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## Calorimetric Study of Dynamical Heterogeneity in Blends of Polyisoprene and Poly(vinylethylene)

### Tsuyoshi Sakaguchi,† Nobuyuki Taniguchi,‡ Osamu Urakawa, and Keiichiro Adachi\*

Department of Macromolecular Science, Graduate School of Science, Osaka University, Toyonaka, Osaka 560-0043, Japan

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ABSTRACT: The specific heat capacities  $C_p$  of blends consisting of cis-polyisoprene (PI) and poly-(vinylethylene) (PVE) were measured in the temperature range from 80 to 320 K by using an adiabatic calorimeter. The configurational heat capacities  $C_{\rm conf}$  of blends around the glass transition temperature  $T_{\rm g}$  have been determined by subtracting the vibrational heat capacities estimated with the Einstein and Debye theories. The  $C_{\rm conf}$  vs temperature  $T_{\rm g}$  curves of the blends exhibit double sigmoidal increase at two glass transition temperatures  $T_{\rm g1}$  and  $T_{\rm g2}$  and can be resolved into two empirical sigmoidal curves. For each sigmoidal curve with the index j=1 or 2, we have also determined the magnitude of the jump  $\Delta C_j$  and the broadness parameter  $B_j$  of the sigmoidal curves. The dielectric relaxation spectrum for the primary process of PI/PVE blends is known to be bimodal due to dynamical heterogeneity. The relationship between the bimodal dielectric segmental relaxation and the double glass transition processes has been analyzed.

#### Introduction

One of conventional criteria for judging miscibility of two polymers is to observe a single glass transition for the blend by differential thermal analyses (DSC).<sup>1-3</sup> A similar criterion is to observe a single dielectric or viscoelastic loss peak for the primary ( $\alpha$ ) relaxation.<sup>1–3</sup> A more fundamental technique to determine the miscibility of components in blends is the scattering method.<sup>1</sup> Although these criteria have been adopted long, it was found that some miscible blends consisting of components with a large difference in the glass transition temperatures  $T_{\rm g}$  do not obey these criteria and exhibit bimodal relaxation spectra due to dynamical heterogeneity.4-8 Such a behavior leads us to expect that dynamically heterogeneous systems exhibit double glass transition. Recently, Taniguchi et al. measured heat capacities  $C_p$  on concentrated solutions of polystyrene (PS) in toluene by using an adiabatic calorimeter and found that the solutions exhibit double glass transitions. Polymer/diluent systems are known to exhibit clear dynamical heterogeneity in dielectric relaxation spectra; i.e., segmental motions of polymers and motions of diluent molecules are perfectly decoupled. 10,11 Although double glass transitions have been reported for some polymer/diluent systems with thermal analyses (DSC),11-13 there have been no reports of double glass transitions on miscible polymer blends. This paper is an extension of the study on PS/toluene solutions to a polymer blend consisting of polyisoprene (PI) and poly-(vinyl ethylene) (PVE). Tomlin and Roland studied neutron scattering on blends of PI/PVE and found that the interaction parameter between PI and PVE is negative and hence PI/PVE is a perfectly miscible blend. 14 Colmenerro and co-workers 5-7 studied the dielectric behavior of PI/PVE blends and found that when the PI content is higher than 50 wt %, the

segmental loss peaks due to PI and PVE are observed in distinct frequency regions. Recently, Hirose et al. also studied thermal and dielectric behavior of PI/PVE blends and observed single broad glass transition on DSC thermograms. <sup>15</sup> The objective of the present study is to determine accurate profiles of the heat capacity curves of PI/PVE blends around the glass transition temperature  $T_{\rm g}$ . We will also examine the relationship between the calorimetric  $T_{\rm g}$  and the dielectric glass transition temperature where the dielectric relaxation time becomes the time scale of measurements of the heat capacity.

#### **Experimental Section**

**Materials.** Polyisoprene (PI) was prepared by anionic polymerization in heptane by using sec-butyllithium as the initiator. The weight-average molecular weight  $M_{\rm w}$  and the polydispersity  $M_{\rm w}/M_{\rm n}$  were determined to be 8400 and 1.08, respectively, by using a gel permeation chromatograph (GPC) equipped with a light scattering detector. The eluent was tetrahydrofuran. PVE with  $M_{\rm w}=4.0\times10^5$  and  $M_{\rm w}/M_{\rm n}=1.08$  was also prepared by anionic polymerization in heptane containing 1,2-dipiperidinoethane by using sec-butyllithium as the initiator and characterized by using the same GPC apparatus. Blends of the PI and PVE were prepared by dissolving prescribed amounts of the components in benzene, and then the solvent was removed completely under vacuum of about  $10^{-2}$  Pa at 50 °C for 1 week.

