

See discussions, stats, and author profiles for this publication at:  
<https://www.researchgate.net/publication/237012410>

# The Millimeter Wave Rotational Spectrum of N-Cyanomethanimine, CH<sub>2</sub>NCN

ARTICLE *in* JOURNAL OF MOLECULAR SPECTROSCOPY · MAY 1984

Impact Factor: 1.48 · DOI: 10.1016/0022-2852(84)90111-5

---

CITATIONS

18

---

READS

19

3 AUTHORS, INCLUDING:



Curt Wentrup

University of Queensland

576 PUBLICATIONS 6,481

CITATIONS

SEE PROFILE

## The Millimeter Wave Rotational Spectrum of *N*-Cyanomethanimine, $\text{CH}_2\text{NCN}$

MANFRED WINNEWISSER AND BRENDA P. WINNEWISSER

*Physikalisch-Chemisches Institut, Justus-Liebig-Universität, Giessen,  
Heinrich-Buff-Ring 58, 6300 Giessen, West Germany*

AND

CURT WENTRUP

*Fachbereich Chemie, Philipps-Universität, Marburg, West Germany*

The rotational spectrum of the short-lived species *N*-cyanomethanimine,  $\text{CH}_2\text{NCN}$ , has been measured in the frequency range 100–250 GHz. The observed transitions allow the determination of the rotational and centrifugal distortion constants and the nitrogen quadrupole coupling constants for both nitrogen nuclei. The *N*-cyanomethanimine spectrum was measured directly in the products of the pyrolysis of trimethylenetetrazole. The rotational constants obtained are  $A = 63\,372.995(11)$  MHz,  $B = 5\,449.347\,90(28)$  MHz, and  $C = 5\,009.559\,86(29)$  MHz; the quadrupole coupling constants are  $\chi_{aa} = 2.057(39)$  MHz and  $\chi_{bb} - \chi_{cc} = -7.205(21)$  MHz for the imine nitrogen, and  $\chi_{aa} = -3.264(33)$  MHz and  $\chi_{bb} - \chi_{cc} = -1.630(18)$  MHz for the cyano-group nitrogen. The accurate constants obtained allow the calculation of the line position and hyperfine structure of any rotational transition appropriate for a radioastronomical search.

### INTRODUCTION

Since HCN is a rather abundant interstellar molecule, there is a growing interest in the various chemical dimers of HCN, exemplified by the recent *ab initio* study of Dykstra *et al.* (1). None of the dimers of HCN are stable in the laboratory, and only two have been identified so far in the vapor phase; the linear van der Waals dimer (2–4) and *N*-cyanomethanimine,  $\text{H}_2\text{CNCN}$ . The first experimental detection of *N*-cyanomethanimine, by Wentrup (5), was in the products of a gas-phase pyrolysis of trimethylenetetrazole, where mass spectrometry data indicated that one of the products was *N*-cyanomethanimine (5). Meanwhile, this has been confirmed using low-temperature infrared spectroscopy by Wentrup and Lorencak (6). Another pyrolysis precursor, dimethylcyanamide, was shown by Bak *et al.* (7) to also yield *N*-cyanomethanimine. They were able to measure microwave transitions of both normal and deuterated *N*-cyanomethanimine (7, 8), and could thus determine the dipole moment components and a partial substitution structure (8, 9) which agrees rather well with the *ab initio* structure given in (1).

Because of the possible interstellar interest of the molecule, we undertook to extend the measurement of the rotational spectrum into the millimeter wave range and try to find the *b*-type spectrum. Similar studies of the related molecules acrylonitrile

(vinyl cyanide),  $\text{CH}_2\text{CHCN}$  (10), and isocyanoethene (vinyl isocyanide),  $\text{CH}_2\text{CHNC}$  (11), had previously been made in this laboratory, in which both *a*- and *b*-type rotational transitions were measured. At the time our millimeter wave work was begun, Bak and co-workers had been able to identify only *a*-type transitions. Following an exchange of information between the two laboratories, the *b*-type spectrum could be found both in the microwave (9) and millimeter wave regions.

Nuclear quadrupole hyperfine splitting due to both nitrogen nuclei, which contributed to very broad lines in the microwave work, could be resolved in the millimeter wave spectrum. The present report therefore includes the measurement and analysis of the hyperfine structure in the millimeter wave rotational spectrum of *N*-cyanomethanimine.

#### EXPERIMENTAL PROCEDURES

The pyrolysis precursor, trimethylenetetrazole, was prepared as described in Ref. (5). About 100 mg of trimethylenetetrazole was placed in a small Pyrex finger attached to a quartz pyrolysis tube, 2 cm in diameter, which led into the absorption cell of the spectrometer over a pyrex pathway of about 50 cm. The precursor was warmed to 50–70°C, giving a vapor pressure of about 0.5 Pa, and the quartz tube was heated in an oven held at 500°C. The pyrolysis products expanded directly into an absorption cell with a volume of about 20 liters, and were pumped either continuously at a slow rate or intermittently. The half-life of *N*-cyanomethanimine in the cell was approximately 10 min. The strongest lines could be observed on the oscilloscope in the video mode, without signal averaging, at total pressures of 0.1–0.2 Pa. The only other products identified in Ref. (5) were  $\text{N}_2$  and ethylene, as indicated in Fig. 1. Indeed, no absorptions other than those of *N*-cyanomethanimine were observed in the millimeter wave spectrum.

The millimeter wave spectrometer (12, 13) uses harmonic multiplication of microwave klystron radiation to generate millimeter wave power, and a helium-cooled InSb chip as detector. The detector and the sweep stabilization of the free-running klystron are described in Ref. (14). Most of the rotational transitions of *N*-cyanomethanimine were measured with computer averaging of the detected signal in the fast sweep mode, but the eight lines whose hyperfine structures were analyzed in detail were recorded with source modulation and phase stabilization of the klystron as described in Ref. (15). In the latter case the second harmonic of the reference

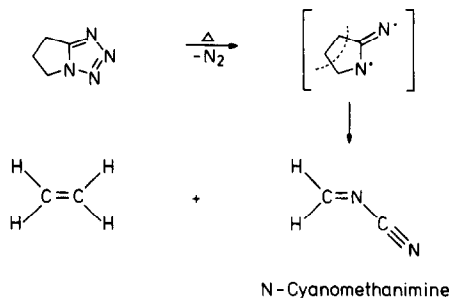


FIG. 1. Reaction scheme for the gas-phase pyrolysis of trimethylenetetrazole at 500°C and 1 Pa (5).

frequency was taken for the phase-sensitive detection, so that a second-derivative line shape was obtained. The modulation frequency was 3.2 kHz.

