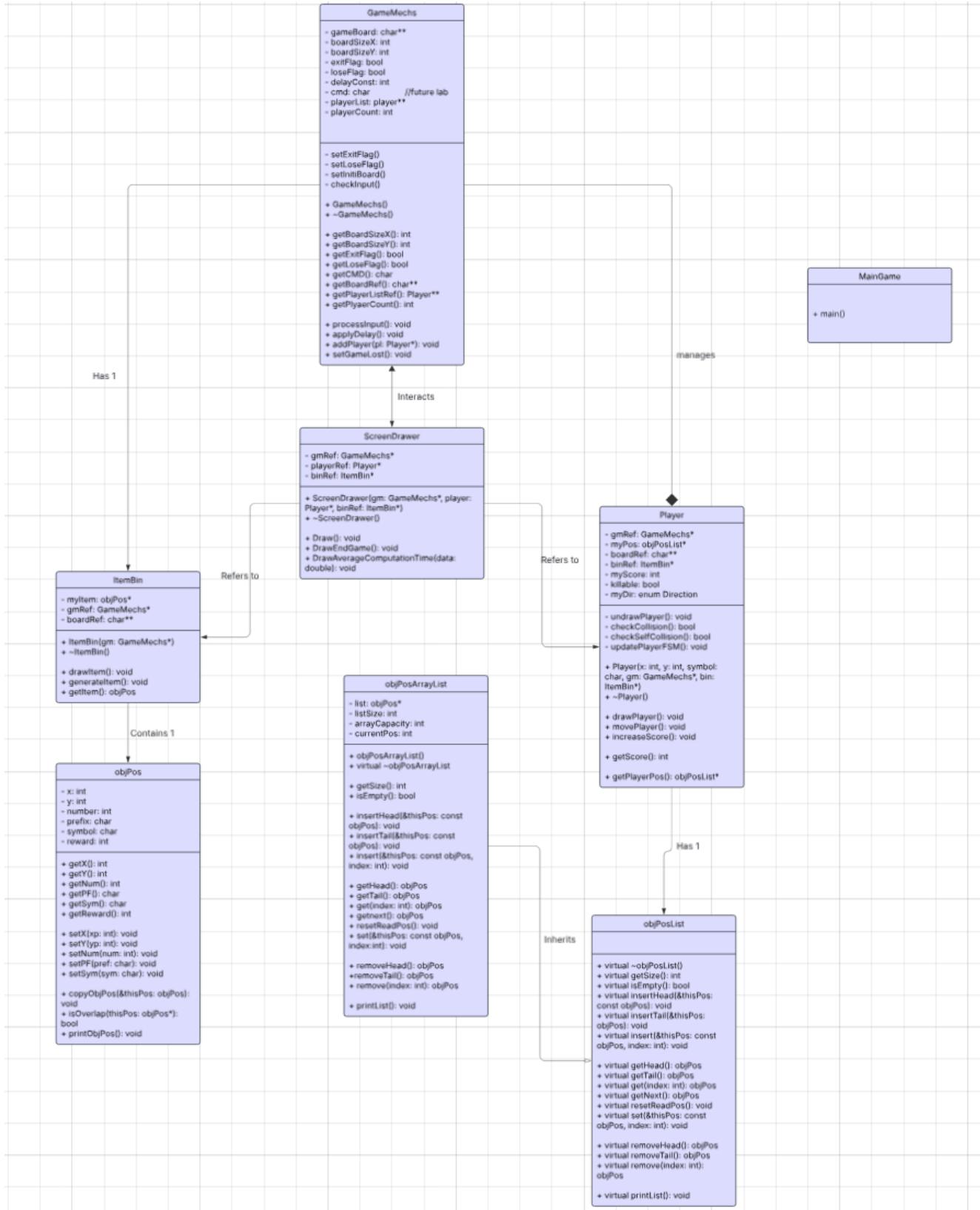


Compeng 2SI4 Lab 1

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Note: Only the necessary lines are present to show the time complexities

a. $\Theta(n^2)$ due to the nested for loop each having n time complexity $\rightarrow n \cdot n = n^2$

```
void GameMechs::setInitBoard() { // private helper function
    for(int i = 0; i < boardSizeY; i++){ //time complexity n
        for(int j = 0; j < boardSizeX; j++){ //time complexity n
            }
        }
}
```