**Method.** A homemade adiabatic calorimeter was used for measurements of the heat capacity  $C_p$  under constant pressure. The details of the calorimeter and the method of measurements were described previously.<sup>9</sup>

#### Results and Discussion

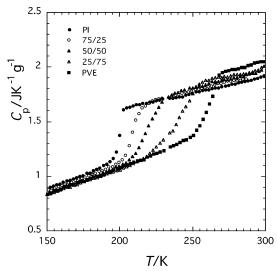
**Heat Capacity.** The temperature dependences of the specific heat capacity  $C_p$  (in J g<sup>-1</sup> K<sup>-1</sup>) of pure PI, pure PVE, and PI/PVE blends are shown in Figure 1.

It is seen that PI exhibits relatively sharp increase of the heat capacity  $C_p$  at  $T_g$  (= 200 K). On the other hand, PVE exhibits relatively broad jump of  $C_p$  at 265 K. Between these  $T_g$ 's of the components, blends exhibit broad glass transitions. At a glance the jumps of the  $C_p$ 

<sup>&</sup>lt;sup>†</sup> Present address: Nomura Research Institute Ltd., 2-2-1, Otemachi, Chiyoda, Tokyo, Japan.

<sup>&</sup>lt;sup>‡</sup> Present address: Toyobo Research Center Co. Ltd., 1-1 Katata-2, Otsu, Japan.

<sup>\*</sup> Corresponding author.



**Figure 1.** Specific heat capacity  $C_p$  of PI/PVE blends. The mixing ratios PI/PVE (by weight) are given in the figure.

curves of blends are similar to those of the pure components exhibiting single glass transition. However, if carefully examined, we can see that the  $C_p$  curve of PI/PVE(25/75) is double-sigmoidal.

Estimation of Vibrational Heat Capacity. Generally, the heat capacity  $C_p$  of a supercooled liquid consists of the configurational heat capacity  $C_{\rm conf}$  and the vibrational heat capacity under constant pressure  $C_{p-\text{vib}}$ . Glass transition is a frozen-in process of the configuration and conformation of molecules, and hence in the temperature range below  $T_{\rm g}, C_p$  is totally due to  $C_{p{
m -vib}}$ . 17 By representing  $C_{p-vib}$  by either a theoretical function or an empirical function, we can estimate  $C_{p-{
m vib}}$  in the range above  $T_{
m g}$ , and we can determine  $C_{
m conf}$  by subtracting  $C_{p-{
m vib}}$  from observed  $C_p$ . Strictly speaking,  $C_{{
m conf}}$ defined above still contains the contribution of vibrations arising from the change of vibrational frequencies due to changes in configuration. This additional contribution is approximately represented by  $C_{\text{add}} = [\partial U_v]$  $(T,\Theta_{\rm D})/\partial\Theta_{\rm D}][\partial\Theta_{\rm D}/\partial T]$ , where  $U_v(T,\Theta_{\rm D})$  is the internal energy of the lattice vibrations and  $\Theta_D$  the Debye temperature. Since no data of  $\partial \Theta_D / \partial T$  are available, we neglected this contribution.

Although there is no clear distinction between intra modes and lattice modes in polymer molecules, we categorize  $C_{p-vib}$  into three parts: the heat capacity  $C_{\text{L-vib}}$  due to lattice vibrations, the heat capacity  $C_{\text{I-vib}}$ due to intramolecular vibrations, and  $C_p - C_v$  the difference between  $C_p$  and the heat capacity under constant volume  $C_v$ . The sum  $C_{\mathrm{L-vib}}+C_{\mathrm{I-vib}}$  is due to the harmonic vibrations and corresponds to the heat capacity under constant volume ( $C_{V-vib}$ ). The correction of  $C_p - C_v$  is due to the unharmonicity of the vibrations.

