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We will calculate some basic summary statistics about the sahp dataset in the **r02pro** package. Please answer the following questions.

You can run the following code to prepare the analysis.

```
library(r02pro)      #INSTALL IF NECESSARY: install.packages("r02pro")
## Warning: package 'r02pro' was built under R version 4.4.3
data("sahp")
```

Q1

- Use an appropriate R function to find n (the number of observations) and p (the number of variables) for this dataset.

```
dim(sahp)
## [1] 165 12
```

- **Answer (Q1, a):** I used the function **dim()** to print the number of rows and columns. Since rows correspond to the number of observations and columns correspond to the number of variables... the answer is that there are **165 observations and 12 variables**.
- **Answer (Q1, b):** The answer to this is **nuanced**. The four (4) obvious categorical variables are **house_style**, **kit_qual**, **heat_qual**, and **central_air** – however, **oa_qual** is also a categorical variable, even though it's saved as a numeric (**num**). You could argue that there are, in fact, **five (5)** categorical variables in this data set.
- **Answer (Q1, c):** What is the value of the **oa_qual** variable for the 79th observation in this dataset? Explain the meaning of this value in plain English to someone who is not familiar with this dataset. (Hint: Read the documentation of this dataset)

```
sahp[79, "oa_qual"]
## [1] 3
```

- **Answer (Q1, c):** The *value* of the **oa_qual** variable for the *79th observation* is **3**.
- For starters, this data set consists of sales data for various houses. **oa_qual** is a variable within this data set that represents the “Overall material and finish quality” of these houses. A *value* of **3** means **Fair**, which suggests that the *79th observation* has an “*Overall material and finish quality*” of **Fair**.

Q2

- a. What are the values for the last 5 observations of the bathroom variable? Explain the meaning of these values to someone who is not familiar with this dataset. (Hint: Read the documentation of this dataset)

```
sahp[161:165, "bathroom"]  
## [1] 3.0 1.5 2.0 1.5 2.0
```

- **Answer (Q2, a):** The values for the *last 5 observations* are **3.0, 1.5, 2.0, 1.5, and 2.0**.
- The variable **bathroom** represents the **number of bathrooms** in each of the houses observed in this data set. For example, since the *value* for the *165th observation* is **2**, that would mean there are **2 bathrooms** for that house (*the 165th observation of the data set*).
- b. Fill in the missing part (...) of the following partial R program to calculate the population variance of the 5 observations in part a.

```
mean <- (3 + 1.5 + ... )/5  
variance <- ((3 - mean)^2 + ... )/5  
variance
```

Note that the definition of population variance is:

$$variance = \frac{1}{n} \sum_{i=1}^n \left(x_i - \frac{1}{n} \sum_{j=1}^n x_j \right)^2.$$

Write the completed program here:

```
mean <- (3 + 1.5 + 2.0 + 1.5 + 2.0)/5  
variance <- ((3 - mean)^2 + (1.5 - mean)^2 + (2.0 - mean)^2 + (1.5 - mean)^2 + (2.0 - mean)^2)/5  
variance  
## [1] 0.3
```

- **Answer (Q2, b):** Filling in the missing parts was only a matter of following the pattern that follows *what was already provided in the question* and understanding that **variance is the sum of the squared differences between the observations and the mean divided by the number of observations**.
- c. Use the var function to calculate the sample variance. Is the result the same as the population variance calculated in part b? If not, what could be the reason? (Hint: Use ? or help function to read the documentation of var function)

```
bathroom_sample_var <- sahp[161:165, "bathroom"]  
var(bathroom_sample_var)
```

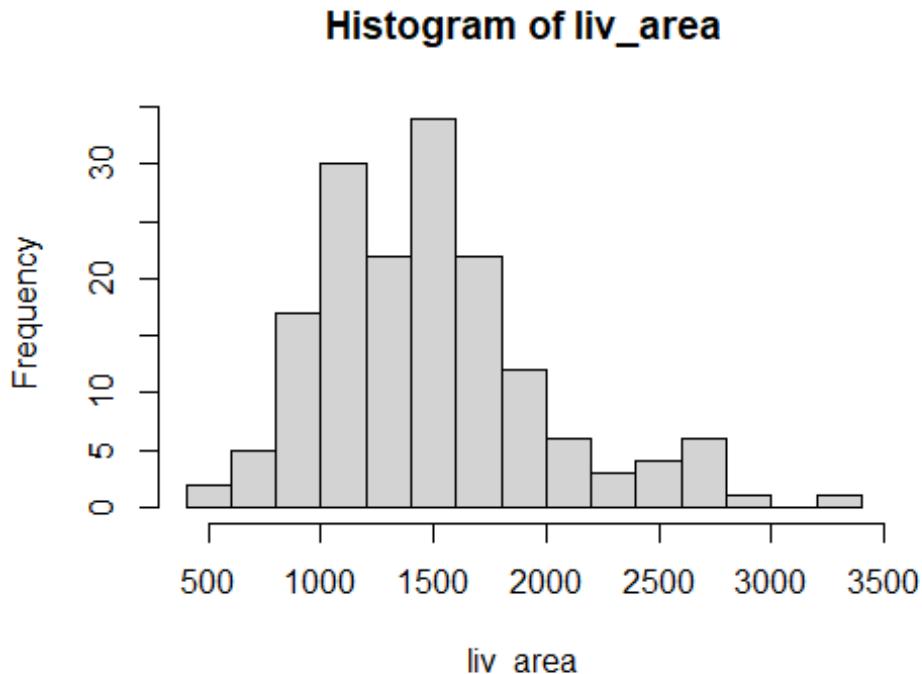
```
## [1] 0.375
```

- **Answer (Q2, c):** The answer is **not the same** as the *population variance* calculated in part b.
- The **sample variance** function **var()** is described in the documentation as having a “... denominator [of] $n-1$.” This is *different* from the denominator of the *population variance*, which has a denominator of n . This difference accounts for the difference between the values **0.3** in part b and **0.375** in part c.

Q3

Plot a histogram of the `liv_area` variable with 15 bins (also known as cells or buckets).

```
attach(sahp)
liv_area_hist <- hist(liv_area, breaks=15)
```



- **Answer (Q3):** I used **?hist** and discovered that **breaks** is an argument which determines the number of cells (bins) for the histogram. I also learned **attach()** from the textbook, which allowed me to call **liv_area** directly without me having to write out **sahp\$liv_area**.

Q4

Generate 90 random numbers from the standard normal/Gaussian distribution. Fill the numbers **by row** into a 9×10 matrix (with 9 rows and 10 columns). What is the value of the entry on the 7th row and 8th column? Use `set.seed(1)` to ensure reproducibility.

```
set.seed(1)
x <- rnorm(90)
x_mat <- matrix(x, 9, 10, T)
x_mat[7,8]

## [1] 1.465555

x[68]

## [1] 1.465555
```

- **Answer (Q4): NOTE:** I used `T` instead of `TRUE` because I learned this was possible in the textbook. I also used `x[68]` to double-check if 1.465555 was truly at position `row = 7` and `col = 8`, since that should be the 68th ((7-1)x10+8) position on vector `x`.

Q5

What do you think of the current pace of the course? Use R to print one of the three answers: “too slow”, “about right”, or “too fast”.

```
print("about right")

## [1] "about right"
```