### ROTATIONAL STRUCTURE

From the low- $J$ ,  $a$ -type lines observed by Bak *et al.* (7), and with centrifugal distortion constants taken from acrylonitrile (10), the  $a$ -type transitions in the frequency range 100–300 GHz were predicted. The typical pattern for  $a$ -type transitions of a slightly asymmetric rotor could then easily be identified. The lines for  $K_a = 3$  to 8 in each  $J$  transition form a bandhead, as shown in Fig. 2 for  $J = 20$ –19. After fitting the first few lines, it was possible to follow the  $a$ -type transitions up to  $J = 25$  and  $K_a = 16$ . Only the highest  $K_a$  lines for  $J = 9$  to 13 showed broadening or splitting due to quadrupole coupling, as is discussed below.

On the basis of the  $a$ -type transitions, a least-squares fit was made to refine those constants which determine the  $a$ -type transition frequencies, and a prediction of the  $b$ -type transitions was made. The  $K_a = 2$  inertial asymmetry splitting gave a good determination of the linear combination  $A - D_K$ , but the distortion constant  $D_K$  remained undetermined. Our predictions for the  $b$ -type transitions were thus uncertain by roughly  $D_K K_a^2$ , and  $D_K$  was expected to be of the order of 2–10 MHz. The region where we sought likely candidates in the  $b$ -type spectrum was sprinkled with  $a$ -type transitions in excited vibrational states which were stronger than the  $b$ -type lines turned out to be. As shown in Ref. (9), the  $b$  component of the dipole moment is only  $\sim 1.5$  Debye, whereas the  $a$  component is 4.6 Debye. In addition, as we soon discovered, the  $b$ -type lines were much more affected by quadrupole splitting than the  $a$ -type lines, reducing their peak intensity and thus making them even more

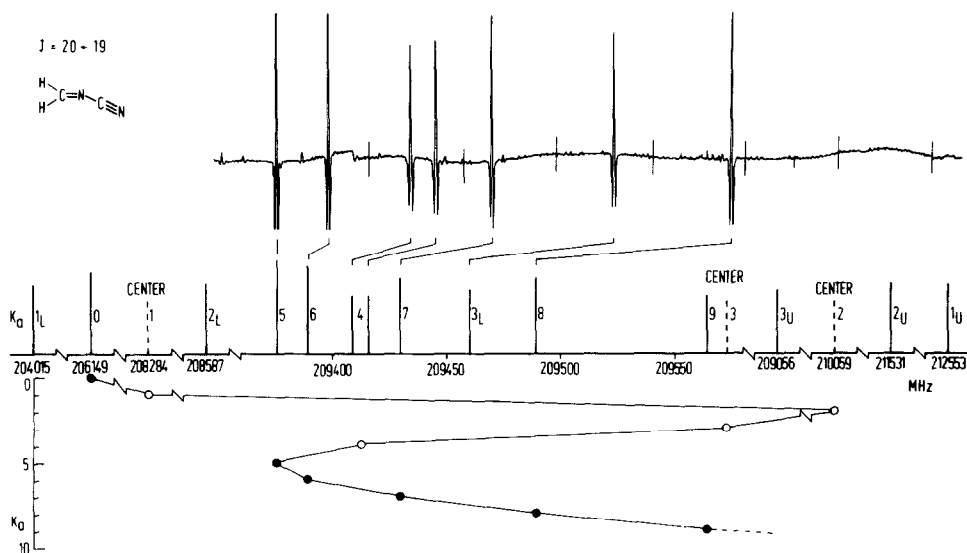


FIG. 2. A typical bandhead in the  $a$ -type spectrum of  $\text{CH}_2\text{NCN}$ . The second derivative of the spectrum was recorded with source modulation in the 6th harmonic of the klystron frequency. The frequency markers are separated by 23.4 MHz.

difficult to find; only later could we use the splitting to confirm assignments. In the microwave region, where the identification of lines is somewhat less difficult than in the millimeter wave region, Bak and Svanholt (9) were able to use constants refined from our data together with a calculated  $D_K$  value to identify eight  $b$ -type lines. On the basis of their assignment we were able to confirm a tentative assignment of the distinctive  ${}^RQ_1$  bandhead at 146 GHz. A Fortrat diagram showing the very similar  ${}^RQ_1$  bandhead of isocyanooethene is given in Ref. (11), Fig. 2. Due to the collapse of the hyperfine pattern at the bandhead, the lines are more intense than other  $b$ -type lines. It was then possible to go on to identify other  $b$ -type lines, including the lower  ${}^RQ_2$  bandhead.

Our initial least-squares fit to the  $a$ - and  $b$ -type transitions together was very unsatisfactory; the large deviations revealed the magnitude of the quadrupole hyperfine structure of most of the  $b$ -type lines. Whereas the  $b$ -type lines of acrylonitrile are only broadened by the hyperfine interaction in the millimeter wave range, the lines of  $N$ -cyanomethanimine are split by as much as 2.5 MHz in this region.

Following the hyperfine analysis discussed in the next section, the calculated hyperfine structure was plotted for all of the lines which had been measured with signal averaging, and a correction was introduced, where necessary, for the deviation between the observed absorption maximum and the unsplit line center.

The list of rotational line centers given in Table I was then fitted to Watson's  $S$ -reduced rotational Hamiltonian (16), extended by two higher-order constants (17) required to fit the very high  $J$  and  $K$  values represented in the data:

$$\begin{aligned}\hat{H}_{\text{rot}} = & 1/2(B + C)\hat{P}^2 + \{A - 1/2(B + C)\}\hat{P}_a^2 - D_J(\hat{P}^2)^2 - D_{JK}\hat{P}^2\hat{P}_a^2 - D_K\hat{P}_a^4 \\ & + \{(B - C)/4 + d_1\hat{P}^2\}(\hat{P}_+^2 + \hat{P}_-^2) + d_2(\hat{P}_+^4 + \hat{P}_-^4) + H_J(\hat{P}^2)^3 \\ & + H_{JK}(\hat{P}^2)^2\hat{P}_a^2 + H_{KJ}\hat{P}^2\hat{P}_a^4 + H_K\hat{P}_a^6 + h_1(\hat{P}^2)^2(\hat{P}_+^2 + \hat{P}_-^2) + h_2\hat{P}^2(\hat{P}_+^4 + \hat{P}_-^4) \\ & + h_3(\hat{P}_+^6 + \hat{P}_-^6) - L_{JK}(\hat{P}^2)^2\hat{P}_a^4 - L_{KJ}\hat{P}^2\hat{P}_a^6. \quad (1)\end{aligned}$$

The operators  $\hat{P}$ ,  $\hat{P}_a$ ,  $\hat{P}_+ = \hat{P}_x + i\hat{P}_y$ , and  $\hat{P}_- = \hat{P}_x - i\hat{P}_y$  are the total angular momentum and its components, respectively, in the principal axis system. The adjusted rotational and centrifugal distortion constants are listed in Table II and compared with those of acrylonitrile. The magnitude of the centrifugal distortion constants indicate that  $N$ -cyanomethanimine is quite rigid. The lines reported by Bak and co-workers (7, 9) were omitted from the fit because of the large deviations found between the observed and calculated values. These deviations are easily explained by the calculated quadrupole splitting, which varies between 0 and 2 MHz among these lines, and by the wall broadening and pressure broadening in a microwave cell at the higher pressures apparently required in the pyrolysis of dimethylcyanamide. For six of the eight  $b$ -type lines reported in Ref. (9), corrections estimated from plotting the hyperfine pattern account for all but ca. 50 kHz of the deviation.