In the low molecular weight compounds,  $C_{
m L-vib}$  and  $C_{\text{I-vib}}$  can be defined without ambiguity. In the case of amorphous polymers, a lattice mode oscillating in a certain direction includes the deformations of the skeletal bonds and the intermolecular distance. Therefore, it is difficult to distinguish the skeletal modes and the lattice vibrations in amorphous polymers. Here we regard the vibrations in the monomeric unit as the intra mode and the other modes as the lattice modes. On the basis of this approximation, the monomeric unit of PI (-C<sub>5</sub>H<sub>8</sub>-) has the 33 intra modes and the 6 lattice modes. The normal-mode analysis on the PI molecule was reported by Petcavich and Coleman, who assigned

**Table 1. Parameters for Calculation of Vibrational Heat** Capacities

	Θ <sub>D</sub> /K	$\Theta_{\rm E1}$ /K	$\Theta_{\rm E2}\!/{ m K}$	Θ <sub>Е3</sub> /К	$10^{4}a$
PI	99	185	250	350	2.66
PVE	105	330	750	2000	0.60

the 35 modes of the PI monomer units. 18 The lowest two modes are omitted in the present analysis as they are the skeletal modes with the neighboring monomers and can be regarded as a part of lattice vibration. The contribution of the intra modes to  $C_p$  is given by the sum of the Einstein functions.<sup>19</sup>

Among six degrees of freedom for the lattice modes, three modes are due to the translational modes and the other three modes are due to the librational modes. The contribution of the former to  $C_p$  is approximately given by the Debye theory. 19 The contributions of the librational modes were calculated with the Einstein functions by assuming the three average frequencies  $\nu_{\text{liv}}$ . The small correction of  $C_p - C_v$  can be expressed by the  $form^{20}$ 

$$C_p - C_v = aC_{v-\text{vib}}^2 T \tag{1}$$

where a is the constant. Those five unknown parameters, namely the Debye temperature  $\Theta_D$ , the three Einstein temperatures  $\Theta_{\rm E}$  for the libratinal modes, and the factor a of eq 1, were estimated by a trial-and-error method so that the calculated  $C_p$  curve agrees best with the observed  $C_p$  in the temperature range below  $T_{\mathrm{g}}.$  The results of thus estimated  $\Theta_D$ ,  $\Theta_E$ , and  $\alpha$  for PI nd PVE are listed in Table 1.

For syndiotactic PVE chains the normal-mode analysis was reported by Zerbi and Gussoni, who calculated 53 modes.<sup>21</sup> For the chain with the  $C_{2v}$  symmetry, selection rules predict 56 possible modes, but the frequencies of the three remaining modes were not given by Gussoni et al. Using the frequencies of those 53 modes, we calculated the vibrational heat capacity  $C'_{\text{I-vib}}$  and then assumed that the  $C_{\text{I-vib}}$  of the repeat unit is equal to the calculated  $C'_{I-vib}$  (for the 53 modes) times (56/53)/2. The slight error in this estimation may be compensated in the estimation of  $C_p - C_v$  with the adjustable parameter a of eq 1. The contributions of the lattice modes were estimated on the basis of the same model as used for PI. The results are listed in Table 1.

Thus, estimated  $C_{p-{
m vib}}$ 's for PI and PVE are compared with the observed  $C_p$  in Figure 2. As is seen in these figures, the observed  $C_p$  and calculated  $C_p({
m vib})$  agree well with each other in the temperature range below the glass transition temperature where  $C_{\text{conf}}$  is zero.

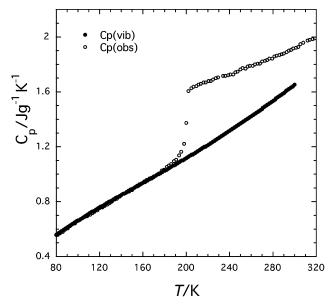
The vibrational heat capacities of the blends were calculated by assuming the additivity of the  $C_{v-vib}$ 

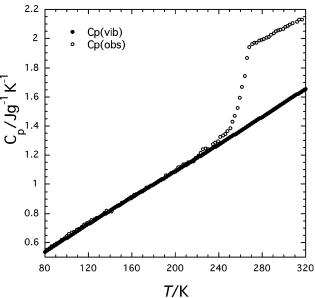
$$C_{v-\text{vib}}(\text{PI/PVE}) = wC_{v-\text{vib}}(\text{PI}) + (1-w)C_{v-\text{vib}}(\text{PVE})$$
(2)

where w is the weight fraction of PI. To calculate the weighed sum, the  $C_{v-\text{vib}}$  curves were fitted to the fourth polynomials:

$$C_{v-\text{vib}} = A + BT + CT^2 + DT^3 + ET^4$$
 (3)

where A, B, C, D, and E are constants and the unit of  $C_{v-\text{vib}}$  is J g<sup>-1</sup> K<sup>-1</sup>. The coefficients A, B, C, D, and E for PI and PVE are listed in Table 2.



