# MSX Force Field and Vibrational Frequencies for BEDT-TTF (Neutral and Cation)

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BEDT-TTF is the donor of the highest  $T_c$  organic superconductors. Isotopic shift experiments support an electron—phonon coupling mechanism for the superconductivity. However, the vibrational levels have been only partially observed and assigned, making testing of this mechanism difficult. In order to provide a complete consistent description of all vibrational levels, we carried out Hartree—Fock calculations (6-31G\*\* basis set) to obtain the Hessians and fundamental vibrational frequencies of BEDT-TTF and BEDT-TTF+. With these Hessians and available experimental frequencies, we used Hessian-biased methods to develop the MSX force fields for the neutral and cation BEDT-TTF molecules. Comparison of the calculated frequencies with the available experimental frequencies for the neutral and cation BEDT-TTF molecule shows good agreement.

### 1. Introduction

The organic superconductors all have in common organic donor molecules derived from tetrathiafulvalene (denoted as TTF), tetraselenafulvalene (denoted at TSeF), or some mixture of these two molecules, packed into quasi one- and twodimensional arrays and complexed to appropriate electron acceptors.1 Figure 1 shows BEDT-TTF (denoted also as ET) which is the donor of the best organic superconductors. About 30 organic superconductors based on ET have been synthesized with  $T_c$  up to 12.8 K. Changes in  $T_c$  for various isotope shifts indicate that electron-phonon coupling is important for the superconductivity of these materials. However, experimental data on the vibrational modes is incomplete and does not supply clear evidence about which vibrational modes are important for the superconductivity. Consequently, we carried out ab initio Hartree-Fock (HF) and force field (FF) calculations to obtain all modes of neutral ET and of ET<sup>+</sup>.

With appropriate electron acceptors some modifications of ET show superconductivity and some do not. The relation between superconductivity and the molecular or crystal structures of these molecules has not yet been clearly identified by the experiments. In this paper, we present calculated vibrational levels for the equilibrium structures of ET (boat) and ET<sup>+</sup> (planar). Using the calculated structures and Hessians with available experimental frequencies, we develop the MSX force fields for the neutral and cation ET molecules. These frequencies compare well with the available experimental frequencies on provide procedures for a number of unknown or uncertain levels.

### 2. Results

**2.1. Structures.** The structure of ET is often discussed in terms of  $D_2$  symmetry, which assumes a planar structure for the central TTF moiety. The crystal structures of neutral ET crystal are consistent with planarity but show a distinct boatlike distortion.<sup>11</sup> Some deviations from planarity are also suggested in crystals containing electron acceptors,  $(ET)_nX_m$ .<sup>12</sup> Here the ET molecules often form dimers  $(ET_2)^+$  sharing a single positive charge.

Recently we reported ab initio quantum chemical calculations [Hartree—Fock (HF) with 6-31G\*\* basis set] for the structures

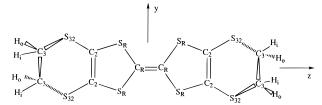


Figure 1. Definition of atomic types for the atoms of ET.

of neutral and cation ET.<sup>7,8</sup> These results show that the TTF framework for *neutral ET is nonplanar* deforming to a boat conformation with a well depth of 0.654 kcal/mol. However, the TTF framework for the cation, ET<sup>+</sup>, is planar.

The terminal six-membered rings are nonplanar in order to avoid eclipsing of the CH<sub>2</sub>-CH<sub>2</sub> groups at each end. This nonplanarity leads to two possible conformations:<sup>12</sup>

- 1. The *staggered* conformation indicated in Figure 1 in which the two  $C_6$ – $C_6$  bonds are pointing in opposite directions; assuming a planar TTF central region, this leads to  $D_2$  symmetry.
- 2. The *eclipsed* conformation in which the two  $C_6$ – $C_6$  bonds are parallel; with planar TTF, this leads to  $C_{2h}$  symmetry. These conformations are essentially degenerate, differing by only 0.000 052 hartrees = 0.000 14 eV = 0.0032 kcal/mol (with eclipsed lower). We will consider hereafter the higher symmetry staggered case.

To determine the structure and vibrational modes of ET, we carried out ab initio Hartree—Fock calculations using the 6-31G\*\* basis set.<sup>13</sup> Restricting the symmetry to  $D_2$  leads to an optimized structure with two imaginary frequency vibrational modes. The stable conformation is the boat structure with  $C_2$  symmetry (The optimized boat structure has vibration frequencies positive, indicating a stable structure).