#### QUADRUPOLE HYPERFINE STRUCTURE

The two nitrogen nuclei are labeled N(1) and N(2) in Fig. 3, which shows the molecule in its inertial axis system. Since both nitrogen nuclei contribute substantially to the observed hyperfine structure, the hyperfine patterns were calculated by determining the first-order hyperfine energy for two nuclei. The computer programs to

TABLE I

 Observed and Calculated Rotational Transitions (in MHz) of *N*-Cyanomethanimine in the Ground Vibrational State

$J''(K_a'', K_c'') \rightarrow J'(K_a', K_c')$	OBSERVED	CALCULATED	OBS-CALC	$J''(K_a'', K_c'') \rightarrow J'(K_a', K_c')$	OBSERVED	CALCULATED	OBS-CALC
<b>a-type transitions</b>							
$1(0, 1) \rightarrow 0(0, 0)$		10458.892		$20(8, 13) \rightarrow 19(8, 12)$	209489.5412	209489.5455	-0.0043
$2(0, 2) \rightarrow 1(0, 1)$	20915.2900	20915.2432	0.0468 a	$20(9, 12) \rightarrow 19(9, 11)$	209564.0316	209564.0375	-0.0061
$2(1, 2) \rightarrow 1(1, 1)$	20479.3500	20478.4859	0.8641 a	$20(10, 11) \rightarrow 19(10, 10)$	209651.1078	209651.1091	-0.0013
$2(1, 1) \rightarrow 1(1, 0)$	21357.4800	21358.0309	-0.5509 a	$20(11, 10) \rightarrow 19(11, 9)$	209749.4374	209749.4427	-0.0053
$3(0, 3) \rightarrow 2(0, 2)$	31366.5200	31366.4834	0.0366 a	$20(12, 9) \rightarrow 19(12, 8)$	209858.1307	209858.1267	0.0040
$3(1, 3) \rightarrow 2(1, 2)$	30716.3000	30716.0580	0.2420 a	$20(13, 8) \rightarrow 19(13, 7)$	209976.5128	209976.5013	0.0115
$3(1, 2) \rightarrow 2(1, 1)$	32035.2200	32035.3085	-0.0885 a	$21(0, 2) \rightarrow 20(0, 2)$	216201.2842	216201.2752	0.0090
$3(2, 2) \rightarrow 2(2, 1)$	31380.6900	31379.5827	1.1073 a	$21(1, 2) \rightarrow 20(1, 2)$	214144.1817	214144.1817	-0.0000
$3(2, 1) \rightarrow 2(2, 0)$	31388.3100	31389.5576	-1.2476 a	$21(1, 2) \rightarrow 20(1, 1)$	214056.0569	214056.0569	-0.0000
$4(0, 4) \rightarrow 3(0, 3)$	41417.5617	41417.5624	-0.0007	$21(2, 1) \rightarrow 20(2, 1)$	212285.7518	212285.7569	-0.0051
$4(1, 3) \rightarrow 3(1, 2)$	402288.8235	402288.8235	0.0000	$21(3, 1) \rightarrow 20(3, 1)$	219945.1397	219945.1463	-0.0066
$4(1, 2) \rightarrow 3(1, 1)$	406675.8277	406675.8458	-0.0181	$21(3, 1) \rightarrow 20(3, 0)$	220232.8198	220232.8124	0.0074
$4(2, 2) \rightarrow 3(2, 1)$	404934.5647	404934.5775	-0.0128	$21(4, 1) \rightarrow 20(4, 1)$	219804.4866	219804.4819	0.0047
$4(2, 1) \rightarrow 3(2, 0)$	404934.5647	404934.5775	-0.0128	$21(4, 1) \rightarrow 20(4, 0)$	219903.2821	219903.3017	-0.0196
$4(3, 1) \rightarrow 3(3, 0)$	404655.3716	404655.3663	0.0053	$21(5, 1) \rightarrow 20(5, 1)$	219851.3910	219851.3920	-0.0010
$4(3, 0) \rightarrow 3(3, 0)$	404662.3334	404662.3437	-0.0103	$21(5, 1) \rightarrow 20(5, 0)$	219851.3910	219851.4006	-0.0096
$4(4, 0) \rightarrow 3(4, 0)$	404652.7085	404652.6822	0.0263 c	$21(6, 1) \rightarrow 20(6, 1)$	219860.4066	219860.4095	-0.0029
$4(4, 0) \rightarrow 3(4, 0)$	404652.7085	404652.7257	-0.0182 c	$21(6, 1) \rightarrow 20(6, 0)$	219860.4066	219860.4108	-0.0042 c
$4(5, 0) \rightarrow 3(5, 0)$	404655.5244	404655.5155	0.0089	$21(7, 1) \rightarrow 20(7, 1)$	219900.3923	219900.3964	-0.0041
$4(5, 0) \rightarrow 3(5, 0)$	404688.3076	404688.3079	-0.0003	$21(7, 1) \rightarrow 20(7, 0)$	219961.2777	219961.2638	0.0139
$4(6, 0) \rightarrow 3(6, 0)$	404718.3695	404718.2922	0.0772 e	$21(8, 1) \rightarrow 20(8, 1)$	220038.2340	220038.2388	-0.0048
$4(6, 0) \rightarrow 3(6, 0)$	404754.4163	404754.3180	0.0983 f	$21(8, 1) \rightarrow 20(8, 0)$	220128.8317	220128.8247	0.0070
$4(6, 0) \rightarrow 3(6, 0)$	404795.7957	404795.8009	-0.0052 g	$21(11, 1) \rightarrow 20(11, 9)$	220231.3744	220231.4252	-0.0520
$5(0, 5) \rightarrow 4(0, 4)$	51458.4049	51458.4049	0.0000	$21(13, 8) \rightarrow 20(13, 7)$	220468.9442	220468.9349	0.0099
$5(1, 4) \rightarrow 4(1, 3)$	513884.1603	513884.1603	0.0000	$21(14, 7) \rightarrow 20(14, 6)$	220602.5335	220602.5292	0.0043
$5(1, 3) \rightarrow 4(1, 2)$	513856.5222	513856.5266	-0.0044	$21(15, 6) \rightarrow 20(15, 5)$	220745.3604	220745.3499	0.0105
$5(1, 2) \rightarrow 4(1, 1)$	513851.6319	513851.6343	-0.0024	$25(0, 2) \rightarrow 24(0, 2)$	256236.2764	256236.2870	-0.0106
$5(2, 2) \rightarrow 4(2, 1)$	513707.1124	513707.1124	0.0000	$25(1, 2) \rightarrow 24(1, 2)$	254582.4823	254582.4904	-0.0081
$5(2, 1) \rightarrow 4(2, 0)$	513601.2588	513601.2569	0.0019	$25(1, 2) \rightarrow 24(1, 1)$	254485.4870	254485.4944	-0.0074
$5(3, 1) \rightarrow 4(3, 0)$	5136107.6146	5136107.6124	0.0022	$25(2, 2) \rightarrow 24(2, 2)$	253538.5290	253538.5290	0.0000
$5(3, 1) \rightarrow 4(3, 0)$	5136064.4340	5136064.4634	-0.0294	$25(2, 2) \rightarrow 24(2, 1)$	253538.5290	253538.5290	0.0000
$5(3, 1) \rightarrow 4(3, 0)$	5136064.4340	5136064.4340	0.0000	$25(3, 2) \rightarrow 24(3, 2)$	251875.6925	251875.6892	0.0033
$5(4, 1) \rightarrow 4(4, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(3, 2) \rightarrow 24(3, 1)$	251875.6925	251875.6925	0.0000
$5(4, 1) \rightarrow 4(4, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(4, 2) \rightarrow 24(4, 2)$	251875.6925	251875.6925	0.0000
$5(4, 1) \rightarrow 4(4, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(4, 2) \rightarrow 24(4, 1)$	251875.6925	251875.6925	0.0000
$5(5, 1) \rightarrow 4(5, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(5, 2) \rightarrow 24(5, 2)$	251875.6925	251875.6925	0.0000
$5(5, 1) \rightarrow 4(5, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(5, 2) \rightarrow 24(5, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(6, 2) \rightarrow 24(6, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(6, 2) \rightarrow 24(6, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(7, 2) \rightarrow 24(7, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(7, 2) \rightarrow 24(7, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(8, 2) \rightarrow 24(8, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(8, 2) \rightarrow 24(8, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(9, 2) \rightarrow 24(9, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(9, 2) \rightarrow 24(9, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(10, 2) \rightarrow 24(10, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(10, 2) \rightarrow 24(10, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(11, 2) \rightarrow 24(11, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(11, 2) \rightarrow 24(11, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(12, 2) \rightarrow 24(12, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(12, 2) \rightarrow 24(12, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(13, 2) \rightarrow 24(13, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(13, 2) \rightarrow 24(13, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(14, 2) \rightarrow 24(14, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(14, 2) \rightarrow 24(14, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(15, 2) \rightarrow 24(15, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(15, 2) \rightarrow 24(15, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(16, 2) \rightarrow 24(16, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(16, 2) \rightarrow 24(16, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(17, 2) \rightarrow 24(17, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(17, 2) \rightarrow 24(17, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(18, 2) \rightarrow 24(18, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(18, 2) \rightarrow 24(18, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(19, 2) \rightarrow 24(19, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(19, 2) \rightarrow 24(19, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(20, 2) \rightarrow 24(20, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(20, 2) \rightarrow 24(20, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(21, 2) \rightarrow 24(21, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(21, 2) \rightarrow 24(21, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(22, 2) \rightarrow 24(22, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(22, 2) \rightarrow 24(22, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(23, 2) \rightarrow 24(23, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(23, 2) \rightarrow 24(23, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(24, 2) \rightarrow 24(24, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(24, 2) \rightarrow 24(24, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(25, 2) \rightarrow 24(25, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(25, 2) \rightarrow 24(25, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(26, 2) \rightarrow 24(26, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(26, 2) \rightarrow 24(26, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(27, 2) \rightarrow 24(27, 2)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(27, 2) \rightarrow 24(27, 1)$	251875.6925	251875.6925	0.0000
$5(6, 1) \rightarrow 4(6, 0)$	5136071.9630	5136071.9577	0.0053 c	$25(28, 2)$			

