,\omega_{a}) - \frac{D^{2}a}{\omega}K(1,\omega_{a}) (12b)$$

$$\gamma = \frac{2 \text{ Re}}{\sqrt{3}|\gamma_{e}|} \left\{ \frac{8D^{2}}{3} \left[K(0,0) - \frac{3}{8}K(1,\omega_{a}) - \frac{15}{56}K(1,\omega_{a}) \right] - \sqrt{\frac{8}{3}}\frac{FDa}{\omega} \left[K(0,0) - \frac{3}{4}K(1,\omega_{a}) \right] \right\} (12c)$$

$$\delta = \frac{2 \text{ Re}}{\sqrt{3}|\gamma_{e}|} \left\{ \frac{8D^{2}a}{3} \left[K(0,0) - \frac{3}{4}K(1,\omega_{a}) \right] - \frac{64}{21}\sqrt{\frac{2}{3}}\frac{D^{3}}{\omega_{0}} \left[K(0,0) - \frac{15}{32}K(1,\omega_{a}) \right] \right\} (12d)$$

F, D, a, and α'' are defined as in ref 7; $\omega_a \simeq 1/2a$; and ω_0

is defined here as the klystron frequency.

 S_z in eq 5 is obtained readily by 16

$$S_z = \frac{\langle a \rangle - a'}{A_{\parallel} - a'} \tag{13}$$

where $\langle a \rangle$ is the observed separation between hyperfine lines, A_{\parallel} is the z principal A tensor component, and a' is the isotropic splitting corrected for nonsecular shifts.

These shifts (in gauss) are given by the formula

$$B(m,S_z) = \Delta B(m) - \frac{S_z}{\omega_x |\gamma_e|} \left\{ \frac{3}{28} F^2 + \frac{10}{21} D^2 I(I+1) + \sqrt{\frac{2}{3}} a D I(I+1) - \frac{\sqrt{6}}{7} F D m - \frac{16}{21} D^2 m^2 - \sqrt{\frac{2}{3}} a D m^2 \right\}$$
(14)

where $\Delta B(m)$ is the shift in an isotropic solvent.⁷

Results and Discussion

A. Magnetic Parameters. The extraction of information about molecular ordering and rotational diffusion from EPR line shapes requires that the components of the g and A tensors in the spin Hamiltonian be known. These magnetic parameters were determined from the combination of an isotropic rigid spectrum and an isotropic motionally narrowed spectrum. The rigid isotropic spectrum was obtained by cooling the liquid crystal sample through the nematic range with the magnetic field turned off and then by recording the spectrum at 77 K. A_{\parallel} and g_{\parallel} components are readily determined from this spectrum. The isotropic motionally narrowed spectrum was taken at 110 °C, which is well above the nematic-isotropic nematic transition temperature. With the a and g_0 values detertransition temperature. With the a and g_0 values determined from this spectrum, A_{\perp} and g_{\perp} components are obtained from the equations $A_{\perp} = \frac{1}{2}(3a - A_{\parallel})$ and $g_{\perp} = \frac{1}{2}(3g_0 - g_{\parallel})$. The magnetic parameters for VOAA were the same in both BEPC and Phase V within experimental error. The values are $A_{\parallel} = -185 \pm 2$ G, $A_{\perp} = -68 \pm 1$ G, $g_{\parallel} = 1.943 \pm 0.001$, and $g_{\perp} = 1.982 \pm 0.001$ and are essentially those obtained in toluene. B. Motionally Narroyand Region. The approximate

B. Motionally Narrowed Region. The approximate region where a motionally narrowed analysis is applicable for vanadyl spin probes is indicated in Figure 1. Figure 1 is a theoretical plot of τ vs. S_{\star} where the motionally narrowed region is the area below the appropriate line. The solid line represents the breakdown of the motionally narrowed eq 13 for the determination of the orientational ordering parameter S_z . Only negative values for S_z were considered since typical vanadyl spin probes have β_{eq} = $\pi/2$ (VO bond perpendicular to the director). The dashed line indicates the breakdown of motionally narrowed line width formula, eq 11, for obtaining rotational dynamics. Determination of these breakdowns was made by comparison of motionally narrowed results to the general slow tumbling results (Appendix A), which are also valid in the motionally narrowed region. Calculations were for isotropic Brownian rotational diffusion $(R_{\parallel} = R_{\perp} = 1/(6\tau))$. The criteria for the lines drawn in Figure 1 are 1% deviations in the line separations and 3% deviations in the line widths from the motionally narrowed calculations. For a low degree of ordering, these deviations begin to occur in the high-field outside hyperfine lines. For high degree of ordering, deviations occur initially in the central lines. VOAA magnetic parameters were used in these calculations. Slight differences in Figure 1 would result from using magnetic parameters of other vanadyl spin probes. Also, rotational diffusion other than the isotropic Brownian