**2.2. Vibrational Analysis.** Previous assignments of the vibrational spectra of ET have assumed planar molecule for both the neutral and cation cases. Planar ET would have  $D_2$  symmetry for the staggered conformation and  $C_{2h}$  for the eclipsed conformation. For the staggered conformation this leads to fundamental modes with the following symmetries:

$$\Gamma(D_2) = 19A + 17B_1 + 18B_2 + 18B_3$$
 (1)

To simplify assignments, Kozlov et al.  $^{11,12}$  considered the ET to be totally flat leading to  $D_{2h}$  symmetries (they were aware

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TABLE 1: (A) Optimized Distances (in Å) for Boat and Planar ET Conformations and Experimental Distance (See Figure 1 for Notation) and (B) Optimized Angles (in deg)

A. Optimized Distances

		E	T	E	$\Gamma^+$
		$MSX^a$	HF	MSX	HF
$C_R-C_R$	1	1.325	1.326	1.389	1.389
$S_R-C_2$	4	1.773	1.774	1.751	1.751
$S_{32}-C_3$	4	1.812	1.814	1.816	1.816
$S_R-C_R$	4	1.769	1.771	1.721	1.721
$C_2-C_2$	2	1.325	1.323	1.336	1.336
$S_{32}-C_2$	4	1.769	1.767	1.765	1.765
$C_3-C_3$	2	1.523	1.523	1.523	1.523
$C_3-H$	8	1.083	1.082	1.082	1.082

B. Optimized Angles

		Е	T	E	$\Gamma^+$
		MSX	HF	MSX	HF
$S_{32}-C_2-C_2$	4	128.68	128.45	128.83	128.83
$S_R - C_2 - S_{32}$	4	113.80	114.29	114.75	114.75
$S_R-C_R-S_R$	2	112.74	112.55	114.49	114.49
$C_R-S_R-C_2$	4	94.41	94.55	96.33	96.33
$S_{32}-C_3-C_3$	4	112.87	113.17	113.10	113.10
$S_R-C_2-C_2$	4	117.22	117.22	116.42	116.42
$S_R-C_R-C_R$	4	123.63	123.71	122.76	122.76
$C_2 - S_{32} - C_3$	4	100.74	100.81	100.50	100.50
$H-C_3-H$	4	108.58	108.48	108.51	108.51
$S_{32}-C_3-H$	8	107.18	107.15	106.84	106.84
$C_3 - C_3 - H$	8	110.36	110.31	110.60	110.60

 $^a$  For the neutral molecule, the optimized HF structure is minimized to reduce the total force by using FF. The rms force is less than 0.1 (kcal/mol)/Å for ET and ET $^+$ .

that only the central  $C_2S_4$  group is planar). This leads to the fundamental mode distribution

$$\Gamma(D_{2h}) = 12A_{g} + 7A_{u} + 6B_{1g} + 11B_{1u} + 7B_{2g} + 11B_{2u} + 11B_{3g} + 7B_{3u} (2)$$

Thus  $D_{2h}$  leads to g and u branching of the  $D_2$  symmetry modes. However, the stable boat structure of ET has  $C_2$  symmetry, leading to the mode distribution

$$\Gamma(C_2) = 37A + 35B \tag{3}$$

Consequently, some modes become both infrared and Raman active. Table 4 shows that this is consistent with data of Kozlov et al.<sup>9</sup> The twofold axis of  $B_3$  symmetry of the planar molecule and  $C_2$  axis of the boat molecule are perpendicular to the central plane of the molecule. The reduction of symmetry is as follows:

$$12A_g + 7A_u + 11B_{3g} + 7B_{3u} \rightarrow 19A + 18B_3 \rightarrow 37A$$
 (4a)

anc

$$11B_{1u} + 6B_{1g} + 11B_{2u} + 7B_{2g} \rightarrow 17B_1 + 18B_2 \rightarrow 35B$$
(4b)

Table 4 shows all calculated frequencies plus available experimental frequencies for neutral ET. Calculated Raman and IR intensities are also given for all the vibrational modes. We used the symmetry of the modes for assigning experimental frequencies to the HF modes. The calculated IR and Raman intensities are in good agreement with experimental intensities.

 $\mathrm{ET^+}$  molecules in planar ( $D_2$  symmetry), leading to the distribution of fundamental mode in eq 1. Table 5 shows all the vibrational modes of  $\mathrm{ET^+}$  compared to the available experimental frequencies.

# 3. The Force Field

The ET molecules appear to be distorted in the crystal structures, removing all symmetry. The assignment of frequen-

cies for ET and ET<sup>+</sup> molecules by Kozlov et al.  $^{9,10}$  assumed  $D_{2h}$  symmetry. We used the optimized HF geometries of the neutral and cation ET to develop the force fields. Neutral ET has  $C_2$  symmetry and cation ET has  $D_2$  symmetry. The optimized geometric parameters (distances, angles, dihedrals) for the neutral and cation ET molecules are given in Table 1. These structures are used in optimizing the force field (FF). (For the neutral molecule, the optimized HF structure is minimized to reduce the total force by using FF. The rms difference between HF and minimized structure (FF) are 0.002 Å for bonds, 0.680° for angles). We calculated the Hessian (second derivative of energy with respect to the 3N coordinates) at the HF optimized geometry. This Hessian was used to develop the force field by using Hessian-biased (HBFF) approach.  $^{14}$ 

The potential energy of the molecule is

$$E = \sum_{\text{bonds}} E_{\text{b}} + \sum_{\text{angles}} E_{\text{a}} + \sum_{\text{torsions}} E_{\text{t}} + \sum_{\text{inversions}} E_{\text{i}} + \sum_{\text{cross}} E_{\text{X}} + \sum_{\text{charges}} E_{\text{Q}}$$
(5)

where the terms are defined below. This type of FF is denoted MSX to indicate that it is optimized for materials simulations and contains limited cross terms. Very often in fitting a FF to vibrational spectra, only valence force terms are used. We also include vdW and electrostatic parameters because we want to use the FF to predict the structures in crystal, where nonbonded interactions are critical.