TABLE II

Rotational and Centrifugal Distortion Constants of *N*-Cyanomethanimine<sup>a</sup> and Acrylonitrile<sup>b</sup> in the *S*-Reduced Rotational Hamiltonian for the Ground Vibrational State

	CH <sub>2</sub> NCN	CH <sub>2</sub> CHCN
A/MHz	63 372.995 3(115)	49 850.698 2(87)
B/MHz	5 449.347 90(28)	4 971.164 06(70)
C/MHz	5 009.559 86(29)	4 513.877 20(76)
D <sub>J</sub> /kHz	2.394 66(58)	2.182 1(17)
D <sub>JK</sub> /kHz	-129.900 2(59)	-85.076(18)
D <sub>K</sub> /kHz	5 786.6(35)	2 717.1(11)
d <sub>1</sub> /kHz	-0.485 46(20)	-0.457 14(58)
d <sub>2</sub> /kHz	-0.032 994(64)	-0.030 53(20)
H <sub>J</sub> /Hz	0.006 27(43)	0.004 4(13)
H <sub>JK</sub> /Hz	-0.297 0(71)	-0.343(26)
H <sub>KJ</sub> /Hz	-27.417(46)	-7.09(12)
H <sub>K</sub> /Hz	1 486.(260)	433.(37)
h <sub>1</sub> /Hz	0.002 45(16)	0.002 90(71)
h <sub>2</sub> /Hz	0.000 330(85)	-0.000 12(38)
h <sub>3</sub> /Hz	0.000 117(32)	0.000 146(48)
L <sub>JK</sub> /Hz	0.000 307(34)	
L <sub>KJ</sub> /Hz	-0.009 31(15)	
No. of lines	150	129
σ/kHz	17	44

<sup>a</sup>This work.