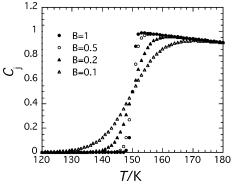


**Figure 2.** Comparison of observed  $C_p$  and calculated  $C_{p-{\rm vib}}$  for PI (top) and PVE (bottom).

The assumption of additivity of  $C_{v-{\rm vib}}$  is quite reasonable for the intramolecular vibrations since the intramodes are almost independent of intermolecular interactions. For the lattice vibration we may approximately rationalize this assumption: the density and the elastic modulus of blends are approximately linear to the composition, and hence the Debye temperature of blends also changes in proportion to the composition. Thus, we calculated  $C_p-C_v$  with eq 1 assuming the parameter a was adjustable. The slight error arising from the above approximation on the lattice modes can be compensated by the  $C_p-C_v$ .

**Analyses of C\_{\text{conf}}.** The configurational heat capacity  $C_{\text{conf}}$  was determined by subtracting  $C_{p-\text{viv}}$  from the observed  $C_p$ . As reported in our previous paper<sup>9</sup> on the PS/toluene system, we attempted to resolve  $C_{\text{conf}}$  into two steplike curves  $C_1$  and  $C_2$  assuming the following empirical equation:

$$C_{j} \equiv \Delta C_{j} \frac{[1 - A_{j}(T - T_{gj})] \exp[B_{j}(T - T_{gj})]}{\exp[B_{i}(T - T_{gj})] + \exp[-B_{i}(T - T_{gj})]}$$
(4)



**Figure 3.** Model  $C_j$  curves calculated with eq 4.

#### Table 2. Coefficients of Eq 3

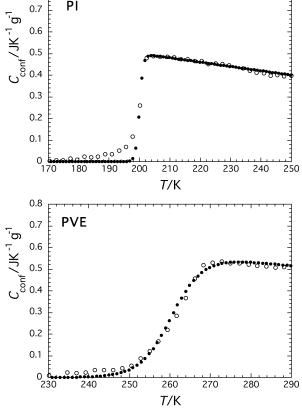
	$\boldsymbol{A}$	$10^2B$	$10^5 C$	$10^7D$	$10^{10}E$
ΡI	-0.1068	1.13011	-5.0571	1.59174	-1.5316
PVE	0.1008	0.612943	-1.07221	0.285403	-0.230598

where j is either 1 or 2 and  $\Delta C_j$ ,  $A_j$ ,  $B_j$ , and  $T_{gj}$  are the fitting parameters. Here "1" and "2" represent the highand low-temperature processes, respectively. Figure 4 shows the examples of the heat capacity curves calculated with eq 4 where  $\Delta C_i = 1$ , A = 0.003,  $T_g = 150$ , and  $B_j$  is changed as indicated in the figure. As seen in this figure,  $\Delta C_j$  is the magnitude of the jump of  $C_j$  and  $T_{gj}$  is the inflection point of the sigmoidal curve and can be regarded as the glass transition temperature for the each process.  $B_i$  represents the broadness of the transition. As shown in Figure 4, the broadness increases with decreasing B.  $A_i$  is the parameter representing the negative slope of the  $C_i$  vs T curve in the range  $T > T_g$ . As seen in Figure 3, the model curve is almost symmetrical since  $A_i$  is small. On the other hand, the experimental configurational heat capacity is asymmetric. To include the asymmetric feature in eq 4, the function becomes more complex, and the number of parameters increases. To minimize the number of parameters, we attempted to resolve the experimental  $C_{\rm conf}$  curves assuming eq 4.