In the HBFF approach, the potential energy is expressed as a sum of valence, nonbonded interactions. We optimize the force field terms by fitting the experimental frequencies and the calculated geometries.

- **3.1. Valence Interactions.** We used the following valence terms:
  - (i) the harmonic bond stretch

$$E_{\rm b}(R) = \frac{1}{2} k_{\rm b} (R - R_{\rm b})^2 \tag{6}$$

where  $R_b$  is the equilibrium bond distance and  $k_b$  is the force constant.

(ii) the harmonic angle bend

$$E_{\mathbf{a}}(\theta) = \frac{1}{2} k_{\theta} (\theta - \theta_0)^2 \tag{7}$$

where  $\theta_0$  is the equilibrium angle and  $k_\theta$  is the force constant. (iii) angle-stretch cross terms

$$E_{ab} = k_{R\theta}(\theta - \theta_0)(R - R_b) \tag{8}$$

where  $k_{R\theta}$  is the force constant.

(iv) stretch-stretch cross terms

$$E_{\rm bb} = k_{RR'}(R - R_{\rm b})(R' - R'_{\rm b}) \tag{9}$$

where  $k_{RR'}$  is the force constant for the bonds  $R_b$  and  $R'_b$  that share a common atom.

(v) the torsional potential

$$E_{t}(\phi) = V_{0} + V_{1} \cos \phi + V_{2} \cos 2\phi + V_{3} \cos 3\phi$$
 (10)

where  $V_i$  is in kcal/mol and the angle  $\phi$  is defined as the angle between the *JKL* plane and the *IJK* plane of the way two bonds *IJ* and *KL* attached to a common bond *JK*.

(vi) the inversion potential

$$E_i(\omega) = K_{\omega}(1 - \cos \omega) \tag{11}$$

with a minimum for planar structure ( $\phi_0 = 0^\circ$ ).  $\omega$  is the angle between the *IL* axis and the *IJK* plane for an atom I with exactly three bonds *IJ*, *IK*, and *IL*.

**3.2. Charges.** Partial atomic charges for the various atoms were obtained using the potential derived charge method (PDQ). The electron density from Hartree—Fock wavefunction is used to calculate the electrostatic potential around the molecule. Then, a set of atomic point charges is obtained that reproduces the ab initio electrostatic potential and dipole and quadrupole moments. Table 2 shows the atomic charges for the neutral and cation molecules.

We write total electrostatic energy as

$$E_{\text{Coulomb}} = C_0 \sum_{ij} \frac{Q_i Q_j}{\epsilon R_{ij}}$$
 (12)

where  $\epsilon$  is the dielectric constant,  $R_{ij}$  is the distance in Å, and the conversion factor  $C_0 = 332.0637$  puts the energy in kcal/mol. We take  $\epsilon = 1$  (i.e., vacuum).

**3.3.** van der Waals Parameters. We used the van der Waals parameters<sup>16</sup> previously determined from empirical fits to lattice parameters. The exponential-6 potential is used for van der Waals interactions:

$$E_{\text{vdW}} = D_{\text{v}} \left[ \left( \frac{6}{\xi - 6} \right) e^{\xi (1 - (R/R_{\text{v}}))} - \left( \frac{\xi}{\xi - 6} \right) \left( \frac{R_{\text{v}}}{R} \right)^{6} \right] \quad (13)$$

Table 3 gives the bond strength (well depth)  $D_v$  (in kcal/mol) and the bond length  $R_v$  (in Å) and  $\zeta$  are given for C, S, and H.

The electrostatic and van der Waals interactions are excluded for 1-2, 1-3, and 1-4 interactions since they are considered to be already included in the bond stretch, angle bend, and torsion terms.

### 4. Hessian-Biased Method<sup>14</sup>

The potential energy is expanded around the equilibrium geometry.

$$E = E_0 + \sum_{i=1}^{3N} \left( \frac{\partial E}{\partial R_i} \right) (\delta R_i) + \frac{1}{2} \sum_{i,j=1}^{3N} \left( \frac{\partial^2 E}{\partial R_i \partial R_j} \right) (\delta R_i) (\delta R_j) + \dots$$
(14)

where

$$F_i = -(\partial E/\partial R_i) \tag{15}$$

is the force on the ith component and

$$H_{ij} = \partial^2 E / \partial R_i \, \partial R_j \tag{16a}$$

is the Hessian. Using the mass weighting

$$\bar{H}_{ij} = H_{ij} (M_i M_j)^{-1/2}$$
 (16b)

and diagonalizing (16b) leads to

$$\bar{H}\mathbf{U} = \mathbf{U}\lambda \tag{17}$$

where diagonal  $\lambda$  contains the 3N vibrational frequencies

$$\lambda_i = (108.5913\nu_i)^2$$

TABLE 2: Calculated Charges by Using Potential Derived Charge Method<sup>15</sup> (See Figure 1 for Notation)

	no. of cases	neutral	cation
$C_R$	2	-0.0200	-0.0220
$S_R$	4	-0.0260	0.1390
$C_2$	4	0.0265	0.0240
$S_{32}$	4	-0.0955	-0.0230
$C_3$	4	-0.1770	-0.2420
$H_{i}$	4	0.1885	0.2440
$H_{o}$	4	0.0935	0.1200
net charge		0.0	1.0

six of which have  $\lambda_i = 0$  (here 108.5913 converts units so that energies are in kcal/mol, distances in Å, masses in amu, and  $\nu_i$  in cm<sup>-1</sup>).