<sup>b</sup>The data of Ref. (10) was refitted to the *S*-reduced Hamiltonian.

carry out this calculation and do a least-squares adjustment of the coupling constants were made available to us by H. Günther, University of Tübingen (18). The programs calculate the matrix elements

$$\langle \Phi | \hat{H}_Q | \Phi' \rangle$$

$$\begin{aligned}
 &= \frac{1}{4} (-1)^{F'_1+J+I_1+I} \delta_{F_1 F'_1} \frac{\begin{Bmatrix} F'_1 & I_1 & J \\ 2 & J & I_1 \end{Bmatrix}}{\begin{pmatrix} I_1 & 2 & I_1 \\ -I_1 & 0 & I_1 \end{pmatrix} \begin{pmatrix} J & 2 & J \\ -J & 0 & J \end{pmatrix}} D(1) + \frac{1}{4} (-1)^{F+F_1+F'_1-J+I_1+I_2+1} \\
 &\quad \times [(2F'_1+1)(2F_1+1)]^{1/2} \frac{\begin{Bmatrix} F & I_2 & F'_1 \\ 2 & F_1 & I_2 \end{Bmatrix} \begin{Bmatrix} I & J & F'_1 \\ 2 & F_1 & J \end{Bmatrix}}{\begin{pmatrix} I_2 & 2 & I_2 \\ -I_2 & 0 & I_2 \end{pmatrix} \begin{pmatrix} J & 2 & J \\ -J & 0 & J \end{pmatrix}} D(2) \quad (2)
 \end{aligned}$$

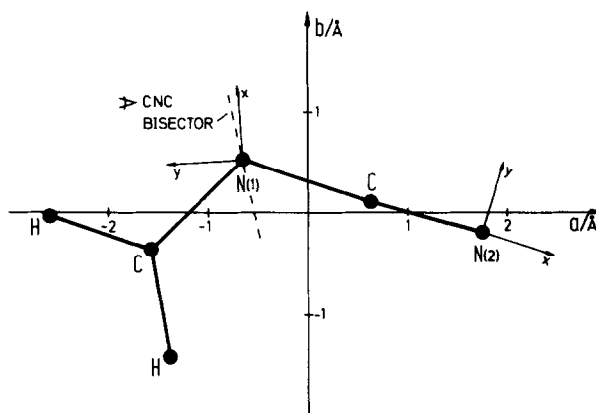


FIG. 3.  $\text{CH}_2\text{NCN}$  in its inertial axis system, based on the *ab initio* structure (Ref. (1)). The auxiliary axis systems shown are the principal axis systems of the *ab initio* quadrupole coupling tensors (Ref. (20)) for the two nitrogen nuclei.

in the basis

$$|\Phi\rangle = |(JI_1)F_1I_2FM_F\rangle,$$

where

$$D(i) = \frac{2}{(J+1)(2J+3)} \{ \chi_{ad}^{(i)} (\langle \hat{P}_a^2 \rangle - \langle \hat{P}_c^2 \rangle) + \chi_{bb}^{(i)} (\langle \hat{P}_b^2 \rangle - \langle \hat{P}_c^2 \rangle) \}, \quad i = 1, 2. \quad (3)$$

The  $\chi_{\alpha\alpha}^{(i)}$  are the diagonal tensor elements of the quadrupole coupling tensor in the inertial axis system, and the  $\langle \hat{P}_\alpha^2 \rangle$  are the expectation values of the square of the rotational angular momentum operators. The coupling scheme used is  $J + I_1 = F_1$  and  $F_1 + I_2 = F$ . The notation used in the definitions of  $|\Phi\rangle$  and Eq. (2) are explained in Ref. (19). The matrix of  $\hat{H}_Q$  is diagonalized and treated as a first-order perturbation to the rotational energy. A plotting routine was added for generating a Gaussian line shape or the first or second derivative thereof. Such plots allow a direct comparison of calculated spectra with recorded spectra.

The starting point for analyzing the *N*-cyanomethanimine quadrupole structure was acrylonitrile. The cyanide nitrogen N(2) of *N*-cyanomethanimine was expected to have coupling tensor components roughly similar to those of the nitrogen atom in acrylonitrile. It was further found that for the high- $J$ , near-symmetric-top transitions observed, the splitting of the *a*-type transitions depends only on the  $\chi_{aa}$  component of the two coupling tensors, and the splitting of the *b*-type transitions depends only on the differences  $\chi_{bb} - \chi_{cc}$ .

Eight lines showing large and characteristic hyperfine splitting were recorded at approximately Doppler broadening (ca. 0.2 Pa) with source modulation, in order to have a well-defined (second-derivative) line shape. The hyperfine coupling constants were adjusted empirically until a qualitative fit of splitting patterns was achieved. The measured splittings of these eight lines were then put into a least-squares adjustment. However, the spectra are only partly resolved, so that the observed absorption maxima do not correspond to individual hyperfine components. Ideally, a whole-line least-squares adjustment should be made. In the present case, we plotted the



calculated spectra, measured the distance between the calculated maxima and the individual hyperfine components, and added these corrections to the data for the least-squares fit. Since each measured maximum provides only one data point in this procedure, one calculated component was selected from each clump for the least-squares fit, generally a line showing large Jacobian matrix elements for the adjustment of the coupling constants. Table III summarizes the data used. Actually, the minimum information needed to obtain the four determinable constants is contained in the two transitions reproduced in Fig. 4. The two splitting intervals in the  $10_{9,1}-9_{9,0}$  transition determine the two  $\chi_{aa}$  values. The splitting between the pair of doublets in the  $24_{1,23}-24_{0,24}$  transition determine the difference  $\chi_{bb} - \chi_{cc}$  for one nucleus, and the doublet splitting itself determines the difference for the other. The set of four constants determined is unique in both sign and magnitude. As can be deduced by inspection of the small shoulder in the  $10_{9,1}-9_{9,1}$  transition, the line width is very critical in reproducing the shape of the absorption features. A discrete least-squares procedure does not help here, and the line width was adjusted empirically on the more isolated features in each transition. A good reproduction of the shoulders in all of the  $a$ -type transitions in Table III was required. Thus, the fitting of the splittings required several iterations to optimize the line widths and the corrections, before the fit shown in Fig. 4 was attained.

The four coupling constants obtained are unique. However, ambiguities remain because it is possible (i) to associate each difference  $\chi_{bb} - \chi_{cc}$  with either value of  $\chi_{aa}$ , leading to quite different sets of individual components  $\chi_{bb}$  and  $\chi_{cc}$  since  $\chi_{aa} + \chi_{bb} + \chi_{cc} = 0$  for each nucleus; and (ii) to associate either set of  $\chi$ 's with each of the two nitrogen nuclei. Table IV compares the hyperfine tensor components obtained in the two cases and those obtained for acrylonitrile. The standard errors

TABLE III  
Measured Components (in MHz) of Selected Rotational Transitions  
of  $\text{CH}_2\text{NCN}$  Split by Quadrupole Hyperfine Interaction