Figure 4 shows the comparison of the observed  $C_{
m conf}$ and the theoretical  $C_{\text{conf}}$  calculated with eq 4 for pure PI and PVE. Asymmetric behavior of  $C_{\text{conf}}$  can be clearly seen for both polymers especially for PI. We see that  $C_{\text{conf}}$  increases rather gradually in the low-temperature side of the glass transition region and increases steeply in the high-temperature region. Such behavior cannot be represented by eq 4. PVE exhibits relatively broad glass transition, and the observed  $C_{\text{conf}}$  agrees fairly well with eq 4 although disagreement still exists. From these results, we expect that when the transition is narrow the symmetric approximation of eq 4 becomes poor, but when the transition is broad eq 4 represents well  $C_{\text{conf}}$ . In blends the glass transitions of the both components are broad, and hence eq 4 is a good approximation to represent  $C_{\text{conf}}$ . In curve fitting processes for the blends, the discrepancies in the low-temperature region of the onset of the glass transition where the asymmetric behavior appears are neglected. The error in determination of  $T_{\rm g}$  due to the symmetric approximation is less than  $\pm 5$  K. The error in determination of  $\Delta C_{pi}$  is estimated to be less than  $\pm 10\%$ . However, the error of B is relatively large and estimated to be  $\pm 20\%$ .

The results of the analyses for the blends are listed in Table 3. Here we adopted the common value of  $A_j$  for processes 1 and 2. Figure 5 shows comparison of the

0.8



**Figure 4.** Comparison of observed  $C_{conf}$  and eq 4 for PI (top) and PVE (bottom). The open circles indicate observed  $C_{\rm conf}$  and the dotted lines eq 4.

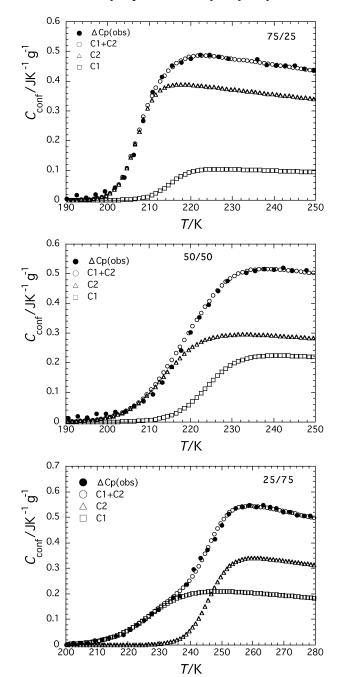
Table 3. Parameters of Eq 4 and Dielectric Glass Transition Temperatur  $T_D$  of PI/PVE Blends

	$T_{ m g2}$	$T_{ m g1}$	$\Delta C_{p2}$	$\Delta C_{p1}$	$10^{3}\!A$	$B_2$	$B_1$	$T_{ m D}^{ m PI}$	$T_{ m D}^{ m PVE}$
pure PI	200		0.50		4.0	0.8		201	
75/25	207	215	0.41	0.11	4.0	0.22	0.20	208	217
50/50	214	224	0.32	0.24	3.3	0.11	0.13		223
25/75	228	246	0.24	0.37	4.5	0.08	0.14		242
pure PVE		261		0.57	3.2		0.13		266

observed  $C_{\text{conf}}$  with the sum of thus resolved curves. It is seen that  $C_1 + C_2$  agrees well with the observed  $C_{\text{conf}}$ . It is noted that the observed  $C_{\rm conf}$  for the 50/50 blend appears to be a broad single glass transition, but as is seen in the figure, the  $C_{
m conf}$  curve can be resolved into two sigmoidal curves.

Figure 6 shows the composition dependence of the broadness parameters  $B_1$  and  $B_2$ . The error bar indicates the error due to the use of symmetric eq 4. It is seen that the broadness of the  $T_{g2}$  process increases rapidly with the increase of PI content and the  $T_{\rm g2}$  process is broader than the  $T_{g1}$  process. Similar behavior has been observed for PS/toluene solutions in which the glass transition temperature  $T_{\mathrm{g2}}$  of toluene is lower than that of PS  $(T_{g1})$ , and  $B_2$  decreased drastically with increasing PS content. Around  $T_{\rm g2}$  the chains responsible for the  $T_{\rm g1}$  process are still in a frozen-in state, and hence the molecules responsible for the  $T_{\rm g2}$  process undergo a variety of restrictions which would be smeared out if the  $T_{\rm g1}$  process were not frozen-in state. This phenomenon is considered to be a general phenomenon.