In the Hessian-biased method, the theoretical Hessian ( $H_t$ ) is biased with the experimental frequencies. From (17) the theoretical Hessian can be written

$$\bar{H}_{t} = \mathbf{U}_{t} \lambda_{t} \mathbf{U}_{t}^{\mathrm{T}} \tag{18}$$

where  $\mathbf{U}_t^T$  is the transpose of  $\mathbf{U}_t$ . We then replace  $\lambda_t$  with the experimental value  $\lambda_x$ . This leads to the *experimental biased Hessian* defined as

$$\bar{H}_{xt} = \mathbf{U}_t \lambda_x \mathbf{U}_t^{\mathrm{T}} \tag{19a}$$

The biased Hessian has the property that

$$\bar{H}_{xt}\mathbf{U}_{t} = \mathbf{U}_{t}\lambda_{x} \tag{19b}$$

That is, it leads to the theoretical modes ( $\mathbf{U}_t$ ) and the experimental frequencies ( $\lambda_x$ ). If the  $\lambda_x$  is not available from experiment, it can be approximated from the theory by using appropriate scaling rules.

We optimized the force field parameters to obtain the best fit to  $H_{\rm xt}$  while leading to correct (theoretical) equilibrium geometry. The van der Waals parameters and charges were fixed during optimization of the valence parameters. The charges (Table 2) were based on potential derived charges (PDQ) by using quantum mechanical potentials and the vdW parameters (Table 3) were from previous fits to various crystals. The final force field parameters for the neutral and cation ET are shown in the first two columns of Table 3.

Calculated frequencies for ET and ET<sup>+</sup> are compared with the available experimental frequencies (Kozlov et al.  $^{9,10}$ ) in Tables 4 and 5. The average absolute error between theory and experiment is  $\sim\!13~{\rm cm}^{-1}$  for ET and  $\sim\!16~{\rm cm}^{-1}$  for ET<sup>+</sup>. Applying the MSX force field to planar neutral BEDT-TTF ( $D_2$  symmetry) led to two imaginary frequencies, which is consistent with the quantum mechanical results.  $^8$ 

### 5. Discussion

The best organic superconductors involve ET molecules. Isotopic shift experiments show that the mechanism for superconductivity in these materials must involve electron—phonon interactions.<sup>8</sup> In order to understand the mechanism of the superconductivity in these materials, we need to know the character of the phonon modes for the molecular crystals containing ET molecules. This requires a full characterization of the structures and vibrations of ET and ET<sup>+</sup>. To provide this characterization, we performed quantum mechanical calculations determining the optimum structures for ET and ET<sup>+</sup>. These results clarified the stable conformations of ET molecules and their symmetries and give vibrational frequencies (Table 4) consistent with the experiment. On the basis of the quantum mechanical results, we obtained MSX force field which accurately describes the vibrational spectrum. This force field