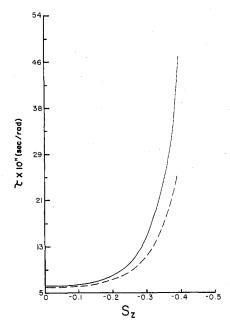


Figure 1. Graph of rotational correlation time au vs. ordering parameter S_z for the breakdown of motionally narrowed formulae. (-) is breakdown for line separations; (---) is breakdown for line widths. Calculations were made for isotropic Brownian rotation with simple one-term Maier-Saupe restoring potential. VOAA magnetic parameters were

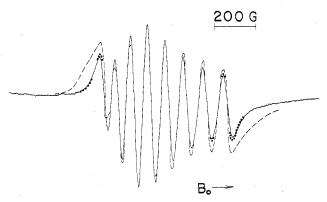


Figure 2. A comparison of simulated and experimental spectra for VOAA in BEPC at 79 °C. (-) is experimental spectrum. (---) is calculated for isotropic Brownian rotation with $\tau=4.1\times10^{-10}$ s/rad and $S_z=$ -0.13. (····) is calculated for Brownian rotation and anisotropic viscosity with $\tau_{\perp}=4.1\times10^{-10}$ s/rad, $\tau_{\parallel}=5.1\times10^{-11}$ s/rad, and $S_z=-0.13$.

model would show slight discrepencies from that given in Figure 1. The use of Figure 1 presumes a recognition of the sensitivity of EPR spectral line shapes to changes in τ and $\lambda(S_z)$. When the vanadyl spin probe is highly ordered, the EPR spectrum will naturally become less sensitive to rotational diffusion and ordering potential changes. Such changes, in practice, may be camouflaged by an orientation-independent line width $\alpha''(T_2^{-1})$, which may be regarded as a resolution parameter.

C. Slow Tumbling EPR Line Shapes. Experimental EPR spectra for VOAA were recorded in the nematic range from 82 to 37 °C for BEPC and from 72 to -29 °C for Phase V. Figures 2-4 show typical experimental spectra that are both near the isotropic-nematic transition temperature $T_{\rm K}$ and reasonably near to the nematic-solid transition temperature. Simulated spectra calculated from equations in either Appendix A or Appendix B are presented as broken lines. All experimental spectra taken in the nematic range clearly exhibited the eight hyperfine line spectrum indicative of motional averaging. These line shapes suggest that there should be enough rotational motion about the VO bond to average out the small

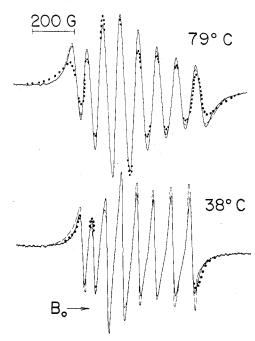


Figure 3. Comparison of simulated and experimental spectra for VOAA in BEPC at 79 and 38 °C. (-) are experimental spectra. (-,--) are calculated with $\epsilon_{\rm s}'=1.5~\epsilon_{\rm ps}=4.~(\cdots)$ are calculated with $\epsilon_{\rm s}'=1.5~\epsilon_{\rm ps}=4.1~\times~10^{-10}~{\rm s/rad},~S_z=-0.13;$ at 38 °C, $\tau=1.7~\times~10^{-9}~{\rm s/rad},~S_z=-0.21.$