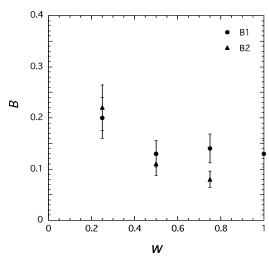
In Table 3 the  $\Delta C_i$  changes approximately in proportion to the composition. As discussed in our previous paper, 9 the jump of the heat capacity thus resolved are much larger than the heat capacity calculated from the



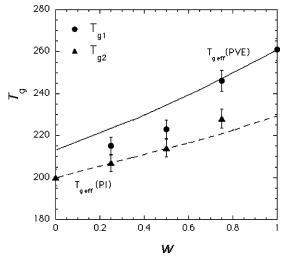
**Figure 5.** Configurational heat capacity  $C_{\text{conf}} = C_p(\text{obs}) - C_p$ (vib) of PI/PVE blends and the heat capacities  $C_1$ ,  $C_2$ , and  $C_1$  +  $C_2$  calculated with eq 4: top, PI/PVE (75/25); middle, PI/ PVE (50/50); bottom, PI/PVE (25/75).

energy differences among the rotational isomeric states. 22,23 Gibbs and DiMarzio explained the glass transition of polymers assuming the rotational isomeric state model. 24 Their theory is not in harmony with the present experimental results, indicating that the dominant contributino to  $C_{\mathrm{conf}}$  is intermolecular interactions. As pointed out previously, the resolved configurational heat capacities divided by the weight fraction  $C_1/w_1$  and  $C_2/w_2$  correspond to the partial specific configurational heat capacities in the thermodynamic arguments.9

The integration of C/T gives changes in the configurational entropy  $S_{\mathrm{conf}}$  of the components. According to Adam and Gibbs,  $^{25}$   $S_{conf}$  is a function of the size of cooperative region which diverges at a temperature  $T_2$ at which  $S_{\mathrm{conf}}$  becomes zero. This model has been employed by many authors without any clear evidence



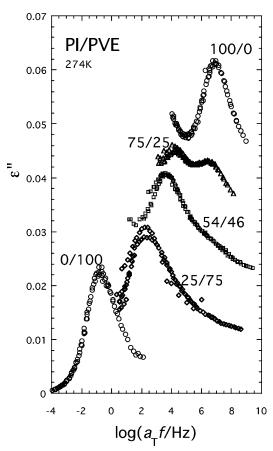
**Figure 6.** Dependences of  $B_1$  and  $B_2$  of eq 4 on the weight fraction w of PVE. Here B for pure PI (=0.80) is not plotted to magnify the plots of B for the blends.



**Figure 7.** Dependences of  $T_{\rm g1}$  and  $T_{\rm g2}$  on the weight fraction w of PVE. The dotted line and solid line indicate the effective glass transition temperatures for PI and PVE, respectively.<sup>26</sup>

of the relationship between cooperative motions and  $S_{\text{conf}}$ . If this model is valid, there are difference of the mobility in the region of cooperative reorientation in dynamically heterogeneous systems. The relationship between the dynamical heterogeneity and cooperative rearrangement of local configuration is a future issue.

Figure 7 shows the dependence of  $T_{\rm g1}$  and  $T_{\rm g2}$  on the weight fraction  $(w_{PI})$  of PI. It is seen that the separation of  $T_{\rm g1} - T_{\rm g2}$  is shortest at w = 0.5. Contrarily, Hirose et al. reported that the glass transition of PI/PVE blends observed by DSC became broadest around w = 0.5.<sup>15</sup> We note in Figure 5 that the  $C_{\text{conf}}$  curve of PI/PVE(50/ 50) starts to increase at about 195 K and reaches equilibrium around 235 K. This width of the glass transition region (40 K) is broader than the estimate of the width (30 K) by DSC. 15 Since the sensitivity of DSC is low, we consider that the broadness of glass transition determined by the adiabatic calorimeter is similar to the broadness by DSC. We also note that in the adiabatic calorimetry the equilibrium temperatures are measured before and after input of heat. On the other hand, in DSC measurements, the sample is heated continuously. Since the heating rate in DSC is much higher than the adiabatic calorimetry, the heat conduc-



**Figure 8.** Master curves of  $\epsilon''$  for the segmental modes of PI/ PBE blends.  $\epsilon''$  curves are shifted upward by 0.04, 0.03, 0.02, and 0.01 for blends 100/0, 75/25, 54/46, and 25/75, respectively.

tion in DSC causes some delay of heat flow, resulting in a broader glass transition.