TABLE 3: Force-Field Parameters Used in This Calculation<sup>a</sup>

		vdW params <sup>16</sup>					
Н	$egin{array}{c} R_0 \ D_0 \ \zeta \ R_0 \ D_0 \end{array}$	0 1 3	.19500 .01520 2.38200 .89830 .09510	S	$egin{array}{c} \zeta \ R_0 \ D_0 \ \zeta \end{array}$	40	4.03400 1.03000 0.34400 2.00000
bond stretch		neutral	cation	bond stretch		neutral	cation
C <sub>3</sub> -H	$R_{\rm b}$	1.084	1.081	S <sub>32</sub> -C <sub>3</sub>	$R_{\rm b}$	1.821	1.825
	$k_{ m b}$	636.386	636.530		$k_{ m b}$	312.535	304.720
$C_3-C_3$	$R_{ m b}$	1.526	1.523	$S_{32}-C_2$	$R_{ m b}$	1.827	1.766
0 0	$k_{\rm b}$	613.257	606.042	C C	$k_{\rm b}$	361.172	479.499
$C_2-C_2$	$R_{\rm b}$	1.300	1.329	$S_R-C_2$	$R_{\rm b}$	1.788	1.753 674.396
$C_R-C_R$	$rac{k_{ m b}}{R_{ m b}}$	1280.633 1.319	1073.148 1.399	$S_R-C_R$	$rac{k_{ m b}}{R_{ m b}}$	836.525 1.736	1.721
$C_R - C_R$	$k_{\rm b}$	1120.168	995.272	$S_R$ - $C_R$	$k_{\rm b}$	483.850	547.649
angle bend	κ <sub>b</sub>	neutral	cation	angle bend	κ <sub>b</sub>	neutral	cation
				angle bend			
$H-C_3-H$	$\theta_0$	109.12	108.65	9 0 9	$k_{\theta}$	130.018	233.544
CCU	$k_{ heta}$	92.818	72.886	$S_R-C_2-S_{32}$	$\theta_0$	108.09 89.224	114.96
$C_3-C_3-H$	$ heta_0 \ k_ heta$	110.79 80.057	110.38 109.365	$S_R-C_R-C_R$	$egin{array}{c} k_{ heta} \  heta_0 \end{array}$	89.224 130.18	90.533 121.61
$S_{32}-C_3-H$	$\overset{\kappa_{ heta}}{ heta_0}$	107.44	105.85	$S_R \subset_R \subset_R$	$k_{ heta}$	98.621	121.01
532 63 11	$k_{ heta}$	74.392	60.653	$S_R-C_R-S_R$	$ heta_0$	128.78	116.13
$S_{32}-C_3-C_3$	$\theta_0$	114.35	113.57		$k_{\theta}$	154.837	148.992
32 3 3	$k_{ heta}$	193.274	364.201	$C_2 - S_{32} - C_3$	$ heta_0$	100.03	100.67
$S_{32}-C_2-C_2$	$ heta_0$	121.64	127.48		$k_0$	198.691	191.985
	$k_{ heta}$	96.121	77.349	$C_R-S_R-C_2$	$ heta_0$	98.32	96.85
$S_R-C_2-C_2$	$\theta_0$	113.62	115.72		$k_{\theta}$	250.173	322.658
ngle cross terms		neutral	cation	angle cross terms		neutral	cation
$H-C_3-H$	$k_{R_1\theta}$	-75.260	-27.305		$k_{R_1R_2}$	408.025	264.133
	$k_{R_2\theta}$	-75.260	-27.305	$S_R - C_2 - S_{32}$	$k_{R_1\theta}$	54.907	35.455
C C II	$k_{R_1R_2}$	-38.305	-22.977		$k_{R_2\theta}$	113.414	135.25
$C_3-C_3-H$	$k_{R_1\theta}$	7.847 3.295	6.245 86.784	$S_R-C_R-C_R$	$k_{R_1R_2}$	86.875 40.592	91.696 69.328
	$k_{R_2 heta} \ k_{R_1R_2}$	1.546	-0.226	$S_R \subset_R \subset_R$	$k_{R_1 heta}\ k_{R_2 heta}$	36.508	104.72
$S_{32}-C_3-H$	$k_{R_1\theta}$	48.635	39.139		$k_{R_1R_2}$	63.775	29.613
232 23 11	$k_{R_2\theta}$	18.933	-10.670	$S_R-C_R-S_R$	$k_{R_1\theta}$	79.702	126.99
	$k_{R_1R_2}$	-13.325	-0.371	- K - K - K	$k_{R_2\theta}$	79.702	126.99
$S_{32}-C_3-C_3$	$k_{R_1\theta}$	-0.964	-6.689		$k_{R_1R_2}$	60.025	19.556
	$k_{R_2 heta}$	-4.778	68.070	$C_2 - C_{32} - C_3$	$k_{R_1\theta}$	49.887	148.98
	$k_{R_1R_2}$	20.436	34.745		$k_{R_2 heta}$	46.465	33.800
$S_{32}-C_2-C_2$	$k_{R_1 heta}$	96.007	119.264		$k_{R_1R_2}$	-11.975	-69.19
	$k_{R_2\theta}$	-47.517	-31.109	$C_R-S_R-C_2$	$k_{R_1\theta}$	52.029	124.51
S _C _ C	$k_{R_1R_2}$	10.424	-2.801 $162.888$		$k_{R_2\theta}$	59.718	43.796
$S_R-C_2-C_2$	$k_{R_1 heta} \ k_{R_2 heta}$	178.792 81.403	82.593		$k_{R_1R_2}$	10.704	25.593
torsion terms		neutral	cation	torsion terms		neutral	cation
$H-C_3-C_3-H$	$V_3$	5.958	7.164	$C_3-C_{32}-C_2-S_R$	$V_2$	-0.020	0.170
$S_{32}-C_3-C_3-H$	$V_3$	19.558	9.641	$C_R-S_R-C_2-C_2$	$V_2$	2.764	-3.14
$S_{32}-C_3-C_3-S_{32}$	$V_3$	-73.125	-57.046	$C_R - S_R - C_2 - S_{32}$	$V_2$	-0.774	-4.45
$S_{32}-C_2-C_2-S_{32}$	$V_2$	-25.759	-3.196	a.a. a. a	$V_3$	1.845	0.000
$S_R - C_2 - C_2 - S_{32}$	$V_2$	10.814	-13.975	$C_2S_R-C_R-C_R$	$V_1$	6.756	12.840
$S_R-C_2-C_2-S_R$	$V_2$	-44.726	0.876		$V_2$	0.844	0.263
$S_R - C_R - C_R - S_R$ $C_2 - S_{32} - C_3 - H$	$V_2$	-19.943 1.531	-0.217 $0.684$	$C_2-S_R-C_R-S_R$	$V_3 \ V_2$	-0.350 1.175	0.000 $-1.39$
$C_2 - S_{32} - C_3 - H$ $C_2 - S_{32} - C_3 - C_3$	$V_3 \ V_3$	-2.586	-2.605	$C_2 - S_R - C_R - S_R$	$V_2 V_3$	2.127	0.000
$C_3 - S_{32} - C_3 - C_3$ $C_3 - S_{32} - C_2 - C_2$	$V_2$	0.720	1.825		٧3	2.12/	0.000
inversion constant	$(K_{\omega})$	neutral	cation	inversion constant	$(K_{\omega})$	neutral	cation
\ -/		5 720	4.017	C C C	1	10.712	16 120
$C_2 - S_R - S_{32} - C_{33}$	2	5.738	4.917	$C_R - S_R - S_R - C$	R	10.713	16.128

<sup>&</sup>lt;sup>a</sup> Units are kcal/mol for energies, Å for length, and degrees for angles. Angular force constants use radians.

can be used in molecular dynamic simulations for crystals containing ET and ET<sup>+</sup>. This should be useful in explaining the superconductivity of these systems.