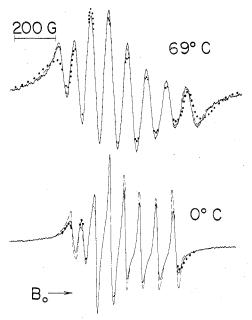


Figure 4. Comparison of simulated and experimental spectra for VOAA in Phase V at 69 and 0 °C. (-) are experimental spectra. (-,--) are calculated with $\epsilon_{\rm s}=1.5~\epsilon_{\rm ps}=4$. (...) are calculated with $\epsilon_{\rm s}=1.5~\epsilon_{\rm ps}=10$. At 69 °C, $\tau=2.6\times10^{-10}~{\rm s/rad},~S_z=-0.103$; at 0 °C, $\tau=5.9\times10^{-9}~{\rm s/rad},~S_z=-0.22$.

magnetic anisotropy in the x and y principal axes. Subsequent analysis bears this out. Thus the use of axially symmetric magnetic parameters and of eq 2 for the restoring potential is felt to be well justified. All spectra in the nematic range had highly asymmetric lines which are very suggestive of slow tumbling effects. In fact, spectra in the isotropic phase just above the isotropic-nematic transition temperature $T_{\rm K}$ were obviously in the slow tumbling region. Although there was considerably supercooling below the nematic-solid freezing point, no discontinuities were observed in the EPR spectra or in their subsequent analysis. Both the observed isotropicnematic and observed nematic-solid transition temperatures were clearly discerned by dramatic changes is the EPR spectra.

The computer simulations for the slow tumbling EPR line shapes are calculated by the method developed by PBF¹³ (see Appendix A for the explicit equations that were used) or by a modified version¹⁰ (see Appendix B).

Figure 2 shows the experimental spectrum for VOAA in BEPC at 79 °C, which is just below the $T_{\rm K}$. Simulated spectra, that are calculated for Brownian rotational diffusion (Appendix A), are also shown. Spectra for isotropic Brownian rotation are simulated by varying essentially only two parameters, τ and λ . The general effects of varying τ and λ on spectral line shapes are given in PBF.¹³ Note that for vanadyl spin probes, which have $\lambda < 0$ and $|A_{\perp}| < |A_{\parallel}|$, the effects of slow tumbling is to shift intensity of the hyperfine lines closer together. Thus a motionally narrowed analysis, which would ascribe such shifts to an increased ordering (\lambda more negative) rather than to a longer τ , overestimates the degree of ordering for the slow tumbling region. For example, from the experimental spectrum in Figure 2, an S_z value of -0.28 is calculated from the motionally narrowed formula eq 13 whereas an S_z value of -0.13 is obtained from slow tumbling best-fit spectral comparisons. Figure 2 is a typical best fit of an isotropic Brownian rotational diffusion model to an experimental VOAA EPR spectrum. Although significant discrepencies are indicated, the estimated best fit S_z and τ values are reasonable and represent a significant improvement over a motionally narrowed analysis. Improved fits to the experimental spectra were made by introducing an anisotropic viscosity $(R_{\parallel} \neq R_{\perp})$. Spectral simulation for this model were fit by varying essentially three parameters (τ_{\parallel} , τ_{\perp} , and λ). Figure 2 shows the improved agreement with $\tau_{\perp} = 8\tau_{\parallel}$. However, the ratio $\tau_{\perp}/\tau_{\parallel}$ increases rapidly and au_{\parallel} becomes shorter with decreasing temperatures. Similar implausible results for nitroxide probes have been reported by Polnaszek and Freed, 10 who then invoked a slowly fluctuating torque analysis.

Such an analysis is expected to be appropriate here because of the small size of VOAA relative to the ordered liquid crystalline solvating molecules. Figures 3 and 4 show spectral fits which are based upon this analysis (Appendix B). For purposes of comparison to nitroxide spin probe studies, only two correction factors, ϵ_s' and ϵ_{ps}' , to spectral density functions will be considered. Note $\epsilon' = 1$ yields Brownian diffusion results while $\epsilon' > 1$ indicates deviations from Brownian diffusion. Also we let $R_{\parallel}(0) = R_{\perp}(0) =$ $1/(6\tau)$. The intention of this analysis is to establish a set of ϵ' values for all temperatures in the nematic range. With ϵ' values fixed, spectral fits are made by varying two parameters, τ and λ . The values $\epsilon'_s = 1.5 \pm 0.5$ and $\epsilon'_{ps} = 10 \pm 2$ would appear to be a consistent set of parameters except for a ~ 15 °C temperature range below the $T_{\rm K}$. (See Figures 3 and 4.) For this temperature range, $\epsilon'_{\rm ps}=4$ ± 2 gave better fits. Although some systematic discrepencies between calculated and experimental spectra still exist, the spectral fits were good. This analysis gave τ values that were precise to ~10% except for low temperatures in Phase V where the precision was $\simeq 20\%$. S_z values computed numerically from λ (see eq 3) were precise to $\simeq 5\%$.