Hirose et al. also reported the effective glass transition temperatures  $T_{\rm g}^{\rm \,eff}$  proposed by Lodge and McLeish<sup>26</sup> for PI/PVE blends. They determined  $T_{\rm g}^{\rm \,eff}$  from the dielectric segmental mode of PVE and the dielectric normal mode of PI using the WLF equation. Those  $T_{
m g}^{
m eff}$ values are about 5–10 K higher than the present  $T_{\rm g1}$ and  $T_{\rm g2}$  due to the difference of the heating rate. In Figure 7, the solid and dashed lines are theoretical  $T_g^{\text{eff}}$ for PVE and PI calculated with the Lodge-McLeish model. We will discuss this model later.

Dielectric Glass Transition Temperatures. The relaxation time  $\tau$  for segmental motions becomes similar to time required for measurement of  $C_p$  at  $T_g$ . Since  $\tau$ increases steeply with decreasing temperature, configurational rearrangements do not contribute to  $C_p$  below  $T_{\rm g}$  and  $C_{\rm p}$  changes stepwise at  $T_{\rm g}$ . Thus, the temperature at which  $\tau$  becomes the time scale of calorimetric measurements is defined as "dielectric glass transition temperature"  $T_{\rm D}$ . Since time needed for present  $C_p$ measurements was ca. 1500 s,  $T_D$  is defined as the temperature at which the loss maximum frequency  $f_{\rm m}$  $= 1/(2\pi\tau)$  becomes  $10^{-4}$  Hz.<sup>28</sup>

Figure 8 shows the master curves of  $\epsilon''$  for blends of PI-115 and PVE-602 reported by Hirose et al. 15 in the frequency region where the segmental mode is seen, where the code numbers 115 and 602 indicate the molecular weights in kg/mol. As is seen in this figure, the  $\epsilon''$  curve for the PI/PVE(75/25) splits into two peaks due to dynamical heterogeneity. The high- and lowfrequency peaks can be assigned to the segmental modes of PI  $(\alpha_{PI})$  and PVE  $(\alpha_{PVE})$ , respectively. The Arrhrenius plots of  $f_{\rm m}$  reported by Hirose et al. 15 are extrapolated with the aid of the Vogel-Fulcher equation, 29,30 and  $T_{\rm D}^{\rm PVE}$  and  $T_{\rm D}^{\rm PI}$  are determined as listed in Table 3. These temperatures agree approximately with  $T_{\rm g1}$  and  $T_{\rm g2}$ , indicating that  $T_{\rm g1}$  and  $T_{\rm g2}$  are the temperatures at which segmental motions of PVE and PI are frozen in, respectively.

Although the double glass transition is seen in the  $C_p$  curves of all blends, bimodal behavior is not seen in the  $\epsilon''$  curves for blends containing PI less than 50%. It is seen in Figure 8 that PI/PVE(54/46) blend exhibits a shoulder around  $\log a_T f = 7$ . This behavior can be attributed to the decrease of the intensity and the broadening of the high-frequency (PI) peak with decreasing PI content.

Origin of Dynamical Heterogeneity. So far dielectric measurements have been carried out on various miscible polymer blends and polymer/diluent systems.  $^{31-35}$  It has been observed in most blends that loss peaks for the primary α processes are unimodal but become much broader than those of the components. Zetsche and Fischer explained the behavior by assuming a Gaussian distribution of local concentration formed by concentration fluctuation.<sup>31</sup> As mentioned in the introductory section, some miscible polymer blends and polymer/diluent systems exhibit bimodal relaxation spectra. Obviously, such behavior cannot be explained by a Gaussian distribution of local concentration caused by concentration fluctuation.

Zhang et al. reported that mixtures of poly(4-vinylphenol)/poly(vinyl ethyl ether) exhibit single α relaxation in a certain composition range even though the difference of  $T_{\rm g}$  of the components is as high as 185 K.36-38 They also found that mixtures of low molecular weight phenolic compounds with poly(vinyl ethyl ether) exhibit dynamic homogeneity.<sup>39</sup> Those data indicate the importance of specific interactions such as hydrogen bonding on the dynamical heterogeneity. Those data indicate that the dynamical heterogeneity depends strongly on the intermolecular interactions.