We find that some vibrational modes of staggered ET molecule ( $C_2$  symmetry) allow both IR and Raman activities. This allows the electrons coupling several vibrational modes which would be forbidden for planar donor molecules which

are more symmetric ( $D_2$  symmetry). This may be important in the superconducting properties.

# 6. Summary

We developed the MSX force fields for the neutral and cation ET molecules including both valence and nonbonded interactions. The Hessian-biased approach is used to obtain a force

TABLE 4: Calculated (HF) and Experimental Frequencies and Raman and Infrared (IR) Intensities for ET<sup>a</sup>

		HF						
		intensity				riment		
sym	modes	$\nu_i$	IR	Raman	IR	Raman	MSX	erro
A	C-H str	3302	11.60	71.75	2050 h		2957.9	0
В	C-H str C-H str	3302	3.28 0.01	51.36 256.30	$2958 \text{ w}^b$		2957.9 2915.0	0
A B	C-H str	3290 3290	0.01	9.60			2915.0	
A	C-H str	3237	0.37	606.22			2958.3	
3	C-H str	3237	79.71	4.30	2958 w		2958.3	0
À	C-H str	3229	10.24	161.39	2930 W		2909.8	U
3	C-H str	3228	2.68	6.80		2916 w	2909.8	6
Ā	C=C str	1815	0.57	354.11		1552 m	1546.9	5
3	C=C str	1790	1.48	0.26	1505 w	1511 m	1519.5	9
Ā	C=C str	1772	0.35	509.60	1505 11	1494 s	1490.0	4
A	CH <sub>2</sub> bend	1608	3.02	10.70			1424.3	
В	CH <sub>2</sub> bend	1608	1.11	14.73	1420 w		1424.3	4
A	CH <sub>2</sub> bend	1594	11.27	9.51		1406 m	1401.4	5
В	CH <sub>2</sub> bend	1594	4.86	32.12	1409 vw		1401.4	8
A	CH <sub>2</sub> wag	1466	2.41	0.93		1285 vw	1295.0	10
В	CH <sub>2</sub> wag	1466	63.72	1.71	1282 m		1295.0	13
A	CH <sub>2</sub> wag	1434	5.66	1.19	1259 w		1247.4	12
3	CH <sub>2</sub> wag	1434	0.90	0.57	1253 vw	1256 vw	1247.4	9
A	CH <sub>2</sub> twist	1321	0.27	15.70			1164.2	
3	CH <sub>2</sub> twist	1321	0.06	2.33	1173 vw	1175 vw	1164.2	11
A	CH <sub>2</sub> twist	1260	2.48	0.29	1132 sh	1132 vw	1127.4	5
3	CH <sub>2</sub> twist	1260	2.44	14.41	1125 w	1126 vw	1127.4	2
A	ring def (IP) $^c$	1131	0.21	0.34		1016 vw	1029.5	13
В	ring def (IP)	1128	7.06	0.02			1013.0	
A	ring def (IP)	1125	0.01	0.59			1009.3	
В	C-C str	1093	0.03	0.61	996 w	1002 w	998.6	3
A	C-C str	1093	0.01	7.15	987 w	990 w	998.6	9
A	CH <sub>2</sub> rock	1033	1.64	7.62			948.1	
В	CH <sub>2</sub> rock	1033	22.58	5.39	938 vw		948.1	10
3	CH <sub>2</sub> wag	996	12.99	1.83	917 s		915.5	1
A	CH <sub>2</sub> wag	990	5.72	0.04	00.7	919 vw	915.5	3
3	ring def (IP)	967	28.10	0.77	905 m	011	900.0	5
A	ring def (IP)	967	3.50	1.81	000	911 vw	899.6	11
В	ring def (IP)	951	2.29	0.28	890 m	888 vw	854.1	36
B*	ring def (IP)	847	12.03	0.13	875 vw	875 w	758.6	16
3	ring def (IP)	846	42.37	0.02	772 s	765 w	761.6	10
A.	ring def (IP)	842 759	0.17 0.10	1.96 15.90	860 vw	860 vw 687 w	824.4 726.8	36 40
A B	CH <sub>2</sub> rock	759 759	2.47	1.86	687 w	067 W	726.8 724.9	
A	CH <sub>2</sub> rock CH <sub>2</sub> rock	716	0.02	44.08	067 W	653 m	629.9	38 23
ъ. В	CH <sub>2</sub> rock	716	6.70	0.62	653 w	055 III	628.9	23
В	ring def (OP) <sup>d</sup>	623	4.54	11.88	033 W		724.9	24
В	ring def (OP)	606	0.06	4.15			453.3	
A	ring def (OP)	605	0.05	0.92			449.6	
A	ring def (OP)	539	1.50	15.60		486 m	502.3	16
B	ring def (IP)	511	1.50	0.86	499 m	400 III	481.3	18
A	ring def (IP)	510	0.03	1.73	477 III	625 w	668.6	44
В	ring def (IP)	496	6.24	0.43	624 w	023 W	667.8	44
A	ring def (IP)	483	0.01	14.54	450 w	440 m	446.0	6
3	ring def (IP)	425	6.63	1.16	390 m	440 m	389.3	1
3	ring def (IP)	394	0.04	0.80	370 III	334 m	361.6	28
Ā	ring def (IP)	393	0.02	0.10	335 m	33 ( 111	373.4	38
Ā	ring def (IP)	383	0.09	8.42	333 III	348 w	347.3	1
Å	ring def (OP)	356	1.02	4.00		308 w	303.0	5
3	ring def (OP)	327	3.16	0.17	278 m	272 vw	288.1	10
Ā	ring def (OP)	315	0.04	2.72	270 m	272 ***	361.9	10
3	ring def (OP)	309	0.28	0.05			269.8	
Ā	ring def (OP)	300	0.04	0.20			261.4	
3	ring def (IP)	286	3.72	0.02	257 m	260 w	264.9	8
Á	ring def (OP)	270	0.01	0.75	-27	_50	177.1	O
3	ring def (OP)	262	4.45	0.61			177.0	
Ā	ring def (OP)	206	0.01	0.72		159 s	183.5	25
À	ring def (IP)	173	0.03	14.86		151 s	153.6	3
Ā	ring def (OP)	130	0.03	0.18		127 vw	127.0	0
3	ring def (OP)	129	0.00	0.28			62.2	O
3	ring def (IP)	60	1.14	0.87	96 m		98.1	2
Ā	ring def (OP)	53	0.16	0.19	. *		53.1	_
3	ring def (OP)	44	2.71	0.37			46.7	
Ā	ring def (OP)	42	7.24	0.26			45.2	
3	ring def (OP)	38	0.26	0.63	30 w	31 vs	36.9	7
Ā	ring def (OP)	20	2.21	1.28			15.7	•
				1.20				

