

ERRATUM: Ising Model Susceptibility

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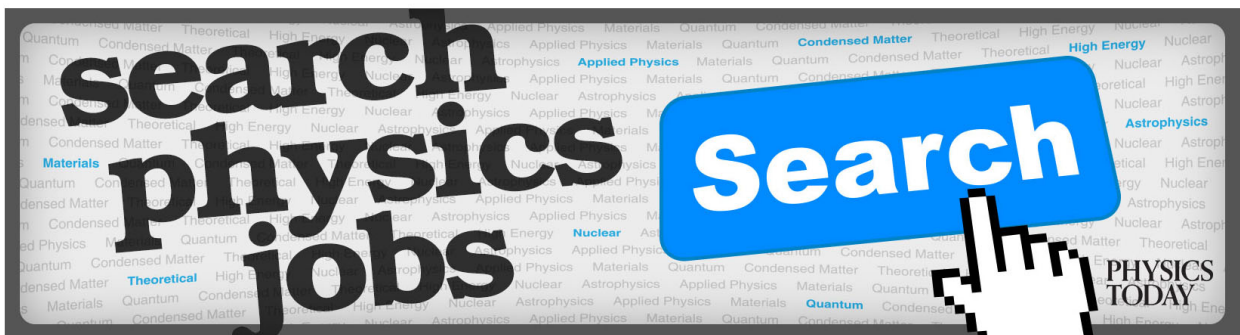
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different way later on. For not too thin strips, the total transition time θ is much larger than the time required for the transition in the half-space to reach the same distance. Thus, it is dangerous to try to estimate θ by extrapolating the analytical solution valid for small times and small distances as far as $z = w$. If with a given external field one increases the width of the strip, keeping all other parameters constant, the transition time increases very rapidly when the width reaches a certain critical range (Fig. 8). With a stronger external field, the same phenomenon is observed but for much wider strips (Fig. 9).

All interface curves calculated numerically for the strip seem to intersect the center line $x = a$ of the strip under a right angle. This seems to confirm the prediction, made under Sec. II.2., that $\xi(t) \rightarrow \infty$ as $\xi \rightarrow a$.

Notice that this prediction was based upon relation (29), which in turn depends on assumption (28). One could think that, in using (29b) to determine l_n , according to Sec. III.3., one forces the numerical interface curves to become flat in the last step only. This is not the case; the numerical curves begin to flatten out well before reaching the grid-point (x_{n-1}, t_{n-1}) , that is while the solution is still calculated according to the general procedure described in Sec. III.2.

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ERRATUM: Ising Model and Excluded Volume Problem

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Page 61. In the expansion for $C(x)$ for the simple cubic lattice the last term should read $+ 41\,934\,150x^{11}$.

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Page 67. In the expansion for the reduced susceptibility of the simple cubic lattice the last two terms should read $+ 8\,306\,862w^{10} + 38\,975\,286w^{11}$.