The τ and S_z values determined from these best fitting spectra, which incorporated the ϵ' corrections, are used in Figure 5 and 6. Figure 5 is a plot of S_z vs. temperature (T) where S_z is calculated numerically from eq 3. A plot of $\log \tau$ vs. 1/T is shown in Figure 6. With the neglect of a $\simeq 15$ °C temperature range below $T_{\rm K}$, Figure 6 for Phase V shows good Arrhenius behavior with an activation energy

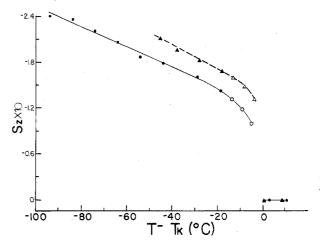


Figure 5. Graph of ordering parameter S_z vs. temperature T for VOAA in Phase V (ullet, $\epsilon_{\rm ps}=10$; O, $\epsilon_{\rm ps}=4$) and BEPC (ullet, $\epsilon_{\rm ps}=10$; Δ , $\epsilon_{\rm ps}=4$). Solid line is drawn for Phase V and dashed line is for BEPC. $\epsilon_s=1.5$.

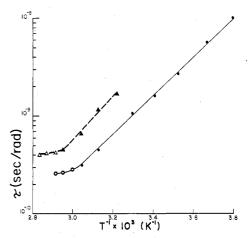


Figure 6. Graph of rotational correlation time τ (s/rad) vs. 1/T for VOAA in Phase V (\bullet , $\epsilon_{ps} = 10$; O, $\epsilon_{ps} = 4$) and BEPC (\bullet , $\epsilon_{ps} = 10$; Δ , $\epsilon_{ps} = 4$). Solid line is drawn for Phase V and dashed line is for BEPC. $\epsilon'_s = 1.5$.

of 9.0 ± 0.4 kcal/mol. This value is comparable to that found for nitroxide spin probes. 10,29,30 The preexponential factor is $(3.4 \pm 1.1) \times 10^{-16}$ s/rad. BEPC had too short of a nematic range to determine accurate Arrhenius parameters.

Attempts to account for the deviation from Brownian rotation by invoking a static distribution of director orientations were not successful. Here, a line shape g- $(\Delta\omega,\phi_0)$ was calculated by the summation (i.e., a trapezoidal rule) of spectral amplitudes $f(\Delta\omega,\phi)$ weighed by the distribution factor $\exp(-\sin^2\phi/\phi_0^2)\sin\phi$ where ϕ is the angle between the director and the external magnetic field. 10,32 ϕ_0 is the root mean square deviation (spread) in ϕ . In particular, the experimental spectrum for VOAA in BEPC at 79 °C was used. For Brownian rotation with $\tau=4.1\times 10^{-10}\,\mathrm{s/rad},\,S_z=-0.13,\,\mathrm{and}\,\phi_0=0.17\,\mathrm{rad};^{10}$ the calculated line shape $g(\Delta\omega,\phi_0)$ showed a change in asymmetry of the hyperfine lines opposite to that which is observed.

Director fluctuations are predicted to have negligible effects on the EPR spectra of the relatively small VOAA probe. ¹⁰ Also, a simple jump model of rotational reorientation was inadequate to explain the discrepencies from Brownian rotational diffusion.

Conclusion

This work is an initial inquiry of slowly tumbling vanadyl spin probes in an anisotropic medium. Here the stochastic Liouville method as developed by PBF¹³ has been appropriately applied to the analysis of EPR spectra from VOAA in viscous nematic liquid crystals. The use of vanadyl complexes as spin probes for nematic liquid crystals greatly simplifies theoretical calculations and interpretation. Guide lines for the breakdown of motionally narrowed formulas were established (see Figure 1).