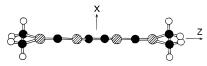
 $<sup>^</sup>a$  The frequencies are in cm $^{-1}$ , IR intensities are in km/mol (1 km/mol = 0.0236 66 D $^2$  Å $^{-2}$  amu $^{-1}$ ), Raman intensities are in Å $^4$ /amu. We used the italic ones (the assignments of Kozlov $^9$ ) for the error calculations for the modes which appears both in IR and Raman spectra.  $^b$  Relative intensities: vs, very strong; s, strong; m, medium; w, weak; vw, very wak; sh, shoulder; br, broad.  $^c$  In-plane ring deformation mode.  $^d$  Out-of-plane ring deformation mode.

TABLE 5: Calculated and Experimental Frequencies and Raman and Infrared (IR) Intensities for  $ET^{+a}$ 

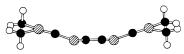
			HF · .	••	avnariment			
av.ma	d			IR Raman		IR Raman		
sym	modes	$\nu_i$				Kaman	MSX	erro
3 2	C-H str C-H str	3316 3316	1.41 0.21	90.73 86.51	$2936 \text{ w}^b$		2935.9 2935.9	C
)2 1	C-H str	3305	0.00	251.75			2935.9	
1	C-H str	3305	2.13	0.57	2914 vw		2916.5	2
1	C-H str	3248	0.00	1086.34	2,1		2871.1	-
1	C-H str	3248	24.15	1.76		2847 vw?	2871.1	
2	C-H str	3242	0.29	13.57	2883 w		2857.5	25
3	C-H str	3242	5.22	179.42			2857.5	
	C=C str	1697	0.00	60707.55		1455 m	1496.0	4
1	C=C str	1620	3060.40	1.32	1445 w		1457.7	13
	CH <sub>2</sub> bend	1601	0.00	24.83	1.400 1		1422.2	
1	CH <sub>2</sub> bend	1601 1594	5.04	4.97 6.92	1422 sh 1411 s		1422.2 1416.4	(
3	CH <sub>2</sub> bend CH <sub>2</sub> bend	1594	23.93 4.55	56.09	1411 8		1416.4	
2	C=C str	1565	0.00	34573.66		1431 vs	1385.1	4
	CH <sub>2</sub> wag	1469	0.00	279.93		1294 vw	1285.5	7
1	CH <sub>2</sub> wag CH <sub>2</sub> wag	1467	209.74	1.47	1283 m	12)4 VW	1485.3	:
3	CH <sub>2</sub> wag	1435	7.32	3.71	1200 m	1274 vw	1263.6	10
2	CH <sub>2</sub> wag	1435	0.00	0.72	1277 sh	127	1263.6	1.
~	CH <sub>2</sub> twist	1325	0.00	16.62			1173.5	
1	CH <sub>2</sub> twist	1325	1.47	2.08	1180 w?		1173.5	
3	CH <sub>2</sub> twist	1264	1.38	1.56	1125 sh?		1135.0	
2	CH <sub>2</sub> twist	1264	2.21	18.511		1120 w	1135.0	1:
3	ring def (IP) <sup>c</sup>	1171	0.25	623.99		1056 w	1059.4	
2	ring def (IP)	1141	16.86	0.06	1024 w		1026.3	:
3	ring def (IP)	1138	0.10	5.88			1025.6	
	C-C str.	1093	0.00	31.22		976 mw	991.2	1.
1	C-C str	1093	0.30	0.61	1010 vw		991.2	19
	CH <sub>2</sub> rock	1029	0.00	247.37		931 vw ?	952.3	
1	CH <sub>2</sub> rock	1029	5.24	5.10	015		936.4	2
2	CH <sub>2</sub> wag	997	0.04	2.42	915 w		935.7	2
3	CH <sub>2</sub> wag	991 969	8.04 4.06	0.00 74.29	900 w		887.1 895.7	4
2	ring def (IP) ring def (IP)	963	0.00	7905.13	900 W	905 w	885.0	20
1	ring def (IP)	927	5.84	225.12		903 W	950.9	۷.
1	ring def (IP)	881	5.86	956.10	812 w		826.0	14
2	ring def (IP)	857	6.11	0.09	886 w,br		841.1	4:
3	ring def (IP)	853	0.29	3.72	000 w,b1		839.3	7.
3	CH <sub>2</sub> rock	749	0.00	13.32			691.6	