$J''_K K''_C - J'_K K'_C$	Unperturbed frequency	Observed maxima	Calculated components <sup>a</sup>	$F'_1 F'_1 - F''_1 F''_1$	$J''_K K''_C - J'_K K'_C$	Unperturbed frequency	Observed maxima	Calculated components <sup>a</sup>	$F'_1 F'_1 - F''_1 F''_1$
<b>a-type transitions</b>									
$10_{9,2} - 9_{9,1}$	104 795.7957	-0.5281 -0.1882c 0.0734	-0.5552 -0.5054 -0.1755 0.0263 0.0590 0.0874 -0.1528 0.4216 0.4597	9 9 11 11 10 10 9 9 11 12 9 8 11 10 10 11 10 9	$18_{1,17} - 18_{0,18}$	104 068.9720	-0.7794  -0.3278 1.1217 1.1317 1.5734	-0.8488 -0.8303 -0.7516 -0.7217 -0.3927 -0.2698 1.1075 1.1317 1.5750	17 16 17 18 19 18 19 20 17 17 19 19 16 17 18 19 18 18
$13_{11,3} - 12_{11,2}$	136 356.2669	-0.3792 0.0628	-0.3721 -0.3466 -0.1096 0.0231 0.0418 0.0562 0.0879 -0.2918 0.3316	12 12 14 14 13 13 12 13 14 15 12 11 14 13 13 14 12 11	$19_{1,18} - 19_{0,19}$	110 026.2298	-0.8036  -0.3291 1.1432 1.6131	-0.8642 -0.8459 -0.7694 -0.7409 -0.3988 -0.3000 1.1344 1.1576 1.6090	18 17 18 19 20 19 20 21 18 18 20 20 19 18 19 20 19 19
<b>b-type transitions</b>									
$14_{0,14} - 13_{1,13}$	104 562.4903	-0.3611	-0.4315 -0.4056 -0.3578 -0.3405 -0.2174 -0.1495 -0.5907 0.5738 0.7563	13 12 13 14 15 14 15 16 13 13 15 14 14 13 15 15 14 13	$24_{1,23} - 24_{0,24}$	146 525.3910	-0.8773  -0.3356 1.2386 1.7682	-0.9214 -0.9052 -0.8309 -0.8152 -0.4253 -0.3391 1.2361 1.2561 1.7397	23 22 23 24 25 24 25 26 23 23 25 25 24 23 24 25 24 24
$14_{1,14} - 13_{0,13}$	183 805.3316	-0.6672 0.3647	-0.8221 -0.6144 -0.6048 0.1605 0.2323 0.3778 0.3812 0.4461 0.4591	14 14 14 15 14 13 15 15 13 13 15 16 15 14 13 14 13 12	$22_{1,21} - 21_{2,20}$	107 202.9885	-0.4765  -0.2100 0.7065 0.9925	-0.5061 -0.4497 -0.4619 -0.4417 -0.2598 -0.2086 0.6995 0.7118 0.9586	21 20 21 20 22 22 23 24 21 21 23 23 22 21 22 23 22 21

<sup>a</sup>All listed components have at least 73% of the intensity of the strongest component in each transition.

<sup>b</sup>Components used in fit. Standard deviation was 8 kHz.

<sup>c</sup>Shoulder; not used in least squares fit.

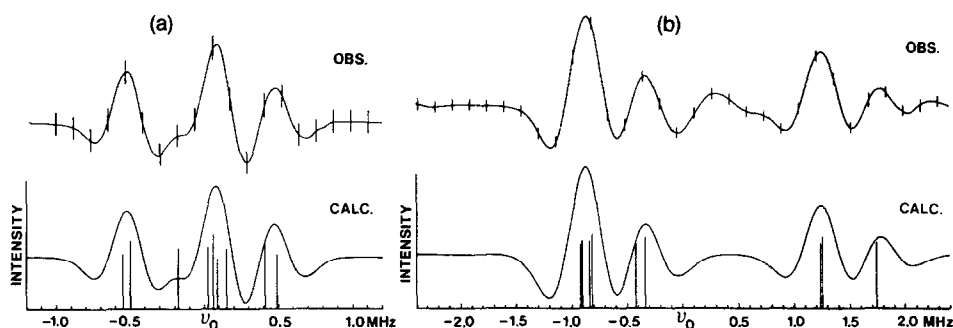


FIG. 4. Observed and calculated second derivative of the hyperfine structure of (a) an *a*-type and (b) a *b*-type transition in the millimeter wave spectrum of *N*-cyanomethanimine. The frequency markers in the observed transitions are separated by 117 kHz in (a) and 156 kHz in (b). The stick diagrams give the intensity and line position of the components, for which the quantum numbers are listed in Table III. (a)  $\text{CH}_2\text{NCN}$ ,  $J_{K'_a} = 10_9-9_9$ ,  $\nu_0 = 104\,795.7970$  MHz; (b)  $\text{CH}_2\text{NCN}$ ,  $J_{K'_b, K'_c} = 24_{1,23}-24_{0,24}$ ,  $\nu_0 = 146\,525.3954$  MHz.

quoted are from the least-squares fit, and are perhaps optimistic measures of the true errors for this type of spectrum. The second ambiguity, which tensor is to be associated with which nitrogen nucleus, has been resolved in Table IV by requiring a similarity between the  $\chi_{aa}$ 's of the cyano-nitrogen N(2) in *N*-cyanomethanimine and acrylonitrile.

TABLE IV

$^{14}\text{N}$  Quadrupole Coupling Tensor Components (in MHz) in the Inertial Principal Axis Systems of *N*-Cyanomethanimine and Acrylonitrile

	$\text{CH}_2\text{NCN}$		$\text{CH}_2\text{CHCN}$	
	Experimental <sup>a</sup>		Ab initio <sup>b</sup>	Experimental <sup>c</sup>
	Solution 1	Solution 2		
N(1): $\chi_{aa}$	2.057(39)	2.057	2.123	
$\chi_{bb}$	-4.631	-1.844	-3.899	
$\chi_{cc}$	2.574	-0.214	1.776	
$\chi_{bb} - \chi_{cc}$	-7.205(21)	-1.630	-5.675	
N(2): $\chi_{aa}$	-3.264(33)	-3.264	-2.362	-3.69(5)
$\chi_{bb}$	0.817	-1.971	0.627	-0.53
$\chi_{cc}$	2.447	5.234	1.736	4.22
$\chi_{bb} - \chi_{cc}$	-1.630(18)	-7.205	-1.109	-4.75(19)

<sup>a</sup>This work. The standard errors of the determinable components are given in parentheses in units of the last significant figure.

<sup>b</sup>Ref. (20).

<sup>c</sup>Ref. (10).

This is possible because the two molecules have similar orientations in their inertial principal axis systems, so that the  $\chi$  tensor associated with the C=N bond may be assumed to have a similar orientation. The use of this same argument to resolve the first ambiguity fails because the  $\chi_{bb}$  and  $\chi_{cc}$  values for acrylonitrile fall just between the values found for solutions 1 and 2 in Table IV for N(2). Low- $J$ ,  $K_a = 1$  lines are predicted to have different hyperfine patterns for the two solutions, but  $b$ -type lines in this category are very weak in the millimeter wave region, and the corresponding  $a$ -type lines in the microwave region are difficult to observe under high resolution. The choice was made by considering the *ab initio* electric field gradient tensor  $q$  at each nitrogen nucleus, made available by Jasien and Dykstra (20), together with the known structure. Because further results of the *ab initio* calculations were used, the *ab initio* structure given in Ref. (1) and reproduced in Fig. 3 was taken for purposes of interpretation of the  $\chi$  tensors rather than the partial  $r_s$  structure of Ref (9).