In PI/PVE blends, the interactions parameter is slightly negative.<sup>14</sup> For such athermal systems Lodge and McLeish<sup>26</sup> proposed a self-concentration model. This model assumes that bimodal spectra occur due to the difference in the local friction coefficients of components arising from the difference in local concentration. The local concentration  $\phi_A$  of the component A in a blend of A and B is higher than the average concentration  $\phi$  due to the chain connectivity. The local volume V relevant to segmental motions of the A chains is assumed to be cube of the Kuhn step length  $l_{\rm K}$  of the A chain. The same relation holds for B. The self-concentration represented by volume fraction  $\phi$  is given by

$$\phi_{\rm s} = \frac{C_{\infty} M_0}{k \rho N_{\Lambda} V} \tag{5}$$

where  $C_{\infty}$  is the characteristic ratio,  $M_0$  the molecular weight of the repeat unit, k the number of backbone bonds per the repeat unit,  $N_A$  the Avogadro number, and  $\rho$  the density. Then the effective local concentration  $\phi_{\rm eff}$  of the A monomer unit is given by

$$\phi_{\text{eff}} = \phi_{\text{s}} + (1 - \phi_{\text{s}})\phi \tag{6}$$

where  $\phi$  is the average concentration of A. On account

of different effective concentrations, the components A and B exhibit different effective glass transition at  $T_{
m gA}^{
m eff}$ and  $T_{
m gB}^{
m eff}$ , respectively. Assuming the Fox equation  $T_{
m g}^{
m eff}$ is given by replacing  $\phi$  by  $\phi_{ ext{eff}}$ . The values of  $T_{ ext{g}}^{ ext{eff}}$  for PI and PVE have been determined with  $\phi_{\rm s}$  reported by Lodge and McLeish ( $\phi_s$  for PI = 0.45 and  $\phi_s$  for PVE = 0.25).  $^{26}$  The results are compared with  $T_{\rm g1}$  and  $T_{\rm g2}$  in Figure 7 by replacing  $\phi$  with w. It is seen that  $T_{\rm g}^{\rm eff}$  for PI agrees approximately with  $T_{\rm g2}$ , but  $T_{\rm g1}$ does not agree with  $T_g^{\text{eff}}$  for PVE. Recently, Haley et al. tested the selfconcentration model for PI/PVE blends using various dynamic methods. 40 They also concluded that the model describes quantitatively the behavior for PI but does not

Above discussion leads us to conclude that the dominant factor governing dynamic heterogeneity depends on the chemical natures of components. It is expected that with increasing intermolecular interactions the components of a miscible system move cooperatively and dynamical heterogeneity is enhanced in the systems with weak interactions. From the polymer/solvent systems we also note that difference in the sizes of components enhances dynamic heterogeneity.

#### Conclusion

The heat capacities  $C_p$  of PI/PVE blends have been measured by using an adiabatic calorimeter. The configurational heat capacity  $C_{\text{conf}}$  vs temperature T curves of PI/PVE blends can be resolved into two sigmoidal curves  $C_1$  and  $C_2$ . The glass transition temperatures  $T_{\rm g1}$ and  $T_{\rm g2}$   $(T_{\rm g1} > T_{\rm g2})$  for the two sigmoidal curves have been determined by assuming an empirical equation. The dielectric relaxation spectra for the segmental mode split into the  $\alpha_{PVE}$  and  $\alpha_{PI}$  peaks when the PI content is high.  $T_{\rm g1}$  and  $T_{\rm g2}$  agree with the dielectric glass transition temperatures  $T_{\text{PVE}}$  and  $T_{\text{PI}}$ , which are defined as the temperatures at which the dielectric relaxation times for the  $\alpha_{PVE}$  and  $\alpha_{PI}$  processes become 10<sup>3</sup> s, respectively. This indicates that  $T_{g1}$  and  $T_{g2}$  are glass transition temperatures at which segmental motions of PVE and PI are frozen in, respectively. We conclude that dynamically heterogeneous systems composed of mobile and less mobile components exhibit glass transition at different temperatures. The broadness of the glass transition for the  $T_{\rm g2}$  process for PI increased drastically with increasing PVE content.

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