b. $\Theta_{\text{best}}(1)$ due to the first if statement, $\Theta_{\text{worst}}(n) \rightarrow$ for loop running $\text{listSize}/n$ times, our upper bound is just $O(n)$. Little o is any complexity greater than $\Theta(n) \rightarrow o(n \log n)$

```
void objPosArrayList::insertHead(const objPos &thisPos) {
    if(listSize == arrayCapacity) return; //lower bound

    // The rest will be our estimation of Theta worst case
    for(int i = listSize; i > 0; i--) { //upper bound
    }
}
```

c. $\Theta(1)$ since linear complexity

```
objPos objPosArrayList::removeTail() {
    return list[listSize];
}
```

d. $\Theta_{\text{best}}(1)$ due to the first if statement, $\Theta_{\text{worst}}(n) \rightarrow$ for loop running $\text{listSize}/n$ times, our upper bound is just $O(n)$. Little o is any complexity greater than $\Theta(n) \rightarrow o(n \log n)$

```
void objPosArrayList::insert(const objPos &thisPos, int index) {
    if(listSize == arrayCapacity) return; //best case (lower bound
    // The rest will be our estimation of Theta worst case
    for(int i = listSize; i > index; i--) { //worst case (upper bound)
    }
}
```

e. Both $\Theta(n)$

```
void Player::drawPlayer() {
    for(int i = 0; i < scanSize; i++){ //time complexity of n
    }
}

void Player::undrawPlayer() { // private helper function
```

```

        for(int i = 0; i < scanSize; i++){ //time complexity of n
    }
}

```

- f. In the function we see various lines with linear, n, and n^2 complexity, thus we take the largest and get $\Theta(n^2)$

```

void ScreenDrawer::Draw() const{
    MacUILib_clearScreen(); //linear

    binRef->drawItem(); //time complexity of n
    playerRef->drawPlayer(); //time complexity of n

    char** drawTarget = gmRef->getBoardRef();
    objPos target = binRef->getItem();

    for(int i = 0; i < gmRef->getBoardSizeY(); i++){ //time complexity of n
        for(int j = 0; j < gmRef->getBoardSizeX(); j++) //n time{
            //n * n = n^2
        }
    }
}

```

- g. Theta not applicable since we cannot get the upper bound and the lower bound to match due to the return statement in the for loop. This means we have will have a tight upper bound of $O(n)$ and a lower bound of $\Omega(1)$. We also have $\Theta_{\text{worst}}(n)$ and $\Theta_{\text{best}}(1)$, $o(n \log n)$.

```

bool Player::checkSelfCollision(){
    int length = myPos->getSize(); //linear
    if(length < 4) return false; //best case

    for(int i = 1; i < length; i++){ //worst case the function never
    returns → O(n) for upper bound
        if(headPos.isOverlap(&tempPos)){ //best case is this returns on
        first run through → Ω(1)
            return true;
        }
    }
    return false;
}

```

- h. Due to the early if statement we have $\Theta_{\text{best}}(1)$. If that if statement fails we have $\Theta_{\text{worst}}(n)$ due to the undrawPlayer function call.

```

void Player::movePlayer(){
    updatePlayerFSM(); //linear
    if(myDir == STOP) return;

    undrawPlayer(); //time complexity n

    switch(myDir){ //linear time complexity
        case UP:
            if(--inY < 1)
                inY = gmRef->getBoardSizeY() - 2;
            break;

        case DOWN:
            if(++inY > (gmRef->getBoardSizeY() - 2))
                inY = 1;
            break;

        case LEFT:
            if(--inX < 1)
                inX = gmRef->getBoardSizeX() - 2;
            break;

        case RIGHT:
            if(++inX > (gmRef->getBoardSizeX() - 2))
                inX = 1;
            break;

        default:
            break;
    }
}

```

- i. Due to the do while loop we cannot assign an upper bound of big O since it could run forever. Due to multiple variables of $n = \text{playerSize}$ and $m = \text{xsize}, \text{ysize}$. We can assign minimum time complexity of $\Omega(m^2) + \Omega(n)$.

```

void ItemBin::generateItem(){
    for(int i = 0; i < xsize; i++) //time complexity m
        for(int j = 0; j < ysize; j++) //time complexity m
            //time complexity always m^2
}

```

```
}

for(int i = 0; i < playerLength; i++){ //time complexity n
}

Do      //no upper bound for the time complexity
{
    randCandidateX = rand() % (gmRef->getBoardSizeX() - 4) + 2;
    randCandidateY = rand() % (gmRef->getBoardSizeY() - 4) + 2;
} while(bitVec[randCandidateX][randCandidateY] != 0);

for(int i = 0; i < xsize; i++)// n time complexity
    delete[] bitVec[i];
delete[] bitVec;
}
```