The hyperfine coupling tensors  $\chi = eqQ$  were obtained from the field gradient tensors  $q$  of Jasien and Dykstra by taking the nuclear quadrupole moment  $Q$  to be  $0.0156 \times 10^{-24} \text{ cm}^2$  (21). The resulting tensors were diagonalized to give the principal components and the principal axis system of each tensor. These axis systems are shown in Fig. 3, and the principal components are listed in Table V. The axis system of  $\chi^{(2)}$  is just  $2^\circ$  from the C=N bond, while the axis system of  $\chi^{(1)}$  is displaced  $8.8^\circ$  from the CNC angle bisector, representing the nitrogen lone pair. The rotation necessary to transform the *ab initio* tensors from the arbitrary axis system to the inertial axis system could also be determined, and the calculated diagonal tensor components in this axis system are listed in Table IV together with our experimental values. The

TABLE V

Principal Components<sup>a</sup> (in MHz) of the <sup>14</sup>N Quadrupole Coupling Tensors in *N*-Cyanomethanimine

	Experimental <sup>b</sup>		Ab initio <sup>c</sup>
	Solution 1	Solution 2	
N(1): $\chi_{xx}$	-4.654	-1.865	-3.9315
$\chi_{yy}$	2.086	2.078	2.1549
$\chi_{zz}$	2.574	0.214	1.7764
$\eta = \frac{\chi_{yy} - \chi_{zz}}{\chi_{xx}}$	0.105	-0.999	-0.096
N(2): $\chi_{xx}$	-3.680	-3.396	-2.6663
$\chi_{yy}$	1.233	-1.839	0.9307
$\chi_{zz}$	2.447	5.234	1.7356
$\eta = \frac{\chi_{yy} - \chi_{zz}}{\chi_{xx}}$	0.330	2.083	0.302

<sup>a</sup>The axes were defined by diagonalization of the *ab initio*  $\chi$  tensors. See Fig. 3.

<sup>b</sup>This work.

<sup>c</sup>Ref. (20).

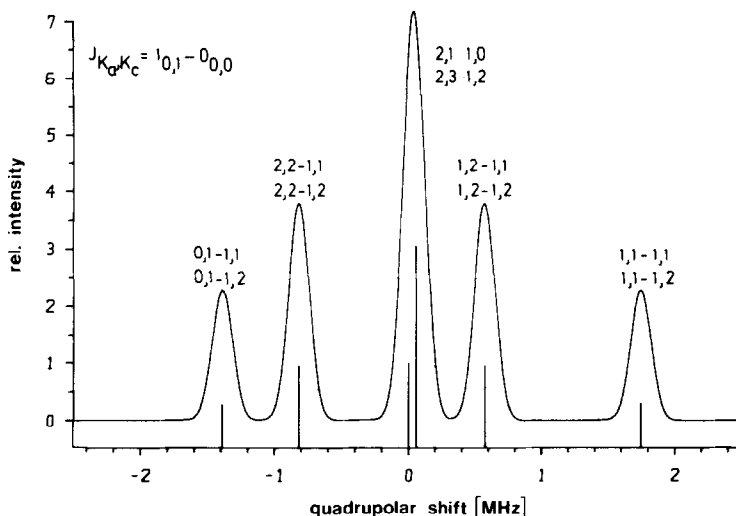


FIG. 5. Calculated hyperfine splitting of the as yet unobserved  $1_{0,1}-0_{0,0}$  transition of  $\text{CH}_2\text{NCN}$  at 10 458.8982 MHz (calculated standard deviation = 0.5 kHz). The line shape is Gaussian, with a line width parameter of 100 kHz. The quantum numbers shown for the components are  $F'_1, F'' - F'_1, F''$ . From left to right, the five pairs of components are predicted to lie at -1.391, -0.818, 0.044, 0.576, and 1.748 MHz from the line center. The stick diagram should actually indicate twice as much intensity for all but the central pair, because they are degenerate.

similarity between the values found for solution 1 and the *ab initio* values allows us to choose solution 1 as the correct solution. This choice is further confirmed by rotating the experimental values, which are obtained in the inertial principal axis system, to their principal axis systems (22), assumed to be those of the *ab initio*  $\chi$  tensors. The difference between the theoretical and true axis systems should be small enough to be negligible in this discussion. The components thus obtained are listed in Table V together with the eigenvalues of the *ab initio* tensors. We can now look at the asymmetry,  $\eta = (\chi_{yy} - \chi_{zz})/\chi_{xx}$ , of each coupling tensor in its principal axis system, which is a measure of the cylindrical symmetry of the electron distribution around the  $x$  axis (and is independent of the nuclear quadrupole moment  $Q$ ). If solution 1 is taken, the experimental values of  $\eta$  agree satisfactorily with the *ab initio* values. However, if solution 2 is taken, the magnitude of both asymmetries is equal to or greater than 1, which would be at variance with any remotely cylindrical electronic distribution in the bonds under consideration. This circumstance would suffice to eliminate solution 2. Although this latter criterion is based on the experimental data alone, the experimental  $\eta$  values could be evaluated more reliably with the support of the theoretical structure and  $\chi$  tensors.

#### CONCLUSION

The coupling constants as given in Table IV can be used to predict the hyperfine splitting in any rotational transition of *N*-cyanomethanimine. Plots were made of the predicted pattern of all the lines measured, and corrections were introduced to give the line center for most of the lines measured with the averaging technique, as men-