2	CH <sub>2</sub> rock	749	4.23	2.77	640 vw		691.6	5
	CH <sub>2</sub> rock	707	0.00	339.78			686.4	
1	CH <sub>2</sub> rock	706	36.60	0.04	672 vw		684.9	13
1	ring def $(OP)^d$	610	0.01	3.23			636.0	
-2	ring def (OP)	607	0.00	14.03			636.0	
2	ring def (OP)	596	0.02	6.19			581.2	
	ring def (IP)	570	0.00	5148.20		511 mw	512.9	2
3	ring def (IP)	514	0.35	0.04			487.1	
2	ring def (IP)	512	2.91	1.11	502		476.5	
1	ring def (IP)	504	605.79	0.00	503 w	400	512.0	2
	ring def (IP)	492 438	0.00 3.85	2986.58 0.05	406 w	489 m	453.9 397.6	3:
1 2	ring def (IP) ring def (IP)	438 392	3.85 0.49	0.05	400 W		397.6 344.6	
2	ring def (IP)	392	0.49	4.84	357 vw	355 vw	387.0	3:
3	ring def (IP)	371	0.00	93.14	337 vw 335 w	333 UW	349.14	1
3	ring def (OP)	357	1.70	0.21	333 W		340.3	1.
	ring def (IP)	348	0.00	4.39		320 w	335.2	1:
1	ring def (IP)	328	21.53	0.04		- * **	339.7	1.
2	ring def (OP)	309	0.52	3.25	265 w		272.7	
2	ring def (IP)	295	4.79	0.01			335.2	
3	ring def (OP)	294	0.07	0.32			282.2	
	CH <sub>2</sub> wag	294	0.00	0.32			234.0	
1	CH <sub>2</sub> wag	283	0.00	0.07			219.5	
3	ring def (IP)	187	0.01	3.46			179.8	
	ring def (IP)	175	0.00	185.20		169 w	162.8	
	ring def (OP)	120	0.00	6.81			83.6	
1	ring def (OP)	120	0.48	0.57			83.1	
2	ring def (OP)	86	0.07	16.63			70.3	
2	ring def (IP)	61	0.16	0.00			53.6	
3	ring def (OP)	49	8.93	0.29			46.1	
32	ring def (OP)	43 36	0.02 0.00	0.17 0.00			34.4 19.8	
		10	0.00	0.00			19 X	
3	ring def (OP) ring def (OP)	28	2.04	0.02			8.4	

 $^a$  The frequencies are in cm $^{-1}$ , IR intensities are in km/mol (1 km/mol = 0.0236 66 D $^2$  Å $^{-2}$  amu $^{-1}$ ) 42.2547, Raman intensities are in Å $^4$ /amu. We used the italic ones (the assignments of Kozlov $^{10}$ ) for the error calculations for the modes which appears both in IR and Raman spectra. ?: These experimentally uncertain modes are not included in error calculations. $^{10}$   $^b$  Relative intensities: vs, very strong; s, strong; m, medium; w, weak; vw, very weak; sh, shoulder; br, broad.  $^c$  In-plane ring deformation mode.  $^d$  Out-of-plane ring deformation mode.

# (a) PLANAR ET (D, SYMMETRY)



# (b) BOAT ET (C2 SYMMETRY)



**Figure 2.** Side view for optimum structures (a) ET<sup>+</sup> and (b) ET. Here C is a solid circle, S is a cross-hatched circle, and H is an open circle.

field which reproduces experimental frequencies for the neutral and cation ET while retaining the correct structural and vibrational characteristics for the models. The calculated frequencies are in good agreement with the available experimental frequencies for the neutral and cation ET molecules. This should be useful in characterizing the superconductors.

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