Spectral simulations for experimental spectra of VOAA in nematic BEPC and Phase V showed that VOAA was in the slow tumbling region throughout the nematic range of both these viscous solvents. Also, deviations from Brownian rotation were noted. An analysis, in which inertial effects on the probe reorientation are induced by slowly fluctuating torque components of the local solvent structure, results in improved spectral fits. Such an analysis, which introduces correction factors ϵ'_s and ϵ'_{ps} , yields quantitative values for τ and S_z . τ values for the weakly ordered VOAA showed relatively little variation with temperature near the isotropic-nematic transition temperature $T_{\rm K}.$ (See Figure 6.) Here, $\epsilon'_{\rm s}$ = 1.5 \pm 0.5 and temperature $r_{\rm K}$. (See Figure 5). There, $\epsilon_{\rm ps} = 4 \pm 2$ gave good spectral fits. For temperatures more than 15 °C below $T_{\rm K}$, τ showed good Arrhenius behavior with an activation energy of 9.0 ± 0.4 kcal/mol in Phase V. Here $\epsilon_{\rm s}' = 1.5 \pm 0.5$ and $\epsilon_{\rm ps}' = 10 \pm 2$ gave good spectral fits. These results suggest that nematogens undergo orientational fluctuations over a reasonably wide temperature range near $T_{\rm K}$ that are different from the fluctuations that may occur far below $T_{\rm K}$. Our studies indicate that vanadyl complexes may be good probes for the study of phenomena near T_K . Specifically, VOAA was obviously in the slow tumbling region, where EPR spectra are most sensitive to motional dynamics, at $T_{\rm K}$ of BEPC and Phase

In their detailed study with the small nitroxide spin probe PD-tempone, Polnaszek and Freed 10 introduced a slowly fluctuating torque analysis to account for "anomolous" EPR line shapes. In particular, values of $\epsilon'_{\rm s}$ = 1–2 and $\epsilon'_{\rm ps}$ = 15–20 were used in the incipient slow tumbling region (T<-6°C) in Phase V. Results for VOAA in this region show similar effects but with smaller ϵ' values. This difference may be attributed to a larger effective rotational radius for VOAA. However, our results indicate slowly fluctuating torque effects throughout the nematic range but much reduced near $T_{\rm K}$. Other comparisons show that VOAA exhibits behavior similar to that of PD-tempone. VOAA is slightly more ordered and it reorients more slowly with roughly the same activation energy. 10

In summary, our results indicate that both the slow tumbling aspects and the effects of non-Brownian rotation should be resolved in order to extract quantitative information about molecular ordering and rotational mobility. This present study should not be considered a critique of the slowly fluctuating torque analysis. The work here does show that effects which were observed for PD-tempone are also seen for the commonly used probe Undoubtedly, the slowly fluctuating torque analysis does provide a proper framework for explaining such effects. Further work is needed to characterize the correction factor ϵ' (e.g., different size and shape probes). Refined theory and development of other techniques of solution should yield a clearer and more precise explanation for the motional dynamics of the spin probe. Because of the present necessary simplification in theory, 10,29 inclusion of other effects (e.g., director distribution and fluctuation, anisotropic viscosity) into the slowly fluctuating torque analysis were not justified.

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Appendix A

This appendix indicates explicitly the equations that were used for obtaining vanadyl EPR line shapes for Brownian rotational diffusion with an anisotropic viscosity (eq 8) under a simple one-term Maier-Saupe restoring potential (eq 2). These equations may be obtained most easily by modification of the isotropic liquid equations, which are explicitly given by eq A.1-A.4 and B.3 of ref 7. The following term is added to the left-hand side of eq A.1-A.3 in ref 7:

$$\begin{split} -i \left[(R_{\parallel} - R_{\perp}) n^2 + \frac{2}{15} R_{\perp} \lambda^2 \right] C_{0,n}^L(j) + \\ i 2 R_{\perp} \lambda \left(1 - \frac{\lambda}{21} \right) (-1)^n \sum_{L'} N(L,L') \begin{pmatrix} L & 4 & L' \\ 0 & 0 & 0 \end{pmatrix} \times \\ \begin{pmatrix} L & 2 & L' \\ -n & 0 & n \end{pmatrix} C_{0,n}^{L'}(j) + i \frac{8}{35} R_{\perp} \lambda^2 (-1)^n \sum_{L'} N(L,L') \times \\ \begin{pmatrix} L & 4 & L' \\ 0 & 0 & 0 \end{pmatrix} \begin{pmatrix} L & 4 & L' \\ -n & 0 & n \end{pmatrix} C_{0,n}^{L'}(j) \quad (A.1) \end{split}$$