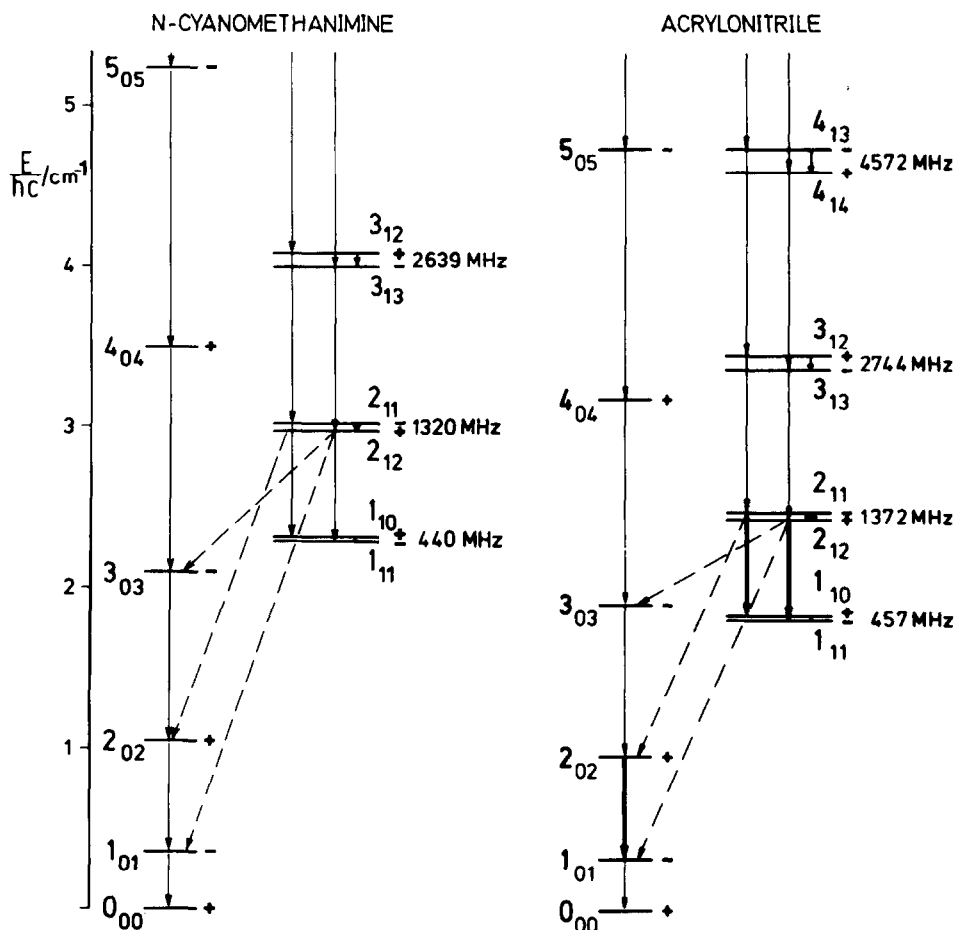


FIG. 6. Part of the rotational energy level diagram for  $\text{CH}_2\text{NCN}$  and  $\text{CH}_2\text{CHCN}$  showing possible interstellar transitions. For  $\text{CH}_2\text{CHCN}$  four transitions, entered as heavy arrows, have been observed in interstellar sources (Refs. (23, 24)).

tioned above. For the information of radioastronomers, the calculated hyperfine pattern of the  $1_{01}-0_{00}$  transition is shown in Fig. 5. Upon request, the corresponding pattern for any other transition can be supplied by the authors. Such patterns are quite distinctive, and would suffice to identify a single interstellar line. Figure 6 shows part of the rotational energy level diagram of *N*-cyanomethanimine and acrylonitrile. Four of the five observed interstellar transitions of acrylonitrile (23, 24) fall in the region shown and have been entered as heavy lines. The same transitions for *N*-cyanomethanimine can be considered opportune for a radioastronomical search for this molecule.

#### ACKNOWLEDGMENTS

The authors would like to express their thanks to Dr. H. Günther for making his quadrupole programs available to us, and Dr. P. G. Jasien and Dr. C. E. Dykstra for sending us their hyperfine coupling constants

derived from *ab initio* calculations. The programming help of J. Reinstädler is appreciated. The experimental work in Giessen and Marburg was supported by funds of the respective universities, the Deutsche Forschungsgemeinschaft, and the Fonds der Chemischen Industrie. The work in Giessen was also supported by the Max Planck Institute for Radioastronomy, Bonn. All calculations were carried out at the Hochschulrechenzentrum of the Justus Leibig University, Giessen.

RECEIVED: December 5, 1983

#### REFERENCES

1. J. H. CLEMMONS, P. G. JASIEN, AND C. E. DYKSTRA, *Mol. Phys.* **48**, 631–637 (1982).
2. A. C. LEGON, D. J. MILLEN, AND F. J. MJÖBERG, *Chem. Phys. Lett.* **47**, 589–591 (1977).
3. L. W. BUXTON, E. J. CAMPBELL, AND W. H. FLYGARE, *Chem. Phys.* **56**, 399–406 (1981).
4. R. D. BROWN, F. D. GODFREY, AND D. A. WINKLER, *J. Mol. Spectrosc.* **89**, 352–355 (1981).
5. C. WENTRUP, *Tetrahedron* **27**, 1281–1286 (1971).
6. C. WENTRUP AND P. LORENAK, unpublished results.
7. B. BAK, O. J. NIELSEN, AND H. SVANHOLT, *Chem. Phys. Lett.* **59**, 330–333 (1978).
8. B. BAK AND H. SVANHOLT, *Chem. Phys. Lett.* **66**, 387–389 (1979).
9. B. BAK AND H. SVANHOLT, *Chem. Phys. Lett.* **75**, 528–532 (1980).
10. M. C. L. GERRY, K. YAMADA, AND G. WINNEWISSER, *J. Phys. Chem. Ref. Data* **8**, 107–123 (1979).
11. K. YAMADA AND M. WINNEWISSER, *Z. Naturforsch. a* **30**, 672–689 (1975).
12. M. WINNEWISSER, *Z. Angew. Phys.* **30**, 359–370 (1970).
13. M. WINNEWISSER AND B. P. WINNEWISSER, *Z. Naturforsch. a* **29**, 633–641 (1974).
14. D. A. HELMS, M. WINNEWISSER, AND G. WINNEWISSER, *J. Phys. Chem.* **84**, 1758–1765 (1980).
15. M. WINNEWISSER, E. F. PEARSON, J. GALICA, AND B. P. WINNEWISSER, *J. Mol. Spectrosc.* **91**, 255–268 (1982).
16. J. K. G. WATSON, in "Vibrational Spectra and Structure" (J. R. Durig, Ed.), Elsevier, Amsterdam/New York, 1977.
17. K. YAMADA, M. WINNEWISSER, G. WINNEWISSER, L. B. SZALANSKI, AND M. C. L. GERRY, *J. Mol. Spectrosc.* **78**, 189–202 (1979).
18. H. GÜNTHER, Dissertation, Universität Tübingen, 1975.
19. A. R. EDMONDS, "Angular Momentum in Quantum Mechanics," Princeton Univ. Press, Princeton, New Jersey, 1960.
20. P. G. JASIEN AND C. E. DYKSTRA, private communication.
21. Currently accepted value in *Nucl. Phys. A* **360** (1981), taken from a comparison of *ab initio* field gradients and experimental hyperfine structures: C. T. O'Konski and T.-K. Ha, *J. Chem. Phys.* **48**, 5356–5361 (1968).
22. W. GORDY AND R. L. COOK, "Microwave Spectroscopy" (W. West, Ed.), p. 267, Interscience, New York, 1970.
23. F. F. GARDNER AND G. WINNEWISSER, *Astrophys. J. Lett.* **195**, L127 (1975).
24. H. E. MATTHEWS AND T. J. SEARS, *Astrophys. J.* **272**, 149–153 (1983).