The right-hand side of eq A.1 of ref 7 becomes

$$u_{L} = \left[\frac{2L+1}{I_{0}} \right]^{1/2} \int_{0}^{\pi} D_{0,0}^{L}(0,\theta,0) \times \exp\left[\frac{1}{2} \lambda \cos^{2} \theta\right] \sin \theta \, d\theta \, (A.2)$$

where I_0 is

$$I_0 = \int_0^{\pi} \exp(\frac{1}{2}\lambda \cos^2 \theta) \sin \theta \, d\theta \tag{A.3}$$

The absorption of Z'' in eq A.4 of ref 7 now becomes

$$Z'' = \text{Im} \sum_{L} \sum_{m=-I}^{I} u_L C_{0,0}^L (2m + 2I + 2, 2m + 2I + 1)$$
 (A.4)

Contributions from nonsecular terms in addition to those given by expression B.3 in ref 7 have been included. Here, nonsecular corrections to the "forbidden" transition terms have been made. Nonsecular contributions to the coupling $C_{0,0}^L(i) \to C_{0,0}^{L\pm 4}(i)$ for allowed transitions, which are made significant by eq A.1, have also been included. These nonsecular contributions are obtained by straightforward application of previous perturbation analysis. The results for the coupling to the $\bar{C}_{0,n}^L(a,b;c,d)$ transition terms are given by the expression A.5. Expression A.5 is added to the left-hand side of eq A.3 in ref 7. In a similar expression B.3 in ref 7, the sign of a is incorrect. However, the calculated spectra in Figures 1 and 2 of ref 7 did use the correct sign of a. Equation A.2 in ref 7 may be regarded as a special case of eq A.3 in ref 7. Expression A.5 was also used for the additional nonsecular coupling to the allowed transition terms. In the derivation of expression A.5, $R << \omega$. Also, within second-order perturbation theory, the nonsecular coupling couplings $\bar{\epsilon}_{0,n}^L(k)$ between

 $\bar{C}_{0,n}^L(i)$ and $\bar{C}_{0,n}^{L'}(k)$ were approximated by the equations

$$\bar{\epsilon}_{0,n}^{L'} = \frac{1}{2} (\epsilon_{0,n}^{L'} + \epsilon_{0,-n}^{L'})$$
 (A.6a)

and

$$\bar{\epsilon}_{0,n\pm 1}^{L'} = \frac{1}{2} (\epsilon_{0,n\pm 1}^{L'} - \epsilon_{0,-(n\pm 1)}^{L'})$$
 (A.6b)

Note that for n=0, $\bar{C}_{0,0}^L=\sqrt{2}C_{0,0}^L$ and $\bar{\epsilon}_{0,1}^L\to\sqrt{2}\bar{\epsilon}_{0,1}^L$. To summarize, the equations which were used are obtained from eq A.1–A.3 in ref 7 that have been modified by (B.3) of ref 7, (A.1–A.3), and (A.5). Equation A.4 yields the absorption line shape. Equation A.2 and A.3 are solved numerically with recursion relations. The first derivative EPR line shapes are then most efficiently obtained by a diagonalization method. 33,34

Appendix B

Details for explicitly obtaining slowly fluctuating torque effects in the EPR line shapes is given by Polnaszek.²⁹ The general expression may be written

$$\begin{split} (\omega - \omega_{j} - iq\tau_{q}^{-1}) & C_{0,m,p,q}^{n}(j) + \\ & \sum_{\substack{N',m' \\ R',m'}} \langle u_{0,m}^{n}|[H_{1}(\Omega), C_{0,m',p,q}^{n'}|u_{0,m'}^{n'}\rangle + \\ & \left(\frac{E_{0,m}^{n}kT}{R}\right)^{1/2} [\sqrt{p+1} \ C_{0,m,p+1,q}^{n}(j) + \\ & \sqrt{p} \ C_{m,p-1,q}^{n}(j)] + \\ & \left[\frac{1}{R\tau_{q}}\frac{kT}{I}\right]^{1/2} [\sqrt{p} \ \sqrt{q+1} \ C_{0,m,p-1,q+1}^{n}(j) + \\ & \sqrt{p+1} \ \sqrt{q} \ C_{0,m,p+1,q-1}^{n}(j)] = \delta_{n0}\delta_{m0}\delta_{p0}\delta_{q0} \ (\text{B.1}) \end{split}$$

where

$$\tau_{\rm q} = \frac{\sqrt{\epsilon' - 1}}{6R} \tag{B.2}$$

and τ_q represents a correlation time for the decay of the inertial effects induced by the solvent. To include effects induced by torque components parallel and perpendicular to a director of a nematic liquid crystal solvent, ϵ' may be labeled $\epsilon_{\rm s}'$ and $\epsilon_{\rm ps}'$ to express these parallel and perpendicular components, respectively. Note that for $\epsilon' \to 1$, Brownian rotational diffusion is obtained. $\epsilon' > 1$ indicate deviations from Brownian rotation.

Equation B.1 has only p = 0, q = 0; p = 1, q = 0; and p = 0, q = 1 combinations for the lowest order inertial effects. Note that the eigenfunctions $u_{0,m}^n$ and eigenvalues $E_{0,m}^n$ are used (eq 9).

The procedure to obtain the equations used for the slowly fluctuating torque analysis may be summarized in three steps. First, diagonalize the rotational diffusion operator (eq 8) to obtain $u_{0,m}^n$ and $E_{0,m}^n$. (See eq 9.) The real symmetric rotational diffusion matrix (eq 8) may be blocked according to different m values and each block may be numerically diagonalized separately. Second, perform a similarity transformation on the matrix formed from the coefficients of the transition terms $C_{0,n}^L$ developed in Appendix A. Retain only those terms that have F or D in them. The columns of the similarity transformation post-matrix are the vectors whose components are the coefficients $a_{0,m}^{(n)L}$ in eq 9a. This step calculates the summation (second term) on the left-hand side of eq B.1. Third, form the entire matrix by using eq B.1. This matrix may be viewed as partitioned into three sections according

to the three combinations of p,q that were used.

The absorption line shape Z'' is then given by the following

$$Z'' = \text{Im} \sum_{m=-I}^{I} C_{0,0,0,0}^{0}(2m + 2I + 2, 2m + 2I + 1)$$
 (B.3)

First derivative EPR line shapes are efficiently calculated by numerical diagonalization method. 33,34

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Conformational Effects on the Electron Spin Resonance Spectra of Radicals Produced by Electron Attachment to Amino Acids and Peptides¹

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The reactions of photolytically produced electrons (at 77 K) with a number of amino acids and dipeptides having a side group of structure -CH₂R' were investigated (in 12 M LiCl, D₂O glass) using the electron spin resonance (ESR) technique. Deamination of the N-terminal amine group in these compounds was found to result in radical species of structure -CHCH₂R'. The ESR spectra of these species exhibit strong temperature dependences between 100 and 170 K. The results suggest the radical species exist in a mixture of two conformations at low temperatures (ca. 100 K) below the softening point of the glassy matrix. The first of these conformations which is close to that expected for the parent molecule is relatively unstable and is converted to the second more stable conformation at ca. 170 K. Computer simulations were employed to analyze the conformational behavior of these radical species. From these simulations, we have estimated the values for the two specific orientations, $\hat{ heta}_1$ and $\hat{ heta}_2$, the conformation range $(\delta heta)$, and the relative proportions of the two conformations. Model compounds, 2-bromobutyric acid, 2-bromohexanoic acid, and 2-bromovaleric acid, were employed in this study to aid in the interpretation of the ESR spectra of amino acids and peptides.

I. Introduction

There have been a number of reports, in recent years, devoted to the electron spin resonance (ESR) studies of paramagnetic radicals formed by electron attachment to amino acids and peptides in aqueous glasses²⁻⁵ and in single crystals.6-10 It has been shown that the reaction of the photolytically^{2,3} or radiolytically⁶⁻¹⁰ produced electrons (e⁻) with these compounds (at ≥77 K) usually results in anion formation followed by the deamination of the parent molecule. For peptides and deprotonated amino acids in aqueous glasses,3 the deamination step is followed by abstraction of a hydrogen atom from the α -carbon position of the parent molecule. Similar results are found in single crystals.8,9

For amino acids (1) and dipeptides (2) having the structures ND₃+C(R)HCO₂- and ND₃+C(X)HC(O)NDC-